# Measurement of the branching fraction of $\eta_c \to K^+ K^- \pi^0$ and $\eta_c \to 2(\pi^+ \pi^- \pi^0)$

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 $^{2}IHEP$ 

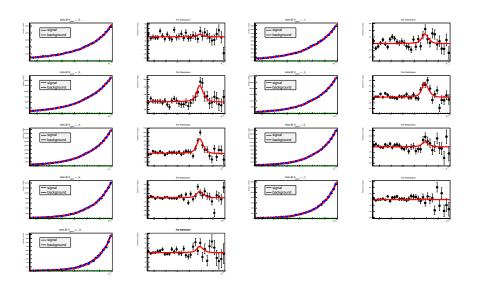
October 28, 2015

#### Overview

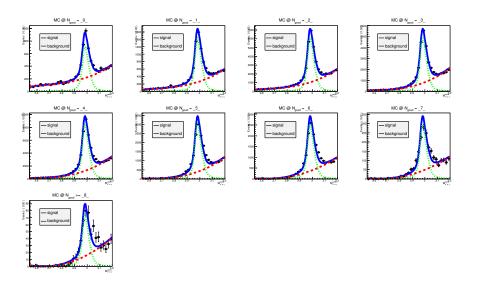
- f 1 Measurement of multiplicity of the inclusive decays of  $\eta_c$
- 2 Motivation, Methods and Data Sets
- Selections
- 4 the Inclusive Mode
- Measurement of Branching Fractions
- 6 Summary

# **Part I: Multiplicity**

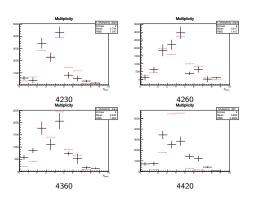
#### Fit data @ 4260 MeV simultaneously

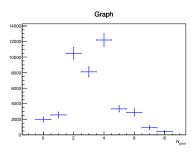


## Fit MC @ 4260 MeV simultaneously



#### Multiplicity @ 4.23, 4.26, 4.36, 4.42 GeV





Sum of the 4 energy points

# Part II: Measurement of the Branching Fractions

#### Motivation

- The experimental measurement on the M1 transition processes can be used to test QCD and other theoretical models. And the branching fractions of the  $\eta_c$  decays are essential for the M1 transition measurement.
- ullet However the current measured precision for the  $\eta_c$  decays is not high.
- The awfully large uncertainty from  $Br(J/\psi \to \gamma \eta_c)$  is hard to avoid, though we have the most sizable  $J/\psi$  sample in the world. The statistics if not large if we use the  $\psi\prime \to \gamma\eta_c$  process. In addition, the interference problem should be considered with both  $J/\psi$  and  $\psi\prime$  data samples.
- Up to now, we have collected a large XYZ data sample around 4.26 GeV. And the process  $e^+e^- \to \gamma h_c$ ,  $h_c \to \gamma \eta_c$  has been observed. In principle, the signal can be extracted by recoil mass (RM) of  $\gamma \pi^+ \pi^-$  by limiting  $RM(\pi^+ \pi^-)$  in the  $h_c$  mass region.

# Methods [Take $\eta_c \to K^+ K^- \pi^0$ as example]

#### Methods to measure the branching fraction

- ullet We measure the branching fraction of  $\eta_c o K^+ K^- \pi^0$  via the decays
  - $e^+e^- o \pi^+\pi^-h_c, h_c o \gamma\eta_c, \eta_c o K^+K^-\pi^0$  (exclusive mode )
  - $e^+e^- o \pi^+\pi^-h_c, h_c o \gamma\eta_c, \eta_c o X$ ( inclusive mode )
- The Branching fraction is

$$Br(\eta_c \to K^+K^-\pi^0) = \frac{N_{signal}^{exclusive}}{N_{signal}^{inclusive}} \bullet \frac{\epsilon^{inclusive}}{\epsilon^{exclusive}} \bullet \frac{1}{Br(\pi^0 \to \gamma\gamma)}.$$

• And via this method we can also cancel parts of the system errors.

#### Data Sets and Monto Carlo Samples

#### **BOSS** version

6.6.4.p01

#### Data Sets

We currently used the XYZ data at the energy points of

4.23 GeV, 4.26 GeV, 4.36 GeV, 4.42 GeV

#### Monto Carlo Samples

200K Monto Carlo Samples are generated for each decay mode at each of the four energy points which are

4.23 GeV, 4.26 GeV, 4.36 GeV and 4.42 GeV.

#### **Event Selections**

#### Good Charged tracks selections

- ullet  $V_{xy} < 1$ cm,  $|V_z| < 10$ cm ( except for the two tracks from  $\mathcal{K}_S^0$  )
- $|\cos \theta < 0.93|$

#### Good photon selections

- $E_{\gamma} > 25 MeV$  for  $|\cos \theta| < 0.8$
- $E_{\gamma} > 50 MeV$  for  $0.86 < |\cos \theta| < 0.92$
- $0 \le TDC \le 14$ ( in unit of 50ns)
- $N_{good} \ge 2$  ,  $1 \le N_{\gamma} \le 20$  [for the inclusive mode];
- $N_{good}=4$  ,  $3 \leq N_{\gamma} \leq$  20 [for  $\eta_c \rightarrow K^+K^-\pi^0$ ];
- $N_{good}=6$  ,  $5 \leq N_{\gamma} \leq$  20 [for  $\eta_c \rightarrow 2(\pi^+\pi^-\pi^0)$ ].
- $\textit{N}_{\textit{good}} = \textit{4}$  ,  $1 \leq \textit{N}_{\gamma} \leq \textit{20}$  [for  $\eta_{\textit{c}} \rightarrow \textit{p}\bar{\textit{p}}$ ].

#### **Event Selections**

#### $\pi^0$ Reconstruction

- $0.12 \, GeV < M_{\gamma\gamma} < 0.15 \, GeV$ ;
- 1-C Kinematic Fit

#### preliminary $\gamma \pi^+ \pi^-$ list

- $3.46 < m_{\pi^+\pi^-}^{recoil} < 3.59 \, GeV \left( h_c \text{ mass region} \right)$
- ullet 2.5  $< m_{\pi^+\pi^-\gamma}^{recoil} <$  3.4 GeV (  $\eta_c$  mass region )

#### for the exclusive modes

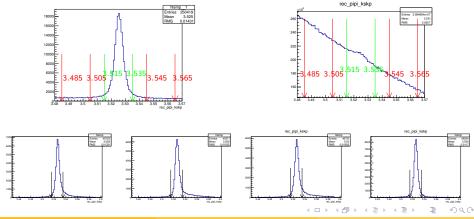
- $N_{\pi^0} \geq 1$  [for  $\eta_c \to K^+ K^- \pi^0$ ]
- $N_{\pi^0} \ge 2$  [for  $\eta_c \to 2(\pi^+\pi^-\pi^0)$ ]
- Combination with the minimum

$$\chi^2 = \chi^2_{4C} + \sum_{i=1}^N \chi^2_{PID}(i) + \sum_{i=1}^2 \chi^2_{\pi^0}(i)$$

is kept

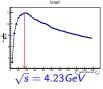
#### the Optimized Selections

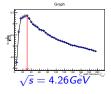
We choose the same range of  $M_{\pi^+\pi^-}^{recoil}$  for both inclusive and exclusive processes.[  $3.515 < M_{\pi^+\pi^-}^{recoil} < 3.535$  (  $M_{h_c} \pm 3\sigma$  )], and use the sideband method to analyze the background shape of the inclusive mode

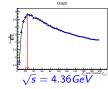


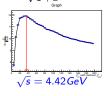
# Optimized Selections [Exclusive Modes]

 $\bullet$  The  $\chi^2_{4C}$  cut is optimized with the figure of merit(FOM)  $\frac{\mathcal{S}}{\sqrt{\mathcal{S}+B}}$ 





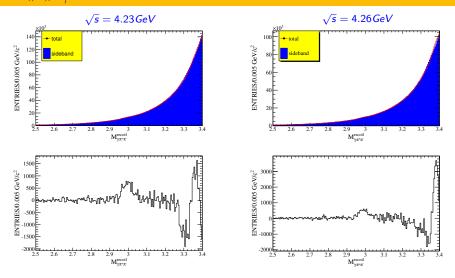




• Table for  $\chi^2_{4C}$  cut

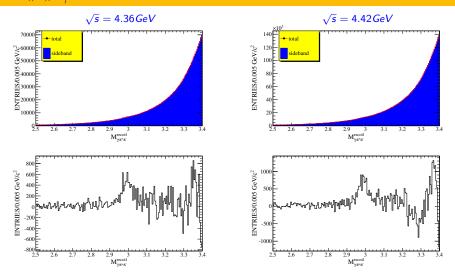
$\chi^2_{4C}$ cut	$\eta_c  ightarrow K^+ K^- \pi^0$	$\eta_c  ightarrow 2(\pi^+\pi^-\pi^0)$	$\eta_{c}  o par{p}$
4230	25	35	
4260	15	30	
4360	25	25	
4420	20	35	

# $M_{\pi^+\pi^-\gamma}^{recoil}$ results of sideband ( the inclusive mode )



The upper ones draw the sideband and signal regions together, while the lower ones draw net events

# $M_{\pi^+\pi^-\gamma}^{resoil}$ results of sideband ( the inclusive mode )



The upper ones draw the sideband and signal regions together, while the lower ones draw net events

#### Fit Simultaneously

To fit the distribution of  $M^{recoil}_{\pi^+\pi^-\gamma}$ , we use the fit function

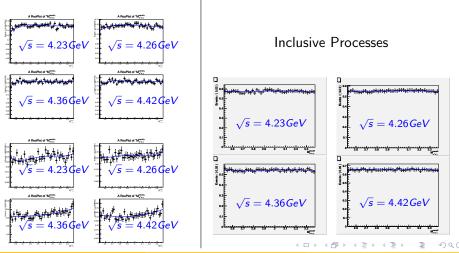
$$F(m) = \sigma \otimes [\epsilon(m) \times |S(m)|^2 \times E_{\gamma}^3 \times d(E_{\gamma})] + B(m),$$

where

- $d(E_{\gamma}) = \frac{E_0^2}{E_{\gamma}E_0 + (E_{\gamma} E_0)^2}$ ,
- ullet  $\sigma o$  Double-Gaussian or Gaussian shape,
- $S(m) \rightarrow Breit$ -Wigner shapes with common fixed M and  $\sigma$ ,
- $B(m) \rightarrow$ 
  - Chebyshev Polynomial for the exclusive mode,
  - Events from sideband of  $h_c$  for inclusive mode.

## **Efficiency Curves**

We generate large-width signal Monto Carlo samples, and divide the MC truth after selection by the truth before selection to get the efficiency curve.

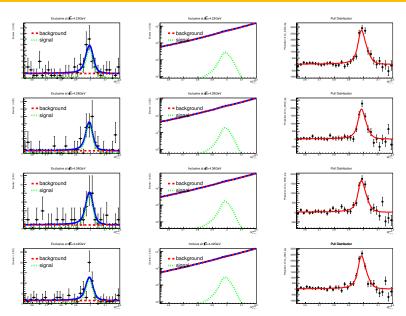


#### Resolution and Efficiency

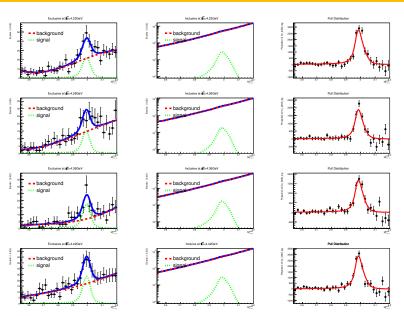
We generated signal Monto Carlo samples, and fit the signal with a Gaussian or double-Gaussian shape.

Category		Gaussian 1		Gaussian 2		Coefficient	Efficiency(%)
		$M_1(MeV)$	$\sigma_1(MeV)$	$M_2(MeV)$	$\sigma_2(MeV)$	Coefficient	Efficiency(%)
$\kappa^+\kappa^-\pi^0$	4230	12.55	17.41	-	-	-	16.04
	4260	10.73	15.46	-	-	-	15.04
	4360	12.64	17.26	=	=	-	18.96
	4420	12.13	16.78	-	-	-	18.00
π <sup>0</sup> )	4230	13.18	20.87				2.95
π+π π-π	4260	11.04	18.16				2.63
	4360	13.87	19.50				3.42
	4420	13.03	18.96				3.10
р <u>Б</u> 2(	4230						
	4260						
4	4360						
	4420						
Inclusive	4230	2.61	11.29	23.61	26.37	6.44614e-01	48.12
	4260	1.73	10.79	20.13	23.70	6.04471e-01	44.14
	4360	1.64	10.73	20.54	23.52	6.01291e-01	42.59
	4420	2.45	11.28	22.10	25.76	6.34061e-01	51.15

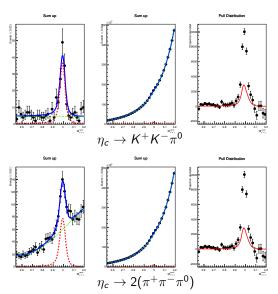
# Simultaneous Fit ( $\eta_c o K^+ K^- \pi^0$ )



# Simultaneous Fit ( $\eta_c o 2(\pi^+\pi^-\pi^0)$ )



## Sum up



# the Branching Fraction of $\eta_c o K^+ K^- \pi^0$

Cat	egory	Number of signal	Branching Fraction(%)	
$\pi^0$	4230	39.8	$1.01\pm0.11$	
$K^+K^-\pi^0$	4260	28.3		
	4360	31.3		
	4420	43.9		
$2(\pi^+\pi^-\pi^0)$	4230	95.4	$13.13\pm1.54$	
	4260	60.7		
	4360	73.2		
	4420	96.9		
Δd	4230			
	4260			
	4360			
	4420			

#### Summary

We measured the multiplicity of the good charged tracks of the inclusive mode of  $\eta_c$  for the first time;

So far we measured the branching fractions of four  $\eta_c$  decay modes, which are  $\eta_c \to K_S^0 K^\pm \pi^\mp$ ,  $\eta_c \to K^+ K^- \pi^0$ ,  $\eta_c \to 2(\pi^+ \pi^- \pi^0)$  and  $\eta_c \to p\bar{p}$ , and the results are

decay mode	branching fraction(%)	reference value(%) <sup>1</sup>
$\eta_c  ightarrow K^0_S K^\pm \pi^\mp$	$2.39 \pm 0.20$	$2.60 \pm 0.29 \pm 0.34 \pm 0.25$
$\eta_c  ightarrow K^+ K^- \pi^0$	$1.01\pm0.11$	$1.04 \pm 0.17 \pm 0.11 \pm 0.10$
$\eta_c  ightarrow 2(\pi^+\pi^-\pi^0)$	$13.13\pm1.54$	$17.23 \pm 1.70 \pm 2.29 \pm 1.66$
$\eta_c o par p$		$0.15 \pm 0.04 \pm 0.02 \pm 0.01$