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Programming Applications and Programming Languages
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Part I

Teaching Block I

The first teaching block is 100% coursework, which makes up 50% of the overall grade. While there are lectures, they are informal, mostly teaching the basic concepts of Flutter, which is very practical, and so notes will not be made here.

Part II

Teaching Block II

Lecture - Intro to Programming Languages

14:00

22/01/24

Jiacheng Tan

Since there are many different types of application, there are also many types of programming language. The main programming domains are as follows

- Scientific (e.g. ForTran)
- Business (e.g. COBOL)
- AI (e.g. LISP)
- Systems Programming (e.g. C, C++)
- Web Software (e.g. HTML, JavaScript)

Language Categories

There are several ways to categorise programming languages, such as by uses, paradigms, abstraction level, etc

Machine Languages

- Machine languages directly run on the hardware, using the instruction set of the processor
- Machine code is usually written in hexadecimal as this is a more efficient way of displaying the binary which represent the instructions
- It is very hard for programmers to directly write machine code, as it is not easy to remember instructions and it lacks features such as jump targets, subroutines, etc

Assembly Languages

- A slight abstraction over machine languages
- Each instruction is replaced with an alphanumeric symbol which is easier for programmers to remember and understand
- They also include features such as subroutines, jump targets, etc which make it much easier to create complex programs

System Programming Languages

- More abstracted from machine languages, but you are still concerned with low-level functions such as memory management
- Used to create operating systems, and for embedded applications where low system requirements do not allow the use of high-level languages

High Level Languages

- Languages that are machine-independent (are not written directly in machine code, and are therefore portable between CPU architectures)
- Need to be compiled or otherwise translated from text to machine code before they can be run

Scripting Languages

- Used to create programs which perform a single, simple task
- These are used for system administration
- Usually interpreted languages
- More akin to pseudocode than other programming languages

Domain-Specific Languages

- Some languages are designed to perform a specific task much more efficiently
- The specific purpose could be just about anything, but are specific to that task and either cannot be used otherwise or are not well suited for it

Programming Paradigms

There are several different paradigms which are used in programming

- Procedural
 - Most programming languages are procedural
 - A program is made up of one or more routines which are run in a specific order
- Functional
 - Applies mathematical functions to inputs to get a result
 - Useful for data processing applications such as data analysis or big data
- Logical

There are also two major types of programming languages, which are designed for different purposes

- Imperative Languages
 - Programs are defined as a sequence of commands for the computer to perform
 - Like a recipe for exactly how to get the desired output
- Declarative Languages
 - Programs describe the desired results without actually specifying how the program should complete the task
 - Functional and logical programming languages are examples of this

Lecture - Implementation and Compilation

14:00

02/02/24

Jiacheng Tan

There are 3 main methods of implementing a language:

- Compilation - Programs are translated into machine language, either before (Compilation) or during (JIT) execution
- Pure Interpretation - Programs are interpreted by another program, known as an interpreter
- Hybrid Interpretation - A compromise between the two, code is compiled into an intermediary language, which is then interpreted with a Language Virtual Machine

Compilation

- High-level code is translated into machine code for a specific platform
- This results in slow translation, but much faster execution
- The compilation process has multiple stages
 - Lexical Analysis - Converts characters in the source into lexical units
 - Syntax Analysis - Transforms lexical units into parse trees which represent the syntactic structure of the program
 - Semantics Analysis - Generate intermediary code
 - Code Generation - Intermediary code is translated into platform-specific machine code
- The program which completes this process is known as the Compiler
- During this process, the compiler uses a "Symbol Table", which each stage interacts with

Lexical Analysis

The scanner reads the source code one character at a time and returns a sequence of tokens which are sent to the next phase. Tokens are symbolic names for elements of the source language. An example of a token in C++ is the keyword 'void', which is a type definition, another example is ';' which delimits the end of a statement. Each token is also stored in the symbol table, along with its attributes.

Symbol Table

The symbol table stores all of the identifiers of a source program, along with their attributes. These attributes include information such as the type of a variable, the size or length of a string or array, the arguments to be used with a function and the types of each argument, etc.

Syntax Analysis or Parsing

The parser analysis the structure of the source code. The parser takes the output of the lexical analyser as a sequence of tokens. It attempts to apply the syntactic rules (or grammar) of the language to the sequence of tokens. The parser uses the language's grammar to derive a parse tree for each statement. Parsers usually construct Abstract Syntax Trees (ASTs), which are slightly simpler and easier to represent with a computer, but which still represent the same syntax. If the syntax tree is invalid for the language's grammar, a syntax error is generated and the compilation process stops

Semantic Analysis

The semantic analyser catches any other issues that are still valid syntax. For example, if you attempt to add a string to a float, it could still be syntactically correct, but semantically makes no sense and is not possible to compute. It is also able to find issues with the variable types of function arguments, such as attempting to use a string in the place of an integer or float.

Code Generation and Optimisation

The code optimiser attempts to improve the time and space efficiency of the program. It can do this in several ways, such as simplifying constants (e.g. replacing $10 * 10$ with 100), removing unreachable code, optimising the flow of code, etc.

The final task of the compiler is to generate the final output code. This could be in the form of platform-specific machine code, or intermediary code for use with a virtual machine. This stage also deals with scheduling and assigning registers for use during execution

Pure Interpretation

- High level code is directly executed by another program known as the interpreter
- There is no syntax or semantics analysis, and there is no optimisation
- Only really suitable for small, non-real-time applications
- It also often requires more space as it needs to store the symbol table during execution
- Very few modern languages use interpreters, other than Python, JavaScript and PHP

Hybrid Interpretation

- A compromise between compilers and pure interpreters
- High-level languages are translated or compiled into an intermediary language, using the same compilation steps as before
- The intermediary code is then run by a platform-specific virtual machine, which interprets the code into machine language

Just-in-Time

- Programs are initially translated into an intermediary language
- This is then loaded into memory and segments of the program are then translated into machine code just before execution
- The machine code is then kept in case the function is called again somewhere else in the program
- This drastically improves the execution speed as compared to pure interpretation, but is still slower and typically less space and memory efficient than a compiled program

Lecture - Regular Expressions

14:00

05/02/24

Jiacheng Tan

The full definition of a language includes definitions of its lexical structures, syntax and semantics. The lexical structures of a language are the form and structure of the individual symbols, such as keywords, identifiers, etc. The syntax determines the structure of the language, such as how a statement is defined, how to structure an expression, and so on. The semantics of a language determine how you can use each operator, what types they support, checking for type consistency in strongly typed languages, etc. The semantics of a language also define its “grammar”, which is how the compiler enforces the semantics.

Language Analysis

The implementations of a language must analyse the lexical and syntactic structure of the source code to determine if it is valid or not. This is usually implemented using two separate systems, the lexical analyser and syntax analyser. If the analyser is implemented using regex, it is a finite automaton, based on a regular grammar (that of the language)

Lexical Analysis

A lexical analyser reads the source code one character at a time and outputs a list of tokens to the next stage of the compiler. These tokens are made up of smaller substrings of source code, known as lexemes. Each lexeme matches a character pattern from the language’s grammar.

The lexical analyser can be implemented in several ways, but the most common are by using regular expressions (Regex), or a deterministic finite automata (DFA).

Definitions

- The Alphabet
 - Each language has its own alphabet, which is the set of all characters which could be used in a lexeme
 - An alphabet is usually represented using Σ
- String or Word
 - A string or word *over* an alphabet is a finite string of symbols from the alphabet
 - The length of a string is the number of symbols which make up the string
 - An empty or null string is denoted by ε , and so $|\varepsilon| = 0$
 - The set of all strings over Σ is denoted by Σ^* .
 - For a symbol or string x , x^n represents a string of that symbol, n times, e.g. $a^4 = aaaa$

Regular Expressions

Regular expressions specify patterns which can be used to match strings of symbols. A regular expression, r matches or is matched by a set of strings if the strings conform to r ’s pattern. The set of strings matched

by r is denoted by $L(r) \subseteq \Sigma^*$, i.e. all strings which are over the alphabet Σ . This is known as the language generated by r .

\emptyset is in and of itself a regular expression, but does not match any strings at all, and is only very rarely useful. ε is also a regular expression, which matches only the empty string ε .

Since ε is an empty string, it can be used as the identity element for concatenation, and as such, $\varepsilon + s = s + \varepsilon = s$.

For each symbol where $c \in \Sigma$, c is a regular expression over Σ . In this case, the expression only matches a single instance of the symbol.

If r and s are both regular expressions, then $r \mid s$ is also a regular expression. $a \mid b$ would match a single instance of either a or b . $a \mid \varepsilon$ would match a single instance of a or ε .

If r and s are both regular expressions, then rs is also a regular expression. This would match a single instance of the string rs , as the string would have to match both the regular expression r **and** s . As with arithmetic expressions, brackets can be used to make the meaning of a regular expression clearer. e.g. $(a \mid b)a$ matches the strings aa and ba .

If r is a regular expression, then r^* would match any number of rs in a row. Specifically, it means zero or more instances of r . r^+ would match one or more instances of r , which could also be written as rr^* .

As with arithmetic expressions, there is a specific order of operations which the symbols must follow. The order is as follows: $()$, $*$ or $+$, concatenation, \mid . This is similar to arithmetic as anything inside parentheses must be processed before everything else.

A regular definition is a named regular expression, which can be used to make up more complex regular expressions, without re-writing the same expression several times. For example, you might define number as $\text{number} = 0 \mid \dots \mid 9$

Regular Expressions for Lexical Analysis

Regular expressions provide a method to describe the patterns which make up the lexical structure of a language, as well as restricting the alphabet which can be used to write source code. In most cases, languages use a standard alphabet, such as ASCII or UTF-8. An example of a regular expression used in a typical language could be if for the token of IF, $;$ for a semicolon, $(0 \mid \dots \mid 9)^+$ for a number, etc.

Languages are sets of strings chosen from some alphabet Σ . More formally, a language L over an alphabet Σ , $L \subseteq \Sigma^*$.

Given a language L over some alphabet Σ , it is necessary to be able to write an algorithm which takes any input string $w \in \Sigma^*$, and outputs True if $w \in L$ and False if $w \notin L$. This algorithm is known as a decision procedure for L . A decision procedure can be written using either a Deterministic Finite Automaton (DFA) or a Non-deterministic Finite Automaton (NFA). Any language which can be denoted by a regular expression is known as a regular language.

Lecture - Deterministic Finite Automata

14:00

09/02/24

Jiacheng Tan

Rather than regular expressions, you can use state transition diagrams to describe patterns, or the process of matching said patterns. State transition diagrams (or state diagrams) are directed graphs which represent Finite State Automata (FSA) or Finite Automata (FA)

FSA

An FSA has

- A set of states
- A unique start state
- A set of one or more final/accepting states
- An input alphabet, including a unique symbol to represent the end of the input string
- A state transition function, represented by the edges of a directed graph from one state to another, labelled by one or more symbols of the alphabet

Mathematically speaking, an FSA M consists of

- A finite set, Q , of states
- A finite alphabet, Σ of input symbols
- A unique start state, $q_1 \in Q$
- A set of one or more final/accepting states, $F \in Q$
- A transition function $\delta : Q \times \Sigma \rightarrow Q$ which selects a new state for M based on the current state, $s \in Q$ and the current input symbol $a \in \Sigma$

DFAs and NFAs

A finite automata can be either deterministic (DFA) or non-deterministic (NFA). For a FA to be deterministic, it must perform the exact same state transition in a given situation (it's current state and input). If the FA is non-deterministic, it can perform any state transition in a given situation

DFAs for Lexical Analysis

In the context of lexical analysis, a DFA is a string processing machine, using the following process, being in one of a finite set of states at any given step

- Read a string from left to right, one symbol at a time
- On reading a symbol, move to a new state determined by the current state and the symbol which was read
- Upon reading the final symbol, if the current state is an accepting state, then the string is valid. If not, the string is invalid

Transition Diagrams

A DFA is usually represented using a transition diagram. This is a directed graph in which each node represents a possible state, and each edge a transition between states. The label for each edge determines what input character is required for the transition to take place. The DFA begins in the initial state, represented by the small arrow pointing into state 1. Each edge is labelled with the character required to make that transition, such as requiring an 'a' to transition from state 1 to 2. Transitions can move to another state, or return to themselves. The accepting state, 4, is represented by a double circle.

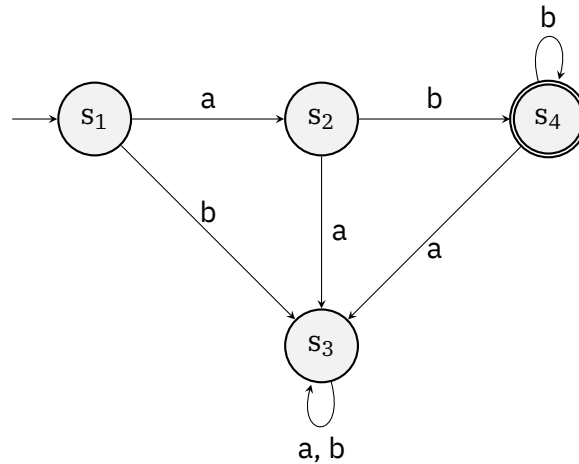


Figure 4.1: A simple DFA, M , which uses the alphabet $\Sigma = \{a, b\}$

For this DFA, the equivalent regular expression could be either $r = abb^*$ or $r = ab^+$. In the case of the transition diagram above, the DFA would be defined as

- $Q = \{s_1, s_2, s_3, s_4\}$ is the set of states
- $\Sigma = \{a, b\}$ is the DFA's input alphabet
- $q_1 = s_1, \in Q$ is the initial state
- $F = \{s_4\}$ is the set of accepting states
- The transition function can be represented as the following set of triples:
 $\{(s_1, a, s_2), (s_1, b, s_3), (s_2, a, s_3), (s_2, b, s_4), (s_3, \{a, b\}, s_3), (s_4, a, s_3), (s_4, b, s_4)\}$

Languages

The set of all strings which a DFA accepts is known as it's recognised language. For a DFA, M , the language, $L(M)$ is defined as the set of all strings $w \in \Sigma^*$ such that, when the DFA starts processing w from it's initial state, it ends up in an accepting state. For example, the language, $L(M)$ of the DFA above could be defined as $L(M) = \{ab^n \mid n \geq 1\}$, and therefore is the same as the regular expression $r = ab^+$. For any regular expression, r , there is a DFA or NFA, M , such that $L(r) = L(M)$. This makes DFAs and transition diagrams very useful for creating regular expressions, and testing that they work as intended.

Simplifying Transition Diagrams

Since most regular expressions, and therefore FAs, work with real languages such as English, each transition may have many characters for which it is valid. For example, a letter match would require 52 characters, one for each lower-case and capital letter. For this reason, as with regular expressions, you can define a set of symbols which are then used to label each transition, without rewriting the entire set of characters each time.

Building a Lexical Analyser

Lexical analysers tend to be built using one of three methods

- Write the formal description, e.g. a regular expression, of the token patterns, then use this as an input to a program such as **Lex**, which automatically generates a lexical analyser based upon the input
- Design DFAs which describe the patterns, then write a program to implement the DFAs
- Design DFAs which describe the patterns, then write a table-driven implementation of the DFAs

There are also algorithms which can be used to automatically construct a lexical analyser from the DFAs

Lex

Lex was originally written in the 70s, but since then several variants have been created, such as Quex which is a much faster implementation of the same algorithms, written in C and C++. The program takes an input file, called a lex file, which contains regular expressions for various tokens, and automatically generates the C source code for a lexical analyser.

In it's most basic form, a Lex file consists of a series of lines in the form `pattern action`, where `pattern` is a regular expression which should be matched, and `action` is a piece of C code.

Lecture - Describing Language Syntax

14:00

16/02/24

Jiacheng Tan

Context-Free Grammars

There are four classes of grammars for describing natural languages: regular, context-free, context-sensitive, and recursively enumerable. Of these, regular and context-free grammars have been found to be useful for describing programming languages. Context-Free Grammars are by far the most widely used in describing programming languages.

A context-free grammar is usually defined as a tuple, $G = (T, N, S, P)$, where

- T - A finite, non-empty set of terminal symbols, which consist of strings referring to parts of sentences in the language
- N - A finite, non-empty set of non-terminal symbols, which refer to syntactic structures defined by other structures and rules
- $S \in N$ - The start symbol
- P - A set of (context-free) productions of the form $A \rightarrow \alpha$ (A produces α) where $A \in N$ and $\alpha \in (T \cup N)^*$

For example, $G_1 = (T, N, S, P)$ where

- $T = \{a, b\}$
- $N = \{S\}$
- $P = \{S \rightarrow ab, S \rightarrow aSb\}$

or $G_2 = (T, N, S, P)$ where

- $T = \{a, b\}$
- $N = \{S, C\}$
- $P = \{S \rightarrow \epsilon, S \rightarrow C, S \rightarrow aSa, S \rightarrow bSb, C \rightarrow a, C \rightarrow b\}$

As you can see, G_2 uses a recursive production to allow for more complex productions to be simplified.

Shorthand

Rules for each non-terminal can be written in an alternative shorthand notation, using $|$. For example, G_1 could also be written as $G_1 \mid ab \mid aSb$.

Backus-Naur Form (BNF)

Another alternative notation for CFG definitions is the Backus-Naur Form (BNF). In BNF, non-terminal symbols are given a descriptive name, enclosed within $\langle \rangle$. For example, you could define $\langle \text{digit} \rangle$ to represent $0, 1, \dots, 9$. This is typically the for which programming languages are actually defined in.

As an example, you could use $\langle \text{exp} \rangle$, $\langle \text{number} \rangle$ and $\langle \text{digit} \rangle$ as non-terminals, and $+$, $-$, $*$, $/$, $0, 1, \dots, 9$ as terminal symbols. Using these symbols, the syntactic structure for an arithmetic expression could be defined by the following productions:

```

<exp> -> <exp> + <exp> | <exp> - <exp> | <exp> * <exp>
      | <exp> / <exp> | (<exp>) | <number>
<number> -> <digit> | <digit> <number>
<digit> -> 0 | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9

```

Derivations

You can use a context-free grammar to derive strings of terminal symbols. Starting with the start symbol S , you repeatedly apply the production rules until you are left with a string containing only terminal symbols, which is known as a sentence. This process is known as a derivation. Every string of symbols in a derivation is a sentential form.

For example, if we used the grammar G_2 , we can derive the string $abbba$ as follows

- Start at the symbol S
- Apply the rule $S \rightarrow aSa$, and replace S with aSa to obtain the string aSa
- Apply the rule $S \rightarrow bSb$, and replace the S in aSa with bSb to get the string $abSba$
- Apply the rule $S \rightarrow C$, and replace the S in $abSba$ with C to get the string $abCba$
- Apply the rule $C \rightarrow b$, and replace the C in $abCba$ with b to get the final string, $abbba$ which consists only of terminal symbols

If we can get from α to β using a single production, you can say that α immediately derives β , which is written as $\alpha \Rightarrow \beta$. Therefore you can write the full derivation of $abbba$ from S as

$$\begin{aligned}
 S &\Rightarrow aSa \\
 &\Rightarrow abSba \\
 &\Rightarrow abCba \\
 &\Rightarrow abbba
 \end{aligned}$$

With this definition of a derivation, we can define a language as “A grammar is made up of exactly those sentences which can be derived from it”

Left- and Right-Most Derivations

A derivation can be either left- or right-Most, depending upon the order in which non-terminal symbols are resolved. If you start from the left and work rightwards, that is the left-most derivation of the sentence. If you were to instead start from the right and work leftwards, that would be a right-most derivation of the sentence. You can also have a neither left- nor right-most derivation, in which you start in the middle and work outwards.

For some grammars, the left- and right-most derivations of a given sentence could be different, i.e. have a different parse tree.

Parse Trees

You can also represent the structure of an expression given by a derivation as a parse tree. I will not give an example, but the internal nodes represent non-terminal symbols which are used in the derivation, and leaf nodes represent the terminal symbols.