Macrolop Specification

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1 EBNF Grammar

Figure 1: Grammar rules

A metaprogram in Macrolop consists of a (possibly empty) sequence of terms, each of which is either a macro call or just a value.

Note that a macro call accepts arguments without a separator because otherwise there must be logic to avoid putting a comma after the last argument (if they're generated programmatically). However, this design decision tends to break IDE support (code formatting, macro parameters hightlighting, ...). The common workaround is to write a *_REAL macro (the actual implementation) and a C-style wrapper:

```
#define FOO(a, b, c) FOO_REAL(a b c)
#define FOO_REAL(a, b, c) // Implementation...
```

Then F00 can be called as F00(a, b, c), where a, b, and c stand for the actual arguments.

Note that the given syntax holds for metaprograms already expanded by the C preprocessor, except for the macros MACROLOP_EVAL, call, and v. So a syntactically well-formed metaprogram in Macrolop is a C metaprogram that expands to a sequence of preprocessor tokens (again except for the aforementioned cases) matching the given grammar.

Also note that call accepts op either as an identifier or as a term that computes to an identifier. For instance, you can write both call(FOO, ...), call(v(FOO), ...), and even call(call(BAR, ...), ...) as long as call(BAR, ...) reduces to an identifier.

2 Operational Semantics

We define small-step operational semantics for Macrolop. Take into consideration the following notations:

\rightarrow_1	a single step of computation
term	<term></term>
a	<term> used as a macro argument</term>
tok	<pre><pre><pre>cessor-token></pre></pre></pre>
$x \dots$	a possibly empty sequence x_1, \ldots, x_n
empty	an empty sequence
$\langle acc; x \rangle$	x with the accumulator acc
op()	a C-style macro call
ident	a C identifier (foo, bar,)

$$(v) \frac{}{\langle \sigma; v(tok \dots) \ term \dots \rangle} \rightarrow_1 \langle \sigma \ tok \dots; term \dots \rangle}$$

$$(call) \frac{call(op, a \dots) \rightarrow_1 term \dots}{\langle \sigma; call(op, a \dots) \ term' \dots \rangle} \rightarrow_1 \langle \sigma; term \dots \ term' \dots \rangle}$$

$$(eval-op-step) \frac{term \rightarrow_1 term'}{call(term \dots, a \dots) \rightarrow_1 call(term' \dots, a \dots)}$$

$$(eval-op) \frac{term \rightarrow_1 ident}{call(term, term' \dots) \rightarrow_1 call(ident, term' \dots)}$$

$$(arg-call) \frac{\langle \sigma; term \dots \rangle \rightarrow_1 \langle \sigma \ tok \dots; term' term'' \dots \rangle}{\langle \sigma; call(ident, term \dots) \rangle \rightarrow_1 \langle \sigma \ tok \dots; call(ident, term' term'' \dots) \rangle}$$

$$(arg-call) \frac{\langle \sigma; term \rangle \rightarrow_1 \langle \sigma \ tok \dots; call(ident, term' term'' \dots) \rangle}{\langle \sigma; call(ident, term) \rangle \rightarrow_1 \langle \sigma \ tok \dots; empty \rangle}$$

Figure 2: Computational rules

Note that a body of a macro called using call must follow the grammar of Macrolop, otherwise it might result in a compilation error.