### 5043 Advanced Machine Learning - HW $5\,$

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### 1 Figures

### 1.1 Figure 0

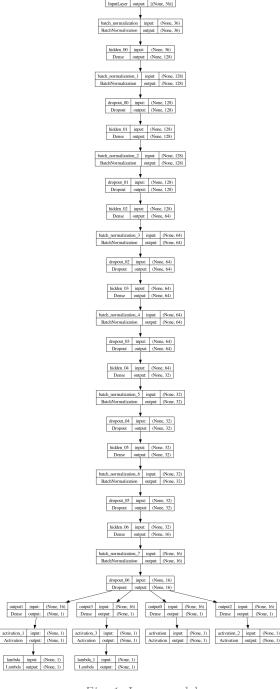


Fig. 1: Inner model

#### 1.2 Figure 1a

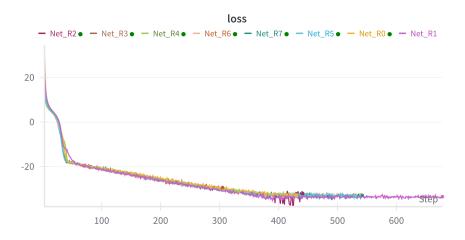


Fig. 2: Training Loss

### 1.3 Figure 1b

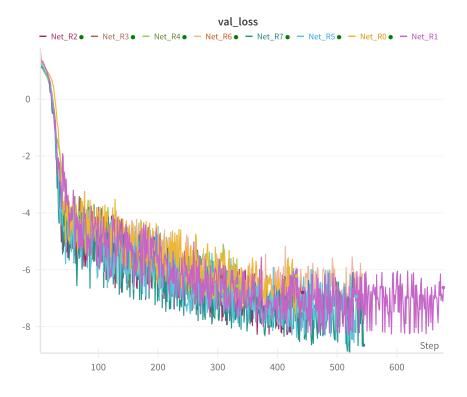


Fig. 3: Validation Loss

#### 1.4 Figure 2



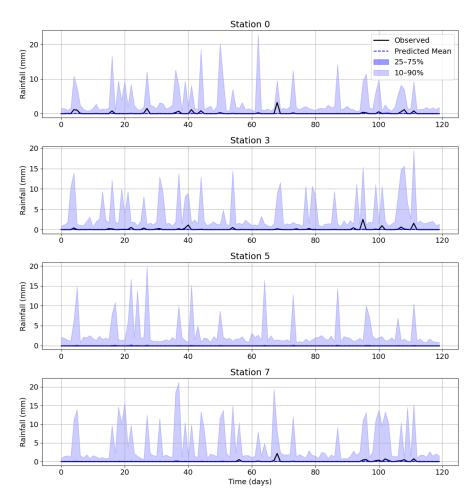


Fig.~4: Timestamps examples from different stations

#### 1.5 Figure 3a

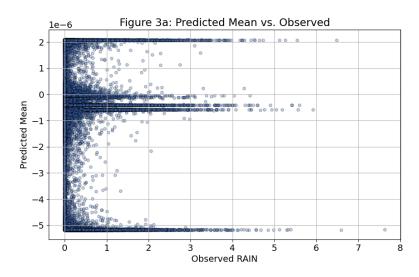


Fig. 5: Predicted mean

#### 1.6 Figure 3b

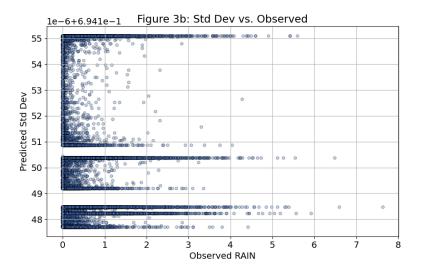
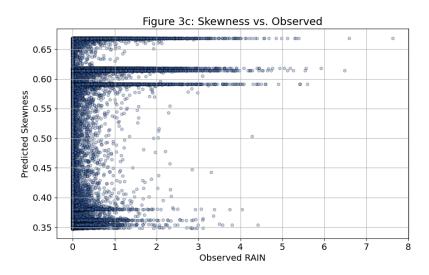


Fig. 6: Predicted standard deviation

#### 1.7 Figure 3c



 $Fig. \ 7:$  Predicted skewness

#### 1.8 Figure 3d

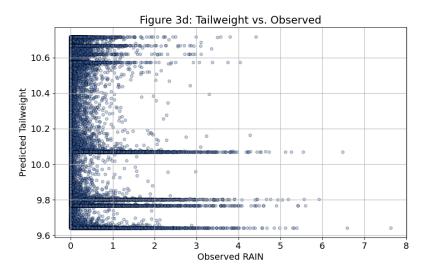


Fig. 8: Predicted tailweight

#### 1.9 Figure 4

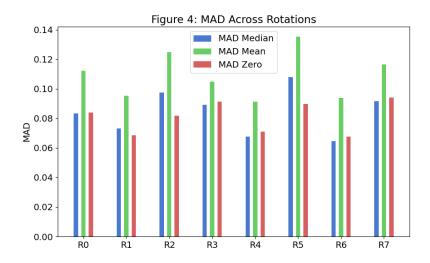


Fig. 9: MAD scores comparaison

#### 1.10 Other Figures

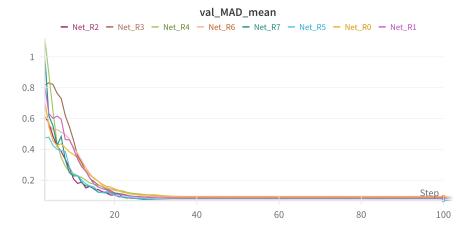


Fig. 10: MAD Mean Validation

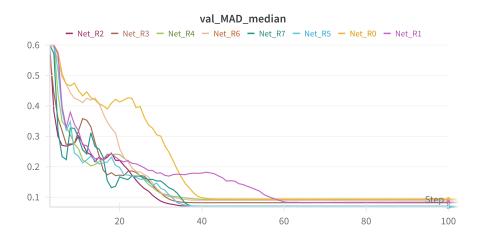


Fig. 11: MAD Median Validation

MAD_mear	MAD_median	MAD_zero	val_MAD_mean	val_MAD_median	val_MA
0.081937	0.081943	0.081934	0.0687	0.068689	0.068687
0.075834	0.075869	0.075828	0.081858	0.081873	0.081847
0.083266	0.083245	0.083262	0.091616	0.091582	0.091617
0.083635	0.083593	0.083631	0.070923	0.070847	0.070923
0.077772	0.077732	0.077768	0.089707	0.089602	0.089697
0.078664	0.078619	0.078661	0.067695	0.067603	0.067691
0.077221	0.077193	0.077217	0.094206	0.094124	0.094203
0.079656	0.07961	0.079652	0.083899	0.083792	0.083894

Fig. 12: MAD Scores

I provided this additional figures, the first and the second figures, show the validation MADs as metrics, could be used as a loss that tend to 0. We can clearly see that the model converge and is consistent because the validation mads decrease as the validation loss decreases too.

We can even see the MAD Scores that the validation MAD median and training MAD median is slightly lower than the MAD zero.

#### 2 Analysis & Discussion

## 2.1 "Discuss in detail how consistent your model performance is across the different rotations."

We can see in figure 1a and figure 1b that for each rotation, the training loss and validation loss decrease similarly. We can see that each loss tend to the same point, around -33 in NLL. We can also see that the curves are pretty stable, the training more than the validation.

I used dropout and l2 regularization in my inner model to prevent overfitting. It helps to get very good MADs. We can see in figure 4 each rotation has a MAD median and MAD mean near the MAD zero. This proves stability and consitency in the model across all rotations.

# 2.2 "Given the time-series plots, describe and explain the shape of the pdf and how it changes with time."

The figure 2 plot shows how the model adjusts the shape of its predicted distribution to match the weather conditions. When the rainfall is 0, the predicted distribution is narrow around zero. As the rainy probability increase, the variance increases too showing the uncertainty in weather forecast.

The model tends to predict higher when it's "heavy rain" probably because the inputs is massively composed of 0.

## 2.3 "Discuss how skewness is used by the model. Is there a consistent variation in this distribution parameter?"

The figure 3c shows that the predicted skewness fixed around two tight bands, one at 0.39 and the other at 0.59. The model could not leveraging the skewness parameter dynamically. Maybe, the model determines or preferred other parameters such as deviation or tailweight.

# 2.4 "Discuss how tailweight is used by the model. Is there a consistent variation in this distribution parameter?"

Like skewness, predicted tailweight is tightly constrained between 9.8 and 10.6. I think the problem here is that, because the data contains a lot of 0, it is hard for the model to get high variation in parameters. We can see this for the tailweighted, but it was the same for the skewness.

# 2.5 "Is Sinh-Arcsinh an appropriate distribution for modeling this particular phenomena? Why or why not? (answer in detail)"

Sinh-Arcsinh is appropriate because it supports skewed distribution as the rainfall dataset. It could helping caputre outlier rainfall events. A possible limitation of the distribution is that the Sinh-Arcsinh distribution is unbounded, allowing for negative values, while rainfall is strictly non-negative. But the model often predicted near-zero means during dry periods, the distribution can technically assign non-zero probability to negative rainfall.

So its practival utility was limited in this experience. Or maybe, I could not achieve a model that could properly compute good parameters and make the Sinh-Arcsinh not well used. However, because of the loss and MADs values, I think that the model is relatively good.

## 2.6 "Are your models doing a good job at predicting precipitation? Justify your answer."

I think yes, the models are doing a good job at predicting precipitation. The training and validation loss curves show improvement across all 8 rotations, with no sign of overfitting. Also, the MAD for mean and median are both slightly better than the MAD for always predicting zero.