

## XgBoost

(Basic idea of all boosting tech is using errors of previous tree and improvising in present tree)

\* Also called as extreme gradient boosting.

\* It is an optimized gradient boosting

ml library.

\* Powerful algorithm with high speed & Performance

\* Feasible to train on large dataset

\* The core XgBoost algorithm is parallelizable that is it does parallelization within a single tree

### XgBoost classifier:-

\* Formation of trees were same as gradient boosting.

\* It uses only Binary classification.

Dataset:-

Salary	credit	approval	Residual (Probability - approval)
<=50K	B	0	-0.5
<=50K	G	1	0.5
<=50K	G	1	0.5
>50K	B	0	-0.5
>50K	G	1	0.5
>50K	N	1	0.5
<=50K	N	0	-0.5

\* Since it is classification (Binary) the probability for O/P is  $\frac{1}{2} = 0.5$

\* There is a pseudo algorithm to follow  
xgboost



① Construct Tree with Root

② Calculate Similarity weight

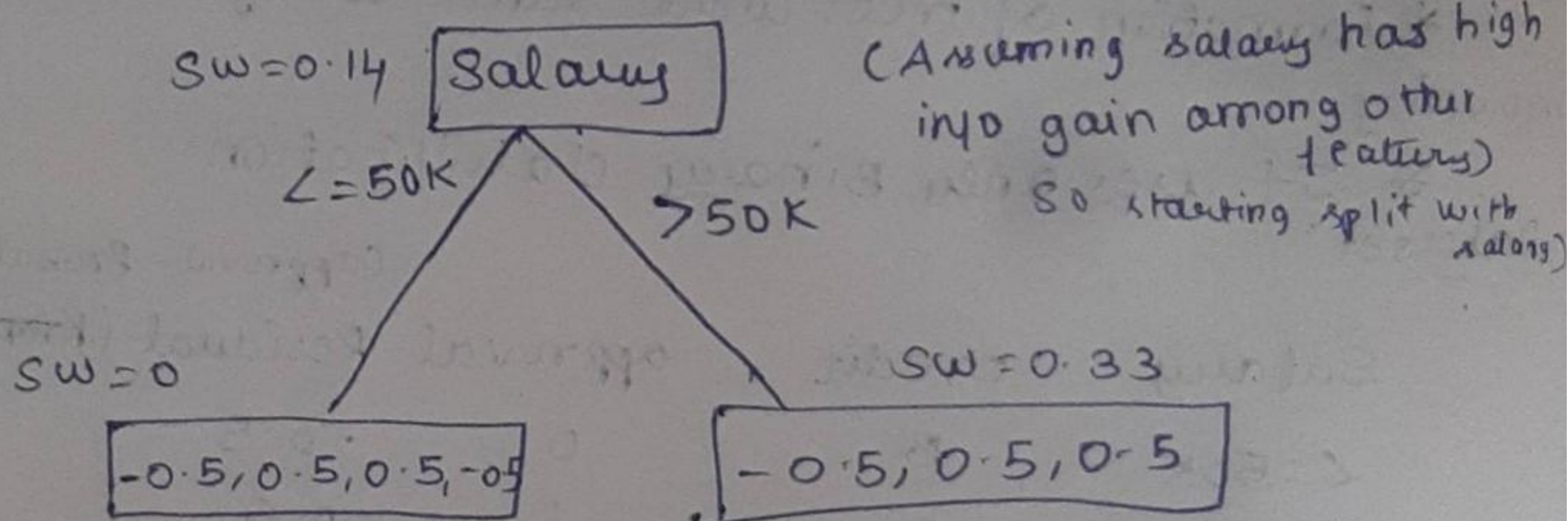
$$= \frac{\sum (\text{Residual})^2}{\sum (\text{Prob}(1 - \text{Prob})) + \lambda}$$

where  $\lambda$  is a hyperparameter

③ Calculate gain.

Constructing the base model

Res  $\Rightarrow [-0.5, 0.5, 0.5, 0.5, 0.5, 0.5, -0.5]$



\* calculating similarity weight leaf nodes and parent node and updating in above tree

(taking  $\lambda = 0$ )

for  $\leq 50K$

$$= \frac{-0.5 + 0.5 + 0.5 - 0.5}{0.5(1-0.5) + 0.5(1-0.5) + 0.5(1-0.5) + 0.5(1-0.5) + 0}$$

$$= 0$$

for  $> 50K$

$$= \frac{-0.5 + 0.5 + 0.5}{0.5(1-0.5) + 0.5(1-0.5) + 0.5(1-0.5) + 0}$$

$$= \frac{0.25}{0.75} = \frac{1}{3} = 0.33$$

$$0.75$$



for root node  
 after same calculation  
 $SW = 0.14$

calculating gain

$$= 0 + 0.33 - 0.14$$

$$= 0.21$$

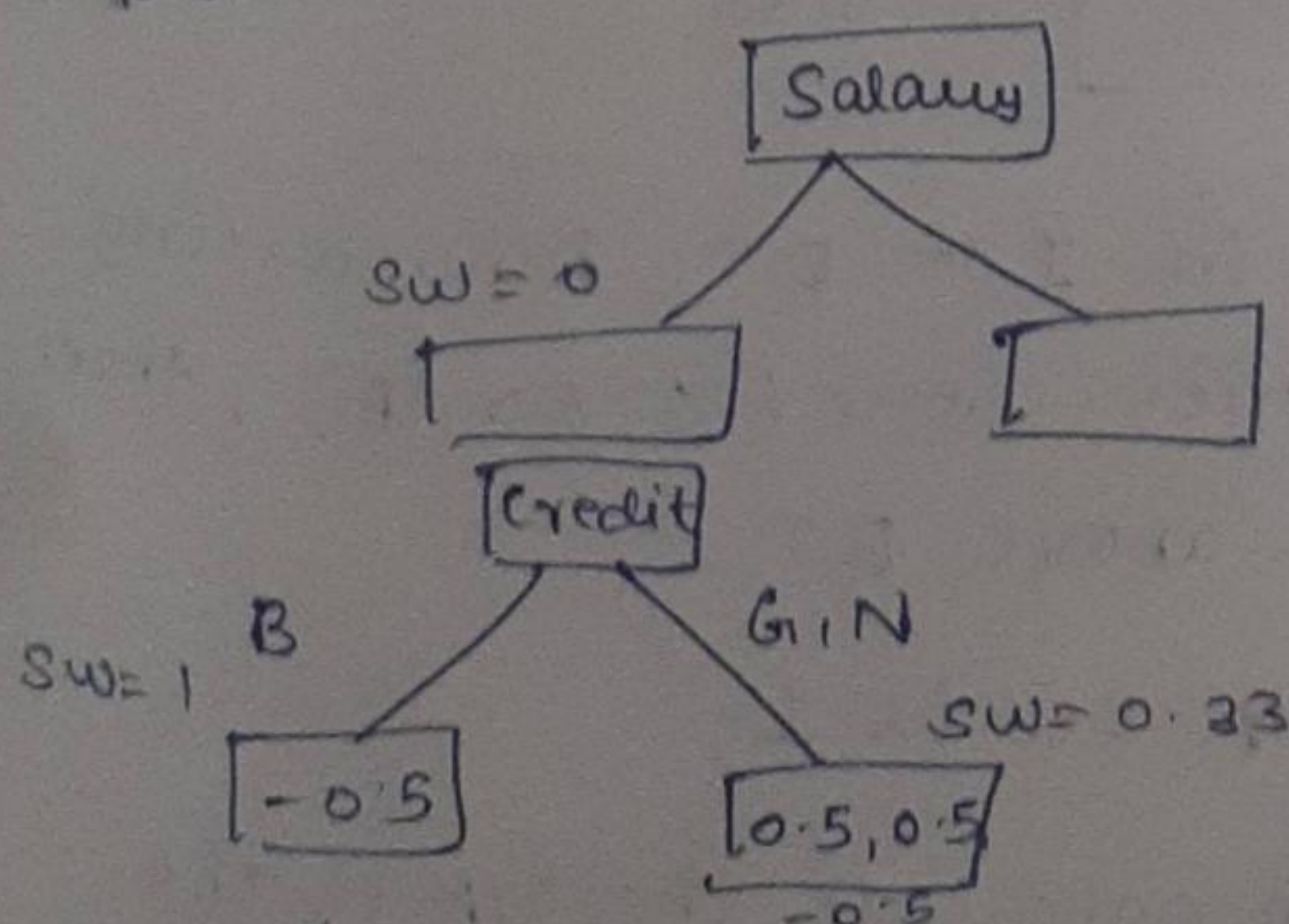
(considering salary has better gain than credit)

Next we want to take credit feature that should be binary classified like  $[B, (G, N)]$  or  $(B, G), N$  or anything

and this will continue under any of the 2 leaf node of salary.

The position and the combination of the splitting of feature will also be ~~the~~ done by calculating gain for each position & (left or right) each combination.

Best will be selected.



$\Rightarrow DT-1$

Gain  $\rightarrow 1 + 0.33 - 0 = 1.33$



\* After that if we want to continue split then it will be selected by post pruning using Cover value.

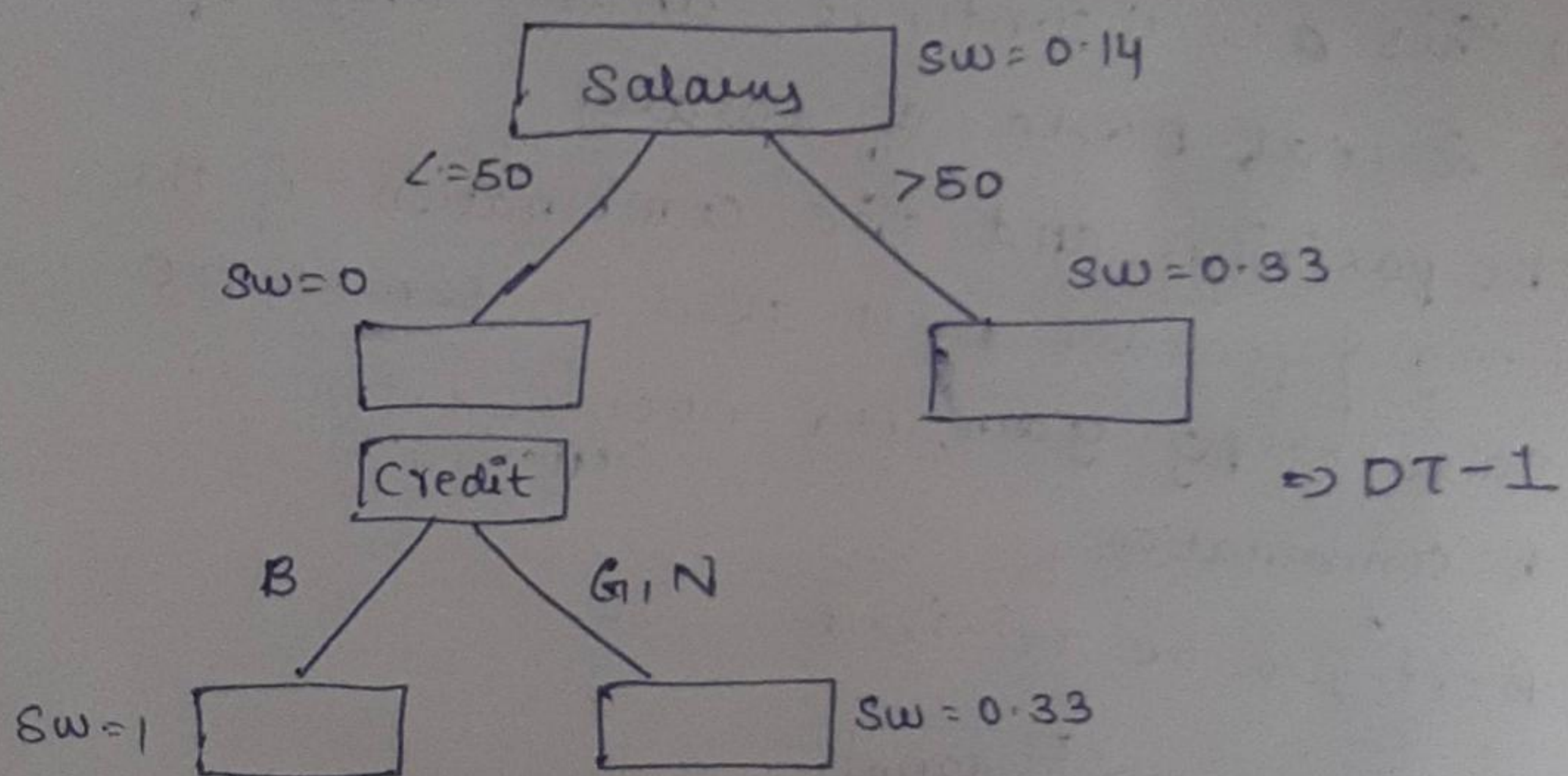
$$\text{Cover value} \rightarrow \text{Prob}(1 - \text{Prob})$$

Here Cover value is

$$= 0.5(1 - 0.5)$$

$$= 0.25$$

So, if my gain is ~~too~~ less than 0.25 in any of branch then it will be pruned. we can calc any no. of DT if Residuals is calculated.



\* Now training ~~over~~ in 1st DT, now testing data comes in, the entries were ( $\leq 50, B$ ), then now follow the path in above DT.

\* according to it the ~~SW~~ SW is 1

\* with ~~is~~ this we can calculate the o/p of the ~~previous~~ Base learner ~~or~~ that is by the formula



$$\log(\text{odds}) = \log\left(\frac{P}{1-P}\right)$$

$P = \text{Probability}$

$$= \log\left(\frac{0.5}{1-0.5}\right)$$

$$= \log(1)$$

$$= 0$$

$\therefore$  The o/p for the base model is 0.

\* For the base learner the prob for all records were equal, but it will change in the upcoming trees.

\* The probability for each record in training data can be calculated using sigmoid activation function

\* Finding Prob for 1st training record ( $Z=50, B$ )

$$\sigma(0 + \underset{\substack{\rightarrow \text{Learning rate (0 to 1)}}}{Z}(sw))$$

$\downarrow$   
o/p of  
base  
model

$\rightarrow$  (sw according to  $Z=50, B$ )

$$= \sigma(0 + 0.1(1))$$

$$= \sigma(0 + 0.1)$$

$$= \sigma(0.1)$$

$$\text{Sigmoid function} = \frac{1}{1+e^{-x}} = \frac{1}{1+e^{-0.1}} = 0.6$$



∴ 0.6 ~~is~~ will be the new probability for 1st training record.

\* Like wise probabilities will be calculated for all training records.

\* Now as we done earlier, we can calculate <sup>new</sup> residuals of 1st DT by

(~~new~~ approval - new probabilities)

\* By taking new residuals as o/p we can construct successive decision trees.

XgBoost Regressor:-

\* The tree building process were same as XgBoost classifier

$$\left. \begin{array}{l} \text{Similarity} \\ \text{weight} \end{array} \right\} = \frac{\sum (\text{residual})^2}{\text{No of Residual} + \lambda}$$

Dataset:-

Exp	gap	salary	Res	(Salary - E arg(salary) or o/p of Base =)
2	yes	40K	-11	↙
2.5	yes	42K	-9	
3	no	52K	1	
4	no	60K	9	
4.5	yes	62K	11	

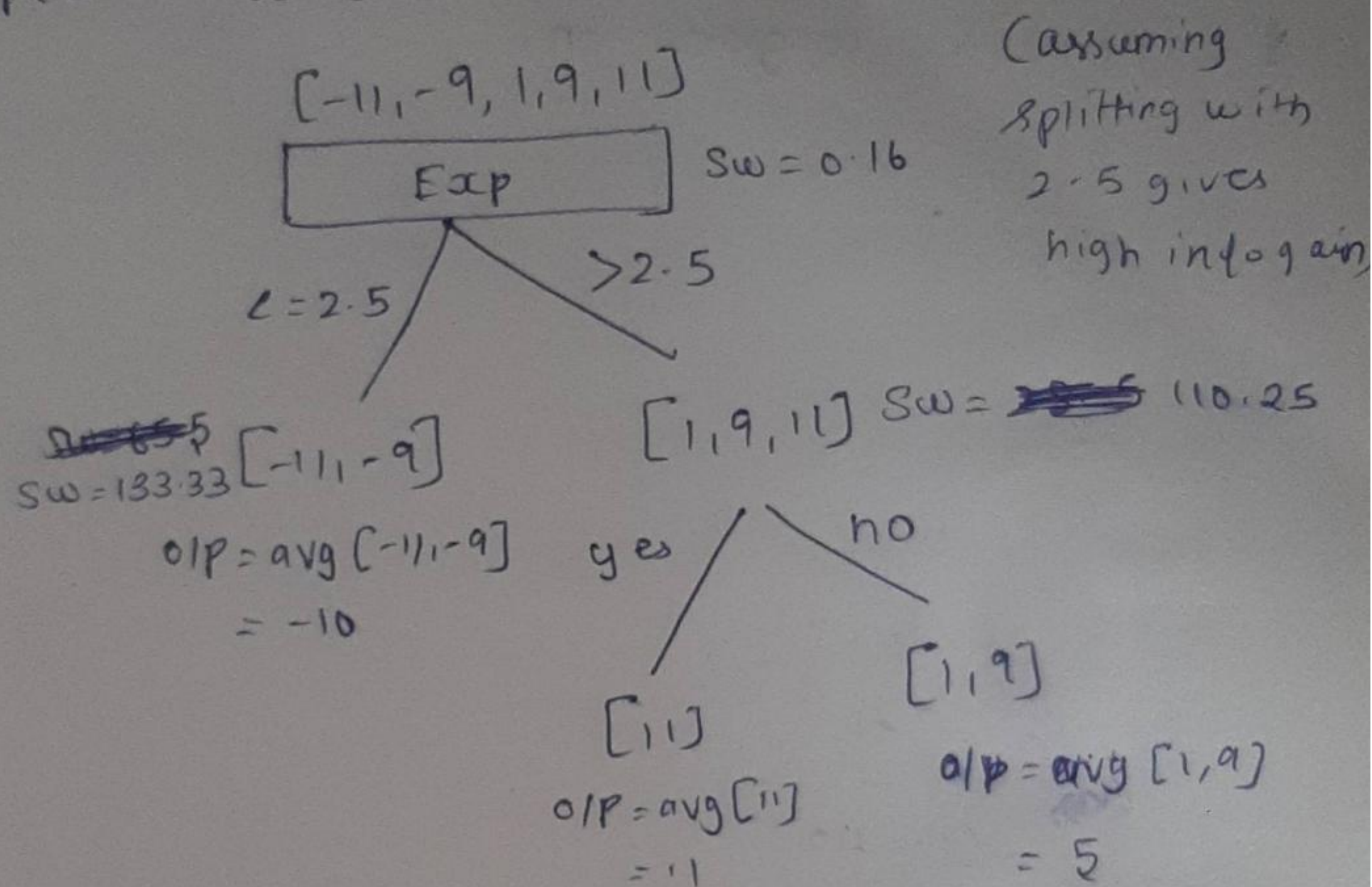


\* First we want to calculate o/p of base model that is  $\text{avg}(\text{Salary})$ , here that is 51K

\* Now  $(\text{Salary} - \text{o/p of base model})$

\* So we will get yes.

\* Tree will be constructed as the same process and respective  $\text{sw}$  will be calculated.



\* So now we want to calculate original o/p of train data.

for ex take 1st record (2, yes) with value 2

~~50~~ ~~50 + 0.5[-10]~~

50,  $50 + \alpha [-10]$

$\alpha = 0.5$

o/p of base model  $\rightarrow$  Learning rate

$50 + 0.5[-10]$

$50 - 5$

$= 45$



\* So like this for each record the O/P will be calculated.

↓ so then we can calculate ~~the~~ residuals of 1st DT by ~~subtracting output~~

(Salary - new output)

↓ Likewise it goes on.

↓ In regression we have  $\chi^2$  which is like cover value in classifier, which is basically ~~used~~ used for post pruning.