Given a singly linked hit, reverse the linked list. Eg: 1-3-3-4while (over 1 = nule) next = curs. next - cur. nert = prev; prev = cuer; curs = next 3 S given a non-empty linked liet, with a head node, return the middle of a linked hit. -> If 2 middle elements, return the second Eq: $1 \rightarrow 2 \rightarrow 3 \rightarrow 4 \rightarrow 5 \rightarrow x$ ans $\Rightarrow 3$ 1 - 2 - 3 - 4 - 5 - 6 ->x ans \rightarrow (4)-> Find the size of LL -(n) Approach (1): → 9f (uze == 0dd) → m/2 Node temp = head; count = 0; while (temp] = null) & Count ++; Node temp = head; int it = 0; If (count %2 = = 0) ? êtr = coult + 1; 3 else f îtr = count/2;

 $\rightarrow \rightarrow 4f$ (size = = even) $\rightarrow \frac{m}{2} + 1$ temp = temp. next; for (Est 1=0; ic etr; i++) & temp = temp. next;

speed (x1) = 2x speed (x2)

a linked hét, reorder unked

Lo→ L1 → L2 → L3 - - - . . Ln-1 → 2 m

ans $\rightarrow l \rightarrow 4 \rightarrow 2 \rightarrow 3 \rightarrow x$

 $L_0 \rightarrow L_n \rightarrow L_2 \rightarrow L_{n-2} \leftarrow - - -$

(1) Eq: $1 \rightarrow 2 \rightarrow 3 \rightarrow 4 \rightarrow x$

1 -> 2 -> 3 -> 4 -> 5 -> x

Approach (2):

Start

(2) Eq: 1-2-3-4-55-x ans $\rightarrow 1 \rightarrow 5 \rightarrow 2 \rightarrow 4 \rightarrow 3 \rightarrow x$ Approach: 1 - 2 -> 3 -> 4 -> 5 -> x 1. Find the mid of 1L

mid = (3)

1-> 2 -> 3-> x

2. Reverse the second half of LL

3. Start reordering both history one by one.

1 - 2 - 3 - x

1/1/1/X

5 - 4 -> x

(6)

(4)

Detect a cycle in linked list (a) $3 \rightarrow 2 \rightarrow 0 \rightarrow 4$

1 → 2 → 3 → 4 → ×

1 3 3 4 55 1 true

R 4 7 6

r merge linked list