Lab2: EEG Motor Imagery Classification

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I. Overview

In this lab, I implement SCCNet and three different methods, subject dependent, leave-one-subject-out, and LOSO with fine tuning, to predict motor imagery task.

II. Implementation Details

A. Details of training and testing code

Training

The train() function performs model training for multiple epochs based on the specified data optimizer criterion. Each epoch training will perform steps such as forward, backward, optimize and loss calculation in sequence.

```
def train(model, device, train_loader, optimizer, criterion, epochs):
    history = {'loss': [], 'accuracy': []}
    for epoch in range(epochs):
        with tqdm(total=len(train_loader), desc=f"Epoch {epoch}/{epochs}",
                    unit="batch", leave=True) as pbar:
            model.train()
            running_loss = 0.0
            correct = 0
            total = 0
            for data, target in train_loader:
                data, target = data.to(device), target.to(device)
                optimizer.zero_grad()
                output = model(data)
                loss = criterion(output, target)
                loss.backward()
                optimizer.step()
                running_loss += loss.item()
                _, predicted = torch.max(output.data, 1)
                total += target.size(0)
                correct += (predicted == target).sum().item()
                pbar.update(1)
            train_acc = 100. * correct / total
            train_loss = running_loss / len(train_loader)
```

The main() function loads the corresponding training data and trains the model according to the specified method.

```
print(termcolor.colored(f"{method} Training", "blue"))
   # Load Data
   train_dataset = MIBCI2aDataset(mode='train', method=method)
   train_loader = DataLoader(train_dataset, batch_size=batch_size,
shuffle=True)
   # Create Mode
   model = SCCNet(numClasses=4, timeSample=438, Nu=22,
                C=22, Nc=22, Nt=16, dropoutRate=0.5).to(device)
   # Define optimizer and loss function
   criterion = nn.CrossEntropyLoss()
   optimizer = optim.Adam(model.parameters(),
                            lr=learning_rate, weight_decay=1e-4)
   # Training
   history = train(model, device, train_loader, optimizer, criterion,
epochs)
   if args.method == 'LOSOFT':
        FT_dataset = MIBCI2aDataset(mode='finetune', method='LOSOFT')
        FT_loader = DataLoader(FT_dataset, batch_size=batch_size,
shuffle=True)
       history = train(model, device, FT_loader, optimizer, criterion,
args.ft_epochs)
   train_acc = history['accuracy'][-1]
   np.save(f'{method}_history.npy', history)
   # Save Model
   if model and args.save_model:
        torch.save(model.state_dict(), f"{method}_latest_model.pt")
        torch.save(model.state_dict(), "latest_model.pt")
        print('Latest Model saved with accuracy:
{:.2f}%'.format(train_acc))
```

We can specify the model and parameters to be trained through parameters:

e.g.

```
$ python trainer.py --method "SD" --epochs=400
$ python trainer.py --method "LOSO" --epochs=25
$ python trainer.py --method "LOSOFT" --epochs=25 --ft_epochs=50
```

Testing

```
def test(model, device, test_loader, criterion):
    model.eval()
    test_loss = 0.0
    correct = 0
    total = 0
    with torch.no_grad():
        for data, target in test_loader:
            data, target = data.to(device), target.to(device)
            output = model(data)
            test_loss += criterion(output, target).item()
            _, predicted = torch.max(output.data, 1)
            total += target.size(0)
            correct += (predicted == target).sum().item()

accuracy = 100. * correct / total
    return test_loss / len(test_loader), accuracy
```

```
if __name__ == '__main__':
   args = get_args()
   # Load Data
   test_dataset = MIBCI2aDataset(mode='test', method=args.method)
   test_loader = DataLoader(test_dataset, shuffle=False)
   # Define Loss Function
   criterion = nn.CrossEntropyLoss()
   # Load model
   print(termcolor.colored(f"Testing {args.model_path}", "blue"))
   model = SCCNet(numClasses=4, timeSample=438, Nu=22,
                   C=22, Nc=22, Nt=16, dropoutRate=0.5).to(args.device)
   model.load_state_dict(torch.load(args.model_path))
   # Show the results
   test_loss, accuracy = test(model, args.device, test_loader, criterion)
   print(termcolor.colored(f'Test Loss: {test_loss:.4f}, \
                            Accuracy: {accuracy:.2f}%', "green"))
```

We can also specify the model and parameters to be tested through parameters:

e.g.

```
$ python tester.py --method='SD' --model_path="SD_model.pt"
$ python tester.py --method='LOSO' --model_path="LOSO_model.pt"
$ python tester.py --method='LOSOFT' --model_path="FT_model.pt"
```

B. Details of the SCCNet

reference paper: https://ieeexplore.ieee.org/document/8716937

According to the reference paper, the following is the architecture table of my implementation of SCCNet

Layer	Layer type	In channels	Out Channels	Kernel Size	Activation	Note
1	Input					reshape(1,C,T)
	Conv2D	1	C(22)	(C(22), 1)		
	BatchNorm					
2	Input					
	Conv2D	C(22)	20	(1, 12)		padding=(0,6)
	BatchNorm					
	Activation				square	
	Dropout					dropoutRate = 0.5
	AvgPool2d			(1,62)		stride=(1,12)
	Activation				log	
Classifier	Flatten					
	Linear	20*31	numClasses(4)			bias=True
	C - Ch					

Softmax

```
class SquareLayer(nn.Module):
    def __init__(self):
        super().__init__()
    def forward(self, x):
        return torch.square(x)

class LogLayer(nn.Module):
    def __init__(self):
        super().__init__()
```

```
def forward(self, x):
    return torch.log(x)
```

```
class SCCNet(nn.Module):
    def __init__(self, numClasses=4, timeSample=500, Nu=22, C=22, Nc=22,
Nt=1, dropoutRate=0.5):
        super(SCCNet, self).__init__()
        # First convolutional block: Spatial component analysis
        self.conv1 = nn.Conv2d(in_channels=1, out_channels=Nu, kernel_size=
(C, Nt))
        self.bn1 = nn.BatchNorm2d(Nu)
        # Second convolutional block: Spatio-temporal filtering
        self.conv2 = nn.Conv2d(Nu, out_channels=20, kernel_size=(1, 12),
stride=1, padding=(0, 6)
        self.bn2 = nn.BatchNorm2d(20)
        # Dropout Layer
        self.dropout = nn.Dropout(dropoutRate)
        # Pooling layer: Temporal smoothing
        self.pool = nn.AvgPool2d(kernel_size=(1, 62), stride=(1, 12))
        # Activations
        self.square = SquareLayer()
        self.log = LogLayer()
        # Fully connected layer
        self.fc = nn.Linear(20 * 31, numClasses, bias=True)
    def forward(self, x):
        # First convolutional block
        x = self.conv1(x)
        x = self.bn1(x)
        # Second convolutional block
        x = self.conv2(x)
        x = self.bn2(x)
        x = self.square(x)
        x = self.dropout(x)
        # Pooling layer
        x = self.pool(x)
        x = self.log(x)
        # Flatten and fully connected layer
        x = x.view(x.size(0), -1)
        x = self.fc(x)
```

return F.softmax(x, dim=1)

III. Analyze on the experiment results

A. Discover during the training process

After many trainings, I discovered the following phenomena:

- EEG Data is very easy to overfitting during training
- Fine-tuning of parameters and different random values each time will significantly affect the accuracy.

The following is the results of the three methods:

SD

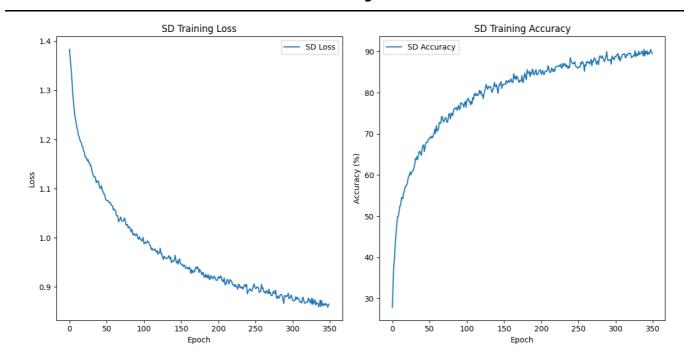
Training Accuracy: 90.49% Testing Accuracy: 62%

Training



Acc / Loss Plot

Training



LOSO

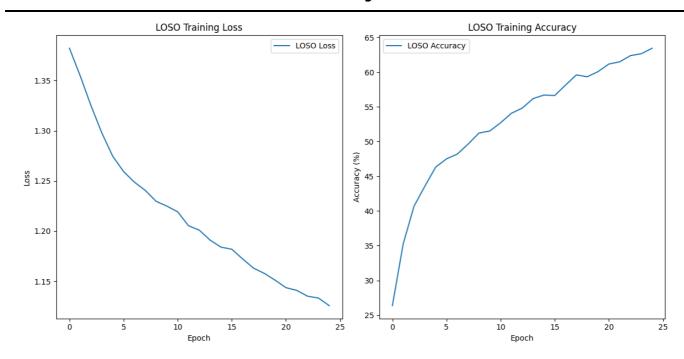
Training Accuracy: 63.74% Testing Accuracy: 60%

Training



Acc / Loss Plot

Training



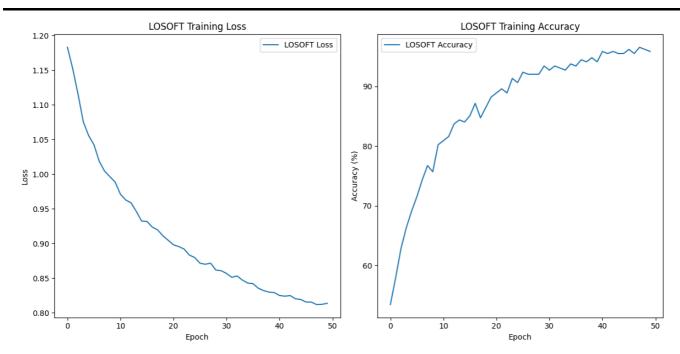
LOSO with fine tuning

Training Accuracy: 95.14% Testing Accuracy: 73%

Training

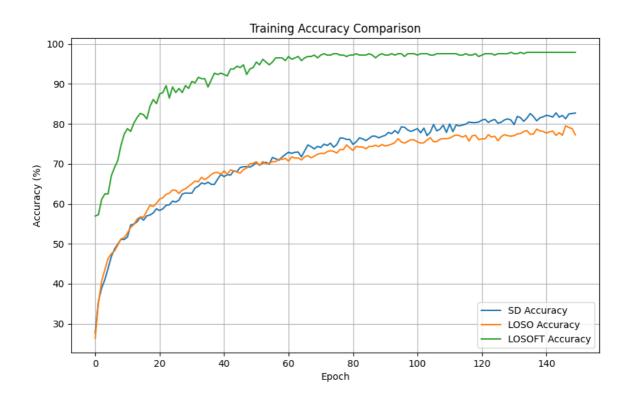


Training



B. Comparison between the three training methods

Training Accuracy Comparision



As can be seen from the above figure, the LOSO Fine-tune method is significantly better than the SD and LOSO methods. This means that individual fine-tuning can greatly improve the accuracy of the model and reduce errors caused by data variability

Accuracy Comparision

Acc	SD	LOSO	LOSO FT
Train	90.49%	63.74%	95.14%
Test	62%	60%	73%

From the above table, we can find that on the training data, both SD and LOSO Fine tune achieved high accuracy. However, on the test data set, only LOSO Fine-tune achieved an accuracy of more than 70.

From this we can draw the following conclusions:

- The LOSO Fine-tune method can effectively improve the generalization ability and adaptability of the model through individual fine-tuning
- Because the SD method has seen subject data during the training process, there is an overfitting problem and poor generalization ability. This leaves it with a significant gap between training data and test data
- 3. LOSO is due to lack of test subject data. This makes it more difficult for the model to adequately adapt to the characteristics of a particular subject, resulting in lower accuracy. But because of this, the performance of the LOSO model in the training data set and the test data set is more consistent

IV. Discussion

A. What is the reason to make the task hard to achieve high accuracy?

After training, I found that the model is very easy to overfitting. I think it may be that the EEG signals from different subjects and sessions are very different, which makes the model's generalization ability poor. This results in the model being unable to achieve high accuracy on test data.

B. What can you do to improve the accuracy of this task?

The author added Dropout and L2 when designing the model to reduce the model complexity and solve the overfitting problem. During the training process, I reduced the learning rate to ensure stable convergence of the model, and used the Adam optimizer to improve training efficiency. In addition, I stopped training early at the appropriate time to improve the problem of low accuracy.