

Macrolop Specification

Temirkhan Myrzamadi (a.k.a. Hirrolot)

November 19, 2020

Abstract

This paper is the official specification of Macrolop, a metalanguage aimed at language-oriented programming in C. In it, both the syntax and reduction semantics are defined formally. See the official repository [1] for the user-friendly overview and the official documentation [2] for the accompanied standard library.

Contents

1	EBNF Grammar	2
2	Reduction Semantics	2

1 EBNF Grammar

```
<eval> ::= "MACROLOP_EVAL(" { <term> }+ ")" ;

<term> ::= "call(" <op> "," { <term> }* ")"
        | "v(" <preprocessor-token-list> ")" ;

<op>    ::= <ident> | { <term> }+ ;
```

Figure 1: Grammar rules

A metaprogram in Macrolop consists of a non-empty sequence of terms, each of which is either a macro call or just a value.

Notes:

- The grammar above describes metaprograms already expanded by the C preprocessor, except for `MACROLOP_EVAL`, `call`, and `v`.
- `call` accepts `op` either as an identifier or as a non-empty sequence of terms that reduces to an identifier.
- `call` accepts arguments without a separator.

2 Reduction Semantics

We define reduction semantics for Macrolop. The abstract machine executes configurations of the form $\langle K; A; C \rangle$:

- K is a continuation of the form $\langle K'; A; C \rangle$, where C include the `?` sign, which will be substituted with a result after a continuation is called. For example: let $K = \langle K'; (1, 2, 3); v(abc) ? \rangle$, then $K(v(ghi))$ is $\langle K'; (1, 2, 3); v(abc) v(ghi) \rangle$. A special continuation *halt* terminates the abstract machine with provided result.
- A is an accumulator, a sequence 1 of already computed results.
- C (control) is a concrete sequence 3 of terms upon which the abstract machine is operating right now. For example: `call(F00, v(123) v(456)) v(w 8) v(blah)`.

And here are the computational rules:

$(v) : \langle K; A; v(\overline{tok}) \ t \ \bar{t}' \rangle$	$\rightarrow_1 \langle K; A, \ \overline{tok}; t \ \bar{t}' \rangle$
$(v\text{-end}) : \langle K; A; v(\overline{tok}) \rangle$	$\rightarrow_1 K(\text{unseq}(A, \overline{tok}))$
$(op) : \langle K; A; \text{call}(\bar{t}, \bar{a}) \ \bar{t}' \rangle$	$\rightarrow_1 \langle \langle K; A; \text{call}(\bar{t}, \bar{a}) \ \bar{t}' \rangle; () ; \bar{t} \rangle$
$(args) : \langle K; A; \text{call}(\text{ident}, \bar{a}) \ \bar{t} \rangle$	\rightarrow_1
$\langle \langle K; A; \text{ident}(\text{unseq-cs}(\bar{a})) \ \bar{t} \rangle; () ; \bar{a} \rangle$	
$(start) : \text{MACROLOP_EVAL}(t \ \bar{t}')$	$\rightarrow_1 \langle \text{halt}; () ; t \ \bar{t}' \rangle$

Figure 2: Computational rules

Notation 1 (Sequences)

1. A sequence has the form (x_1, \dots, x_n) .
2. $()$ denotes the empty sequence.
3. An element can be appended by comma: if $a = (1, 2, 3)$ and $b = 4$, then $a, b = (1, 2, 3, 4)$.
4. *unseq* extracts elements from a sequence without a separator:
 $\text{unseq}((a, b, c)) = a \ b \ c$.
5. *unseq-cs* extracts elements from a sequence separated by comma:
 $\text{unseq-cs}((a, b, c)) = a, b, c$.

Notation 2 (Reduction step)

\rightarrow_1 denotes a single step of reduction (computation).

Notation 3 (Concrete sequence)

\bar{x} denotes a concrete sequence $x_1 \dots x_n$. For example: $v(\overline{abc}) \ \text{call}(\overline{FOO}, v(\overline{123})) \ v(\overline{u \ 8 \ 9})$.

Notation 4 (Meta-variables)

\overline{tok}	<i>C</i> preprocessor token
\overline{ident}	<i>C</i> preprocessor identifier
\overline{t}	Macrolop term
\overline{a}	Macrolop term used as an argument

The rules are fairly simple: a concrete sequence of terms provided into `MACROLOP_EVAL` is evaluated sequentially till the end; a function's arguments are evaluated before the function is applied, e.g. Macrolop follows applicative evaluation strategy. When there's no more terms to evaluate, the result is pasted where `MACROLOP_EVAL` has been invoked.

Notes:

- Look at $(args)$. Macrolop generates a usual C-style macro invocation with fully evaluated arguments, which will be then expanded by the C preprocessor, resulting in yet another concrete sequence of Macrolop terms to be evaluated by the computational rules.

Therefore, an expansion of $call(\bar{t}, \bar{a})$ must match the Macrolop grammar, otherwise it might result in a compilation error.

- With the current implementation, at most 2^{14} reduction steps are possible. After exceeding this limit, compilation will likely fail.

References

- [1] Temirkhan Myrzamadi. *Language-oriented programming in C*. URL: <https://github.com/Hirrolot/macrolop>.
- [2] Temirkhan Myrzamadi. *The Macrolop standard library documentation*. URL: <https://hirrolot.github.io/macrolop/>.