

# Machine Learning

## Key Elements

- ① Representation
- ② Evaluation
- ③ Optimization

Candidate programs (hypothesis) & NP Hard?

Constrained ~~build~~ <sup>problem</sup> Conditional probability

~~data~~ Data has <sup>to be</sup> labelled for supervised learning

Unsupervised learning → No labelling  
↳ clustering learning

Classification

True      false

Regression - gives one value

prediction

Unsupervised → Association & Clustering

Difference

networks (1)

networks (2)

Networks limited (2)

① Propagation Delay (time) increases with distance

② Latency = variation in delay

③ Jitter = noise (unpredictable) variations

protocol converter → Gateway

gateway is a protocol converter

protocol converter

protocol converter



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## Exploring Networks

Physical layer node to node

Data link layer node to node + network

Network layer process to process

## Fundamentals ML

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Semi-supervised

labelled & unlabelled

Reinforcement Learning

reward / punishment

Reinforcement

Vs Supervised

chess

Object recognition

Statistical distribution

Significant Test

(No)

ML Problems

Regression is continuous / supervised

Statistics - collection, organization / interpretation of data

→ Descriptive → numerical calculations  
→ Inferential - complex

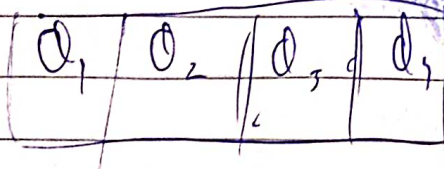
Normal distribution

unimodal - 1 peak

Variability

Range -

Interquartile range (IQR) → dispersion b/w upper (75%) & lower (25%)



Box Plot

Measure for Box plot - Use IQR



# Fundamental of ML

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## Variance & Standard Deviation

Range  
IQR  $\rightarrow$  Inter Quartile Range  $\rightarrow$  gives dispersion of data

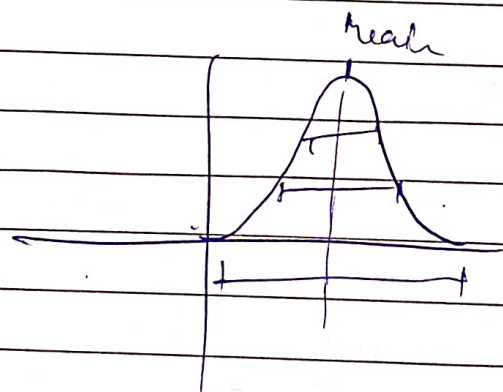
$$S.D. = \sqrt{\frac{\sum (x_i - \bar{x})^2}{n}}$$

$$SD = \sqrt{\frac{\sum (x_i - \bar{x})^2}{n}}$$

$SD^2 = \text{Variance}$

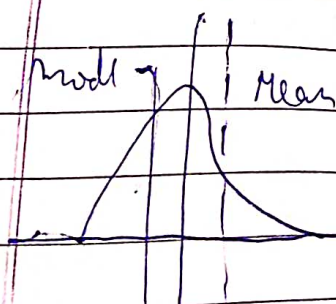
## Normal Distribution

$$V / SD = 1$$
$$\text{Mean} = 0$$

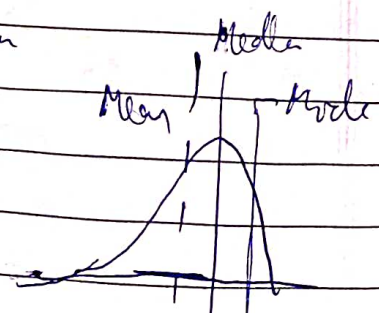
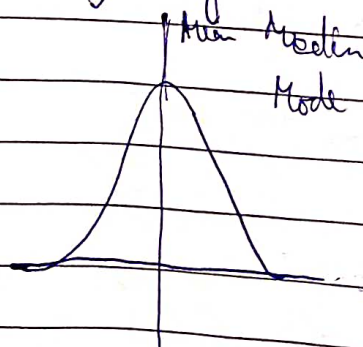


Modality - no. of peaks

Skewness  $\rightarrow$  Symmetry of distribution



Positive



Negative

Positive Skewness  $\rightarrow$  Mean right of Median  
 Negative Skewness  $\rightarrow$  Mean left of Median

Box Plot

Data Visualization

Data points - markers

Width of bin  $\rightarrow$  must be of regular interval  
 [ For histogram / bar plot ]

ANOVA



Box plots  
 (P) value

$\rightarrow$  Pearson coefficient

Box Plot

$\rightarrow$  P-Test

Outliers

For median, sort the data, then take middle value

In image processing, there is no decimal median value



Outlier  $\rightarrow$  Imp. for identification of range  
 $\hookrightarrow$  gives data dispersion  
 $\hookrightarrow$  how far data is spread

c) Pie chart loses many features

## Exploring Networks | 29-07-24

**P**RTS - Request to send  
**C**TS - Clear to send

### Signalling Information

**\*** Physical Interface - Pins Pins in cable

Standard format of Switch

$\hookrightarrow$  OSI layer protocol  
 $\hookrightarrow$  connecting points

Router acts like a switch

ML

DL

①

Require user intervention

feature extraction

Without human interaction

Matrix

Max Pooling

Activation Function

ReLU

Softmax apply on last layer

Cross Entropy  
Loss function

ADAM optimizer

Complex Network



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HL

## Baye's Theorem Numericals

$P(B)$  - Burglary

$P(E)$  - Earthquake

$P(A|B, E)$  - Alarm

$P(J|A)$  - John Calls

$P(M|A)$  - Mary Calls

$$P(A \wedge B) = P(A|B) * P(B)$$

new instance  $\rightarrow P(A) = P(A|B) * P(B) \rightarrow$  prior probability

$$P(B|A) = \frac{P(A|B) * P(B)}{P(A)}$$

$$(1) P(J, M, A, \neg B, \neg E)$$

$$\Rightarrow P(J|A) * P(M|A) * P(A|\neg B, \neg E) * P(\neg B) * P(\neg E)$$

$$(2) P(J) = P(J|A)P(A) + P(J|\neg A)P(\neg A)$$

$$\Rightarrow P(J|A) \{ P(A|B, E) \times P(B, E) + P(A|\neg B, E) + P(\dots) \} + P(J|\neg A) \{ P(\neg A|B, E) \times P(B, E) + \dots \}$$

$$\Rightarrow 0.90 [ 0.95 \times 0.001 \times 0.002 + 0.29 \times 0.999 \times 0.002 + 0.94 \times 0.001 \times 0.998 + 0.001 \times 0.999 \times 0.998 ]$$

$$(A) \times (A|B) = (A \cap B)$$

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$$\frac{(A) \times (A|B)}{(A)} = P(B)$$

$$(A \cap B) \cup (A \cap \neg B) = (A)$$

$$(A \cap B) \cup (A \cap \neg B) = (A)$$

$$(A \cap B) \cup (A \cap \neg B) = (A)$$