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h, h, : 18° → 18
                              6/L hil r1212
  C \circ U \left(h, (\underline{x}), h_{\lambda}(\underline{x})\right) = E \left[h, (\underline{x}) \cdot h_{\lambda}(\underline{x})\right] - E \left[h, (\underline{x})\right] \cdot E \left[h_{\lambda}(\underline{x})\right] \geq 0
                                            10.4 <15 L
                                                                                 いかひつりり
                                                               : 10=1
 4 x > y : h (x) > L, (y) 7 1/5 . 2(814 311 311 4, h) -e 11~ 1
 Y x > y : h2 (x) > h2(y)
                                                                                         178
h, (x) - h, (5) >0 -> h, (x) > h, (y) -> x>y -> h, (x) -> h, (y) -> h, (x) -> h, (y) >0
h2(x)-h2(y)=0-3 h, (x) < h, (y) -3 x < y -3 h2(x) < h2(y) -3 h2(x)-h2(y) <0
      117' 2"1('>) , h, (x) - h, (y) = 0 or h, (x) - h, (y)=0 ale 150 , 108
                                           عان هما الأعار المحوور على من عن من عن
                [h, (x) - h, (9)] [h2(x) - h2 (9)] = 0
                                                                    1. 171 shows. ":
      E \left[ \left[ h_{1}(x) - h_{1}(y) \right] \left[ h_{2}(x) - h_{2}(y) \right] \right] \geq 0
                                                                                              (2
                          (ડ
 \left( E \left[ h, (x) \right] = E \left[ h, (y) \right] \right)
) = [h2 (x)] = E[h2 (y)]
 \left( \bullet E \left[ h,(x) h_{\lambda}(x) \right] = E \left[ h_{\lambda}(y) h_{\lambda}(y) \right]
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E[h,(x)\cdot h_{\lambda}(x)] - E[h_{\lambda}(x)h_{\lambda}(y)] - E[h_{\lambda}(y)h_{\lambda}(y)] + E[h_{\lambda}(y)h_{\lambda}(y)] = 0
E[h, (x) . h, (x)] - E(h, (x)) E(h, (y)) - E[h, (y)] E[h, (x)) +
         + E h1(y) h2(y) >0
E[h,(x)\cdot h_{\lambda}(x)]-E(h,(x))E(h_{\lambda}(x))-E[h_{\lambda}(x)]E[h_{\lambda}(x)]+
        + E[h_1(x)h_2(x)] = 2 E[h_1(x) \cdot h_2(x)] - 2E[h_1(x)] E[h_2(x)] = 0
                                                   E[h,(x)] = E[h,(x)] = [h,(x)] \ge 0
                                               C \circ V \left[ h, (x), h_{\lambda}(x) \right] \geq 0
                                                                             として とくし トイレ トーハ トルイラス:
                                                                                                                                                                                                                                                    14
   COV(h,(x),h,(x))=0
                                                                                    كاريم عالم لردال م «كالا م « دار ١٠٥ ا
                                                                                                                                                                                                      E[h, (x) h_{\lambda}(x) | X_{n} = x_{n}] - E[h, (x) | X_{n} = x_{n}] E[h_{\lambda}(x) | X_{n} = x_{n}] \ge 0
(x, .., x, .., x).
                                                                                                                    [ ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) = ( ) 
  \mathbb{E}\left[h,(\chi)h_{\lambda}(\chi)|\chi_{n}=\chi_{n}\right]=\mathbb{E}\left[h,(\chi_{n})h_{\lambda}(\chi_{n})\right]
   E(h(X)|X=X)=E(h(Xm))
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E(h_{\lambda}(X)|X^{-}X^{-}) = E(h_{\lambda}(X^{(m)}))
E[h(x)h_{\lambda}(x)]X_{n}=x_{n}-E[h(x)]X_{n}=x_{n}]E[h_{\lambda}(x)]X_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x_{n}=x
= \mathbb{E}\left[h,(\underline{x},\omega),h_{\lambda}(\underline{x},\omega)\right] - \mathbb{E}\left(h,(\underline{x},\omega)\right) \mathbb{E}\left(h_{\lambda}(\underline{x},\omega)\right) =
 = ( \cup \cup (h, (\times (n)), h_2 (\times (n))) \ge 0
                                                                                                                         4,3 113 7,1cy ~ U 7y
                                                                                                                                                       ١٠٤ ١١٠ ١١٠٤
                                                                                                   لم دال لمائ ددا در د .
                                                                                                                                                                                                                                          به ۷۰
                     10(0,1) Nin (2 harague (1,0))
                                                                                                                                                     4 Nic 126:
                                                                                                                                                                                                                                         トピム
      11 Fu col (C-4.) ((MN-1)), ... (1-4.)) / - ~12/1.
         cov (h (u,,..,un), -h ((1-u,),..,(1-un)) >
         (1) C 121 (01' 8 5 96) NEC LOLL 1516 (12 NIC 112)
        - 1. cov (h (u,,.., un), h ( (1-u,), ... (1-un)) > 0
                               COV (h (u,,.., un), h ( (1-u,),... (1-un)) = 0
                                                                                                                                                                                                                             . 6 (23 )
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