

String-Matching Algorithm

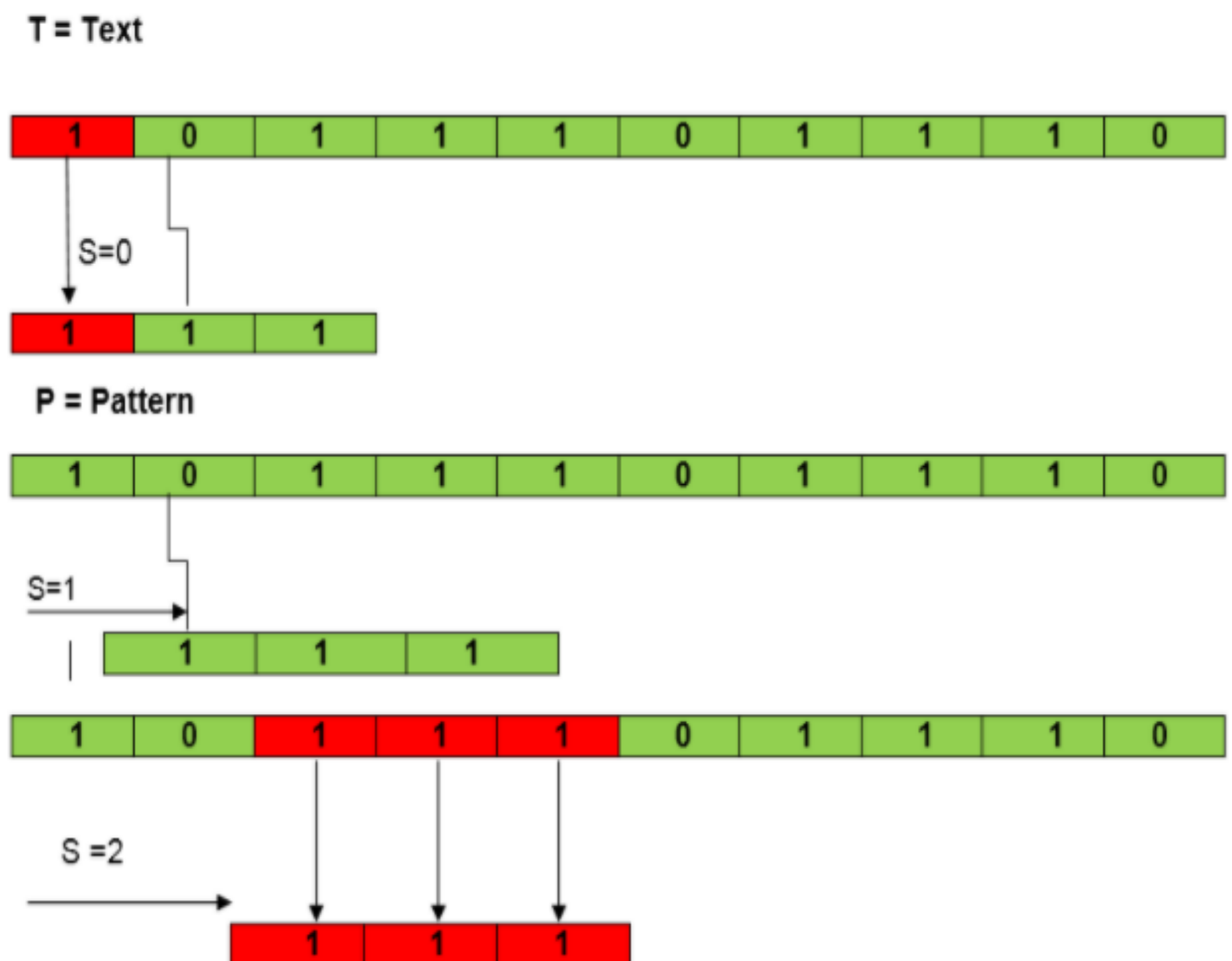
Naïve String-Matching Algorithm

- Naïve pattern searching is the simplest method among other pattern searching algorithms. It checks for all character of the main string to the pattern.
- This algorithm is helpful for smaller texts.
- It does not need any pre-processing phases.
- The naïve approach tests all the possible placement of Pattern P [1.....m] relative to text T [1.....n]. We try shift $s = 0, 1, \dots, n-m$, successively and for each shift s . Compare $T[s+1.....s+m]$ to $P[1.....m]$.

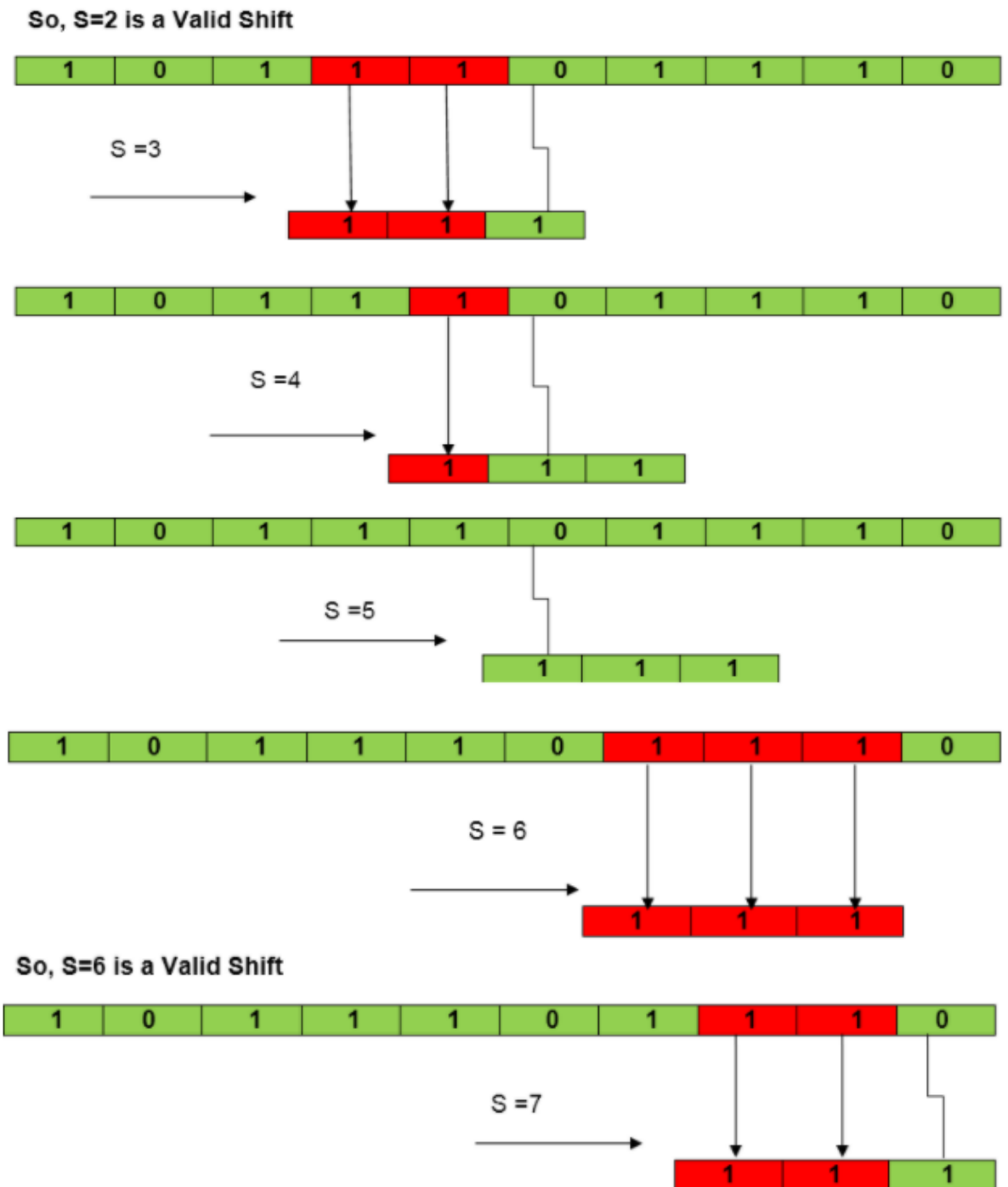
Example:

Suppose $T = 1011101110$

$P = 111$



String-Matching Algorithm



Algorithm:

NAIVE-STRING-MATCHER (T, P)

1. $n \leftarrow \text{length}[T]$
2. $m \leftarrow \text{length}[P]$
3. for $s \leftarrow 0$ to $n - m$

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4. do if $P[1 \dots m] = T[s + 1 \dots s + m]$
5. then print "Pattern occurs with shift" s

Rabin-Karp Algorithm

The Rabin-Karp string matching algorithm calculates a hash value for the pattern, as well as for each M-character subsequence of text to be compared. If the hash values are unequal, the algorithm will determine the hash value for next M-character sequence. If the hash values are equal, the algorithm will analyse the pattern and the M-character sequence. In this way, there is only one comparison per text subsequence, and character matching is only required when the hash values match.

Example:

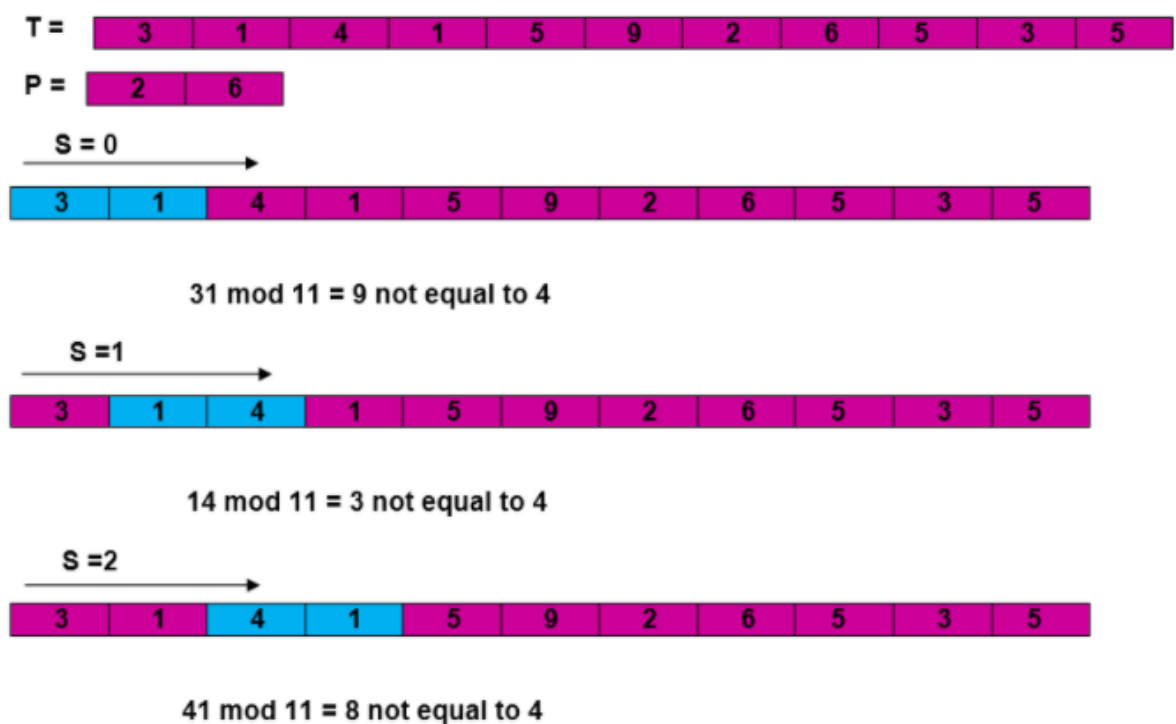
$T = 31415926535 \dots$

$P = 26$

Here T . Length = 11 so $Q = 11$

And $P \bmod Q = 26 \bmod 11 = 4$

Now find the exact match of $P \bmod Q$...



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$15 \bmod 11 = 4$ equal to 4 SPURIOUS HIT



$59 \bmod 11 = 4$ equal to 4 SPURIOUS HIT



$92 \bmod 11 = 4$ equal to 4 SPURIOUS HIT



$26 \bmod 11 = 4$ EXACT MATCH



$65 \bmod 11 = 10$ not equal to 4



$53 \bmod 11 = 9$ not equal to 4



$35 \bmod 11 = 2$ not equal to 4

The Pattern occurs with shift 6.