

PseudoCode

struct **Way**:

 ID1<-0

 ID2<-0

 Dis<-0

end struct

func MERGE(A,p,q,r):void

$n_1 \leftarrow q-p+1$

$n_2 \leftarrow r-q$

 create **Way** vectors L[1.. n_1+1] and R[1.. n_2+1]

 for $i \leftarrow 0$ to n_1-1

 do $L[i] \leftarrow A[p+i]$

 for $j \leftarrow 0$ to n_2-1

 do $R[j] \leftarrow A[q+j+1]$

$L[n_1].dis \leftarrow \infty$

$R[n_2].dis \leftarrow \infty$

$i \leftarrow 0$

$j \leftarrow 0$

 for $k \leftarrow p$ to r

 do if $L[i].dis < R[j].dis$ || $(L[i].dis == R[j].dis \&\& L[i].ID1 < R[j].ID1)$ ||

$(L[i].dis == R[j].dis \&\& L[i].ID1 == R[j].ID1 \&\& L[i].ID2 < R[j].ID2)$

 then $A[k] \leftarrow L[i]$

$i \leftarrow i+1$

 else $A[k] \leftarrow R[j]$

$j \leftarrow j+1$

end func

func MERGE_SORT(A,p,r):void

 if $p < r$

 then $q \leftarrow \lfloor (p+r)/2 \rfloor$

 MERGE_SORT(A,p,q)

 MERGE_SORT(A,q+1,r)

 MERGE(A,p,q,r)

end func

func main(argc, *argv)

 input(argv[1])

 output(argv[2])

 num \leftarrow input

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for i ← 0 to num-1
    id[i] ← input
    x[i] ← input
    y[i] ← input
mode ← input
disarr ← a Way vector
total ← num*(num-1)/2
switch(mode)
    case 1:
        D ← input
        for i ← 0 to num-2
            for j ← i+1 to num-1
                Way temp
                temp.dis ← sqrt((x[i]-x[j])^2+(y[i]-y[j])^2)
                temp.ID1 ← min(id[i],id[j])
                temp.ID2 ← max(id[i],id[j])
                disarr.push_back(temp)
        MERGE_SORT(disarr,0,disarr.size()-1)
        while disarr[index]<D do
            count ← count+1
            index ← index+1
            if(count>=total)
                then break;
        output ← count
        while(disarr[n]<D) do
            output ← disarr[n].ID1 disarr[n].ID2 setprecision(3)(disarr[n].dis)
            n ← n+1
            if(count>=total)
                then break;
    case 2:
        N ← input
        output ← N
        same way as case 1 to build the disarr vector
        MERGE_SORT(disarr,0,disarr.size()-1)
        while(n<N) do
            output ← disarr[n].ID1 disarr[n].ID2 setprecision(3)(disarr[n].dis)
            n ← n+1
    case 3:

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output ← 1
min ← ∞
for i ← 0 to num-1
    for j ← i+1 to num-2
        dis ← sqrt((x[i]-x[j])^2+(y[i]-y[j])^2)
        if min>dis
            then min=dis
            ID1 ← min(id[i],id[j])
            ID2 ← max(id[i],id[j])
        else if min==dis
            if (ID1>min(id[i],id[j])){
                ID1 ← min(id[i],id[j]);
                ID2 ← max(id[i],id[j]);
            }
    output ← ID1 ID2 setprecision(3)(min)
end switch
return 0
end func

```

Experimental result and Analysis

When there is 100 person : case 1 : 0.0759s, case 2 : 0.04701s, case 3 : 0.03564s

When there is 1000 person : case 1 : 3.082s, case 2 : 0.5906s, case 3 : 0.04833s

When there is 10000 person : case 1 : 311.6s, case 2 : 59.5s, case 3 : 0.6269s

As the computing of the distance of each individual person is $n*(n-1)/2 = (n^2-n)/2$, it's time complexity will be n^2 ; moreover, the recursion in MERGE_SORT will be $O(n \lg n)$ per call, therefore, the total time complexity will be, which is $(n^2) \lg(n^2) = O(n^2 \lg n)$, and we can find a little clue through the experimental result (bigger case makes the feature more apparent). However, case 1 seemed to grow more in executing time than the other two cases, I think a big portion of the executing time might be based on the time printing out the ID and the distance to the .txt, as in my case, I have way more to print out in case 1 than the other two.