

## Molecule-Scale Diffusion in Polyether Hybrid Cobalt Bipyridine Molten Salts

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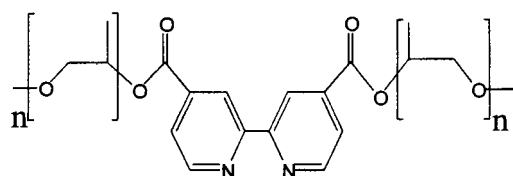
Microband voltammetry is described in undiluted molten salts of Co(II) bipyridine complexes to which short ( $n = 1, 2$ , or  $3$  units) polypropylene oxide oligomers have been appended. It has been possible to measure cyclic voltammetric and potential step responses under conditions where the diffusion layer thickness formed in the electrolysis is demonstrably less than the diameter of the Co complex. Apparent diffusion coefficients recorded in the molecule-scale diffusion regime as a function of  $n$  and temperature range from  $1 \times 10^{-14}$  to  $1 \times 10^{-18}$  cm<sup>2</sup>/s. The corresponding bulk diffusion coefficients are ca. 7-fold smaller. The peculiar shape of the current–time response is rationalized as a “finite-diffusion” effect. Analysis of potential-step current–time results as the kinetics of a first-order electron transfer oxidation (of complexes adjacent to the electrode) gives rate constants quantitatively equal to the diffusion rate results, provided the latter are divided by the (Co complex diameter)<sup>2</sup> as the characteristic hopping distance of the interfacial electrochemistry. The kinetic data also agree with cyclic voltammetry rate constants if the difference in over-potential is taken into account.

This laboratory has for several years used<sup>1</sup> electrochemical voltammetry to investigate semisolid materials that are basically undiluted redox species in an amorphous state. Other groups have also contributed to this area.<sup>2</sup> We have sought to establish methodology that successfully copes with the extremely slow mass and charge transport phenomena characteristic of semisolids and to design chemical materials whose study will shed light on the transport dynamics of semisolid phases and which have “soft-material” properties conducive to making reproducible quantitative contact to a solid electrode. Our current design strategy—attaching oligomeric polyether chains to redox substances or to their counterions—has been effective and has led to room-temperature redox melts ranging from metal bipyridine complexes<sup>1a,3</sup> to ferrocene<sup>1b</sup> to perylene<sup>1g</sup> to metalloporphyrins<sup>1c,d</sup> to viologens<sup>1h</sup> to DNA.<sup>1i</sup>

This report presents measurements on a molten salt that probe the very limit of slow diffusive mass transport. The root mean-square diffusion length ( $L$ ) of a species with diffusion coefficient  $D$  during a random walk<sup>3</sup> of duration  $t$  is  $\approx [2Dt]^{1/2}$ . Here, we describe experiments in which the average distances  $L$  over which an electrode reactant diffuses to an electrode demonstrably range from multiples to fractions of the physical dimension  $\delta_D$  (diameter) of the diffusant itself (i.e.,  $\delta_D \leq L \leq \delta_D$ ). We call the latter situation “molecule-scale diffusion”. Little is known about diffusion processes culminating in a chemical reaction in cases where the diffusion distance is extremely short, yet they have to be common, for example at reactive solid–solid interfaces.<sup>4</sup>

The molecule-scale diffusion measurements are based on perchlorate molten salts of Co(II) bipyridine complexes to which short (1, 2, or 3 units) polypropylene oxide oligomers have been appended.

These materials, although extremely viscous and with low polyether content, do not crystallize since the polyether chains are diastereomeric mixtures.<sup>5</sup> They are abbreviated as Co(P<sub>*n*</sub>M)<sub>3</sub> where  $n = 1, 2$ , or  $3$ ; their perchlorate counterion is understood to be present throughout this paper. A fourth melt studied was



<i>n</i>	abbrev.
1	PM
2	P <sub>2</sub> M
3	P <sub>3</sub> M

an equimolar mixture of the  $n = 1$  and  $n = 2$  complexes, designated Co(P<sub>1+2</sub>M)<sub>3</sub>. In a preliminary report,<sup>6</sup> we were able to approach, but not fully achieve, the molecule-scale regime for  $n = 3$ ; oxidation of the Co(II) complex was observed for diffusion pathlengths as short as  $L \approx 2 \delta_D$ , where  $\delta_D \approx 1.4$  nm. Our methodology in experiments on the Co(P<sub>*n*</sub>M)<sub>3</sub> melts has since been refined and resistance effects subjugated, as recently described.<sup>7</sup>

Cyclic voltammetry and potential-step chronoamperometry are performed in the four undiluted Co(P<sub>*n*</sub>M)<sub>3</sub> melts using lithographically defined microband electrodes<sup>7</sup> and at varied temperatures. Chronoamperometric currents measured at sufficiently long times such that  $L > \delta_D$  (ordinary or “bulk” diffusion) follow Fick’s laws and give diffusion coefficients ( $D_{\text{bulk}}$ ) for the self-diffusion of the metal complex that range from  $10^{-15}$  to  $10^{-18}$  cm<sup>2</sup>/s. Currents measured at shorter times are analyzed in three different ways. (a) When analyzed by Fickian relations, chronoamperometric current–time responses give apparent self-diffusion constants in the molecule-scale regime ( $L \leq \delta_D$ ) that are slightly larger than  $D_{\text{bulk}}$ . (The molecule-scale diffusion regime is clearly an unusual one and we refer to it as “apparent” diffusion.) (b) The same chronoamperometric current–time responses are alternatively treated as reflecting the slow rate (s<sup>−1</sup>) of a Co(II→III) heterogeneous electron-transfer reaction, being for electrolysis of metal com-

plexes that are already “at the electrode/melt interface” when the experiment is initiated. (c) Heterogeneous electron-transfer rate constants (cm/s) are obtained by analysis<sup>3,8</sup> of  $\Delta E_{\text{peak}}$  values of cyclic voltammetry conducted in the molecule-scale regime. The results of these three data analyses, which have different dimensions but correspond to the *same* chemical event, can be related to one another using the metal complex dimension as the characteristic length scale of the interfacial dynamics, confirming a speculation of the previous report.<sup>6</sup>

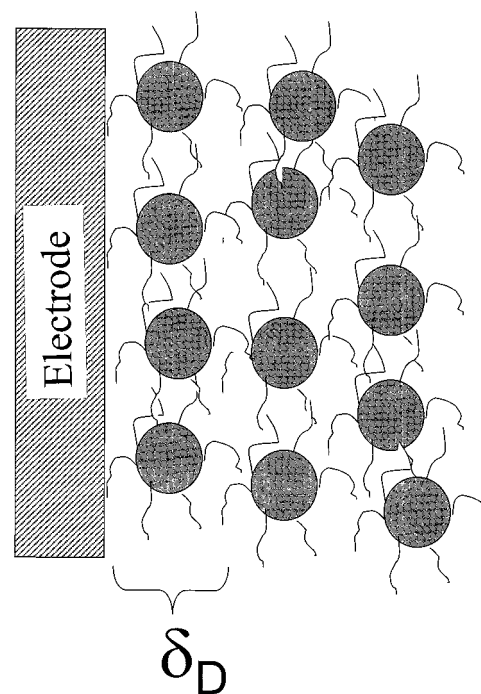
## Experimental Section

**Synthesis of  $\text{Co}(\text{P}_3\text{M})$ ,  $\text{Co}(\text{P}_2\text{M})$ ,  $\text{Co}(\text{PM})$ .** The published synthesis<sup>7</sup> of 2,2'-bipyridyl-4,4'-bis(tripropylene glycol monomethyl ether carboxylate),  $\text{P}_3\text{M}$ , was used for the ligands with  $n = 1$  and 2 polypropylene oxide oligomers. Briefly, dimethyl bipyridine (Reilly) is oxidized to 4,4'-dicarboxy-2,2'-bipyridine with potassium permanganate under acidic reflux conditions, chlorinated with thionyl chloride (Fisher, used as received), and then ester-coupled to the tri- or di- or mono-propylene glycol monomethyl ether “tail” (Aldrich). Chromatographic procedures (silica gel with a 4:1  $\text{CH}_2\text{Cl}_2$ :acetone solvent) remove mono-tailed products from the desired bitailed bipyridine ligand. NMR analysis<sup>7</sup> (acetone- $d_6$ , Aldrich) confirms this via a 3:1 peak area ratio of the bipyridine ring protons to the proton alpha to the first ester group on the chain.

Four metal complexes  $\text{Co}(\text{P}_n\text{M})_3$  were prepared by mixing stoichiometric proportions of polyether-tailed ligand with  $\text{Co}(\text{ClO}_4)_2 \cdot (\text{H}_2\text{O})_6$  in anhydrous methanol. According to its NMR analysis,<sup>7</sup> the  $\text{Co}(\text{P}_3\text{M})_3$  melt contained a 5% (mol/mol) excess of cobalt perchlorate. The  $\text{Co}(\text{P}_2\text{M})_3$  melt contained a 1% excess of the  $\text{P}_2\text{M}$  ligand, and the  $\text{Co}(\text{PM})_3$  melt appeared to be stoichiometrically pure. The  $\text{Co}(\text{P}_{1+2}\text{M})_3$  melt was a 50/50 mixture of the  $\text{Co}(\text{PM})_3$  and  $\text{Co}(\text{P}_2\text{M})_3$  melts. Since small amounts of excess ligand have a strong diffusion-plasticization effect on self-diffusion rates in  $\text{Co}(\text{P}_n\text{M})_3$  samples, the content of excess ligand was carefully measured by a proton NMR procedure.<sup>7</sup> An attempt was made to remove excess tailed ligand by repeated extraction of a  $\text{CCl}_4$  solution with cyclohexane, but this procedure is only partly effective. Concentrations of the metal complex in the four melts were established<sup>7</sup> as 0.57, 0.71, 0.81, and 0.76 M, respectively, based on density measurements and assuming ideal stoichiometry.

**Electrochemistry.** Lithographically defined microband (LDM) electrodes<sup>7</sup> are placed into direct contact with the undiluted metal complex melts. The LDM electrodes consist of parallel, individually addressable  $0.1 \mu\text{m}$  thick Pt films deposited atop an insulating Si/SiO<sub>2</sub> substrate and separated by  $1.75 \mu\text{m}$ . The Pt films were either  $2 \text{ mm} \times 10 \mu\text{m}$  wide (LDM#1,  $A = 2 \times 10^{-4} \text{ cm}^2$ ) or  $0.5 \text{ mm} \times 10 \mu\text{m}$  wide (LDM#2,  $A = 5 \times 10^{-5} \text{ cm}^2$ ). One Pt film was used as the working electrode and the other as a pseudo-reference electrode. The reference electrode, although near the working electrode, remains outside<sup>9</sup> its (even smaller) diffusion field. A nearby  $0.5 \text{ mm} \times 0.3 \text{ mm}$  Pt pad on the Si/SiO<sub>2</sub> chip served as the counter electrode.<sup>10</sup> The LDM electrode design was crucial for these experiments; the microband working electrode with nearby reference is tolerant<sup>9</sup> of the extremely low ionic conductivities of the metal complex melts, and unlike microband electrodes fabricated in different ways, has a well-defined working area.

Films of the cobalt complex melts were cast onto the microelectrode assembly from a droplet of a solution in acetone. Polyether-tailed metal complexes tend to be hygroscopic (and imbibed moisture accelerates self-diffusion rates). The cast films were vacuum-dried at ca.  $70^\circ\text{C}$  for at least 12 h, and vacuum



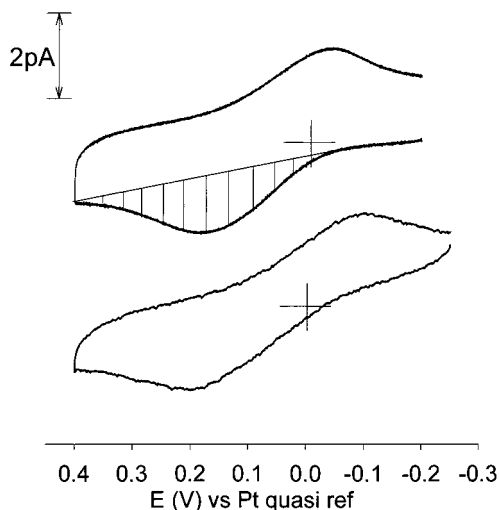
**Figure 1.** Cartoon of the first few monolayers of Co polyether-tailed complexes at the electrode surface.  $\delta_D$  is molecular diameter.

was maintained throughout the experiments. The LDM electrodes were mounted on a locally built temperature-controlled (Lakeshore 330 autotuning temperature controller) vacuum stage and housed in a Faraday cage. Cyclic voltammetry and chronoamperometry were performed using a locally built, ultrasensitive potentiostat having current sensitivity down to a few tens of femtoamps. Experimental control was exercised with a PC interfaced with a Keithley DAS-HRES 16-bit A/D board, using locally written software.

## Results and Discussion

We begin with a discussion of what is meant by molecule-scale diffusion. Figure 1 is a cartoon of an undiluted  $\text{Co}(\text{II})$  redox phase next to the working electrode. The actual arrangement of  $\text{Co}(\text{II})$  sites is not ordered as shown, but is disordered and dynamic. A continuing, slow, thermally activated, diffusive exchange of sites occurs laterally over the electrode surface and between adjacent monolayers of metal complexes. Despite this intrinsically random process, one can picture that, when an oxidizing potential is applied, a depletion layer of  $\text{Co}(\text{II})$  sites forms as a quantity of sites equal to that *initially* in the first layer is oxidized, then a quantity equal to the second monolayer, and so on. Of course, the process does not actually occur in a perfectly stepwise layer-by-layer fashion, due to the concurrent diffusive exchanges.

The quantity of metal complex sites in the first monolayer ( $\Gamma_{\text{mono}}$ , mol/cm<sup>2</sup>) is given by the product of site concentration and diameter ( $\delta_D$ ); the *charge* for a one-electron reaction of this quantity is denoted  $Q_{\text{mono}}$ . Values of experimental charge passed, relative to  $Q_{\text{mono}}$ , can thus be used as an experimental gauge to distinguish molecule-scale from more ordinary “bulk” diffusion. Molecule-scale diffusion of the  $\text{Co}(\text{P}_3\text{M})_3$  complex is discussed in terms of the *time* required to oxidize one equivalent monolayer ( $\Gamma_{\text{mono}} = 8.2 \times 10^{-11} \text{ mol/cm}^2$ ) or less, i.e., the time required to pass a quantity of oxidative charge of amount less than or equal to the monolayer charge  $Q_{\text{mono}}$ . (In the context, for example, of using the microband working electrode LDM#2 ( $A = 5 \times 10^{-5} \text{ cm}^2$ ), passing  $\leq 4.0 \times 10^{-10}$

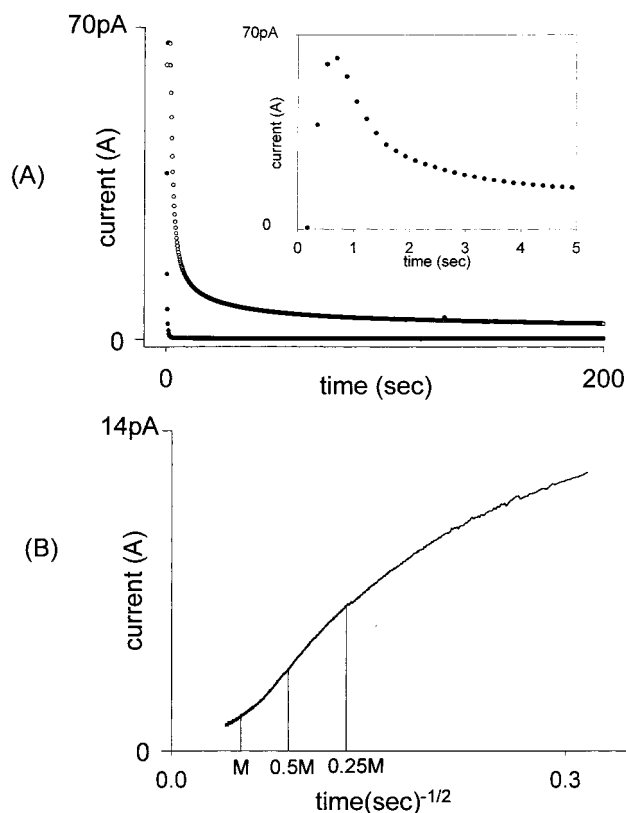


**Figure 2.** Cyclic voltammetry under molecule-scale diffusion conditions in  $\text{Co}(\text{P}_3\text{M})_3$  melts. Upper panel:  $\text{Co}(\text{P}_3\text{M})_3$  at 5 °C, LDM#2 microband electrode,  $\nu = 1$  mV/s. Charge under hatched area is  $2.9 \times 10^{-10}$  C, which is 72% of the charge to oxidize one monolayer of this complex ( $Q_{\text{mono}} = 4.0 \times 10^{-10}$  C). (The baseline of the hatched area may underestimate the charge passed, but using a baseline extended from the current trace at  $-0.1$  V, which is probably an overestimate, still gives a charge (96%) less than that of a monolayer.) Lower panel:  $\text{Co}(\text{P}_2\text{M})_3$  at 25 °C, LDM#1 microband electrode,  $\nu = 0.3$  mV/s.

C would correspond to the molecule-scale diffusion regime.) Molecule-scale diffusion is also discussed in terms of the diffusion length (i.e., depth of the diffusion layer) attained at times corresponding to having passed  $\leq Q_{\text{mono}}$  of charge. In the context of Fickian diffusion, the depth  $L$  of the “diffusion layer” formed by the electrode reaction is  $\approx [2Dt]^{1/2}$ . Molecule-scale diffusion is the situation where  $L \leq \delta_D$ , where  $\delta_D$  is the thickness of a monolayer of metal complex (its diameter). For the  $\text{Co}(\text{P}_3\text{M})_3$  complex ( $\delta_D = 1.43$  nm), passing an oxidative charge equivalent to reaction of one-half of a monolayer of the  $\text{Co}(\text{P}_3\text{M})_3$  complex would correspond to a diffusion layer depth  $L = 0.5\delta_D$ .

It is worth mentioning three special attributes of the  $\text{Co}(\text{II} \rightarrow \text{III})$  bipyridine complex electron-transfer reaction that make it especially suitable for study of molecule-scale diffusion. First, the perchlorate counterion has been established,<sup>1a</sup> in analogous polyether-tailed  $\text{Co}(\text{II})$  complex molten salts, as being much more diffusively mobile than the  $\text{Co}(\text{II})$  complexes themselves; i.e., migration transport of the  $\text{Co}$  complex is unimportant. The rate of double-layer charging, by accumulation of perchlorate ions at the electrode/melt interface, is thus not a plausible rate-limiting step in the  $\text{Co}(\text{II} \rightarrow \text{III})$  reaction, at least under conditions where uncompensated resistance effects can be judged negligible.<sup>11</sup> Second, charge transport occurs solely by physical  $\text{Co}(\text{II})$  site diffusion; the rates of  $\text{Co}(\text{II} \rightarrow \text{III})$  electron transfers are both slow and (third) are proportional<sup>12</sup> to the rate of physical diffusion (as expressed by  $D_{\text{bulk}}$ ). The latter was described as a form of solvent dynamics control of the electron-transfer rate; we will find in the present work that the solvent dynamics control extends into the molecule-scale regime.

**Molecule-Scale Diffusion in Cyclic Voltammetry.** Figure 2 presents cyclic voltammetry in undiluted  $\text{Co}(\text{P}_3\text{M})_3$  (upper) and  $\text{Co}(\text{P}_2\text{M})_3$  (lower) metal complex melts. Even though the potential sweep rate is quite slow (the upper voltammogram was completed in ca. 20 min), the estimated charge under the voltammetric peaks is very small; that in the hatched area is  $2.9 \times 10^{-10}$  C. Given that  $Q_{\text{mono}} = 4.0 \times 10^{-10}$  C, roughly 72% of a monolayer of  $\text{Co}^{\text{II}}(\text{P}_3\text{M})_3$  complex reacts during the



**Figure 3.** Panel A: (O) Chronoamperometric current–time response for a 500 mV potential step across the  $\text{Co}(\text{II} \rightarrow \text{III})$  wave for the  $\text{Co}(\text{P}_2\text{M})_3$  melt at 25 °C, LDM#1 microband electrode; (●) potential step in same melt but in double-layer background potential region where no faradaic reaction occurs. At 200 s in O, the current is 6.7 pA; at the same time in ●, the current is 0.12 pA. Inset: short time currents in the  $\text{Co}(\text{P}_2\text{M})_3$  melt for the  $\text{Co}(\text{II} \rightarrow \text{III})$  reaction. Panel B: plot of eq 1 for the  $\text{Co}(\text{II} \rightarrow \text{III})$  current–time response in Figure 3A. The times marked are those at which the charge passed is equivalent to reaction of one-quarter (37 s,  $0.25Q_{\text{mono}}$ ), one-half (112 s,  $0.5Q_{\text{mono}}$ ), and one (590 s,  $Q_{\text{mono}}$ ) monolayer of the metal complex. Slopes at these times give  $D = 5.3 \times 10^{-17}$ ,  $9.5 \times 10^{-17}$ , and  $2.5 \times 10^{-17}$   $\text{cm}^2/\text{s}$ , respectively.

oxidative potential sweep. Analogous comparisons in the lower voltammogram show that roughly 54% of a monolayer of  $\text{Co}^{\text{II}}(\text{P}_2\text{M})_3$  complex reacted there.

As far as we are aware, Figure 2 presents the first examples of molecule-scale diffusion in cyclic voltammetry. The voltammograms have an otherwise qualitatively normal appearance. An analysis of the quasi-reversibility evident by their appreciable  $\Delta E_{\text{peak}}$  values will be given below.

**Molecule-Scale Diffusion in Chronoamperometry.** *Diffusion Analysis.* Figure 3A shows an example current–time response (O) to a +500 mV chronoamperometric potential step across the  $\text{Co}(\text{II} \rightarrow \text{III})$  oxidation wave in the  $\text{Co}(\text{P}_2\text{M})_3$  melt, and a “background” potential step (●) taken in the double layer region (at more negative potentials) of the same melt. The diffusive process is analyzed with the current vs.  $t^{-1/2}$  “Cottrell” plot shown in Figure 3B, according to the linear diffusion (chronoamperometry) relation<sup>3</sup>

$$i(t) = \frac{nFACD^{1/2}}{\pi^{1/2}t^{1/2}} \quad (1)$$

where  $A$  is microband electrode area ( $2 \times 10^{-4}$   $\text{cm}^2$  for the LDM#1 microband) and  $C$  is the concentration ( $\text{mol}/\text{cm}^3$ ) of  $\text{Co}(\text{II})$  metal complexes in the melt. Currents are plotted only for times substantially exceeding the experimental cell time



**TABLE 1: Comparison of Regression Analysis with Chronocoulometric Monolayer Analysis for Co(P<sub>N</sub>M)<sub>3</sub> Melts at Various Temperatures**

melt	temp (°C)	$D_{\text{bulk}}$ (cm <sup>2</sup> /s) <sup>c</sup>	$D_{0.5\text{inflec}}$ (cm <sup>2</sup> /s) <sup>c</sup>	$D_{\text{inflec}}$ (cm <sup>2</sup> /s) <sup>c</sup>	$t_{0.5M}$ (sec) <sup>d</sup>	$t_M$ (sec) <sup>d</sup>	$t_{\text{inflec}}$ (sec) <sup>d</sup>	$L_{\text{inflec}}$ (nm) <sup>e</sup>	$L_M^i$ (nm) <sup>e</sup>
Co(P <sub>3</sub> M) <sub>3</sub> <sup>a</sup> $C = 0.57$ M $\delta_D = 1.43$ nm <sup>f</sup>	25	$2.3 \times 10^{-15}$	$5.1 \times 10^{-15}$	$9.6 \times 10^{-15}$	1.4	4.4	2.4	1.0	1.4
	20	$6.7 \times 10^{-16}$	$3.4 \times 10^{-15}$	$5.2 \times 10^{-15}$	4.1	12	5.9	0.9	1.2
	15	$4.1 \times 10^{-16}$	$1.8 \times 10^{-15}$	$3.2 \times 10^{-15}$	5.4	17	9.7	0.9	1.2
	10	$1.8 \times 10^{-16}$	$9.5 \times 10^{-16}$	$1.6 \times 10^{-15}$	8.5	30	22	0.9	1.0
	5	$1.6 \times 10^{-16}$	$4.5 \times 10^{-16}$	$8.6 \times 10^{-16}$	14	52	44	1.2	1.3
	0	$1.2 \times 10^{-16}$	$1.2 \times 10^{-16}$	$3.5 \times 10^{-16}$	29	$1.1 \times 10^2$	84	1.4	1.6
	-5	$4.9 \times 10^{-17}$	$6.3 \times 10^{-17}$	$1.9 \times 10^{-16}$	62	$2.1 \times 10^2$	$2.0 \times 10^2$	1.4	1.4
	-18	$9.0 \times 10^{-19}$	$9.2 \times 10^{-19}$	$4.6 \times 10^{-18}$	$6.8 \times 10^2$	$1.5 \times 10^3$	$2.7 \times 10^2$	0.2	0.5
Co(P <sub>2</sub> M) <sub>3</sub> <sup>b</sup> $C = 0.71$ M $\delta_D = 1.33$ nm <sup>f</sup>	30	$5.6 \times 10^{-17}$	$1.2 \times 10^{-16}$	$1.7 \times 10^{-16}$	55	$2.9 \times 10^2$	51	0.8	1.8
	28	$2.7 \times 10^{-17}$	$8.2 \times 10^{-17}$	$1.2 \times 10^{-16}$	80	$4.6 \times 10^2$	86	0.7	1.6
	25	$2.0 \times 10^{-17}$	$5.3 \times 10^{-17}$	$9.5 \times 10^{-17}$	$1.1 \times 10^2$	$5.9 \times 10^2$	$1.2 \times 10^2$	0.7	1.1
	22	$1.3 \times 10^{-17}$	$3.2 \times 10^{-17}$	$5.5 \times 10^{-17}$	$2.0 \times 10^2$	$> 6 \times 10^2$ <sup>g</sup>	$2.2 \times 10^2$	0.8	<sup>g</sup>
Co(P <sub>1+2</sub> M) <sub>3</sub> <sup>b</sup> $C = 0.76$ M $\delta_D = 1.30$ nm <sup>f</sup>	55	$2.2 \times 10^{-16}$	$9.2 \times 10^{-16}$	$1.0 \times 10^{-15}$	7.1	30	3.9	0.4	1.1
	50	$6.6 \times 10^{-17}$	$3.8 \times 10^{-16}$	$4.7 \times 10^{-16}$	13	59	8.0	0.3	0.9
	45	$7.9 \times 10^{-17}$	$1.6 \times 10^{-16}$	$1.6 \times 10^{-16}$	35	$1.6 \times 10^2$	42	0.8	1.6
	40	$2.2 \times 10^{-17}$	$5.2 \times 10^{-17}$	$5.9 \times 10^{-17}$	98	$4.9 \times 10^2$	90	0.6	1.5
	35	$2.8 \times 10^{-17}$	$1.3 \times 10^{-17}$	$2.8 \times 10^{-17}$	$2.6 \times 10^2$	$> 6 \times 10^2$ <sup>g</sup>	$1.5 \times 10^2$	0.9	<sup>g</sup>
Co(PM) <sub>3</sub> <sup>a</sup> $C = 0.81$ M $\delta_D = 1.27$ nm <sup>f</sup>	85	$2.2 \times 10^{-16}$	$1.7 \times 10^{-15}$	$2.4 \times 10^{-15}$	8.5	24	7.0	0.6	1.0
	82	$8.0 \times 10^{-17}$	$1.0 \times 10^{-15}$	$1.4 \times 10^{-15}$	6.5	34	5.3	0.3	0.7
	80	$4.5 \times 10^{-17}$	$8.7 \times 10^{-16}$	$1.1 \times 10^{-15}$	5.3	43	7.0	0.2	0.6
	75	$3.9 \times 10^{-17}$	$5.3 \times 10^{-16}$	$6.7 \times 10^{-16}$	4.3	69	14	0.3	0.7

<sup>a</sup> Analyzed with LDM#2 electrode ( $A = 5 \times 10^{-5}$  cm<sup>2</sup>). <sup>b</sup> Analyzed with LDM#1 electrode ( $A = 2 \times 10^{-4}$  cm<sup>2</sup>). <sup>c</sup>  $D_{\text{bulk}}$  calculated from Cottrell plot at times  $\geq 2(t_{\text{inflec}})$ .  $D_{0.5\text{inflec}}$  and  $D_{\text{inflec}}$  taken from Cottrell plot slopes at  $t_{0.5M}$  and  $t_M$ . <sup>d</sup> Time required for equivalent half-monolayer ( $t_{0.5M}$ ) and monolayer ( $t_M$ ) of charge ( $Q_{\text{mono}}$ ) to pass;  $t_{\text{inflec}}$  is time of maximum slope of Cottrell plot. <sup>e</sup>  $L_{\text{inflec}} = [2D_{\text{bulk}} t_{\text{inflec}}]^{1/2}$  and  $L_M = [2D_{\text{bulk}} t_M]^{1/2}$ . <sup>f</sup> Molecular diameter, as calculated from measured concentration assuming cubic packing. <sup>g</sup> The equivalent of a monolayer of charge ( $Q_{\text{mono}}$ ) had not been electrolyzed by the end of the experiment (600 s).

constant, which is revealed as  $<1$  s in the inset of Figure 3A. Note that all currents in the Figure 3A inset are at times shorter than the shortest time in the Cottrell plot in Figure 3B.

Figure 3B shows that, at the longest times (lower left), the Cottrell plot becomes linear and extrapolates to the origin, as required by eq 1 and as observed in previous experiments<sup>1</sup> under conditions producing “ordinary” diffusion layer thicknesses  $L > \delta_D$ . The slope of this segment of the Cottrell plot gives physical diffusion constants  $D_{\text{bulk}}$  that are given in Table 1 for measurements at different temperatures in the four Co complex melts. The  $D_{\text{bulk}}$  values, consistent with previous results,<sup>1a,3,12</sup> are quite small and decrease as the polyether chains are shortened because of the concurrent decrease of free volume.<sup>1e</sup> As a miscellaneous observation and to emphasize the slowness of the observed mass transport, the time required for a Co(II) complex with a  $D_{\text{bulk}}$  of  $10^{-18}$  cm<sup>2</sup>/s to diffuse a distance of 1 cm is ca. 6.3 billion years, a significant fraction of the age of the universe!

The chronoamperometric current–time curve in Figure 3A was integrated to give a charge–time response (Figure S-1) from which we could assess the times required for reaction of a monolayer ( $Q_{\text{mono}}$ ), or a fraction thereof, of the Co(II) complex. The times 0.25 M, 0.5 M, and M marked on the Figure 3B Cottrell plot correspond to times at which  $0.25Q_{\text{mono}}$ ,  $0.5Q_{\text{mono}}$ , and  $Q_{\text{mono}}$  charges had been passed. Clearly the major portion of the Figure 3B Cottrell plot lies in the molecule-scale regime and is the first result of this kind. Values of the times at which  $0.5Q_{\text{mono}}$  and  $Q_{\text{mono}}$  charges had been passed ( $t_{0.5M}$  and  $t_M$ , Table 1) vary by a factor of  $>10^2$  for the different metal complex melts and temperatures.

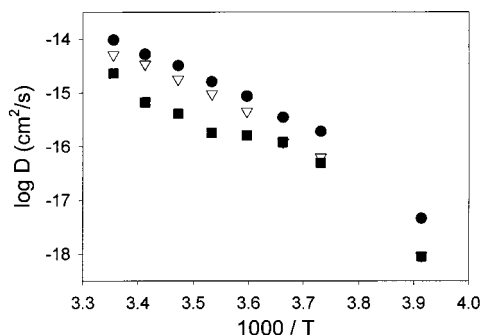
The chronoamperometric current–time plot (Cottrell plot) in Figure 3B has an unusual shape that is typical of experiments under molecule-scale diffusion conditions (i.e., when  $L \leq \delta_D$ ). At short times, the slope of the plot increases with increasing time, reaches a maximum (the inflection in the curve, at  $t_{\text{inflec}}$ ),

and then decreases until it becomes constant (the longest time,  $D_{\text{bulk}}$  segment). All of these changes in the Cottrell plot occur at times where less than  $Q_{\text{mono}}$  of charge has been passed. The time  $t_{\text{inflec}}$ , determined by differentiation (see Figure S-2), increases with decreasing melt temperature (Figure S-3), and with shorter polyether chains, just as do values of  $D_{\text{bulk}}$ . In fact, as seen in Table 1, the time  $t_{\text{inflec}}$ , throughout the melt experiments, is generally near that ( $t_{0.5M}$ ) at which a charge of  $0.5Q_{\text{mono}}$  has been passed.

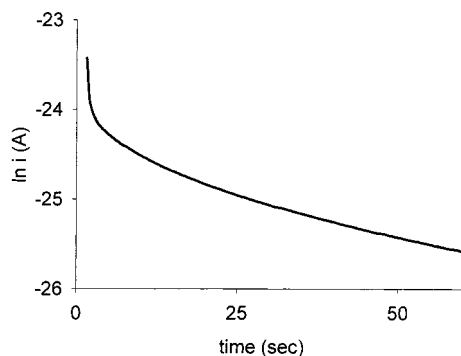
The Cottrell plot inflection behavior in Figure 3B is clearly a molecule-scale diffusion transition region associated with passing roughly the first monolayer of charge. After passing roughly  $Q_{\text{mono}}$  of charge, Fickian properties are observed, as noted above. The apparent diffusion constants calculated from the Cottrell plot inflection times (and at one-half of that time,  $0.5t_{\text{inflec}}$ ) are given in Table 1. The values of  $D_{\text{inflec}}$  are larger than the bulk diffusion constants  $D_{\text{bulk}}$ , but the ratio  $D_{\text{inflec}}/D_{\text{bulk}}$  is relatively constant  $7(\pm 4)$  over the nearly  $10^4$ -fold range of diffusion rates. The larger value of  $D_{\text{inflec}}$  is examined later in this report.

The calculated diffusion length is another identifier of the molecule-scale diffusion regime. Table 1 shows values for the diffusional pathlength  $L_{\text{inflec}}$  calculated based on the time  $t_{\text{inflec}}$  and using  $D_{\text{bulk}}$  as the diffusion constant. We see that  $L_{\text{inflec}}$  is typically a fraction of the diameter of the Co complex. A similar result ( $L_M$ ), again a fraction of the metal complex diameter  $\delta_D$ , is obtained using the time  $t_M$ .

The apparent diffusion constants in the molecule-scale regime are thermally activated, as are those in the “bulk” regime ( $D_{\text{bulk}}$ ). Activation plots in Figure 4 yield barrier energies of 126, 102, and 109 kJ/mol for diffusion constants evaluated at  $t_{0.5M}$ ,  $t_{\text{inflec}}$ , and in the bulk diffusion regime, respectively. The latter two values are indistinguishable from one another within the considerable scatter in the plots. The value for  $D_{\text{bulk}}$  is considerably larger than the ca. 80 kJ/mol previously observed



**Figure 4.** Activation plots of diffusion coefficients from Table 1 for  $\text{Co}(\text{P}_3\text{M})_3$  melt. Linear regression of  $D_{0.5\text{inflec}}$  ( $\nabla$ ),  $D_{\text{inflec}}$  ( $\bullet$ ), and  $D_{\text{bulk}}$  ( $\blacksquare$ ) plots gives activation barrier energies of 126, 109, and 102 kJ/mol, respectively.



**Figure 5.** Plot of  $\ln(\text{current})$  versus time ( $1.5 \text{ s} < \text{time} < 60 \text{ s}$ ) for the  $\text{Co}(\text{P}_2\text{M})_3$  melt at  $30^\circ\text{C}$ , LDM#2 microband electrode. The slope at 51 s (ca.  $t_{\text{inflec}}$ ) gives  $k_{\text{ET}} = 0.016 \text{ s}^{-1}$ .

in our lab for a  $\text{Co}(\text{E}_3\text{M})_3$  ( $\text{E}$  = ethylene oxide) polyether-tailed cobalt bipyridine molten salt.<sup>1a</sup>

**Electron-Transfer Rate Analysis,  $k^0$ .** The first monolayer of Co complex does not react instantly in the potential step of Figure 3 because the  $\text{Co}(\text{II} \rightarrow \text{III})$  reaction rate is very slow. Current–time results such as those in Figure 3 can be analyzed for the kinetics of electron transfer between  $\text{Co}(\text{II})$  complexes and the adjacent electrode; in the analysis we imagine that the reaction proceeds by all of the first monolayer reacting before any diffusive mixing steps occur with other Co complexes not initially in the first monolayer. The current–time data are plotted (Figure 5) as  $\ln(\text{current})$  vs. time, the slope of which is the electron-transfer rate constant ( $k_{\text{ET}}$ ,  $\text{s}^{-1}$ ) at the applied potential. This analysis is analogous to that of reactions of monolayers of redox sites attached to electrodes,<sup>13</sup> but is obviously an approximation; the  $\text{Co}(\text{II})$  complexes are not actually attached to the electrode and can slowly diffuse. The curvature typical in these  $\ln(\text{current})$  vs. time plots (Figure 5, for the  $\text{Co}(\text{P}_2\text{M})_3$  complex) probably reflects the slow diffusional intermixing. Others<sup>14</sup> have discussed diffusion-controlled reactions with time-dependent rate constants following sudden perturbations (in this case the electrolysis step). The Figure 5 time-dependency may also be caused by the changing distribution of distances over time.

Electron-transfer rate constants  $k_{\text{ET}}$  were evaluated from the slopes at times  $t_{\text{inflec}}$  and  $0.5t_{\text{inflec}}$ ; the results, given in Table 2, are the same within roughly 2-fold. These data are compared with the preceding diffusion analysis in a later section.

**Analysis of Quasi-Reversible Cyclic Voltammetry.** In the third data analysis, we return to cyclic voltammetry such as that portrayed in Figure 2. The results presented include some experiments in which the diffusion was not molecule-scale, but was close to it (several diameters of the  $\text{Co}(\text{II})$  complex). In

**TABLE 2: Analysis of Molecule-Scale Diffusion as Electron Transfer Rate in  $\text{Co}(\text{P}_N\text{M})_3$  Melts at Various Temperatures**

melt	temp ( $^\circ\text{C}$ )	$D_{\text{inflec}}/\delta_D^2$ ( $\text{s}^{-1}$ ) <sup>a</sup>	$k_{\text{ET}}$ at $t_{\text{inflec}}$ ( $\text{s}^{-1}$ ) <sup>b</sup>	$D_{0.5\text{inflec}}/\delta_D^2$ ( $\text{s}^{-1}$ ) <sup>a</sup>	$k_{\text{ET}}$ at 0.5 $t_{\text{inflec}}$ ( $\text{s}^{-1}$ ) <sup>b</sup>	$k^0_{\text{cv}}/\delta_D^2$ ( $\text{s}^{-1}$ ) <sup>a</sup>
$\text{Co}(\text{P}_3\text{M})_3$	25	0.49	0.28	0.26	0.48	0.047
	20	0.27	0.13	0.17	0.18	0.015
	15	0.16	0.08	0.092	0.11	0.0077
	10	0.082	0.039	0.048	0.054	0.0021
	5	0.044	0.019	0.023	0.024	0.0022
	0	0.018	0.0096	0.0061	0.011	0.00059
	−5	0.0097	0.0037	0.0032	0.0042	
$\text{Co}(\text{P}_2\text{M})_3$	−18	0.00023	0.0012	0.00047	0.0013	
	30	0.0096	0.016	0.0067	0.023	0.00083
	28	0.0069	0.010	0.0046	0.014	0.00035
	25	0.0054	0.0077	0.0030	0.0099	0.00021
$\text{Co}(\text{P}_{1+2}\text{M})_3$	22	0.0031	0.0044	0.0018	0.0056	
	55	0.059	0.15	0.054	0.31	
	50	0.028	0.077	0.022	0.13	
	45	0.0095	0.016	0.0095	0.028	
	40	0.0035	0.0074	0.0031	0.013	
$\text{Co}(\text{PM})_3$	35	0.0017	0.0062	0.00077	0.0046	
	85	0.15	0.19	0.11	0.33	
	82	0.087	0.15	0.062	0.27	
	80	0.068	0.11	0.054	0.17	
	75	0.042	0.057	0.033	0.090	

<sup>a</sup> See Table 1 for  $t_{\text{inflec}}$  and  $\delta_D$  for each melt. <sup>b</sup>  $k_{\text{ET}}$  represents slope of plot of  $\ln(\text{current})$  versus time at  $t = t_{\text{inflec}}$  or  $0.5t_{\text{inflec}}$ .

many cases, no reasonable cyclic voltammetry could be attained owing to the vanishingly small currents ( $<10$  femtoamps) at the slow potential scan rates. The peak potential separation  $\Delta E_{\text{peak}}$  was treated using the classical Nicholson–Shain method,<sup>3,8</sup> in which the measured value of  $\Delta E_{\text{peak}}$  is equated to a theoretically computed kinetic parameter  $\varphi$  related to the electron transfer and diffusion rates by

$$\varphi = \frac{\left(\frac{D_0}{D_R}\right)^{\alpha/2} k^0_{\text{cv}}}{[D_0 \pi \nu (nF/RT)]^{1/2}} \quad (2)$$

$D_0$  and  $D_R$ , the  $\text{Co}(\text{III})$  and  $\text{Co}(\text{II})$  diffusion coefficients, have been demonstrated<sup>7</sup> in  $D_{\text{bulk}}$  measurements to be equal in the Co complex melts.  $D_{\text{bulk}}$  values were employed in eq 2. We assume that the transfer coefficient  $\alpha = 0.5$ .  $\nu$  is potential scan rate (V/s).

Results for the rate constant  $k^0_{\text{cv}}$  for the  $\text{Co}(\text{P}_3\text{M})_3$  and  $\text{Co}(\text{P}_2\text{M})_3$  complexes at different temperatures and potential scan rates are given in Table 3. There is no significant trend in the rate constant with potential scan rate (a typical test for the absence of  $iR_{\text{unc}}$  distortion of  $k^0_{\text{cv}}$ ). The  $iR_{\text{unc}}$  effect in these melts has been discussed in detail<sup>7</sup> and shown, although not entirely negligible, to be minor.

The  $k^0_{\text{cv}}$  results in Table 3 correspond to the heterogeneous rate constant at the formal potential of the  $\text{Co}(\text{II/III})$  couple. The rate constants determined using the first-order reaction plot in Figure 5, on the other hand, are at an applied over-potential of a few hundred mV and are larger.

**Comparison of Molecule-Scale Diffusion Coefficients and Electron-Transfer Rates.** That rates of electrochemical reactions are controlled by either the rate of reactants diffusing to the electrode or by their rates of electron transfer at the electrode is a fundamental concept<sup>3</sup> in the analysis of electrochemical experiments. If the time constant associated with reactant diffusion is slower than that associated with the electron-transfer reaction, then the current is controlled by reactant diffusion and is described by boundary value solutions to Fick's laws. If the

**TABLE 3: Cyclic Voltammetry Results for Heterogeneous Rate Constants for the Co(II  $\rightarrow$  III) Reaction in Co(P<sub>3</sub>M)<sub>3</sub> and Co(P<sub>2</sub>M)<sub>3</sub> Melts**

sample	temp (°C)	scan rate (mV/s)	$\Delta E_{\text{peak}}$ (mV)	$k_{\text{cv}}^0 \times 10^{-10}$ cm/s
Co(P <sub>3</sub> M) <sub>3</sub> <sup>a</sup>	25	50	288	0.049
		20	195	0.13
		10	223	0.093
	20	10	239	0.072
		1	173	0.151
	10	1	247	0.063
	5	1	230	0.070
	0	1	339	0.021
	Co(P <sub>2</sub> M) <sub>3</sub> <sup>b</sup>	30	331	0.037
		0.75	292	0.049
		0.5	272	0.059
		0.4	240	0.082
		0.3	239	0.084
	28	0.75	371	0.022
		0.5	327	0.035
		0.4	291	0.049
		0.3	286	0.051
		0.5	384	0.019
	25	0.4	364	0.023
		0.3	299	0.045

<sup>a</sup> Analyzed with the LDM#2 electrode ( $A = 5 \times 10^{-5}$  cm<sup>2</sup>).<sup>b</sup> Analyzed with the LDM#1 electrode ( $A = 2 \times 10^{-4}$  cm<sup>2</sup>).

reverse is true, then the current is controlled by an appropriate model of rate versus over-potential, such as the Butler–Volmer expression.<sup>3</sup>

In the context of molecule-scale diffusion, these two classical concepts are merged and become equivalent descriptions of the reaction rate. In classical diffusion theory, a diffusion coefficient is defined<sup>15</sup> as a product of a jump rate (s<sup>-1</sup>) and a jump distance squared.<sup>15</sup> In molecule-scale diffusion, we hypothesize that the “diffusive” jump rate and the electron-transfer rate are equivalent, and further propose that the characteristic jump distance is the diameter of the reactant Co(II) complex ( $\delta_D$ , listed in Table 1 for the various complexes). This proposal is evaluated in Table 2 by dividing the results for  $D_{0.5\text{inflec}}$  and  $D_{\text{inflec}}$  (Table 1) by  $\delta_D^2$ . Compared to the results for  $k_{\text{ET}}$  at  $t_{0.5\text{inflec}}$  and  $t_{\text{inflec}}$ ,  $D_{\text{inflec}}/\delta_D^2$  is, over a range of  $10^3$  in the actual values, in nearly all cases the same within a factor of 2-fold. (The comparison at  $0.5 t_{\text{inflec}}$  is not as close.) The similarity of  $D_{\text{inflec}}/\delta_D^2$  and  $k_{\text{ET}}$  values emphasizes that the diffusion and electron-transfer kinetic concepts converge in the molecule-scale diffusion regime, and that the optimum time for the comparison in the context of the chronoamperometric experiment is  $t_{\text{inflec}}$ .

The  $k_{\text{ET}}$  values of Table 2 are obtained at potentials between 0.1 and 0.2 V more positive than the formal potential of the Co(III/II) couple. The  $k_{\text{cv}}^0$  results in Table 3 are taken at the Co(III/II) formal potential. The  $k_{\text{cv}}^0$  results are compared in Table 2 to the cyclic voltammetry rate constants,  $k_{\text{cv}}^0$  (cm/s), by dividing the latter by the characteristic dimension  $\delta_D$ . Table 2 shows that the ratio  $k_{\text{cv}}^0/\delta_D$  closely parallels the  $D_{\text{inflec}}/\delta_D^2$  and  $k_{\text{ET}}$  values, but is as expected from the difference in potential, uniformly smaller, by an average factor of  $12 \pm 6$ . This factor corresponds (assuming  $\alpha = 0.5$ ) to an over-potential of about 0.13 V, which is consistent with the actual experimental step potential noted above. In addition, the activation barriers of these parameters are similar (Figure S-4): 111, 84, and 109 kJ/mol for  $k_{\text{cv}}^0/\delta_D$ ,  $k_{\text{ET}}$ , and  $D_{\text{inflec}}/\delta_D^2$ , respectively.

**Properties of Molecule-Scale Diffusion.** One can pose a host of questions regarding the chemical nature of the electrode–melt interface. First, are there specific chemical interactions between the cobalt complexes and the electrode? Is the ion-pairing<sup>16</sup> of the Co complex cation with its perchlorate coun-

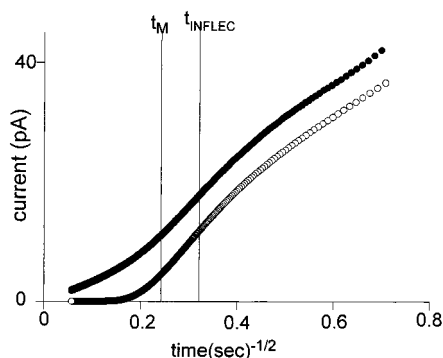
terion in these highly concentrated melts stronger or weaker at the interface versus the bulk? If either of these is significant, the diffusive hopping rates between the first and second monolayers (versus second and third) of Co complexes might differ. The bulklike value of  $D_{\text{phys}}$  that is reached after only  $Q_{\text{mono}}$  of charge (Figure 3) would suggest that this is not the case, or at least that any difference is small. We would also point to the somewhat remarkable fact that the molecule-scale diffusion results of Figures 2, 3, and 6 follow Fickian mathematics. One would anticipate that a particle should be required to undergo a much larger number of diffusive “hops” than one, to reproduce the random walk properties intrinsic in the Fick’s Laws<sup>3</sup> on which eqs 1–3 are based. Our qualitative, intuitive rationale for this is that while any given Co complex may undergo only one or two diffusive hops during the experiment, observing a huge ensemble of complexes simultaneously doing this produces the effect of a much longer random walk process.

Second, the perchlorate counterion is not only more mobile than the metal complex,<sup>1a</sup> but it is also smaller, so that its distance of closest approach to the electrode can be less, which may distort the interfacial potential gradient that the complex itself actually experiences. It is not clear how to assess this issue from the present results.

Third, the data allow a conclusion with respect to previous results<sup>12</sup> for heterogeneous rate constants  $k_{\text{cv}}^0$  obtained for the Co(III/II) electron transfer under “normal” diffusion conditions (i.e.,  $L \gg \delta_D$ ). We observed<sup>12</sup> that in melt combinations of [Co(bpy)<sub>3</sub>]<sup>2+</sup> complexes and polyethers, the self-diffusion coefficients of the Co complexes are proportional to  $k_{\text{cv}}^0$  and inversely proportional to viscosity over a remarkably wide,  $10^{11}$ -fold range. This proportionality was interpreted to reflect “solvent dynamics” control of the rate of the Co(III/II) reaction. That the Co(III/II) reaction of the Co(bpy)<sub>3</sub><sup>2+</sup> complex can be solvent-dynamics controlled in an organic matrix was recently<sup>17</sup> verified by high pressure measurements. The results for heterogeneous rate constants in Table 3 are entirely consistent with these earlier results, in that they fall (at the slowest end) onto the reported  $D_{\text{phys}}$  vs.  $k_{\text{cv}}^0$  plot,<sup>12</sup> within uncertainties no greater than any other segment of that plot. This correspondence strongly infers that electron transfer solvent dynamics control extends into the molecule-scale diffusion regime. Thus, slow nuclear motions of the same variety as those that control physical self-diffusion hops of the Co complex in the bulk melt also control the solvent-environment relaxation time constant of electrode-adjacent Co complexes, and in turn control the electron-transfer rate constant of those complexes.

Fourth, what is the origin of the peculiar inflection that appears in Cottrell plots such as that in Figure 3B? For potential step results, the inflection is characteristic of the molecule-scale diffusion regime. This unusual behavior can be rationalized by a diffusion concept known as “finite diffusion”. Finite diffusion effects have been explored in electrochemistry in the contexts of thin layer electrochemical cells<sup>18</sup> and of electrolysis of thin films of redox polymers<sup>19</sup> and nanoparticles<sup>20</sup> on electrodes. In these earlier experiments, at early times in a potential step electrolysis, the diffusion layer (the reactant’s depletion layer) is thin enough to lie entirely within the thin reactant film, so that the diffusion is so-called “semi-infinite”. The Cottrell relation (eq 1) is derived under the assumption of semi-infinite diffusion. At longer electrolysis times, however, the thickening diffusion layer encounters the boundary at which the population of reactant disappears. Then the reactant flux to the electrode (i.e., the current) becomes depressed and eventually falls to zero as all of the reactant is consumed.





**Figure 6.** Experimental (●, offset upward by 5.3 pA, for clarity) and simulated (○) Cottrell plots (2s < time < 600 s) for the Co(P<sub>3</sub>M)<sub>3</sub> melt at 15 °C (see Table 1). Simulated plot is from eq 3 based on (experimental values)  $C = 5.7 \times 10^{-3}$  mol/cm<sup>3</sup>,  $A = 5 \times 10^{-5}$  cm<sup>2</sup>, and  $d$  ( $\delta_D$ ) = 1.43 nm. Diffusion coefficient used for fit was  $1.1 \times 10^{-15}$  cm<sup>2</sup>/s; this value is intermediate between the measured  $D_{\text{bulk}} = 4.1 \times 10^{-16}$  cm<sup>2</sup>/s and  $D_{\text{inflec}} = 3.2 \times 10^{-15}$  cm<sup>2</sup>/s in this melt.

In the context of “finite diffusion” in molecule-scale diffusion, the “thin reactant layer” would be the monomolecular layer of Co(II) complex initially next to the electrode. Figure 6 compares Cottrell plots for an experimental current–time response and for a calculated current–time response under finite diffusion conditions, according to the equation

$$i = \frac{nFAD^{1/2}C}{\pi^{1/2}t^{1/2}} \left[ \sum_{k=0}^{\infty} (-1)^k \left\{ \exp\left(\frac{-k^2 d^2}{Dt}\right) - \exp\left(\frac{-(k+1)^2 d^2}{Dt}\right) \right\} \right] \quad (3)$$

The curve is calculated using parameters (figure legend) corresponding to molecule-scale “diffusion” within a thin layer cell of thickness  $d = \delta_D$  (the Co complex diameter). The calculated curve displays an inflection in slope and is strikingly similar in shape and scale to the experimental one. The main difference is an expected one; in the real melt, at longer times, rather than falling to zero, current continues to flow because electroactive species slowly diffuse into the fictitious “monolayer” thin layer cell,  $\delta_D$ . We believe the finite-diffusion effect is a plausible general explanation for the behavior of the currents as the reaction passes through the molecule-scale diffusion regime.

Fifth, another factor to be considered in monolayer-scale diffusion is whether, owing to the longtime scale of the first monolayer’s electrolysis, some electron transfers might occur over a longer distance. Electron tunneling rates vary exponentially with reactant separation times an electronic coupling term ( $\beta$ , ca. 1 Å<sup>−1</sup>).<sup>21</sup> When concentrations are large, and diffusion to the electrode surface is very slow, Feldberg<sup>22</sup> has pointed out that electron transfer between electrode and reactant might occur at noncontact distances. A dimensionless parameter used to predict the likelihood of such reactions is

$$k^* = \frac{k_{S,0,E} \delta^2}{D} \quad (4)$$

where  $k_{S,0,E}$  is the electron-transfer rate constant (s<sup>−1</sup>) for reactions that occur in contact with the electrode surface. To observe a significant rate of extended electron transfer (which gives enhanced currents because a wider zone of material reacts), the simulations<sup>22</sup> show that  $k^*$  must be > 1. In the present case, we calculate for example, for the Co(P<sub>3</sub>M)<sub>3</sub> melt at 25 °C ( $D_{\text{bulk}} = 2.3 \times 10^{-15}$  cm<sup>2</sup>/s,  $k^0 = 6.7 \times 10^{-9}$  cm/s), that  $k^* = 0.029$ . Similarly, for the Co(P<sub>2</sub>M)<sub>3</sub> melt at 25 °C ( $D_{\text{bulk}} = 2.0 \times 10^{-17}$

cm<sup>2</sup>/s,  $k^0_{\text{cv}} = 2.0 \times 10^{-11}$  cm/s),  $k^* = 0.010$ . Both values are substantially < 1, an answer not supporting any contribution of extended electron transfer in the current molecule-scale diffusion system. The primary reason is that although  $D$  is very small, so is  $k^0_{\text{cv}}$ . One can infer, additionally, that extended electron transfer will in general, not occur for a reaction with solvent dynamics-controlled rates.

Finally, whether “molecule-scale diffusion” might be accessed using molecular systems that are not semisolids (with their extremely small  $D$  values) depends on a number of factors. In dilute solutions of small molecules in fluid solvents, for example, ferrocene in acetonitrile ( $D = 2.3 \times 10^{-5}$  cm<sup>2</sup>/s and  $\delta_D \approx 0.5$  nm), the required molecule-scale diffusion electrolysis measurement time would be  $t_{\text{msd}} \approx 50$  ps. Although (through microelectrodes) great strides have been made in the timescale of electrochemical experiments, this time seems beyond the current reach. On the other hand, the value of  $t_{\text{msd}}$  is rather sensitive to the reactant size; an increase in  $\delta_D$  to 4 nm (in the same solvent so that  $D$  decreases by 8-fold) would amount to an 8<sup>3</sup> change in  $t_{\text{msd}}$  to  $\approx 28$  ns, which seems more achievable. Searching for molecule-scale diffusion with bulky reactants might thus be productive.

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**Supporting Information Available:** Figures showing illustrative integration of chronoamperometric current–time responses to determine  $t_M$ , differentiation of Cottrell plots to determine  $t_{\text{inflec}}$ , Cottrell plots showing how  $t_{\text{inflec}}$  changes with temperature, and activation plots for electron-transfer kinetic data. This material is available free of charge via the Internet at <http://pubs.acs.org>.

## List of Symbols

$L$	root mean-square diffusion distance
$\delta_D$	molecular diameter
$D_{\text{bulk}}$	diffusion coefficient characteristic of bulk properties
$Q_{\text{mono}}$	charge (C) associated with reaction of a monolayer of the metal complex
$t_M$	time required to pass $Q_{\text{mono}}$ charge
$t_{\text{inflec}}$	time of maximum inflection observed in Cottrell plots
$L_{\text{inflec}}$	root mean-square diffusion distance at time = $t_{\text{inflec}}$
$L_M$	root mean-square diffusion distance at time = $t_M$
$k_{\text{ET}}$	first-order electron-transfer rate constant (s <sup>−1</sup> )
$k^0_{\text{cv}}$	heterogeneous electron-transfer rate constant calculated via cyclic voltammetry (cm/s)

## References and Notes

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