

Meeting rooms

Intervals: $[1, 10], [2, 7], [3, 19], [8, 12], [10, 20], [11, 30]$



Maximize sum of array after k negations.

$[2, -3, -1, 5, -4]$, $k=2$

output $\rightarrow 13$

① $-4 \rightarrow 4$

$[2, -3, -1, 5, 4]$

② $-3 \rightarrow 3$

$[2, 3, -1, 5, 4]$

$\hookrightarrow 2 + 3 - 1 + 5 + 4 = 13$

$[2, 3, 4, 5]$
 $\times [-2]$ Pick min ele

$2 \rightarrow -2 \rightarrow 2$

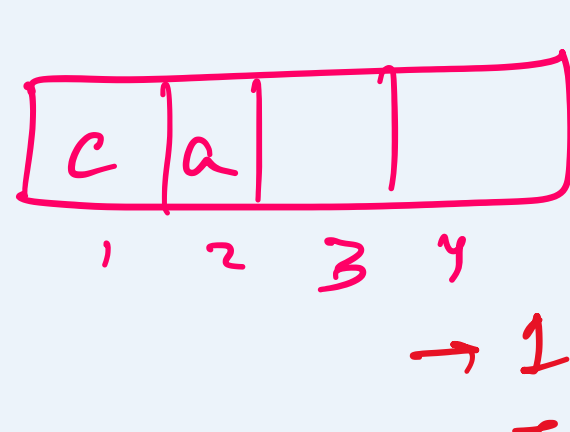
$k \rightarrow \text{even}$

- ① sort the array
- ② (first ele == pos/neg)
 - ① if $k \rightarrow \text{even}$, don't do anything
 - ② else modify the min ele.
- ③ mark -ve ele positive for given k .
- ④ After k is still not even, mark the lowest ele -ve.

Job Scheduling

Each job has a deadline and a profit associated.

Eg:



Job
 $\rightarrow a$
 $\rightarrow b$
 $\rightarrow c$
 $\rightarrow d$

Deadline
 $\rightarrow 4$
 $\rightarrow 1$
 $\rightarrow 2$
 $\rightarrow 1$

Profit
 $\rightarrow 20$
 $\rightarrow 10$
 $\rightarrow 40$
 $\rightarrow 30$

T prof = $60 + 40 + 20$

- $\rightarrow 1$ job ≈ 1 day
- \rightarrow Job can be performed in any order
- \rightarrow Not necessary to perform all jobs
- \rightarrow maximize profit.

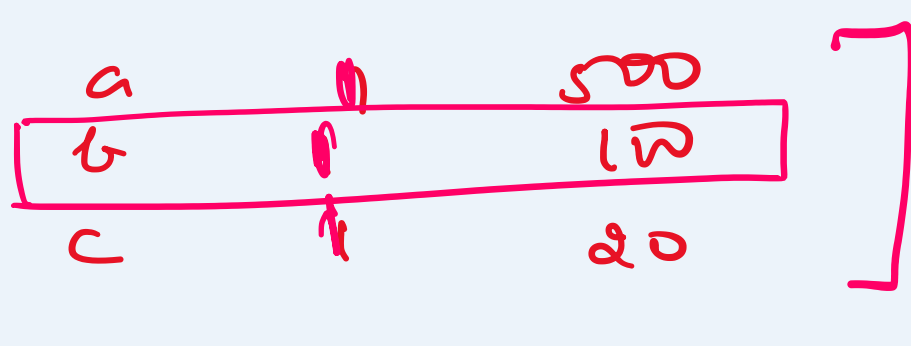
Eg ②

Job	d	p
a	2	100
b	1	19
c	2	27
d	1	25
e	3	15

ans $\rightarrow 142$

$[c | a | e]$ $\rightarrow 100 + 27 + 15$

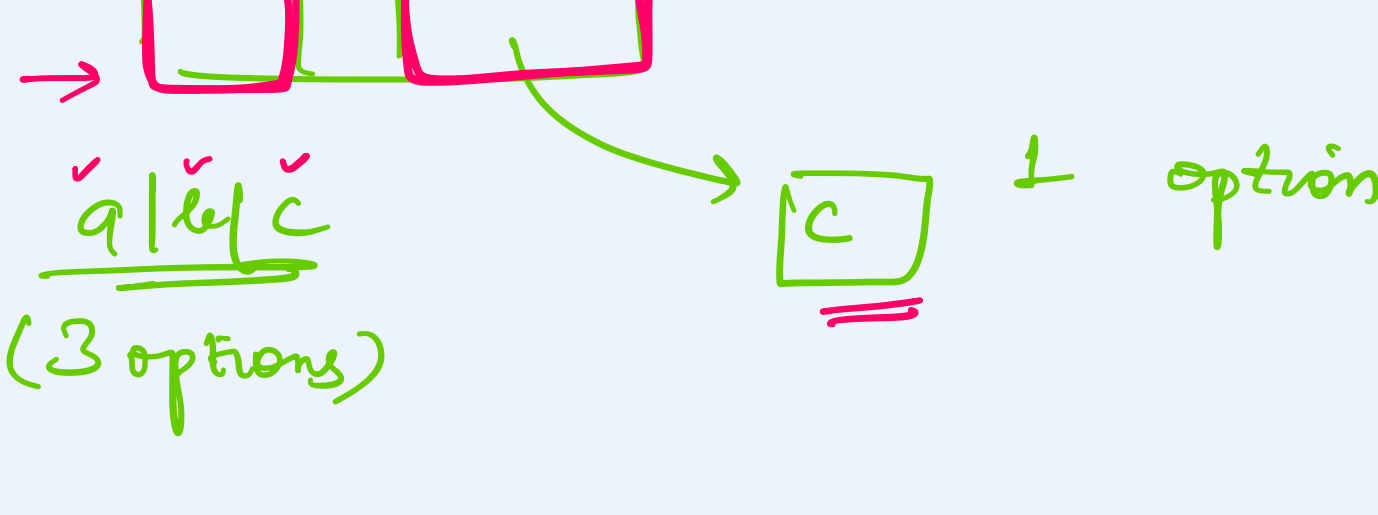
let's say,



choose the job with max profit

a	2	100
b	1	19
c	2	100

what should be the ordering here??



for day 1, I have all the options.

* Always perform a job on its deadline day.

- ① which job to choose first??
 \rightarrow offers max profit
- ② when to prefer a job??
 \rightarrow as close to the deadline as possible.

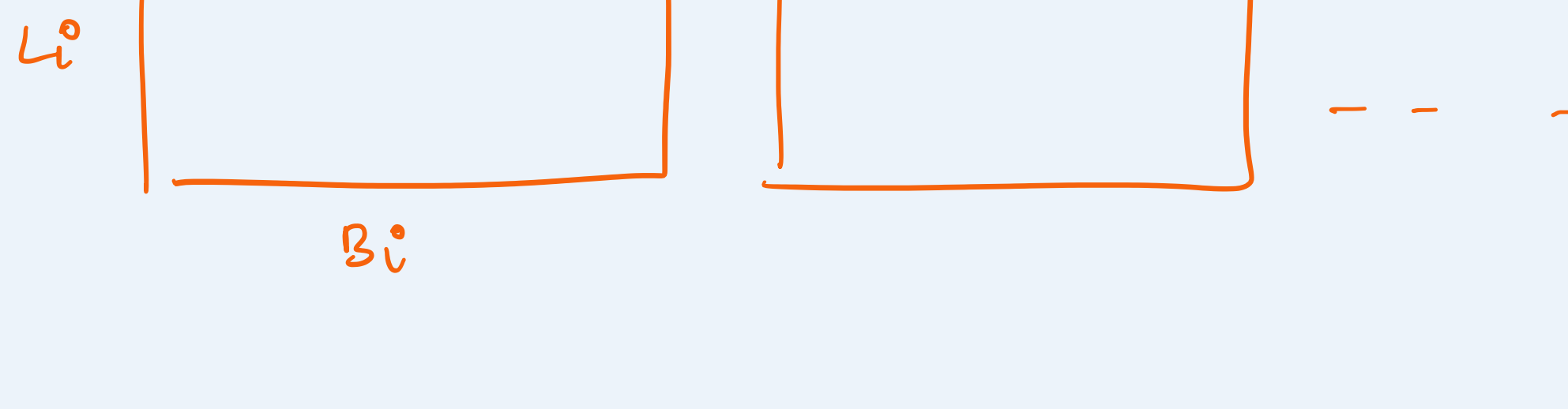
- ① sort the jobs as per profit.
- ② Try to find a slot

J	d	p
a	2	100
b	1	19
c	2	27
d	1	25
e	3	15

J	d	p
a	2	100
c	2	27
d	1	25
b	1	19
e	3	15

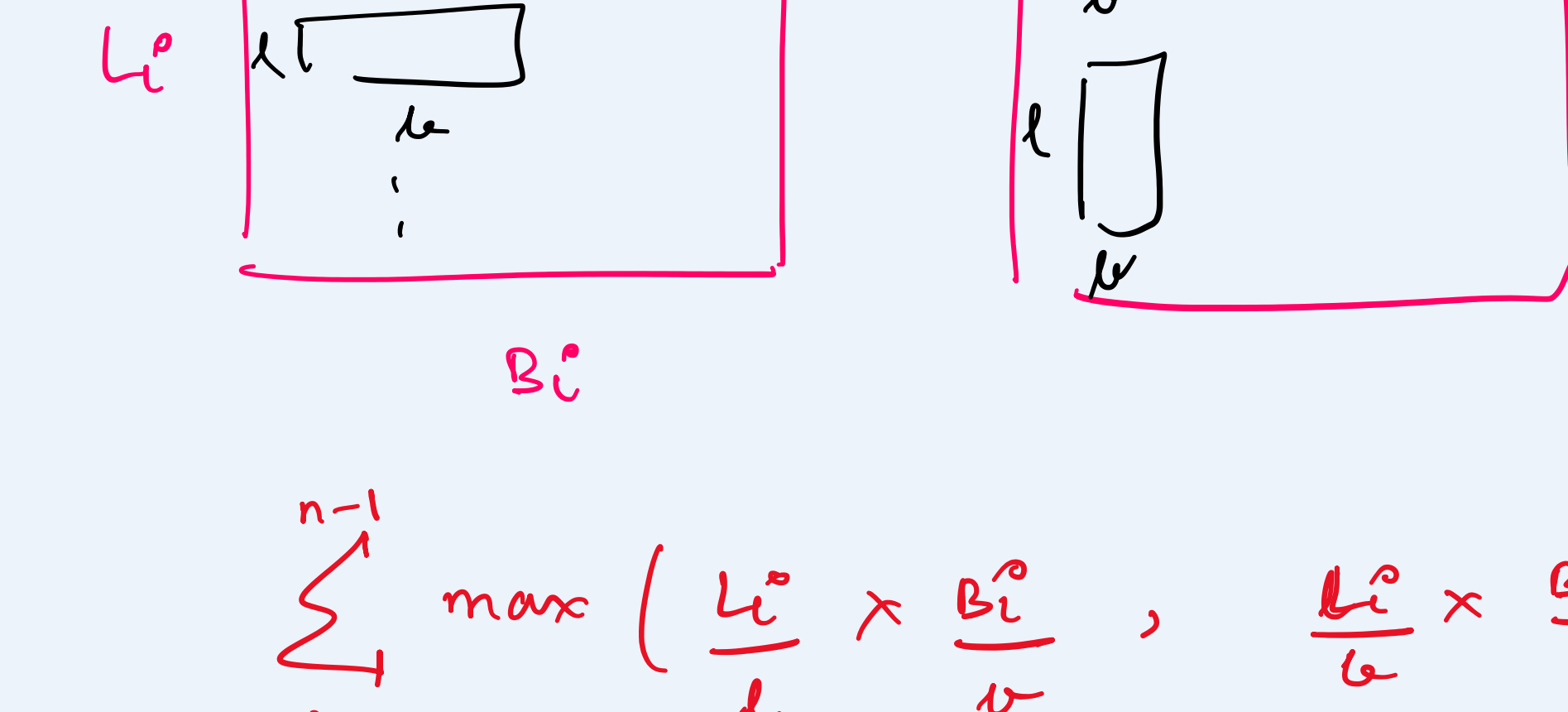
$[c | a | e]$
 $\rightarrow 100 + 27 + 15$
 $\rightarrow 142$

RAMDEV (Codechef)



L_i B_i

L_i B_i



$$\sum_{i=0}^{n-1} \max \left(\frac{L_i}{L} \times \frac{B_i}{B}, \frac{L_i}{B} \times \frac{B_i}{L} \right)$$

mat $\rightarrow L, B$

result = 0

for ($i=0; i < n; i++$) {

int $L_i = \text{input}()$;
 int $B_i = \text{input}()$;

result += $\max \left(\left(\frac{L_i}{L} \right) * \left(\frac{B_i}{B} \right), \left(\frac{L_i}{B} \right) * \left(\frac{B_i}{L} \right) \right)$