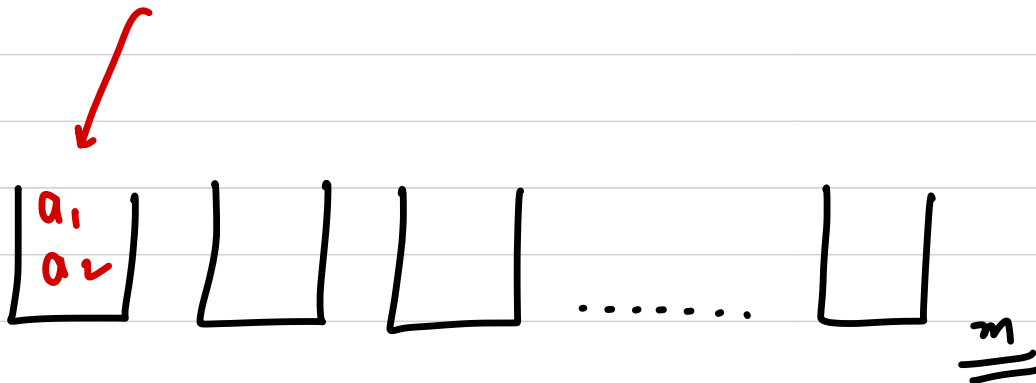


$\phi_n$   $\rightarrow$   $\boxed{a: \leq 10^3}$   $\leftarrow$  given  
 $\swarrow$   
Composite number  $\leftarrow$



$\boxed{\gcd(a_1, a_2) > 1} \rightarrow$  not coprime

$\hookrightarrow$  there is some common factor b/w  $a_1, a_2$

any number  $x$  can be represented as product of power of prime.

$$x = p_1^{a_1} p_2^{a_2} p_3^{a_3} \dots$$

$p_1 p_2 \dots p_k \rightarrow$  primes

$a_i$   $\rightarrow$  in which bucket  $a_i$   
Should go

Factors

prime  $\leftarrow$   $m \times n = a_i \rightarrow$  prime/comp  
composite

Any one of the no. btw  $m$  &  $n$  should be

$$\leq \sqrt{a_i}$$

prime  $\leftarrow$   $m \leq \sqrt{a_i}$

$$m \leq 31$$

$$\sqrt{10^3}$$
$$\hookrightarrow \underline{\underline{\approx 31}}$$

$$\underline{\underline{3}} \leq 31$$

$$Q: \leq 1000$$

2, 3, 5, 7, 11, 13, 17, 19, 23, 29, 31

1 1 1 1 1 1 1 1 1 1 1

11

you've 11 primes  $\leq \underline{\underline{31}}$

11 prim  $\rightarrow$  11 buckets

Q You're given arrival & departure times  
of all planes that land on an airport.  
find the min no. of landing strips we  
need so that no plane waits.

9:00, 9:40, 9:50  
9:10, 12:00, 11:50

→ 900 940  
910 1200

↪ Q

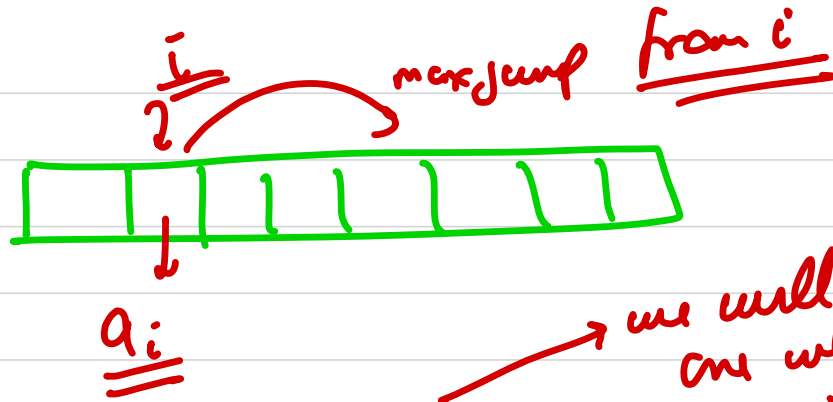
→ 900 , 940 , 950 , 1100 , 1500 , 1800  
910 , 1200 , 1130 , 1130 , 1900 , 2000

↳ max-air-ships = ~~0~~ ~~1~~ ~~2~~ 3 → ✓

↳ currently-landed-flights = ~~0~~ ~~1~~ ~~0~~ ~~1~~ ~~0~~ ~~1~~ ~~0~~ ~~1~~ 0

(900, a) (910, d) (940, a) (950, a) (1100, a) (1130, d) (1130, d)  
(1200, d) (1500, a) (1800, a) (1900, d) (2000, d)

# Jump Game

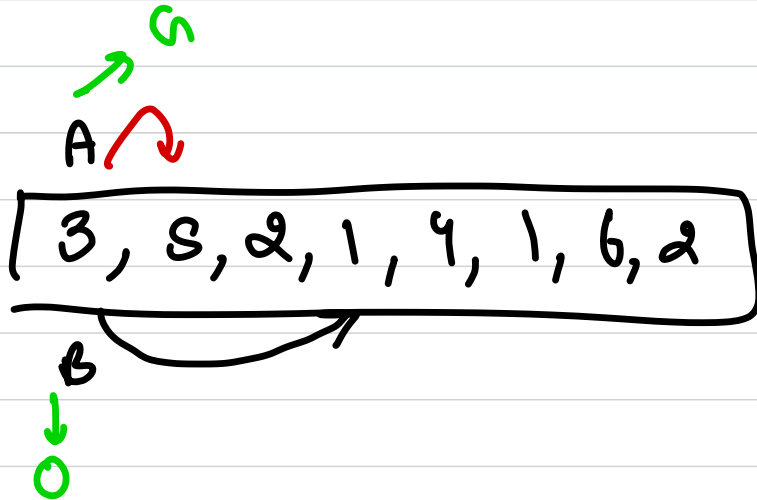


range for  $\rightarrow [i+1, i+a_i]$   
next step

$\rightarrow$  we will choose the one which can give us the largest jump.

Greedy

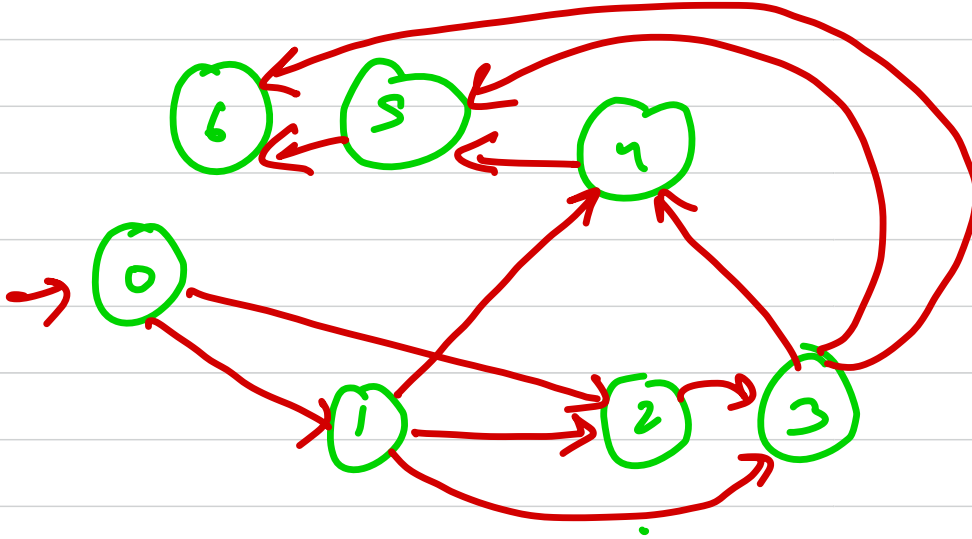
we have to consider  $\rightarrow$  if at any step we make a different choice than what our greedy algo makes, we can find a better sol<sup>n</sup>.





2	3	1	4	1	1	2
0	1	2	3	4	5	6

BFS



<del>0</del>	<del>1</del>	<del>2</del>	3	<del>4</del>	5	6
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0 1 2 .