# Natural Language Processing Applications

Lecture 09: Machine Translation



- Introduction to Machine Translation
- Word-based models
- Phrase-based models
- Evaluation



#### **NLPA- Machine Translation**

#### INTRODUCTION TO MACHINE TRANSLATION



#### INTRODUCTION TO MACHINE TRANSLATION



**NLPA- Machine Translation** 

#### **Word-based models**

#### **Word-based models**

- Lexical Translation:
  - □ How to translate a word -> look up in dictionary
    - Example for German-English dictionary:

Haus - house, building, home, household, shell

- Multiple translations:
  - Some more frequent than others
  - ☐ For instance: house, and building most common
  - ☐ Special cases: Haus of a snail is its shell
- ☐ Note: In all lectures, we translate from a foreign language into English



#### **Word-based models**

#### Collect Statistics

□ Look at a parallel corpus (German text along with English translation)

Translation of Haus	Count		
house	8,000		
building	1,600		
home	200		
household	150		
shell	50		



#### Estimate Translation Probabilities

#### Maximum likelihood estimation

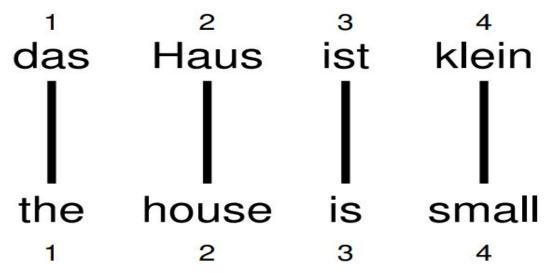
$$p_f(e) = \begin{cases} 0.8 & \text{if } e = \text{house,} \\ 0.16 & \text{if } e = \text{building,} \\ 0.02 & \text{if } e = \text{home,} \\ 0.015 & \text{if } e = \text{household,} \\ 0.005 & \text{if } e = \text{shell.} \end{cases}$$



#### **Word-based models**

#### Alignment

In a parallel text (or when we translate), we align words in one language with the words in the other



■ Word positions are numbered 1-4



#### **Word-based models**

#### Alignment Function

- Formalizing alignment with an alignment function
- Mapping an English target word at position i to a German source word at position j with a function:

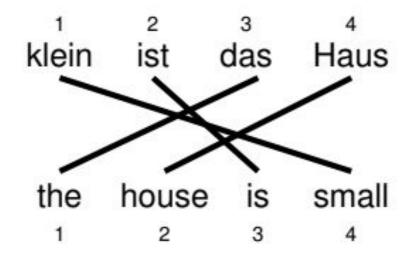
Example:



#### **Word-based models**

#### Reordering

Words may be reordered during translation

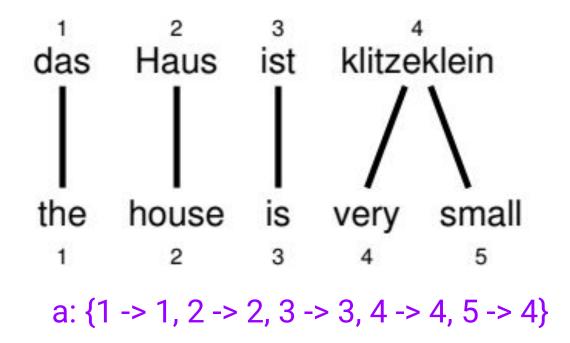


 $\Box$  a: { 1 -> 3, 2 -> 4, 3 -> 2, 4 -> 1}



#### **Word-based models**

- One-to-many Translation
  - □ A source word may translate into multiple target words:

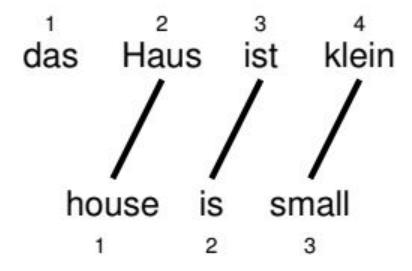




#### **Word-based models**

#### Dropping Words

□ Words may be dropped when translated (German article das is dropped)

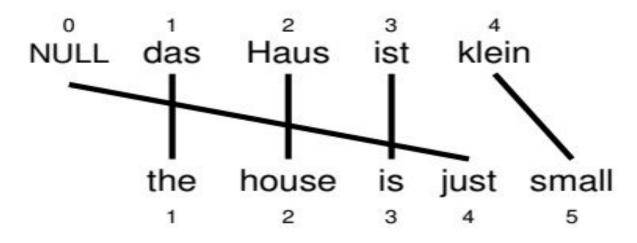




#### **Word-based models**

#### Inserting Words

- Words may be added during translation
  - ☐ The English **just** does not have an equivalent in German
  - We still need to map it to something: special NULL token



#### **Word-based models**

#### IBM Model 1:

- Generative model: break up translation process into smaller steps
  - IBM Model 1 only uses lexical translation
- Translation probability:
- figcup for a foreign sentence:  ${f f}=(f_1,...,f_{l_f})$  of length  ${m l}_f$
- f u to an English sentence  $f e=(e_1,...,e_{l_e})$  of length  $l_e$
- with an alignment of each English word  $e_j$  to a foreign word  $f_i$  according to the alignment function  $a:j \to i$

$$p(\mathbf{e}, a|\mathbf{f}) = \frac{\epsilon}{(l_f + 1)^{l_e}} \prod_{j=1}^{l_e} t(e_j|f_{a(j)})$$

- parameter **E** is a normalization constant



#### **Word-based models**

#### **Example**

das

e	t(e f)
the	0.7
that	0.15
which	0.075
who	0.05
this	0.025

н	0	110	1
	1		١

e	t(e f)
house	0.8
building	0.16
home	0.02
household	0.015
shell	0.005

e	t(e f)
is	0.8
's	0.16
exists	0.02
has	0.015
are	0.005

e	t(e f)
small	0.4
little	0.4
short	0.1
minor	0.06
petty	0.04

$$p(e, a|f) = \frac{\epsilon}{5^4} \times t(\text{the}|\text{das}) \times t(\text{house}|\text{Haus}) \times t(\text{is}|\text{ist}) \times t(\text{small}|\text{klein})$$
$$= \frac{\epsilon}{5^4} \times 0.7 \times 0.8 \times 0.8 \times 0.4$$
$$= 0.0029\epsilon$$



#### **Word-based models**

#### Learning Lexical Translation Models

- ullet We would like to estimate the lexical translation probabilities t(e|f) from a parallel corpus
- ... but we do not have the alignments
- Chicken and egg problem
  - if we had the alignments,
    - -> we could estimate the parameters of our generative model
  - if we had the parameters,
    - -> we could estimate the alignments



#### **Word-based models**

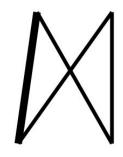
- EM Algorithm (Expectation Maximization Algorithm):
  - Incomplete data
    - if we had complete data, would could estimate model
    - if we had model, we could fill in the gaps in the data
  - Expectation Maximization (EM) in a nutshell
    - 1. initialize model parameters (e.g. uniform)
    - 2. assign probabilities to the missing data.
    - 3. estimate model parameters from completed data
    - 4. iterate steps 2 3 until convergence

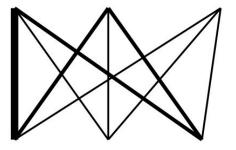
... la maison ... la maison blue ... la fleur ...

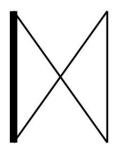
the house ... the blue house ... the flower ...

- Initial step: all alignments equally likely
- Model learns that, e.g., la is often aligned with the

... la maison ... la maison blue ... la fleur ...

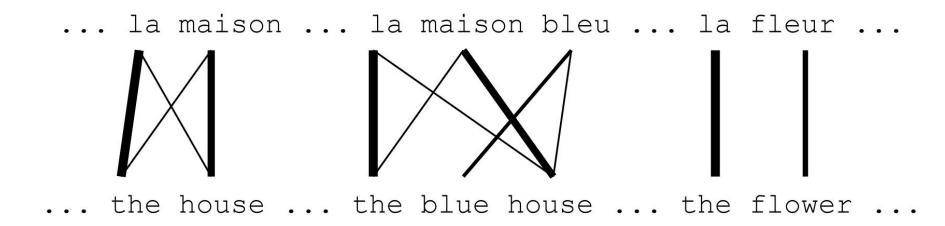






the house ... the blue house ... the flower ...

- After one iteration
- Alignments, e.g., between **la** and **the** are more likely



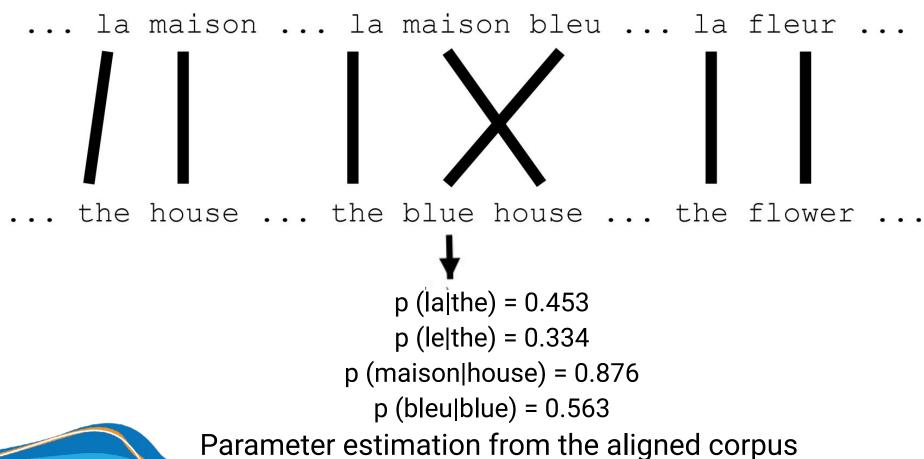
- After another iteration
- It becomes apparent that alignments, e.g., between fleur and flower are more likely (pigeon hole principle)



- ... the house ... the blue house ... the flower ..
  - Convergence
  - Inherent hidden structure revealed by EM

#### **Word-based models**

#### **EM Algorithm**





#### **IBM Model 1 and EM**

- EM Algorithm consists of two steps
- Expectation Step: Apply model to the data
  - parts of the model are hidden (here: alignments)
  - using the model, assign probabilities to possible values
- Maximization Step: Estimate model from data
  - take assign values as fact
  - collect counts (weighted by probabilities)
  - estimate model from counts
- Iterate these steps until convergence

# Word-based models IBM Model 1 and EM

- We need to be able to compute:
  - Expectation Step: probability of alignments
  - Maximization Step: count collection

#### Word-based models

#### **IBM Model 1 and EM**

**Probabilities** 

$$p(\mathrm{the}|\mathrm{la}) = 0.7$$
  
 $p(\mathrm{the}|\mathrm{maison}) = 0.1$ 

$$p(\text{the}|\text{la}) = 0.7$$
  $p(\text{house}|\text{la}) = 0.05$   
 $p(\text{the}|\text{maison}) = 0.1$   $p(\text{house}|\text{maison}) = 0.8$ 

Alignments:

$$p(\mathbf{e}, a|\mathbf{f}) = 0.56$$
  $p(\mathbf{e}, a|\mathbf{f}) = 0.035$   $p(\mathbf{e}, a|\mathbf{f}) = 0.08$   $p(\mathbf{e}, a|\mathbf{f}) = 0.005$ 

$$p(\mathbf{e}, a|\mathbf{f}) = 0.08 \quad p(\mathbf{e},$$

$$p(\mathbf{e}, a|\mathbf{f}) = 0.005$$

$$p(a|\mathbf{e}, \mathbf{f}) = 0.824$$

$$p(a|\mathbf{e}, \mathbf{f}) = 0.052$$

$$p(a|\mathbf{e}, \mathbf{f}) = 0.118$$

$$p(a|\mathbf{e}, \mathbf{f}) = 0.824$$
  $p(a|\mathbf{e}, \mathbf{f}) = 0.052$   $p(a|\mathbf{e}, \mathbf{f}) = 0.118$   $p(a|\mathbf{e}, \mathbf{f}) = 0.007$ 

Counts

$$c(\text{the}|\text{la}) = 0.824 + 0.052$$
  
 $c(\text{the}|\text{maison}) = 0.118 + 0.007$ 

$$c(\text{house}|\text{la}) = 0.052 + 0.007$$
  
 $c(\text{house}|\text{maison}) = 0.824 + 0.118$ 

# **fit@hcmus**Word-based models

#### IBM Model 1 and EM: Expectation Step

- $\square$  We need to compute p(a|e,f)
- Applying the chain rule:

$$p(a|\mathbf{e}, \mathbf{f}) = \frac{p(\mathbf{e}, a|\mathbf{f})}{p(\mathbf{e}|\mathbf{f})}$$

We already have the formula for p(e,a|f) (definition of Model 1)

#### **Word-based models**

#### **IBM Model 1 and EM: Expectation Step**

 $\square$  We need to compute p(e|f)

$$p(\mathbf{e}|\mathbf{f}) = \sum_{a} p(\mathbf{e}, a|\mathbf{f})$$

$$= \sum_{a(1)=0}^{l_f} ... \sum_{a(l_e)=0}^{l_f} p(\mathbf{e}, a|\mathbf{f})$$

$$= \sum_{a(1)=0}^{l_f} \dots \sum_{a(l_e)=0}^{l_f} \frac{\epsilon}{(l_f+1)^{l_e}} \prod_{j=1}^{l_e} t(e_j|f_{a(j)})$$

#### **Word-based models**

#### IBM Model 1 và EM: Expectation Step

$$p(\mathbf{e}|\mathbf{f}) = \sum_{a(1)=0}^{l_f} \dots \sum_{a(l_e)=0}^{l_f} \frac{\epsilon}{(l_f+1)^{l_e}} \prod_{j=1}^{l_e} t(e_j|f_{a(j)})$$

$$= \frac{\epsilon}{(l_f+1)^{l_e}} \sum_{a(1)=0}^{l_f} \dots \sum_{a(l_e)=0}^{l_f} \prod_{j=1}^{l_e} t(e_j|f_{a(j)})$$

$$= \frac{\epsilon}{(l_f+1)^{l_e}} \prod_{j=1}^{l_e} \sum_{i=0}^{l_f} t(e_j|f_i)$$

#### Note the trick in the last line

- Removes the need for an exponential number of products
- This makes IBM Model 1 estimation tractable

# of the fitchemus

#### **Word-based models**

#### The Trick

$$\sum_{a(1)=0}^{2} \sum_{a(2)=0}^{2} = \frac{\epsilon}{3^{2}} \prod_{j=1}^{2} t(e_{j}|f_{a(j)}) =$$

$$= t(e_{1}|f_{0}) \ t(e_{2}|f_{0}) + t(e_{1}|f_{0}) \ t(e_{2}|f_{1}) + t(e_{1}|f_{0}) \ t(e_{2}|f_{2}) +$$

$$+ t(e_{1}|f_{1}) \ t(e_{2}|f_{0}) + t(e_{1}|f_{1}) \ t(e_{2}|f_{1}) + t(e_{1}|f_{1}) \ t(e_{2}|f_{2}) +$$

$$+ t(e_{1}|f_{2}) \ t(e_{2}|f_{0}) + t(e_{1}|f_{2}) \ t(e_{2}|f_{1}) + t(e_{1}|f_{2}) \ t(e_{2}|f_{2}) =$$

$$= t(e_{1}|f_{0}) \ (t(e_{2}|f_{0}) + t(e_{2}|f_{1}) + t(e_{2}|f_{2})) +$$

$$+ t(e_{1}|f_{1}) \ (t(e_{2}|f_{1}) + t(e_{2}|f_{1}) + t(e_{2}|f_{2})) +$$

$$+ t(e_{1}|f_{2}) \ (t(e_{2}|f_{2}) + t(e_{2}|f_{1}) + t(e_{2}|f_{2})) =$$

$$= (t(e_{1}|f_{0}) + t(e_{1}|f_{1}) + t(e_{1}|f_{2})) \ (t(e_{2}|f_{2}) + t(e_{2}|f_{1}) + t(e_{2}|f_{2}))$$

#### **Word-based models**

#### **IBM Model 1 and EM: Expectation Step**

Combine what we have:

$$p(\mathbf{a}|\mathbf{e},\mathbf{f}) = p(\mathbf{e},\mathbf{a}|\mathbf{f})/p(\mathbf{e}|\mathbf{f})$$

$$= \frac{\frac{\epsilon}{(l_f+1)^{l_e}} \prod_{j=1}^{l_e} t(e_j|f_{a(j)})}{\frac{\epsilon}{(l_f+1)^{l_e}} \prod_{j=1}^{l_e} \sum_{i=0}^{l_f} t(e_j|f_i)}$$

$$= \prod_{j=1}^{l_e} \frac{t(e_j|f_{a(j)})}{\sum_{i=0}^{l_f} t(e_j|f_i)}$$

#### **Word-based models**

#### IBM Model 1 and EM: Maximization Step

- Now we have to collect counts
- Evidence from a sentence pair e,f that word e is a translation of word f:

$$c(e|f; \mathbf{e}, \mathbf{f}) = \sum_{a} p(a|\mathbf{e}, \mathbf{f}) \sum_{j=1}^{l_e} \delta(e, e_j) \delta(f, f_{a(j)})$$

With the same simplication as before:

$$c(e|f; \mathbf{e}, \mathbf{f}) = \frac{t(e|f)}{\sum_{i=0}^{l_f} t(e|f_i)} \sum_{j=1}^{l_e} \delta(e, e_j) \sum_{i=0}^{l_f} \delta(f, f_i)$$

# fit@hcmus Word-based models

#### **IBM Model 1 and EM: Maximization Step**

After collecting these counts over a corpus, we can estimate the model:

$$t(e|f;\mathbf{e},\mathbf{f}) = \frac{\sum_{(\mathbf{e},\mathbf{f})} c(e|f;\mathbf{e},\mathbf{f}))}{\sum_{e} \sum_{(\mathbf{e},\mathbf{f})} c(e|f;\mathbf{e},\mathbf{f}))}$$

#### **Word-based models**

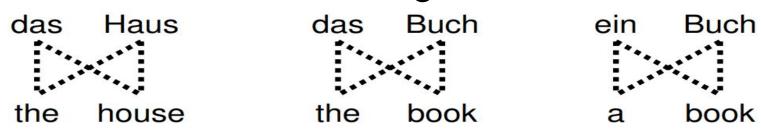
#### IBM Model 1 and EM: Pseudocode

```
Input: set of sentence pairs (e, f)
                                                           // collect counts
                                                 14:
                                                           for all words e in e do
Output: translation prob. t(e|f)
                                                 15:
                                                              for all words f in f do
 1: initialize t(e|f) uniformly
                                                 16:
                                                                \operatorname{count}(e|f) += \frac{t(e|f)}{\operatorname{s-total}(e)}
 2: while not converged do
                                                 17:
       // initialize
                                                                total(f) += \frac{t(e|f)}{s-total(e)}
                                                 18:
       count(e|f) = 0 for all e, f
                                                              end for
                                                 19:
       total(f) = 0 for all f
                                                           end for
                                                 20:
       for all sentence pairs (e,f) do
                                                        end for
                                                 21:
          // compute normalization
                                                       // estimate probabilities
                                                 22:
          for all words e in e do
                                                        for all foreign words f do
                                                 23:
             s-total(e) = 0
 9:
                                                           for all English words e do
                                                 24:
             for all words f in f do
                                                             t(e|f) = \frac{\operatorname{count}(e|f)}{\operatorname{total}(f)}
10:
                                                 25:
                s-total(e) += t(e|f)
11:
                                                           end for
                                                 26:
             end for
12:
                                                        end for
                                                 27:
          end for
13:
                                                 28: end while
```



#### **Word-based models**

#### Convergence



e	f	initial	1st it.	2nd it.	3rd it.	• • •	final
the	das	0.25	0.5	0.6364	0.7479		1
book	das	0.25	0.25	0.1818	0.1208		0
house	das	0.25	0.25	0.1818	0.1313		0
the	buch	0.25	0.25	0.1818	0.1208		0
book	buch	0.25	0.5	0.6364	0.7479		1
a	buch	0.25	0.25	0.1818	0.1313		0
book	ein	0.25	0.5	0.4286	0.3466		0
a	ein	0.25	0.5	0.5714	0.6534		1
the	haus	0.25	0.5	0.4286	0.3466		0
house	haus	0.25	0.5	0.5714	0.6534		1



#### **Perplexity**

- ☐ How well does the model fit the data?
- Perplexity: derived from probability of the training data according to the model

$$\log_2 PP = -\sum_s \log_2 p(\mathbf{e}_s|\mathbf{f}_s)$$

Example ( $\epsilon$ =1)

	initial	1st it.	2nd it.	3rd it.	 final
p(the haus das haus)	0.0625	0.1875	0.1905	0.1913	 0.1875
p(the book das buch)	0.0625	0.1406	0.1790	0.2075	 0.25
p(a book ein buch)	0.0625	0.1875	0.1907	0.1913	 0.1875
perplexity	4095	202.3	153.6	131.6	 113.8

#### **Word-based models**

#### **Ensuring Fluent Output**

- Our translation model cannot decide between small and little
- Sometime one is preferred over the other:
  - □ small step: 2,070,000 occurrences in the Google index
  - □ little step: 257,000 occurrences in the Google index
- Language model (LM)
  - estimate how likely a string is English
  - based on n-gram statistics

$$p(\mathbf{e}) = p(e_1, e_2, ..., e_n)$$

$$= p(e_1)p(e_2|e_1)...p(e_n|e_1, e_2, ..., e_{n-1})$$

$$\simeq p(e_1)p(e_2|e_1)...p(e_n|e_{n-2}, e_{n-1})$$

#### **Word-based models**

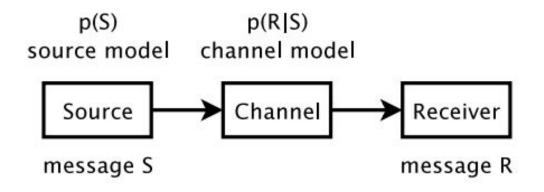
#### **Noisy Channel Model**

- We would like to integrate a language model
- Bayes rule

$$\begin{aligned} \operatorname{argmax}_{\mathbf{e}} \, p(\mathbf{e}|\mathbf{f}) &= \operatorname{argmax}_{\mathbf{e}} \frac{p(\mathbf{f}|\mathbf{e}) \, p(\mathbf{e})}{p(\mathbf{f})} \\ &= \operatorname{argmax}_{\mathbf{e}} \, p(\mathbf{f}|\mathbf{e}) \, p(\mathbf{e}) \end{aligned}$$



#### **Noisy Channel Model**



- Applying Bayes rule also called noisy channel model
  - we observe a distorted message R (here: a foreign string f)
  - we have a model on how the message is distorted (here: translation model)
  - we have a model on what messages are probably (here: language model)
  - we want to recover the original message S (here: an English string e)



#### **Word-based models**

#### **Higher IBM Models**

IBM Model 1	lexical translation
IBM Model 2	adds absolute reordering model
IBM Model 3	adds fertility model
IBM Model 4	relative reordering model
IBM Model 5	fixes deficiency

- Only IBM Model 1 has global maximum
  - ☐ Training of a higher IBM model builds on previous model
- Computationally biggest change in Model 3:
  - Trick to simplify estimation does not work anymore
- -> exhaustive count collection becomes computationally too expensive
  - sampling over high probability alignments is used instead



#### **Word-based models**

#### **Reminder: IBM Model 1**

- Generative model: break up translation process into smaller steps
  - IBM Model 1 only uses lexical translation
- Translation probability:
- $oldsymbol{\Box}$  for a foreign sentence:  $\mathbf{f} = (f_1,...,f_{l_f})$  of length  $oldsymbol{l} f$
- f u to an English sentence  $f e=(e_1,...,e_{l_e})$  of length  $l_e$
- lacktriangle with an alignment of each English word  $e_j$  to a foreign word  $f_i$

according to the alignment function : a:j 
ightarrow i

$$p(\mathbf{e}, a|\mathbf{f}) = \frac{\epsilon}{(l_f + 1)^{l_e}} \prod_{j=1}^{l_e} t(e_j|f_{a(j)})$$

- parameter 🧲 is a normalization constant



NLPA - Machine Translation

#### **PHRASE-BASED MODELS**



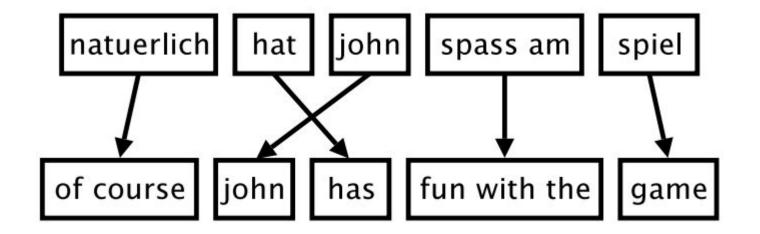
#### Motivation:

- Word-Based Models translate words as atomic units
- Phrase-Based Models translate phrases as atomic units
- Advantages
  - many-to-many translation can handle non-compositional phrases
  - use of local context in translation
  - the more data, the longer phrases can be learned
- "Standard Model", used by Google Translate and others

#### **Phrase-based models**

□ Phrase-Based Model:

TP. HO CHI MINH



- ☐ Foreign input is segmented in phrases
- ☐ Each phrase is translated into English
- Phrases are reordered

#### **Phrase-based models**

#### Phrase Translation Table:

- Main knowledge source: table with phrase translations and their probabilities
- Example: phrase translations for natuerlich

Translation	Probability $\phi(\bar{e} f)$
of course	0.5
naturally	0.3
of course,	0.15
, of course ,	0.05



#### **Real Example**

☐ Phrase translations for **den Vorschlag** learned from the Europarl corpus:

English	$\phi(ar{e} ar{f})$	English	$\phi(\bar{e} f)$
the proposal	0.6227	the suggestions	0.0114
's proposal	0.1068	the proposed	0.0114
a proposal	0.0341	the motion	0.0091
the idea	0.0250	the idea of	0.0091
this proposal	0.0227	the proposal,	0.0068
proposal	0.0205	its proposal	0.0068
of the proposal	0.0159	it	0.0068
the proposals	0.0159		

- lexical variation (proposal vs suggestions)
- morphological variation (proposal vs proposals)
- ☐ included function words (the,a,...)
- □ noise (it)



#### Linguistic Phrases?

- Model is not limited to linguistic phrases
   (noun phrases, verb phrases, prepositional phrases, ...)
- Example non-linguistic phrase pairspass am -> fun with the
- Prior noun often helps with translation of preposition
- Experiments show that limitation to linguistic phrases hurts quality

# fit@hcmus Phrase-based models

#### Probabilistic Model

■ Bayes rule

$$\mathbf{e}_{\mathsf{best}} = \mathsf{argmax}_{\mathbf{e}} \; p(\mathbf{e}|\mathbf{f})$$

$$= \mathsf{argmax}_{\mathbf{e}} \; p(\mathbf{f}|\mathbf{e}) \; p_{\mathrm{LM}}(\mathbf{e})$$

- □ translation model **p(e|f)**
- $oldsymbol{\square}$  language model  $p_{\mathrm{LM}}(\mathbf{e})$
- Decomposition of the translation model

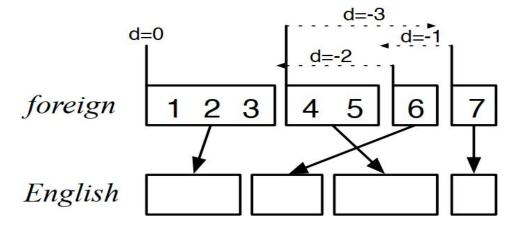
$$p(\bar{f}_1^I | \bar{e}_1^I) = \prod_{i=1}^I \phi(\bar{f}_i | \bar{e}_i) \ d(start_i - end_{i-1} - 1)$$

- lacktriangle phrase translation probability  $\phi$
- reordering probability d

### SOLUTION STREET STREET

#### Phrase-based models

#### Distance-Based Reordering



phrase	translates movement		distance
1	1–3	start at beginning	0
2	6	skip over 4–5	+2
3	4–5	move back over 4–6	-3
4	7	skip over 6	+1

Scoring function:  $d(x)=lpha^{|x|}$  -exponential with distance



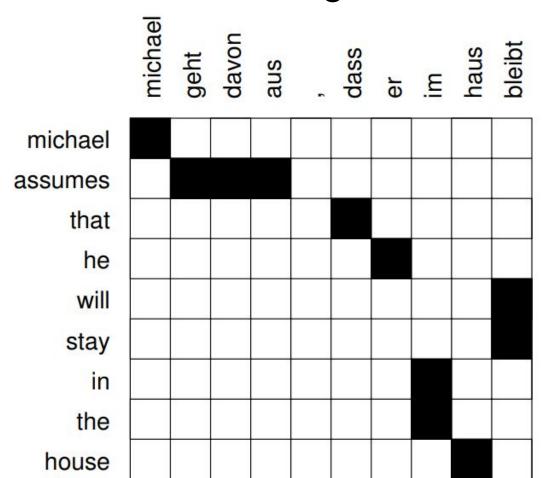
Learn a Phrase Translation Table

□ Task: learn the model from a parallel corpus

- □ Three stages:
  - word alignment: using IBM models or other method
  - extraction of phrase pairs
  - scoring phrase pairs

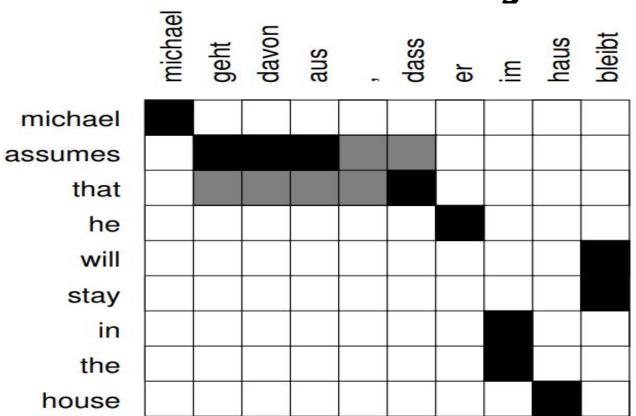


#### **Word Alignment**





#### **Extracting Phrase Pairs**



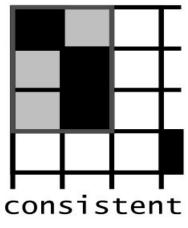
extract phrase pair consistent with word alignment:

assumes that / geht davon aus , dass

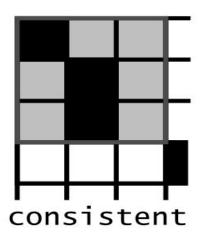


#### Consistent

#### Consistent







All words of the phrase pair have to align to each other.

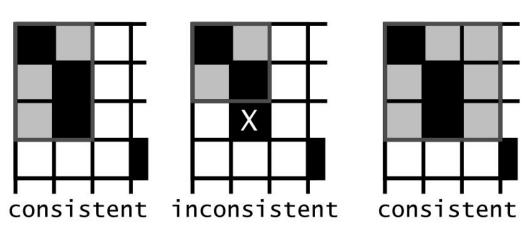
ok

violated one alignment point outside

ok unaligned word is fine



#### **Consistent**



Phrase pair  $(\bar{e}, \bar{f})$  consistent with an alignment **A**, if all words  $f_1, ..., f_n$  in  $\bar{f}$  that have alignment points in **A** have these with words  $e_1, ..., e_n$  in and vice versa:

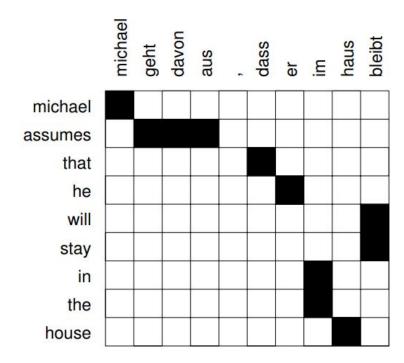
 $(\bar{e},\bar{f})$  consistent with  $A\Leftrightarrow$ 

$$\forall e_i \in \bar{e} : (e_i, f_j) \in A \to f_j \in \bar{f}$$
  
AND  $\forall f_j \in \bar{f} : (e_i, f_j) \in A \to e_i \in \bar{e}$   
AND  $\exists e_i \in \bar{e}, f_j \in \bar{f} : (e_i, f_j) \in A$ 



#### **Phrase-based models**

### Phrase Pair Extraction



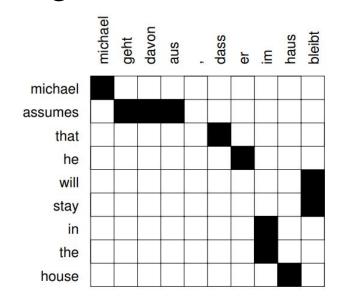
unaligned words (here: German comma) lead to multiple translations

#### **Smallest phrase pairs:**

michael — michael
assumes — geht davon aus / geht davon aus ,
that — dass / , dass
he — er
will stay — bleibt
in the — im
house — haus



#### **Larger Phrase Pairs**



michael assumes — michael geht davon aus / michael geht davon aus , assumes that — geht davon aus , dass er that he — geht davon aus , dass er that he — dass er / , dass er ; in the house — im haus michael assumes that — michael geht davon aus , dass michael assumes that he — michael geht davon aus , dass er michael assumes that he will stay in the house — michael geht davon aus , dass er im haus bleibt assumes that he will stay in the house — geht davon aus , dass er im haus bleibt that he will stay in the house — geht davon aus , dass er im haus bleibt , he will stay in the house — er im haus bleibt ; will stay in the house — im haus bleibt



#### **Phrase-based models**

- Scoring Phrase Translations
  - Phrase pair extraction: collect all phrase pairs from the data
  - Phrase pair scoring: assign probabilities to phrase translations
  - Score by relative frequency:

$$\phi(\bar{f}|\bar{e}) = \frac{\operatorname{count}(\bar{e}, f)}{\sum_{\bar{f}_i} \operatorname{count}(\bar{e}, \bar{f}_i)}$$



- Size of the Phrase Table
  - Phrase translation table typically bigger than corpus, even with limits on phrase lengths (e.g., max 7 words)
    - -> Too big to store in memory?
  - Solution for training
    - extract to disk, sort, construct for one source phrase at a time
  - Solutions for decoding
    - on-disk data structures with index for quick look-ups
    - suffix arrays to create phrase pairs on demand



**NLPA - Machine Translation** 

#### **EVALUATION**



- Automatic Evaluation Metrics
  - Goal: computer program that computes the quality of translations
  - Advantages: low cost, tunable, consistent
  - Basic strategy
    - given: machine translation output
    - ☐ given: human reference translation
    - □ task: compute similarity between them

#### **Evaluation**

#### □ Precision and Recall of Words

SYSTEM A: <u>Israeli</u> <u>officials</u> <u>responsibility</u> of <u>airport</u> <u>safety</u>

REFERENCE: Israeli officials are responsible for airport security

Precision

$$\frac{\textit{correct}}{\textit{output-length}} = \frac{3}{6} = 50\%$$

Recall

$$\frac{\mathit{correct}}{\mathit{reference-length}} = \frac{3}{7} = 43\%$$

• F-measure

$$\frac{\textit{precision} \times \textit{recall}}{(\textit{precision} + \textit{recall})/2} = \frac{.5 \times .43}{(.5 + .43)/2} = 46\%$$



#### Precision and Recall

SYSTEM A: <u>Israeli officials responsibility of airport safety</u>

REFERENCE: Israeli officials are responsible for airport security

SYSTEM B: <u>airport security Israeli officials are responsible</u>

Metric	System A	System B
precision	50%	100%
recall	43%	100%
f-measure	46%	100%

flaw: no penalty for reordering

#### **Evaluation**

#### Word Error Rate:

- Minimum number of editing steps to transform output to reference
  - match: words match, no cost
  - substitution: replace one word with another
  - □ insertion: add word
  - deletion: drop word
- Levenshtein distance

$$_{\mathrm{WER}} = \frac{substitutions + insertions + deletions}{reference-length}$$



#### **□** Word Error Rate:

#### **Example**

		Israeli	officials	responsibility	of	airport	safety			airport	security	Israeli	officials	are	responsible
	0	1	2	3	4	5	6		0	1	2	3	4	5	6
Israeli	7	0	1	2	3	4	5	Israeli	1	1	2	2	3	4	5
officials	2	1	0	1	2	3	4	officials	2	2	2	3	2	3	4
are	3	2	1	1	2	3	4	are	3	3	3	3	3	2	3
responsible	4	3	2	2	2	3	4	responsible	4	4	4	4	4	3	2
for	5	4	3	3	3	3	4	for	5	5	5	5	5	4	3
airport	6	5	4	4	4	3	4	airport	6	5	6	6	6	5	4
security	7	6	5	5	5	4	4	security	7	6	5	6	7	6	5

Metric	System A	System B
word error rate (WER)	57%	71%



- BLEU (Bilingual Language Evaluation Understudy):
  - N-gram overlap between machine translation output and reference translation
  - Compute precision for n-grams of size 1 to 4
  - Add brevity penalty (for too short translations)

$$\text{BLEU} = \min\left(1, \frac{\textit{output-length}}{\textit{reference-length}}\right) \ \left(\prod_{i=1}^{4} \textit{precision}_i\right)^{\frac{1}{4}}$$

Typically computed over the entire corpus, not single sentences

# SNOOR TP. HO CHIMINH TP. HO CHIMINH

## Evaluation BLEU:

#### **Example**

SYSTEM A: Israeli officials responsibility of airport safety
2-GRAM MATCH
1-GRAM MATCH

REFERENCE: Israeli officials are responsible for airport security

SYSTEM B: airport security Israeli officials are responsible 2-GRAM MATCH 4-GRAM MATCH

Metric	System A	System B
precision (1gram)	3/6	6/6
precision (2gram)	1/5	4/5
precision (3gram)	0/4	2/4
precision (4gram)	0/3	1/3
brevity penalty	6/7	6/7
BLEU	0%	52%



#### Multiple Reference Translations

- To account for variability, use multiple reference translations
  - n-grams may match in any of the references
  - closest reference length used
  - Example

SYSTEM:

REFERENCES:

Israeli officials

responsibility of

irport safety

Israeli officials are responsible for airport security

Israel is in charge of the security at this airport

The security work for this <u>airport</u> is the <u>responsibility of</u> the Israel government

<u>Israeli</u> side was in charge <u>of</u> the security of this <u>airport</u>

#### **Evaluation**

- METEOR: flexible matching
  - Partial credit for matching stems

SYSTEM Jim went home

REFERENCE Joe goes home

Partial credit for matching synonyms

SYSTEM Jim walks home

REFERENCE Joe goes home

Use of paraphrases



- Critique of Automatic Metrics
  - Ignore relevance of words
     (names and core concepts more important than determiners and punctuation)
  - Operate on local level
     (do not consider overall grammaticality of the sentence or sentence meaning)
  - Scores are meaningless (scores very test-set specific, absolute value not informative)
  - Human translators score low on BLEU
     (possibly because of higher variability, different word choices)

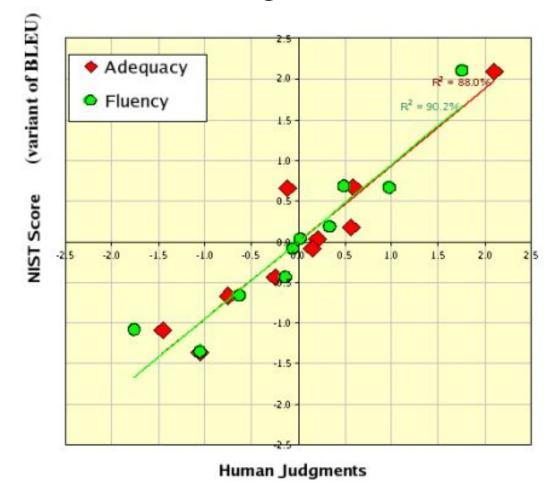


#### Evaluation of Evaluation Metrics

- Automatic metrics are low cost, tunable, consistent
- But are they correct?
  - -> Yes, if they correlate with human judgement



#### Correlation with Human Judgement



# OC KHOA HOC TU NHIEN

### fit@hcmus

#### **Evaluation**

- Pearson's Correlation Coefficient
  - □ Two variables: automatic score x, human judgment y
  - lacksquare Multiple systems :  $(x_1,y_1)$ ,  $(x_2,y_2)$ , ...
  - $\Box$  Pearson's correlation coefficient  $r_{xy}$

$$r_{xy} = \frac{\sum_{i} (x_i - \bar{x})(y_i - \bar{y})}{(n-1) s_x s_y}$$

□ Note:

$$\text{mean } \bar{x} = \frac{1}{n} \sum_{i=1}^{n} x_i$$

variance 
$$s_x^2 = \frac{1}{n-1} \sum_{i=1}^{n} (x_i - \bar{x})^2$$



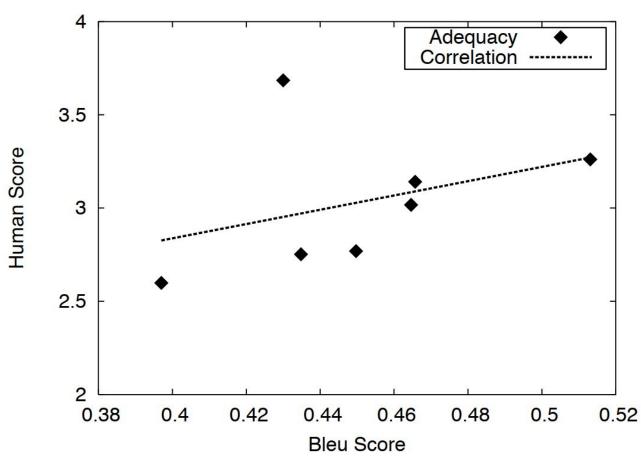
- Metric Research
  - Active development of new metrics
    - syntactic similarity
    - semantic equivalence or entailment
    - metrics targeted at reordering
    - □ trainable metrics
    - etc.
  - Evaluation campaigns that rank metrics

(using Pearson's correlation coefficient)



#### Evidence of Shortcomings of Automatic Metrics

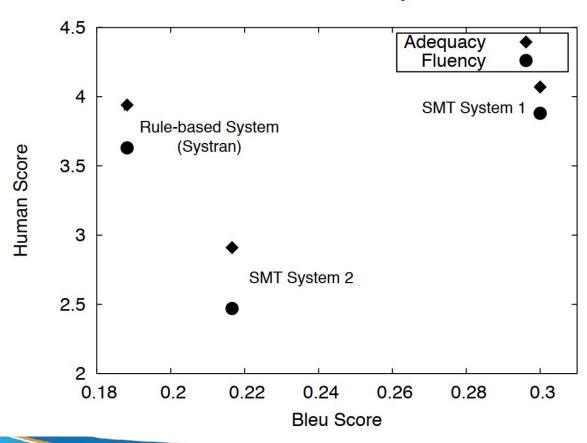
Post-edited output vs. statistical systems (NIST 2005)





#### Evidence of Shortcomings of Automatic Metrics

Rule-based vs. statistical systems





#### Automatic Metrics: Conclusions

- Automatic metrics essential tool for system development
- Not fully suited to rank systems of different types
- Evaluation metrics still open challenge