

Homework06

Problem 1: Procedures(x86-64)

Consider the following assembly code segment compiled on x86-64 machine and answer the questions.

```
1 fun:
2 .LFB11:
3     .cfi_startproc
4     leaq    (%rdi,%rdi), %r10
5     leaq    (%r10,%rdi,8), %rax
6     addq    %rax, %rsi
7     addq    %rsi, %r10
8     movq    %rdx, %rax
9     cqto
10    idivq    %rcx
11    imulq    %rax, %r8
12    addq    %r8, %r10
13    movq    8(%rsp), %rax
14    cqto
15    idivq    16(%rsp)
16    subq    %rax, %r9
17    leaq    (%r10,%r9), %rax
18    ret
19 .cfi_endproc
```

- (1) Assume that all reference to stack frame only use stack pointer `%rsp`, how many arguments are supposed to pass in order to call `fun`?

Eight Arguments. (Six of them are stored in registers and two of them are stored in stack)

- (2) Explain the assembly codes between line 8 and line 10. Use $R[\%reg]$ to represent the value of register *reg*.

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Codes between line 8 and line 10 computes $R[\%rdx]/R[\%rdx]$. Line 8 move quad word from register `%rdx` to register `%rax`. Line 9 convert $R[\%rax]$ to oct word and store the result in $R[\%rdx]:R[\%rax]$. Line 10 computer signed division and store the quotient in $R[\%rax]$.(According to line 11, the valid value is quotient in $R[\%rax]$, rather than remainder in $R[\%rdx]$).

- (3) Translate the assembly codes of fun to C codes. Donate the return value as *long* type, the parameters as *long* type and name *p1,p2,p3...* from left to right in the parameter lists.

The source code is:

```
long fun(long p1, long p2, long p3, long p4, long p5, long p6,
long p7, long p8){
    long v1 = p1 * 2;
    long v2 = p2 + v1 * 5;
    long v3 = p3 / p4 * p5;
    long v4 = p6 - p7 / p8;
    return v1 + v2 + v3 + v4;
}
```

Or the answer can also be simply written as:

```
long fun(long p1, long p2, long p3, long p4, long p5, long p6,
long p7, long p8){
    return p1 * 12 + p2 + p3 / p4 * p5 + p6 - p7 / p8;
}
```

Problem 2: Arrays

Consider the C code segment compiled on IA32 machine where the value of M and N are hidden deliberately:

```
#include <stdio.h>

#define M ?
#define N ?

int a[M][N];
int b[N][M];

in tele_mul(int i, int j){
    return a[i][j] * b[j][i];
}
```

- (1) If the corresponding assembly code with -O0 optimization using GCC is as follows:

```
1  ele_mul
2  .LFB0
3      .cfi_startproc
4      pushl  %ebp
5      .cfi_def_cfa_offset 8
6      .cfi_offset 5, -8
7      movl   %esp, %ebp
8      .cfi_def_cfa_register 5
9      movl   8(%ebp), %eax
10     leal   (%eax,%eax), %edx
```

```

11    movl    12(%ebp), %eax
12    addl    %edx, %eax
13    movl    a(,%eax,4), %ecx
14    movl    12(%ebp), %edx
15    movl    %edx, %eax
16    sall    $2, %eax
17    addl    %edx, %eax
18    movl    8(%ebp), %edx
19    addl    %edx, %eax
20    movl    b(,%eax,4), %eax
21    imull   %ecx, %eax
22    popl    %ebp
23    .cfi_restore 5
24    .cfi_def_cfa 4,4
25    ret
26    .cfi_endproc

```

Inter the value of constants M and N and give your reason.

M = 5 and N = 2. From line 9 to line 12 we can get $R[\%eax] = 2i + j$. That is, each row $a[i]$ contains j elements and $a[i][j]$ is accessed via address $(base + (2 * i + j) * 4)$. There fore, $M = 2$. Similarly, from line 14 to line 19 we can get $R[\%eax] = 5j + i$. Therefore, $N = 5$.

(2) If the corresponding assembly code with $-O3$ optimization using GCC is as follows:

```

1  ele_mul:
2  .LFB11:
3      .cfi_startproc
4      movl    4(%esp), %edx
5      movl    8(%esp), %eax
6      leal    (%eax,%edx,4), %ecx
7      leal    (%eax,%eax,3), %eax
8      leal    (%edx,%eax,2), %edx
9      movl    a(,%ecx,4), %eax
10     imull    b(,%edx,4), %eax
11     ret
12     .cfi_endproc

```

Inter the value of constants M and N and give your reason.

M = 8 and N = 4. Note that $\%esp$ is no longer used to refer to stack frame since $-O3$ optimization is aggressive. Thus, $\%ebp$ does not need to be saved, and $4(\%esp)$ saves the first parameter i and $8(\%esp)$ saves the second parameter j . From line 6 we can get $R[\%ecx] = 4i + j$ and from line 7 to line 8 we can get $R[\%edx] = 8j + i$. Similar to question(1), clearly $M = 8$ and $N = 4$.