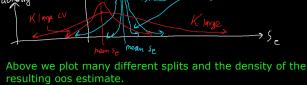
How do we pick K? Is there a tradeoff between small and large K values? There is one main tradeoff: (1) If K is large => n_test is small => oos est. of performance is highly variable because its an estimate with very little data (principle from Stat 101). But n_train is almost n which means the oos est. of performance is not as biased.

(2) If is K is small => n_train is small => oos est. of performance will be biased in the direction of bad performance because n_train < n and the final model will be trained on all n. But oos est. of performance is less variable.

Let's see an illustration of this bias vs variance tradeoff: density



What values can K take to get even splits? 744 MAN E \$1,7,..., \frac{h}{2},..., \frac{h}{3}, ..., \frac{h}{5}, ..., h-13

I don't believe there is any theory on the "optimal K". I believe it's greater than 2 and less than α . This is why defaults are 3, 5, 10.

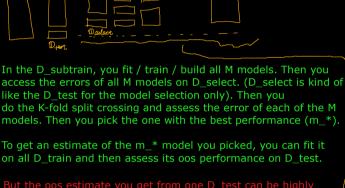
Given the sam p raw features, there are (1) many transformations and interactions where one can augment the design matrix, (2) many different algorithms. So you get many different models. Let's call the number of models M:

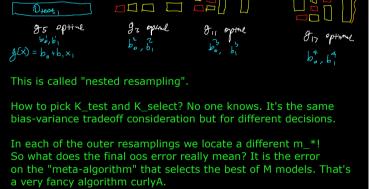
g, (x), g, (x), ..., g, (x)

selection". There are whole textbooks on this problem. For example, with just p = 1 and just OLS: g,(x) = b. + b, x

fr (x) = bo + bix + bix \$ 3 (x) = b + b, h(x)

Ø





one i.e. (I) Among M models, select the best one. We will study two more:

This model selection procedure has many uses. We just discussed

How do you compute g_final? I'll just run the model selection procedure on all of D. It will pick one m_* and that will be

Step A: Using the p_raw features, build a transformed set of features. These can be polynomials, logs, interactions, etc. For example:

(II) Greedy Forward Stepwise Model Building.

g_final.

This set of p_tr features can be enormous! Much bigger than the n observations you have originally. Step B: Begin with the model $y = b_0$ i.e. the null model.

Step 1: For each of the p_tr, try each adding each one to the model and see which one is the best according to in-sample performance (that's the greedy part). Then add it to the model.

Step 2: Using the model from step 1, return to step 1 and try every remaining feature and take the one provides the best gain in in-sample performance. STOP when the oos error (using D_select) goes UP! Step C: compute oos error on the final model using D_test.

5e 3

Step D: do nested resampling if you wish.

How do we pick lambda?? Step 1: Create a grid of possible lambdas (hyperparameters) e.g.

Step 2: Each of the lambdas (hyperparameters) provides a different model. Now just use model procedure (I). Use nested resampling to pick the best model and provide an oos estimate of its performance.