

- Q1) Assume that the access time is 35 ns and the recharge time is 55 ns
- What is the memory cycle time? What is the maximum data rate this DRAM can sustain, assuming a 2-bit output?
  - Constructing a 64 bit memory system using these chips yields what data transfer rate?

Ans to the question no: 01 (a)

The memory cycle time  $(55 + 35) \text{ ns}$   
 $= 90 \text{ ns}$

Therefore,

The maximum data rate is 2-bit in every 90 ns

$$90 \times 10^{-9} \text{ sec} = 2 \text{ bit}$$

$$90 \text{ sec} = 2 \times 10^9 \text{ bit}$$

$$1 \text{ sec} = \frac{2 \times 10^9}{90} \text{ bit}$$

$$= 22.22222222 \cdot 22 \text{ bit}$$

$$= 22.22 \text{ megabit}$$

which is 22.22 mbps (Ans)

Ans to the question no: 01 (b)

If 2-bit in every 90 ns then

$$\text{For } 64 \text{ bit memory system data rate } 64 \times 90 \text{ (} 64 \times 22.22 \text{) mbps} \\ = 1422.08 \text{ mbps}$$

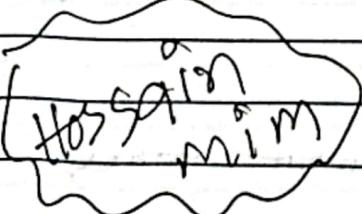
8.192 mbps equal 1 MB/sec

$$1 \text{ " } " \text{ " } \frac{1}{8.192} \text{ " }$$

$$1422.08 \text{ " } " \text{ " } \frac{1 \times 1422.08}{8.192} \text{ MB/sec}$$

$$= 173.59 \text{ MB/sec}$$

(Ans)



Problem :-

Consider a disk pack with the following specification

16 surfaces

~ 128 tracks per surface

256 sectors per track

512 bytes per sector

Q1) What is the capacity of disk pack?

Ans:-

$$\text{Capacity} = (\text{Surface} \times \text{track} \times \text{sector} \times \text{sector size})$$

$$= (16 \times 128 \times 256 \times 512)$$

$$= (2^4 \times 2^7 \times 2^8 \times 2^9)$$

$$= 2^{28} \text{ byte}$$

$$= 2.56 \text{ MB } \underline{\text{(Ans)}}$$

Q2) What is the number of bits required to address the sector?

Ans:-

$$\text{Total number of sectors} : (\text{surface} \times \text{track} \times \text{sector})$$

$$= (16 \times 128 \times 256)$$

$$= 2^4 \times 2^7 \times 2^8$$

$$= 2^{19} \text{ sectors}$$

$$= 19 \text{ bits } \underline{\text{(Ans)}}$$

*(Total Sectors  
Min)*

Q3) If the format overhead is 32 bytes per sector what is the formatted disk space?

Ans:-

$$\text{Format overhead} : (\text{total number of sectors} \times \text{overhead per sector})$$

$$= (2^{19} \times 32)$$

$$= 16 \text{ MB}$$

$$\text{Formatted disk space} : (\text{total disk space} - \text{format overhead})$$

$$= (256 - 16)$$

$$= 240 \text{ MB}$$

*(Ans)*

Q4) If the format overhead 64 bytes per sector how much amount of memory lost to formating?

Ans:-

Format overhead : (Total sector numbers  $\times$  Format overhead per sector)

$$= (2^{10} \times 64) \quad \text{format overhead per sector}$$

$$= 32 \text{ MB}$$

(Ans)

Q5) If the diameter of innermost track is 21 cm what is the maximum recording density?

Ans:-

Storage capacity of a track : (sector  $\times$  sectorsize)

$$= 256 \times 512$$

$$= 2^8 \times 2^9$$

$$= 2^{17}$$

$$= 128 \text{ KB}$$

} max recording density:

capacity of a track

innermost track

$$= 128 / 65.97$$

$$= 1.94 \text{ KB/cm}$$

Innermost track : ( $\pi \times$  diameter)

$$= (3.1416 \times 21) \text{ cm}$$

$$= 65.97 \text{ cm}$$

Q6) If the diameter of innermost track 21 cm with 2 KB/cm what is the capacity of one disk?

Ans:-

Innermost track : ( $\pi \times$  diameter)

$$= 3.1416 \times 21$$

$$= 65.97 \text{ cm}$$

Capacity of a track : (Innermost track  $\times$  density)

$$= 65.97 \times 2$$

$$= 131.94 \text{ KB}$$

$$= 132 \text{ KB} \quad (\text{Ans})$$

Q7) If the disk is rotating at 3600 RPM, what is data transfer rate?

Ans:

Number of rotations in one(01) sec  $(3600/60)$

$$= 60 \text{ rotation/sec}$$

Data transfer rate : {heads  $\times$  (capacity of one track)  $\times$  rotation}

$$= \{16 \times (256 \times 512) \times 60\}$$

$$= \{2^4 \times (2^8 \times 2^9) \times 60\}$$

$$= 2^{21} \times 60 \text{ byte} = 125829120 / 1024^2$$

$$= 120 \text{ MB/sec } (\text{Ans})$$

Q8) If the disk system has rotational speed of 3000 RPM, what is the average access time with a seek time of 11.5 ms?

Ans:

Time for one(01) full rotation  $(60/3000)$

$$= 0.02 \text{ s}$$

$$= (0.02 \times 1000) \text{ ms}$$

$$= 20 \text{ ms}$$

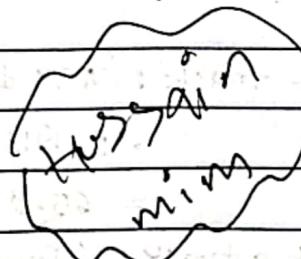
Rotational latency  $(20/2) \text{ ms}$

$$= 10 \text{ ms}$$

Average access time =  $(11.5 + 10 + 0)$

$$= 21.5 \text{ ms}$$

(Ans)



1024 byte equal to 1 kB      1024 MB equal to 0.1 GB  
1024 kB equal to 1 MB      1024 GB equal to 1 TB

Problem 02: what is the average access time for transferring 512 bytes of data with the following specification:—

~ Average seek time 5 ms

~ Disk rotation 6000 RPM

~ Data rate 40 KB/sec

~ controller overhead 0.1 ms

Ans:

Time for one(01) full rotation ( $60/6000$ )

$$= 0.01 \text{ s}$$

$$= 0.01 \times 1000 \text{ ms}$$

$$= 10 \text{ ms}$$

~ Rotational latency  $10/2 \text{ ms}$

$$= 5 \text{ ms}$$

Transfer time :—

1024 byte equal to 1 kB

1 kB =  $1/1024$  MB

512 kB =  $512/1024$  MB

$(50 \times 5000) \text{ sec} = 0.5 \text{ sec} = 0.5 \text{ kB}$

~ Transfer time  $0.5/40$

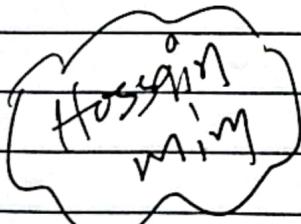
$$= 0.0125 \text{ s}$$

$$= 12.5 \text{ ms}$$

Average access time  $(5 + 5 + 12.5 + 0.1)$

$$= 22.6 \text{ ms}$$

(Ans)



problem 03 :- A certain moving arm disk storage with one head

has the following specification :-

Number of track per surface 200

Disk rotation speed 2400 RPM

tracks storage capacity 62500 bits

Average latency 10 ms

Data transfer rate 2 bits/sec

what is the Parity value?

Ans:-

Time for one (01) full rotation  $\frac{60}{2400}$

$$= 0.025 \text{ s}$$

$$= 25 \text{ ms}$$

Average latency  $\frac{25}{2}$

$$= 12.5 \text{ ms}$$

Number of rotation is one(01) sec  $\frac{2400}{60}$

$$= 40 \text{ rotation/sec}$$

Data transfer rate :  $(1 \times 62500 \times 40)$

$$= 2500000 \text{ bits/sec}$$

Storage  $m = m_1 \times m_2 \times m_3$

(Ans)

Problem 47 :- A disk pack has 19 surfaces and storage one each surface has an outer diameter of 33 cm and inner diameter of 22 cm. The maximum recording storage density one any track is 200 bits/cm and minimum spacing between tracks is 0.25 mm. Calculate the capacity of disk pack.

Ans :-

surfaces 19 ✓

outer diameter 33 cm

inner diameter 22 cm

maximum recording storage density 200 bits/sec

Inter track gap 0.25 mm

Number of tracks one each surface (outer radius - inner radius) / inter track gap

$$= (16.5 - 11) / 0.25$$

$$= 5.5 \text{ cm} / 0.25 \text{ mm}$$

$$= (5.5 \times 10) \text{ mm} / 0.25 \text{ mm}$$

$$= 55 / 0.25$$

$$= 220 \text{ tracks}$$

capacity of track : (storage density x innermost track)

$$= \{ \text{storage density} \times (\pi \times \text{inner diameter}) \}$$

$$= (200 \times 3.1416 \times 22)$$

$$= 13823.04 \text{ bits} / s$$

$$= 1727.188 \text{ byte}$$

capacity of disk pack : surface / x number of track one surface / x capacity of track

$$= (19 \times 220 \times 1727.188)$$

$$= 7222538.4 \text{ byte}$$

$$= 7.21 \text{ MB}$$

(Ans)

Problem :- Consider a typical disk that rotates at 15000 RPM and has a transfer rate of  $50 \times 10^6$  bytes/sec. If the average seek time of the disk is twice the average rotational delay and the controller transfer time is 10 times the disk transfer time. what is the average time (ms) to read or write a 512 byte sector of the disk?

Ans :-

Rotational speed 15000 RPM

Transfer rate  $50 \times 10^6$  byte/sec

Average seek time 2X Average rotational delay

controller transfer time 10 X Disk transfer time

Time for one(01) full rotation ( $60/15000$ )

$$= 4 \times 10^{-5} \text{ s}$$

$$= 4 \text{ ms}$$

- Rotational latency  $4/2 \text{ ms}$

$$= 2 \text{ ms}$$

- Average seek time ( $2 \times 2$ ) ms

$$= 4 \text{ ms}$$

- Transfer time ( $512/50 \times 10^6$ )

$$= 1.024 \times 10^{-5} \text{ s}$$

$$= 0.01024 \text{ ms}$$

controller transfer time ( $10 \times 0.01024$ ) ms

$$= 0.1024 \text{ ms}$$

Average time to read or write 512 byte :-

$$(2+4+0.01024+0.1024)$$

$$= 6.11 \text{ ms}$$

(Ans)

problem 26.2 A hard disk system has the following parameters:-

Number of tracks 500

Number of sectors per track 100

Number of bytes per sector 500

Time taken by the head to move from one track to another adjacent track 1 ms

✓ Rotation speed 600 RPM

what is the average time taken for transferring 250 byte

from the disk?

Ans:-

$$= \{0 + (k-1)t\} / 2$$

$$\begin{aligned}\text{Average seek time } &= \{(0 + 499 \times 1 \text{ ms}) / 2\} \\ &= (499 \text{ ms}) / 2 \\ &= 249.5 \text{ ms}\end{aligned}$$

$$\text{Time for one full rotation } = (60 / 600)$$

$$= 0.1 \text{ s}$$

$$= 100 \text{ ms}$$

$$\text{Rotational latency } = 100 / 2$$

$$= 50 \text{ ms}$$

$$\begin{aligned}\text{Capacity of one track } &= (\text{sector} \times \text{sector size}) \\ &= (100 \times 500) \\ &= 50000 \text{ bytes}\end{aligned}$$

$$\text{Data transfer rate } = (\text{Head} \times \text{capacity} \times \text{rotation one sec})$$

$$= \{1 \times 50000 \times (600 / 60)\}$$

$$= 50000 \times 10$$

$$= 500000 \text{ byte/sec}$$

$$\text{Transfer time } = 250 / 500000$$

$$= 5 \times 10^{-4} \text{ s}$$

$$= 0.5 \text{ ms}$$

$$\text{Average time taken for transferring 250 byte: } (0.5 + 50 + 249.5)$$

$$= 300 \text{ ms}$$

(Ans)

problem 01:- Consider a magnetic disk drive with 8 surfaces, 512 tracks per surface and 64 sectors per track. Sector size 1 kB. The average seeking time 8 ms the track to track access time is 1.5 ms and drive rotates at 3600 RPM successive tracks in a cylinder can be read without head movement.

a) what is the disk capacity?

Ans :-

Capacity :- Surface x track x sectors x sector size

$$= 8 \times 512 \times 64 \times 1 \text{ kB}$$

$$= 262144 \text{ kB}$$

$$= 256 \text{ MB} \quad (\text{Ans})$$

b) what is the average access time? Assume this file is stored in successive sectors and tracks of successive cylinders starting at sector 0, track 0 of cylinder i.

Ans :-

Assume this file is stored ..... at sector 0, track 0, of cylinder i.

Time for one(01) full rotation ( $60/\text{min}$ )

$$= 0.0167 \text{ s}$$

$$= 16.7 \text{ ms}$$

Rotational latency  $16.7/2$

$$= 8.35 \text{ ms}$$

Average access time :  $8 + 8.35 + 1.5$

$$= 17.85 \text{ ms}$$

(Ans)

c) calculate the number of track, sector, and cylinders for a 5MB hard disk?

Ans :-

1 MB equal  $(1024 \times 1024)$  Byte

5 MB =  $5242880$  Byte

$$\begin{aligned} \text{sector} \times \text{sector} \\ \text{size} \\ = & \frac{5242880}{1 \text{ kB} \times 64} \\ & = \frac{5242880}{1024 \times 1024} \end{aligned}$$

$$\left\{ \begin{array}{l} \frac{5242880}{65536} \\ = 80 \text{ track} \end{array} \right.$$

$$\left\{ \begin{array}{l} (80 \times 64) = 5120 \text{ sectors} \\ (\text{track} \times \text{sector}) \\ \text{per track} \\ (80/8) = 10 \text{ cylinder} \\ (\text{track})/\text{surface} \\ (\text{Ans}) \end{array} \right.$$

problem 2: — consider a signal platter disk with the following parameters:-

rotation speed 7200 RPM

Number of tracks on one side of platter 30000

Number of sectors per track 600

seek time one ms for every hundred (100) tracks traversed

Let the disk receive a request to access a random sector on a random track and assume the head starts at track 6.

a) what is the average seek time?

Ans: — Assume,  $\{0 + \frac{1}{2}(i-1)t\}$

Head starts at track 0

i.e. the request track = 29999

seek time one (0.01 ms) for every hundred (100) track traversed

No of

$$= 29999 \times \frac{1}{100} \text{ ms}$$

$$= 299.99 \text{ ms}$$

seek time to access the track 0 = 0 ms

seek time to  $i^{th}$  track =  $299.99 \text{ ms}$

$$\text{Average seek time } \left( 0 + \frac{299.99}{2} \right) \text{ ms}$$

$$= 149.99 \text{ ms } (\underline{\text{Ans}})$$

b) what is the average rotational latency?

Ans: —

Time for one (0.1) full rotation  $(60/7200)$

$$= 8.33 \times 10^{-3} \text{ s}$$

$$= 8.33 \text{ ms}$$

Rotational latency  $8.33/2$

$$= 4.165 \text{ ms}$$

c) what is transfer time for a sector?

Ans: — 7200 RPM one revolution  $60/7200$

$$= 8.33 \text{ ms}$$

transfer time one (0.1) sector  $\frac{8.33}{600}$

$$= 0.01389 \text{ ms}$$

$$= 13.89 \mu\text{s}$$

Ques

A magnetic disk has 5 platters. upper part of each platter has 1024 tracks and lower part has 512 tracks. Each track has 32 sectors and sector size is 2048 bytes.

a) calculate the size of the disk?

Ans:

Number of platters = 5

Total Each platter has tracks  $(1024 + 512)$

$$= 1536$$

Each track has sectors 32

Sector size 2048

The size of the disk =  $5 \times 1536 \times 32 \times 2048$  bytes

$$= 503316480$$

bytes

$$= 503316480 / 1024^2$$

$$= 0.46875 \text{ GB}$$

•

Ans

b) A disk rotates at 7200 RPM, what is the rotational latency?

Ans

Time for one(01) full rotation  $60 / 7200$

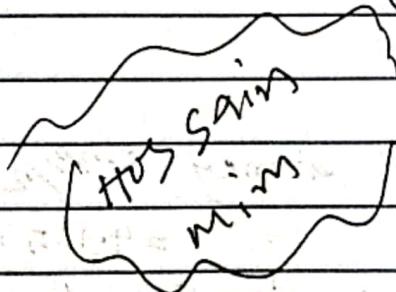
$$= 8.33 \times 10^{-3} \text{ s}$$

$$= 8.33 \text{ ms}$$

Rotational latency  $8.33 / 2$

$$= 4.167 \text{ ms}$$

Ans



$$1 \text{ byte} = 10^6 \text{ mB}$$

Byte  
KiLoByTe

Date :  
Page :

Consider a magnetic disk drive with 10 double sided magnetic disks inside it. upper surface of every disk contains 150 tracks and lower surface only has 100 tracks. Each track has 100 sectors where sector size is 2 KB. Suppose average seek time is 5.5 ms, track to track access time is 1 ms and drive rotates at 4000 RPM.

a) calculate the size of the disk?

Ans:-

$$\text{Total tracks } (150 + 100) \times 200$$

$$= 250$$

Disk drive 10 x double side

sector 100

sector size 2 KB

The size of disk :  $10 \times 2 \times 250 \times 100 \times 2 \text{ KB}$

$$= 1000000 \text{ KB} = 1000000 / 1024$$

$$= 976.57 \text{ MB}$$

b) Find the average access time?

Ans:-

$$\text{Average seek time } 5.5 \text{ ms} \quad \left. \begin{array}{l} \text{rotational latency } 15/2 \\ \text{= } 7.5 \text{ ms} \end{array} \right\}$$

$$\text{Track to track access time } 1 \text{ ms} \quad = 7.5 \text{ ms}$$

$$\text{Time for one(1) full rotation } 60 / 4000 \quad \left. \begin{array}{l} \text{Average access time } (7.5 + 1 + 5.5) \\ \text{= } 14 \text{ ms} \end{array} \right\}$$

$$= 0.015 \text{ sec}$$

$$= 15 \text{ ms}$$

c) what is total time needed to transfer a 10 MB file from drive  
time required to transfer 20 MB of file

$$\text{rotation } 4000 / 60$$

$$= 66.67 \text{ rotation/sec}$$

$$\text{Data transfer rate } 20 \times 100 \times 2 \text{ KB/sec}$$

$$\text{side } = 266680 \text{ KB/sec}$$

$$1024$$

$$= 260.43 \text{ MB/sec}$$

$$\text{so, in } 1 \text{ sec it transfers } 260.43 \text{ MB} = 0.0383 \text{ sec}$$

$$\text{Hence 10MB file need } 10 / 260.43 = 38.3 \text{ ms}$$

I) A magnetic disk has an average seek time of 5 ms. The transfer rate is 50 MB/sec. The disk rotates at 10000 rpm and the controller overhead is 0.2 ms. Find the average time to read one unit of 1024 bytes of data.

Ans:-

Average seek time 5 ms

$$\text{Time for one (1) full rotation} = \frac{60}{10000} = 6 \text{ ms}$$

Average rotational latency  $\frac{6}{2} = 3 \text{ ms}$

$$\text{Transfer time } = \frac{0.766 \times 10^{-4}}{50} = 0.0196 \text{ ms}$$

$$\text{Total time } 5 + 3 + 0.0196 + 0.2 = 8.21 \text{ ms}$$

II) A hard disk with 5 platters has 1024 tracks per platter, 512 sectors per track and 512 byte/sector. Find the total capacity of the disk?

Ans:-

capacity: platter  $\times$  track  $\times$  sector  $\times$  sector size

$$= 5 \times 1024 \times 512 \times 512$$

$$= 1392177280 \text{ byte}$$

$$= 12.80 \text{ MB}$$

III) calculate how many platters are required for a 40 GB disk if there are 1024 bytes / sector 2048 / track 4096 per platter

Ans:-

$$\text{capacity} = 1024 \times 2048 \times 4096$$

$$= 8 \text{ TB}$$

40 GB hard disk,

we needed  $\frac{40}{8}$

$$= 5 \text{ platters}$$

Ans)

Type 02

874  
L1 K2 MB  
Date \_\_\_\_\_  
Page \_\_\_\_\_

Astro tech question no: 6

a) Time for one full rotation  $\frac{60}{6000}$

$$= 7.01 \times 10^{-3} \text{ sec} \quad \cancel{\text{rotation}} \times 1000$$

$$= 7.01 \text{ ms}$$

Rotational latency  $7.01/2$

$$= 3.505 \text{ ms } \cancel{\text{(Ans)}}$$

b) seek time  $31 \text{ ms}$  ✓

controller overhead  $3 \text{ ms}$  ✓

Rotational latency  $3.505 \text{ ms}$  ✓

~~transfer rate~~ transfer rate =  $33 \text{ MB/sec}$

$$\frac{3600 \text{ Bytes}}{1024}$$

$$= 3.43 \times 10^{-3} \text{ MB}$$

Transfer time  $3.43 \times 10^{-3}$

$$= 1.03 \times 10^{-4}$$

$$= 0.103 \text{ ms} \cancel{\text{Ans}}$$

Average access time to read a data blocks 3600 bytes

$$(0.103 + 3.505 + 3 + 31)$$

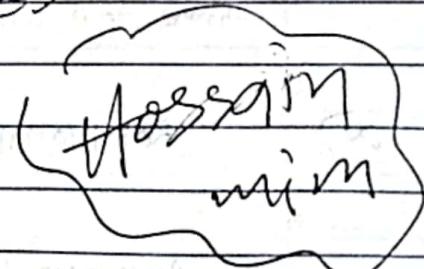
$$= 37.608 \text{ ms } \cancel{\text{(Ans)}}$$

Type 02

a) Time for one full rotation  $\frac{60}{6000}$

$$= 0.01 \times 1000$$

$$= 10 \text{ ms}$$



Average rotational latency  $10/2 = 5 \text{ ms}$

b) Number of rotation one second  $\frac{6000}{60}$  ✓

$$= 100 \text{ rotation/sec}$$

Data transfer rate = Head  $\times$  Byte per track  $\times$  Rotation per sec

$$= 1 \times 15000 \times 100$$

$$= 1500000 \text{ Byte/sec} / 1024$$

$$= 1.43 \text{ MB/sec}$$

c)

Transfer time  $2500 \text{ Byte} / 1.43 \text{ MB/sec}$

$$= 2.38 \times 10^{-3} / 1.43$$

$$= 1.67 \times 10^{-3} \text{ s}$$

$$= 1.67 \text{ ms} \cancel{\text{Ans}}$$

Access time:  $1.67 + 45 + 5$

$$= 51.67 \text{ ms}$$

(Ans)

Type 04

A hard disk has 600 cylinders, 40 tracks per cylinder, 60 sectors per track and 1 KB can be used stored by one sector. What is the capacity?

Ans:-

$$\begin{aligned}\text{capacity} &= \text{cylinders} \times \text{tracks per cylinder} \times \text{sectors per track} \times \text{sector size} \\ &= 600 \times 40 \times 60 \times 1 \text{ KB} \\ &= 1440000 \text{ KB} / 1024 \\ &= 1406.25 \text{ MB}\end{aligned}$$

Type 05  
A magnetic disk has an average seek time 5 ms. The transfer rate is 50 MB/sec. The disk rotation speed 10,000 rpm and the controller overhead 0.2 ms.

- a) Calculate the average time to read or write 1024 bytes?  
 b) calculate how many platters are required for 80 GB disk if there 512 byte/sector, 1024 sectors/track, 4096 tracks per platter?

Ans: seek time 5 ms                          1024 byte  
 time for one full rotation  $\frac{60}{10000} \Rightarrow \frac{1024}{1024}$   
 $= 6 \text{ ms} \Rightarrow 9.77 \times 10^{-4} \text{ ms}$

a) Rotational latency  $\approx \frac{5}{2} \text{ ms}$  transfer  $9.77 \times 10^{-4} / 50$   
 $= 3 \text{ ms}$  time  $= 0.019 \text{ ms}$

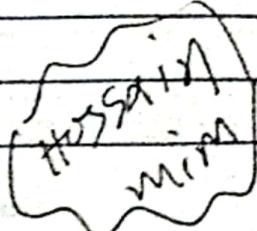
Average time to read or write 1024 Byte (5 + 3 + 0.019 + 0.2)  
 $= 8.219 \text{ ms}$

b) capacity per track:  $512 \times 1024 \times 4096$   
 $= 2147483648 \text{ byte}$   
 $/ = 2 \text{ GB}$

80 GB hard disk,  
 we needed  $\frac{80}{2}$

~~work capacity of disk~~  
~~total disk capacity~~  
~~capacity of part~~  
~~of 1024~~

$= 40 \text{ platters}$



Problem 7.17: — A 32 bit computer has two selector channels and one multiplexor channel. Each selector channel supports two magnetic disk and two magnetic tape units. The multiplexor channel has two line printers, two card readers and 10 VDT terminals connected to it. Assume the following transfer rate:—

Disk drive 800 Kbytes/sec  $\rightarrow$  Card reader 1.2 Kbytes/sec

Magnetic tape drive 200 Kbytes/sec  $\rightarrow$  VDT 1 Kbytes/sec

Line printer 6.6 Kbytes/sec

Estimate the maximum aggregate I/O transfer rate?

Ans to the question no : - 7.17

Disk drive transfer rate 800 Kbytes/sec

Tape drive transfer rate 200 Kbytes/sec

The maximum of these rate is 800 Kbytes/sec

For two (or 2) selectors  $800 \times 2$

$$\text{Total rate} = 1600 \text{ Kbytes/sec}$$

For two (or 2) printers  $6.6 \times 2$

$$= 13.2 \text{ Kbytes/sec}$$

For two (or 2) card readers  $1.2 \times 2$

$$= 2.4 \text{ Kbytes/sec}$$

For VDT Ten (10) VDT terminals  $= 10 \times 1$

$$= 10 \text{ Kbytes/sec}$$

So, total aggregate I/O transfer rate

Multiplexor I/O transfer rate  $(10 + 2.4 + 13.2)$

$$\Rightarrow 25.6 \text{ Kbytes/sec}$$

Total max. Aggregate I/O transfer rate  $1600 + 25.6$

$$= 1625.6 \text{ Kbytes/sec}$$

Hossain  
Mim

Gulf

2)

A 64 bit computer has three selector channels and two multiplexors channel. Each selector channel supports four magnetic disks and ~~two~~ three magnetic tape units. The multiplexor channel has one line printer, two card readers and 13 VDT terminals connected to it.

✓ Disk drive 830 KB/s

✓ card reader 1.2 KB/s

✓ magnetic tape drive 265 KB/s

VDT 1.1 KB/s

✓ Line printer 6.5 KB/s

Estimate the max aggregate I/O transfer rate in this?

Ans to the question no: - 02

Disk drive transfer rate 830 KB/s

Tape drive transfer rate 265 KB/s

The maximum of these rate 830 KB/s

For ~~three(03)~~ selector  $(830 \times 3) = 2490$

~~three(03)~~ = ~~2490~~ KB/s

For line printer (01) is  $1 \times 6.5$

$$= 6.5 \text{ KB/s}$$

For two (02) card reader  $1.2 \times 2$

$$= 2.4 \text{ KB/s}$$

For 13 VDT terminal  $1.1 \times 13 = 13 \times 1.1$

$$= 14.3 \text{ KB/s}$$

Multiplexor I/O transfer rate  $(14.3 + 2.4 \times 6.5)$

$$= 23.2 \text{ KB/s}$$

~~2490~~

Total max aggregation I/O transfer rate  $23.2 + \cancel{2490}$

$$= 32.2 \text{ KB/s}$$

$$= 2513.2 \text{ KB/s}$$

Hossain MIM

Disk drive transfer rate 650 KB/s

Tape drive transfer rate 176 KB/s

The minimum of these rate 176 KB/s

For three (03) selectors  $176 \times 3$

$$= 528 \text{ KB/s}$$

For three (03) line pointers  $4 \times 6 \times 3$

$$= 13.8 \text{ KB/s} \sim$$

For four (04) card readers  $2 \times 1 \times 4$

$$= 8.4 \text{ KB/s} \sim$$

For 11 VDT Terminals  $= 11 \times 1.35$

$$= 14.85 \text{ KB/s} \sim$$

~~Total multiplexor I/O transfer rate~~  $(14.85 + 8.4 + 13.8)$

$$= 37.05$$

Total minimum aggregate I/O transfer rate  $528 + 37.05$

$$= 565.05 \text{ KB/s}$$

(Ans)

Hossain  
Mim

7.14:- Examination of the timing diagram of the 8237A indicates that once a block transfer begins it takes three(03) bus clock cycles. During the DMA cycle the 8237A transfers one byte of information between memory and I/O devices.

- suppose we clock the 8237A at a rate of 5 MHz. How long does it take to transfer one byte?
- what would be the max attainable data transfer rate?
- Assume that the memory is not fast enough and we have to insert two wait states per DMA cycle. what will be the actual data transfer rate.

Ans to the question 7-14

a) At 5MHz

5000000 cycle takes 1 second

$$\begin{aligned} 1 &= 1 / 5000000 \text{ seconds} \\ &= 2 \times 10^{-7} \text{ seconds} \end{aligned}$$

$$\begin{aligned} &= 2 \times 10^{-7} \times 1200000 \\ &= 0.2 \mu\text{s} \end{aligned}$$

one(01) clock cycle takes  $0.2 \mu\text{s}$

Three(03) =  $0.2 \times 3$

$$= 0.6 \mu\text{s} \quad (\text{Ans})$$

b)

data transfer rate =  $\frac{1 \text{ byte}}{0.6 \mu\text{s}}$

$$= \frac{1}{0.6 \times 10^{-6}}$$

$$= \frac{1666666.67}{1024}$$

$$\frac{1}{0.6}$$

$$= \frac{1.66666667}{1024}$$

$$= 1.5894 \text{ MB/s} \quad (\text{Ans})$$

c) two wait states add  $(0.2 + 0.2)$   
 $= 0.4 \mu s$

Transferring one byte takes  $(0.6 + 0.4)$

$$= 1 \mu s = 1000000 \mu s$$

1  $\mu s$  need to transfer 1 byte

$\frac{1}{1000000}$  second is required to transfer 1 byte

1 second is required to transfer  $\frac{1}{1/10^6}$

$$= 10^6 \text{ Byte}$$

$$= 10^6 / 1024$$

$$= 0.96 \text{ MB}$$

The resulting data rate  $0.96 / (0.6 + 0.4) \times 10^{-6}$

$$= 0.96 / 1 \times 10^{-6} = 960000 / 1024$$

$$= 0.92 \text{ MB/s}$$

~~Ans~~ ~~Page 20~~

a) At 3.25 MHz

3250000 Cycles takes 1 sec

$$\begin{aligned} \text{1 sec} &= \frac{1}{3250000} \\ &= 3.07 \times 10^{-7} \times 10^6 \\ &= 0.307 \mu\text{s} \end{aligned}$$

one clock cycles takes  $0.307 \mu\text{s}$

$$\begin{aligned} \text{six cycles} &= (0.307 \times 6) \\ &= 1.842 \mu\text{s} \end{aligned}$$

A transfer two bytes takes  $1.842 \mu\text{s}$

$$\begin{aligned} \text{one byte} &= \frac{1.842}{2} \\ &= 0.921 \mu\text{s} \end{aligned}$$

b) Time transfer rate

$$= 1.228 \mu\text{s}$$

A transfer two bytes takes  $(1.842 + 1.228)$

$$= 3.07 \mu\text{s}$$

$3.07 \mu\text{s}$  need to transfer 2 bytes

$3.07 \mu\text{s}$  need to transfer 2 bytes

$$= \frac{2}{3.07} \times 10^6 \text{ sec}$$

$$= 651465.798 \text{ bytes} / 1024$$

$$= 0.63 \text{ MB}$$

Resulting data rate  $0.63 \mu\text{s}$

$$= 6.25 \times 10^6$$

$$= 205200 / 1024$$

$$= 0.1956 \text{ MB/sec. (Ans)}$$

q) 8 MHz

b) Transfer data rate:  $\frac{1}{0.625 \times 16}$

8000000 cycles takes 1 sec

$$= 1600000 / 1024$$

$$1 \text{ sec} = \frac{1}{8000000} \text{ sec}$$

$$= 1.25 \times 10^{-7} \times 10^6$$

$$= 0.125 \mu\text{s}$$

One clock cycle takes  $0.125 \mu\text{s}$

Five  $= 0.125 \times 5$

$$= 0.625 \mu\text{s}$$

A transfer one byte takes  $0.625 \mu\text{s}$

c) Three wait states ( $0.125 \times 3$ )

$$= 0.375 \mu\text{s}$$

A transfer one bytes takes  $(0.375 + 0.625)$

$$= 1 \mu\text{s}$$

1  $\mu\text{s}$  needs to transfer one byte

$\frac{1}{10^6 \text{ sec}}$  required to transfer  $\frac{1}{10^6}$

$$= 1000000 \text{ Byte} / 1024$$

$$= 960000 / 1024$$

Resulting transfer rate  $0.96 / 1 \times 10^6$

$$= 960000 / 1024$$

$$= 0.92 \text{ MB/sec}$$

Example :- A DMA controller transfers 32 bit words to memory using cycle stealing. The words are assembled from a device that transmits characters at a rate of 4800 characters per second. The CPU is fetching and executing instructions at an average rate of one MIPS. By how much will the CPU be slowed down because of the DMA transfer?

Ans to the question no :-

The DMA controller transfers data in 32 bit or 4 bytes

The device transmits characters at a rate of 4800 characters per s

1 character equal 1 byte

Time taken to transmit 1 byte  $\frac{1}{4800}$  second

Time for 4 byte  $4 \times \frac{1}{4800} =$

~~= 1/1200 second~~

$= \frac{1}{1200}$  second

1200 characters will be transferred in  $\frac{1}{1200}$  second

The CPU executing instruction at an average rate

of one (01) MIPS the slowdown (%) due to DMA transfer

$$\text{slowdown} = \frac{1200 \times 100}{106 \times 1}$$

$$= 0.12\% \text{ Ans}$$

A DMA controller transfer is 32 bit  
= 4 byte

The device transmitted characters at a rate of 4800 per characters per second [1 character = 1 byte]

For 1 byte it will take  $\frac{1}{4800}$  sec

For 4 byte =  $\frac{1 \times 4}{4800}$  sec

$$= \frac{1}{1200} \text{ sec}$$

so, 1200 characters will be transferred in cycle stealing mode and it is given the CPU is fetching and executing instruction at an average rate of one(1) MIPS - slow down (%) in DMA transfer

$$\text{Ans. Slow down after prototype } \frac{100 \times 1200}{106 \times 1}$$

$$= 0.12\% \quad (\text{Ans})$$

2) A DMA controller transfer is 128 bit  
= 16 byte

The device transmits characters at a rate of 9600 characters per second [1 character = 1 byte]

For 1 byte it will take  $\frac{1}{9600}$  sec

16 byte =  $\frac{16}{9600}$  sec

$$= \frac{1}{600} \text{ sec}$$

so, 600 characters will be transferred in cycle stealing and it is given the CPU is fetching and executing instruction at an average rate of four(4) MIPS - slow down (%) in DMA transfer

$$\text{Ans. Slow down after prototype } \frac{100 \times 600}{106 \times 4}$$

$$= 0.015\% \quad (\text{Ans})$$

NO	EA	operand	
a	201	500	200 $\rightarrow$ start word
b	500	1100	location 201 $\rightarrow$ 500 (A)
c	1100	1700	
d	702	1302	$R_1 \rightarrow 400$ (A)
e	600	1250	Base value 100
f	R1	400	
g	400	1000	Assum,
h	400	1000	$399 \rightarrow 999$   (600) $400 \rightarrow 1000$

9) Immediate:—

$$EA = 201$$

operand A

$$= 500$$

b) Direct:—

$$EA = A$$

$$= 500$$

operand 500 + 600

$$= 1100$$

c) Indirect:—

$$EA = ((A))$$

$$= 1100$$

operand 1100 + 600

$$= 1700$$

d) PC relative

$$EA = PC + A$$

$$= 202 + 500$$

$$= 702$$

operand 702 + 600

$$= 1302$$

e) Displacement:—

$$EA = Base + A$$

$$= 600 + 500$$

$$= 600$$

operand 600 + 600

$$= 1250$$

f) Register:—

$$EA = R_1$$

operand 400

g) Register indirect:—

$$EA = (R_1)$$

$$= 400$$

operand 400 + 600

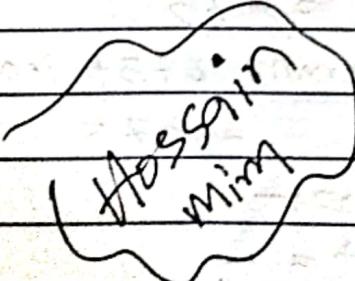
$$= 1000$$

h) Autindexing:—

$$EA = 400$$

operand 400 + 600

$$= 1000$$



NO	EA	operand	
a)	525	1225	start word $\rightarrow$ 230 location $231 \rightarrow 525$ (A)
b)	Not applicable	525	$R_1 \rightarrow 620$ (A)
c)	1225	1925	base value 150
d)	757	1457	Assum,
e)	675	1375	$298 \rightarrow 998$
f)	$R_1$	620	$299 \rightarrow 999$
g)	620	1320	
h)	620	1320	

a) Direct :-

$$EA = A$$

$$= 525$$

$$\text{operand } 525 + 700$$

$$= 1225$$

c) Indirect :-

$$EA = (A)$$

$$= 1225$$

$$\text{operand } 1225 + 700$$

$$= 1925$$

e) Displacement:-

$$EA = Base + A$$

$$= 150 + 525$$

$$= 675$$

$$\text{operand } 675 + 700$$

$$= 1375$$

f) Register:-

$$EA = R_1$$

$$\text{operand } 620$$

start word  $\rightarrow$  230

location  $231 \rightarrow 525$  (A)

$R_1 \rightarrow 620$  (A)

base value 150

Assum,

$298 \rightarrow 998$

$299 \rightarrow 999$

700

b) Immediate :-

operand A

$$= 525$$

EA = not applicable  
because true

operand is part  
of the instruction

itself not  
fetched from a

d) PC Relative:-

$$EA = PC + A$$

$$= 232 + 700$$

$$= 757$$

$$\text{operand } 757 + 700$$

$$0051 = 1457$$

g) Register indirect:-

$$EA = (R_1)$$

$$= 620$$

$$\text{operand } 620 + 700$$

$$= 1320$$

h) float indexing:-

$$- EA - 620$$

$$\text{operand } 1320$$



five stages: FI, DI, CA, FO, EI  
 sequence of instruction and Branch instruction

Time                      branch penalty

Instruction	1	2	3	4	5	6	7	8	9	10	11	12
I <sub>1</sub>	FI	DI	CA	FO	EI							
I <sub>2</sub>		FI	DI	CA	FO	EI						
I <sub>3</sub>			FI	DI	CA	FO						
I <sub>4</sub>				FI	DI	CA						
I <sub>5</sub>					FI	DI						
I <sub>6</sub>						FI						
I <sub>7</sub>							FI	DI	CA	FO	EI	
I <sub>8</sub>								FI	DI	CA	FO	EI

five stages: FI, DI, CA, FO, EI

sequence of instruction and Branch instruction

Instruction	1	2	3	4	5	6	7	8	9	10	11	12	13
I <sub>1</sub>	FI	DI	CA	FO	EI								
I <sub>2</sub>		FI	DI	CA	FO	EI							
I <sub>3</sub>			FI	DI	CA	FO	EI						
I <sub>4</sub>				FI	DI	CA	FO						
I <sub>5</sub>					FI	DI	CA						
I <sub>6</sub>						FI	DI						
I <sub>7</sub>							FI						
I <sub>8</sub>								FI	DI	CA	FO	EI	
I <sub>9</sub>									FI	DI	CA	FO	EI

Hossein Mina

Five stages:— FI, DI, CA, FO, EI

9 instruction and branch 4th instruction:

Page :

time:

Branch penalty

Instruction	1	2	3	4	5	6	7	8	9	10	11	12	13
I <sub>1</sub>	FI	DI	CA	FO	EI								
I <sub>2</sub>		FI	DI	CA	FO	EI							
I <sub>3</sub>			FI	DI	CA	FO	EI						
I <sub>4</sub>				FI	DI	CA	FO	EI					
I <sub>5</sub>					FI	DI	CA	FO					
I <sub>6</sub>						FI	DI	CA					
I <sub>7</sub>							FI	DI					
I <sub>8</sub>								FI					
I <sub>9</sub>									FI	DI	CA	FO	EI

(Ans)

A non-pipelined processor has a clock rate 2.5 GHz and average CPI of 4. An upgrade to the processor introduces a five stage pipeline. However due to internal pipeline delays such as latch delay the clock rate of the new processor has to be reduced to 2 GHz.

- what is the speedup achieved for a typical program
- what is the MIPS rate for each processor

(Ans) :- Old

Clock rate 2.5 GHz

Cycle time  $\frac{1}{2.5}$

$$= \frac{1}{2.5 \times 10^9} = 4 \times 10^{-10} \text{ sec}$$

$$= 4 \times 10^{-10} \times 10^9 \text{ ns}$$

$$= 0.4 \text{ ns}$$

CPI = 4

Execution time per instruction  $4 \times 0.4$

Clock rate 2 GHz

Cycle time  $\frac{1}{2 \text{ GHz}}$

$$= \frac{1}{2 \times 10^9} = 0.5 \text{ ns}$$

Execution time per instruction  $1 \times 0.5$

$$= 0.5 \text{ ns}$$

Speed up =  $\frac{\text{Execution time old}}{\text{Execution time new}}$

$$= 1.6 / 0.5$$

$$= 3.2 \text{ ns}$$

b) Non-pipelined processor -

Clock rate 2.5 GHz

CPI 4

$$\text{MIPS} = \frac{f}{\text{CPI} \times 10^6}$$

$$= \frac{2.5 \times 10^9}{4 \times 10^6}$$

$$= 625 \text{ MIPS}$$

(Ans)

Pipelined processor -

Clock rate 2 GHz

CPI 1

$$\text{MIPS} = \frac{f}{\text{CPI} \times 10^6}$$

$$= \frac{2 \times 10^9}{1 \times 10^6}$$

$$= 2000 \text{ MIPS}$$

(Ans)

$$T \left( \frac{1}{n^2} \right) A B C D + E F + F T \quad \left( A + \frac{B}{C} - D \right) / (E - F + G)$$

-1)  $A B C I - D E F T /$

$$X = (A * B) + (C + D) * E + F$$

PUSH A

PUSH B

MUL

PUSH C

PUSH D

ADD

PUSH E

MUL

ADD

PUSH F

ADD

POP X

$$X = A - B / C$$

$$D + E * F$$

zero ADDRESS:-

PUSH A

PUSH B

PUSH C

DIV

SUB

PUSH D

PUSH E

MUL

ADD

DIV

POP X

One Address

LOAD E  $A \leftarrow E$

MUL F  $A \leftarrow A * E$

ADD D  $A \leftarrow A + D$

STORE X  $X \leftarrow A$

LOAD B  $A \leftarrow B$

DIV C  $A \leftarrow A / C$

~~-----~~

STORE Y  $Y \leftarrow A$

LOAD A  $A \leftarrow A$

SUB Y  $A \leftarrow A - Y$

~~-----~~

DIV X  $A \leftarrow A / X$

STORE X  $X \leftarrow A$

TWO Address:-

MOVE X, B  $X \leftarrow B$

DIV X, C  $X \leftarrow X / C$

TWO Address:-

MOVE X, A  $X \leftarrow A$

MOVE Y, B  $Y \leftarrow B$

DIV Y, C  $Y \leftarrow Y / C$

SUB X, Y  $X \leftarrow X - Y$

MOVE Z, E  $Z \leftarrow E$

MUL Z, F  $Z \leftarrow Z * F$

ADD Z, D  $Z \leftarrow Z + D$

DIV X, Z  $X \leftarrow X / Z$

$$1 - \frac{x}{z} = xyzx - ABC/ + - DF/T$$

$$AC \xrightarrow{20, 20} - LD 10$$

$$M = (x - y * z) - (A + B / C) + D / F$$

20

Stack or off address

one address or single

push x

Load B  $AC \leftarrow B$

push y

Div C  $AC \leftarrow AC/C$

push z

Add A  $AC \leftarrow AC + A$

MUL

Store x<sub>1</sub>  $x_1 \leftarrow AC$

Sub

Load D  $AC \leftarrow D$

push A

Div F  $AC \leftarrow AC/F$

push B

Add x<sub>1</sub>  $A_1 \leftarrow AC + x_1$

push C

Store x<sub>2</sub>  $x_2 \leftarrow AC$

Div

Load Y  $AC \leftarrow Y$

Add

MUL Z  $AC \leftarrow AC * Z$

Sub

Store x<sub>3</sub>  $x_3 \leftarrow AC$

push D

Load X  $AC \leftarrow X$

push F

Sub x<sub>3</sub>  $AC \leftarrow X - x_3$

Div bba

Sub x<sub>2</sub>  $AC \leftarrow AC - x_2$

Add sum

Store M  $M \leftarrow AC$

POP M

instruction 16

Instruction 15

memory access: 16 op + 9 d

memory access: 15 op + 15 d

two or general

Store R<sub>2</sub>, M

Load R<sub>1</sub>, Y  $R_1 \leftarrow Y$

12 op + 9 d

MUL R<sub>1</sub>, Z  $R_1 \leftarrow R_1 * Z$

Load R<sub>2</sub>, X  $R_2 \leftarrow X$

Sub R<sub>2</sub>, R<sub>1</sub>  $R_2 \leftarrow R_2 - R_1$

Load R<sub>3</sub>, B  $R_3 \leftarrow B$

Div R<sub>3</sub>, C  $R_3 \leftarrow R_3/C$

Add R<sub>3</sub>, A  $R_3 \leftarrow R_3 + A$

Load R<sub>4</sub>, D  $R_4 \leftarrow D$

Div R<sub>4</sub>, F  $R_4 \leftarrow R_4 / F$

Add R<sub>4</sub>, R<sub>3</sub>  $R_4 \leftarrow R_4 + R_3$

Sub R<sub>2</sub>, R<sub>4</sub>  $R_2 \leftarrow R_2 - R_4$