

Q.1

Given a string which has the following characters
set $\rightarrow \{a-z, *, ?, \}$

2cs/edut/dst

Implement a wildcard pattern matching

$a-z \rightarrow$ alphabets
from $a-z$

$A \rightarrow ablmn$
 $B \rightarrow a*b?y$ } True

$? \rightarrow$ Match any single character

$*$ \rightarrow Matches any sequence of char (including empty)

$A \rightarrow aab$
 $B \rightarrow c*a*b$ } false

$A \rightarrow ab$
 $B \rightarrow ?*$ } true

*
any seq of char
(even empty string)

$A \rightarrow x a y b c$

$B \rightarrow x ? y *$

$\rightarrow \text{True}$

$f(i, j)$

$= \begin{cases} f(i-1, j-1) \\ f(i-1, j) \end{cases}$

$f(i, j-1)$ or $f(i-1, j)$
false

if $A[i] == B[j]$

if $B[j] == ?$

if $B[j] == *$

else

when
 $A[0, i]$ matches
 $B[0, j]$ based
on the rules

$(xaybc, x^?y^?)$

* is showing
empty

* matches the char

$(xaybc, x^?y)$

$(xayb, x^?y^?)$

$(xayb, x^?y)$

empty

$(xayb, x^?y)$

$(xay, x^?y^?)$

$(xay, x^?y)$

$(xa, x^?y^?)$

* \rightarrow empty queue \rightarrow A remains as it is and
B loses star

* \rightarrow non empty \rightarrow A loses a char & B
remains as it is

$$(xycde^{\leftarrow}, y^?x^{\star})$$

$$(xycde, y^?x)$$

$$(xycd, y^?x^{\star})$$

$$(xycd, y^?x)$$

$$(xyc, y^?x^{\star})$$

$$(x, y^?x^{\star})$$

$$(x, y^?x)$$


$$(x, y^?x^{\star})$$

$$(xyc, y^?x)$$

$$(xy, y^?x^{\star})$$

$$(xy, y^?x)$$

$$(x, y^?x^{\star})$$



```
1 ? -> any single character
2 * -> matches 0 or more character before *
3
4 aab, c*a*b -> true
5 ca, ?* -> c, ?*
6
7 f(i, j) = f(i-1, j-1) // s1[i] == s2[j] or s2[j] == '?'
8
9 f(i, j) = f(i, j-2) // if s2[j] == '*' // zero occurrence
0
1 f(i, j) = f(i-1, j) // s2[j-1] == s1[i] or s2[j-1] == '?' // s2[j]
  == '*' // multiple occurrence of preceding char
2
3
4
5 ab, c* // choice either you include or exclude
6
7 c** -> c*
8
9 ??*
```

Qⁿ

String $\rightarrow s$, count the no. of distinct subsequences of s .

$|s| \leq 10^3$

aba

$\rightarrow a$

b

ab

aba

ba

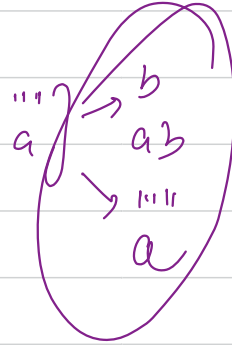
aa

6

a

abc $\rightarrow 2^n - 1$

$S = (a \text{ } \overline{b} \text{ } a \text{ } b)$

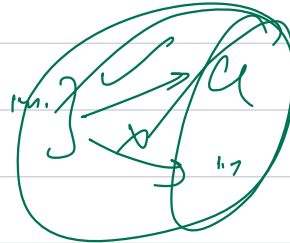
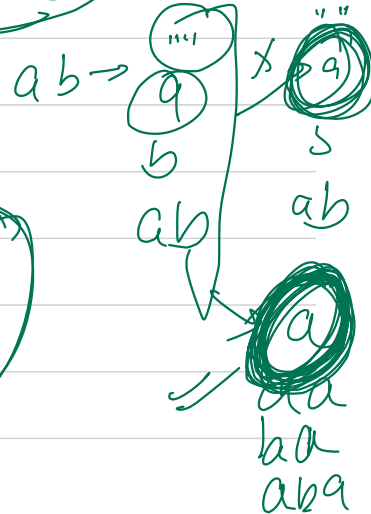


$a \rightarrow b$
 $a \rightarrow x$

$S[0,0] \rightarrow 2$

$S[0,1] \rightarrow 4$

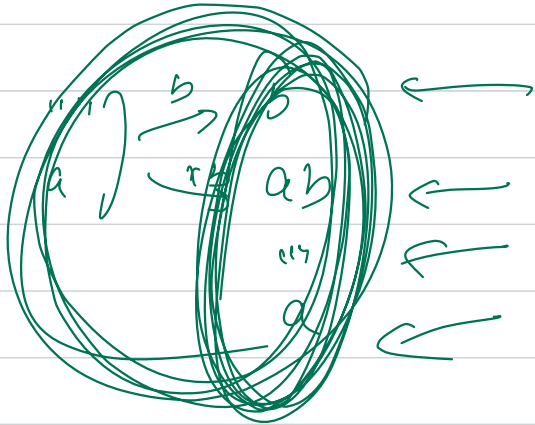
$S[0,2] \rightarrow 7$



$S[0,2] \rightarrow [\text{"", } a, b, aa, ab, ba, aba]$

$S[0,3] \rightarrow [\text{"", } a, b, aa, ab, ba, aba] \quad \tau$

$(bb, aab, abb, bab, abab)$



a b a b

$$S[0,0] \rightarrow 1$$

$$S[0,1] \rightarrow 3$$

$$S[0,2] \rightarrow 6$$

⋮
{

a
ab
b

any in
mi

→ a
→ ab
→ ba
→ aba
→ b
→ aab
→ a