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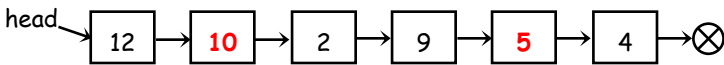
**Question 1 (2.5 points):**

Given the definition of a singly linked list containing integers as follow:

```
struct Node{  
    int data;  
    Node* next;  
};
```

```
struct List{  
    Node* head;  
};
```

Write function `int Count(List ls)` to count the number of node (data) satisfying that it is **equal to** |the next - previous node| in a linked list `ls` – **ignore** the first & the last node

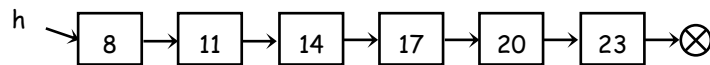
For example: `ls` is 

`Count(ls)` will return 2

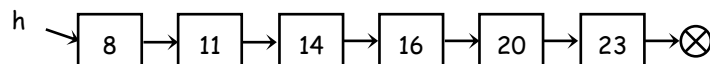
**Question 2 (2.5 points):**

Write a **recursion** function `bool checkIncrease(Node* h)` to check if a linked list **increases steadily**

For example: `checkIncrease(h)` will return true



`checkIncrease(h)` will return false



### Question 3 (2.5 points):

A binary file named POLY.BIN stores the polynomials of a single indeterminate  $x$  as follow:

	Byte Order (Thứ tự byte)	Size (Kích thước)	Description (Mô tả)
Line #0	00:	2 bytes 8 bytes 8 bytes	- Quantity of different terms of a polynomial (e.g., $n = 2$ ) - $\langle \text{deg}_1 \rangle \langle \text{coef}_1 \rangle$ : degree & coefficient of the 1 <sup>st</sup> monomial - $\langle \text{deg}_2 \rangle \langle \text{coef}_2 \rangle$ : degree & coefficient of the 2 <sup>nd</sup> monomial
Line #1	18:	2 bytes 8 bytes 8 bytes 8 bytes	- Quantity of different terms of a polynomial (e.g., $n = 3$ ) - $\langle \text{deg}_1 \rangle \langle \text{coef}_1 \rangle$ : degree & coefficient of the 1 <sup>st</sup> monomial - $\langle \text{deg}_2 \rangle \langle \text{coef}_2 \rangle$ : degree & coefficient of the 2 <sup>nd</sup> monomial - $\langle \text{deg}_3 \rangle \langle \text{coef}_3 \rangle$ : degree & coefficient of the 3 <sup>rd</sup> monomial
Line #3	43:	2 bytes 8 bytes 8 bytes 8 bytes 8 bytes	- Quantity of different terms of a polynomial (e.g., $n = 4$ ) - $\langle \text{deg}_1 \rangle \langle \text{coef}_1 \rangle$ : degree & coefficient of the 1 <sup>st</sup> monomial - $\langle \text{deg}_2 \rangle \langle \text{coef}_2 \rangle$ : degree & coefficient of the 2 <sup>nd</sup> monomial - $\langle \text{deg}_3 \rangle \langle \text{coef}_3 \rangle$ : degree & coefficient of the 3 <sup>rd</sup> monomial - $\langle \text{deg}_4 \rangle \langle \text{coef}_4 \rangle$ : degree & coefficient of the 4 <sup>th</sup> monomial
...	...	...	...

Write function `readPolynomials()` to read the polynomials of all lines in this binary file, and function `writeGreatestDegreePoly()` to write to another binary file containing the polynomials with greatest degree (This file is named POLY\_GREATEST\_DEG.BIN with the same format with POLY.BIN).

For example:

- The 1<sup>st</sup> polynomial  $7x^3 + 7$  has two terms  $7x^3$  and  $7x^0$ .
- The 2<sup>st</sup> polynomial  $x^2 + x + 8$  has three terms  $x^2$ ,  $x^1$  and  $8x^0$ .
- The 3<sup>rd</sup> polynomial  $2x^3 + x^2$  has two terms  $2x^3$  and  $x^2$ .

We conclude the 1<sup>st</sup> and 3<sup>rd</sup> polynomials are the ones with greatest degree (3 in this case)

### Question 4 (2.5 points):

Write function `void extractFactors(unsigned int A[], unsigned int N, unsigned int X, unsigned int*& B, unsigned int& M)` to extract the elements being the factors of  $X$  in array  $A$  with  $N$  integers into array  $B$  (dynamically allocated) with  $M$  elements just extracted from array  $A$ .

For example:  $A = \{ 14, 2, 1, 13, 4 \}$      $N = 5$      $X = 52$

=> Result:  $B = \{ 2, 13, 4 \}$ ,  $M = 3$  (Because  $52 \bmod 2 = 52 \bmod 4 = 52 \bmod 13 = 0$ )