



FINANCIAL MANAGEMENT

Net Present Value Method (NPV)

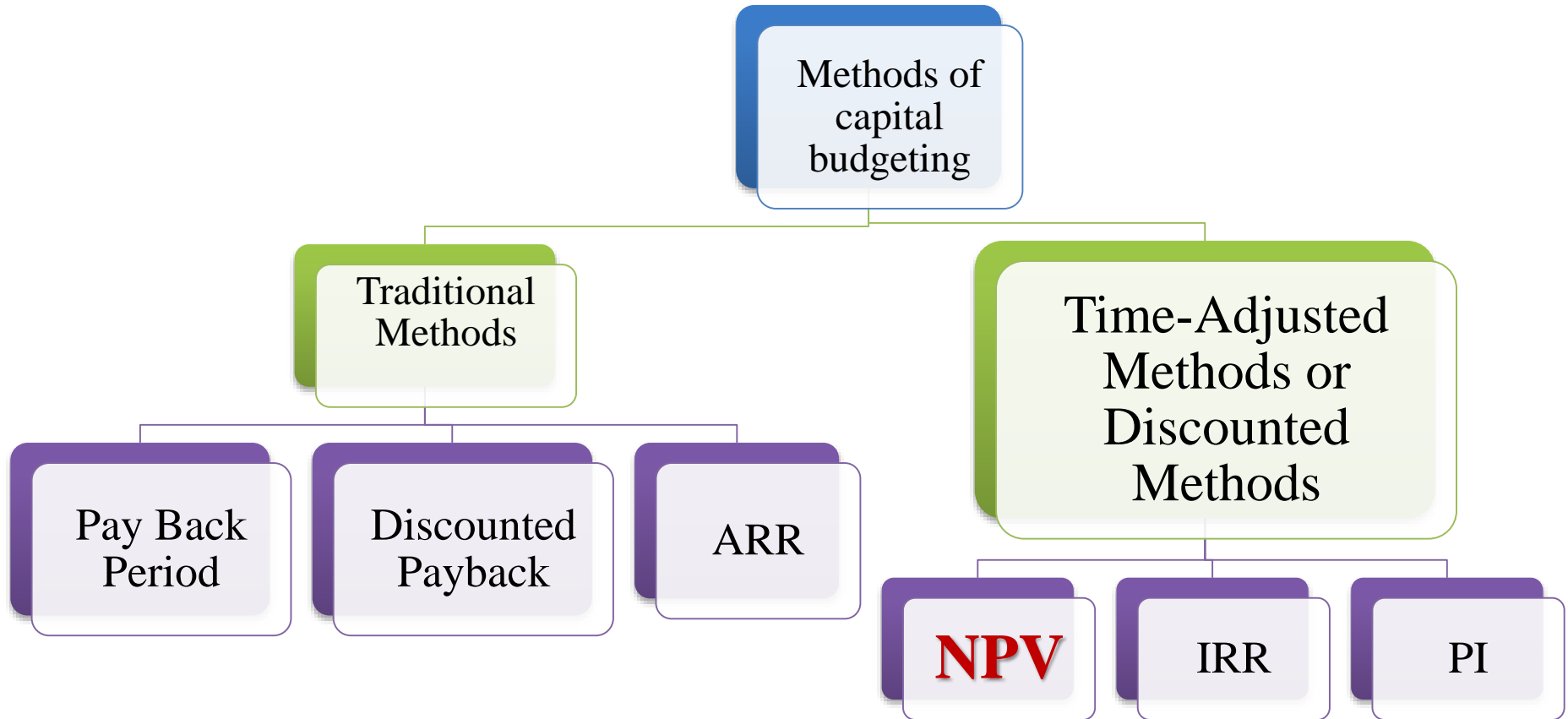
A blurred background image showing a business meeting. Two hands are visible: one holding a black pen and the other pointing at a document. The document contains various financial charts, including a line graph and a pie chart. A laptop screen in the background also displays a chart. The overall scene suggests a professional setting focused on financial analysis.

Capital budgeting

Capital budgeting (or investment appraisal) is the process of determining the viability to long-term investments on purchase or replacement of property plant and equipment, new product line or other projects.



Methods of capital budgeting



Discounted Capital Budgeting Methods

- ▶ Modern Methods
- ▶ Considers Time value of money
- ▶ The main DCF techniques for capital budgeting
 - Net Present Value (NPV),
 - Internal Rate of Return (IRR),
 - Profitability Index (PI)



Net Present Value Method

- ▶ Cash flows of the investment project should be forecasted based on realistic assumptions.
- ▶ Appropriate discount rate is identified to discount the forecasted cash flows.
- ▶ Present value of cash flows is calculated using the opportunity cost of capital as the discount rate.



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- ▶ Net present value should be found out by subtracting present value of cash outflows from present value of cash inflows.
 - ▶ $NPV = PV_{inflows} - PV_{outflows}$
 - ▶ The project should be accepted if NPV is positive (i.e., $NPV > 0$).



Acceptance Rule

- ▶ Accept the project when NPV is positive
 $NPV > 0$
- ▶ Reject the project when NPV is negative
 $NPV < 0$
- ▶ May accept the project when NPV is zero
 $NPV = 0$



When cash inflows are even:

$$NPV = C * (PVF) - i$$

In the above formula,

C is the cash inflow expected to be received each period;

PVF is the Present value factor

i is the initial investment



EXAMPLE

Calculate the net present value of a project which requires an initial investment of Rs:243,000 and it is expected to generate a cash inflow of Rs:50,000 each month for 12 months. Assume that the salvage value of the project is zero. The target rate of return is 12% per annum.



Solution

We have,

Initial Investment = Rs: 243,000

Net Cash Inflow per Period = Rs:50,000

Number of Periods = 12

Discount Rate per Period = $12\% \div 12 = 1\%$



Solution

Net Present Value

$$= C * PVF - i$$

$$= 50,000 \times 11.255 - 243,000$$

$$= 562,750 - 243,000$$

$$= \underline{\underline{319,750}}$$



EXAMPLE

Equipment A has a cost of Rs:75,000 and net cash flow of Rs:20,000 per year, for six years. A substitute equipment B would cost Rs:50,000 and generate net cash flow of Rs:14,000 per year for six years. The required rate of return of both equipment's is 11 %. Calculate NPV.

Which equipment should Be accepted and Why?



Solution

Equipment A

$$\text{NPV} = C * \text{PVF} - \text{Initial Invst.}$$

$$\text{NPV} = 20,000 * 4.2305 - 75,000 = 9610$$

Equipment B

$$\text{NPV} = C * \text{PVF} - \text{Initial Invst.}$$

$$\text{NPV} = 14,000 * 4.2305 - 50,000 = 9227$$

Equipment A is Accepted



When cash flows are uneven

- ▶ The formula for the net present value can be written as follows:

$$\text{NPV} = \left[\frac{C_1}{(1+k)} + \frac{C_2}{(1+k)^2} + \frac{C_3}{(1+k)^3} + \dots + \frac{C_n}{(1+k)^n} \right] - C_0$$

$$\text{NPV} = \sum_{t=1}^n \frac{C_t}{(1+k)^t} - C_0$$

Where as

$C_1, C_2 \dots C_n$ represents net cash inflow for year 1, 2, ..., n

K is the opportunity cost of capital

C_0 is the initial investment

n is the expected life of investment



EXAMPLE

Assume that Project *X* costs Rs 2,500 now and is expected to generate year-end cash inflows of Rs 900, Rs 800, Rs 700, Rs 600 and Rs 500 in years 1 through 5. The opportunity cost of the capital may be assumed to be 10 per cent.



Solution

$$\begin{aligned}\text{NPV} &= \frac{\text{Rs } 900}{(1+0.10)^1} + \frac{\text{Rs } 800}{(1+0.10)^2} + \frac{\text{Rs } 700}{(1+0.10)^3} + \frac{\text{Rs } 600}{(1+0.10)^4} \\ &\quad + \frac{\text{Rs } 500}{(1+0.10)^5} - \text{Rs } 2,500 \\ &= [\text{Rs } 900(\text{PVF}_{1, 0.10}) + \text{Rs } 800(\text{PVF}_{2, 0.10}) + \text{Rs } 700(\text{PVF}_{3, 0.10}) \\ &\quad + \text{Rs } 600(\text{PVF}_{4, 0.10}) + \text{Rs } 500(\text{PVF}_{5, 0.10})] - \text{Rs } 2,500 \\ &= [\text{Rs } 900 \times 0.909 + \text{Rs } 800 \times 0.826 + \text{Rs } 700 \times 0.751 \\ &\quad + \text{Rs } 600 \times 0.683 + \text{Rs } 500 \times 0.620] - \text{Rs } 2,500 \\ &= \text{Rs } 2,725 - \text{Rs } 2,500 = +\text{Rs } 225\end{aligned}$$



Merits of the NPV Method

- ▶ Time value of money
- ▶ Timings and the amounts of cash flows
- ▶ Measure of true profitability
- ▶ Value-additivity
- ▶ Shareholder value



Demerits of the NPV Method

- ▶ More difficult to calculate
- ▶ Involved cash flow estimation may not be true
- ▶ Discount rate difficult to determine



Thank you!

Suresh T S
I PG M.Com
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