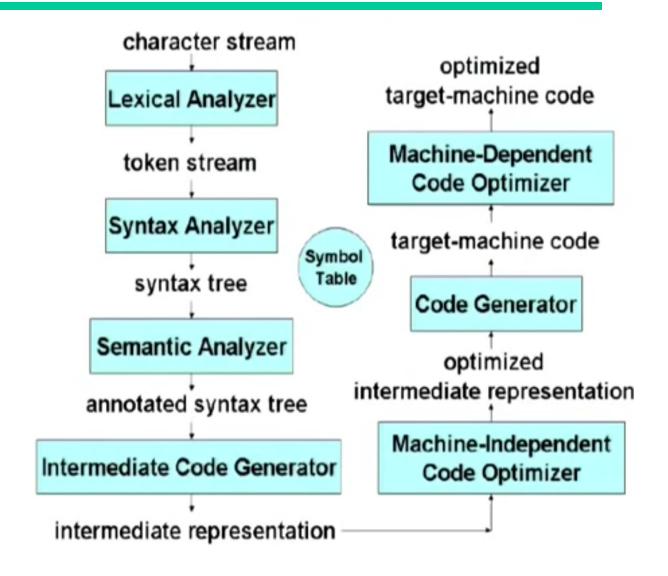
Lexical Analysis

CSE 415: Compiler Construction

Phases of a Compiler



What is Lexical Analysis

- The input is a high level language program, such as a 'C' program in the form of a sequence of characters
- The output is a sequence of tokens that is sent to the parser for syntax analysis
- Strips off blanks, tabs, newlines, and comments from the source program
- Keeps track of line numbers and associates error messages from various parts of a compiler with line numbers
- Performs some preprocessor functions such as #define and #include in 'C'

What is Lexical Analysis

- Stream of characters is grouped into tokens
- Examples of tokens are identifiers, reserved words, integers, doubles or floats, delimiters, operators and special symbols

```
int a;
a = a + 2;
```

reserved word int identifier a

special symbol

identifier a

operator

identifier a

+operator

integer constant

special symbol

Tokens, Patterns and Lexemes

- Running example: float abs_zero_Kelvin = -273;
- Token (also called word)
 - A string of characters which logically belong together
 - float, identifier, equal, minus, intnum, semicolon
 - Tokens are treated as terminal symbols of the grammar specifying the source language

Pattern

- The set of strings for which the same token is produced
- The pattern is said to match each string in the set
- float, l(l+d+_)*, =, -, d+, ;

Lexeme

- The sequence of characters matched by a pattern to form the corresponding token
- "float", "abs_zero_Kelvin", "=", "-", "273", ";"

Tokens in Programming Languages

- Keywords, operators, identifiers (names), constants, literal strings, punctuation symbols such as parentheses, brackets, commas, semicolons, and colons, etc.
- A unique integer representing the token is passed by LA to the parser
- Attributes for tokens (apart from the integer representing the token)
 - identifier: the lexeme of the token, or a pointer into the symbol table where the lexeme is stored by the LA
 - intnum: the value of the integer (similarly for floatnum, etc.)
 - string: the string itself
 - The exact set of attributes are dependent on the compiler designer

Difficulties in Lexical Analysis

- Certain languages do not have any reserved words, e.g.,
 while, do, if, else, etc., are reserved in 'C', but not in PL/1
- In FORTRAN, some keywords are context-dependent
 - In the statement, DO 10 I = 10.86, DO10I is an identifier, and DO is not a keyword
 - But in the statement, DO 10 I = 10, 86, DO is a keyword
 - Such features require substantial look ahead for resolution
- Blanks are not significant in FORTRAN and can appear in the midst of identifiers, but not so in 'C'
- LA cannot catch any significant errors except for simple errors such as, illegal symbols, etc.
- In such cases, LA skips characters in the input until a well-formed token is found

Specification and Recognition of Tokens

- Regular definitions, a mechansm based on regular expressions are very popular for specification of tokens
 - Has been implemented in the lexical analyzer generator tool, LEX
 - We study regular expressions first, and then, token specification using LEX
- Transition diagrams, a variant of finite state automata, are used to implement regular definitions and to recognize tokens
 - Transition diagrams are usually used to model LA before translating them to programs by hand
 - LEX automatically generates optimized FSA from regular definitions
 - We study FSA and their generation from regular expressions in order to understand transition diagrams and LEX

Languages

- String: A finite sequence of juxtaposed symbols
 - abcb, caba are strings over the symbols a,b, and c
 - |w| is the length of the string w, and is the #symbols in it
 - \bullet is the empty string and is of length 0
- Alphabet: A finite set of symbols
- Language: A set of strings of symbols from some alphabet
 - Φ and {ε} are languages
 - The set of palindromes over {0,1} is an infinite language
 - The set of strings, {01, 10, 111} over {0,1} is a finite language
- If Σ is an alphabet, Σ^* is the set of all strings over Σ

Language Representations

- Regular expressions (type-3 or regular languages), context-free grammars (type-2 or context-free languages), context-sensitive grammars (type-1 or context-sensitive languages), and type-0 grammars are finite representations of respective languages
- RL << CFL << CSL << type-0 languages

Examples of Languages

Let
$$\Sigma = \{a, b, c\}$$

- $L_1 = \{a_n^m b^n | m, n \ge 0\}$ is regular
- $L_2 = \{a^n b^n | n \ge 0\}$ is context-free but not regular
- L₃ = {aⁿbⁿcⁿ|n ≥ 0} is context-sensitive but neither regular nor context-free
- Showing a language that is type-0, but none of CSL, CFL, or RL is very intricate and is omitted

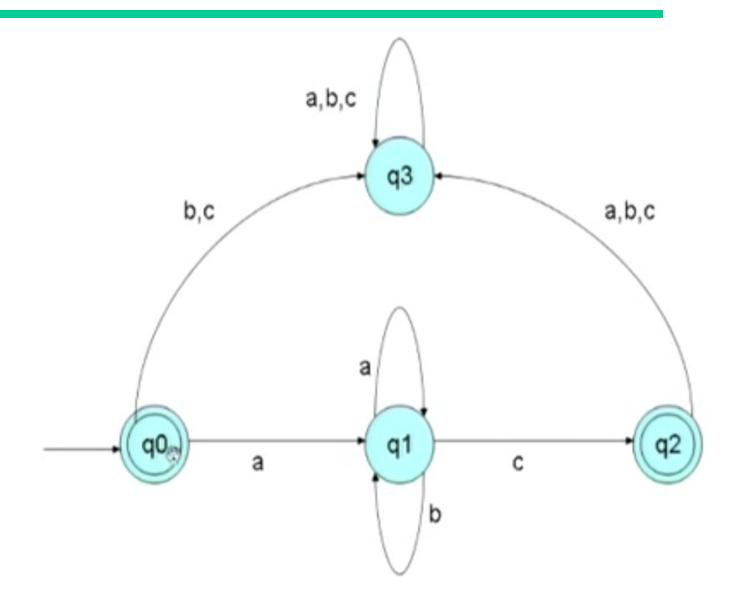
Automata

- Automata are machines that accept languages
 - Finite State Automata accept RLs (corresponding to REs)
 - Pushdown Automata accept CFLs (corresponding to CFGs)
 - Linear Bounded Automata accept CSLs (corresponding to CSGs)
 - Turing Machines accept type-0 languages (corresponding to type-0 grammars)
- Applications of Automata
 - Switching circuit design
 - Lexical analyzer in a compiler
 - String processing (grep, awk), etc.
 - State charts used in object-oriented design
 - Modelling control applications, e.g., elevator operation
 - Parsers of all types
 - Compilers a

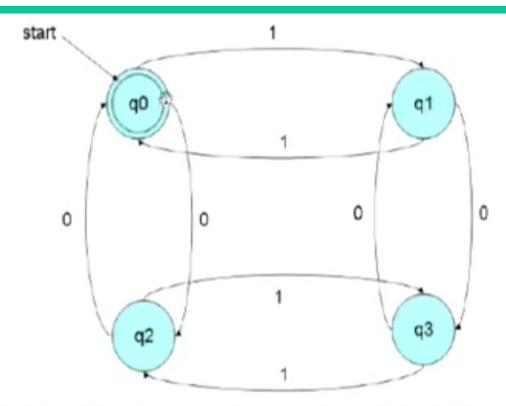
Finite State Automaton (FSA)

- An FSA is an acceptor or recognizer of regular languages
- An FSA is a 5-tuple, (Q, Σ, δ, q₀, F), where
 - Q is a finite set of states
 - Σ is the input alphabet
 - δ is the transition function, δ : Q × Σ → Q
 That is, δ(q, a) is a state for each state q and input symbol a
 - q₀ is the start state
 - F is the set of final or accepting states
- In one move from some state q, an FSA reads an input symbol, changes the state based on δ, and gets ready to read the next input symbol
- An FSA accepts its input string, if starting from q₀, it consumes the entire input string, and reaches a final state
- If the last state reached is not a final state, then the input string is rejected

FSA Example



FSA Example



- $Q = \{q_0, q_1, q_2, q_3\}, q_0$ is the start state
- $F = \{q_0\}, \delta$ is as in the figure
- Language accepted is the set of all strings of 0's and 1's, in which the no. of 0's and the no. of 1's are even numbers

Regular Languages

- The language **accepted** by an FSA is the set of all strings accepted by it, i.e., $\delta(q_0, x) \in F$
- This is a regular language or a regular set
- Later we will define regular expressions and regular grammars which are generators of regular languages
- It can be shown that for every regular expression, an FSA can be constructed and vice-versa

Non-deterministic FSA

- NFAs are FSA which allow 0, 1, or more transitions from a state on a given input symbol
- An NFA is a 5-tuple as before, but the transition function δ is different
- δ(q, a) = the set of all states p, such that there is a transition labelled a from q to p
- δ : Q × Σ → 2^Q
- A string is accepted by an NFA if there exists a sequence of transitions corresponding to the string, that leads from the start state to some final state
 - Every NFA can be converted to an equivalent DFA that accepts the same language

Non-deterministic FSA

