

# 186.835 VU

# Mathematical Programming

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# Overview

Focus on theory and practical aspects of

## Mixed Integer Linear Programming (MIP)

You should have:

- ▶ **interest** in optimization
- ▶ basic knowledge of (integer) linear programming (“Algorithmics”)
- ▶ programming skills in C++ or Java or whatever
- ▶ basic knowledge of graph theory and linear algebra

# Aim of Course

- ▶ Have a broader knowledge in the area of mathematical optimization
- ▶ Be able to model both academic and real world problems as MIPs
- ▶ Be able to theoretically analyze and compare different mathematical programming formulations for a problem
- ▶ Have knowledge on common methodology for solving MIPs
- ▶ Be able to develop solution algorithms using MIP frameworks
- ▶ Be aware of certain generalizations / extensions

# Organization and Modalities

- ▶ **Important: Please register via TISS!** (until end of March)
- ▶ All course information is available in **TUWEL**
- ▶ **Slide-based video lectures, Q&A live sessions**
- ▶ **Homework exercises** (max. 20 points):
  - ▶ prepare exercises at home ( $\approx 12$  in total)
  - ▶ upload solutions in TUWEL
  - ▶ get individual feedback from us
  - ▶ teamwork is ok ( $\leq 2$ ), but let us know (in your document)
  - ▶ ok to use references (e.g., articles, books) but cite them!
- ▶ **Programming exercises** (max. 40 points)  $\rightarrow$  discussed in separate slides/video
- ▶ **Written online exam** (max. 40 points)
- ▶ Grading and requirements for positive grade:
  - ▶  $\geq 30$  **points for homework and programming exercises**
  - ▶  $\geq 20$  **points in written exam**
  - ▶ 0-49: **5**, 50-62: **4**, 63-75: **3**, 76-88: **2**, 89-100: **1**

# Literature

Most parts of this course follow

- ▶ L. A. Wolsey, *Integer Programming*, Wiley, 1998
- ▶ M. Jünger et al., editors, *50 Years of Integer Programming 1958-2008*, Springer, 2010.

Further literature:

- ▶ T. L. Magnanti and L. A. Wolsey, *Optimal Trees*, In M. O. Ball et al., editors, *Network Models*, Handbooks in Operations Research and Management Science, Vol. 7, Elsevier, 1995
- ▶ D. Bertsimas and R. Weismantel, *Optimization over Integers*, Dynamic Ideas, 2005
- ▶ G. Nemhauser and L. A. Wolsey, *Integer and Combinatorial Optimization*, Wiley, 1999.
- ▶ A. Schrijver, *Theory of Linear and Integer Programming*, Wiley, 1986.
- ▶ W. J. Cook, *In Pursuit of the Traveling Salesman: Mathematics at the Limits of Computation*, Princeton University Press, 2011

## Further useful resources

- ▶ Mathematical Optimization Society, <http://mathopt.org>
- ▶ INFORMS Computing Society, Mathematical Programming Glossary, <http://glossary.computing.society.informs.org>
- ▶ NEOS Wiki, <http://www.neos-guide.org>