A Proof-of-Quality-Factor (PoQF)-Based Blockchain and Edge Computing for Vehicular Message Dissemination

Ferheen Ayaz[®], Graduate Student Member, IEEE, Zhengguo Sheng[®], Senior Member, IEEE, Daxin Tian[®], Senior Member, IEEE, and Yong Liang Guan[®], Senior Member, IEEE

Abstract—Blockchain applications in vehicular networks can offer many advantages, including decentralization and improved security. However, most of the consensus algorithms in blockchain are difficult to be implemented in vehicular ad hoc networks (VANETs) without the help of edge computing services. For example, the connectivity in VANET only remains for a short period of time, which is not sufficient for highly time-consuming consensus algorithms, e.g., Proof of Work, running on mobile-edge nodes (vehicles). Other consensus algorithms also have some drawbacks, e.g., Proof of Stake (PoS) is biased toward nodes with a higher amount of stakes and Proof of Elapsed Time (PoET) is not highly secure against malicious nodes. For these reasons, we propose a voting blockchain based on the Proof-of-Quality-Factor (PoQF) consensus algorithm, where the threshold number of votes is controlled by edge computing servers. Specifically, PoOF includes voting for message validation and a competitive relay selection process based on the probabilistic prediction of channel quality between the transmitter and receiver. The performance bounds of failure and latency in message validation are obtained. This article also analyzes the throughput of block generation, as well as the asymptotic latency, security, and communication complexity of PoQF. An incentive distribution mechanism to reward honest nodes and punish malicious nodes is further presented and its effectiveness against the collusion of nodes is proved using the game theory. Simulation results show that PoQF reduces failure in validation by 11% and 15% as compared to PoS and PoET, respectively, and is 68 ms faster than PoET.

Index Terms—Blockchain, edge computing, practical Byzantine fault tolerant (PBFT), Proof of Elapsed Time (PoET), Proof of Stake (PoS).

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Ferheen Ayaz and Zhengguo Sheng are with the Department of Engineering and Design, University of Sussex, Brighton BN1 9RH, U.K. (e-mail: f.ayaz@sussex.ac.uk; z.sheng@sussex.ac.uk).

Daxin Tian is with the School of Transportation Science and Engineering, Beihang University, Beijing 100191, China (e-mail: dtian@buaa.edu.cn).

Yong Liang Guan is with the School of Electrical and Electronic Engineering, Nanyang Technological University, Singapore 639798 (e-mail: eylguan@ntu.edu.sg).

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I. INTRODUCTION

7 EHICLES equipped with on-board computers offer limited computing and storage capabilities. However, in a vehicular edge computing (VEC) network, the mobile-edge nodes (vehicles) with limited resources are able to offload heavy computational tasks to nearby roadside units (RSUs). One of the main objectives of VEC is to support infotainment applications and ensure road safety. However, due to the high mobility of nodes and changing transmission rates, there are a large number of communication failures and delays between mobile nodes and RSUs [1]. For delay-sensitive applications, such as emergency message dissemination, VEC allows nodes to exchange messages among themselves in a decentralized manner, forming a vehicular ad hoc network (VANET). On the other hand, a blockchain is a distributed ledger that can record transactions in a trusted and credible environment without the requirement of a central authority. The features of blockchain, such as distributed nature, independence from the third party, and consensus to validate transactions, are some of the essential requirements of message dissemination in VANET. Therefore, the combination of blockchain and VANET can potentially result in secure and reliable vehicle-to-vehicle (V2V) communications [2]. Table I summarizes challenges associated with message dissemination in VANETs and corresponding solutions provided by the blockchain. However, the dynamic network nature of VANET limits the connectivity between two nodes to a short period of time. Moreover, technical challenges, such as broadcast storm, packet collision, and computing complexity, need to be addressed in the VANET environment while implementing the blockchain [3]. Therefore, new blockchain solutions need to be developed using VEC networks for fully utilizing the blockchain framework.

The consensus algorithm in a blockchain is used for trusting a transaction. Nodes undergo a validation process, termed as consensus, before recording a transaction in a block. The nodes participating in a consensus are mining nodes and the node that successfully generates a block is known as the leader [4]. One of the most popular consensus algorithms is the Proof of Work (PoW), in which all nodes attempt to find a solution to a hash puzzle. The node that finds the solution first is elected as a leader, it will add the next block to the blockchain and earn a mining incentive. The computation cost to find a solution of a hash puzzle takes around 10 min [5].

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TABLE I VANET Issues and Opportunities Using Blockchain

Issues in VANET	Blockchain-based Solutions
False message generation	Consensus for validation
Privacy requirement	Cryptographic keys
Broadcast storm / relay selection	Leader election
Need of economic model	Incentives for block generation
Trust without third party required	Decentralization

Distribution of huge computation load of PoW over the edge system is recommended as a solution but the evaluation of cost and contribution of an individual edge device in a heterogeneous network is still unexplored [6]. A number of time-saving alternatives to PoW have also been proposed. One of the most commonly used consensus algorithms with connected vehicles is the Proof of Stake (PoS), where the reputation of a node is considered as stake [7], [8]. PoS reduces the latency of a consensus but does not provide fair competition to elect a leader. It is biased toward nodes with a higher amount of stakes. The fairness with less computation workload is achieved by another consensus algorithm, known as Proof of Elapsed Time (PoET), in which each node generates a random number to determine the waiting time after which it can generate a block. However, the existing literature proves its weakness in security and vulnerability in the presence of malicious nodes [9]. The practical Byzantine fault-tolerant (PBFT) consensus algorithm that requires at least 2f + 1 votes to validate a transaction, where f is the number of faulty nodes [10], is suggested to be suitable for vehicular applications because of its high throughput and ability to negotiate message validity [11], [12]. It is analogous to threshold-based message validation in which a message is considered valid only if it is confirmed by a threshold number of nodes located in close proximity of a sender [13]. The threshold value is crucial in such validation. A low threshold value may lead to false validation, whereas a high threshold value can result in increased latency. However, a threshold-based message validation can be made efficient if the threshold value is adaptable to network conditions and requirements and can be varied using edge computing resources. It can be summarized that the measurements required to evaluate the performance of a consensus algorithm are as follows.

- Security: The number of malicious nodes it can control without altering the original validity status of a transaction and its ability to resolve forks and prevent cheating.
- 2) Validation Latency: The time required to validate a transaction.
- 3) *Throughput:* The number of blocks generated per second.

This article proposes a Proof-of-Quality-Factor (PoQF) consensus algorithm for vehicular networks, where the message validation and quality factor in determining multihop relaying can be run efficiently on mobile-edge nodes in a decentralized manner. For a successful packet transmission, signal-to-interference-noise ratio (SINR) plays a crucial role [14], [15]. Therefore, SINR is considered as a metric in relay node selection. As SINR depends on the distances among nodes which vary with time in vehicular networks, the probability that SINR

exceeds a certain threshold is predicted using mobility models in which positions or distances are regarded as random variables following some probability distribution [16]. The main contributions of this article are as follows.

- We propose a PoQF consensus, where mobile-edge nodes serve as mining nodes. Instead of solving a hash puzzle, they select relays along with validating a message.
- 2) We derive the bounds of failure and latency in validating a message as well as the throughput of block generation. The asymptotic latency, security, and communication complexity of PoQF are also discussed.
- We propose an incentive distribution mechanism to reward honest nodes and punish malicious mining nodes and analyze its performance using the game theory.

The remainder of this article is organized as follows. Section II describes the related work. Section III explains the proposed blockchain design. The theoretical performance of our work is analyzed in Section IV. Simulation results are discussed in Section V and Section VI concludes this article.

II. RELATED WORK

A. Vehicular Edge Computing

In [1], the challenges in VEC, such as transmission failures and delays during offloading are addressed and a context-aware opportunistic offloading scheme utilizing fog computing is proposed. VEC is recommended as efficient support to emerging applications, such as artificial intelligence (AI), software define network (SDN), and blockchain in [17]. The advantages of combining mobile-edge computing, the Internet of Vehicles (IoV), and AI are highlighted in [18] and [19]. Both of them suggest deep reinforcement learning (DRL) as the key technique to bring intelligence in VEC networks. Collocating edge computing servers with radio access networks for satisfying latency requirements of message dissemination in IoV is proposed in [20]. In [21], the problem of inappropriate utilization of resources is resolved by the blockchain.

B. Collective Mining

The existing literature aims to achieve a better performance of blockchain consensus, at the same time, retaining its feature of decentralization. One of the solutions to improve validation latency and throughput in block generation is to introduce collective mining. In this scheme, multiple mining nodes collectively decide whether a transaction is valid and should be added to a blockchain [22]. Byzcoin is an example of collective mining [23]. It leads to parallel blockchain extension and the mining incentive is shared among all mining nodes. Bitcoin-NG [24] divides time into multiple slots. In each slot, a leader can append transactions until a new leader is elected. There are two types of blocks in Bitcoin-NG: 1) keyblock and 2) microblock. The leader is elected by solving a cryptographic puzzle. The keyblock stores the solution of a hash puzzle and the microblock contains ledger entries. Another approach of collective mining is called sharding in which mining nodes

are grouped into committees and work in parallel. Each committee runs PBFT consensus on a different set of transactions (shards) at the same time for achieving a high throughput [25].

C. Blockchain-Based Incentive Distribution

The blockchain-based economic model for incentive distribution in federated learning utilizing the edge computing framework is recommended in [6]. Secure blockchain-based incentive mechanisms are also proposed in the literature to encourage cooperative message delivery and data sharing in distributed peer-to-peer (P2P) applications. In [26], a pricing strategy to ensure successful message delivery using the blockchain is presented and proved to be secure against the collusion of intermediate nodes and receiver using the game theory. It is proposed to verify transactions of incentives distributed among relay nodes by mining nodes. Similarly, in [27], P2P data sharing using the public blockchain is proposed. Its incentive mechanism is analyzed by an evolutionary game model and the cooperative behavior of nodes is analyzed by a repeated game model. In both [26] and [27], the incentive mechanism is proved to encourage cooperation among nodes by including a charge mandatory to be paid by transmitting nodes. Incentive-based message relaying in distributed P2P applications using the blockchain is also proposed in [28] and proved to be secure against a selfish behavior. In [26]–[28], the incentive distribution among relay nodes is proposed, but the incentive for mining nodes to promote participation and the type of consensus algorithm to be processed are not discussed. In [29] and [30], the incentive-based message delivery in wireless ad hoc networks for smart cities and intelligent transportation systems (ITSs) is presented, where the message is validated using PBFT, and the incentives and privacy are controlled using the blockchain. In [31], a blockchain-based data sharing in VANETs is proposed. PoW is used by RSUs to add a data block, whereas PBFT is used by vehicle nodes for block announcement.

D. Blockchain-Based Vehicular Communications

In [32], blockchain is proposed for decentralization, data security and privacy in IoV, and technical difficulties to implement blockchain in IoV, such as the high speed of moving vehicles and error-prone wireless transmission links, are discussed. In [33], these technical difficulties are suggested to be solved using DRL for altering the block size and interval. Blockchain is also recommended for privacy preserving and efficient database management in railway vehicles [34].

The selection of blockchain consensus suited to IoV is widely discussed in the literature. PBFT is recommended as a suitable consensus for message validation among connected vehicles in [12], [33], and [35]. Meanwhile, PoS is also compared with PoW and suggested as a promising consensus for IoV because of its low energy consumption and reduced time delay in [36]. A blockchain-based message dissemination in VANETs utilizing edge computing is proposed in [37]. It uses PoW and achieves latency reduction in block generation by offloading complex computations to capable edge devices. Its blockchain is used to store trust values of nodes, which is

TABLE II
CONSENSUS ALGORITHMS USED IN VANETS

Purpose	Consensus	
Consensus run by RSUs	PoW [8], [31], [38]	
Use of edge computing	PoW [37]	
Trust / reputation management	PoS / DPoS [7], [8], [40]	
Message Validation	PBFT [12], [29], [30], [35], [41], [42]	
Achieving high throughput	PBFT [11], [31], PoS [36]	

updated according to the validity of the message initiated by the individual node. Similarly, Khan et al. [38] also proposed a blockchain to store trust values and message ratings, where hash computations are performed by RSUs. On the contrary, Wagner and Mcmillin [39] showed that a completely distributed P2P blockchain in VANETs with the least possible reliance on RSU and the infrastructure is not possible to be implemented with PoW, but an RSU-dependent network will be a costly solution. A joint PoW and PoS consensus managed by RSUs is proposed in [8] to store trust values of nodes and evaluate the credibility of the message based on the trust value of senders. Delegated PoS (DPoS) is proposed in [7], where only selected nodes take part in consensus. The mining nodes are selected on the basis of reputation. This approach is based on the assumption that RSUs with edge computing infrastructures have sufficient computation and storage resources to process and store the reputation of all nodes. DPoS is also used for blockchain-enabled data sharing during rescue missions in disaster-affected areas, where IoV is assisted by unmanned aerial vehicles (UAVs) [40].

The prior work related to blockchain in VANETs mostly focus on credibility-based message validation. In [2], the impact of high mobility on blockchain-based VANETs is evaluated, but a cost-effective solution to overcome this challenge is still needed. A consolidated solution integrating message validation and dissemination using PBFT-based consensus, blockchain-based incentives, and reputation management is presented in [41] and [42], but a detailed performance analysis is required so as to evaluate its practical feasibility. This article analyzes both theoretical and simulation-based performance of the voting blockchain incorporating relay node selection and the incentive mechanism supported by edge computing server. In addition to the mobility constraint in VANETs, the performance analysis also examines the practical feasibility of the proposed solution with varying number of mining and malicious nodes. Based on the existing literature, Table II summarizes different consensus algorithms used for various purposes in VANETs and indicates multiple advantages of PBFT, including message validation by voting, high throughput, and the ability to finalize transactions independently without relying on RSU.

III. SYSTEM MODELING AND THE PROPOSED BLOCKCHAIN DESIGN

This section describes PoQF consensus, including the relay node selection, QF_i calculations, adversary model, and incentive distribution mechanism. Key notations used in this article

TABLE III KEY NOTATIONS

Notation	Description	
$d_{i,j}$	Distance between node i and j	
d_{neigh}^{min}	Minimum distance between neighbors nodes	
d_{hop}^{min}	Minimum hop distance	
n_{hop}	Hop number	
n_{th}	Threshold number of votes	
n_{tr}	Number of simultaneous transmissions	
n_{itf}, n_{neigh}	Number of interference, neighbor nodes	
n_{mn}	Number of mining nodes	
n_m, n_h	Number of malicious, honest nodes	
μ_m, μ_h	Mean number of malicious, honest nodes	
p_m	Probability of malicious nodes	
p_t	Average transmission probability	
p_{suc}, p_{col}	Probability of success, collided transmission	
p_{idle}	Probability of node encountering idle slot	
$ au_i$	Validation time of node <i>i</i>	
$a_{ au_i}, b_{ au_i}$	Lower, upper limit of τ_i	
t_{icd}	Time at which incident message is received	
T_{delay}	Time delay to finalize consensus	
T_{slot}	Time slot in MAC layer	
T_{suc}, T_{col}	Time for success, collided transmission	
T_{DIFS}, T_{SIFS}	Time intervals for DIFS, SIFS	
$T_{CTS}, T_{ACK}, T_{RTS}$	Time intervals for DCF related operations	
T_{avg}	Average length of a time slot in DCF	
T_{MB}	Time to transmit a microblock	
T_{eyp}	Time to encrypt a keyblock	
$\stackrel{\circ}{L}$	Length of a packet	
W	Window size	
C	Transmission rate	
$\lambda_{MAC}, \lambda_{KB}$	MAC, Keyblock throughput	
α	Path loss exponent	
β	Threshold of SINR	
γ	Number of nodes per square meter	
R	Transmission range	
κ	Consensus parameter	
v_i	Velocity of node i	
σ_i^2	Variance of v_i	
QF_i, DF_i	Quality, Distance Factor of node i	
$SINR_{i,j}$	SINR between node i and j	
P_{noise}	Noise Power	
$Q(SINR_i)$	Quality of node i's SINR	
B_i	Behavior of mining node i	
CC_{mn}, CC_r	Call Compensation for mining, relay nodes	
U_i	Utility of node i	
TC	Transaction Charge	
FV	Failure in Validation	
,	•	

are listed in Table III. As categorized in [43], we define edge devices present in the network into two types: 1) the mobile-edge "nodes", i.e., vehicles and 2) "edge computing servers", i.e., RSUs. Before joining the blockchain network, a node needs to register itself and acquire a wallet address and a pair of public and private keys for privacy-preserving communications. This can be accomplished by vehicle-to-infrastructure (V2I) communications with regulation authorities via a nearby edge computing server. Each node updates its

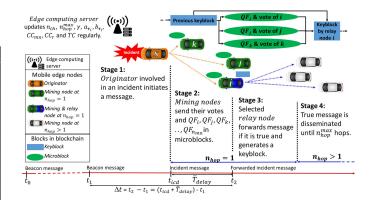


Fig. 1. Proposed PoQF consensus.

copy of blockchain through edge caching, as described in [44]. The regulation authorities control the expiration of idle keys, thereby preventing long-range attacks in which attackers use old accounts [45].

A. Proposed PoQF Consensus

The proposed PoQF consists of four stages, as illustrated in Fig. 1. At the first stage, an incident occurs and a message is initiated by *originator* involved in the incident. An originator is the sender s of the message at first hop, i.e., when $n_{\text{hop}} = 1$, where n_{hop} is the hop number. The message is analogous to a *transaction proposal* in a consensus that requires validation.

At the second stage, a node that receives and responds to the message performs the role of a mining node. Each mining node i generates a microblock, in which it records its vote toward the validity of the message and its quality factor, QF_i , to become a potential relay node. A node i waits for time τ_i before it announces a microblock. τ_i is a randomly generated number following uniform distribution, i.e., $\tau_i \sim \mathcal{U}(a_{\tau_i}, b_{\tau_i})$, where a_{τ_i} and b_{τ_i} are lower and upper limits of τ_i , respectively, which are dependent on QF_i. The motivation behind using τ_i is threefold: one is to prevent all nodes from transmitting at the same time and causing packet collision, second is to introduce fairness by giving less waiting time to nodes with higher QF_i, and the third is to ensure randomization if node i and node j have $QF_i = QF_i$. Using uniform distribution to randomize scheduling of messages so as to avoid packet collision has been previously used in [46].

At the third stage, node i is selected as a relay node if it fulfills two conditions. First, it has received at least n_{th} microblocks with the same votes as its own. Second, its QF_i is the highest among all microblocks with the same votes as its own. The motivation behind these two conditions instead of QF_i only is to enhance the security of PoQF. For example, if a malicious node i with the highest QF_i among all mining nodes votes false for an originally true message and receives n_{th} microblocks with true votes, it cannot become a relay node and earn an incentive. Similarly, if an honest node i with the highest QF_i votes false for an originally false message, but receives n_{th} microblocks with true votes, it cannot become a relay node to forward a false message. A relay node will forward the message only if it is validated as true but always generate a keyblock to record message validity after

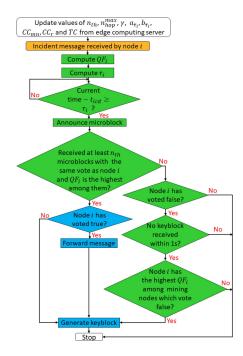


Fig. 2. Flowchart of actions by mining node at $n_{hop} = 1$.

PoQF and transactions, which are related to incentive distribution. As shown in Fig. 2, if no node receives at least $n_{\rm th}$ microblocks with the same votes as its own until 1 s, i.e., the maximum allowable latency for emergency message dissemination [47], the message is considered as false and a keyblock to record such transaction will be generated by the mining node i with the highest QF $_i$, which voted false. If two relay nodes with opposing votes are selected (one with the true vote and another with false vote), the message is considered true so that the cooperation may not be stopped in case of a true incident. The value of $n_{\rm th}$ corresponding to real traffic conditions is communicated to nodes by an edge computing server.

The fourth stage is the continuation of message dissemination. If the message is validated as true, it is disseminated after a new relay node selection by PoQF at each hop until $n_{\text{hop}} \leq n_{\text{hop}}^{\text{max}}$, where $n_{\text{hop}}^{\text{max}}$ is the maximum number of hops up to which a message is required to be forwarded and is updated by an edge computing server. It is noted that votes to validate a message are not required for $n_{\text{hop}} > 1$. It is simply because the validation of the message has been done by adjacent witness nodes (mining nodes at $n_{\text{hop}} = 1$) through a camera or location/speed verification [48]. All other nodes beyond the first hop may not have access to validate the originator.

B. QF_i Calculations

 QF_i determines the quality of mining node i at the time when it forwards the message as a relay node. Each node regularly shares its position and velocity via a beacon message. As shown in Fig. 1, two consecutive beacons messages are exchanged at t_0 and t_1 before the occurrence of an incident. To compute QF_i , node i makes probability-based predictions of distances with its neighbor nodes at time $t_2 = t_{icd} + \overline{T}_{delay}$, where t_{icd} is the time at which the incident message is received from the sender s (originator or previous relay node) and \overline{T}_{delay}

is the mean time delay to finalize consensus and is described in detail in Section IV. As QF_i decides the relay node, it is governed by two factors [49]: 1) the probability of success that a node's transmission can reach to all of its neighbor nodes, i.e., the quality of SINR at t_2 , $Q(SINR_i^{t_2})$, and 2) the probability that its distance to the sender s is larger than a threshold for ensuring successful transmission over longer distances, i.e., the distance factor at t_2 , $DF_i^{t_2}$. Hence, $QF_i = Q(SINR_i^{t_2}) \cdot DF_i^{t_2}$.

1) $Q(SINR_i^{t_2})$: If node *i* becomes a relay node, the SINR of a signal received at node *j* from node *i* at t_2 is

$$SINR_{i,j} = \frac{\left(d_{i,j}\right)^{-\alpha}}{P_{\text{noise}} + \sum_{k=1, k \neq i}^{n_{itf}} \left(d_{j,k}\right)^{-\alpha}} \tag{1}$$

where α is the path-loss exponent and its value depends on the fading environment [16], $d_{i,j}$ is the distance between node i and node j, $d_{j,k}$ is the distance between node j and interfering node k, n_{itf} is the number of interference nodes, and P_{noise} is the noise power. For a successful message transmission, it is required that the SINR exceeds a certain threshold β , i.e., $\text{SINR}_{i,j} \geq \beta$. The probability that $\text{SINR}_{i,j} \geq \beta$ at t_2 , i.e., $\text{Pr}(\text{SINR}_{i,j}^{t_2} \geq \beta)$ is given as

$$\Pr\left(\operatorname{SINR}_{i,j}^{t_2} \ge \beta\right)$$

$$= \Pr\left(\frac{\left(d_{i,j}^{t_2}\right)^{-\alpha}}{P_{\operatorname{noise}} + \sum_{k=1, k \ne i}^{n_{itf}} \left(d_{j,k}^{t_2}\right)^{-\alpha}} \ge \beta\right)$$

$$= \Pr\left(d_{i,j}^{t_2} \le \left(\beta\left(P_{\operatorname{noise}} + \sum_{k=1, k \ne i}^{n_{itf}} \left(d_{j,k}^{t_2}\right)^{-\alpha}\right)\right)^{-\frac{1}{\alpha}}\right) (2)$$

where $d_{i,j}^{l_2} = d_{i,j}^{l_1} + \Delta d_{i,j}^{\Delta t}$ is the distance between node i and node j at t_2 and $\Delta d_{i,j}^{\Delta t}$ is the relative distance change between node i and node j during $\Delta t = t_2 - t_1$. $d_{i,j}^{l_1}$ can be obtained from the beacon message received at t_1 and the expected value of $\Delta d_{i,j}^{\Delta t}$ can be found using a probability density function (PDF) of the standard Gaussian distribution. Referring to the results in [16], [50], and [51], the velocity of a node i follows a standard Gaussian distribution, i.e., $v_i \sim \mathcal{N}(0, \sigma_i^2 t)$, where $\sigma_i^2 = [((v_i^{l_1} - v_i^{l_0})^2)/(t_1 - t_0)]$ is the variance of v_i , and $v_i^{l_0}$ and $v_i^{l_1}$ denote v_i at t_0 and t_1 , respectively, which are shared by node i via beacon messages. $\Delta d_{i,i}^{\Delta t}$ is defined as

$$\Delta d_{i,j}^{\Delta t} = \left(v_i^{t_1} - v_j^{t_1} + \Delta v_i^{\Delta t} - \Delta v_j^{\Delta t} \right) \Delta t \tag{3}$$

where $\Delta v^{\Delta t}$ is the change in velocity during Δt . By the principle of a linear combination of the Gaussian variables, $\Delta v_i^{\Delta t} \sim \mathcal{N}(0, \sigma_i^2 \Delta t), \ \Delta v_i^{\Delta t} - \Delta v_j^{\Delta t} \sim \mathcal{N}(0, (\sigma_i^2 + \sigma_j^2) \Delta t)$ and hence, $\Delta d_{i,j}^{\Delta t} \sim \mathcal{N}(0, (\sigma_i^2 + \sigma_j^2) \Delta t^3)$. If $v_i^{t_2}$ is not known, (2) can be calculated by assuming $\Delta d_{i,j}^{\Delta t}$ as a standard Gaussian variable

Each node i calculates (2) with respect to its neighbor node j. As n_{itf} is the number of neighbors of node j except node i, n_{itf} and $d_{j,k}^{l_2}$ are unknown to node i. It can estimate the expected values to find $\Pr(\text{SINR}_{i,j}^{l_2} \geq \beta)$. Hence, $(\beta(P_{\text{noise}} + \sum_{k=1, k \neq i}^{n_{itf}} (d_{j,k}^{l_2})^{-\alpha}))^{-(1/\alpha)}$ in (2) can be rewritten as $(\beta(P_{\text{noise}} + E(n_{itf})E(d_{j,k}^{l_2})^{-\alpha}))^{-(1/\alpha)}$, where E(.) denotes the

expected value. The location of nodes on road is assumed to follow an independent homogeneous spatial Poisson distribution with density parameter γ nodes/m² on a 2-D road segment with no separation of lanes in order to make it general and allow dynamic movement of nodes [2]. Therefore, $E(n_{itf})$ can be estimated as the number of vehicles within the transmission range of node j. Assuming that the transmission range of each node is a uniform circular area with radius R, $E(n_{itf})$ can be calculated as the number of nodes inside the area excluding node *i*, i.e., $E(n_{itf}) = \sum_{k=1}^{\pi R^2 \gamma} ([((\pi R^2 \gamma)^k)/(k!)]e^{-\pi R^2 \gamma}) - 1$, where γ is predefined and known to each node. It is noted that an adaptive γ corresponding to real traffic conditions is out of the scope of this article, but can be locally estimated by calculating the number of received beacons [52] or with the use of edge computing servers [53].

Lemma 1: $E(d_{j,k}^{t_2}) = [(2)/(3R^2)](R^3 - d_{\text{neigh}}^{\min})$, where d_{neigh}^{\min} is the minimum allowed distance between two neighbor nodes.

Proof: See Appendix A.1.

Theorem 1:

$$\Pr\left(\operatorname{SINR}_{i,j}^{t_2} \geq \beta\right)$$

$$= \begin{cases} \frac{1}{2} \left(\operatorname{erf}\left(\frac{\Delta d_{i,j}^{\Delta t}}{\sqrt{2(\sigma_i^2 + \sigma_j^2)\Delta t^3}}\right) - \operatorname{erf}\left(\frac{-\Delta d_{i,j}^{\Delta t}}{\sqrt{2(\sigma_i^2 + \sigma_j^2)\Delta t^3}}\right) \right) \\ \operatorname{if} d_{i,j}^{t_1} \leq d_x \\ 1 - \frac{1}{2} \left(\operatorname{erf}\left(\frac{\Delta d_{i,j}^{\Delta t}}{\sqrt{2(\sigma_i^2 + \sigma_j^2)\Delta t^3}}\right) - \operatorname{erf}\left(\frac{-\Delta d_{i,j}^{\Delta t}}{\sqrt{2(\sigma_i^2 + \sigma_j^2)\Delta t^3}}\right) \right) \\ \operatorname{otherwise} \end{cases}$$

where $d_x = (\beta(P_{\text{noise}} + E(n_{itf})E(d_{j,k}^{t_2})^{-\alpha}))^{-(1/\alpha)}$. Proof: See Appendix A.2. $Q(\text{SINR}_i^{t_2}) = \sum_{j=1}^{J=n_{\text{neigh}}} \Pr(\text{SINR}_{i,j}^{t_2} \ge \beta), \text{ where } n_{\text{neigh}} \text{ is the number of neighbors of node } i \text{ whose position and velocities}$ are exchanged through beacon messages.

2) $DF_i^{t_2}$: It is the probability that one hop distance between node i and the sender s is larger than a minimum threshold $d_{\text{hop}}^{\text{min}}$ and is defined as

$$DF_i^{t_2} = \Pr(d_{i,s}^{t_2} > d_{\text{hop}}^{\min}) = 1 - \Pr(d_{i,s}^{t_2} \le d_{\text{hop}}^{\min})$$
 (4)

where $\Pr(d_{i,s}^{t_2} \leq d_{\text{hop}}^{\min})$ can be found by using the same calculation as described in Appendix A.2.

Proposition 1: The range of QF_i is $0 \le QF_i \le n_{neigh}$.

Proof: $Q(SINR_i^{t_2})$ is the sum of $Pr(SINR_{i,j}^{t_2})$, for all neighbor nodes of i. Therefore, the possible range of $Q(SINR_i^{t_2})$ is $0 \le Q(\text{SINR}_i^{t_2}) \le n_{\text{neigh}}$. According to (4), the possible range of $DF_i^{t_2}$ is $0 \le DF_i^{t_2} \le 1$. As $QF_i = Q(\text{SINR}_i^{t_2}) \cdot DF_i^{t_2}$, it can be concluded that $0 \le QF_i \le n_{\text{neigh}}$.

C. Adversary Model

It is assumed that all edge computing servers in the VEC network are honest. Let n_{mn} be the number of mobile-edge nodes taking part as mining nodes in a PoQF consensus out of which n_m nodes are malicious and n_h nodes are honest when $n_{\text{hop}} = 1$. A malicious node in the proposed blockchain design is defined as the node voting against the original validity of a

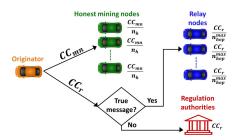


Fig. 3. Distribution of call compensation.

message, that is, if a message is true, the malicious node will vote false and *vice versa*. Let B_i be the behavior of mining node i. $B_i = 1$ when it is malicious and $B_i = 0$ when it is honest and $n_m = \sum_{i=1}^{n_{mn}} B_i$. B_i follows a binomial distribution, i.e., $B_i \sim \mathcal{B}(n_{mn}, p_m)$, where $p_m \in [0, 1]$ is the probability that $B_i = 1$. The reason for considering the binomial distribution is because it has only two possible outcomes for a discrete random number [54]. So, we can define one of the outcomes as malicious and another as honest. $\mu_m = p_m n_{mn}$ and $\mu_h = (1$ p_m) n_{mn} represent the mean number of malicious and honest nodes, respectively.

D. Incentive Distribution Mechanism

As a compensation of causing an incident, the originator pays a credit known as call compensation. Assuming that a message is successfully validated, as shown in Fig. 3, call compensation, at each direction, consists of CC_{mn} , which is equally distributed among honest mining nodes at $n_{hop} = 1$, and CC_r , which is equally distributed among relay nodes at $n_{\text{hop}} = \{1, 2, \dots, n_{\text{hop}}^{\text{max}}\}$, in case a message is validated as true. Otherwise, CC_r is transferred to regulation authorities as a penalty charge. If the message is successfully validated, the utility of a mining node i, U_i^{mn} , after taking part in a PoQF consensus at $n_{\text{hop}} = 1$ is given as

$$U_i^{mn} = \begin{cases} \frac{CC_{mn}}{n_h}, & \text{if } B_i = 0 \text{ and message is true} \\ \frac{CC_{mn}}{n_h} - TC, & \text{if } B_i = 0 \text{ and message is false} \\ -TC, & \text{if } B_i = 1 \text{ and message is true} \\ 0, & \text{if } B_i = 1 \text{ and message is false} \end{cases}$$
(5)

where TC > 0 is the transaction charge paid by mining node i only when it votes that a message is false. It is later paid to the relay node that generates the last keyblock related to a particular incident. The motivation of introducing TC is to discourage malicious false votes and promote fast dissemination of true message in case of emergency. The values of CC_{mn} , CC_r , and TC are updated by edge computing servers. The utility of a relay node U_i^r is given as

$$U_i^r = \begin{cases} \frac{CC_r}{n_{\text{hop}}^{\text{max}}}, & \text{if } n_{\text{hop}} \leq n_{\text{hop}}^{\text{max}} \text{ and message is true} \\ n_m TC, & \text{if } n_{\text{hop}} > n_{\text{hop}}^{\text{max}} \text{ and message is true} \\ n_h TC, & \text{if } n_{\text{hop}} = 1 \text{ and message is false.} \end{cases}$$
 (6)

It is worth noting that a mining node i at $n_{hop} = 1$ selected as relay will earn a cumulative utility of $U_i^{mn} + U_i^r$. A relay node records transactions related to U_i^{mn} in the keyblock at $n_{\text{hop}} = 1$. For $n_{\text{hop}} > 1$, the corresponding relay node records

TABLE IV INCENTIVES DISTRIBUTION AMONG NODES WHEN MESSAGE IS SUCCESSFULLY VALIDATED

Incentive	B_i	n_{hop}	True Message	False Message
U_i^{mn}	0	1	$\frac{CC_{mn}}{n_h}$	$\frac{CC_{mn}}{n_h} - TC$
· 1	1	1	-TC	0
U_i^r	0	1	$\frac{CC_r}{n_{hop}^{max}}$	$n_h TC$
	0	$\leq n_{hop}^{max}$	$\frac{CC_r}{n_{hop}^{max}}$	0
		$> n_{hop}^{max}$	$n_m \hat{T} C$	0

transaction related to U_i^r of the previous hop. The message is disseminated until $n_{\text{hop}} \leq n_{\text{hop}}^{\text{max}}$ and PoQF is repeated until $n_{\text{hop}} \leq n_{\text{hop}}^{\text{max}} + 1$, because the last relay node at $n_{\text{hop}}^{\text{max}} + 1$ records U_i^r of the relay node at $n_{\text{hop}}^{\text{max}}$. As an incentive, it gains the reward of $n_m TC$ and records this transaction itself. The summary of incentive distribution among mining and relay nodes is shown in Table IV.

IV. THEORETICAL PERFORMANCE ANALYSIS

A. Security

1) Failure in Validation: We define the term Failure in Validation FV as the probability that the original validity of a message is inverted after PoQF consensus at $n_{\rm hop}=1$. Without loss of generality, we assume the probability that an originator generates a false message, i.e., the originator is malicious, is p_m and the probability of true message generation is $1-p_m$. Therefore, FV can be expressed as

$$FV = p_m FV_{\text{false}} + (1 - p_m) FV_{\text{true}} \tag{7}$$

where $FV_{\rm false}$ and $FV_{\rm true}$ denote Failure in Validation of false and true messages, respectively. $FV_{\rm false}$ occurs when a malicious mining node receives at least $n_{\rm th}$ microblocks with malicious votes to mark an originally false message as true. Therefore, $FV_{\rm false}$ can be given as

$$FV_{\text{false}} = p_m \Pr(n_m \ge n_{\text{th}}). \tag{8}$$

 FV_{true} occurs when an honest mining node does not receive n_{th} microblocks with honest votes to validate an originally true message and can be expressed as

$$FV_{\text{true}} = 1 - (1 - p_m)\Pr(n_h \ge n_{\text{th}}).$$
 (9)

Bringing (8) and (9) into (7) gives

$$FV = 1 - p_m + p_m^2 \Pr(n_m \ge n_{\text{th}}) - (1 - p_m)^2 \Pr(n_h \ge n_{\text{th}}).$$
 (10)

Using tail inequalities for binomial distribution [55], we have the following propositions.

Proposition 2: The upper bound of $Pr(n_x \ge n_{th})$, where x = m or h can be given as

$$\Pr(n_x \ge n_{\text{th}})^{UB} = \begin{cases} e^{-\left[\left((n_{\text{th}} - \mu_x)^2\right)/(\mu_x + n_{\text{th}})\right]}, & \text{if } n_{\text{th}} \ge \mu_x \\ 1, & \text{otherwise.} \end{cases}$$

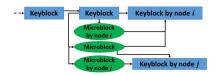


Fig. 4. Potential fork situation.

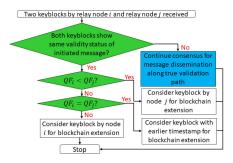


Fig. 5. Flowchart of actions to resolve fork.

Proposition 3: The lower bound of $Pr(n_x \ge n_{th})$, where x = m or h can be given as

$$\Pr(n_x \ge n_{\text{th}})^{LB} = \begin{cases} 1 - e^{-\left[\left((\mu_x - n_{\text{th}})^2\right)/(2\mu_x)\right]}, & \text{if } 0 \le n_{\text{th}} \le \mu_x \\ 0, & \text{otherwise.} \end{cases}$$

Proof: See Appendix B.2.

By applying Propositions 2 and 3 in (10), the upper and lower bounds of FV, FV^{UB} and FV^{LB} can be derived as

$$FV^{UB} = 1 - p_m + p_m^2 \Pr(n_m \ge n_{\text{th}})^{UB} - (1 - p_m)^2 \Pr(n_h \ge n_{\text{th}})^{LB}$$

$$FV^{LB} = 1 - p_m + p_m^2 \Pr(n_m \ge n_{\text{th}})^{LB} - (1 - p_m)^2 \Pr(n_h \ge n_{\text{th}})^{UB}.$$
(12)

The expanded forms of (11) and (12) under a varying range of n_{th} can be seen in Appendix B.3. The role of n_{th} in decreasing FV is described in Appendix B.4. Edge computing servers optimize the value of n_{th} for minimizing FV.

2) Resolving Forks: In the proposed blockchain, a fork may be created as shown in Fig. 4 when two keyblocks are generated by different relay nodes at the same hop. Forks occur when two or more nodes fulfill both conditions of becoming a relay node, which is defined in Section III. The flowchart of actions by a node in the case of fork occurrence is shown in Fig. 5. If the keyblock by relay node i marks the message as false and the keyblock by relay node j marks the message as true, then the message dissemination is continued and new blocks are linked with the keyblock generated by relay node j. If both nodes show the same validity and $QF_i = QF_i$, the timestamps of both keyblocks are checked and the keyblock with the earlier timestamp is considered valid. However, if $QF_i > QF_i$, then new blocks are added in continuation with the keyblock generated by relay node i, regardless of the timestamp of relay node j. The motivation behind selecting the keyblock on the basis of QF_i instead of timestamp for blockchain extension is to discourage a possible cheating attempt by mining node j to become a relay node despite having $QF_i < QF_i$. Cheating by manipulating QF_i is difficult, as it is based on the position and velocity of nodes

TABLE

Payoff Matrix (U_i,U_y) , Where $U_i=$ Utility of Mining Node i With the Highest QF $_i$ and $U_y=$ Utility of Any Other Mining Node at $n_{\mathrm{hop}}=1$. (a) True Message. (b) False Message

(a)				
		Any other mining node		
		H M		
Mining node i	H	$\left(\frac{CC_{mn}}{n_h} + \frac{CC_r}{n_{hop}^{max}},\right)$	$\left(\frac{CC_{mn}}{n_h} + \frac{CC_r}{n_{hop}^{max}},\right)$	
with the		$\frac{CC_{mn}}{n_h}$)	-TC)	
highest QF_i	M	$(-TC, \frac{CC_{mn}}{n_h})$	(-TC, -TC)	

(b)				
		Any other mining node		
		H M		
Mining node i	H	$(\frac{CC_{mn}}{n_h} + (n_h - 1)TC,$ $\frac{CC_{mn}}{T} - TC)$	$((n_h-1)TC,$	
with the		$\frac{{}^{n}CC_{mn}}{n_{h}} - TC$	0)	
highest QF_i	M	$(0, \frac{CC_{mn}}{n_h} - TC)$	(0,0)	

that are shared through regular beacon message exchange and a cheating attempt can be easily detected and reported to the concerned authority. In the presence of forks, edge computing servers store the longest chain only.

- 3) Game Theory Analysis of Incentive Distribution Mechanism: We apply the game theory to analyze the impact of the proposed incentive distribution mechanism on actions of mining nodes at $n_{\text{hop}} = 1$ and evaluate the security of PoQF against nothing-at-stake and colluding attacks by mining nodes.
- a) Players: This game has n_{mn} players out of which n_h are honest and n_m are malicious. All players follow PoQF consensus as mining nodes and are located at $n_{hop} = 1$.
- b) Action: Every player has two possible actions, honest H or malicious M.
- c) Utilities: The payoff matrix in Table V shows (U_i, U_y) , if FV does not occur after PoQF at $n_{\text{hop}} = 1$.

We present the following analysis of our incentive distribution mechanism.

Lemma 2: Playing honest is the best response action of a mining node, if $CC_{mn} \ge n_h TC$.

Proof: As shown in Table V, if $TC \ge [(CC_{mn})/(n_h)]$ and the message is false, playing honest will result in $U_y \le 0$ which will be motivated to play maliciously. On the contrary, if $TC \le [(CC_{mn})/(n_h)]$, it makes $U_y \ge 0$ which will motivate the mining nodes to play honestly. Therefore, to make honest as the best response action of mining nodes, it is required that $TC \le [(CC_{mn})/(n_h)]$ or $CC_{mn} \ge n_h TC$.

Proposition 4: The action set (H, H) is both Pareto-optimal and Nash equilibrium and prevents nothing-at-stake attack.

Proof: From the payoff matrix in Table V, we can see that no player can get the maximum utility by deviating from the action set (H, H), provided that Lemma 2 is fulfilled. In both true and false message cases, all mining nodes can get the highest payoff by playing honestly only. Therefore, the action set (H, H) is both Pareto-optimal and Nash equilibrium of this game. The utilities of players will be at risk by playing maliciously, and therefore they will not be motivated to generate a keyblock without message validation which happens in the nothing-at-stake attack [45].

Theorem 2: A mining node cannot increase its expected utility sum by colluding with its malicious neighbors if $n_h TC \le CC_{mn} \le [(n_m CC_r)/(n_{hop}^{max}(n_h - n_m))]$ and $p_m \le 0.5$.

Thus, the incentive distribution mechanism is collusion resistant if edge computing servers adjust the values of CC_{mn} , CC_r , and n_{hop}^{max} such that Theorem 2 is fulfilled.

B. Validation Latency and Throughput

The MAC throughput in bit/second is defined in [56] as $\lambda_{MAC} = p_t \cdot p_{\text{suc}} \cdot [(L)/(T_{\text{avg}})]$, where $p_t = [(2)/(W+2)]$ is the average transmission probability of a node, W is the contention window size, p_{suc} is the probability of success transmission, L is the average length of a packet, and T_{avg} is the average length of a time slot in distributed coordination function (DCF). $p_{\text{suc}} = n_{tr} \cdot p_t \cdot (1-p_t)^{n_{tr}-1}$, where n_{tr} is the number of nodes contending the channel for transmission. According to IEEE 802.11 standard [56], T_{avg} is

$$T_{\text{avg}} = p_{\text{idle}} \cdot T_{\text{slot}} + p_{\text{suc}} \cdot T_{\text{suc}} + p_{\text{col}} \cdot T_{\text{col}}$$
 (13)

where $T_{\rm slot}$ is the unit time slot in DCF scheme, $p_{\rm idle} = (1 - p_t)^{n_{tr}}$ and $p_{\rm col} = 1 - p_{\rm idle} - p_{\rm suc}$ are the probabilities of a node encountering an idle slot and collided transmission, respectively, $T_{\rm suc}$ and $T_{\rm col}$ are average time for success and collided transmission, respectively, and are given as

$$T_{\text{col}} = T_{RTS} + T_{\text{DIFS}} + T_{\text{slot}}, \tag{14}$$

$$T_{\text{suc}} = T_{RTS} + T_{\text{DIFS}} + T_{CTS} + T_{ACK} + 3T_{\text{RM SIFS}} + 4T_{\text{slot}} + \frac{L}{C} \tag{15}$$

where T_{DIFS} and $T_{\text{RM SIFS}}$ are time intervals for DCF interframe space (DIFS) and short interframe space (RM SIFS), respectively, T_{RTS} , T_{CTS} , and T_{ACK} are prespecified time intervals reserved for DCF related operations and C is the average transmission rate among nodes. As λ_{MAC} is defined in bit/second, the average time consumption T_{MB} to successfully transmit a vote in a microblock of length L bits is

$$T_{MB} = \frac{L(\text{bits})}{\lambda_{MAC}(\text{bit/second})} = \frac{T_{\text{avg}}}{p_t \cdot p_{\text{suc}}}.$$
 (16)

 T_{MB} varies with n_{tr} only if W, L, $T_{\rm slot}$, $T_{\rm col}$, and $T_{\rm suc}$ are considered as the fixed values for all transmitting mining nodes. As $1 \le n_{tr} \le n_{mn}$, we consider two boundaries for T_{MB} , i.e., T_{MB}^1 with $n_{tr} = 1$ and $T_{MB}^{n_{mm}}$ with $n_{tr} = n_{mn}$. Therefore, $T_{MB}^{\min} = \min(T_{MB}^1, T_{MB}^{n_{mm}})$ and $T_{MB}^{\max} = \max(T_{MB}^1, T_{MB}^{n_{mm}})$. Considering a fixed transmission range and a homogeneous distribution for all nodes, we can assume that $n_{\rm neigh}$ is statistically the same for every node. According to Proposition 1, $n_{\rm neigh} - QF_i$ can be considered as the ranking of mining node i to announce its microblock. In this way, node i with a large QF_i can have less validation time before announcing a microblock. An edge computing server provides τ_i bounds to be followed by mining nodes by considering T_{MB} as the time required by a mining node to successfully transmit a microblock. The lower bound of τ_i is given as $a_{\tau_i} = T_{MB}^{\min}(n_{\text{neigh}} - QF_i)$ and the upper bound of τ_i is given as $b_{\tau_i} = T_{MB}^{\max}(n_{\text{neigh}} - QF_i)$.

For n_{mn} microblocks, the total time consumption (or validation latency) T_{delay} can be in the range $T_{MB}^{\min} \cdot n_{mn} \leq T_{\text{delay}} \leq$

 $T_{MB}^{\text{max}} \cdot n_{mn}$. A mining node i with the highest QF_i becomes a relay node as soon as it receives at least n_{th} microblocks and does not need to wait for receiving all n_{mn} microblocks. Therefore, T_{delay} is reduced for small n_{th} and we can find lower and upper bounds of T_{delay} when a message is successfully validated by an honest node at $n_{\text{hop}} = 1$.

Proposition 5: $T_{\text{delay}}^{LB} = T_{MB}^{\min} \cdot n_{\text{th}}$. Proof: T_{delay} is the minimum when a relay node receives first n_{th} consecutive microblocks with the same votes immediately following the incident message.

Proposition 6: $T_{\text{delay}}^{UB} = T_{MB}^{\text{max}} \cdot (n_{\text{th}} + p_m n_{mn}).$ Proof: The maximum number of microblocks with malicious votes is $p_m n_{mn}$. T_{delay} will be the maximum if an honest relay node receives all $p_m n_{mn}$ microblocks before receiving n_{th} honest microblocks.

A keyblock is generated by a relay node after the message validation. Therefore, the throughput in terms of number of keyblocks generated per second can be estimated as

$$\lambda_{KB} = \frac{1}{T_{\text{delay}} + T_{\text{eyp}}} \tag{17}$$

where T_{eyp} is the time required to encrypt a keyblock.

C. Asymptotic Complexities

In this section, we compare the scalability of various consensus algorithms by analyzing latency complexity, i.e., the time consumption required to confirm a transaction, security complexity, i.e., the minimum number of malicious nodes to control consensus, and communication complexity, i.e., the number of exchange messages required to validate a transaction. Without loss of generality, we derive the asymptotic latency, security, and communication complexity of various consensus algorithms in Table VI in terms of a number of nodes participating in the mining competition, n_{mn} and consensus parameter κ , which is unique to each algorithm. κ refers to the difficulty level of the hash puzzle in PoW, synchronization level in PoS, waiting time in PoET, and number of minimum votes required in voting-based algorithms (PBFT and PoQF). Standard mathematical notations are used in Table VI, i.e., $\Omega(.)$, O(.), and $\Theta(.)$ denote the order of at least, at most, and exactly, respectively. Table VI shows that κ affects the latency in PoW, PoS, and PoET. Despite the fast consensus of PoS, a strong synchronization among edge computing resources is needed for efficient running [58]. The latency of PoET depends on the length of waiting time which follows a fixed probability distribution. PoQF has to wait for a threshold number of votes, which has an impact on latency but its scalability does not rely on large computation power or storage capacity of mobile-edge nodes. Similar to PoS, synchronization among edge computing servers and mobile-edge nodes is needed in PoQF, but the requirement is independent of n_{mn} . PoET offers the least security and can be controlled by only a small fraction of malicious nodes [9]. According to Theorem 3, PoQF is secure against the collusion attack when $p_m \leq 0.5$. It provides the same security as PoW which is better than PBFT but worse than PoS [59]. In communication complexity, PoW, PoS, and PoET are more efficient than PoQF, since they do not require multiple message exchanges. Despite the voting

TABLE VI COMPARISON OF ASYMPTOTIC COMPLEXITIES

Consensus	Latency	Security	Communication
PoW	$\Theta(\kappa)$ [58]	$\Omega\left(\frac{n_{mn}}{2}\right)$ [60]	$\Theta(1)[58]$
PoS	$\Omega(\kappa)$ [58]	$\Omega\left(\frac{2n_{mn}}{3}\right)$ [59]	$\Theta(1)[58]$
PoET	$\Omega(\kappa)[9]$	$\Omega\left(\frac{loglogn_{mn}}{logn_{mn}}\right)$ [9]	$\Theta(1)[9]$
PBFT	$n_{mn}O(1)[58]$	$\Omega\left(\frac{n_{mn}-1}{2}\right)$ [35]	$O(n_{mn}^2)[10]$
PoQF	$\kappa O(1)$	$\Omega\left(\frac{n_{mn}}{2}\right)$	$O(n_{mn})$

TABLE VII SIMULATION PARAMETERS

Parameters	Values	Parameters	Values
Simulation Time	200 s	Protocol	IEEE 802.11p
Size of area	10 km ×10 km	Encryption	SHA-256
Beacon frequency	0.1 s	P_{noise}	-99 dBm
γ	50, 75, 100, 125	R	250 m
	150, 175, 200	α	3
	nodes/km ²	β	8 dB
Mobility model	Freeway	d_{neigh}^{min}	12 m
Average velocity	40 km/hr	d_{hop}^{min}	100 m
L	756 bytes	W	32
T_{RTS}	$53 \mu\mathrm{s}$	T_{DIFS}	$58 \mu\mathrm{s}$
T_{CTS}	$37 \mu\mathrm{s}$	T_{SIFS}	$32 \mu\mathrm{s}$
T_{ACK}	$37 \mu\mathrm{s}$	T_{slot}	$13 \mu\mathrm{s}$
T_{eyp}	$3332.11\mu{ m s}$	C	6 Mbps

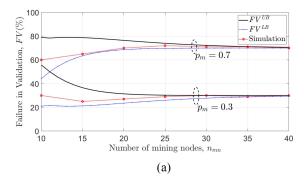
nature of PoQF, it has lower communication complexity than PBFT. Moreover, in VANETs, n_{mn} cannot be increased beyond a certain threshold due to the limited number of nodes within a transmission range R and d_{\min}^{neigh} , which makes PoQF scalable and applicable in V2V communications.

V. SIMULATION RESULTS

In this section, we analyze the performance of the proposed blockchain and PoQF consensus using OMNeT++ integrated with the simulation of urban mobility (SUMO). The simulation parameters listed in Table VII align with other VANET applications [15], [56], [57], [61]. Since n_{mn} are neighbor nodes of a sender s, $n_{mn} \leq 40$ will be considered when nodes are homogeneously distributed with a maximum of 200 nodes/km² and it is a reasonable assumption of the maximum number of vehicles within a transmission range when the safe distance between nodes are maintained on road [62]. Evaluation results are averaged over 100 simulation runs.

Fig. 6 shows FV with respect to n_{mn} at different p_m and n_{th} . Two different values of p_m are chosen to show the results at both low $(p_m < 0.5)$ and high $(p_m > 0.5)$ densities of malicious mining nodes presented in the network. As shown in Fig. 6 (a), FV with $p_m = 0.3$ is lower than FV with $p_m = 0.7$ when $n_{\text{th}} = 3$, i.e., $n_{\text{th}} \le \mu_m$. It shows that a low n_{th} is suitable only for low p_m when honest nodes are in majority. On the contrary, as shown in Fig. 6(b), FV with $p_m = 0.3$ is higher than FV with $p_m = 0.7$ when $n_{th} = n_{mn}$, i.e., $n_{th} > \mu_m$. This is because when $n_{\rm th} = n_{mn}$, both malicious and honest mining

¹Source code is available at https://github.com/ferheenayaz/PoQF.



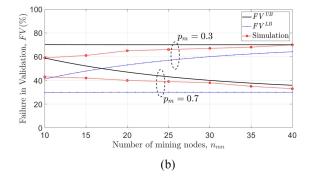
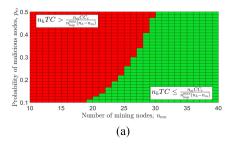
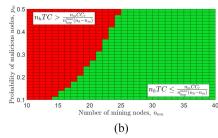


Fig. 6. FV with respect to n_{mn} . (a) $n_{th} = 3$. (b) $n_{th} = n_{mn}$.





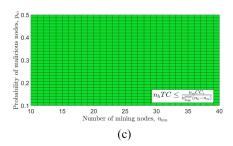
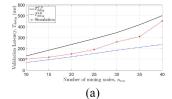
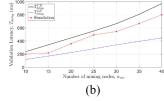
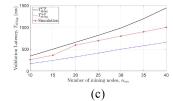


Fig. 7. Setting up CC_r , TC, and $n_{\text{hop}}^{\text{max}}$ for collusion resistant incentive distribution mechanism. (a) $CC_r = 100$, TC = 0.5, and $n_{\text{hop}}^{\text{max}} = 10$. (b) $CC_r = 200$, TC = 0.5, and $n_{\text{hop}}^{\text{max}} = 10$. (c) $CC_r = 200$, TC = 0.1, and $n_{\text{hop}}^{\text{max}} = 6$.







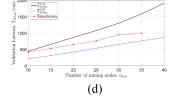


Fig. 8. T_{delay} with respect to n_{mn} . (a) $p_m = 0.2$. (b) $p_m = 0.4$. (c) $p_m = 0.6$. (d) $p_m = 0.8$.

nodes are unable to finalize consensus within the maximum allowable latency of 1 s and the message is marked as false. With $p_m = 0.3$, the probability of false message occurrence is lower than that of true message occurrence and it is hard to collect $n_{\rm th} = n_{mn}$ honest votes to validate a true message. In this case, $FV^{UB} \approx 1 - p_m$ depicts the worst-case scenario of the maximum probability of true message generation which will be marked as false. With $p_m = 0.7$, the probability of true message occurrence is lower than that of false message occurrence. FV does not occur when both honest and malicious nodes are unable to collect votes for a false message. It only occurs when a true message is not validated. As shown in Fig. 6(b), $FV^{LB} \approx 1 - p_m$ with $p_m = 0.7$ depicts the percentage of true messages that are not validated by PoQF. The dependence of n_{th} on p_m is further discussed in Appendix B.4. If p_m in the network is known, the VEC technique can achieve a low FV even with high values of p_m by adjusting n_{th} accordingly.

Fig. 7 shows the impact of parameters: CC_r , TC, and $n_{\rm hop}^{\rm max}$, on the collusion resistance feature of incentive distribution mechanism. According to Theorem 3, the incentive distribution mechanism is collusion resistant if $n_h TC \leq CC_{mn} \leq [(n_m CC_r)/(n_{\rm hop}^{\rm max}(n_h-n_m))]$ and $p_m \leq 0.5$. As B_i follows the binomial distribution, it can be assumed that $n_m \approx \mu_m$ and

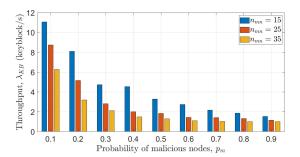


Fig. 9. λ_{KB} with respect to p_m .

 $n_h \approx \mu_h$. Based on this assumption, Fig. 7(a) and (b) shows that the incentive distribution mechanism cannot be collusion resistant for every n_{mn} and p_m under the fixed CC_r , TC, and $n_{\text{hop}}^{\text{max}}$. However, in Fig. 7(c), when $CC_r = 200$, TC = 0.1, and $n_{\text{hop}}^{\text{max}} = 6$, $n_h TC \leq [(n_m CC_r)/(n_{\text{hop}}^{\text{max}}(n_h - n_m))]$ is satisfied for every $n_{mn} \in (10, 40)$ and $p_m \in (0, 0.5)$. Therefore, for a collusion resistant incentive distribution mechanism, it is required that the edge computing servers should adjust the combination of these parameters with varying n_{mn} and p_m , such that it is possible to choose CC_{mn} within the boundaries defined by Theorem 3. Apart from the security reason, a low $n_{\text{hop}}^{\text{max}}$ is also favorable for successful message delivery, as the failure of

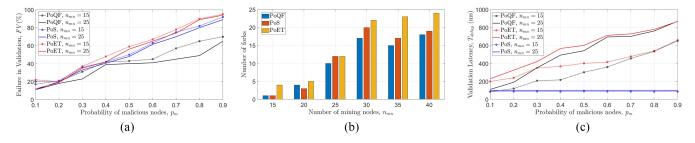


Fig. 10. Comparison of PoQF with PoS and PoET with $n_{\rm th} = \mu_m + 1$. (a) FV. (b) Number of forks. (c) $T_{\rm delay}$.

multihop connectivity in VANETs increases with the number of hops [63].

Fig. 8 shows T_{delay} of successful message validation with respect to n_{mn} at different values of p_m with $n_{th} = \mu_m + 1$. It can be seen that T_{delay} increases with p_m because of more frequent generation of microblocks by malicious nodes. Fig. 8(c) and (d) shows that T_{delay}^{UB} exceeds the maximum allowable latency requirement of 1 s [47] when $p_m \ge 0.6$ and $n_{mn} \ge 30$. At $p_m = 0.8$ and $n_{mn} > 35$, the mining nodes are unable to finalize consensus within 1 s. Fig. 9 shows λ_{KB} of PoQF consensus at various n_{mn} and p_m . The highest λ_{KB} achieved is 11 keyblock/s at $p_m = 0.1$ and $n_{mn} = 15$ and the lowest is 0.9 keyblock/s at $p_m \ge 0.8$ and $n_{mn} = 35$, which means that at higher n_{mn} and p_m , PoQF with $\lambda_{KB} < 1$ keyblock/s may not be able to generate block within the limit of maximum allowable latency of 1 s. This shows that our proposed blockchain exhibits better performance specifically at lower values of p_m and n_{mn} . λ_{KB} can be improved by offloading computations required for encrypting a keyblock to a nearby edge computing server which have high computation power, thereby reducing $T_{\rm eyp}$, as suggested in [64].

Fig. 10 compares the performance of PoQF with PoET and PoS. In Fig. 10(a), FV of PoQF is compared with PoET and PoS at different values of p_m and n_{mn} , while n_{th} is fixed at $\mu_m + 1$, as it results in low FV for all values of p_m . We implement PoET such that its waiting time is uncontrolled by VEC. Each node generates a random number between 0 and 1 s to determine its waiting time for collecting microblocks. It shows that FV of PoQF and PoET are closing to each other at low p_m . For high values of p_m , an honest node i with the highest QF_i is unable to collect sufficient microblocks from honest mining nodes within a random waiting time of PoET and therefore its FV rises with p_m at a higher rate than PoQF. In the reputation-based PoS, a node is considered honest if its reputation exceeds a certain threshold. We randomly assign a reputation value to nodes on a scale of 0-100, thus the probability of reputation falling below a threshold of 50 is defined as p_m . We implement PoS such that a malicious relay node only forwards the message from a malicious sender and an honest relay node only forwards the message from an honest sender. On average, PoQF reduces FV by 11% and 15%, as compared to PoS and PoET, respectively. Fig. 10(b) compares the number of forks created by PoQF, PoS, and PoET consensus. Although solutions to resolve forks are discussed in Section IV, a blockchain consensus should be able to avoid the creation of forks in order to control discrepancies. In PoQF,

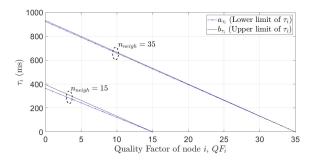


Fig. 11. Values of a_{τ_i} and b_{τ_i} .

node i with the highest QF_i is most likely to announce its microblock prior to other mining nodes. In this way, node j with $QF_i < QF_i$ cannot become a relay node if the votes of both nodes are the same. This is how the creation of forks is reduced in the proposed consensus. We implement PoS consensus by selecting a relay node on the basis of the highest reputation which is randomly generated from 0 to 100 in the simulation. A fork appears when two nodes with the same reputation simultaneously become a relay node. In PoET, the time to announce microblock is not controlled by VEC. Therefore, node j with lower QF_i becomes a relay node before receiving a microblock from node i even though $QF_i > QF_i$. In that case, a fork appears if both node i and node j generate keyblocks. It is noted that the number of forks in PoS is equal or lower than PoQF when $n_{mn} \leq 20$. Due to the unreliable nature of vehicle connectivity, there remains a possibility of fork occurrence when an announced microblock by node i is not received by node j. It usually happens when mining nodes are in distance and beyond the transmission range of each other. This is why a low node density, ultimately leading to low n_{mn} , may result in a higher or equal number of forks created by PoQF as compared to PoS. Fig. 10(c) compares T_{delay} of successful message validation consumed by PoQF, PoET, and PoS. By using PoET, the mining node i is allowed to announce its microblock at a random time irrespective of its QF_i. On an average, T_{delay} of PoET is 68 ms higher than PoQF. However, the difference is larger at the lower p_m . Since τ_i is independent of QF_i in PoET, node j with lower QF_j may announce its microblock earlier than node i with $QF_i > QF_i$ and node i might have to wait longer. This waiting time is reduced in PoQF by the utilization of VEC. However, with large p_m , an honest mining node i with the highest QF_i has to wait longer in PoQF for receiving n_{th} honest microblocks. It is because the frequency of malicious microblocks generation is increased

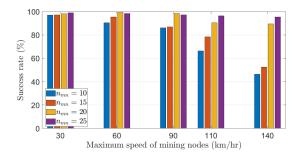


Fig. 12. Average success rate with respect to speed.

with a large p_m . Hence, the T_{delay} difference between PoQF and PoET becomes smaller. T_{delay} of PoS is independent of p_m and increases with n_{mn} . It is the smallest because it only consumes time in relay node selection, while the voting time is eliminated by the reputation-based message validation.

Fig. 11 displays a_{τ_i} and b_{τ_i} which are governed by edge computing servers to regulate τ_i , generated by a mining node i. It shows that a_{τ_i} and b_{τ_i} reduce with an increasing QF_i and therefore τ_i leads to less waiting time for potential relay nodes. Due to the homogeneous distribution of nodes, n_{neigh} is the same for every node in a network. Therefore, deliberately reducing τ_i by node i is bounded by the limit of a_{τ_i} , which is known to every node in a network. Such an attempt can be easily detected and reported to the concerned authority.

Fig. 12 shows the success rate of transmitting a true message under different maximum speeds of a mining node. For $n_{\text{hop}} > 1$, PoQF consensus is only used for relay node selection since the message is already validated at $n_{hop} = 1$, and therefore, the transmission success rate is independent of p_m . It shows that the success rate is falling with increasing speed, specifically for small n_{mn} . This is because a small n_{mn} depicts a low traffic density, so the nodes are likely to attain their maximum speeds and may lose connectivity before finalizing a consensus to select a relay node. In order to speed up consensus, a possible solution is that the edge computing servers reduce n_{th} when $n_{\text{hop}} > 1$. At $n_{\text{hop}} > 1$, the consensus only depends on the highest QF_i and does not require message validation. Since the mining node i sends its microblock earlier than the mining node j with $QF_i < QF_i$, it is not necessary for the mining node i to wait until QF_i is received. It is noted that in case of an incident or traffic jam, high speed is not likely to be attained in the affected area, and therefore, it is not recommended to reduce n_{th} at $n_{\text{hop}} = 1$, as it may result in large FV.

VI. CONCLUSION

In this article, we have proposed a blockchain based on the PoQF consensus algorithm for message dissemination in VEC networks. The theoretical performance of the proposed consensus is evaluated by deriving bounds on failure and latency in message validation, the throughput of block generation and asymptotic latency, security, and communication complexity. Moreover, an incentive distribution mechanism to promote positive cooperation and discourage the malicious behavior of nodes has been presented and analyzed using the game theory.

From the simulation analysis, the proposed blockchain shows 11% reduction in FV by PoQF as compared to reputation-based PoS. As a tradeoff, it results in increased validation latency. Specifically, due to VEC, PoQF is 15% more secure and 68 ms faster in validating a message as compared to PoET. Furthermore, PoQF results in less number of forks than PoET and PoS. Similar to PoW, PoQF is vulnerable to malicious nodes if they compose more than 50% of the mining group but its performance is not dependent on the presence of at least 2f + 1 mining nodes as in PBFT.

In future work, we aim to reduce latency by proposing an alternative to voting solution for message validation. An adaptive and intelligent blockchain can be designed to achieve higher throughput with varying numbers of mining nodes.

APPENDIX A

1) Appendix A.1: The PDF of interference nodes at location (X, Y) within the area πR^2 is defined in [14] as $[(1)/(\pi R^2)]$. Therefore, $E(d_{i,k}^{l_2})$ can be calculated as

$$E\left(d_{j,k}^{t_2}\right) = \int \left(X^2 + Y^2\right) f_{(X,Y)} dX dY. \tag{18}$$

Bringing $X = z \cos \phi$ and $Y = z \sin \phi$ into (18) leads to

$$E(d_{j,k}^{t_2}) = \int_{d_{\text{neigh}}}^{R} \int_{0}^{2\pi} \frac{z^2}{\pi R^2} d\phi dz = \frac{2}{3R^2} \left(R^3 - d_{\text{neigh}}^{\min 3}\right). \quad (19)$$

2) Appendix A.2: Since $d_{i,j}^{t_2} = d_{i,j}^{t_1} + \Delta d_{i,j}^{\Delta t}$, we find the probability of $\Delta d_{i,j}^{\Delta t} \leq d_x - d_{i,j}^{t_1}$. If $d_{i,j}^{t_1} \leq d_x$, the actual required communication distance, $\Delta d_{i,j}^{\Delta t}$ can be calculated as in [50]

$$\Delta d_{i,j}^{\Delta t} = \begin{cases} d_x + d_{i,j}^{t_1}, & \text{case 1} \\ d_x - d_{i,j}^{t_1}, & \text{case 2} \end{cases}$$
 (20)

where case 1 is either of the following:

- 1) node i and node j are moving toward each other;
- 2) node i is in front of node j, both moving in same direction, and $v_i < v_i$;
- 3) node j is in front of node i, both moving in same direction, and $v_i > v_i$

and case 2 is either of the following:

- 1) node i and node j are moving away from each other;
- node i is in front of node j, both moving in same direction, and $v_i > v_i$;
- 3) node j is in front of node i, both moving in same direction, and $v_i < v_j$. Therefore, PDF of $\Delta d_{i,j}^{\Delta t}$ can be defined as

$$f\left(\Delta d_{i,j}^{\Delta l}\right) = \frac{1}{\sqrt{2\pi\left(\sigma_i^2 + \sigma_j^2\right)\Delta t^3}} e^{-\frac{\left(\Delta d_{i,j}^{\Delta l}\right)^2}{2\left(\sigma_i^2 + \sigma_j^2\right)\Delta t^3}}.$$
 (21)

Considering both acceleration and deceleration, the cumulative density function (CDF) can be calculated as

$$F\left(\Delta d_{i,j}^{\Delta t}\right) = \int_{-\Delta d_{i,j}^{\Delta t}}^{\Delta d_{i,j}^{\Delta t}} f\left(\Delta d_{i,j}^{\Delta t}\right) d\left(\Delta d_{i,j}^{\Delta t}\right). \tag{22}$$

As
$$F(\Delta d_{i,j}^{\Delta t}) = \Pr(d_{i,j}^{t_2} \le d_x) = \Pr(\operatorname{SINR}_{i,j}^{t_2} \ge \beta)$$

$$\Pr(\operatorname{SINR}_{i,j}^{t_2} \ge \beta) = \frac{1}{2} \left[\operatorname{erf} \left(\frac{\Delta d_{i,j}^{\Delta t}}{\sqrt{2(\sigma_i^2 + \sigma_j^2)\Delta t^3}} \right) - \operatorname{erf} \left(\frac{-\Delta d_{i,j}^{\Delta t}}{\sqrt{2(\sigma_i^2 + \sigma_j^2)\Delta t^3}} \right) \right]. \quad (23)$$

Otherwise, if $d_{i,j}^{l_1} > d_x$, the actual required communication distance $\Delta d_{i,j}^{\Delta t}$ can be calculated as

$$\Delta d_{i,j}^{\Delta t} = \begin{cases} d_{i,j}^{t_1} - d_x, & \text{case 1} \\ d_{i,j}^{t_1} + d_x, & \text{case 2} \end{cases}$$
 (24)

where case 1 and case 2 are the same as defined in (20). As $d_{i,j}^{t_1} > d_x$, for $d_{i,j}^{t_2} \le d_x$, we need $\Delta d_{i,j}^{\Delta t} < 0$. Therefore, we calculate $1 - f(\Delta d_{i,j}^{\Delta t})$ and ultimately $\Pr(d_{i,j}^{t_2} \leq d_x) =$ $Pr(SINR_{i,i}^{t_2} \ge \beta)$ is expressed as

$$\Pr\left(\operatorname{SINR}_{i,j}^{t_2} \ge \beta\right) = 1 - \frac{1}{2} \left[\operatorname{erf}\left(\frac{\Delta d_{i,j}^{\Delta t}}{\sqrt{2\left(\sigma_i^2 + \sigma_j^2\right)\Delta t^3}}\right) - \operatorname{erf}\left(\frac{-\Delta d_{i,j}^{\Delta t}}{\sqrt{2\left(\sigma_i^2 + \sigma_j^2\right)\Delta t^3}}\right) \right]. \tag{25}$$

APPENDIX B

1) Appendix B.1: According to the multiplicative form of the Chernoff bound [55], $\Pr(X \ge (1+\delta)\mu) \le e^{-[(\delta^2\mu)/(2+\delta)]}$, where X is a sum of independent binomial variables with mean μ and $\delta > 0$. Bringing $\mu = \mu_x$ and $(1 + \delta)\mu = n_{\text{th}}$ gives

$$\Pr(n_x \ge n_{\text{th}}) \le \begin{cases} e^{-\frac{(n_{\text{th}} - \mu_x)^2}{\mu_x + n_{\text{th}}}}, & \text{if } n_{\text{th}} \ge \mu_x \\ 1, & \text{otherwise.} \end{cases}$$
 (26)

2) Appendix B.2: For $0 \le \delta \le 1$, the Chernoff bound [55] states that $\Pr(X \le (1 - \delta)\mu) \le e^{-[(\delta^2\mu)/(2)]}$, which can be rewritten as $\Pr(X \ge (1 - \delta)\mu) \ge 1 - e^{-[(\delta^2 \mu)/(2)]}$. Therefore

$$\Pr(n_x \ge n_{\text{th}}) \ge \begin{cases} 1 - e^{-\frac{(\mu_x - n_{\text{th}})^2}{2\mu_x}}, & \text{if } 0 \le n_{\text{th}} \le \mu_x \\ 0, & \text{otherwise.} \end{cases}$$
(27)

3) Appendix B.3: Using (10), (26), and (27), we get

$$FV \leq \begin{cases} 1 - p_{m} + p_{m}^{2} - (1 - p_{m})^{2} \left(1 - e^{-\frac{(\mu_{h} - n_{th})^{2}}{2\mu_{h}}}\right), \\ \text{if } n_{th} < \min(\mu_{m}, \mu_{h}) \\ 1 - p_{m} + p_{m}^{2} e^{-\frac{(n_{th} - \mu_{m})^{2}}{\mu_{m} + n_{th}}} - (1 - p_{m})^{2} \left(1 - e^{-\frac{(\mu_{h} - n_{th})^{2}}{2\mu_{h}}}\right) \\ \text{if } \mu_{m} \leq n_{th} \leq \mu_{h} \\ 1 - p_{m} + p_{m}^{2}, \text{ if } \mu_{h} < n_{th} < \mu_{m} \\ 1 - p_{m} + p_{m}^{2} e^{-\frac{(n_{th} - \mu_{m})^{2}}{\mu_{m} + n_{th}}}, \text{ if } n_{th} > \max(\mu_{m}, \mu_{h}) \end{cases}$$

$$(22)$$

$$\operatorname{erf}\left(\frac{\Delta d_{i,j}^{\Delta t}}{\sqrt{2(\sigma_{i}^{2} + \sigma_{j}^{2})\Delta t^{3}}}\right) - \operatorname{erf}\left(\frac{\Delta d_{i,j}^{\Delta t}}{\sqrt{2(\sigma_{i}^{2} + \sigma_{j}^{2})\Delta t^{3}}}\right) = \operatorname{erf}\left(\frac{-\Delta d_{i,j}^{\Delta t}}{\sqrt{2(\sigma_{i}^{2} + \sigma_{j}^{2})\Delta t^{3}}}\right) = \operatorname{erf}\left(\frac{-\Delta d_{i,j}^{\Delta t}}{\sqrt{2(\sigma_{i}^{2} + \sigma_{j}^{2})\Delta t^{3}}}\right) = \operatorname{erf}\left(\frac{-\Delta d_{i,j}^{\Delta t}}{\sqrt{2(\sigma_{i}^{2} + \sigma_{j}^{2})\Delta t^{3}}}\right) = \operatorname{erf}\left(\frac{1 - p_{m} + p_{m}^{2}\left(1 - e^{-\frac{(\mu_{m} - n_{\text{th}})^{2}}{2\mu_{m}}}\right) - (1 - p_{m})^{2}e^{-\frac{(n_{\text{th}} - \mu_{h})^{2}}{\mu_{h} + n_{\text{th}}}}\right)} = \operatorname{erf}\left(\frac{1 - p_{m} + p_{m}^{2}\left(1 - e^{-\frac{(\mu_{m} - n_{\text{th}})^{2}}{2\mu_{m}}}\right) - (1 - p_{m})^{2}e^{-\frac{(n_{\text{th}} - \mu_{h})^{2}}{\mu_{h} + n_{\text{th}}}}\right)} = \operatorname{erf}\left(\frac{1 - p_{m} + p_{m}^{2}\left(1 - e^{-\frac{(\mu_{m} - n_{\text{th}})^{2}}{2\mu_{m}}}\right) - (1 - p_{m})^{2}e^{-\frac{(n_{\text{th}} - \mu_{h})^{2}}{\mu_{h} + n_{\text{th}}}}\right)} = \operatorname{erf}\left(\frac{1 - p_{m} + p_{m}^{2}\left(1 - e^{-\frac{(\mu_{m} - n_{\text{th}})^{2}}{2\mu_{m}}}\right) - (1 - p_{m})^{2}e^{-\frac{(n_{\text{th}} - \mu_{h})^{2}}{\mu_{h} + n_{\text{th}}}}\right)} = \operatorname{erf}\left(\frac{1 - p_{m} + p_{m}^{2}\left(1 - e^{-\frac{(\mu_{m} - n_{\text{th}})^{2}}{2\mu_{m}}}\right) - (1 - p_{m})^{2}e^{-\frac{(n_{\text{th}} - \mu_{h})^{2}}{\mu_{h} + n_{\text{th}}}}\right)} = \operatorname{erf}\left(\frac{1 - p_{m} + p_{m}^{2}\left(1 - e^{-\frac{(\mu_{m} - n_{\text{th}})^{2}}{2\mu_{m}}}\right) - (1 - p_{m})^{2}e^{-\frac{(n_{\text{th}} - \mu_{h})^{2}}{\mu_{h} + n_{\text{th}}}}\right)} = \operatorname{erf}\left(\frac{1 - p_{m} + p_{m}^{2}\left(1 - e^{-\frac{(\mu_{m} - n_{\text{th}})^{2}}{2\mu_{m}}}\right) - (1 - p_{m})^{2}e^{-\frac{(n_{\text{th}} - \mu_{h})^{2}}{\mu_{h} + n_{\text{th}}}}\right)} = \operatorname{erf}\left(\frac{1 - p_{m} + p_{m}^{2}\left(1 - e^{-\frac{(\mu_{m} - n_{\text{th}})^{2}}{2\mu_{m}}}\right) - (1 - p_{m})^{2}e^{-\frac{(n_{\text{th}} - \mu_{h})^{2}}{\mu_{h} + n_{\text{th}}}}\right)} = \operatorname{erf}\left(\frac{1 - p_{m} + p_{m}^{2}\left(1 - e^{-\frac{(\mu_{m} - n_{\text{th}})^{2}}{2\mu_{m}}}\right) - (1 - p_{m})^{2}e^{-\frac{(n_{\text{th}} - \mu_{h})^{2}}{2\mu_{m}}}\right)} = \operatorname{erf}\left(\frac{1 - p_{m} + p_{m}^{2}\left(1 - e^{-\frac{(\mu_{m} - n_{\text{th}})^{2}}{2\mu_{m}}}\right) - (1 - p_{m})^{2}e^{-\frac{(n_{\text{th}} - \mu_{h})^{2}}{2\mu_{m}}}\right)}\right) = \operatorname{erf}\left(\frac{1 - p_{m} + p_{m}^{2}\left(1 - e^{-\frac{(\mu_{m} - n_{\text{th}})^{2}}{2\mu_{m}}}\right) - (1 - p_{m})^{2}e^{-\frac{(n_{\text{th}} - \mu_{h})^{2}}{2\mu_{m}}}\right)}\right) = \operatorname{erf}\left(\frac{1 - p_{m} + p_{m}^{2}\left(1 - e^{-\frac{(\mu_{m} - n_{\text{th}})$$

4) Appendix B.4: As we know that $0 < e^{-x} \le 1$ for any real valued x and $p_m \epsilon [0, 1]$, it can be deduced from (29) that FV^{LB} is minimum when $\mu_m \le n_{th} \le \mu_h$, which is only possible for $p_m \le 0.5$. For $p_m > 0.5$, the minimum FV^{LB} can be obtained when $n_{\text{th}} > \mu_m$. To find the minimum FV^{UB} , we compare its value at two conditions of (28), i.e., $n_{th} > \max(\mu_m, \mu_h)$ and $n_{\text{th}} < \min(\mu_m, \mu_h)$

$$1 - p_m + p_m^2 e^{-\frac{(n_{\text{th}} - \mu_m)^2}{\mu_m + n_{\text{th}}}} < 1 - p_m + p_m^2 - (1 - p_m)^2 \left(1 - e^{-\frac{(\mu_h - n_{\text{th}} - 1)^2}{2\mu_h}}\right).$$
(30)

Assuming that $p_m^2 e^{-[((n_{\rm th}-\mu_m)^2)/(\mu_m+n_{\rm th})]} \approx (1-p_m)^2 (1-e^{-[((\mu_h-n_{\rm th}-1)^2)/(2\mu_h)]}) \approx 0$, (30) leads to $p_m > (1/2)$. It proves that $n_{\rm th} > \mu_m$ results in the minimum FV^{UB} for $p_m > (1/2)$.

APPENDIX C

Let n_{cp} colluding players form a group to mark a true message as false or a false message as true with a probability p_{cp} . The expected utility sum of colluding players as mining nodes, $E(U_{cp}^{mn})$, if they mark a true message as false is

$$E\left(U_{cp}^{mn}\right) = p_{cp} \left(\frac{CC_{mn}}{n_m} n_{cp} - n_{cp} TC\right) + \left(1 - p_{cp}\right) \left(\frac{CC_{mn}}{n_b} n_{cp}\right). \tag{31}$$

The probability that one of the colluding players is selected as a relay node if the colluding attack is successful is n_{cp}/n_m and that if colluding players play honestly is n_{cp}/n_h . Therefore, the total expected utility sum $E(U_{cp})$ is given as

$$E(U_{cp}) = p_{cp} \left(\frac{CC_{mn}}{n_m} n_{cp} - n_{cp}TC + \left(\frac{n_{cp}}{n_m} \right) n_m TC \right) + \left(1 - p_{cp} \right) \left(\frac{CC_{mn}}{n_h} n_{cp} + \left(\frac{n_{cp}}{n_h} \right) \frac{CC_r}{n_{\text{hop}}} \right).$$
(32)

To prevent collusion, we want $E(U_{cp}) \leq E(U'_{cp})$, where U'_{cp} represents the utility of colluding players playing honestly, i.e.,

$$p_{cp}\left(\frac{CC_{mn}}{n_m}n_{cp}\right) + \left(1 - p_{cp}\right)\left(\frac{CC_{mn}}{n_h}n_{cp} + \left(\frac{n_{cp}}{n_h}\right)\frac{CC_r}{n_{\text{hop}}^{\text{max}}}\right)$$

$$\leq \frac{CC_{mn}}{n_h}n_{cp} + \left(\frac{n_{cp}}{n_h}\right)\frac{CC_r}{n_{\text{hop}}^{\text{max}}}$$
(33)

leads toward the condition $[(n_m CC_r)/(n_{\text{hop}}^{\text{max}}(n_h - n_m))]$. If $CC_{mn} \geq 0$, this condition can only be fulfilled when $n_h \ge n_m$, i.e., when $p_m \le 0.5$. Similarly, if colluding players attempt to mark a false message as true, then $E(U_{cp})$ is given as

$$E(U_{cp}) = p_{cp} \left(\frac{CC_{mn}}{n_m} n_{cp} + \left(\frac{n_{cp}}{n_m} \right) \frac{CC_r}{n_{\text{max}}} \right) + (1 - p_{cp}) \left(\frac{CC_{mn}}{n_h} n_{cp} - n_{cp}TC + \left(\frac{n_{cp}}{n_h} \right) n_h TC \right).$$
(34)

To prevent collusion, we require $E(U_{cp}) \leq E(U'_{cp})$, which leads toward the condition $CC_{mn} \geq [(n_h CC_r)/(n_{\text{hop}}^{\text{max}} \ (n_m - n_h))]$. Combining the condition of Lemma 2, we want, $CC_{mn} \geq \max(n_h TC, [(n_h CC_r)/(n_{\text{hop}}^{\text{max}} \ (n_m - n_h))])$. For $p_m \leq 0.5$, $CC_r > 0$ and $n_{\text{hop}}^{\text{max}} > 0$, we always get $[(n_h CC_r)/(n_{\text{hop}}^{\text{max}} (n_m - n_h))] \leq 0$ and $n_h TC \geq [(n_h CC_r)/(n_{\text{hop}}^{\text{max}} (n_m - n_h))]$. Therefore, we can prove that the incentive distribution mechanism is collusion resistant if $n_h TC \leq CC_{mn} \leq [(n_m CC_r)/(n_{\text{hop}}^{\text{max}} (n_h - n_m))]$ and $p \leq 0.5$.

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Ferheen Ayaz (Graduate Student Member, IEEE) received the B.E. and M.E. degrees from NED University of Engineering and Technology, Karachi, Pakistan, in 2010 and 2014, respectively. She is currently pursuing the Ph.D. degree with the University of Sussex, Brighton, U.K.

Her current research interests include blockchain applications in vehicular communications.



Zhengguo Sheng (Senior Member, IEEE) received the B.Sc. degree from the University of Electronic Science and Technology of China, Chengdu, China, in 2006, and the M.S. and Ph.D. degrees from Imperial College London, London, U.K., in 2007 and 2011, respectively.

He is currently a Senior Lecturer with the University of Sussex, Brighton, U.K. Previously, he was with UBC, Vancouver, BC, Canada, as a Research Associate and with Orange Labs, Santa Monica, CA, USA, as a Senior Researcher. He has

more than 100 publications. His research interests cover IoT, vehicular communications, and cloud/edge computing.



Daxin Tian (Senior Member, IEEE) received the B.S., M.S., and Ph.D. degrees in computer science from the Jilin University, Changchun, China, in July 2002, July 2005, and December 2007, respectively. He is a Professor with the School of Transportation Science and Engineering, Beihang University, Beijing, China. His current research interests include mobile computing, intelligent transportation systems, vehicular ad hoc networks, and swarm intelligence. As a graduate student, he received the IBM Global Best Student Award.



Yong Liang Guan (Senior Member, IEEE) received the Bachelor of Engineering degree (First Class Hons.) from the National University of Singapore, Singapore, in 1991, and the Ph.D. degree from the Imperial College London, London, U.K., in 1997.

He is a Professor of Communication Engineering with the School of Electrical and Electronic Engineering, Nanyang Technological University (NTU), Singapore, where he currently leads two industry collaboration labs (Continental-NTU Corporate Research Lab and Schaeffler Hub for

Advanced Research) and led the successful deployment of the campus-wide NTU-NXP V2X Test Bed. His research interests broadly include coding and signal processing for communication systems and data storage systems.