## Chapter Five

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#### Exercise One

#### Question

Consider the single response variable Y with  $Y \sim \text{Bin}(n, \pi)$ .

#### Solution

- (a): Find the Wald statistic  $(\hat{\pi} \pi)^T (\hat{\pi} \pi)$ , where  $\hat{p}i$  is the maximum likelihood estimator of  $\pi$  and  $\mathcal{J}$  is the information.
- (b): Verify that the Wald statistic is the same as the score statistic  $U^T \mathcal{J}^{-1}U$  in this case (see Example 5.22).
- (c): Find the deviance

$$2[l(\hat{\pi}; y) - l(\pi; y)].$$

- (d): For large samples, both the Wald/score statistic and the deviance approximately have the  $\chi^2(1)$  distribution. For n = 10 and y = 3, use both statistics to assess the adequacy of the models:
  - (1)  $\pi = 0.1$ ;
  - (2)  $\pi = 0.3$ ;
  - (3)  $\pi = 0.5$ .

Do the two statistics lead to the same conclusions?

### Exercise Two

Question

Solution

**Exercise Four** 

Question

Solution