## 2019statcacul

## HolaTeo

install.packages("foreach") install.packages("tidyverse") #Q1 ##  $coin \leftarrow function(prob=0.3, bet=1, Pe = 6, Pa = 4){$ rec <- tibble(a = Pe, b = Pa) while(all(rec>0)){ u <- runif(1) Pe <- ifelse(u<prob, Pe+bet,Pe-bet) Pa <- ifelse(u>=prob, Pa+bet,Pa-bet) rec <- rec %>% bind\_rows(c(a=Pe, b=Pa)) if(Pe==0 | Pa==0) break() } rec %>% mutate(idx = 1:n()) %>% select(a, b) %>% summarise(Gamesu=n(), who\_win=ifelse(last(a)==0, "Paul Win!", "Peter Win!"), PeterMoney=mean(a)) } (resault <- coin(prob=0.3, bet=1, Pe=6, Pa=4)) ## # A tibble: 1 x 3 ## Gamesu who\_win PeterMoney ## <int> <chr> <dbl> ## 1 11 Paul Win! 3.73 0.1 rep <- foreach(i=1:1000, .combine = bind\_rows) %do% { coin() } %>% summarise(Peter\_Win\_Prob=mean(who\_win=="Peter Win!"),Game\_Time=mean(Gamesu),Peter\_Money\_Mean=mean(Pet (resault2 <- rep) ## # A tibble: 1 x 3 Peter\_Win\_Prob Game\_Time Peter\_Money\_Mean ## <dbl> <dbl> <dbl> ## 1 0.028 15.1 3.73 #02 project 6.B correlation: pearson corr & spearman HO: rho=0 이 참일 때 rho.hat들의 분포를 찾음  $Corr(X_1, ..., X_n, sample(c(Y_1, ..., Y_n)))$ library(mvtnorm) n<-20 m<-1000 rho0 <-0 rho <-c(seq(-1,1,length=40)) #alternative M <- length(rho) power1 <- power2 <- power3 <- $\verb|rhotest| <-cor.test(samp[,1], samp[,2], method = \verb|rhotest| p.value| <-cor.test(samp[,1], samp[,2], method = samp[,2],$ kendal, rhotestp.value)

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plot(rho, power1, type="l") lines(rho, power2, lty=1) lines(rho, power3, lty=2)
#Q3
0.2
m<-10000
mc <- function(m){</pre>
x <-rcauchy(m)
fg <- as.numeric(x>2)
a1 <- mean(fg)
return(a1)
}
mc(m)
## [1] 0.1547
##important sampling
mc.impo1 <- function(m){</pre>
x < -2/runif(m)
fg <- 1/(2*(pi*(1+1/x^2)))
b1 <- mean(fg)
return(b1)
}
mc.impo1(m)
## [1] 0.1475518
0.2.1 important sampling2
mc.impo2 <- function(m){</pre>
x < -runif(m, 0, 0.5)
fg \leftarrow dcauchy(x)/2
b2<-mean(fg)
return(b2)
}
mc.impo2(m)
## [1] 0.1476843
##hit or miss
mc.hit <- function(m){</pre>
x \leftarrow runif(m, 0, 2)
y <- runif(m, min=0, max=dcauchy(0))
est <-1/2 - sum(as.numeric(y<=dcauchy(x)))/m*(2*dcauchy(0)) #2*decauchy(0)
                                                                                           ,sum(as.numeric(y<=dcaud
est
}
mc.hit(m)
## [1] 0.1461031
##control var
mccontrol <- function(m){</pre>
x <- runif(m, 0,0.5)
g \leftarrow dcauchy(x)/2
```

```
f1 <- x<sup>2</sup>
f2 <- x^4
muf1 <- 1/12
muf2 < - 1/80
L \leftarrow lm(g~f1+f2)
\#est <- mean(g) - L$coeff[2]*(mean(f1)-muf2) - L$coeff[3]*(mean(f2)-muf2)
est2 <- sum(lm(g - f1+f2)$coeff*c(1, muf1, muf2))
est2
}
mccontrol(m)
## [1] 0.1475834
##var 비교
set.seed(1)
rep11 <- foreach(i=1:100, .combine = bind_rows) %do%</pre>
                  tibble(MC1=mc(m),
                 MC21=mc.impo1(m),
                 MC22=mc.impo2(m),
                 MC3=mc.hit(m),
                 MC4=mccontrol(m))
} %>%
  summarise(base_vs_impo1=sd(MC1)^2/sd(MC21)^2,
            base_vs_impo2=sd(MC1)^2/sd(MC22)^2,
            base_vs_hit=sd(MC1)^2/sd(MC3)^2,
            base_vs_conval=sd(MC1)^2/sd(MC4)^2)
(resault4 <- rep11)</pre>
## # A tibble: 1 x 4
## base_vs_impo1 base_vs_impo2 base_vs_hit base_vs_conval
##
             <dbl>
                            <dbl>
                                         <dbl>
                                                         <dbl>
## 1
             1011.
                            1117.
                                         0.889
                                                   122286432.
```