# Computing for mathematics handout 7 - The class test, srange, tangents and more applications of functions or classes to data.

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## What you have learnt this week:

- How to plot in Sage (domain of plot and 'addition' of plots);
- How to obtain limits in Sage;
- How to differentiate in Sage;
- How to integrate in Sage;
- How to to upload data to Sage.

# Obtaining the values from a solution of an equation

Let's consider the following equation:

$$x^2 - x - 1$$

To find the roots of the equation we can simply use the solve function:

$$sols = solve(x ^ 2 - x - 1 == 0, x)$$

Before viewing the solutions of our equation what type of object is sols?

type (sols)

sols is a 'generic sequence' (a type of list).

sols

We see that our solutions are given in the form of a list of relationships. The solutions to exercise 3 show a way of extracting the solutions. Here is another:

```
sols = solve(x ^2 - x - 1 == 0, x, solution_dict=True)
```

Sols is now a list of dictionaries. Let us try and extract the positive solution to our equation:

$$phi = [k[x] \text{ for } k \text{ in sols if } k[x] >= 0][0]$$

If you're not familiar with what  $\phi$  is try the following:

```
for n in range(1):

print expand((phi \hat{n} - (1 - phi) \hat{n}) / sqrt(5))
```

#### srange

The srange command is a Sage 'wrapper' for the Python range command. It allows us to obtain lists of non integer values with control of step size, start value and end value.

```
# General syntax srange(startingvalue, endvalue, stepsize)
```

The following gives the numbers from 0 to 4 (not inclusive) with steps of .5:

srange 
$$(0, 5, .5)$$

# Question 9

Question 9 was a tricky task. The solution file shows a function that takes a function and a point and outputs a plot. If the solution is not clear: come and speak to me.

## Importing data

Let's carry out the following exercise:

- 1. Use Python to obtain a list of the Fibonacci numbers;
- 2. Write those numbers to file;
- 3. Import that data file in to Sage;
- 4. Plot the ratio of the differences between two consecutive Fibonacci numbers.
- 5. Here's the python script:

```
import csv # Use the csv library
def fib(n):
    A function that returns the nth Fibonacci number.
    Arguments: n (an integer)
    Outputs: The nth Fibonacci number (an integer)
    if n == 0:
        return 0
    if n == 1:
        return 1
    return fib(n-1) + fib(n-2)
f = open('fibonaccinumber.csv', 'w') # Open a file in write mode
csvwrtr = csv.writer(f) # Create a writer object (see exercise 10 of sheet 2)
for n in range(31): # Loop n over the first 30 integers
    csvwrtr.writerow([fib(n)]) # Write the nth Fibonacci number
f.close() # Close the file
Now let us import that file in to Sage and use the following code to obtain the ratios of two successive numbers:
import csv # Use the csv library
f = open(DATA + 'fibs', 'r') \# Open the newly loaded file in Sage.
csvrdr = csv.reader(f) # Create a reader object
data = [float(row[0]) for row in csvrdr] # Read in the data and convert to float
f.close() # Close the file
ratios = [] # Create a new list
for k in range (1, len(data) - 1): # Iterate over integers
    ratios.append([k, data[k+1] / data[k]]) # Add a tuple with the ratio of two consecutive
list plot (ratios) # A list plot
```

We could do all of the above using Sage but this is just an example of using data written to file.

# What you should do next:

- Start the next sheet: make sure you spend time working on the sheet BEFORE the labs.
- Contribute to the wiki.
- To make the best use of the lab sessions turn up having finished your sheets;
- If anything is still unclear **please** come and see me during office hours.