



# Movements of People in Crowd

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## Introduction

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- Crowd situations are one of the few situations in which humans flock together.
- Interest in determining the basis of crowd effects, for example, in cases where large groups of people must move through a doorway, narrow hall or other restricted environment.



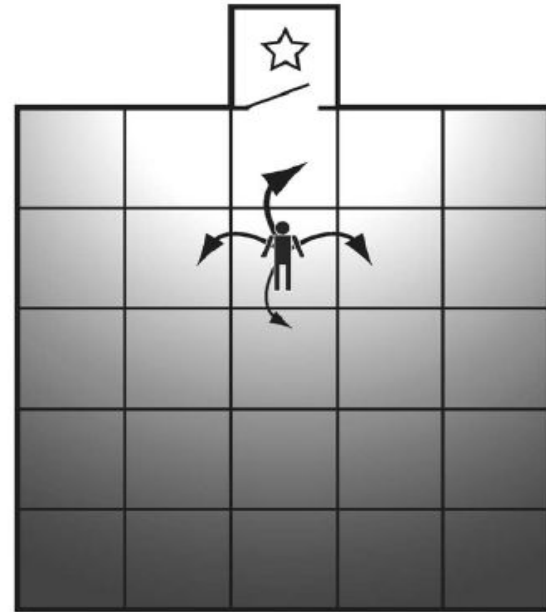
# Kirchner's field model

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- Rectangular grid
- Bosons
- Two individual factors: desire to move toward an exit and desire to follow others
- Two fields: static and dynamic field
- Probability- the score for each cell

# The static field

- Gradient with high values near desirable areas
- Initialised at the beginning of the model run
- Does not change during the run

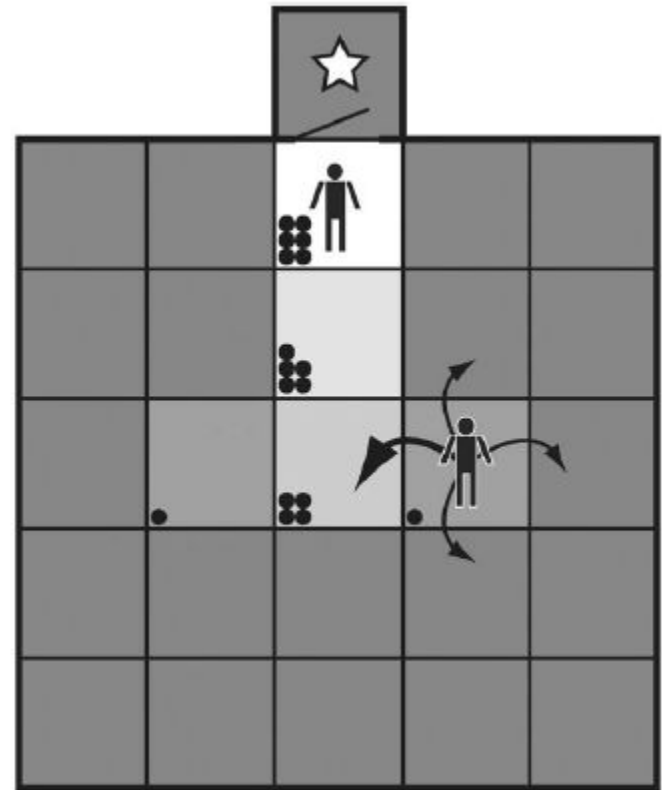


$$S_{ij} = [(a - i)^2 + (b - j)^2]^{1/2},$$

$$S_{ij} = \max_{ij}(S_{ij}) - S_{ij}.$$

# The dynamic field

- Dynamic bosons
- $D_{ij} \rightarrow D_{ij} + 1$
- Each boson decays with probability  $\delta$
- Those bosons which do not decay diffuse with probability  $\alpha$



# Probability

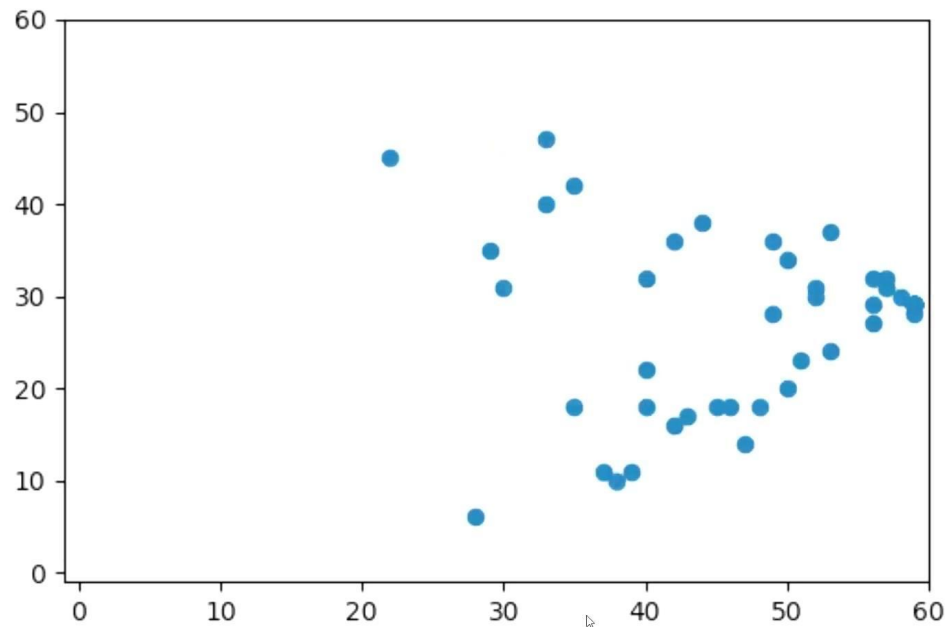
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$$p_{ij} = N \exp(k_D D_{ij}) \exp(k_S S_{ij}) (1 - n_{ij}) \xi_{ij}$$

- $p_{ij}$  - the probability that an agent will select a neighbouring cell (or its own cell) with coordinates (i, j)
- $D_{ij}$  and  $S_{ij}$  - the value of the dynamic and static field
- $n_{ij}$  - the occupation number (0 if unoccupied, 1 otherwise)
- $\xi_{ij}$  - the occupation number (0 for walls and occupied cells, 1 otherwise)
- $N$  - the normalisation number

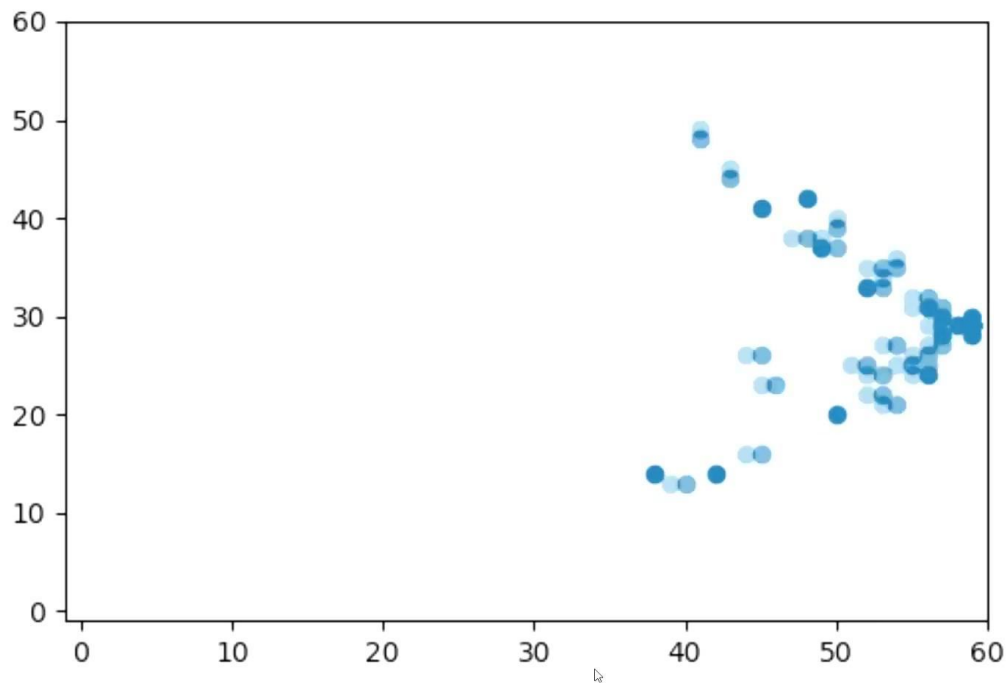
# $K_s=4$ and $K_D=10$

- Number of agents = 60
- 424 iterations



# $K_S=10$ and $K_D=4$

- Number of agents = 60
- 118 iterations







# Conclusion

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- A problem with the Kirchner model is that it abstract physical force out of crowd model entirely.