



Chapter 7: Semantic Analysis and Intermediate Code Generation

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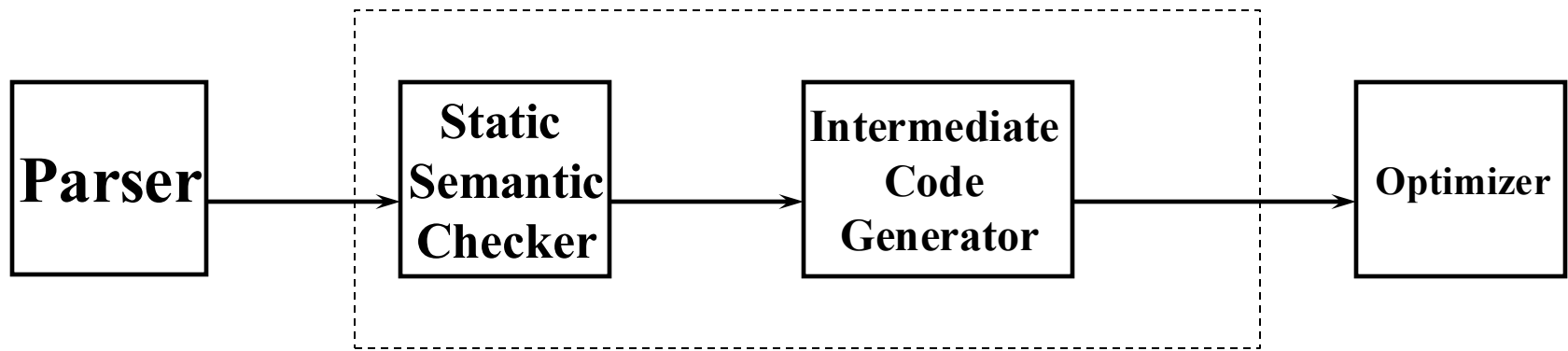
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Outline

- **Intermediate Language**
- **Translation of Declaration Statements**
- **Translation of Assignment Statements**
- **Translation of Boolean Expressions**
- **Translation of Flow-of-Control Statements**
- **Procedure Call Handling**

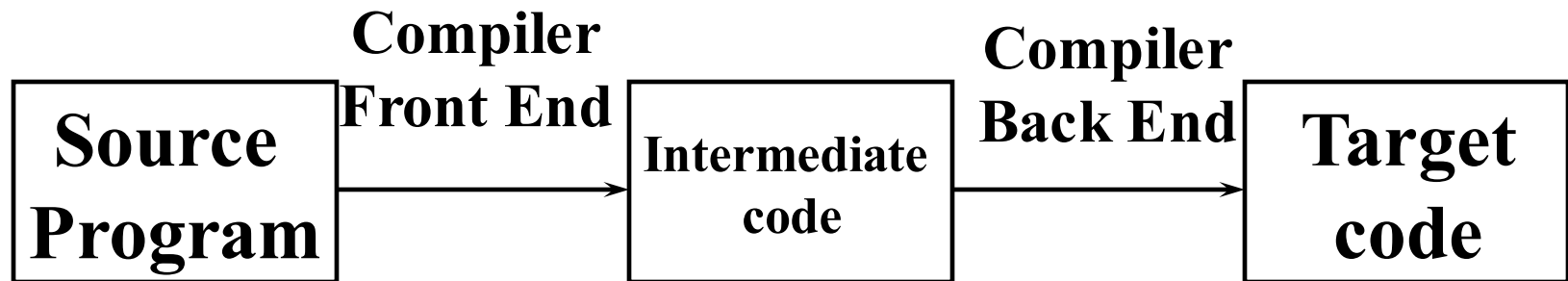
Semantic Analysis and Intermediate Code Generation



■ Static Semantic Checks

- ☐ Type checking
- ☐ Control flow checking
- ☐ Consistency checking
- ☐ Related name checking
- ☐ Name scope analysis

- **Benefits of Intermediate Language** (complexity between source and target languages):
 - Facilitates **machine-independent code optimization**
 - Easier **portability**
 - Makes the **compiler structure logically simpler and clearer**



Intermediate Language

■ Postfix notation

- Reverse Polish Notation (RPN)

■ Graph representation

- DAG (Directed Acyclic Graph)
- Abstract Syntax Tree (AST)

■ Three-Address Code (TAC)

- Triple
- Quadruple
- Indirect Triple

1-Postfix notation

Production	Semantic Rules
$E \rightarrow E^{(1)} \text{ op } E^{(2)}$	$E.\text{code} := E^{(1)}.\text{code} E^{(2)}.\text{code} \text{op}$
$E \rightarrow (E^{(1)})$	$E.\text{code} := E^{(1)}.\text{code}$
$E \rightarrow \text{id}$	$E.\text{code} := \text{id}$

- **E.code** represents the **postfix** form of expression E
- **op** denotes any binary **operator**
- **||** denotes **concatenation** of postfix expressions

Quiz

■ Postfix notation

(1) $a + b * (c + d / e)$

(2) $(A \text{ and } B) \text{ or } (\text{not } C \text{ or } D)$

(3) $-a + b * (-c + d)$

(4) $(A \text{ or } B) \text{ and } (C \text{ or not } D \text{ and } E)$

(5) $a + a * (b - c) + (b - c) * d$

(6) $b := -c * a + -c * a$

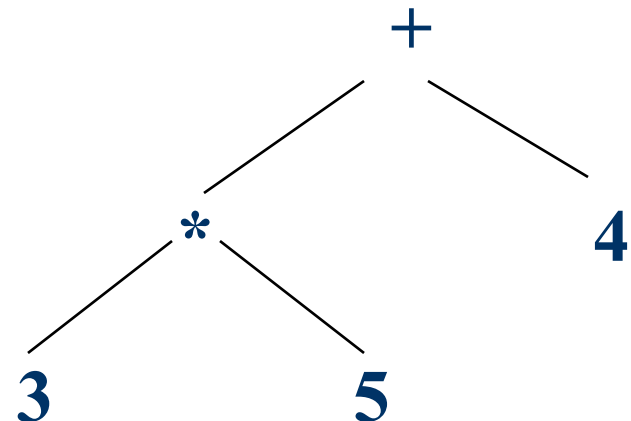
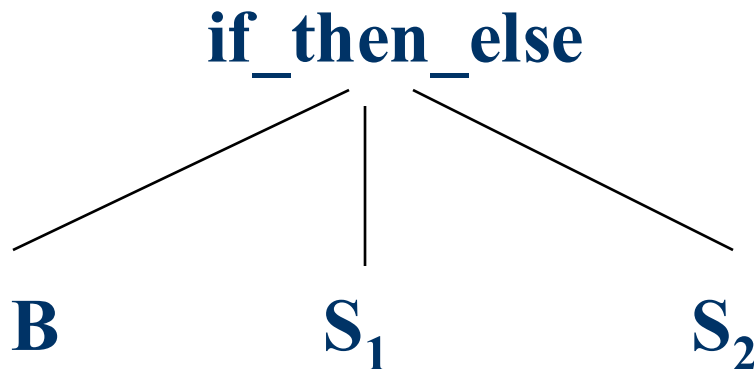


2-Graph Representations

- Abstract Syntax Tree (AST)
- DAG

Abstract Syntax Tree (AST)

- In a syntax tree, remove information unnecessary for translation to obtain a more **efficient intermediate representation** of the source program
 - This transformed tree is called an **Abstract Syntax Tree (AST)**
 - **Operators** and **keywords** appear as **internal nodes**, not as leaves
- $S \rightarrow \text{if } B \text{ then } S_1 \text{ else } S_2$
- $3 * 5 + 4$

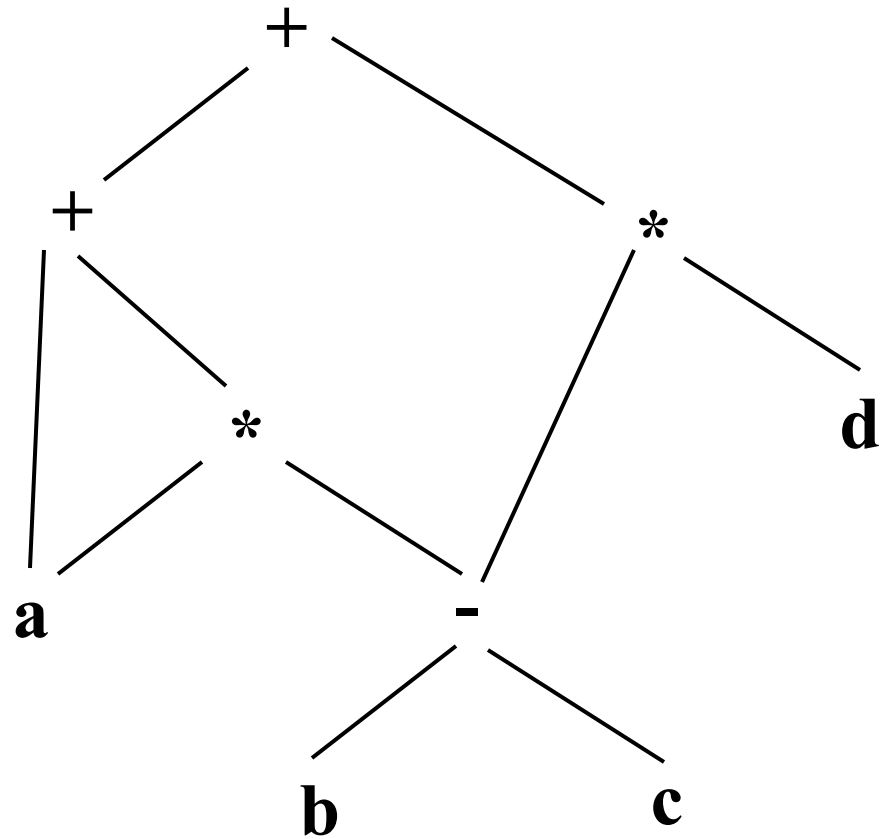


DAG

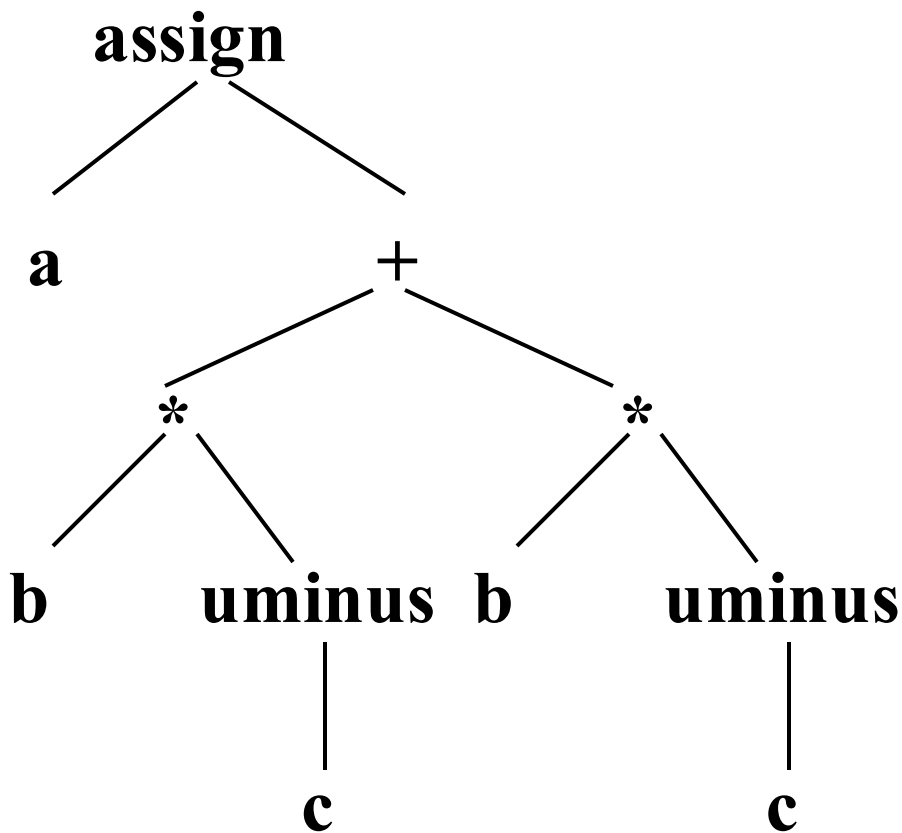
■ Directed Acyclic Graph (DAG)

- Each **subexpression** of an expression corresponds to a **node** in the DAG
- An **internal node** represents an **operator**, and its children represent **operands**
- Nodes representing **common subexpressions** have **multiple parents** in the DAG

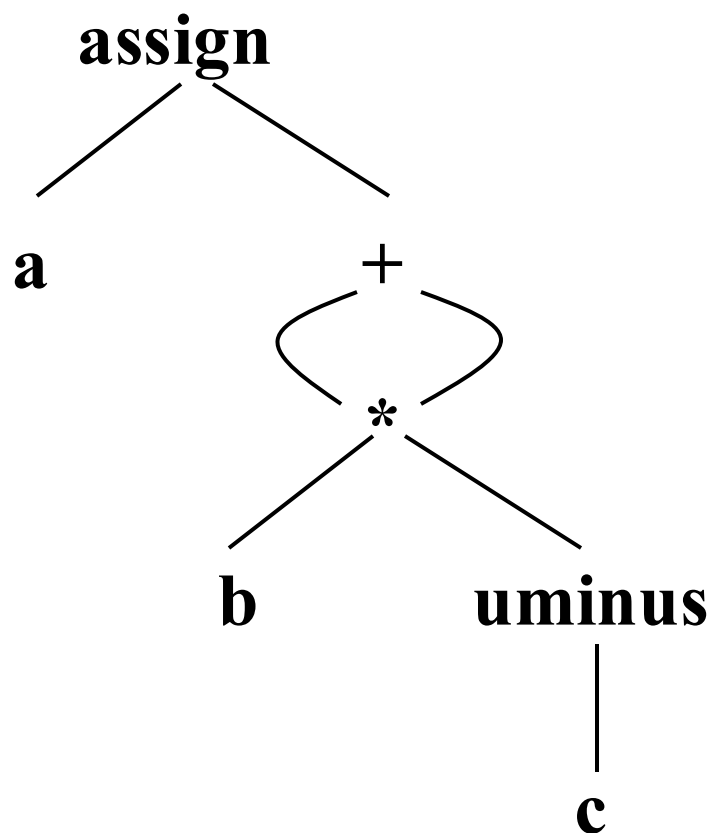
$$a + a^*(b - c) + (b - c)^*d$$



$a := b * (-c) + b * (-c)$ 的图表示法



AST



DAG

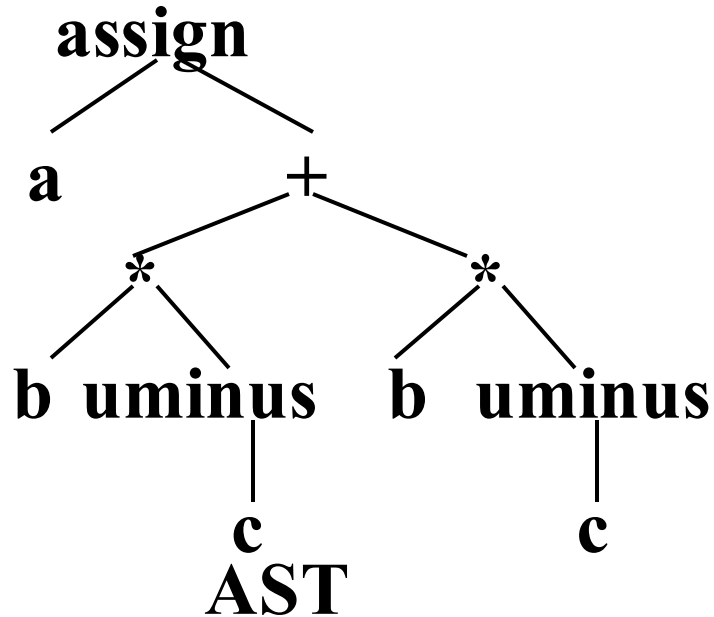
3-Three-Address Code (TAC)

- **General form $x := y \text{ op } z$**

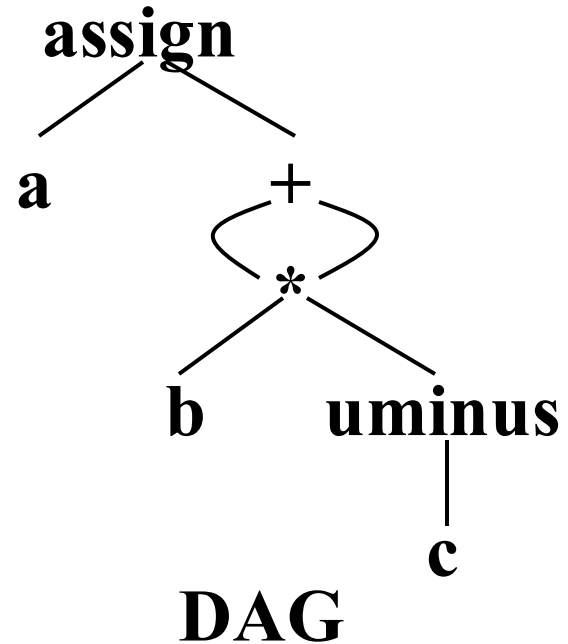
How to code $x + y * z$?

- **TAC can be viewed as a linear representation of an AST or a DAG**

$a := b * (-c) + b * (-c)$



$T_1 := -c$
 $T_2 := b * T_1$
 $T_3 := -c$
 $T_4 := b * T_3$
 $T_5 := T_2 + T_4$
 $a := T_5$



$T_1 := -c$
 $T_2 := b * T_1$
 $T_5 := T_2 + T_2$
 $a := T_5$

Types of Three-Address Statements

$x := y \text{ op } z$ — binary operation

$x := \text{op } y$ — unary operation

$x := y$ — simple assignment

goto L — unconditional jump

if x relop y goto L or **if a goto L** — conditional jump

param x and **call p, n,** and **return y** — procedure call and return

$x := y[i]$ and **$x[i] := y$** — indexed assignment (arrays)

$x := \&y$, $x := *y$, and $*x := y$ — address and pointer assignments

Three-Address Statements

$a := b * (-c) + b * (-c)$

- **Quadruples**

- A quadruple is a record structure with four fields, named op, arg1, arg2 and result

	op	arg1	arg2	result
(0)	uminus	c		T ₁
(1)	*	b	T ₁	T ₂
(2)	uminus	c		T ₃
(3)	*	b	T ₃	T ₄
(4)	+	T ₂	T ₄	T ₅
(5)	:=	T ₅		a

- Connection between quadruples is implemented via temporary variables.
- Unary operations use only the arg1 field.
- Jump statements store the target label in the result field.
- arg1, arg2, and result are usually pointers to entries in the symbol table, with temporary variables also recorded in the symbol table.

Three-Address Statements

$a := b * (-c) + b * (-c)$

■ Triple

- Temporary variable is referenced by the position of the statement that computes it
- Three fields: op, arg1 and arg2

	op	arg1	arg2
(0)	uminus	c	
(1)	*	b	(0)
(2)	uminus	c	
(3)	*	b	(2)
(4)	+	(1)	(3)
(5)	assign	a	(4)

$-(a+b)*(c+d)-(a+b+c)$ Three-Address Statements:

$T_1 := a + b$

$T_2 := -T_1$

$T_3 := c + d$

$T_4 := T_2 * T_3$

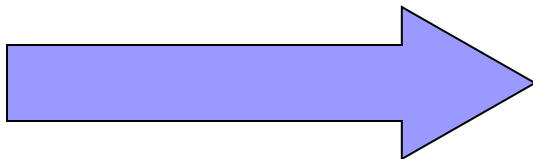
$T_5 := a + b$

$T_6 := T_5 + c$

$T_7 := T_4 - T_6$

Quadruples

	op	arg1	arg2	result
(1)	+	a	b	T_1
(2)	uminus	T_1		T_2
(3)	+	c	d	T_3
(4)	*	T_2	T_3	T_4
(5)	+	a	b	T_5
(6)	+	T_5	c	T_6
(7)	-	T_4	T_6	T_7



$-(a+b)*(c+d)-(a+b+c)$:

$T_1 := a+b$

$T_2 := -T_1$

$T_3 := c+d$

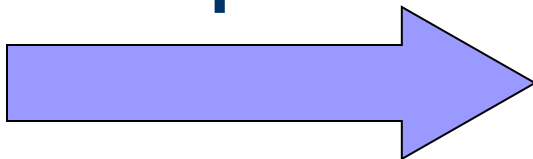
$T_4 := T_2 * T_3$

$T_5 := a+b$

$T_6 := T_5 + c$

$T_7 := T_4 - T_6$

Triple



	op	arg1	arg2
(1)	+	a	b
(2)	uminus	(1)	
(3)	+	c	d
(4)	*	(2)	(3)
(5)	+	a	b
(6)	+	(5)	c
(7)	-	(4)	(6)

$-(a+b)*(c+d)-(a+b+c)$:

$T_1 := a+b$

$T_2 := -T_1$

$T_3 := c+d$

$T_4 := T_2 * T_3$

$T_5 := a+b$

$T_6 := T_5 + c$

$T_7 := T_4 - T_6$

	op	arg1	arg2
(1)	+	a	b
(2)	uminus	(1)	
(3)	+	c	d
(4)	*	(2)	(3)
(5)	+	(1)	c
(6)	-	(4)	(5)

Instruction
(1)
(2)
(3)
(4)
(1)
(5)
(6)

**Indirect
Triple**



Three-Address Statements

■ Indirect Triple

- To facilitate code optimization, **use a triple table plus an indirect table** to represent intermediate code.
- **Indirect table**: an index table that lists the positions of triples in the triple table according to the order of operations.

■ Advantages:

- Facilitates **code optimization**
- **Saves space**



Comparison

- **Triples** use pointers to refer to other triples, so modifications during optimization are difficult.
- **Indirect triples** only require changes to the indirect table for optimization, saving storage space in the triple table.
- **Quadruples** are easier to modify, but temporary variables must be added to the symbol table, occupying some storage space.



Outline

- Intermediate Language
- Translation of Declaration Statements
- Translation of **Assignment** Statements
- Translation of Boolean Expressions
- Translation of Flow-of-Control Statements
- Procedure Call Handling

Translation scheme

```
S → id := E   S.code := E.code || gen(id.place ':=' E.place)
E → E1 + E2 E.place := newtemp;
                E.code := E1.code || E2.code || gen(E.place ':=' E1.place '+' E2.place)
E → E1 * E2 E.place := newtemp;
                E.code := E1.code || E2.code || gen(E.place ':=' E1.place '*' E2.place)
```

```
S → id := E   { p := lookup(id.name);
                if p ≠ nil then
                    emit(p ':=' E.place)
                else error }
```

```
E → E1 + E2 { E.place := newtemp;
                emit(E.place ':=' E1.place '+' E2.place)}
```

```
E → E1 * E2 { E.place := newtemp;
                emit(E.place ':=' E1.place '*' E2.place)}
```


$E \rightarrow -E_1$	$E.place := \text{newtemp};$ $E.code := E_1.code \parallel \text{gen}(E.place \text{ ':=' } \text{'uminus'} E_1.place)$
$E \rightarrow (E_1)$	$E.place := E_1.place;$ $E.code := E_1.code$
$E \rightarrow id$	$E.place := id.place;$ $E.code = \text{' '}$

$E \rightarrow -E_1$ { $E.place := \text{newtemp};$
 $\text{emit}(E.place \text{' := ' 'uminus' } E_1.place)$ }

$E \rightarrow (E_1)$ { $E.place := E_1.place$ }

$E \rightarrow id$ { $p := \text{lookup}(id.name);$
 if $p \neq \text{nil}$ then
 $E.place := p$
 else error }

Translation scheme

- Attribute **id.name** represents the name itself of the identifier id.
- Procedure **lookup(id.name)** checks if there is an entry for this name in the symbol table. If found, it returns a **pointer** to the entry; otherwise, it returns **nil** to indicate not found.
- Procedure **emit** sends the generated three-address code statements to the output file.

Type conversion $E \rightarrow E_1 + E_2$

```
{ E.place:=newtemp;
  if E1.type=integer and
    E2.type=integer then begin
    emit (E.place ':=' E
1.place 'int+' E2.place);
    E.type:=integer
  end
  else if E1.type=real and
    E2.type=real then begin
    emit (E.place ':=' E
1.place 'real+' E2.place);
    E.type:=real
  end
end
```

```
  else if E1.type=integer and E2.type=real
    then begin
      u:=newtemp;
      emit (u ':=' 'inttoreal' E
1.place);
      emit (E.place ':=' u 'real+' E
2.place);
      E.type:=real
    end
    else if E1.type=real and E2.type=integer
      then begin
        u:=newtemp;
        emit (u ':=' 'inttoreal' E
2.place);
        emit (E.place ':=' E1.place
          'real+' u);
        E.type:=real
      end
    end
    else E.type:=type_error}
```

Type conversion $E \rightarrow E_1 + E_2$

- Example: $x := y + i * j$

Here, x and y are of real type; i and j are of integer type. The three-address code generated for this assignment statement is:

$T1 := i * j$	// integer multiplication
$T3 := \text{inttoreal } T1$	// type conversion from integer to real
$T2 := y + T3$	// real addition
$x := T2$	// assignment

$A := B * (-C + D)$

$S \rightarrow id := E$ { $p := \text{lookup}(id.name);$
 if $p \neq \text{nil}$ then
 emit($p := E.place$)
 else error }

$E \rightarrow E_1 + E_2$ { $E.place := \text{newtemp};$
 emit($E.place := E_1.place + E_2.place$)}

$E \rightarrow E_1 * E_2$ { $E.place := \text{newtemp};$
 emit($E.place := E_1.place * E_2.place$)}

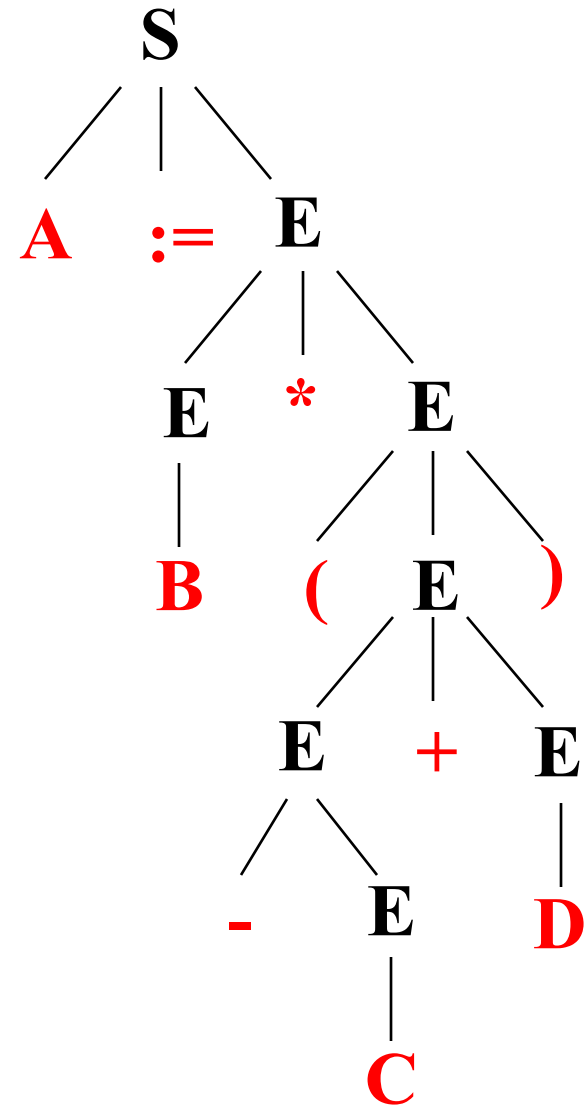
$E \rightarrow -E_1$ { $E.place := \text{newtemp};$
 emit($E.place := \text{'uminus'} E_1.place$)}

$E \rightarrow (E_1)$ { $E.place := E_1.place$ }

$E \rightarrow id$ { $p := \text{lookup}(id.name);$
 if $p \neq \text{nil}$ then
 $E.place := p$
 else error }

A:=B*(-C+D), Bottom-up

$S \rightarrow id := E$	<pre>{ p:=lookup(id.name); if p≠nil then emit(p ':=' E.place) else error }</pre>
$E \rightarrow E_1 + E_2$	<pre>{ E.place:=newtemp; emit(E.place ':=' E₁.place '+' E₂.place)}</pre>
$E \rightarrow E_1 * E_2$	<pre>{ E.place:=newtemp; emit(E.place ':=' E₁.place '*' E₂.place)}</pre>
$E \rightarrow -E_1$	<pre>{ E.place:=newtemp; emit(E.place ':=' 'uminus' E₁.place)}</pre>
$E \rightarrow (E_1)$	<pre>{ E.place:=E₁.place}</pre>
$E \rightarrow id$	<pre>{ p:=lookup(id.name); if p≠nil then E.place:=p else error }</pre>





Quiz-Canvas 2min

- **ch7 Intermediate Code Generation:
Assignment Statement**



Outline

- Intermediate Language
- Translation of Declaration Statements
- Translation of Assignment Statements
- Translation of **Boolean** Expressions
- Translation of Flow-of-Control Statements
- Procedure Call Handling

Translation of Boolean Expressions

- **Boolean expression:** An expression formed by connecting Boolean values and relational expressions using Boolean operators.
- **Boolean operators:** and, or, not
- **Relational operators:** $<$, \leq , $=$, \neq , $>$, \geq

Translation of Boolean Expressions

- Two main uses of Boolean expressions:
 - Logical computation to produce a Boolean value.
 - Conditional expressions in Flow-of-Control Statements.
- Grammar for Boolean expressions:
 - $E \rightarrow E \text{ or } E \mid E \text{ and } E \mid \neg E \mid (E) \mid \text{id rop id} \mid \text{id}$
 - Operator precedence:
 - not > and > or, left-associative
 - Relational operators: > Boolean operators

There are usually two methods to evaluate Boolean expressions

(1) Step-by-step evaluation, similar to arithmetic expressions

1 or (not 0 and 0) or 0

=1 or (1 and 0) or 0

=1 or 0 or 0

=1 or 0

=1

(2) Using optimization (short-circuit evaluation)

A or B: if A then true else B

A and B: if A then B else false

$\neg A$: if A then false else true

Correspondingly, there are two translation methods

Boolean Expression Evaluation Method (1)

- **a or b and not c**

$T_1 := \text{not } c$

$T_2 := b \text{ and } T_1$

$T_3 := a \text{ or } T_2$

- **a<b can equivalently be written as : if
a<b then 1 else 0**

100: if a<b goto 103

101: T:=0

102: goto 104

103: T:=1

Boolean Expression Evaluation Method (1)

$E \rightarrow E_1 \text{ or } E_2$ $\{E.\text{place} := \text{newtemp};$
 $\text{emit}(E.\text{place} \text{ ' := ' } E_1.\text{place} \text{ ' or '}$
 $E_2.\text{place})\}$

$E \rightarrow E_1 \text{ and } E_2$ $\{E.\text{place} := \text{newtemp};$
 $\text{emit}(E.\text{place} \text{ ' := ' } E_1.\text{place} \text{ ' and '}$
 $E_2.\text{place})\}$

$E \rightarrow \text{not } E_1$ $\{E.\text{place} := \text{newtemp};$
 $\text{emit}(E.\text{place} \text{ ' := ' 'not' } E_1.\text{place})\}$

$E \rightarrow (E_1)$ $\{E.\text{place} := E_1.\text{place}\}$

Boolean Expression Evaluation Method (1)

a<b translates to

```
100:  if a<b goto 103
101:  T:=0
102:  goto 104
103:  T:=1
104:
```

```
E→id1 relop id2 { E.place:=newtemp;
                      emit( 'if' id1.place relop. op
                           id2. place 'goto' nextstat+3);
                      emit(E.place ':=' '0' );
                      emit( 'goto' nextstat+2);
                      emit(E.place ':=' '1' ) }
```

```
E→id { E.place:=id.place }
```

$a < b$ or $c < d$ and $e < f$

```
100:  if a<b goto 103
101:  T1:=0
102:  goto 104
103:  T1:=1
104:  if c<d goto 107
105:  T2:=0
106:  goto 108
107:  T2:=1
108:  if e<f goto 111
109:  T3:=0
110:  goto 112
111:  T3:=1
112:  T4:=T2 and T3
113:  T5:=T1 or T4
```

```
E → id1 relop id2
{ E.place:=newtemp;
  emit( 'if' id1.place relop. op id2.place
        'goto' nextstat+3);
  emit(E.place ':=' '0' );
  emit( 'goto' nextstat+2);
  emit(E.place ':=' '1') }
```

```
E → id
{ E.place:=id.place }
```

```
E → E1 or E2
{ E.place:=newtemp;
  emit(E.place ':=' E1.place 'or'
        E2.place) }
```

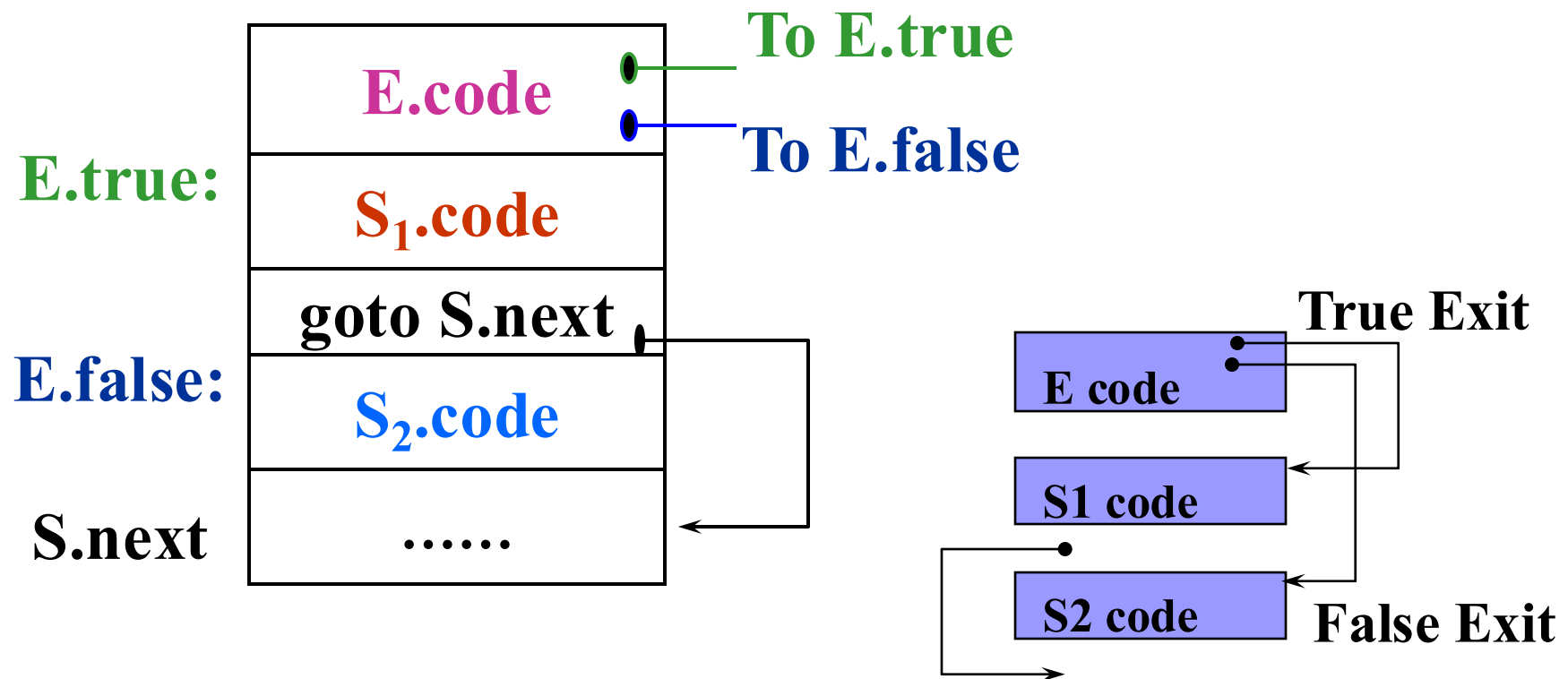
```
E → E1 and E2
{ E.place:=newtemp;
  emit(E.place ':=' E1.place 'and'
        E2.place) }
```

Exercise

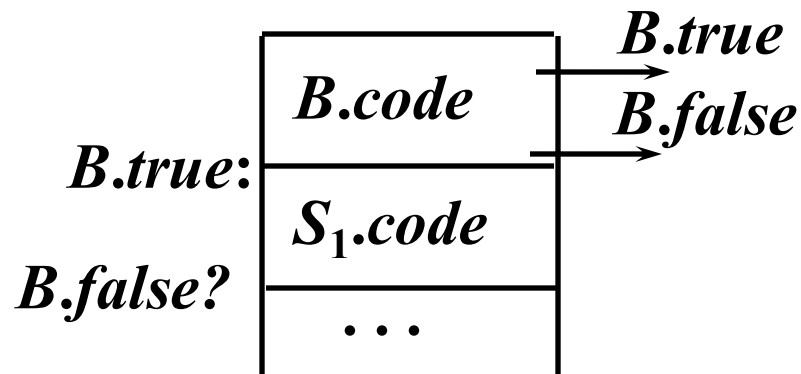
☐ $a > b$ and $c > d$

Translation of Boolean expressions as conditional control

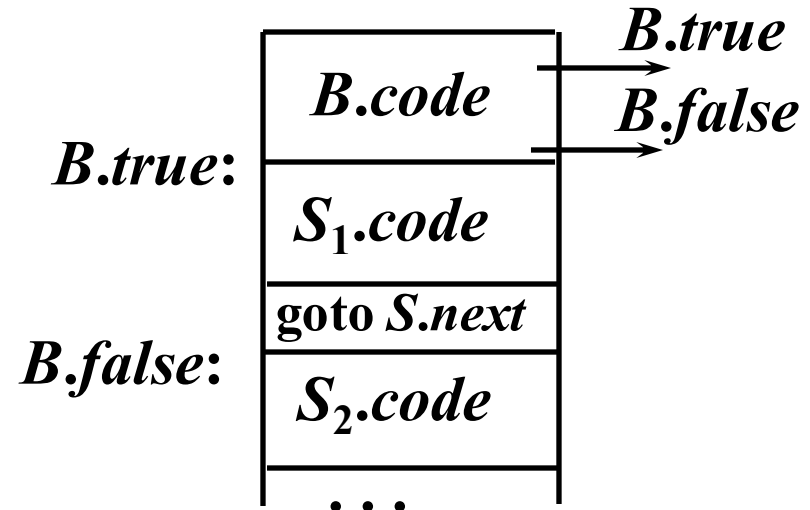
- For the conditional statement if E then S1 else S2, assign **two exits** to E: one for true, one for false.



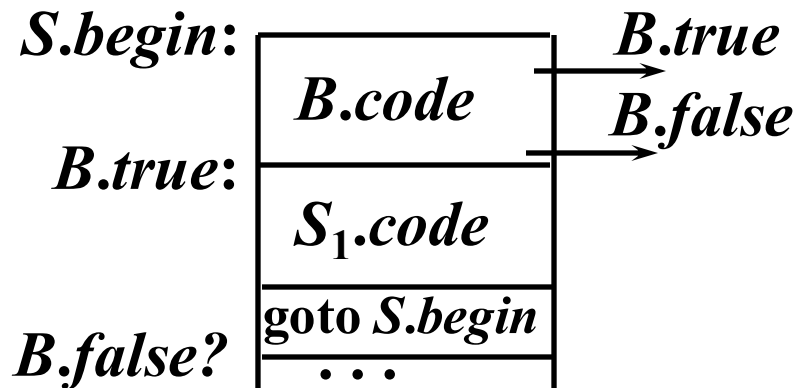
Boolean Expressions and Control Flow Statements



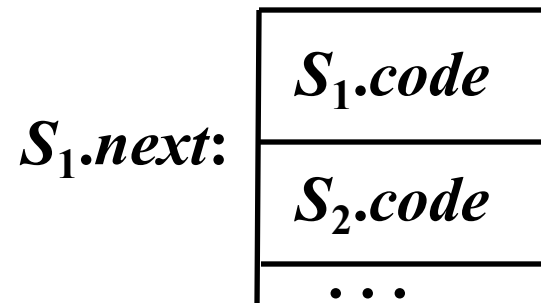
(a) if-then



(b) if-then-else



(c) while-do



(d) *S₁*; *S₂*

Translation of Boolean Expressions

■ Two-pass scanning

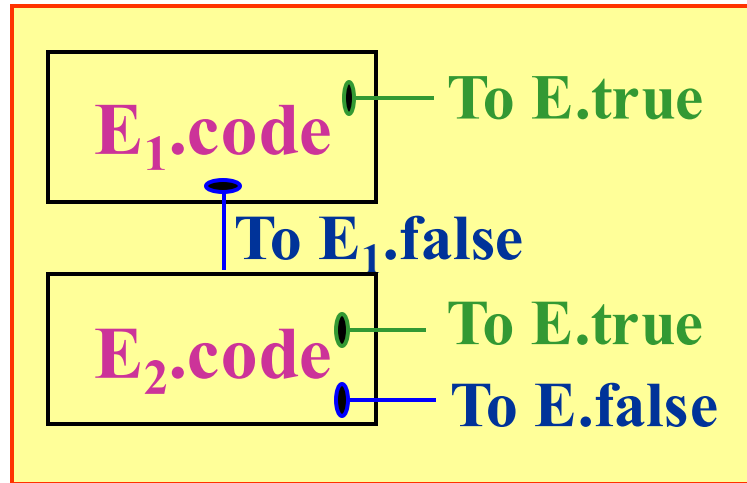
- Construct a **syntax tree** for the given input string.
- Perform a **depth-first traversal** of the syntax tree and apply the translations specified by the semantic rules.

■ **One-pass scanning**

Grammar of Boolean Expressions

- (1) $E \rightarrow E_1 \text{ or } M E_2$
- (2) $\quad \quad \quad | E_1 \text{ and } M E_2$
- (3) $\quad \quad \quad | \text{ not } E_1$
- (4) $\quad \quad \quad | (E_1)$
- (5) $\quad \quad \quad | \text{id}_1 \text{ relop id}_2$
- (6) $\quad \quad \quad | \text{id}$
- (7) $M \rightarrow \varepsilon$

Translation Scheme for Boolean Expressions

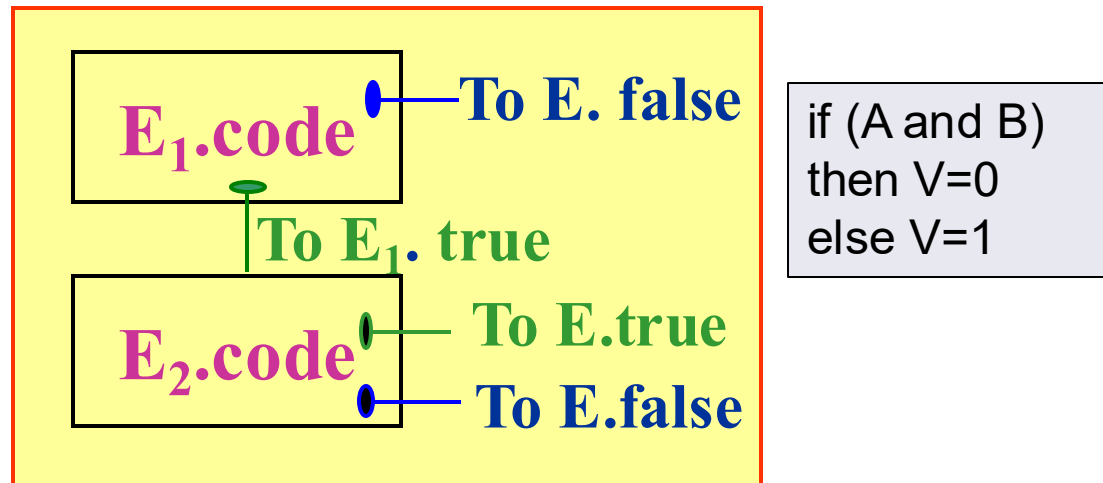


```
if (A or B)
then V=0
else V=1
```

(1) $E \rightarrow E_1 \text{ or } M E_2$

```
{ backpatch( $E_1.falselist$ , M.quad);
  E.truelist:=merge( $E_1.truelist$ ,  $E_2.truelist$ );
  E.falselist:= $E_2.falselist$  }
```

Translation Scheme for Boolean Expressions



(2) $E \rightarrow E_1 \text{ and } M E_2$
{ backpatch($E_1.truelist$, M.quad);
 $E.truelist := E_2.truelist$;
 $E.falselist := merge(E_1.falselist, E_2.falselist)$ }

Translation Scheme for Boolean Expressions

(3) $E \rightarrow \text{not } E_1$

**{ $E.\text{truelist} := E_1.\text{falselist};$
 $E.\text{falselist} := E_1.\text{truelist}$ }**

(4) $E \rightarrow (E_1)$

**{ $E.\text{truelist} := E_1.\text{truelist};$
 $E.\text{falselist} := E_1.\text{falselist}$ }**

Translation Scheme for Boolean Expressions

(5) $E \rightarrow id_1 \text{ relop } id_2$

```
{ E.truelist:=makelist(nextquad);  
  E.falselist:=makelist(nextquad+1);  
  emit( 'j', relop.op, id1.place, id2.place, 0 );  
  emit( 'j, -, -, 0' ) }
```

(6) $E \rightarrow id$

```
{ E.truelist:=makelist(nextquad);  
  E.falselist:=makelist(nextquad+1);  
  emit( 'jnz', id.place, '-', 0 );  
  emit( 'j, -, -, 0' ) }
```

(7) $M \rightarrow \varepsilon$

```
{ M.quad:=nextquad }
```


One-Pass Translation

■ Quadruples

- Store in an array; the array index represents the quadruple's number.

■ Conventions

(jnz, a, -, p) → if a goto p
(jrop, x, y, p) → if x rop y goto p
(j, -, -, p) → goto p

- Sometimes the jump target is **unknown**.
Save the unfinished quadruple as E's semantic value for later **backpatching**.

- Assign two synthesized attributes to the nonterminal E:
 - E.truelist — list of quadruple numbers whose *true exits* need backpatching.
 - E.falselist — list of quadruple numbers whose *false exits* need backpatching.

(p) (x, x, x, 0) ← Tail of the list
...
(q) (x, x, x, p) ←
...
(r) (x, x, x, q) ← E. truelist = r



To handle `E.truelist` and `E.falselist`, introduce the following semantic variables and procedures:

- **nextquad**: points to the next quadruple; auto-increment after each emit.
- **makelist**(i): create a list with index i .
- **merge**(p_1, p_2): merge two lists, return head.
- **backpatch**(p, t): fill target field of list p with t .

Exercise

- **A or B**
- **A or (B and not (C or D))**

A or (B and not (C or D))

100 (jnz, A, -, 0)

101 (j, -, -, ~~0~~2)

102 (jnz, B, -, ~~0~~4)

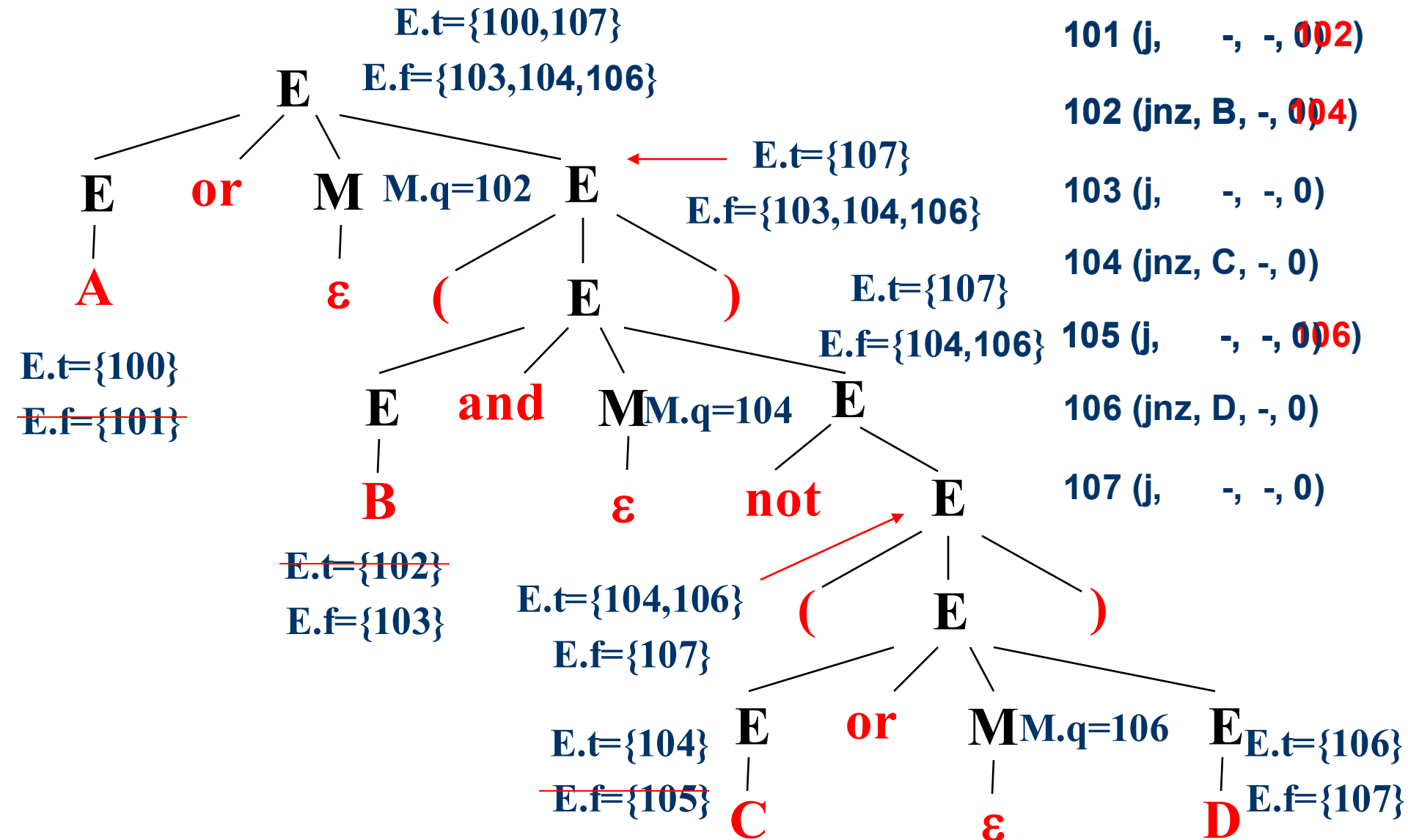
103 (j, -, -, 0)

104 (jnz, C, -, 0)

105 (j, -, -, ~~0~~6)

106 (jnz, D, -, 0)

107 (j, -, -, 0)



$a < b$ or $c < d$ and $e < f$

100 (j<, a, b, 0)

101 (j, -, -, 102)

102 (j<, c, d, 104)

103 (j, -, -, 0)

104 (j<, e, f, 100) truelist

105 (j, -, -, 103) false list 5

The true and false exits of the Boolean expression still need **backpatching**



Quiz-Canvas

- 3min
- **ch7 Intermediate Code Generation:
Boolean Expressions**



Outline

- Intermediate Language
- Translation of Declaration Statements
- Translation of Assignment Statements
- Translation of Boolean Expressions
- Translation of **Flow-of-Control Statements**
- Procedure Call Handling

One-pass translation of Flow-of-Control Statements

- Consider the statements defined by the following productions:

(1) $S \rightarrow \text{if } E \text{ then } S$

(2) $\quad \quad | \text{ if } E \text{ then } S \text{ else } S$

(3) $\quad \quad | \text{ while } E \text{ do } S$

(4) $\quad \quad | \text{ begin } L \text{ end}$

(5) $\quad \quad | A$

(6) $L \rightarrow L; S$

(7) $\quad \quad | S$

$S \rightarrow$ statement

$L \rightarrow$ statement list

$A \rightarrow$ assignment statement

$E \rightarrow$ Boolean expression

Translation of if Statements

Productions

$S \rightarrow \text{if } E \text{ then } S^{(1)}$
 $\quad \quad \quad | \text{if } E \text{ then } S^{(1)} \text{ else } S^{(2)}$

Rewritten Productions

$S \rightarrow \text{if } E \text{ then } M S_1$
 $S \rightarrow \text{if } E \text{ then } M_1 S_1 N \text{ else } M_2 S_2$
 $M \rightarrow \varepsilon$
 $N \rightarrow \varepsilon$

Translation Scheme:

1. $S \rightarrow \text{if } E \text{ then } M \ S_1$
 { backpatch(E.truelist, M.quad);
 S.nextlist:=merge(E.falselist, S₁.nextlist) }
2. $S \rightarrow \text{if } E \text{ then } M_1 \ S_1 \ N \ \text{else } M_2 \ S_2$
 { backpatch(E.truelist, M₁.quad);
 backpatch(E.falselist, M₂.quad);
 S.nextlist:=merge(S₁.nextlist, N.nextlist, S₂.nextlist) }
3. $M \rightarrow \epsilon$ { M.quad:=nextquad }
4. $N \rightarrow \epsilon$ { N.nextlist:=makelist(nextquad);
 emit('j,—,—,0') }

```

1.  $S \rightarrow \text{if } E \text{ then } M \ S_1$ 
   { backpatch(E.truelist, M.quad);
     S.nextlist:=merge(E.falselist,  $S_1$ .nextlist) }

2.  $S \rightarrow \text{if } E \text{ then } M_1 \ S_1 \ N \ \text{else } M_2 \ S_2$ 
   { backpatch(E.truelist,  $M_1$ .quad);
     backpatch(E.falselist,  $M_2$ .quad);
     S.nextlist:=merge( $S_1$ .nextlist, N.nextlist,  $S_2$ .nextlist) }

3.  $M \rightarrow \epsilon$            { M.quad:=nextquad }

4.  $N \rightarrow \epsilon$            { N.nextlist:=makelist(nextquad);
                           emit( 'j, -, -, 0' ) }

```

Translate into intermediate code

if a then b:=1 else b:=2



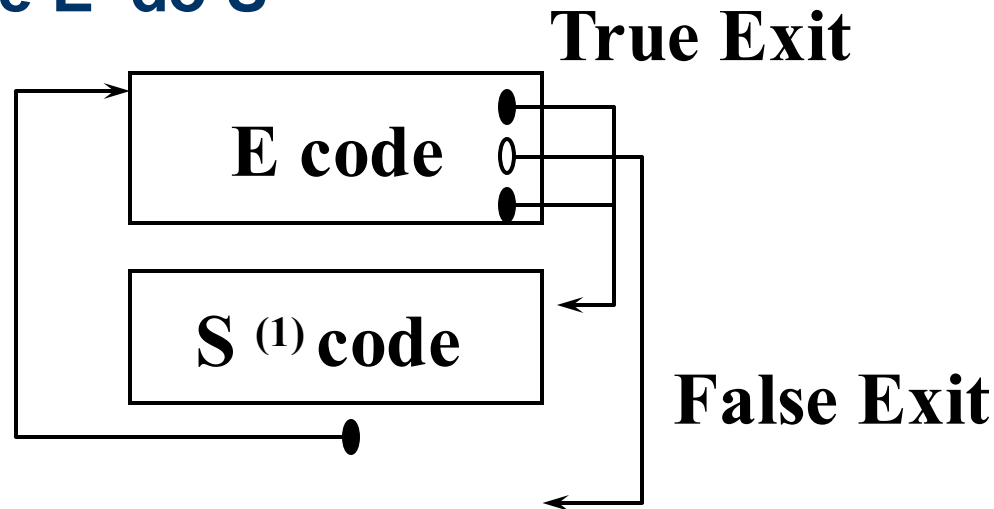
Quiz-Canvas

- 1min
- **ch7 Intermediate Code Generation:
Conditional Statements**

Translation of while Statements

Productions

$S \rightarrow \text{while } E \text{ do } S^{(1)}$



To facilitate backpatching, rewrite the production as:

$S \rightarrow \text{while } M_1 \ E \ \text{do } M_2 \ S_1$

$M \rightarrow \epsilon$

Translation Scheme:

1. $S \rightarrow \text{while } M_1 \text{ E do } M_2 S_1$

$\{\text{backpatch}(S_1.\text{nextlist}, M_1.\text{quad});$

$\text{backpatch}(S_1.\text{nextlist}, \text{nextquad});$

} Which is better?

$\text{backpatch}(E.\text{truelist}, M_2.\text{quad});$

$S.\text{nextlist} := E.\text{falselist}$

$\text{emit}('j, -, -, ' M_1.\text{quad}) \}$

2. $M \rightarrow \varepsilon \quad \{ M.\text{quad} := \text{nextquad} \}$

3. $S \rightarrow A \quad \{ S.\text{nextlist} := \text{makelist}() \}$

```
1.  $S \rightarrow \text{while } M_1 \text{ E do } M_2 S_1$   
   {backpatch( $S_1.\text{nextlist}$ ,  $M_1.\text{quad}$ );  
   backpatch( $E.\text{truelist}$ ,  $M_2.\text{quad}$ );  
    $S.\text{nextlist} := E.\text{falselist}$   
   emit( 'j, - , - ,'  $M_1.\text{quad}$ ) }  
  
2.  $M \rightarrow \epsilon$     {  $M.\text{quad} := \text{nextquad}$  }
```

Translate into intermediate code
while $a > b$ do $a := a - 1$

Translation of $L \rightarrow L;S$

Production

$$L \rightarrow L;S \mid S$$

Rewritten Production

$$L \rightarrow L_1; M S \mid S$$

$$M \rightarrow \varepsilon$$

Translation Scheme

1. $L \rightarrow L_1; M S$ { backpatch($L_1.nextlist$, $M.quad$);
 $L.nextlist := S.nextlist$ }
2. $M \rightarrow \varepsilon$ { $M.quad := nextquad$ }
3. $L \rightarrow S$ { $L.nextlist := S.nextlist$ }

Translation of other statements

S → begin L end
{ S.nextlist:=L.nextlist }

S → A
{ S.nextlist:=makelist() }

1. $L \rightarrow L_1; M S$	{ backpatch($L_1.nextlist$, $M.quad$); $L.nextlist := S.nextlist$ }
2. $M \rightarrow \epsilon$	{ $M.quad := nextquad$ }
3. $L \rightarrow S$	{ $L.nextlist := S.nextlist$ }

Translation into intermediate code

$a := a + 1;$

$b := b + 1$

while (a<b) do
if (c<d) then x:=y+z;

P190

```
E → id1 relop id2
    { E.truelist:=makelist(nextquad);
      E.falselist:=makelist(nextquad+1);
      emit( 'j' relop.op ',' id1.place ',' id2.place ',' '0' );
      emit( 'j, -, -, 0' ) }
```

P179

```
S → A          { S.nextlist:=makelist( ) }
A → id:=E       { p:=lookup(id.name);
                  if p≠nil then
                      emit(p ':=' E.place)
                  else error }
E → E1+E2     { E.place:=newtemp;
                  emit(E.place ':=' E1.place '+' E2.place) }
```

**while (a<b) do
if (c<d) then x:=y+z;**

P195

$S \rightarrow \text{if } E \text{ then } M \ S_1$
 { backpatch(E.truelist, M.quad);
 S.nextlist:=merge(E.falselist, S₁.nextlist) }


$M \rightarrow \varepsilon$ { M.quad:=nextquad }

$S \rightarrow A$ { S.nextlist:=makelist() }

P195

$S \rightarrow \text{while } M_1 \ E \ \text{do } M_2 \ S_1$
 { backpatch(S₁.nextlist, M₁.quad);
 backpatch(E.truelist, M₂.quad);
 S.nextlist:=E.falselist
 emit('j, - , - ,' M₁.quad) }

$M \rightarrow \varepsilon$ { M.quad:=nextquad }



while (a<b) do
if (c<d) then x:=y+z;

100 (j<, a, b, 102)

101 (j, -, -, 107)

102 (j<, c, d, 104)

103 (j, -, -, 100)

104 (+, y, z, T)

105 (:=, T, -, x)

106 (j, -, -, 100)

107

Labels and goto Statements

■ Label definition:

L: S;

- After processing, label L is considered defined
- In the symbol table, L's address field records the address of the first quadruple of statement S

■ Label reference:

goto L;

Backward jump

L1:
.....
goto L1;

Forward jump

goto L1;
.....
L1:

Symbol Table

Backward jump

```
L1: .....  
      .....  
      goto L1;
```

Forward jump

```
      goto L1;  
      .....  
L1:  .....
```

Name	Type	...	Defined	Address
...
L	Label		false	r

(p) (j, -, -, 0)

...

(q) (j, -, -, p)

...

(r) (j, -, -, q)

Semantic Actions for the Production $S' \rightarrow \text{goto } L$:

- **Look up L in the symbol table.**
- **If L exists and is defined:**
 - $\text{GEN}(J, -, -, P)$ # P is the address from L's entry.
- **Else if L does not exist:**
 - Insert L into the table.
 - Set "defined" = false, "address" = nextquad.
 - $\text{GEN}(J, -, -, 0)$
- **Else if L exists but not yet defined:**
 - $q := L$'s current address.
 - Update L's address to nextquad.
 - $\text{GEN}(J, -, -, q)$

■ Production for Label Statements:

$S_L \rightarrow \text{label } S$

$\text{label} \rightarrow i:$

■ Semantic Actions of **$\text{label} \rightarrow i:$**

- If identifier i (assume L) is not in the symbol table:
 - Insert L
 - Set $\text{type} = \text{"label"}$, $\text{defined} = \text{true}$, $\text{address} = \text{nextquad}$
- If L exists but $\text{type} \neq \text{"label"}$ or $\text{defined} = \text{true}$:
 - Report an error
- If L exists:
 - Change $\text{defined} = \text{true}$
 - Retrieve the head of the address chain (q) from L
 - Fill nextquad in the chain
 - Execute $\text{BACKPATCH}(q, \text{nextquad})$

Exercise

Backward jump

```
L1:  a:=1  
goto L1;
```

Forward jump

```
goto L1;  
L1: a:=1
```

Show the intermediate code and the changes in the symbol table.

Translation of CASE Statements

■ Statement structure:

```
case E of
  C1: S1;
  C2: S2;
  ...
  Cn-1: Sn-1;
  otherwise: Sn
end
```

E is the expression,
called the **selector**
E is usually an integer
expression or a
character variable

■ Method (1):

$T := E$

L_1 : if $T \neq C_1$ goto L_2
 S_1 code
 goto next

L_2 : if $T \neq C_2$ goto L_3
 S_2 code
 goto next

L_3 :

...

L_{n-1} : if $T \neq C_{n-1}$ goto L_n
 S_{n-1} code
 goto next

L_n : S_n code

next:

■ Method (2):

$T := E$

goto test

L_1 : S_1 code
 goto next

...

L_{n-1} : S_{n-1} code
 goto next

L_n : S_n code
 goto next

test: if $T = C_1$ goto L_1
 if $T = C_2$ goto L_2

...

 if $T = C_{n-1}$ goto L_{n-1}
 goto L_n

next:

Exercise

```
case a+1 of
  1:   b:=2;
  2:   b:=4;
  3:   b:=9;
otherwise: b:=0
end
```

```
■ Method (2):
    T:=E
    goto test
L1:  S1 code
      goto next
...
Ln-1: Sn-1 code
      goto next
Ln:  Sn code
      goto next
test: if T=C1 goto L1
      if T=C2 goto L2
      ...
      if T=Cn-1 goto Ln-1
      goto Ln
next:
```



Outline

- **Intermediate Language**
- **Translation of Declaration Statements**
- **Translation of Assignment Statements**
- **Translation of Boolean Expressions**
- **Translation of Flow-of-Control Statements**
- **Procedure Call Handling**

Handling of Procedure Calls

- Procedure calls mainly involve two tasks
 - Passing parameters
 - Control transfer to procedure
- Passing by address
 - Pass the address of the actual parameter to the corresponding formal parameter
 - Copy the address of the actual parameter into the corresponding formal unit
 - References and assignments to formal parameters in the procedure body are handled as indirect accesses to the formal unit
- Note: Only the "pass by address" method is discussed

Grammar for Procedure Calls

(1) $S \rightarrow \text{call id (Elist)}$

(2) $\text{Elist} \rightarrow \text{Elist}, E$

(3) $\text{Elist} \rightarrow E$

■ Parameter handling:

- The addresses of arguments are stored in a **queue**
- For each item in the queue, generate a **param** statement

Translation of Procedure Calls

- **Method:** Place the addresses of actual arguments one by one **before the call instruction.**
- **Example:** CALL S(A, X+Y)
- Intermediate code:

T := X + Y	// compute second argument
param A	// address of first argument
param T	// address of second argument
call S	// transfer control to procedure S

■ Translation Actions:

1. $S \rightarrow \text{call id (Elist)}$

```
{   for each item p in the queue  
    emit( 'param' p);  
    emit( 'call' id.place) }
```

2. $\text{Elist} \rightarrow \text{Elist}, E$

```
{ Append E.place to the end of the queue }
```

3. $\text{Elist} \rightarrow E$

```
{ Initialize the queue to constrain only E.place }
```

Exercise

- **CALL** $f(a, b)$



Survey

- **Intermediate Language**
- **Translation of Declaration Statements**
- **Translation of Assignment Statements**
- **Translation of Boolean Expressions**
- **Translation of Flow-of-Control Statements**
- **Procedure Call Handling**

Dank u

Dutch

Merci

French

Спасибо

Russian

Gracias

Spanish

شكراً

Arabic

धन्यवाद

Hindi

감사합니다

Korean

תודה רבה

Hebrew

Tack så mycket

Swedish

Obrigado

Brazilian
Portuguese

Dankon

Esperanto

ありがとうございます

Japanese

Thank You !

谢谢

Chinese

Dankon

Esperanto

ありがとうございます

Japanese

Trugarez

Breton

Danke

German

Tak

Danish

Grazie

Italian

நன்றி

Tamil

děkuji

Czech

ขอบคุณ

Thai

go raibh maith agat

Gaelic

Canvas 作业

- 作业6-中间代码生成

- P218(7)

While $A < C$ and $B < D$ do

If $A = 1$ then $C := C + 1$ else

while $A \leq D$ do $A := A + 2$;

1 后缀式

- **后缀式表示法**：波兰逻辑学家Lukasiewicz发明的一种表示表达式的方法，又称**逆波兰**表示法。
- 一个表达式E的后缀形式可以如下定义：
 1. 如果E是一个变量或常量，则E的后缀式是E自身。
 2. 如果E是 $E_1 \text{ op } E_2$ 形式的表达式，其中op是任何二元操作符，则E的后缀式为 $E_1' E_2' \text{ op}$ ，其中 E_1' 和 E_2' 分别为 E_1 和 E_2 的后缀式。
 3. 如果E是 (E_1) 形式的表达式，则 E_1 的后缀式就是E的后缀式。

- 逆波兰表示法不用括号。只要知道每个算符的目数，对于后缀式，不论从哪一端进行扫描，都能对它进行唯一分解。
- 后缀式的计算
 - 用一个栈实现。
 - 一般的计算过程是：自左至右扫描后缀式，每碰到运算量就把它推进栈。每碰到 k 目运算符就把它作用于栈顶的 k 个项，并用运算结果代替这 k 个项。

四元式、三元式和间接三元式比较

- 三元式中使用了指向三元式的指针，优化时修改较难。
- 间接三元式优化只需要更改间接码表，并节省三元式表存储空间。
- 修改四元式表也较容易，只是临时变量要填入符号表，占据一定存储空间。