

# Práctica 1: Sampling and Quantization

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## 1 Task 1

**Question:** Give your interpretation of the resulting graphs. Do the quantization levels correspond with the values you had expected?

Both graphics start at the -FS point, increase the number of bits, decrease the error and add more values we can get.

**Question:** For both cases, represent the quantization error as a function of input amplitude in the range  $[-7, +7]$  and comment on your results. Is this error always within the  $[-\Delta/2, +\Delta/2]$  interval?

The  $[-\Delta/2, +\Delta/2]$  in each case is as follows:

- For  $N = 2$  the  $\Delta$  value we get is  $\Delta = 3,5$ , so the interval should be  $[-1,75, 1,75]$ .
- For  $N = 4$  the  $\Delta$  value we get is  $\Delta = 0,875$ , so the interval should be  $[-0,4375, 0,4375]$ .

So yes, the error is always inside the range.

## 2 Task 2

**Question:** Assume a full-scale sinusoidal input and plot the histogram of the quantization error. Do you observe what you expected, or not?

$\Delta = \frac{2*FS}{2^N} = 0,0098$ , so the  $[-\frac{\Delta}{2}, +\frac{\Delta}{2}]$  interval should be  $[-0,0049, +0,0049]$ . In the histogram we can see that in that interval the error is uniformly distributed, but there is an error tail in the positive extreme. It means that there is **clipping** in the positive.

**Question:** Explain the operation of the Matlab command `var`. Estimate the variance of the quantization error using `var`, and compare it to its theoretical value. Estimate the value (in dB) of the Signal to-Quantization Noise Ratio (SQNR) and compare it to its theoretical value (1). ADD

## 3 Task 3

**Question:** Suppose that you have an N-bit A/D converter with tunable FS, and you know that your input samples follow a symmetric triangular pdf in some interval  $[-x_0, x_0]$ . Intuitively, how would you set the FS value of your converter? What would the resulting rms value  $\sigma_x$  in dBFS be?

The value of FS should be  $x_0$ . And the value of  $\sigma_x = \frac{x_0}{\sqrt{2}}$  and in dBFS would be  $20 \log_{10}(\sqrt{2})$  dBFS.

**Question:** Explain how to generate in Matlab samples of a random variable following a symmetric triangular pdf with zero mean and rms value  $\sigma_0$ . Check the histogram and use the commands `mean` and `var` to validate your approach

`Rand` function allows to give a distribution to generate the values following that distribution. So we need to create that distribution and then give it to `rand()`.