How to Use Survival Analytics to Predict Employee Turnover



(Or, Why You Shouldn't Use Logistic Regression to Predict Attrition)

Talent Analytics, Corp.

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Demo Code: https://github.com/talentanalytics/class_survival_101/

Who is Talent Analytics?

Predictive Modeling Platform – Advisor™

- We predict employee attrition and performance pre-hire.
- Much like credit risk modeling:
 - Predict likelihood to pay / default on mortgage, before extending credit
 - Predict likelihood to perform / leave role or company early, before extending job offer
- PAAS (Prediction As A Service)
- Seamless deployment of predictions into talent acquisition process



Turnover and Tenure:

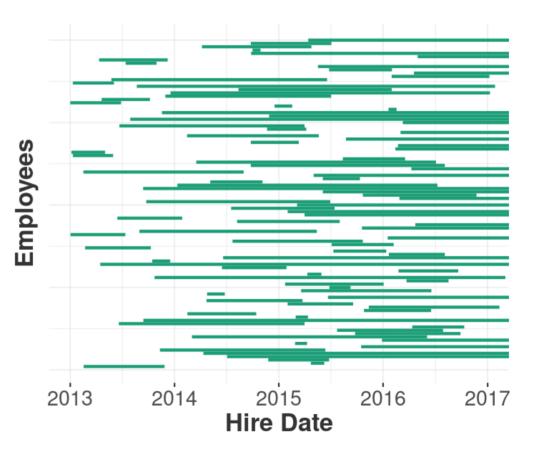
A Timey-Wimey Relationship



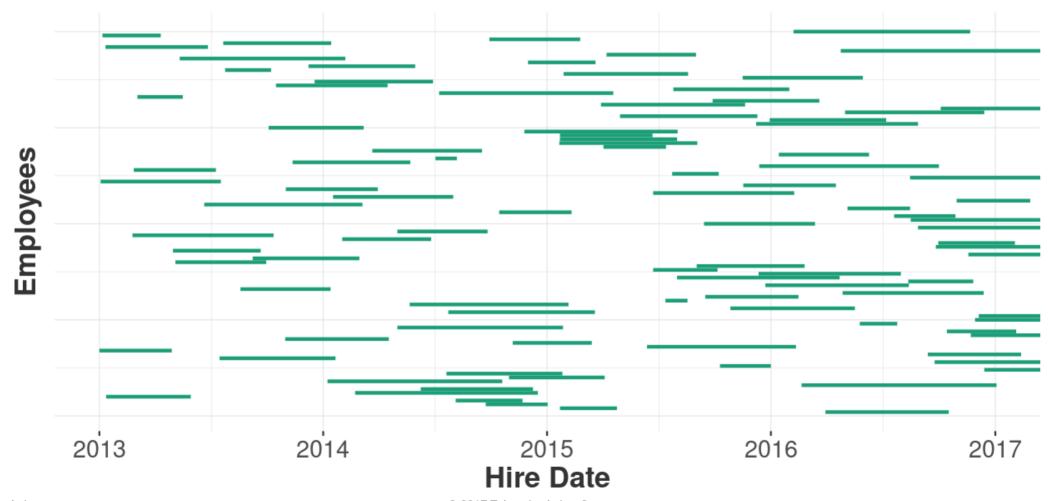
Two Different (But Related) Things

- Turnover: Percent of employees that terminate within a period of time
- ► **Tenure**: Employees' length of time working at a role or company

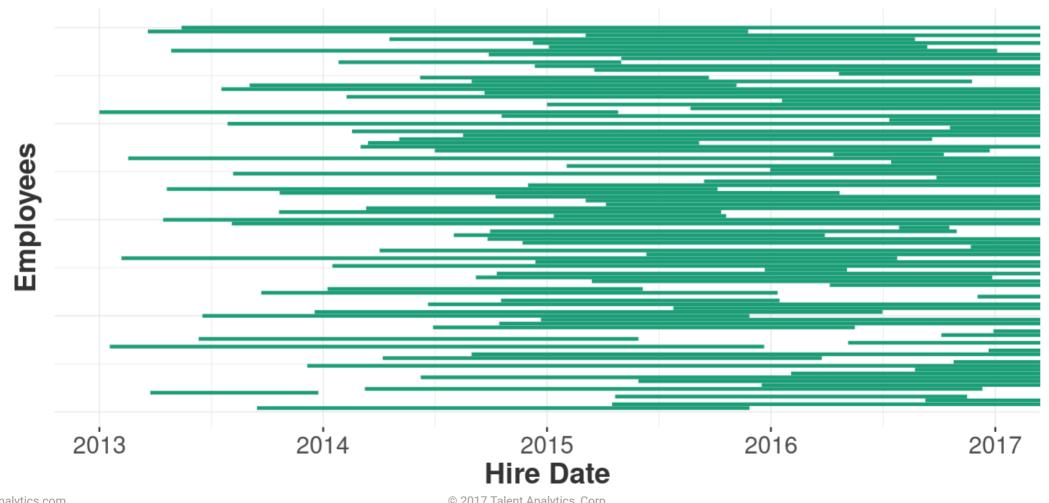
Is it a Wave or a Particle?



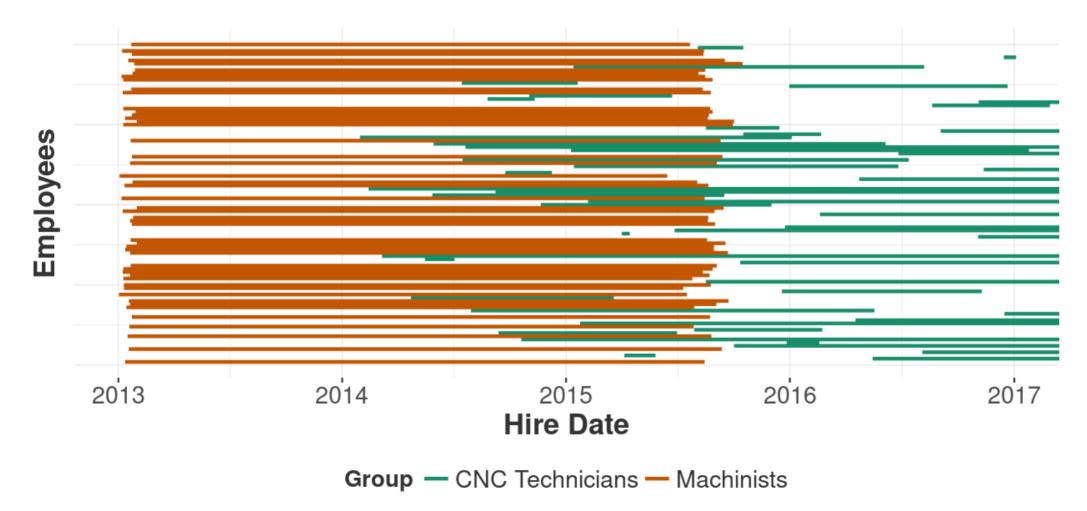
Low Tenure, High Turnover



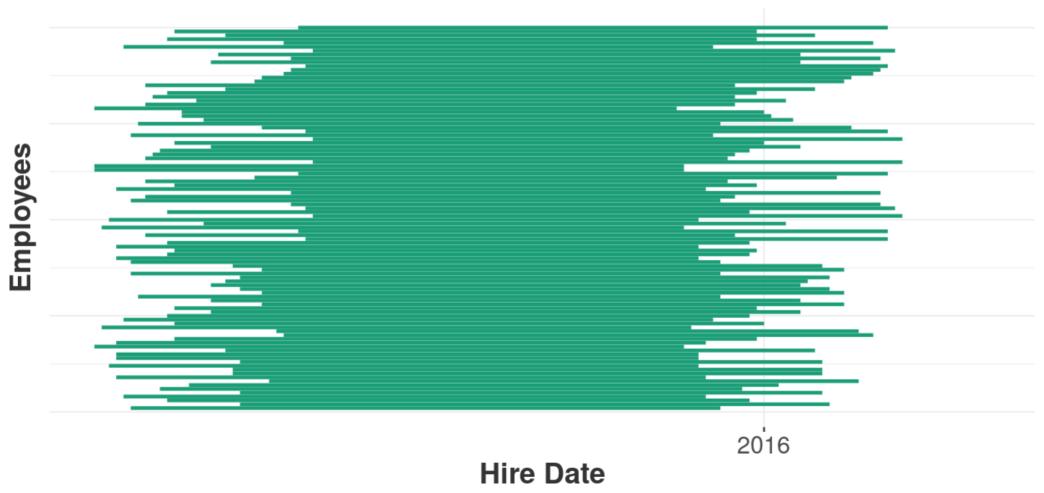
High Tenure, Low Turnover



High Tenure, High Turnover (in 2015)



Low Tenure, Low Turnover (in Nov, Dec)



Main Problem: We Can't See the Future

- Everyone will terminate.
- Someday, somehow... But when?

► Technical Lingo: Right Censoring



Group — Bank Tellers — Personal Bankers

Each Side Has Missing Information

Turnover Has No Information About Tenure

- Treats a temp the same as a seasoned veteran
- Ignores patterns such as people quitting right after a bonus

Tenure Has No Information About Turnover

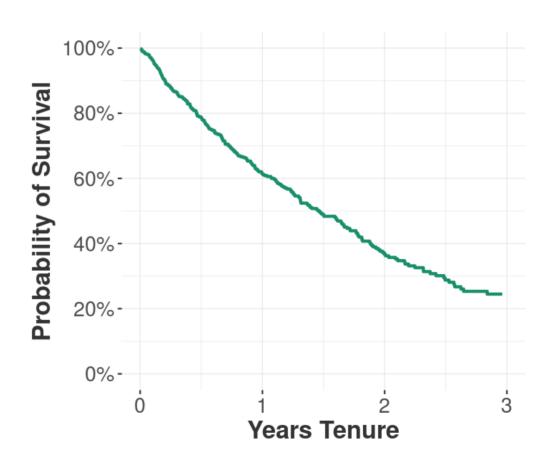
High Tenure = staying power or retirement risk?

Each Side Varies Depending on When You Look

Annual Attrition Timing is Arbitrary

What if you could see attrition at every point in time?

- "One Year" only matters to accountants and astronomers
- Cumulative Breakeven matters more to the business



Survival 101

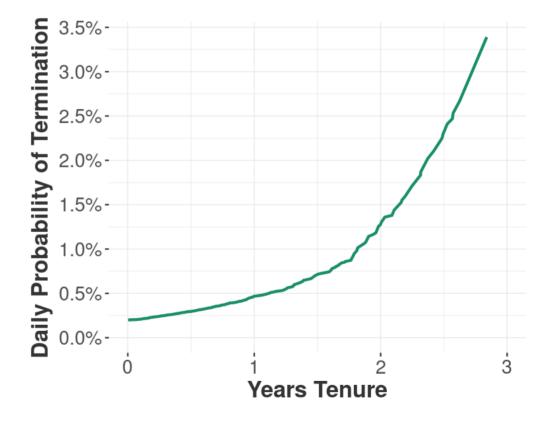
Survival Analytics

- Medical Roots How long will a patient survive a disease?
- Engineering Roots How long until a machine fails?
- Social Science How long do people live?
- Employment How long until an employee terminates? or promotes?
- In General "Expected duration of time until one or more events happen"
- Artfully combines turnover and tenure

Lots of competing Jargon and Syntax from Many Application Domains: Failure Rate, Hazard Rate, Force of Mortality, ...

Hazard Rate: Conditional Daily Risk of Termination

- Every day in tenure there is a (small) probability that the employee will terminate
- Conditional on survival to the prior day
- Like an actuarial life table
- Can rise at different times:
 e.g. training, review or bonus time



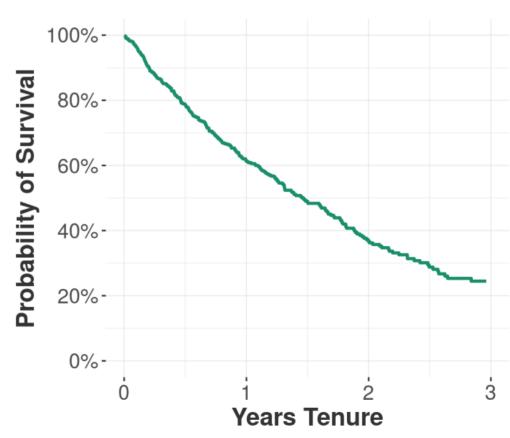
Survival Rate: Daily Probability of Being Employed at Time *t*

- How likely are you to be working here, t days after being hired?
- Near 100% on Day 1 (some people actually never show up)
- Downhill from there usually not linear
- One role at a time

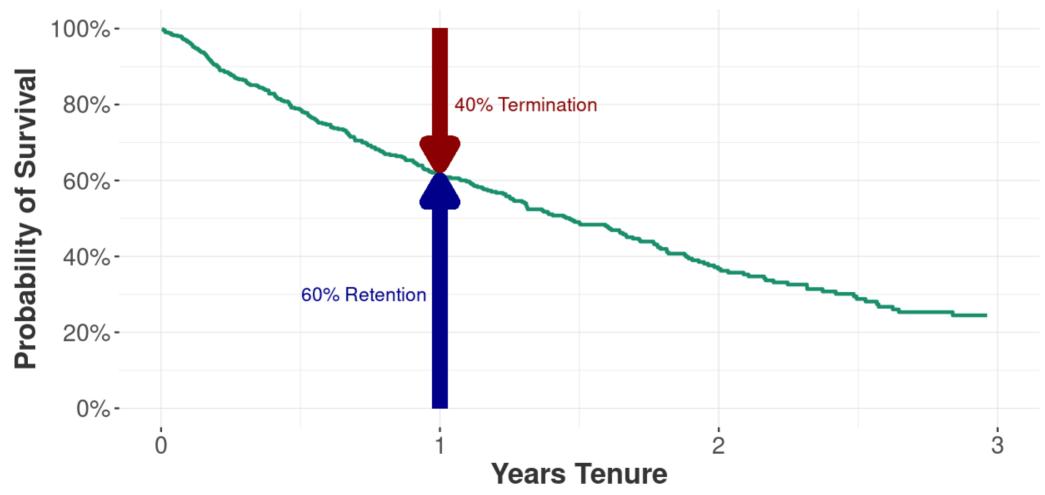


Survival Rate: Daily Probability of Being Employed at Time *t*

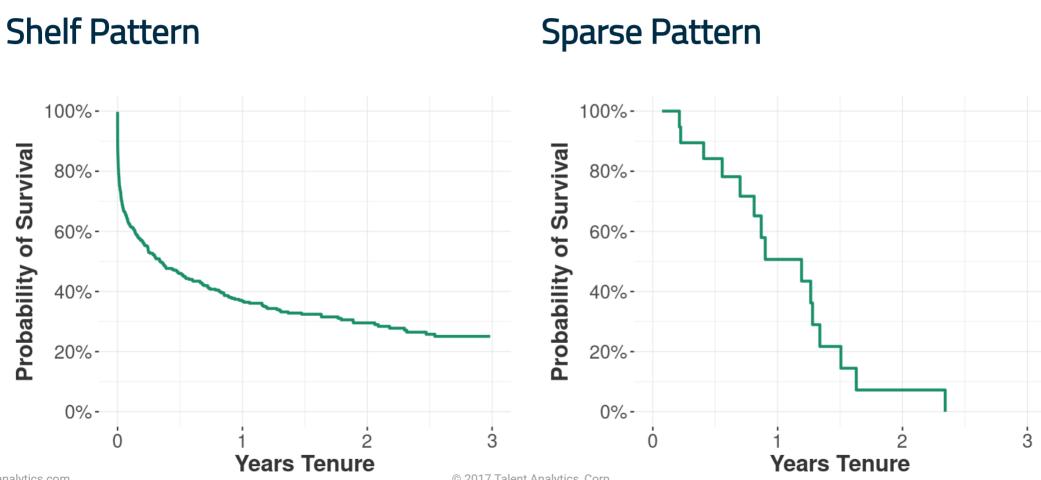
- How likely are you to be working here, t days after being hired?
- Near 100% on Day 1 (some people actually never show up)
- Downhill from there usually not linear
- One role at a time
- ► *This* is the full picture
- Simple transformation of the Hazard Curve
 - Best to use statistical tool (R, SAS)
 - Apparently possible in Excel



Attrition is Built Into Survival Curves

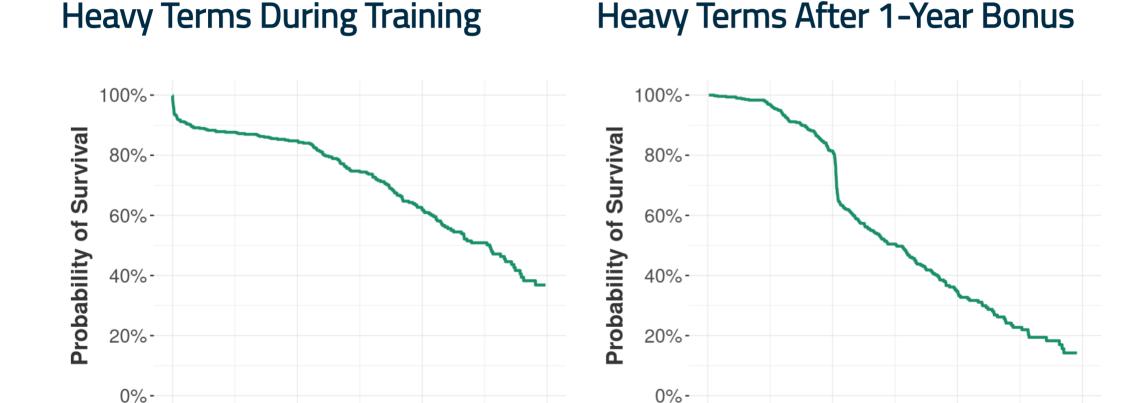


Many Shapes



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Cliffs or Kinks in the Survival Curve

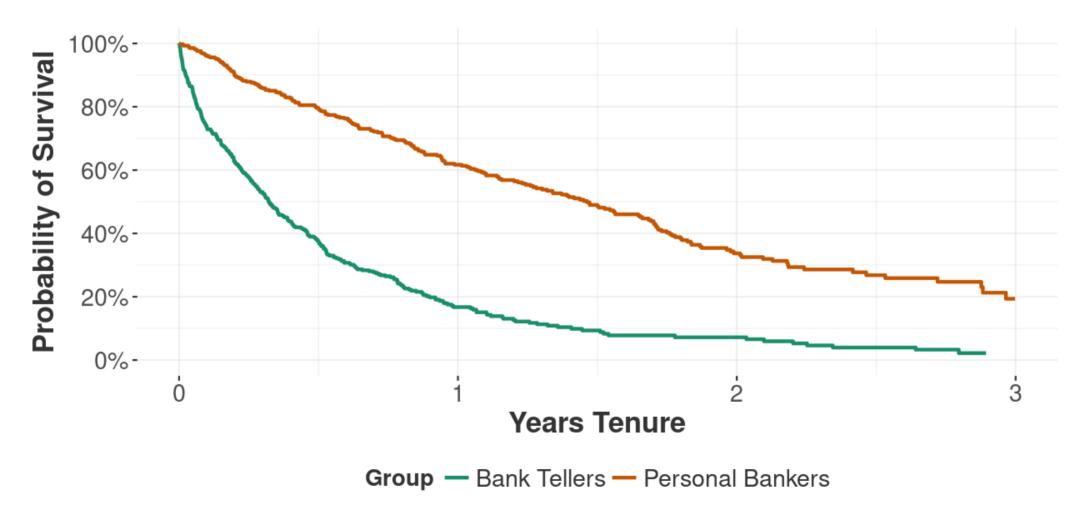


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Years Tenure

Years Tenure

Everyone Has a Survival Curve



Predicting Survival To the Individual Employee

Don't Use Logistic Methods to Predict Attrition!

Commonly Done:

- Predict one-year attrition with logistic
- Use tenure as a variable along with others

Common Result:

- "The biggest cause of termination is tenure"
 - Not an actionable coefficient
- Ignores nuances available to survival methods
- Mishandles current employee tenure
- Less accurate



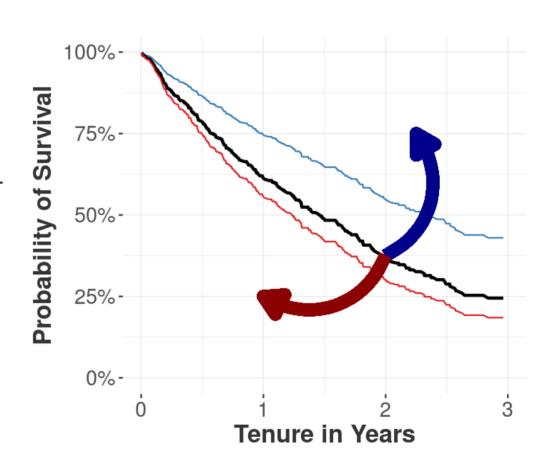
Proportional Hazard

Most Survival models are "Proportional Hazard"

- Start with Base Survival rate
- Convert to Base Cumulative Hazard rate
- Multiply Cumulative Hazard by a single factor (hence "Proportional Hazard")
- Linear changes to Hazard lead to a rotation of Survival Curve

Predictive Goal:

Predict the amount of Survival Curve rotation for each candidate

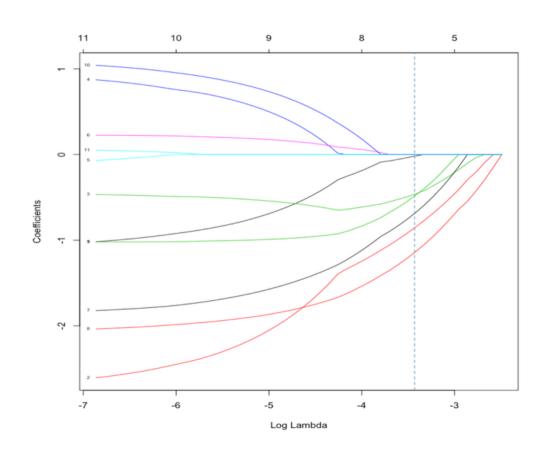


Proportional Hazard Prediction Methods

Predicting a Single Number

- Cox regression
 - Vanilla Cox
 - Stepwise
 - ElasticNet or LASSO
 - ▶ Variable selection with Random Forest
- Decision Trees
- Random Forests
- Neural Networks
- SVM, etc

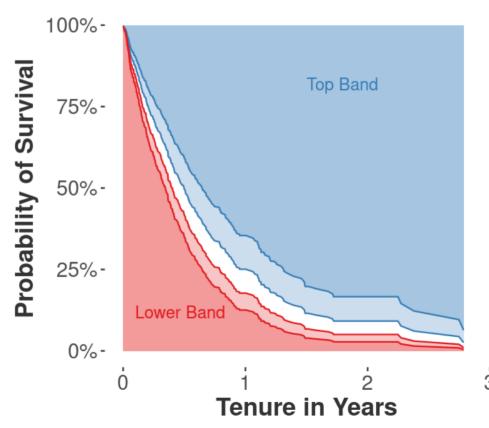
There are also other survival algorithms, including parametric methods



Build/Validate a Survival Model With Thresholds

The Model Predicts:

- "Dark Blue" hires will survive the longest
- "Light Blue" hires will survive above-median
- "Grey" survival curve is current median survival.
- "Light Red" and "Dark Red" candidates are not likely to survive.





Deeper Dive:



Predicting Survival with Proportional Hazard

Follow Demo Code on GitHub:

https://github.com/talentanalytics/class_survival_101/

Formulas and Jargon

Hazard Function: h(t)

- ▶ Probability of termination at time *t*, conditional on survival up to time t
- Ranges from 0 to 1 (typically very small)

Cumulative Hazard Function:
$$H(t) = \int_0^t h(x) \, \mathrm{d}x = -log(S(t))$$

- Cumulative conditional probability of termination up to time t
- Ranges from 0 to 4ish (theoretically to Infinity)

Survival Function:
$$S(t) = e^{-H(t)}$$

- Probability that termination will be later than time t
- Ranges from 1 to 0

Theoretically the formulas above are continuous measures, but in practice are discrete daily.

Calculating Survival in R

Four Simple Steps with R survival package:

- 1. Gather and Prepare the Data
- 2. Calculate Baseline Survival Function $S_0(t)$
- 3. Model Proportional Hazard with Cox Regression
- 4. Validate Model

Calculating Survival in R

Four Simple Steps with R survival package:

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- 3. Model Proportional Hazard with Cox Regression
- 4. Validate Model
- 5. Deploy Model into hiring
- 6. Hire people likely to stay on the job longer
- 7. Save and earn money
 - Avoid attributing savings to soft factors like ripple effect, morale, engagement
 - Hard savings from reduced Replacement Cost
 - Hard earnings from increased Employee Lifetime Value

1) Gather Employee Data

```
> attr.data
 emp.id hire.date term.date factor.x factor.y factor.z
            <dttm>
                       <dttm>
                                   < Idb>
                                             <fdb>
  <int>
                                                     <fdb>>
     52 2016-02-23
                         <NA> 0.09555369 1.515028 102.3811
    261 2014-10-30
                         <NA> 2.40144024  9.065855  100.5727
    193 2013-12-25 2015-03-28 1.88463382 4.331642 105.6887
    150 2013-03-27 2013-09-19 3.81625316 7.363454 110.6842
     31 2015-03-25
                         <NA> 5.17392728 11.824601 110.0590
```

Simple Requirements

- Just hire.date and term.date is all you need from HRIS
 - ▶ Leave term.date as NA if the employee haven't terminated yet
- Merge with predictive input (independent) variables
 - ▶ e.g. assessment results, experience, CV detail, social media, semantic
 - ▶ Here we use factor.x, factor.y and factor.z
 - Are these variables available pre-hire?

Calculate Fields for Survival

```
> attr.data %>% dplyr::select(-dplyr::contains("factor"))
 emp.id hire.date term.date is.term
                                      end.date tenure.vears
            <dttm>
                       <dttm>
                                <lql>
                                         <dttm>
                                                       <fdb>>
  <int>
     52 2016-02-23
                         <NA>
                               FALSE 2017-05-01
                                                   1.1854894
    261 2014-10-30
                               FALSE 2017-05-01
                                                 2.5023956
    193 2013-12-25 2015-03-28 TRUE 2015-03-28
                                                 1.2539357
    150 2013-03-27 2013-09-19
                                                 0.4818617
                               TRUF 2013-09-19
     31 2015-03-25
                         <NA>
                               FALSE 2017-05-01
                                                   2.1026694
```

Simple Derivations

- ▶ is.term: Have they terminated? Is term.date NA?
- end.date: Either term.date, or censor date, depending on is.term
 - ▶ Could put transfer.date here with no is.term
 - ▶ The last date we know the employee was at work
- tenure.years: What is employee tenure from hire.date to end.date?
 - All we know about the employee's tenure, as of censor date

Dataset is Ready

```
> glimpse(attr.data)
Observations: 400
Variables: 14
$ label
             $ hire.date
             <dttm> 2013-04-20, 2016-01-14, 2013-09-20, 2014-05-17, 2016-...
$ term.date
             $ is.term
             <\ql> FALSE, FALSE, FALSE, FALSE, FALSE, FALSE, FALSE...
             <dttm> 2017-05-01, 2017-05-01, 2017-05-01, 2017-05-01, 2017-...
$ end.date
$ tenure.years <dbl> 4.02975576, 1.29469635, 3.61029191, 2.95626651, 1.1463...
$ factor.x
             <dbl> 7.44846858, 1.08376058, 2.81983987, 0.56880027, 0.7868...
$ factor.v
            <dbl> 16.838313, 9.335225, 9.519951, 12.697147, 12.912898, 1...
$ factor.z
             <dbl> 103.10732, 100.37171, 99.76382, 95.88645, 97.61509, 10...
$ emp.id
            <int> 1, 2, 3, 4, 5, 6, 7, 8, 9, 10, 11, 12, 13, 14, 15, 16....
$ scale.x
            <dbl> 2.41351313, -0.24754913, 0.47829958, -0.46285224, -0.3...
$ scale.v
            <dbl> 1.31773198, -0.57718839, -0.53053544, 0.27187182, 0.32...
$ scale.z
            <dbl> 0.3407242, -0.1849069, -0.3017096, -1.0467221, -0.7145...
$ is.training
            <lal> TRUE. TRUE. TRUE. FALSE. FALSE. TRUE. TRUE. TRU...
```

- ► Example is 400-row simulated dataset
- Scaled the input factors to consistent z-scale
- Separated into 80% training and 20% validation datasets

2) Calculate Baseline Survival ($S_0(t)$)

survival::Surv is a single object to hold Tenure and Turnover at once

```
> surv.obj <- survival::Surv(training.data$tenure.years, training.data$is.term)</pre>
```

Needs "time variable" tenure.years and "event variable" is.term

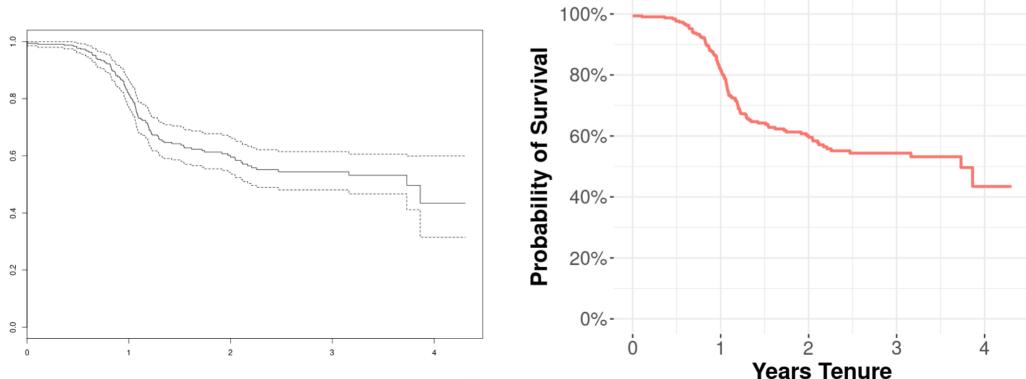
survival::survfit is the Kaplan-Meier Estimator

```
> surv.fit <- survival::survfit(surv.obj ~ 1)</pre>
> summarv(surv.fit)
Call: survfit(formula = surv.obj ~ 1)
 time n.risk n.event survival std.err lower 95% CI upper 95% CI
                         0.997 0.00312
0.000
          320
                                              0.991
                                                           1,000
0.249
                   1 0.994 0.00448
                                              0.985
                                                           1.000
0.298
          303
                    1 0.990 0.00554
                                              0.980
                                                           1,000
0.320
                        0.987 0.00644
                                              0.974
                                                           1,000
```

Plot Baseline Survival

Native Survival Plot

Crafted ggplot2 Plot



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3) Back to Proportional Hazard

Consider a multiplier x that centers on 1

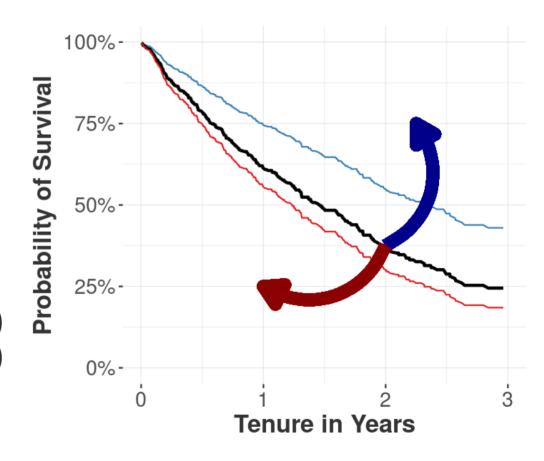
- Multiply $H_x(t) = H_0(t)x$ for proportional (linear) changes to Hazard
- Survival Curve rotates in response:

$$S_x(t) = e^{-H_0(t)x}$$

Beware - inverse relationship:

- $ightharpoonup x \leftarrow$ 1.1 will increase $H_x(t)$, decrease $S_x(t)$
- $ightharpoonup x \leftarrow 0.9$ will decrease $H_x(t)$, increase $S_x(t)$

So we just need to predict *x* to predict Survival



lacktriangle One number drives the entire curve, based on baseline $H_0(t)$

Model Proportional Hazard with Cox Regression

4) Predict validation.data with New Cox Model

```
> cox.pred <- predict(cox.model, newdata = validation.data, type = "lp")</pre>
```

- Note: we built model with training.data, now we predict against validation.data
 - Our model has never seen anything in validation.data
 - Great test to see how closely our predictions match known outcomes
- ► The predict.coxph() function returns 5 different types of predictions
 - riangle We want type = "lp" which is log(multiplier) to baseline $H_0(t)$
 - Other types won't work with survivalROC()

How does ROC Work with Survival?

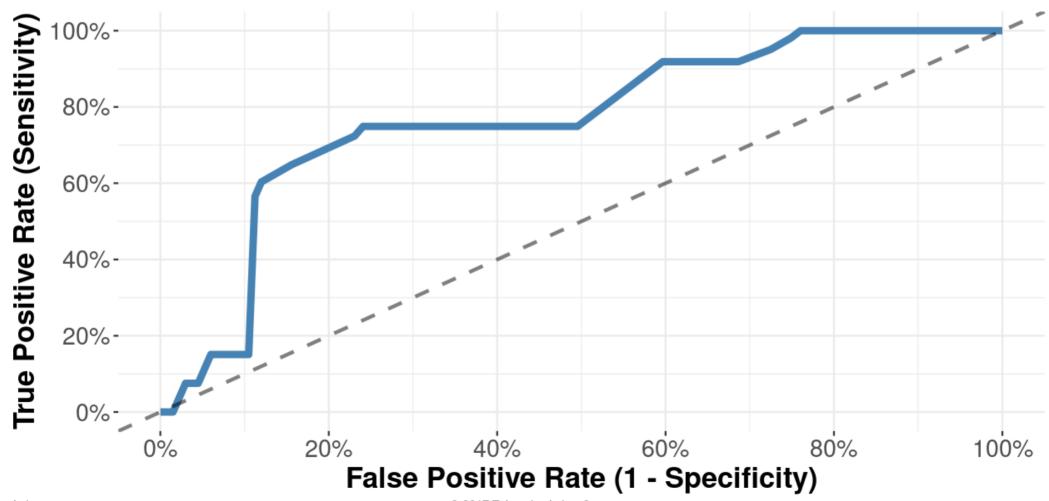
ROC typically evaluates classification methods

- So, we make this a classification problem
- Classify: Was the employee terminated at t = 1 or not?
- Compare actual vs. predicted classifications at all cutpoints

Our AUC is 0.71

Not bad for a censored attrition prediction!

Plot AUC with ggplot2



Don't Get Fooled by Randomness

We are predicting AUC, too

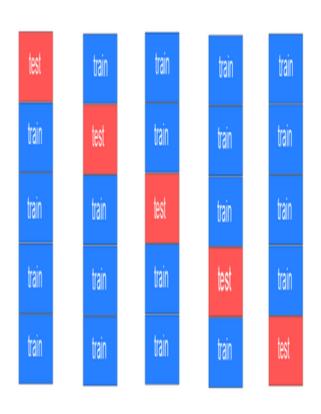
Let's try predicting 1000 random samples of the same underlying pattern

- ▶ AUC generally fell between 0.619 and 0.735, but 50% were outside this range
- The likely AUC is closer to 0.68 still good
- What if you got a lucky (or unlucky) 80/20 validation split?

Multiple Cross-Validation

Raises the Bar Against Getting Fooled

- Typically run 20-100 CV iterations
- Can consume lots of core-hours if nested for hyperparameters



Download and Experiment With this Code

- These slides will be on PAW website
- Download demo code and doc from https://github.com/talentanalytics/class_survival_101/
- Clone it, fork it, run it
- Send bug fixes
- Let me know how it goes



Questions and Discussion

Pasha Roberts

pasha@talentanalytics.com

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