

# Predicting Stellar Masses of Low Mass Satellites from DMO Simulations

Honey Htun

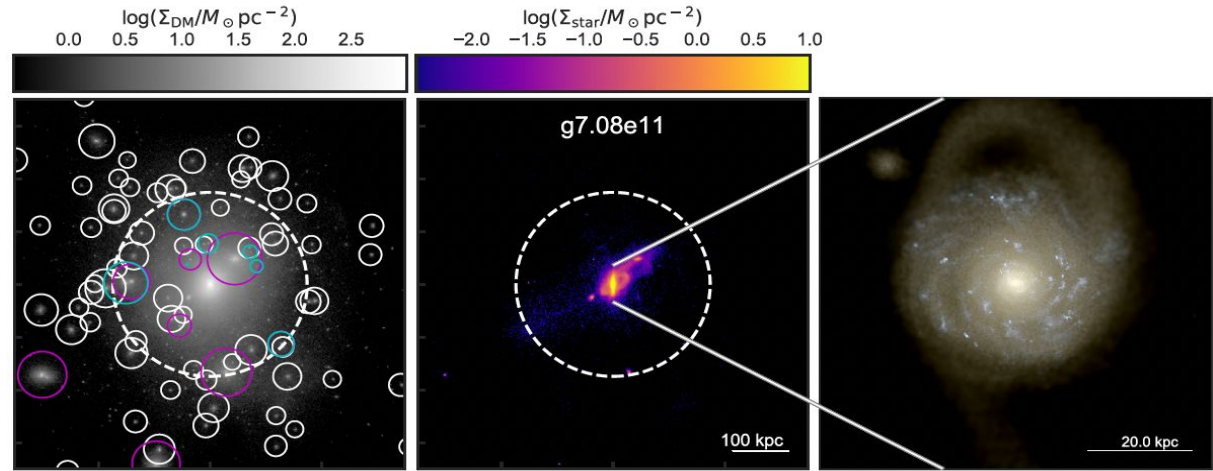
---

# Numerical Galaxy Simulations

- N-body simulations containing different particles representing gas, stars, and matter interact and evolve
  - Observing their evolution over time till  $t = 13.6$  Gyr using supercomputers
  - NIHAO (Numerical Investigations of hundred Astronomical Objects) - UHD simulations
-

# NIHAO - UHD simulations

- Ultra High Definition ( $N_{\text{part}} > 10^7$ )
- For potential small scale structures
- Low-mass Satellites



*Buck et al. (2018)*

# Background

## Hydrodynamical UHD Simulations

- Evolution of Baryonic matter and dark matter
- More complex due to the feedback from various Baryonic processes
- Takes about four months to run

## Dark Matter Only UHD Simulations

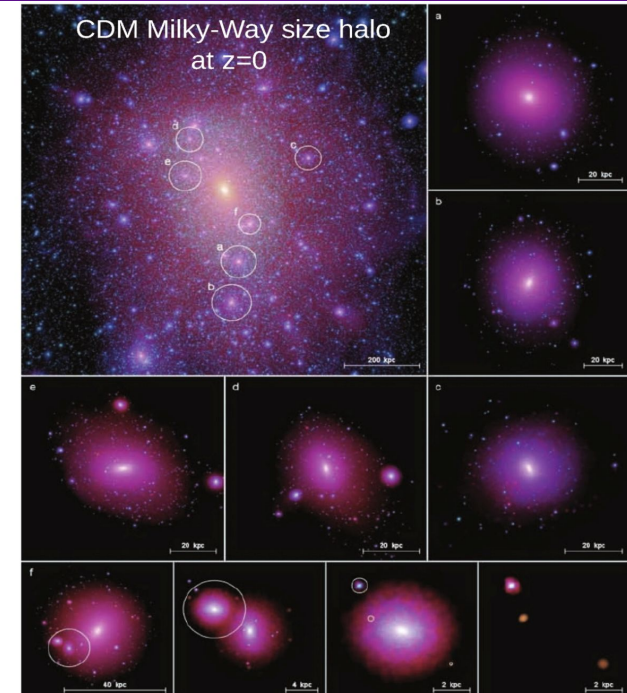
- Evolution of only dark matter and thus only considers gravity
- Less complex and takes only a few days to run
- But don't produce stars to compare with observations

**A Tool to assign stellar populations to halos in DMO simulations**

**Stellar mass prediction tool for satellites  
which don't follow the traditional stellar  
mass relation**

**Subhalos gravitationally bound to the  
central galaxy, like the Milky way**

**3 Training Galaxies and 3 Testing Galaxies**



**To quickly and efficiently test different Dark Matter models  
using the DMO simulations**

**DMO  
Simulations  
output**

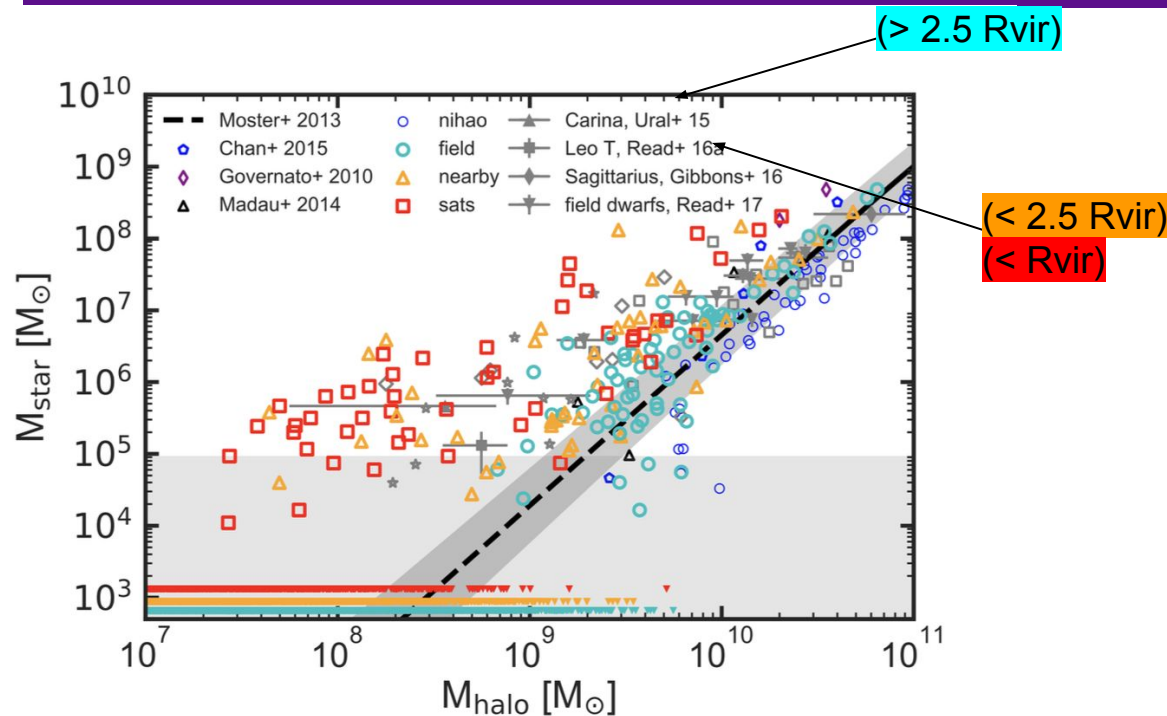


**Tool to assign stellar  
mass to Dark Matter  
Satellites**



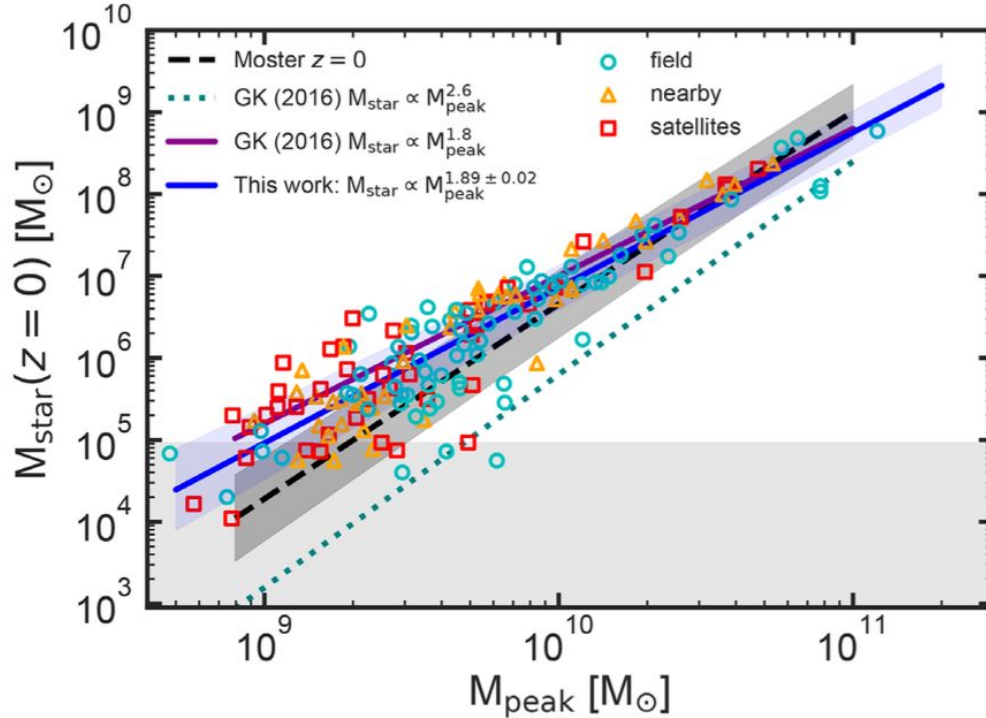
**A portion of  
Hydrodynamical  
Simulations  
Output**

# Existing Stellar Mass relation



- Nearby Satellites indicating evidence for total mass loss but retaining stellar mass
- Ram Pressure Stripping
- Total Halo Mass at  $z = 0$  not sufficient to predict Stellar Mass

→ The maximum Halo Mass ( $M_{\text{peak}}$ ) the Satellite has obtained throughout its time



- Stellar mass today vs. Maximum Total Mass ever reached for nearby galaxies and Satellites
- In this project we used Maximum circular velocity throughout time by tracking the evolution of  $V_{\text{circ}}$  using Merger Trees

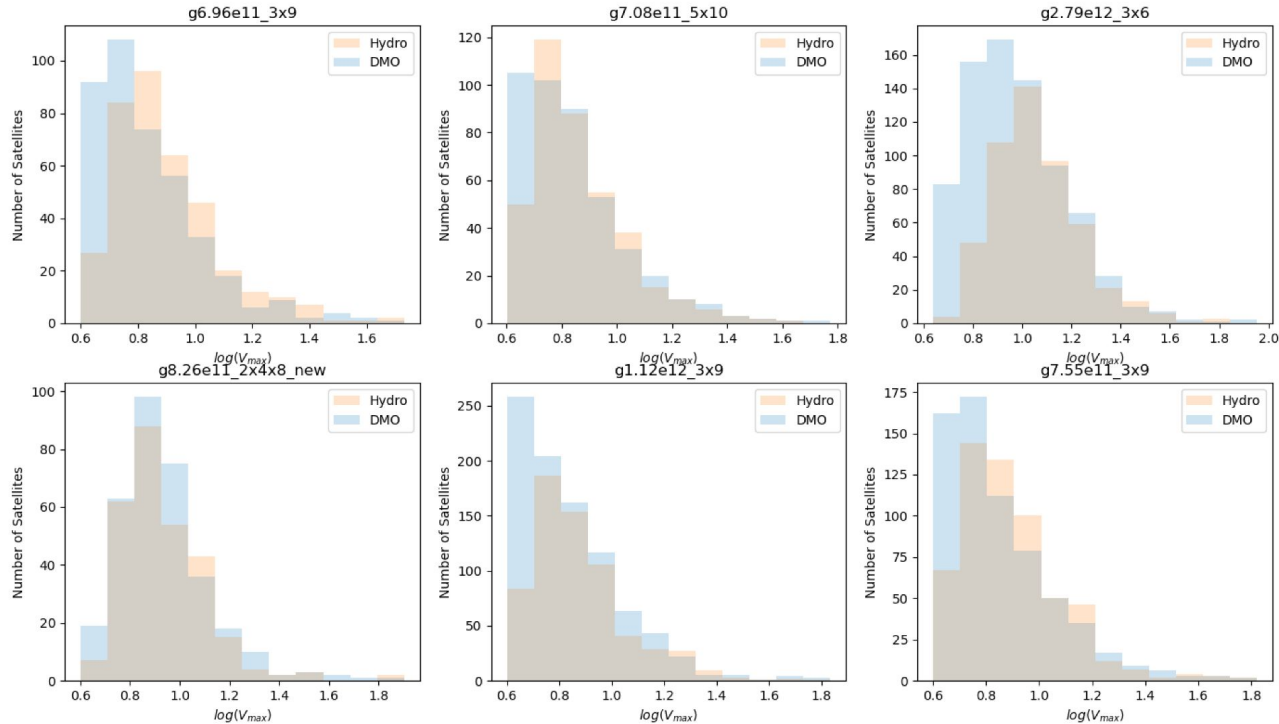
$$V_{\text{max}} = \sqrt{\frac{GM_{\text{peak}}}{R}}$$



# The Prediction Tool

- Adjusting the differences in the number of satellites in DMO and Hydro simulations
- A Probability distribution to determine whether the Halo is Luminous or not
- Obtaining the Stellar Mass at Redshift 0 via Maximum Circular Velocity of Satellites over time
- Satellites within  $1.5 \cdot R_{\text{vir}}$  from the host Galaxy

# Differences in the Number of Satellites between the two simulations



# The effect of the Stellar Disk present in the Hydro Simulations

- Smaller halos are more likely to be destroyed by the Stellar Disk
- Larger Halos are expected to survive the effect of Stellar Disk

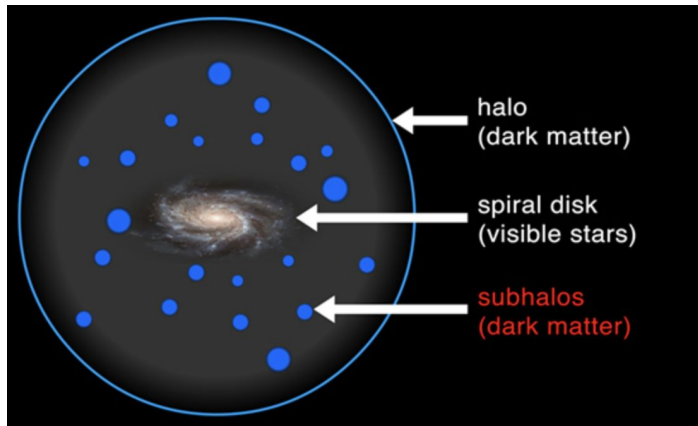
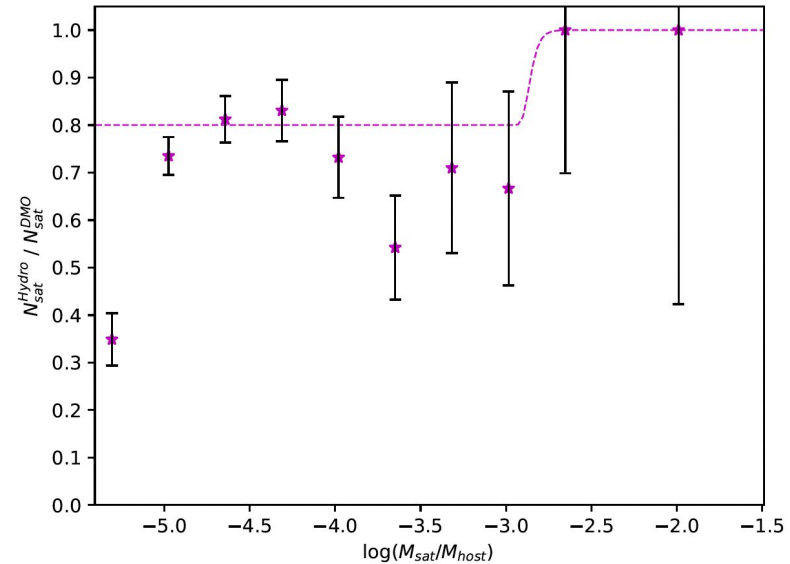


Image source: <https://kids.frontiersin.org/>

Data obtained from 3 UHD galaxies

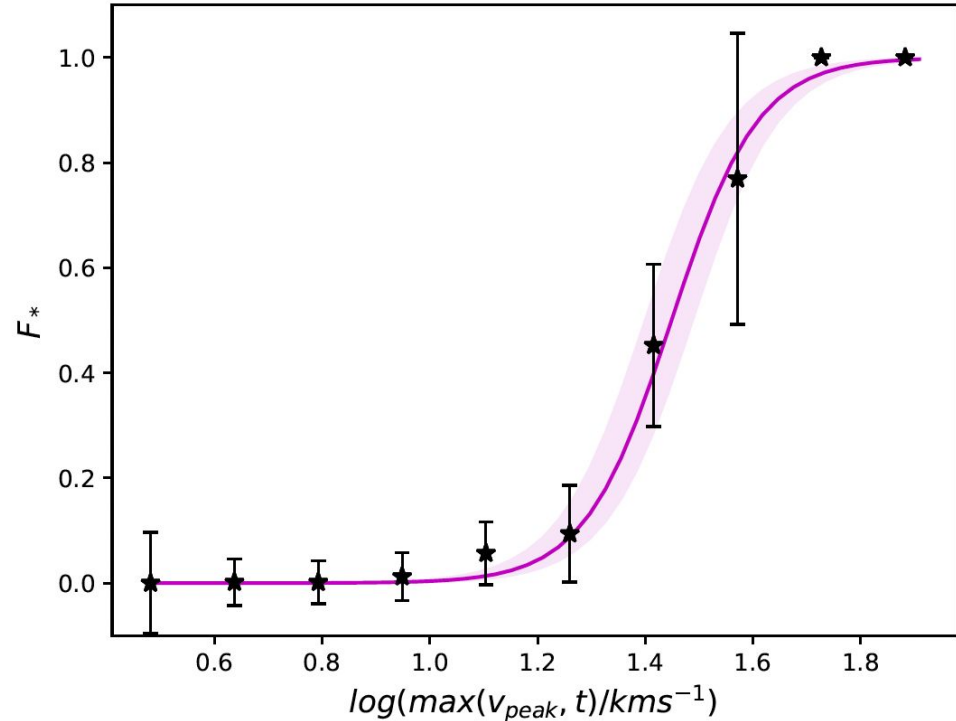


$$N_{hydro}/N_{dmo} = \begin{cases} 0.75, & \min < \log(M_{sat}/M_{host}) < -3 \\ 1, & -3 > \log(M_{sat}/M_{host}) < \max \end{cases}$$

# Dark Fraction

- Probability of a satellite to be luminous inferred based on their Max Circular Velocity
- Approaches 0 for smaller Halos and goes to 1 for larger Halos.

$$F_* = \frac{1}{(1 + e^{-A*(\log V_{max} - V_0)})}$$
$$A = 12.89^{+0.05}_{-0.06}$$
$$V_0 = 1.34^{+0.05}_{-0.05}$$



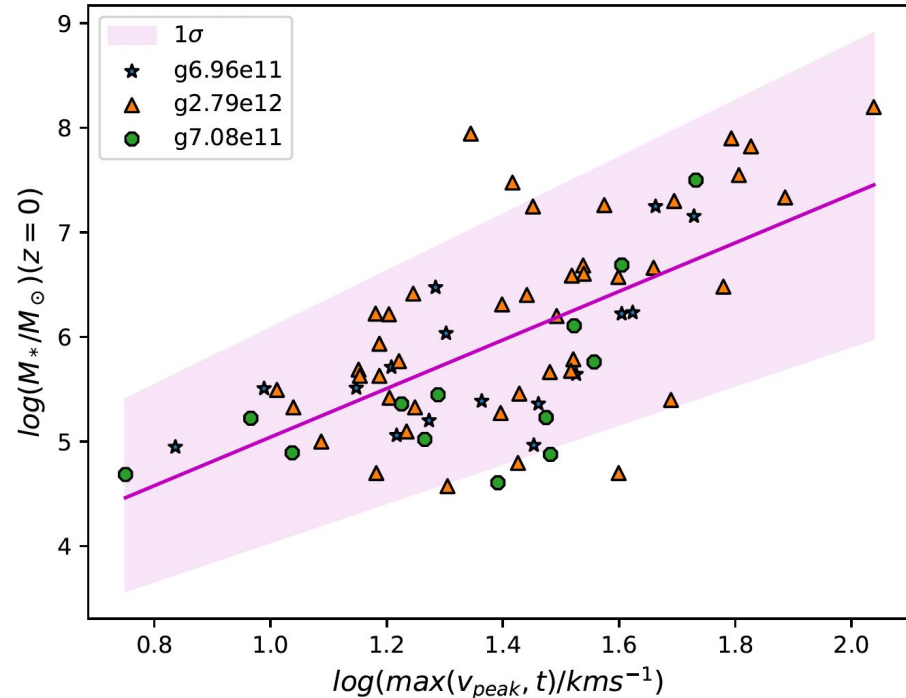
# Stellar Mass Matching Relation

- Assigning Stellar Mass of the luminous satellites at  $z = 0$  using their Maximum circular velocity throughout time
- Relation between the Stellar Mass at  $z = 0$  and  $V_{\max}$  throughout time

$$\log M_{\text{star}} = A * \log V_{\text{max}} + B$$

$$A = 2.33^{+0.38}_{-0.43}$$

$$B = 2.70^{+0.61}_{-0.38}$$



## DMO

Input :

- Maximum Circular velocity throughout time
- Mass of Each satellite at  $z = 0$
- Mass of Host at  $z = 0$

Prediction Tool



## Hydro

Output (predictions):

- Number of Luminous Halos
- Stellar masses of luminous Halos
- Radial Distribution

Two probabilities :

Hydro/DMO satellites  
number ratio:

$$N_{hydro}/N_{dmo} = \begin{cases} 0.75, & min < \log(M_{sat}/M_{host}) < -3 \\ 1, & -3 > \log(M_{sat}/M_{host}) < max \end{cases}$$

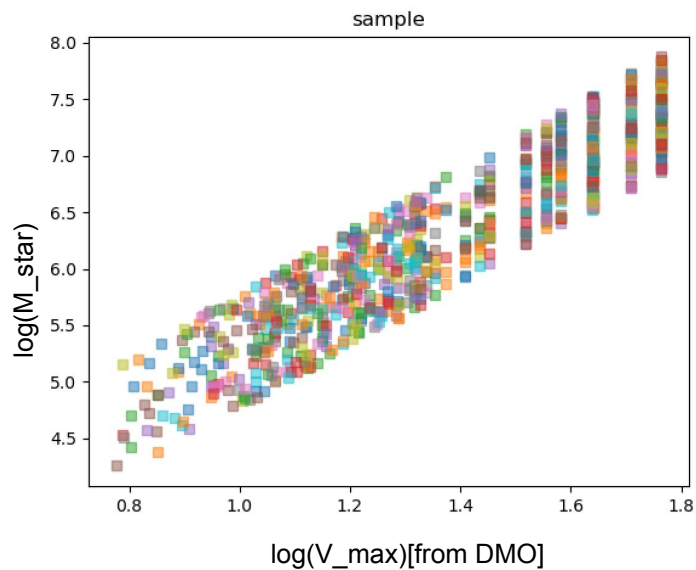


```
[0 1 0 1 1 0 1 0 1 1 1 1 1 1 1 1 0 1 0 1 1 1 0 0 1 0 1 1 1 1 1 1 0 1 1 1
 1 0 1 1 0 0 1 1 1 1 1 1 1 1 1 1 1 1 0 1 1 1 1 0 0 1 0 1 1 1 1 1 1 1 1 1
 1 0 1 1 1 1 0 1 1 1 1 1 1 1 0 0 1 1 1 1 1 1 1 1 1 1]
```

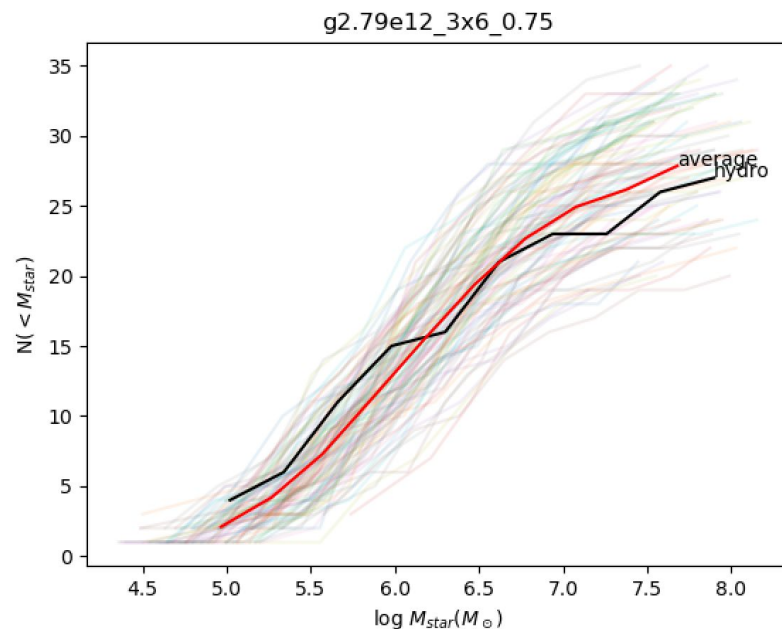
# Assigning $M_{\text{star}}$

$$\log M_{\text{star}} = 2.58 * \log V_{\text{max}} + 2.47$$

+ One sigma Confidence interval  $([-0.58, +0.58])$



## Cumulative Stellar Mass function





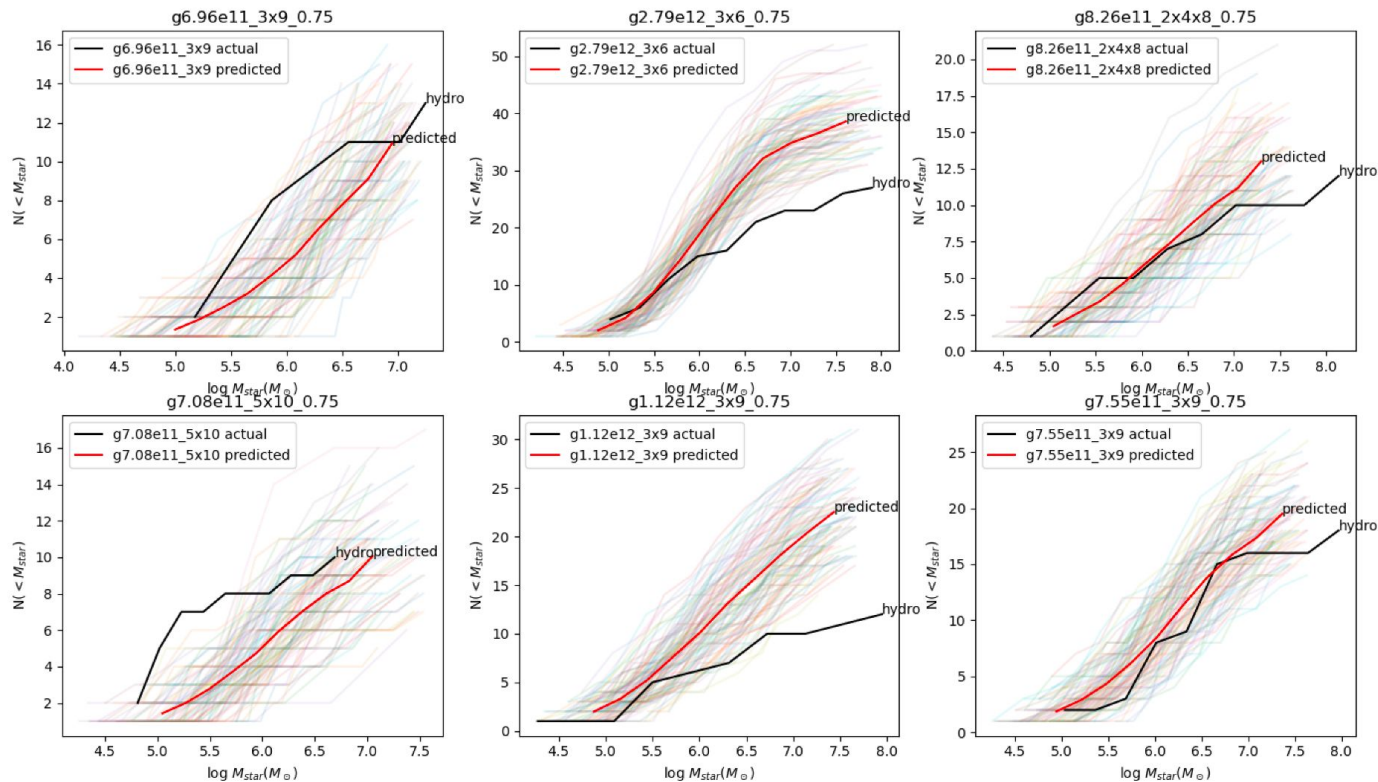
# Satellite Stellar Mass Function

Training Galaxies

: →

Testing

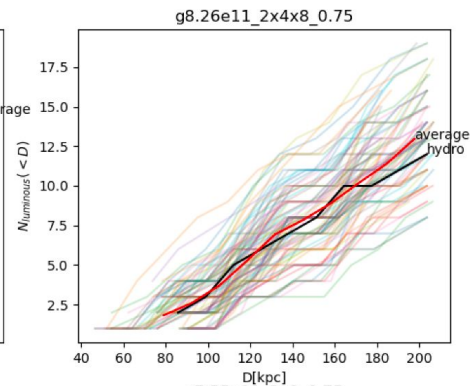
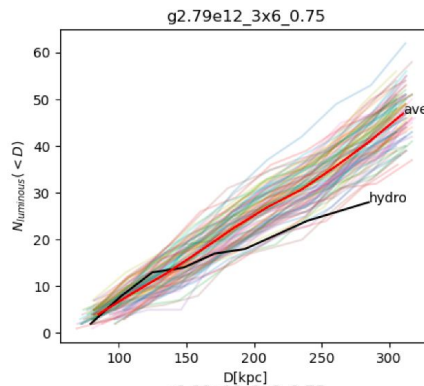
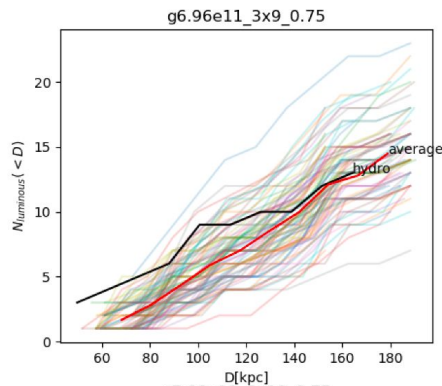
Galaxies : →



# Radial Distribution (DMO $V_{\max}$ as input)

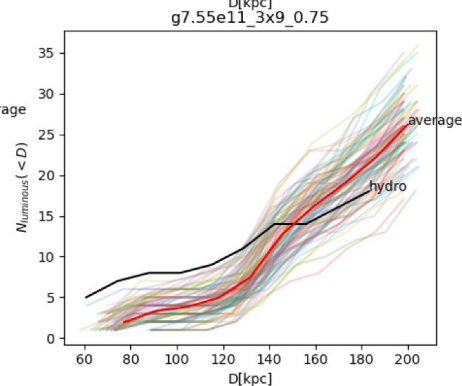
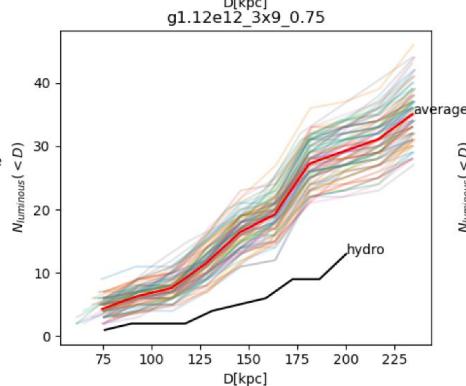
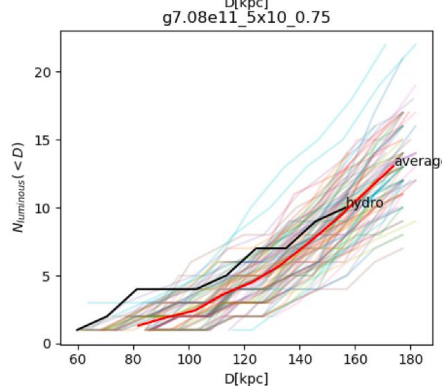
Training Galaxies

: →

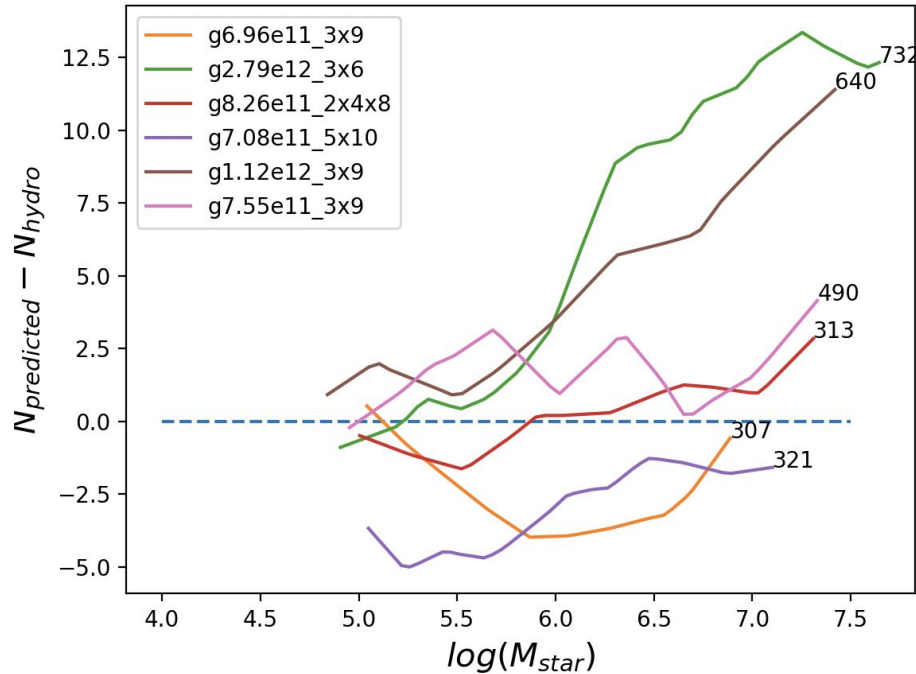


Testing

Galaxies : →



# The Bias in predictions



Number of  
satellites  
within  
 $1.5 \cdot R_{\text{vir}}$

$$F_* = \frac{1}{(1 + e^{-A * (\log V_{max} - V_0)})}$$

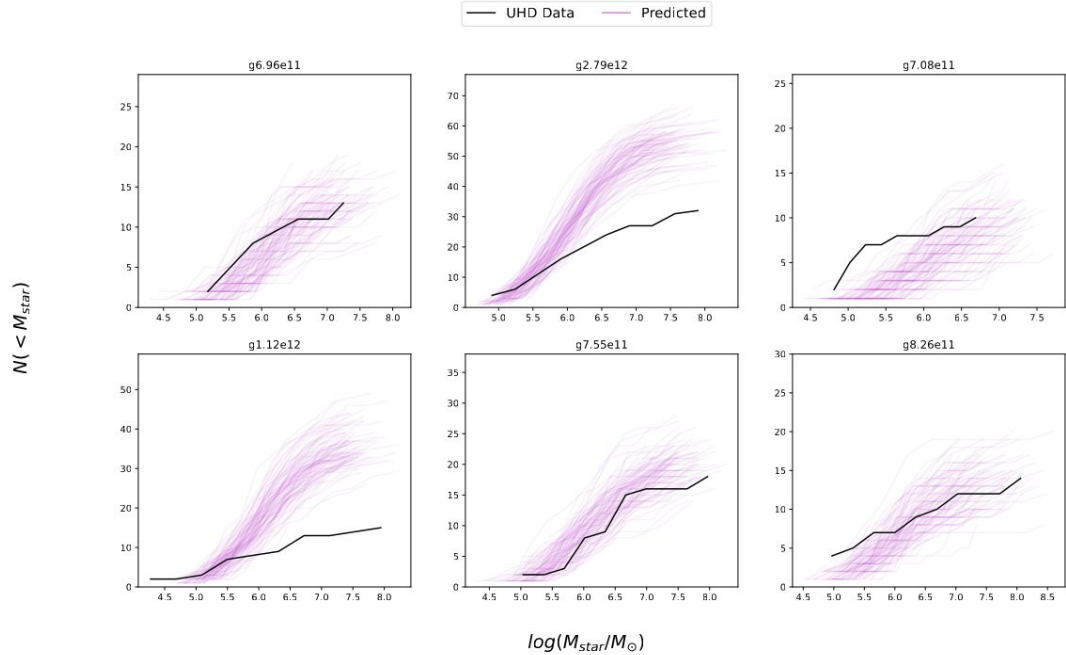
$$A = 12.89^{+0.05}_{-0.06}$$

$$V_0 = 1.34^{+0.05}_{-0.05}$$

$$N_{hydro}/N_{dmo} = \begin{cases} 0.75, & \min < \log(M_{sat}/M_{host}) < -3 \\ 1, & -3 > \log(M_{sat}/M_{host}) < \max \end{cases}$$

$$\log M_{star} = 2.58 * \log V_{max} + 2.47$$

- Overestimations for 2.79e12 & 1.12e12



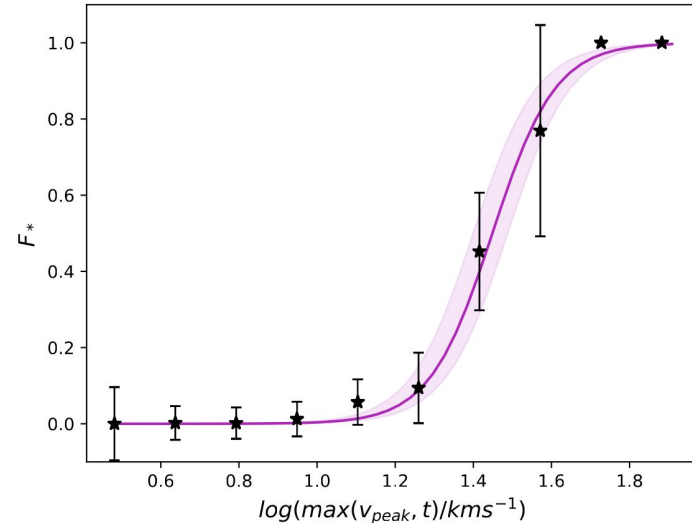
# Fixing the bias

Culprit:

Dark Fraction with two  
parameters

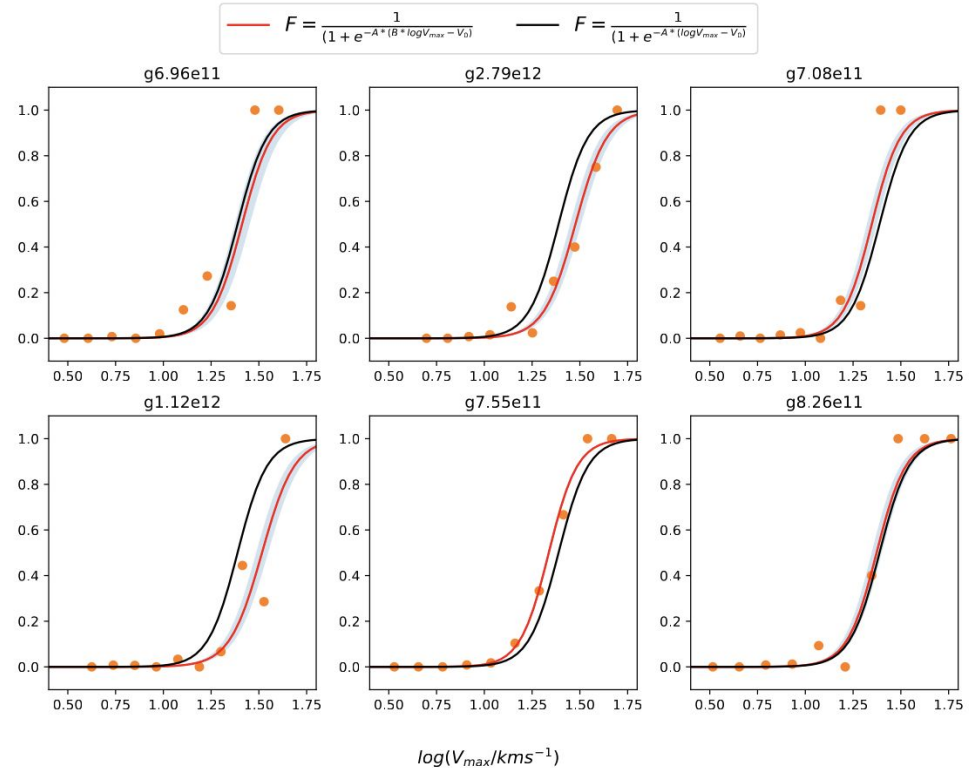
## 1.2 Dark Fraction

$$F_* = \frac{1}{(1 + e^{-A*(\log V_{max} - V_0)})}$$
$$A = 12.89^{+0.05}_{-0.06}$$
$$V_0 = 1.34^{+0.05}_{-0.05}$$

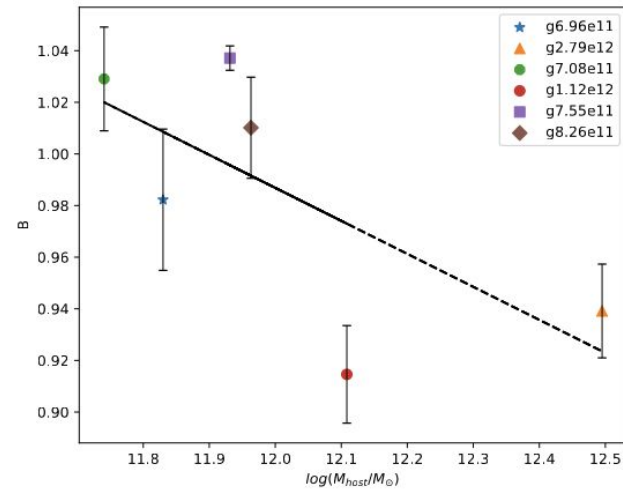
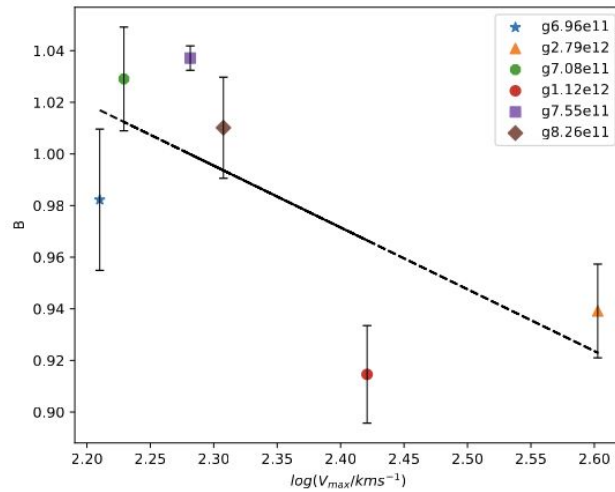


## Extra Parameter B

- Fixed A and  $V_0$ , varying B for each galaxy
- A new parameter dependent on galaxy size and satellite numbers



## Correlation of B with $V_{max}$ & $M_{host}$



# Final Results

$$N_{hydro}/N_{dmo} = \begin{cases} 0.75, & \min < \log(M_{sat}/M_{host}) < -3 \\ 1, & -3 > \log(M_{sat}/M_{host}) < \max \end{cases}$$

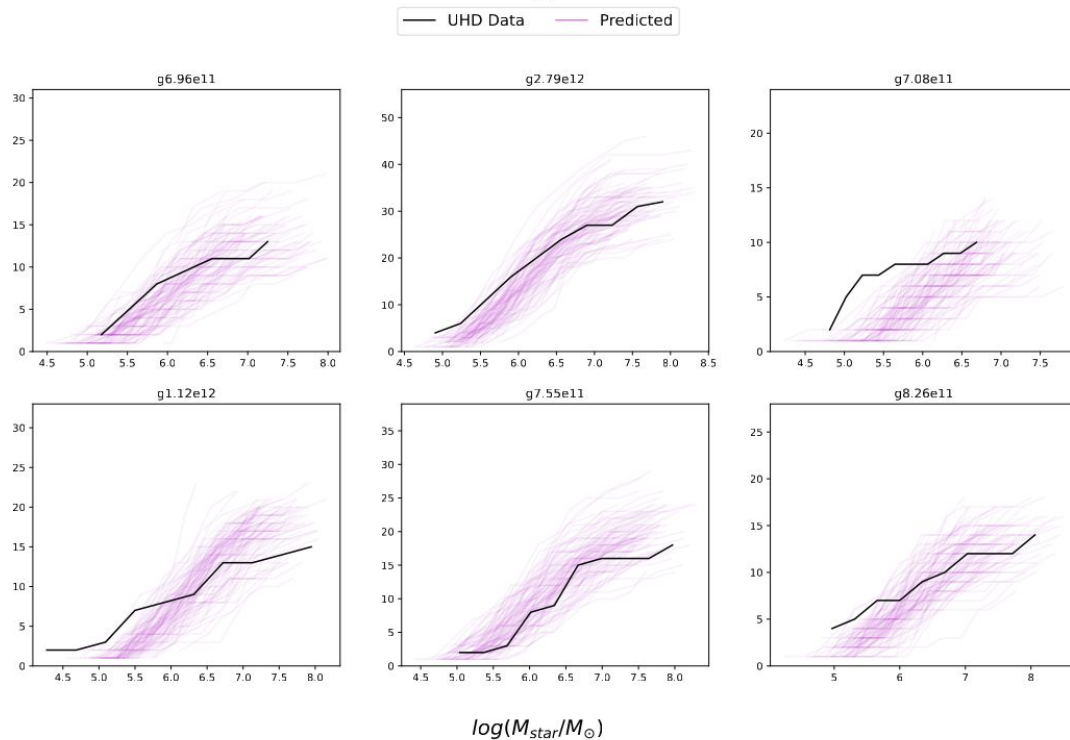
$$\log M_{star} = 2.58 * \log V_{max} + 2.47$$

$$F = \frac{1}{(1 + e^{-A * (B * \log V_{max} - V_0)})}$$

$$B \sim 0.92 \text{ for } M_{host} > 10^{12} M_{sol}$$

$N(< M_{star})$

After Adding Correction





# Radial Distribution

