

## **PRÁCTICA** Nº 3

**CÓDIGO SAGA** 

A25984-5

Calificación

CARRERA:

**ASIGNATURA:** 

MÉTODOS NUMÉRICOS

Apellidos y Nombres: Gutiérrez Castro Huáscar Aarón

CURSO: 4to "A"

C.I: 9951591 LP

**FECHA DE ENTREGA:** 12/04/2023

DOCENTE: M. Sc. Ing. Ariel Villca Paye

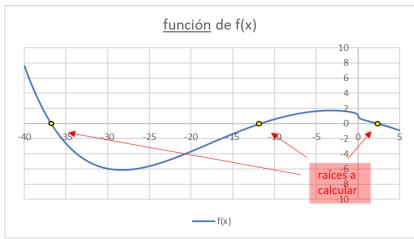
## Problema 1

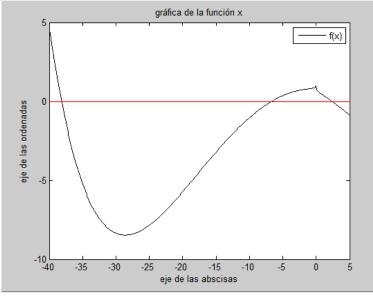
INGENIERÍA DE SISTEMAS

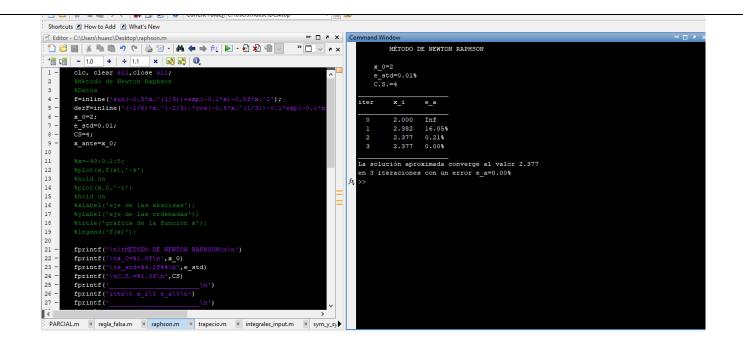
Hallar las raíces de la siguiente función:

$$f(x)=sen(-0.5*x^{(1/3)})+e^{(-0.1x)}-0.03x^{2}$$

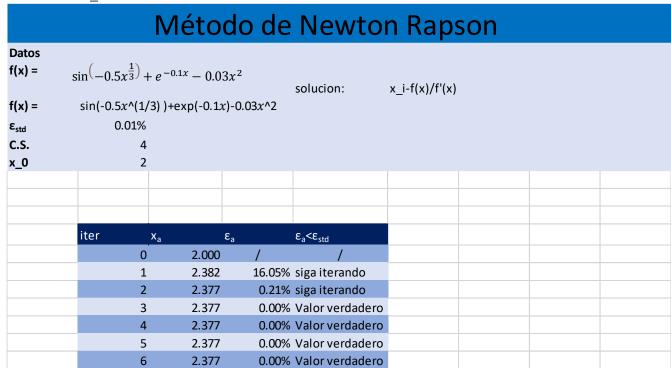
### Gráfico

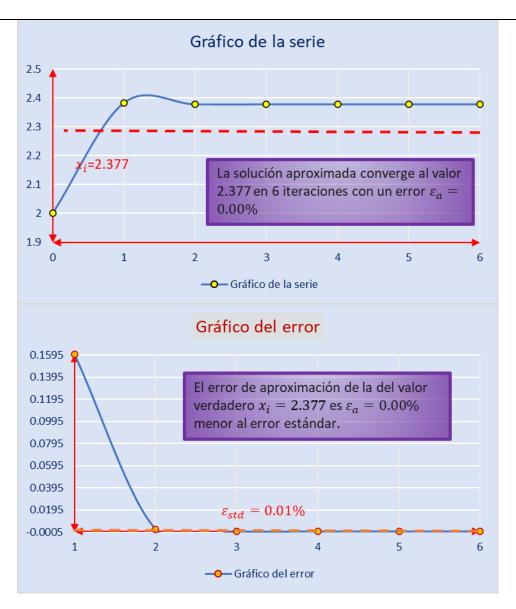




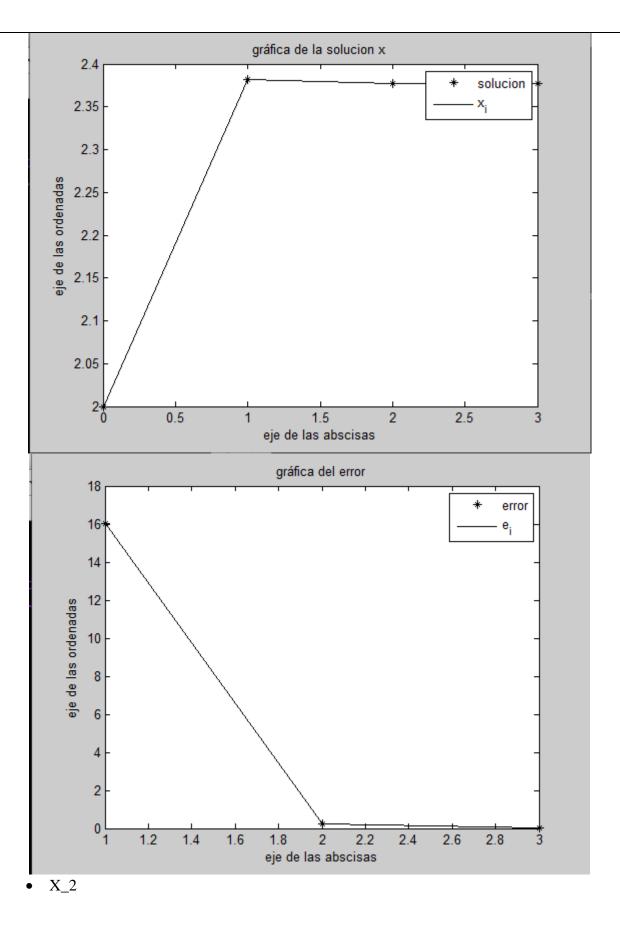


• X\_1





### MÉTODO DE NEWTON RAPHSON x 0=2 e std=0.01% C.S.=4 x\_i iter e\_a 2.000 0 Inf 1 2.382 16.05% 2 2.377 0.21% 3 2.377 0.00% La solución aproximada converge al valor 2.377 en 3 iteraciones con un error e a=0.00% >>



**Datos** 

 $f(x) = \sin(-0.5x^{\frac{1}{3}}) + e^{-0.1x} - 0.03x^2$ 

solucion:  $x_i-f(x)/f'(x)$ 

 $f(x) = \sin(-0.5x^{(1/3)}) + \exp(-0.1x) - 0.03x^{2}$ 

 $\epsilon_{\rm std}$  0.01% C.S. 4

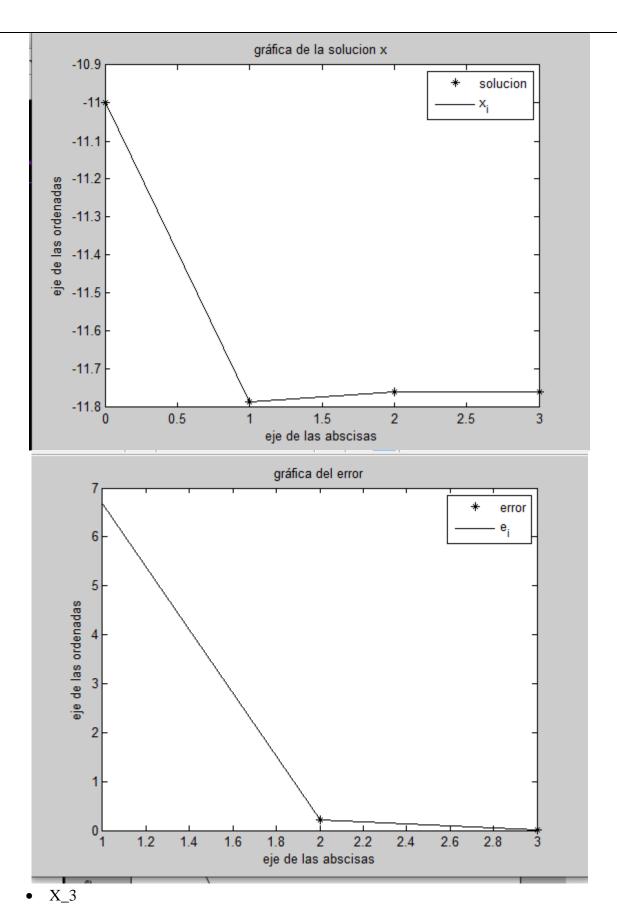
x\_0 -11

iter	X <sub>a</sub>	$\epsilon_{a}$	$\epsilon_a < \epsilon_{std}$		
0	-11.000	/	/		
1	-11.786	6.67%	siga iterando		
2	-11.760	0.22%	siga iterando		
3	-11.760	0.00%	Valor verdadero		
4	-11.760	0.00%	Valor verdadero		
5	-11.760	0.00%	Valor verdadero		
6	-11.760	0.00%	Valor verdadero		



iter	x_i	e_a
0	-11.000	) Inf
1	-11.786	6.67%
2	-11.760	0.22%
3	-11.760	0.00%

La solución aproximada converge al valor -11.760 en 3 iteraciones con un error e\_a=0.00%



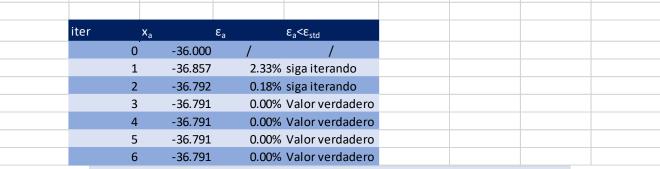


 $f(x) = \sin(-0.5x^{\frac{1}{3}}) + e^{-0.1x} - 0.03x^{2}$ 

solucion:  $x_i-f(x)/f'(x)$ 

 $f(x) = \sin(-0.5x^{(1/3)}) + \exp(-0.1x) - 0.03x^{2}$ 

 $\epsilon_{std}$  0.01% C.S. 4  $\kappa_0$  -36

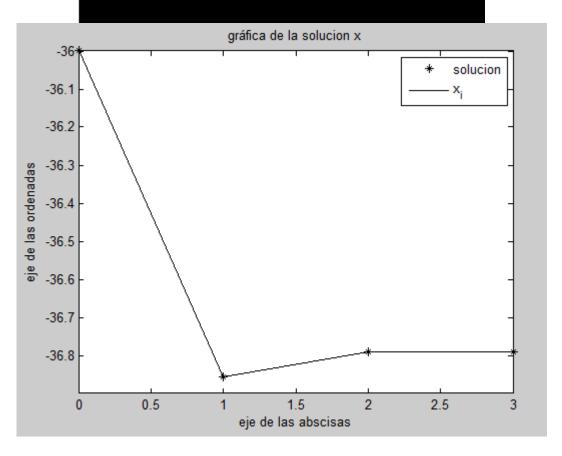


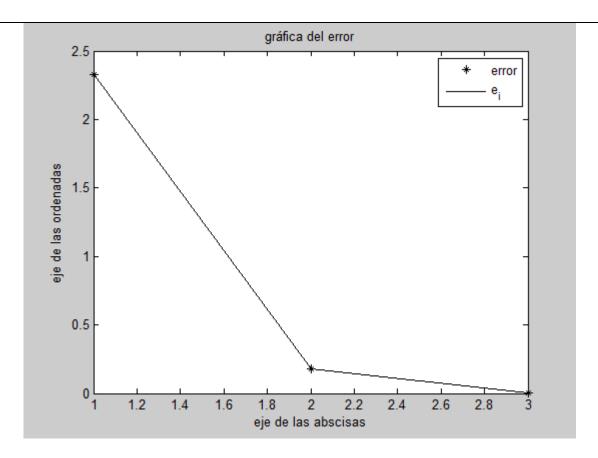


x\_0=-36
e\_std=0.01%
C.S.=4

iter	x_i	e_a
0	-36.000	Inf
1	-36.857	2.33%
2	-36.792	0.18%
3	-36.791	0.00%

La solución aproximada converge al valor -36.791 en 3 iteraciones con un error e\_a=0.00% >>



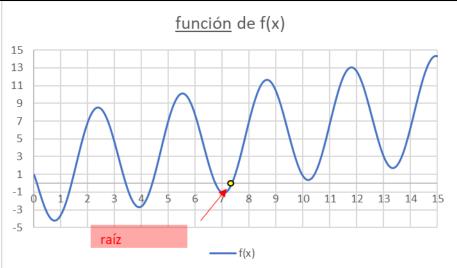


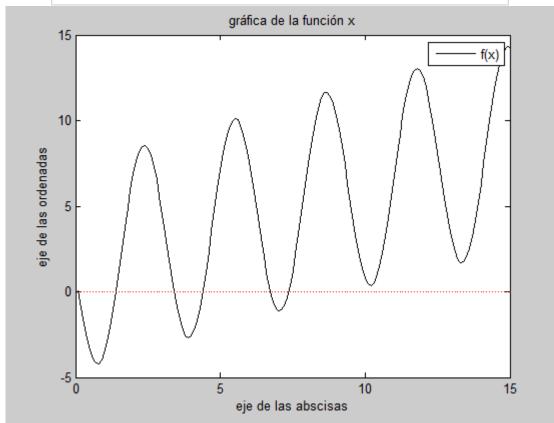
Problema 2

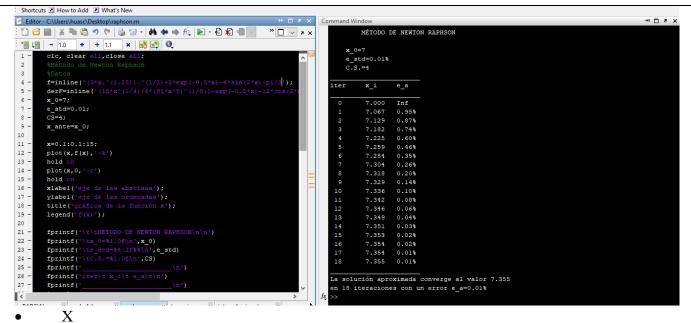
Hallar la raíz real positiva más grande de la siguiente función:

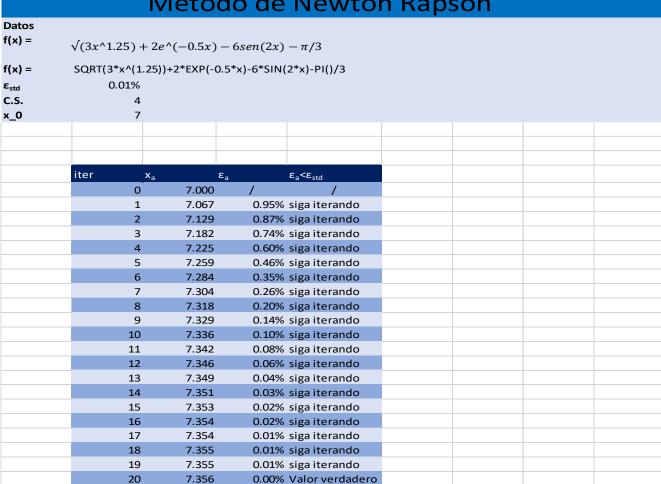
$$f(x) = \sqrt{(3x^{1.25}) + 2e - 0.5x - 6sen(2x) - \pi/3}$$

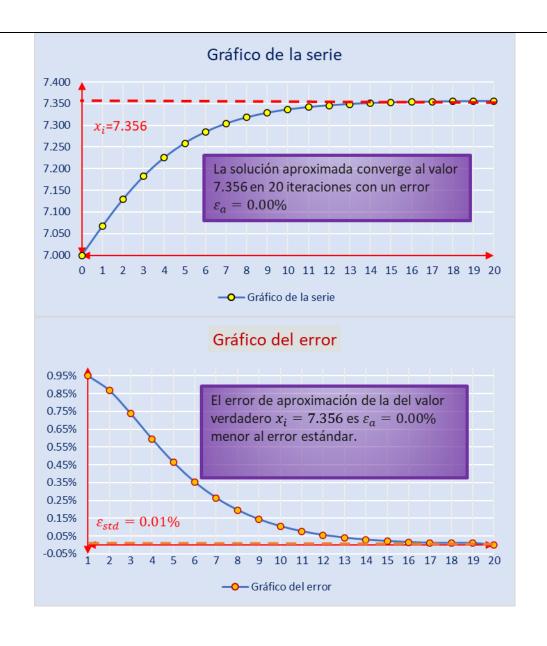
- EXCEL
  - Gráfico







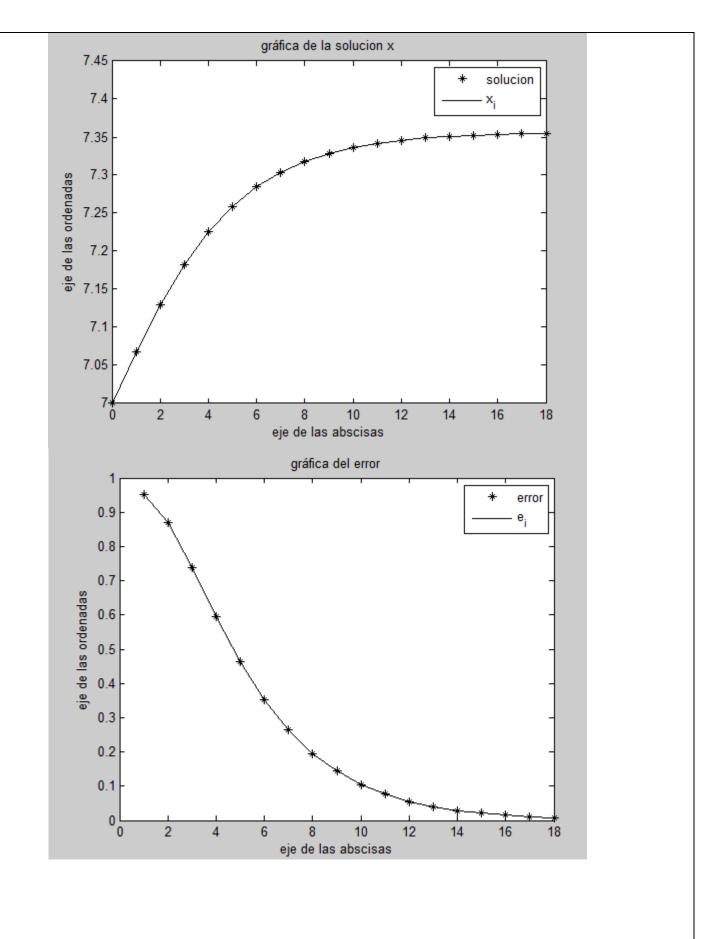




iter	<b>x_i</b>	e_a
0	7.000	Inf
1	7.067	0.95%
2	7.129	0.87%
3	7.182	0.74%
4	7.225	0.60%
5	7.259	0.46%
6	7.284	0.35%
7	7.304	0.26%
8	7.318	0.20%
9	7.329	0.14%
10	7.336	0.10%
11	7.342	0.08%
12	7.346	0.06%
13	7.349	0.04%
14	7.351	0.03%
15	7.353	0.02%
16	7.354	0.02%
17	7.354	0.01%
18	7.355	0.01%

La solución aproximada converge al valor 7.355 en 18 iteraciones con un error e\_a=0.01%

>>



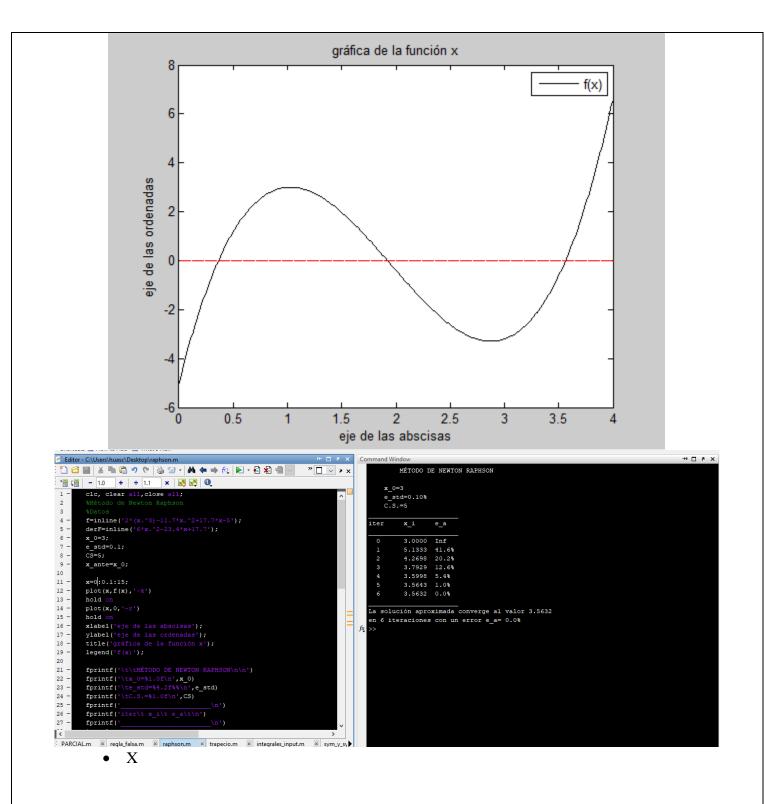
## Problema 3

Determine la raíz real más grande de:

$$f(x)=2x^3-11.7x^2+17.7x-5$$

- EXCEL
  - Gráfico





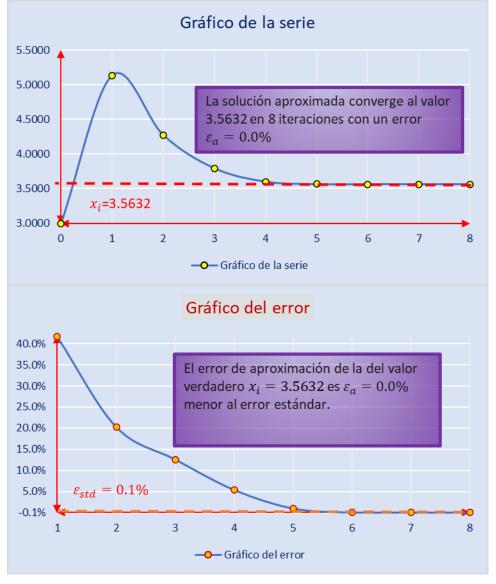
**Datos** 

 $f(x) = 2x^3-11.7x^2+17.7x-5$ 

 $f(x) = 2*(x^3)-11.7*x^2+17.7*x-5$ 

 $\epsilon_{std}$  0.1% C.S. 5 x\_0 3

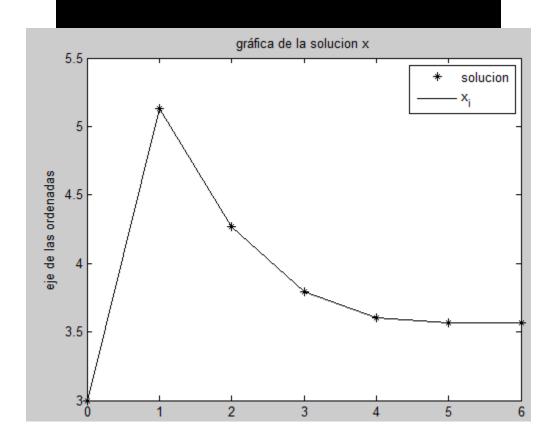
iter	X <sub>a</sub>		ε <sub>a</sub>	$\varepsilon_a < \varepsilon_{std}$		
	0	3.0000	/	/		
	1	5.1333	41.6%	siga iterando		
	2	4.2698	20.2%	siga iterando		
	3	3.7929	12.6%	siga iterando		
	4	3.5998	5.4%	siga iterando		
	5	3.5643	1.0%	siga iterando		
	6	3.5632	0.0%	Valor verdadero		
	7	3.5632	0.0%	Valor verdadero		
	8	3.5632	0.0%	Valor verdadero		

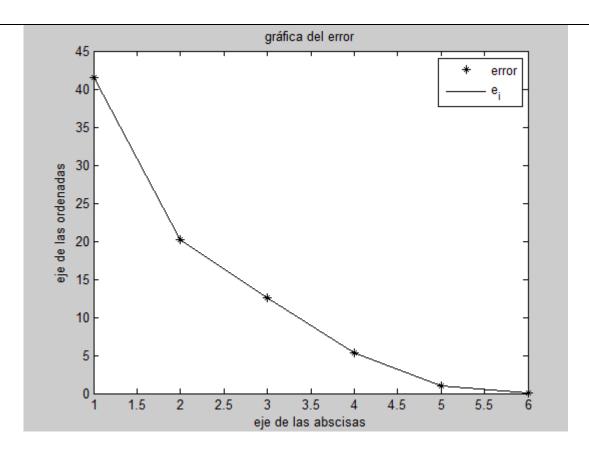


x\_0=3 e\_std=0.10% C.S.=5

iter	x_i	e_a
0	3.0000	Inf
1	5.1333	41.6%
2	4.2698	20.2%
3	3.7929	12.6%
4	3.5998	5.4%
5	3.5643	1.0%
6	3.5632	0.0%

La solución aproximada converge al valor 3.5632 en 6 iteraciones con un error e\_a= 0.0%



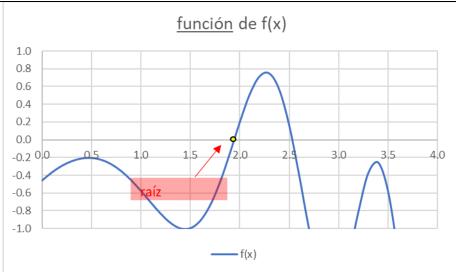


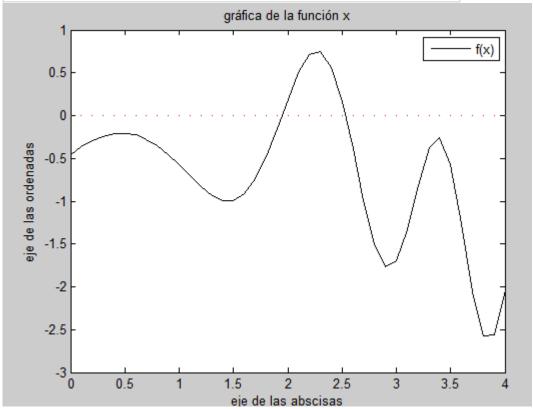
Problema 4

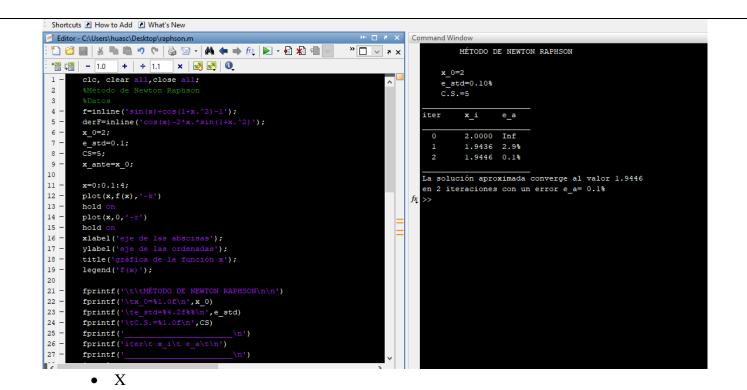
Localice la primera raíz positiva de:

$$f(x) = sen(x) + cos(1+x2) - 1$$

- EXCEL
  - Gráfico







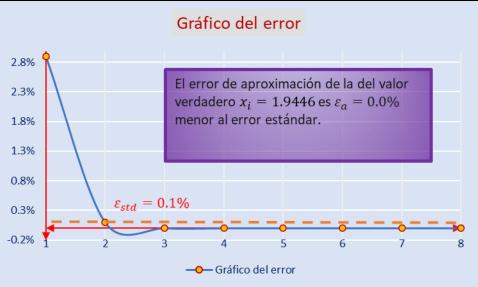
Datos

f(x) = sen(x) + cos(1+x2) - 1

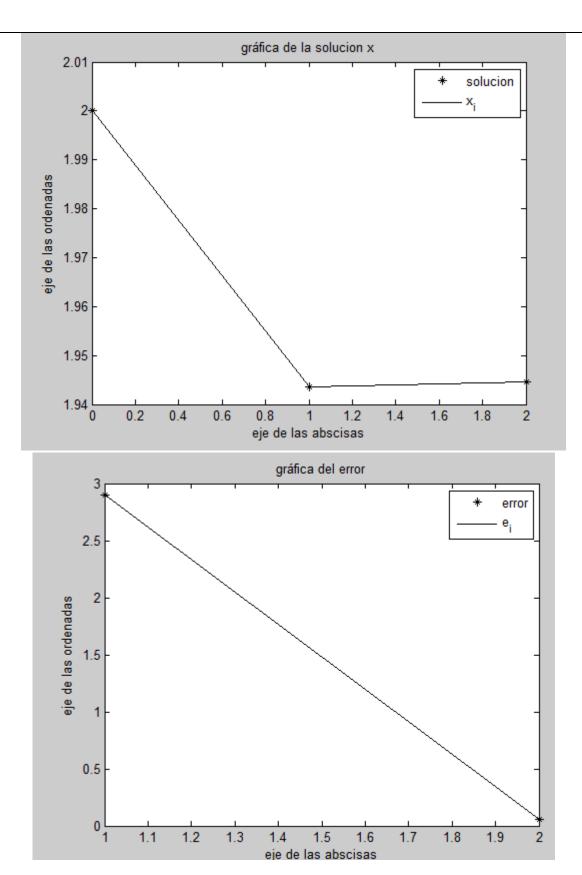
 $f(x) = SIN(x) + COS(1+x^2)-1$ 

iter	X <sub>a</sub>	$\epsilon_{a}$	$\varepsilon_a < \varepsilon_{std}$		
0	2.0000	/	/		
1	1.9436	2.9%	siga iterando		
2	1.9446	0.1%	siga iterando		
3	1.9446	0.0%	Valor verdadero		
4	1.9446	0.0%	Valor verdadero		
5	1.9446	0.0%	Valor verdadero		
6	1.9446	0.0%	Valor verdadero		
7	1.9446	0.0%	Valor verdadero		
8	1.9446	0.0%	Valor verdadero		





### MÉTODO DE NEWTON RAPHSON $x_0=2$ e\_std=0.10% C.S.=5 iter x\_i e\_a 0 2.0000 Inf 1 1.9436 2.9% 2 1.9446 0.1% La solución aproximada converge al valor 1.9446 en 2 iteraciones con un error e\_a= 0.1% >>



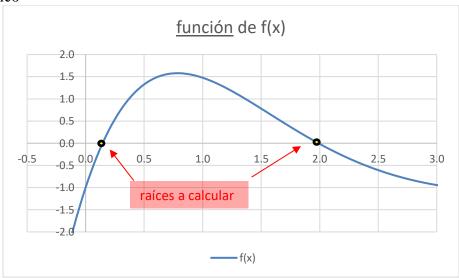
Problema 5

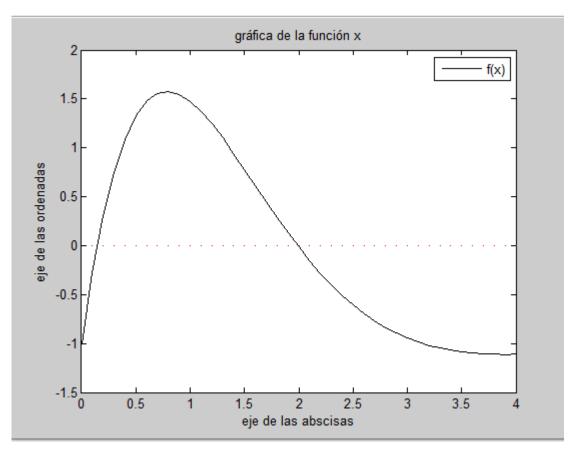
Localice todas las raíces positivas de:

$$f(x)=8sen(x)e-x-1$$

## - EXCEL

• Gráfico





```
MÉTODO DE NEWTON RAPHSON
x_0=0
e_std=0.10%
C.S.=5
           f=inline('8*sin(x).*exp(-x)-1');
derF=inline('8*(cos(x).*exp(-x)-sin(x).*exp(-x))');
                                                                                                                                             iter
                                                                                                                                                           x_i
                                                                                                                                                                         e_a
           x_0=0;
e_std=0.1;
CS=5;
                                                                                                                                                          0.0000 Inf
0.1250 100.0%
0.1446 13.5%
0.1450 0.3%
           x_ante=x_0;
           plot(x, f(x), '-k')
hold on
                                                                                                                                           La solución aproximada converge al valor 0.1450 en 4 iteraciones con un error e_a= 0.0%
                                                                                                                                       fx >>
           plot(x,0,'-r')
hold on
xlabel('eje de las abscisas');
ylabel('eje de las ordenadas');
title('gráfica de la función x');
legend('f(x)');
           fprintf('\t\tmfToDo DE NEWTON RAPHSON\n\n')
fprintf('\tx_0=\lambda1.0f\n',x_0)
fprintf('\te_std=\lambda4.2f\lambda\n',e_std)
fprintf('\te_std=\lambda4.2f\lambda\n',cS)
fprintf('
fprintf('
fprintf('iter\t x_i\t e_a\t\n')
fprintf('____\n')
```

• X\_1

**Datos** 

f(x) = 8sen(x)e-x-1

f(x) = 8\*SIN(x)\*EXP(-x)-1

 ${f \epsilon}_{std}$  0.1% C.S. 5  ${f x}_{-}{f 0}$  0

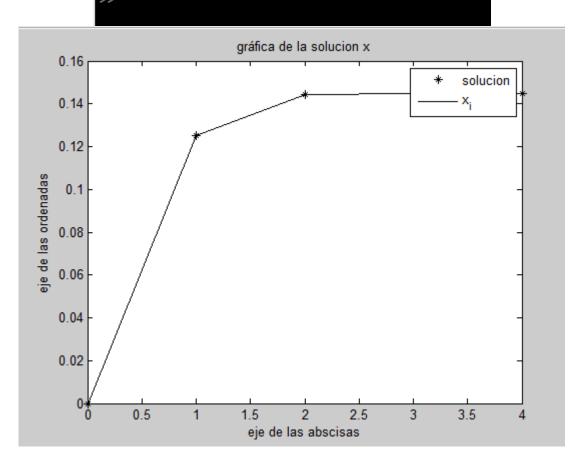
i	ter	X <sub>a</sub>	$\epsilon_{a}$	$\varepsilon_a < \varepsilon_{std}$
	0	0.0000	/	/
	1	0.1250	100.0%	siga iterando
	2	0.1446	13.5%	siga iterando
	3	0.1450	0.3%	siga iterando
	4	0.1450	0.0%	Valor verdadero
	5	0.1450	0.0%	Valor verdadero
	6	0.1450	0.0%	Valor verdadero
	7	0.1450	0.0%	Valor verdadero
	8	0.1450	0.0%	Valor verdadero

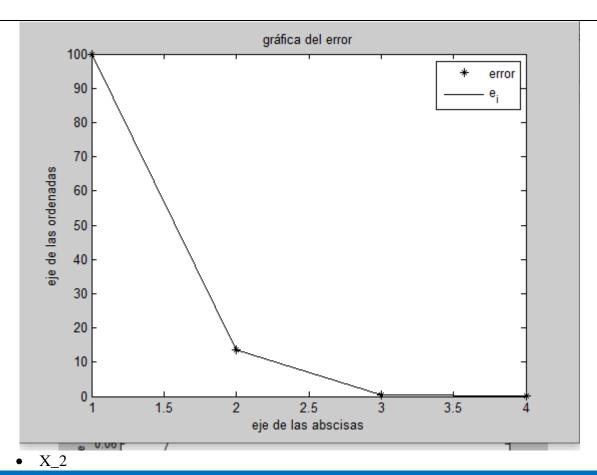


x\_0=0
e\_std=0.10%
C.S.=5

iter	x_i	e_a
0	0.0000	Inf
1	0.1250	100.0%
2	0.1446	13.5%
3	0.1450	0.3%
4	0.1450	0.0%

La solución aproximada converge al valor 0.1450 en 4 iteraciones con un error e\_a= 0.0%





		M	éto	do de	Newto	n Rap	son	
Datos f(x) =	8sen(x)e-x-	-1						
f(x) =	8*SIN(x)*EX	(P(-x)-:	1					
$\epsilon_{\text{std}}$	0.1%	6						
C.S.	į	5						
x_0	2	2						
	iter	Xa		ε <sub>a</sub>	$\epsilon_{a} < \epsilon_{std}$			
	(	o	2.0000	/	/			
	-	1	1.9892	0.5%	siga iterando			
	2	2	1.9892	0.0%	S Valor verdadero			
	(	3	1.9892	0.0%	Valor verdadero			
	4	4	1.9892	0.0%	S Valor verdadero			
	į	5	1.9892		Valor verdadero			
	(	6	1.9892	0.0%	S Valor verdadero			
	-	7	1.9892	0.0%	Valor verdadero			
	8	8	1.9892	0.0%	Valor verdadero			



x\_0=2
e\_std=0.10%
C.S.=5

iter	x_i	e_a
0	2.0000	Inf
1	1.9892	0.5%
2	1.9892	0.0%

La solución aproximada converge al valor 1.9892 en 2 iteraciones con un error e\_a= 0.0%

