## **Jaypee University of Engineering and Technology**

## 18B11CI311 – Data Structures B.Tech -3<sup>rd</sup> Semester Tutorial – 2 (Time Complexity)

Q1. Analyze the time complexity for following code segments/ functions.

```
i.
1. int count = 0;
2. for (int i = n; i > 0; i /= 2)
3. for (int j = 0; j < i; j++)
4. count += 1;
```

```
ii.
for (i=1; i<=n; i++)
for (j=1; j<=log(i); j++)
PRINT "HELLO JUET!";
```

```
iii.

if (n==1)
    return;
for (int i=1; i<=n; i++)
{
    for (int j=1; j<=n; j++)
        {
        printf("*");
        break;
    }
}</pre>
```

```
iv.
  void fun(int n, int arr[])
1. {
2.  int i = 0
3.  for(; i < n; i++)
4.  for(j=0;j < n && arr[i] < arr[j];j++)
5.  Print"i+j";
6. }</pre>
```

```
vi.
1. For I = 1 to n-1
2. For J = 0 to (n-I-1)
3. If a[J] > a[J+1] then,
4. Set temp = a[J]
5. Set a[J] = a[J+1]
6. Set a[J+1] = temp
```

```
viii.
1. For I = 0 to n-2
2.
         min=I
        For J = I+1 to (n-1)
3.
                If a[min] > a[J]
4.
5.
                       min=J
6.
         Set temp = a[min]
7.
         Set a[min] = a[I]
8.
         Set a[I] = temp
```

Q2. Rank the following function by their order of growth (increasing order).

```
(n+1)!, 1, n^{1/\log n}, (3/2)^n, \log(\log n), \operatorname{sqrt}(2)^{\log n}, (\log n)^{\log n}, \operatorname{sqrt}(\log n)
```