

My report Title

*A project report submitted in partial fulfillment of the requirements for  
the award of the degree of*

***Bachelor of Technology***

*in*

***Computer Science & Engineering***

Submitted by

My Name

Teammate1 Name

Teammate2 Name



**Federal Institute of Science And Technology (FISAT)**  
**Angamaly, Ernakulam**

*Affiliated to*

**APJ Abdul Kalam Technological University**  
**CET Campus, Thiruvananthapuram**

FEDERAL INSTITUTE OF SCIENCE AND TECHNOLOGY  
(FISAT)

Mookkannoor(P.O), Angamaly-683577



**CERTIFICATE**

This is to certify that project report entitled “**My report Title**” is a bonafide report of the project presented during  $V^{th}$  semester by **My Name**, in partial fulfillment of the requirements for the award of the degree of Bachelor of Technology (B.Tech) in Computer Science & Engineering.

Staff in Charge

**Dr. Prasad J C**  
Head of the Department

## ABSTRACT

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## ACKNOWLEDGMENT

Your Acknowledgement Goes Here

Student 1

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# Chapter 1

## INTRODUCTION

### 1.1 Overview

The mathematical roots of the idea of fractals have been traced through a formal path of published works, starting in the 17th century with notions of recursion, then moving through increasingly rigorous mathematical treatment of the concept to the study of continuous but not differentiable functions in the 19th century, and on to the coining of the word fractal in the 20th century with a subsequent burgeoning of interest in fractals and computer-based modelling in the 21st century. The

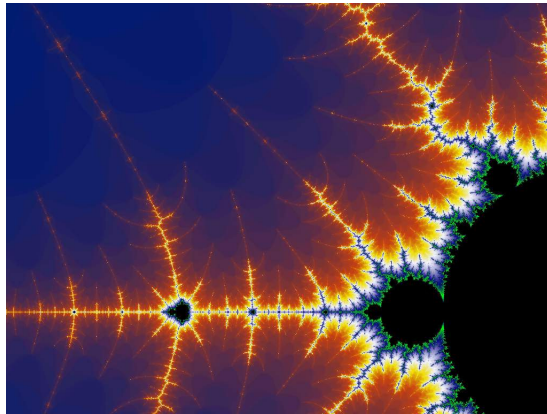


Figure 1.1: Mandelbrot Fractal

word "fractal" often has different connotations for laypeople than mathematicians, where the layperson is more likely to be familiar with fractal art than a mathematical conception. The mathematical concept is difficult to formally define even for mathematicians, but key features can be understood with little mathematical background.

The feature of "self-similarity", for instance, is easily understood by analogy to zooming in with a lens or other device that zooms in on digital images to uncover finer, previously invisible, new structure. If this is done on fractals, however, no new detail appears; nothing changes and the same pattern repeats over and over, or for some fractals, nearly the same pattern reappears over and over. Self-similarity itself is not necessarily counter-intuitive (e.g., people have pondered self-similarity informally such as in the infinite regress in parallel mirrors or the homunculus, the little man inside the head of the little man inside the head...).



## Chapter 2

### RELATED WORK

The world population is the sum of all humans on Earth. As of today, it is estimated to number 7.004 billion by the United States Census Bureau. The USCB estimates that the world population exceeded 7 billion on March 12, 2012. According to a separate estimate by the United Nations Population Fund, it reached this milestone on October 31, 2011. The world's population is unevenly distributed,

Rank	Country	Population	Percentage
1	China	1,347,350,000	19.24%
2	India	1,210,193,422	17.28%
3	United States	313,269,000	4.47%

Table 2.1: World Population Table

with six of Earth's seven continents being permanently inhabited on a large scale. As of 2012, Asia is the most populous continent, with its 4.1 billion inhabitants accounting for over 60% of the world population. The world's two most-populated countries alone, China and India, constitute about 37% of the world's population. Africa is the second-most-populated continent, with around 1 billion people, or 15% of the world's population. Europe's 733 million people make up 11% of the world's population, while the Latin American and Caribbean regions are home to 589 million (9%).

## Chapter 3

### DESIGN and IMPLEMENTATION

#### 3.1 Design

In number theory, Fermat's Last Theorem states that no three positive integers  $a$ ,  $b$ , and  $c$  can satisfy the equation:

$$a^n + b^n = c^n$$

for any integer value of  $n$  greater than two

This theorem was first conjectured by Pierre de Fermat in 1637, famously in the margin of a copy of *Arithmetica* where he claimed he had a proof that was too large to fit in the margin. No successful proof was published until 1995 despite the efforts of countless mathematicians during the 358 intervening years. The unsolved problem stimulated the development of algebraic number theory in the 19th century and the proof of the modularity theorem in the 20th. It is among the most famous theorems in the history of mathematics and prior to its 1995 proof was in the Guinness Book of World Records for "most difficult mathematical problems".

##### 3.1.1 Stirlings approximation

In mathematics, Stirling's approximation (or Stirling's formula) is an approximation for large factorials. It is named after James Stirling.

The formula as typically used in applications is:

$$\ln(n!) = n \ln n - n + O(\ln(n))$$

#### 3.2 Implementation

Your implementation details goes here

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# Chapter 4

## Testing

## Chapter 5

### RESULTS

Compiled languages are languages typically processed by compilers, though theoretically any language can be compiled or interpreted. The important ones are:

- Ada
- C
- C++
- Fortran
- Java

## Chapter 6

### CONCLUSION

An intrusion detection system (IDS) [1] is a device or software application that monitors network and/or system activities for malicious activities or policy violations and produces reports to a Management Station.

Donald Ervin Knuth [2] is a computer scientist and Professor Emeritus at Stanford University. He is the author of the seminal multi-volume work The Art of Computer Programming. Knuth has been called the "father" of the analysis of algorithms

## Bibliography

- [1] K. Scarfone and P. Mell, “Guide to intrusion detection and prevention systems (idps),” *NIST Special Publication*, vol. 800, no. 2007, p. 94, 2007.
- [2] Wikipedia, “Donald knuth.” [http://en.wikipedia.org/wiki/Donald\\_Knuth](http://en.wikipedia.org/wiki/Donald_Knuth).

# Appendices



## Appendix A

### Sample Code

```
#include <iostream>
using namespace std;
main()
{
    cout << "Hello_world\n";
    return 0;
}
```