

Measurement of advection of carbon dioxide over grasslands in complex terrains in the Alps

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Background

Estimates of net ecosystem exchange (NEE) have been attracting a lot of attention because of the important role of CO₂ on global warming. The contribution of advection is often ignored in the estimation of NEE; however, some studies reported that more realistic estimates of night-time NEE could be gathered if horizontal and vertical advectons are included. In a preliminary simplified study, advection showed an important contribution to NEE during night time at a sub-alpine grassland site.

Objectives

- To quantify the contribution of advection to the NEE at several grassland sites situated in complex terrain in the Alps.
- To quantify the effect of spatial scale of advection measurements with a given experimental setup.

Methods

We are going to carry out field campaigns at four sites which cover a range of terrain types typical for mountains with varying degrees of complexity. Observations will follow the ‘advection completed mass balance’ (ACMB) approach and will take place in a notional control volume with a length varying from 5 m to 50 m at each site in order to quantify the effects of horizontal spatial scale on advection estimates.

The ACMB approach is applied as follows:

- the storage of CO₂ is calculated from the concentration measurement,
- the vertical turbulent transport is measured by eddy-covariance method and post-processed with the state-of-art quality-control methods,
- the vertical advection as well as
- the horizontal advection is obtained by sampling the air at multiple positions across the faces at three heights of the control volume, and
- NEE is measured by chambers. While most of previous advection experiments have been conducted in forest ecosystems and conceptually hampered by a lack of “ground-truth”, our study on grassland ecosystems has a great advantage as a quantitative estimate of ecosystem-scale NEE could be realized so that the sum of ACMB components could be compared against.

Expected results

- quantitative vertical and horizontal advection estimates for short-statured ecosystems
- assessing whether the limitations of previous advection experiments at forested sites apply to short canopies as well
- systematic assessment of the effects of spatial scale on advection experiments

Acknowledgements

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References

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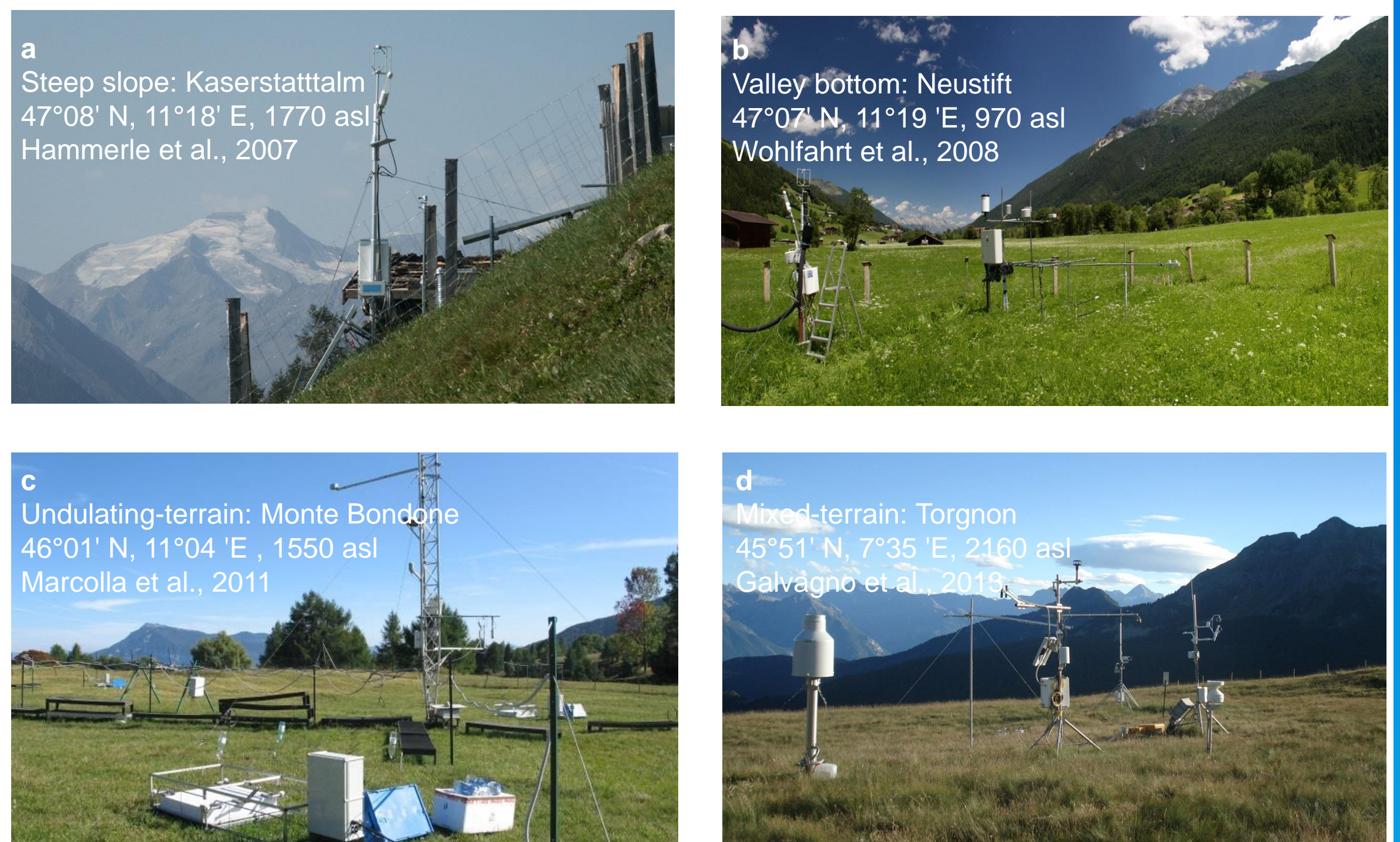


Figure 1: Photographs of the research sites.

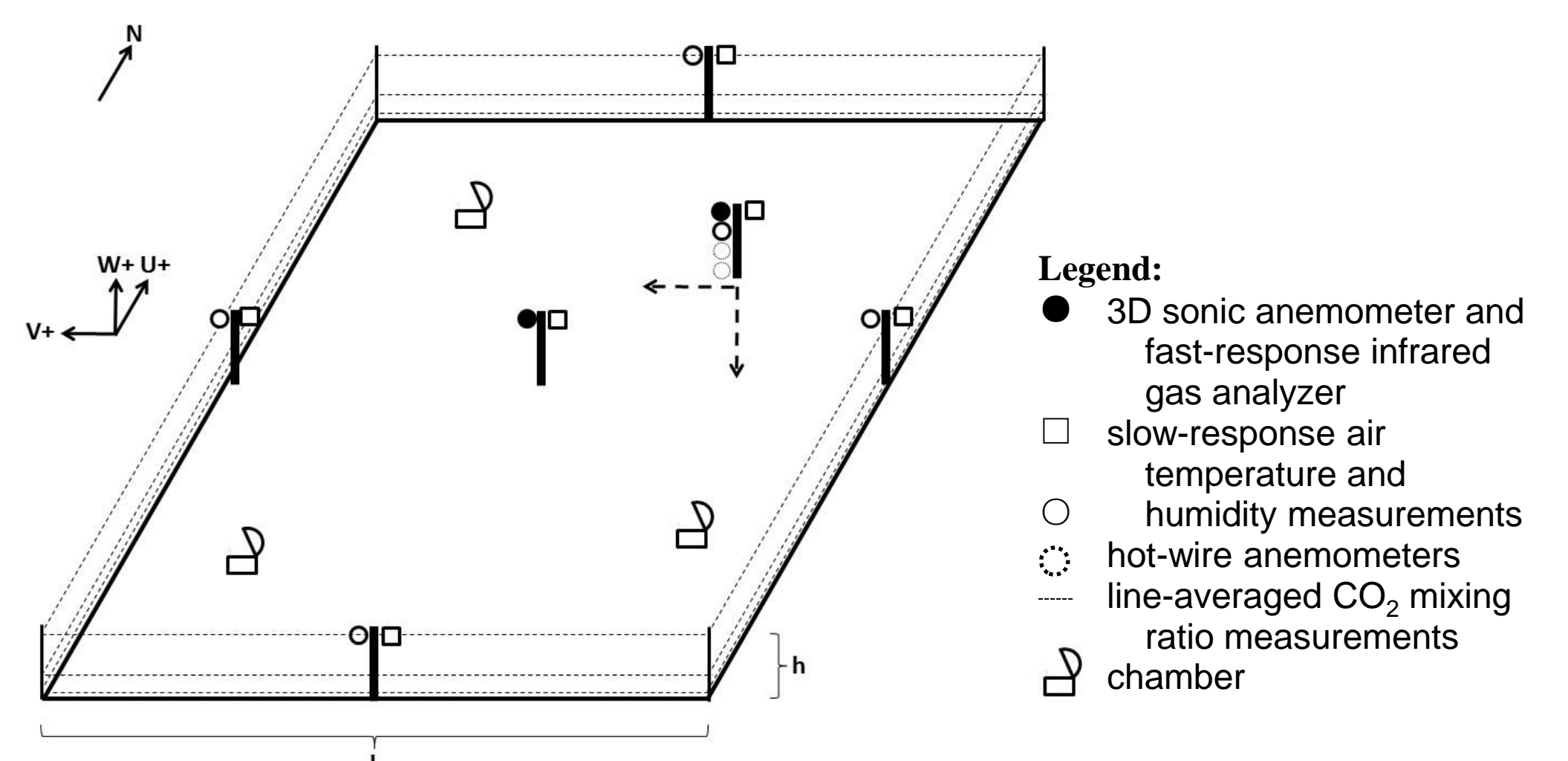


Figure 2: Sketch of planned experimental setup.

Equations	
$\bar{F}_{c,t} = \overline{c_d w' \chi'} _h$	$\bar{F}_{c,s} = \frac{\bar{c}_d}{\Delta t} \left(\sum_{j=1}^3 \langle \chi_{c,j} \rangle \Delta z \Big _{t=\Delta t} - \sum_{j=1}^3 \langle \chi_{c,j} \rangle \Delta z \Big _{t=0} \right)$
Turbulent flux	Storage
Vertical advection flux	Horizontal advection flux
$\bar{F}_{c,v} = \bar{c}_d \langle \overline{w_c(h)} \rangle \langle \langle \overline{\chi_c(h)} \rangle \rangle - \frac{\sum_{j=1}^3 \langle \overline{\chi_{c,j}}(z) \rangle S_j \Delta z}{\sum_{j=1}^3 S_j \Delta z}$	$\bar{F}_{c,h} = \frac{\bar{c}_d u_h}{L} \left(\sum_{j=1}^3 W_j \langle \overline{\chi_{c,j}} \rangle \Big _{x=L} - \sum_{j=1}^3 W_j \langle \overline{\chi_{c,j}} \rangle \Big _{x=0} \right) + \frac{\bar{c}_d v_h}{L} \left(\sum_{j=1}^3 W_j \langle \overline{\chi_{c,j}} \rangle \Big _{y=L} - \sum_{j=1}^3 W_j \langle \overline{\chi_{c,j}} \rangle \Big _{y=0} \right)$
$S(z) = \frac{u(z)}{u_h} = \frac{v(z)}{v_h}$	$W_j = S(z_j) \Delta z_j$

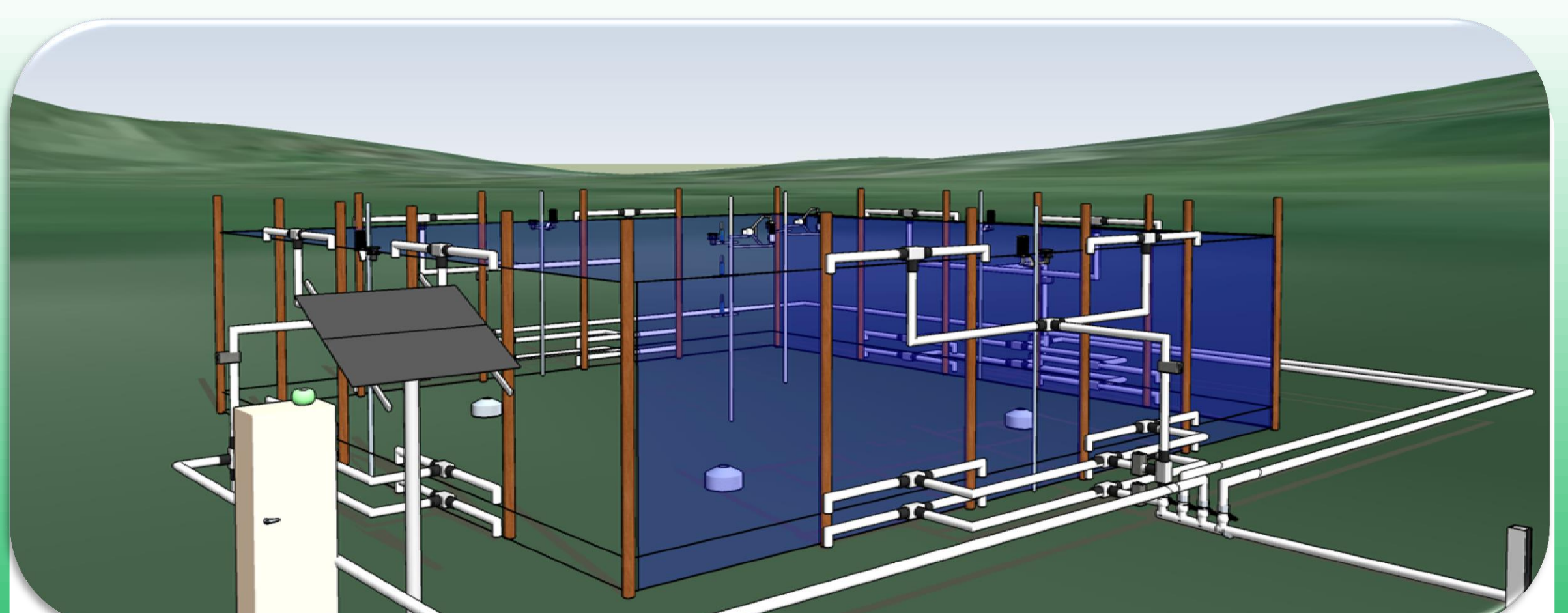


Figure 3: 3D sketch of the experimental setup.