

Week_3_exercise

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1 Week 2: Feature Attribution: Shapley Value and SHAP

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Based on: <https://github.com/marcotcr/lime>

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3 Exercise 1: Shapley value calculation (3 Points + 1 bonus point)

Description: In this exercise, we will practice calculating Shapley values using Python.

Goal: The goal of this exercise is to gain a deep understanding of Shapley Value calculation and learn how to implement it.

Task: Implement question 1 from the Theoretical Exercise in the exercise sheet to verify your calculation results.

Note: - Your results, interpretation, and comments on the results are more important for evaluating the exercises than your code. - The bonus point is an extra point.

Exercise 1.1: Grade function (1 Point) The *grade* function should take a group of students as input and return the grade for this group.

Input: a group of students

Output: The grade for the group of students.

For example: *grade([A, B, C])* should return 10.

Task: Implement the *grade* function with the description below

```
[157]: #Implement the function grade with the description below
def grade(students):
    """
    Calculate the grade for a group of collaborated students.

    Args:
```

```

    students (list): A list of student names who collaborated on the
    ↪assignment.

    Returns:
        int: The calculated grade for the group.

    The function takes a list of student names who collaborated on a project
    ↪and calculates
    the group's grade based on their performance and contributions.
    """

```

Task: Print the grades for all 8 possible groups of students. They should correspond to the exercise's description.

```
[ ]: #Your code
```

Exercise 1.2: Implement the Shapley value calculation (2 Points) The `calculate_shapley` function should take the `grade` function and a student (e.g "A") as inputs and return the Shapley value for this student with respect to the `grade` function.

Input: - `func`: The grade function used for calculating the Shapley value.
 - `Student`: The student for whom the Shapley value needs to be calculated.

Output: Shapley value of the student.

For example: `calculate_shapley(grade, "A") = V` where `V` is the Shapley value of student "A" with respect to the provided `func` grade function.

Task: Implement the function `calculate_shapley` with the description below

```

[158]: #Implement the function with the description below
def calculate_shapley(func=grade, student="A"):
    """
    Calculate the Shapley value of a student using a given grade function.

    Args:
        func (function): The grade function that returns the grade for a group
        ↪of students.
        student (str): The student for whom the Shapley value is to be
        ↪calculated (e.g., "A", "B", or "C").

    Returns:
        float: The Shapley value of the specified student.

    This function takes a grade function and a student as inputs and calculates
    ↪the Shapley value
    for the given student based on the provided grade function.
    """

```

Task: Use the implemented `calculate_shapley` function to calculate the Shapley value for each student (A, B, C) and print the results.

```
[ ]: #Your code
```

Task: Compare the results from the `calculate_shapley` function with your manual calculations in Theoretical Exercise Question 1. The results should match; if they do not, please review your calculations/implementations.

3.0.1 Exercise 1.2 (1 bonus point)

Each student represents a feature, and the function represents a model. Extend the `calculate_shapley` function to take a (sklearn) machine learning model trained on a dataset, a feature, and a dataset as inputs, and calculate the Shapley value for the specified feature.

```
[ ]: #your own implementation
def calculate_shapley_extended(model, dataset, feature):
    """
    Calculate the Shapley value of a feature given a model trained on a dataset.

    Args:
        model: A sklearn machine learning model.
        dataset: The dataset on which the model was trained.
        feature (str): The feature in the dataset for which the Shapley value
        is to be calculated.

    Returns:
        float: The Shapley value of the specified feature.
    """
```

4 Exercise 2: SHAP (3 Points)

Description: In this exercise, we will practice using the SHAP library.

Goal: To get familiar with SHAP library and Kernel SHAP

Task: Use SHAP to explain a model's prediction.

Note: Your results, interpretation, and comments on the results are more important for evaluating the exercises than your code.

Install SHAP by executing the command below:

```
[ ]: # Run the command below once:
!pip install shap
```

The code below trains a random forest model on the Diabetes dataset:

```
[127]: from sklearn.ensemble import RandomForestClassifier
import pandas as pd
from sklearn.model_selection import train_test_split
df = pd.read_csv("dataset/diabetes.csv")
X = df.drop('Outcome', axis=1)
```

```

y = df['Outcome']
#Split data into train/test sets
X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.2,
↳random_state=42)
#Train a RF model
clf = RandomForestClassifier(max_depth=3, random_state=0)
clf = clf.fit(X_train, y_train)

```

Predict an instance, e.g. instance 12th.

```

[169]: instance_id = 12
print(f"the label is {clf.predict([X_test.iloc[instance_id]]).item()}")

```

the label is 0

Exercise 2.1 (2 Points) Why does the model give that prediction? We can use Kernel SHAP in the SHAP library to explain it.

Task: Given the trained random forest classifier *clf*, explain the prediction of the model for the 12th instance in *X_test* using Kernel SHAP in the SHAP library.

Note: You can use the `force_plot` function to visualize the SHAP values, and you should provide your interpretation of the plot.

```

[ ]: # Your implementation

```

Exercise 2.2 (1 Point) SHAP claims to have three desirable properties. One of them is local accuracy $f(x) \approx g(x')$

Task: Verify the local accuracy property of this explanation. In other words, calculate the $f(x)$ and $g(x')$ and compare them.

```

[ ]: # Your implementation

```