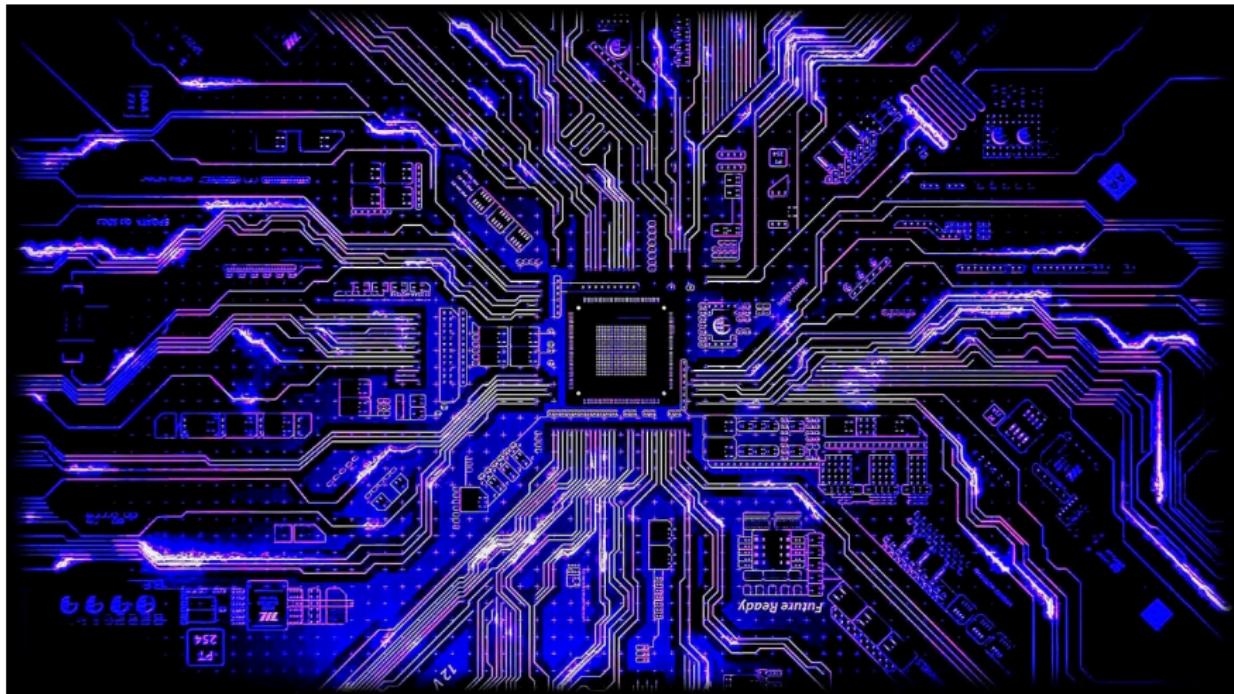


# CSci 127: Introduction to Computer Science



[hunter.cuny.edu/csci](http://hunter.cuny.edu/csci)

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*Strings are surrounded by quotes (either single or double).*

*Variables names (identifiers) for memory locations are not. Ex: 'num' vs. num.*

# Today's Topics



- Recap: Decisions
- Logical Expressions
- Circuits
- Binary Numbers

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- **Recap: Decisions**
- Logical Expressions
- Circuits
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# Challenge

Some challenges with types & decisions:

#What are the types:

```
y1 = 2017
y2 = "2018"
print(type(y1))
print(type("y1"))
print(type(2017))
print(type("2017"))
print(type(y2))
print(type(y1/4.0))

x = int(y2) - y1
if x < 0:
    print(y2)
else:
    print(y1)
```

```
cents = 432
dollars = cents // 100
change = cents % 100
if dollars > 0:
    print('$'+str(dollars))
if change > 0:
    quarters = change // 25
    pennies = change % 25
    print(quarters, "quarters")
    print("and", pennies, "pennies")
```

# Python Tutor

```
#What are the types:  
y1 = 2017  
y2 = "2018"  
print(type(y1))  
print(type("y1"))  
print(type(2017))  
print(type("2017"))  
print(type(y2))  
print(type(y1/4.0))  
  
x = int(y2) - y1  
if x < 0:  
    print(y2)  
else:  
    print(y1)
```

(Demo with pythonTutor)

# Decisions

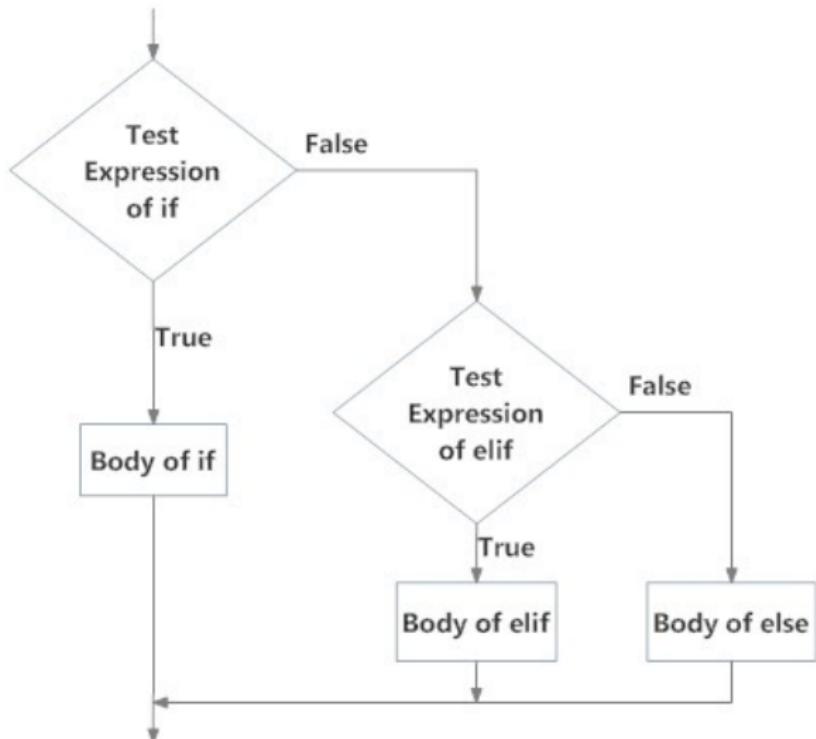
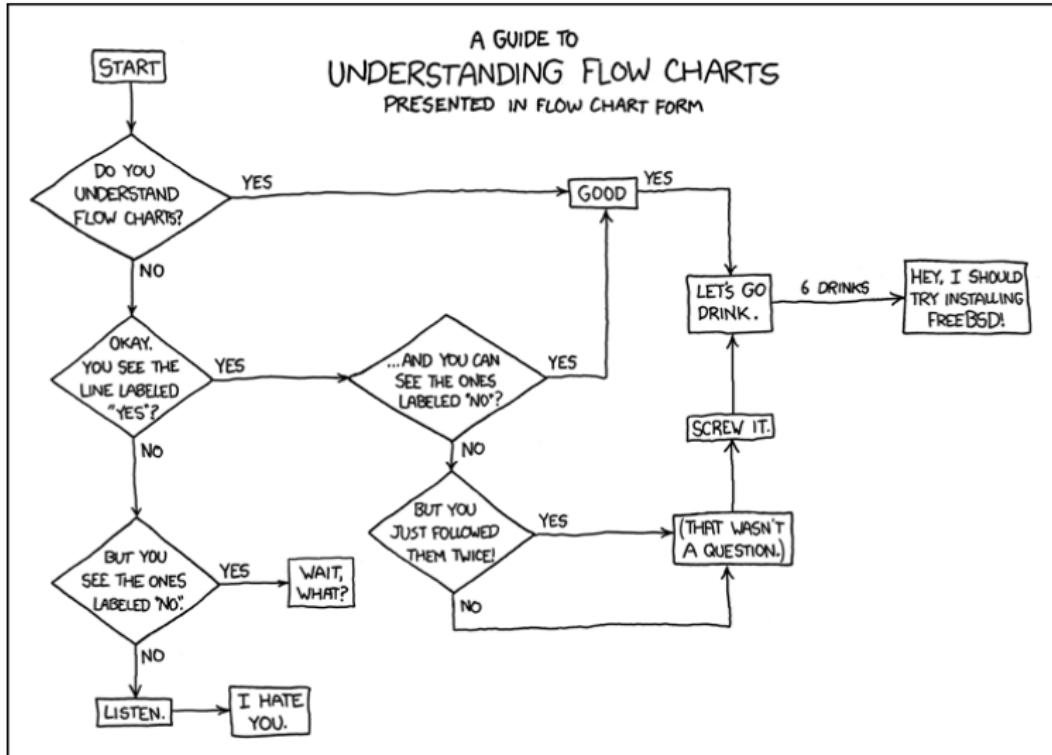


Fig: Operation of if...elif...else statement

# Side Note: Reading Flow Charts



(xkcd/518)

# Today's Topics



- Recap: Decisions
- **Logical Expressions**
- Circuits
- Binary Numbers

# Challenge

*Predict what the code will do:*

```
origin = "Indian Ocean"
winds = 100
if (winds > 74):
    print("Major storm, called a ", end="")
    if origin == "Indian Ocean" or origin == "South Pacific":
        print("cyclone.")
    elif origin == "North Pacific":
        print("typhoon.")
    else:
        print("hurricane.")

visibility = 0.2
winds = 40
conditions = "blowing snow"
if (winds > 35) and (visibility < 0.25) and \
    (conditions == "blowing snow" or conditions == "heavy snow"):
    print("Blizzard!")
```

# Python Tutor

```
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winds = 100
if (winds > 74):
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(Demo with pythonTutor)

# Logical Operators

## and

in1	and	in2	<i>returns:</i>
False	and	False	False
False	and	True	False
True	and	False	False
True	and	True	True

# Logical Operators

**and**

in1	in2	<i>returns:</i>
False	and	False
False	and	True
True	and	False
True	and	True

**or**

in1	in2	<i>returns:</i>
False	or	False
False	or	True
True	or	False
True	or	True

# Logical Operators

**and**

in1		in2	<i>returns:</i>
False	and	False	False
False	and	True	False
True	and	False	False
True	and	True	True

**or**

in1		in2	<i>returns:</i>
False	or	False	False
False	or	True	True
True	or	False	True
True	or	True	True

**not**

	in1	<i>returns:</i>
not	False	True
not	True	False

# Challenge

Predict what the code will do:

```
semHours = 18
reqHours = 120
if semHours >= 12:
    print('Full Time')
else:
    print('Part Time')

pace = reqHours // semHours
if reqHours % semHours != 0:
    pace = pace + 1
print('At this pace, you will graduate in', pace, 'semesters,')
yrs = pace / 2
print('(or', yrs, 'years).')

for i in range(1,20):
    if (i > 10) and (i % 2 == 1):
        print('oddly large')
    else:
        print(i)
```



# Python Tutor

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semHours = 18
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if semHours >= 12:
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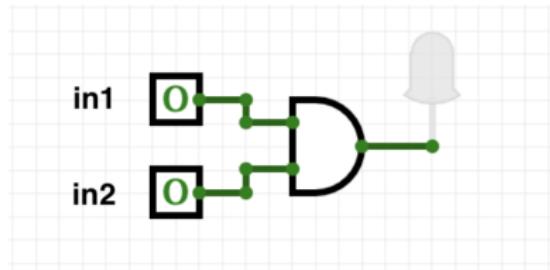
(Demo with pythonTutor)

# Today's Topics



- Recap: Decisions
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- **Circuits**
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# Circuit Demo



(Demo with [circuitverse](#))

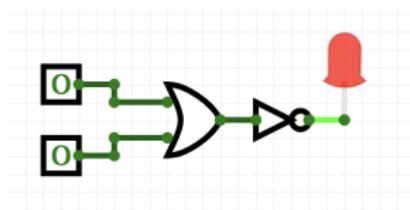
# Challenge

*Predict when these expressions are true:*

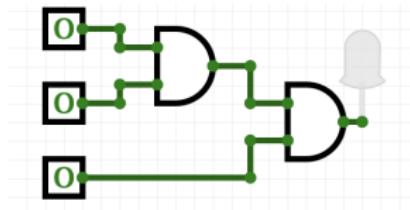
- $\text{in1 or not in1:}$



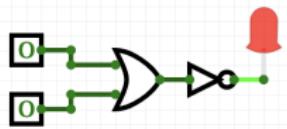
- $\text{not(in1 or in2):}$



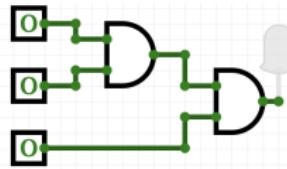
- $\text{(in1 and in2) and in3:}$



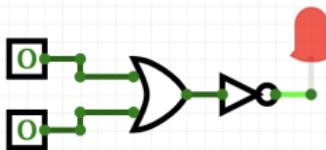
# Circuit Demo



(Demo with `circuitverse`)



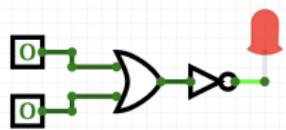
# Challenge



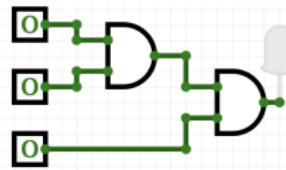
Draw a circuit that corresponds to each logical expression:

- $\text{in1 or in2}$
- $(\text{in1 or in2}) \text{ and } (\text{in1 or in3})$
- $(\text{not(in1 and not in2)}) \text{ or } (\text{in1 and (in2 and in3)})$

# Circuit Demo



(Demo with *circuitverse*)



# Today's Topics



- Recap: Decisions
- Logical Expressions
- Circuits
- **Binary Numbers**

# Binary Numbers

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  - ▶ 1 / 0

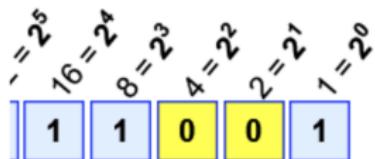
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- Digital logic design allows for two states:
  - ▶ True / False
  - ▶ On / Off (two voltage levels)
  - ▶ 1 / 0
- Computers store numbers using the Binary system (base 2)
- A **bit** (binary digit) being 1 (on) or 0 (off)

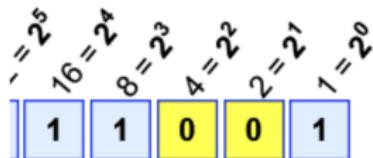
# Binary Numbers



Example:  $1 \times 16 + 1 \times 8 + 1 \times 1 = 16 + 8 + 1 = 25$

- Two digits: **0** and **1**

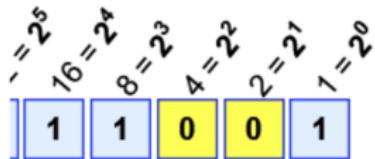
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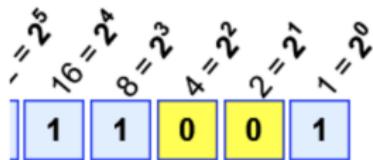
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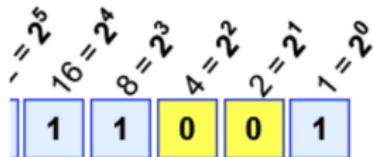
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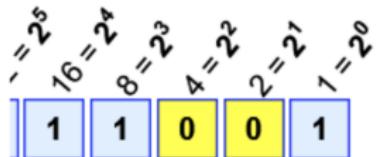
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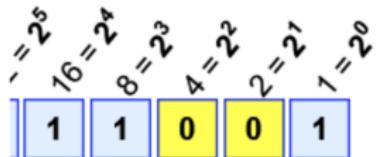
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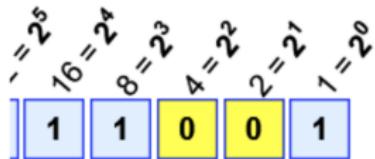
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- In each position the digit is either 0 or 1, so given a binary number we can obtain the decimal equivalent as follows:
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  - ▶ In the "twos" position we either have a 2 or not

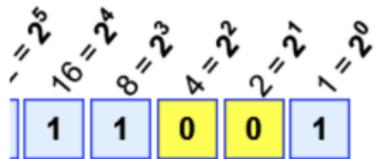
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- **Example:**

$$11001_{\text{base}2} = 16 + 8 + 1 = 25_{\text{base}10}$$

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- Write a program that prints the numbers from 1 to 100. But for multiples of three print “Fizz” instead of the number and for the multiples of five print “Buzz”. For numbers which are multiples of both three and five print “FizzBuzz”.

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1

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1

2

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1

2

Fizz

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1

2

Fizz

4

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1

2

Fizz

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7

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...

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1

2

Fizz

4

Buzz

Fizz

7

...

14

FizzBuzz

- Write the **algorithm** then, if time, write the code.

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- To Do List:
  - ▶ Create a loop that goes from 1 to 100.

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  - ▶ Create a loop that goes from 1 to 100.
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  - ▶ Create a loop that goes from 1 to 100.
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  - ▶ If the number is divisible by 5, print “Buzz”.

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  - ▶ **If divisible by both, print “FizzBuzz”.**
  - ▶ Otherwise print the number.

# Tech Interview Classic

- Write a program that prints the numbers from 1 to 100. But for multiples of three print “Fizz” instead of the number and for the multiples of five print “Buzz”. For numbers which are multiples of both three and five print “FizzBuzz”.
- To Do List:
  - ▶ Create a loop that goes from 1 to 100.
  - ▶ If the number is divisible by 3, print “Fizz”.
  - ▶ If the number is divisible by 5, print “Buzz”.
  - ▶ **If divisible by both, print “FizzBuzz”.**
  - ▶ Otherwise print the number.

*Order matters!!! To print FizzBuzz when i is divisible by both it should be checked first, otherwise it will never get to this case!*

# Tech Interview Classic

- Write a program that prints the numbers from 1 to 100. But for multiples of three print “Fizz” instead of the number and for the multiples of five print “Buzz”. For numbers which are multiples of both three and five print “FizzBuzz”.
- To Do List (**Reordered**):

# Tech Interview Classic

- Write a program that prints the numbers from 1 to 100. But for multiples of three print “Fizz” instead of the number and for the multiples of five print “Buzz”. For numbers which are multiples of both three and five print “FizzBuzz”.
- To Do List (**Reordered**):
  - ▶ Create a loop that goes from 1 to 100.
  - ▶ **If divisible by both 3 and 5, print “FizzBuzz”.**

# Tech Interview Classic

- Write a program that prints the numbers from 1 to 100. But for multiples of three print “Fizz” instead of the number and for the multiples of five print “Buzz”. For numbers which are multiples of both three and five print “FizzBuzz”.
- To Do List (**Reordered**):
  - ▶ Create a loop that goes from 1 to 100.
  - ▶ **If divisible by both 3 and 5, print “FizzBuzz”.**
  - ▶ If the number is divisible by 3, print “Fizz”.
  - ▶ If the number is divisible by 5, print “Buzz”.
  - ▶ Otherwise print the number.
  - ▶ Also should print a new line (so each entry is on its own line).

# Tech Interview Classic

- To Do List:
  - ▶ Create a loop that goes from 1 to 100.
  - ▶ If divisible by both 3 and 5, print “FizzBuzz”.
  - ▶ If the number is divisible by 3, print “Fizz”.
  - ▶ If the number is divisible by 5, print “Buzz”.
  - ▶ Otherwise print the number.
  - ▶ Also should print a new line (so each entry is on its own line).

# Tech Interview Classic

- To Do List:

- ▶ Create a loop that goes from 1 to 100.
- ▶ If divisible by both 3 and 5, print “FizzBuzz”.
- ▶ If the number is divisible by 3, print “Fizz”.
- ▶ If the number is divisible by 5, print “Buzz”.
- ▶ Otherwise print the number.
- ▶ Also should print a new line (so each entry is on its own line).

```
for i in range(1,101):
```

# Tech Interview Classic

- To Do List:

- ▶ Create a loop that goes from 1 to 100.
- ▶ If divisible by both 3 and 5, print “FizzBuzz”.
- ▶ If the number is divisible by 3, print “Fizz”.
- ▶ If the number is divisible by 5, print “Buzz”.
- ▶ Otherwise print the number.
- ▶ Also should print a new line (so each entry is on its own line).

```
for i in range(1,101):
    if i%3 == 0 and i%5 == 0:
        print("FizzBuzz")
```

# Tech Interview Classic

- To Do List:

- ▶ Create a loop that goes from 1 to 100.
- ▶ If divisible by both 3 and 5, print “FizzBuzz”.
- ▶ If the number is divisible by 3, print “Fizz”.
- ▶ If the number is divisible by 5, print “Buzz”.
- ▶ Otherwise print the number.
- ▶ Also should print a new line (so each entry is on its own line).

```
for i in range(1,101):
    if i%3 == 0 and i%5 == 0:
        print("FizzBuzz")
    elif i%3 == 0:
        print("Fizz")
```

# Tech Interview Classic

- To Do List:

- ▶ Create a loop that goes from 1 to 100.
- ▶ If divisible by both 3 and 5, print “FizzBuzz”.
- ▶ If the number is divisible by 3, print “Fizz”.
- ▶ If the number is divisible by 5, print “Buzz”.
- ▶ Otherwise print the number.
- ▶ Also should print a new line (so each entry is on its own line).

```
for i in range(1,101):
    if i%3 == 0 and i%5 == 0:
        print("FizzBuzz")
    elif i%3 == 0:
        print("Fizz")
    elif i%5 == 0:
        print("Buzz")
```

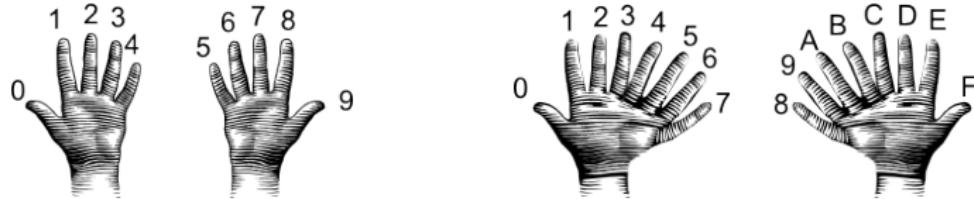
# Tech Interview Classic

- To Do List:

- ▶ Create a loop that goes from 1 to 100.
- ▶ If divisible by both 3 and 5, print “FizzBuzz”.
- ▶ If the number is divisible by 3, print “Fizz”.
- ▶ If the number is divisible by 5, print “Buzz”.
- ▶ Otherwise print the number.
- ▶ Also should print a new line (so each entry is on its own line).

```
for i in range(1,101):
    if i%3 == 0 and i%5 == 0:
        print("FizzBuzz")
    elif i%3 == 0:
        print("Fizz")
    elif i%5 == 0:
        print("Buzz")
    else:
        print(i)
```

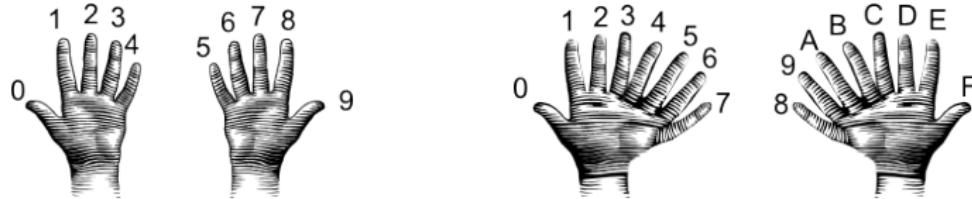
# Hexadecimal to Decimal: Converting Between Bases



(from i-programmer.info)

- From hexadecimal to decimal (assuming two-digit numbers):
  - Convert first digit to decimal and multiple by 16.

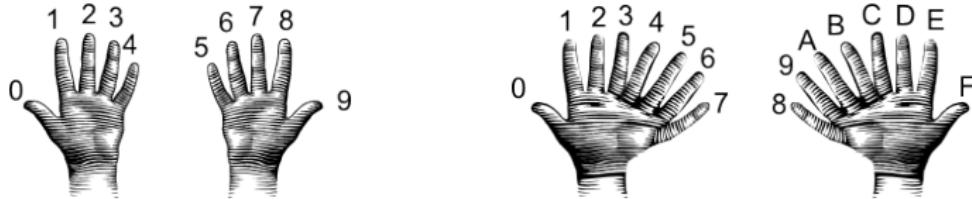
# Hexadecimal to Decimal: Converting Between Bases



(from i-programmer.info)

- From hexadecimal to decimal (assuming two-digit numbers):
  - Convert first digit to decimal and multiple by 16.
  - Convert second digit to decimal and add to total.

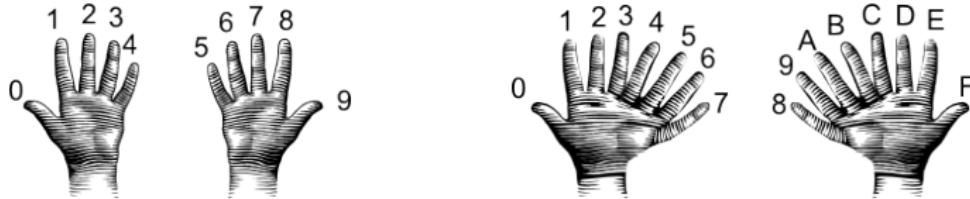
# Hexadecimal to Decimal: Converting Between Bases



(from i-programmer.info)

- From hexadecimal to decimal (assuming two-digit numbers):
  - Convert first digit to decimal and multiple by 16.
  - Convert second digit to decimal and add to total.
  - Example: what is 2A as a decimal number?

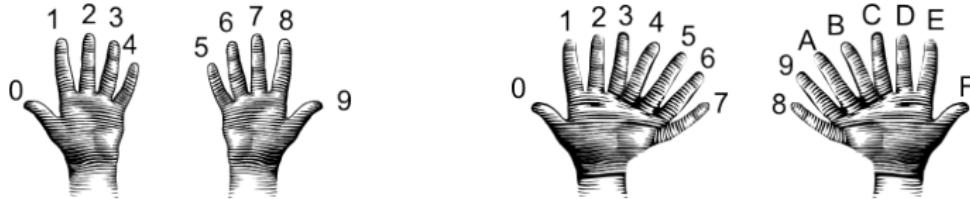
# Hexadecimal to Decimal: Converting Between Bases



(from i-programmer.info)

- From hexadecimal to decimal (assuming two-digit numbers):
  - Convert first digit to decimal and multiple by 16.
  - Convert second digit to decimal and add to total.
  - Example: what is 2A as a decimal number?  
2 in decimal is 2.

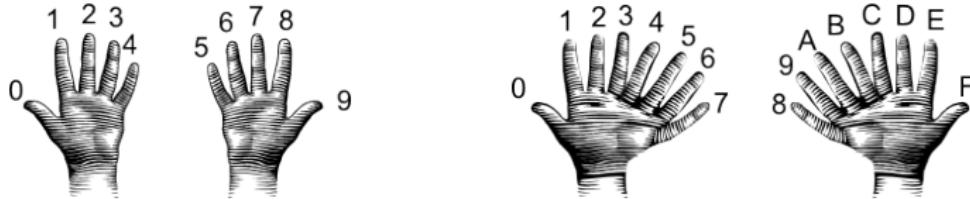
# Hexadecimal to Decimal: Converting Between Bases



(from i-programmer.info)

- From hexadecimal to decimal (assuming two-digit numbers):
  - Convert first digit to decimal and multiple by 16.
  - Convert second digit to decimal and add to total.
  - Example: what is 2A as a decimal number?  
2 in decimal is 2.  $2 \times 16$  is 32.

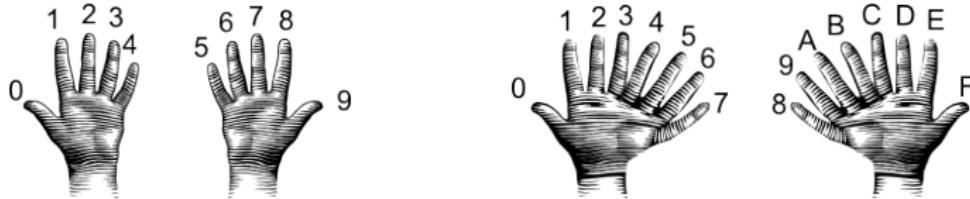
# Hexadecimal to Decimal: Converting Between Bases



(from i-programmer.info)

- From hexadecimal to decimal (assuming two-digit numbers):
  - Convert first digit to decimal and multiple by 16.
  - Convert second digit to decimal and add to total.
  - Example: what is 2A as a decimal number?  
2 in decimal is 2.  $2 \times 16$  is 32.  
A in decimal digits is 10.

# Hexadecimal to Decimal: Converting Between Bases



(from i-programmer.info)

- From hexadecimal to decimal (assuming two-digit numbers):

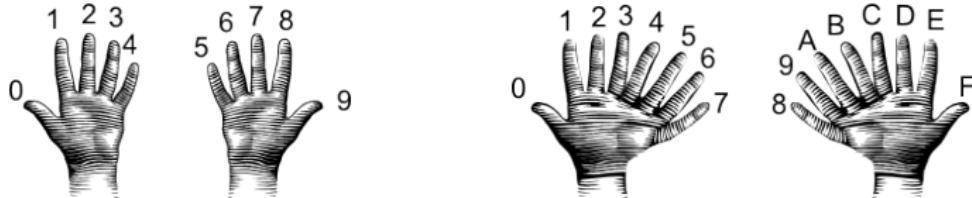
- Convert first digit to decimal and multiple by 16.
  - Convert second digit to decimal and add to total.
  - Example: what is 2A as a decimal number?

2 in decimal is 2.  $2 \times 16$  is 32.

A in decimal digits is 10.

$32 + 10$  is 42.

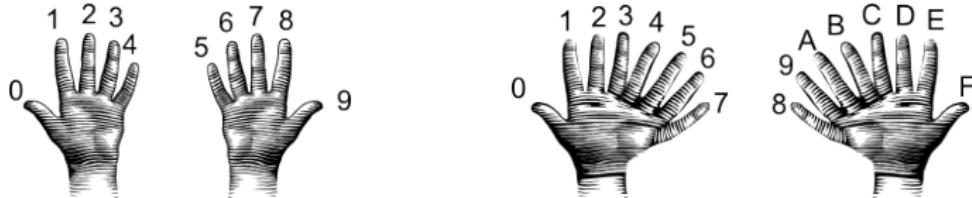
# Hexadecimal to Decimal: Converting Between Bases



(from i-programmer.info)

- From hexadecimal to decimal (assuming two-digit numbers):
  - Convert first digit to decimal and multiple by 16.
  - Convert second digit to decimal and add to total.
  - Example: what is 2A as a decimal number?  
2 in decimal is 2.  $2 \times 16$  is 32.  
A in decimal digits is 10.  
 $32 + 10$  is 42.  
Answer is 42.
  - Example: what is 99 as a decimal number?

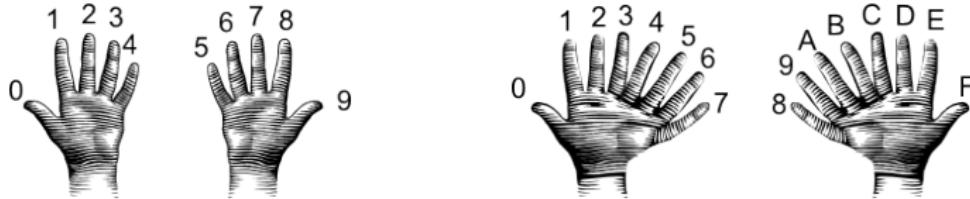
# Hexadecimal to Decimal: Converting Between Bases



(from i-programmer.info)

- From hexadecimal to decimal (assuming two-digit numbers):
  - Convert first digit to decimal and multiple by 16.
  - Convert second digit to decimal and add to total.
  - Example: what is 2A as a decimal number?  
2 in decimal is 2.  $2 \times 16$  is 32.  
A in decimal digits is 10.  
 $32 + 10$  is 42.  
Answer is 42.
  - Example: what is 99 as a decimal number?  
9 in decimal is 9.

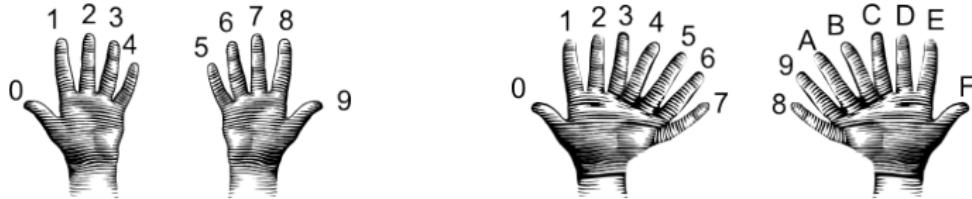
# Hexadecimal to Decimal: Converting Between Bases



(from i-programmer.info)

- From hexadecimal to decimal (assuming two-digit numbers):
  - Convert first digit to decimal and multiple by 16.
  - Convert second digit to decimal and add to total.
  - Example: what is 2A as a decimal number?  
2 in decimal is 2.  $2 \times 16$  is 32.  
A in decimal digits is 10.  
 $32 + 10$  is 42.  
Answer is 42.
  - Example: what is 99 as a decimal number?  
9 in decimal is 9.  $9 \times 16$  is 144.

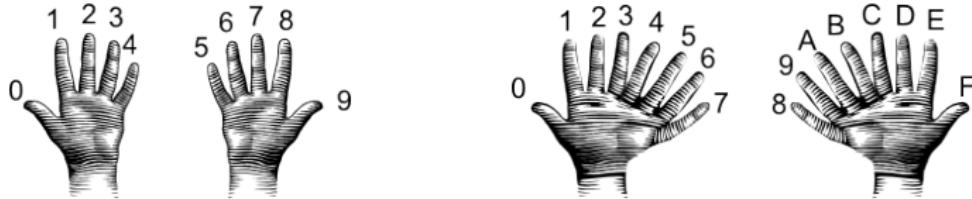
# Hexadecimal to Decimal: Converting Between Bases



(from i-programmer.info)

- From hexadecimal to decimal (assuming two-digit numbers):
  - Convert first digit to decimal and multiple by 16.
  - Convert second digit to decimal and add to total.
  - Example: what is 2A as a decimal number?  
2 in decimal is 2.  $2 \times 16$  is 32.  
A in decimal digits is 10.  
 $32 + 10$  is 42.  
Answer is 42.
  - Example: what is 99 as a decimal number?  
9 in decimal is 9.  $9 \times 16$  is 144.  
9 in decimal digits is 9

# Hexadecimal to Decimal: Converting Between Bases



(from i-programmer.info)

- From hexadecimal to decimal (assuming two-digit numbers):

- Convert first digit to decimal and multiple by 16.
  - Convert second digit to decimal and add to total.
  - Example: what is 2A as a decimal number?

2 in decimal is 2.  $2 \times 16$  is 32.

A in decimal digits is 10.

$32 + 10$  is 42.

Answer is 42.

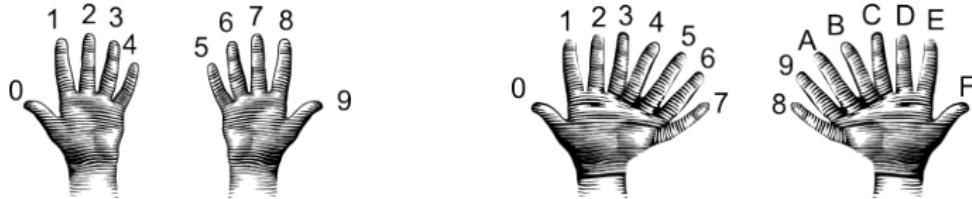
- Example: what is 99 as a decimal number?

9 in decimal is 9.  $9 \times 16$  is 144.

9 in decimal digits is 9

$144 + 9$  is 153.

# Hexadecimal to Decimal: Converting Between Bases



(from i-programmer.info)

- From hexadecimal to decimal (assuming two-digit numbers):

- Convert first digit to decimal and multiple by 16.
  - Convert second digit to decimal and add to total.
  - Example: what is 2A as a decimal number?

2 in decimal is 2.  $2 \times 16$  is 32.

A in decimal digits is 10.

$32 + 10$  is 42.

Answer is 42.

- Example: what is 99 as a decimal number?

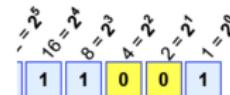
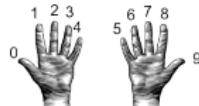
9 in decimal is 9.  $9 \times 16$  is 144.

9 in decimal digits is 9

$144 + 9$  is 153.

Answer is 153.

# Decimal to Binary: Converting Between Bases

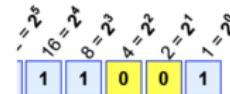
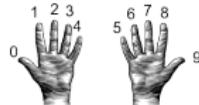


Example:  $1 \times 16 + 1 \times 8 + 1 \times 1 = 16 + 8 + 1 = 25$

- From decimal to binary:

- Divide by  $128 (= 2^7)$ . Quotient is the first digit.

# Decimal to Binary: Converting Between Bases

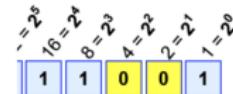
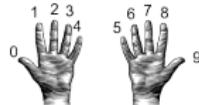


Example:  $1 \times 16 + 1 \times 8 + 1 \times 4 + 0 \times 2 + 1 \times 1 = 16 + 8 + 4 + 1 = 25$

- From decimal to binary:

- Divide by  $128 (= 2^7)$ . Quotient is the first digit.
- Divide remainder by  $64 (= 2^6)$ . Quotient is the next digit.

# Decimal to Binary: Converting Between Bases

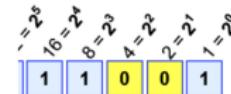
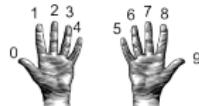


Example:  $1 \times 16 + 1 \times 8 + 1 \times 4 + 1 \times 2 + 1 \times 1 = 16 + 8 + 4 + 2 + 1 = 25$

- From decimal to binary:

- Divide by  $128 (= 2^7)$ . Quotient is the first digit.
- Divide remainder by  $64 (= 2^6)$ . Quotient is the next digit.
- Divide remainder by  $32 (= 2^5)$ . Quotient is the next digit.

# Decimal to Binary: Converting Between Bases

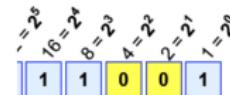


Example:  $1 \times 16 + 1 \times 8 + 1 \times 1 = 16 + 8 + 1 = 25$

- From decimal to binary:

- Divide by  $128 (= 2^7)$ . Quotient is the first digit.
- Divide remainder by  $64 (= 2^6)$ . Quotient is the next digit.
- Divide remainder by  $32 (= 2^5)$ . Quotient is the next digit.
- Divide remainder by  $16 (= 2^4)$ . Quotient is the next digit.

# Decimal to Binary: Converting Between Bases

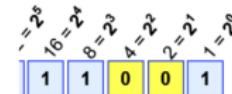


$$\text{Example: } 1 \times 16 + 1 \times 8 + 1 \times 1 = 16 + 8 + 1 = 25$$

- From decimal to binary:

- Divide by 128 ( $= 2^7$ ). Quotient is the first digit.
- Divide remainder by 64 ( $= 2^6$ ). Quotient is the next digit.
- Divide remainder by 32 ( $= 2^5$ ). Quotient is the next digit.
- Divide remainder by 16 ( $= 2^4$ ). Quotient is the next digit.
- Divide remainder by 8 ( $= 2^3$ ). Quotient is the next digit.

# Decimal to Binary: Converting Between Bases

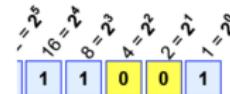
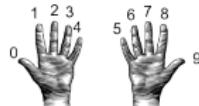


Example:  $1 \times 16 + 1 \times 8 + 1 \times 1 = 16 + 8 + 1 = 25$

- From decimal to binary:

- Divide by  $128 (= 2^7)$ . Quotient is the first digit.
- Divide remainder by  $64 (= 2^6)$ . Quotient is the next digit.
- Divide remainder by  $32 (= 2^5)$ . Quotient is the next digit.
- Divide remainder by  $16 (= 2^4)$ . Quotient is the next digit.
- Divide remainder by  $8 (= 2^3)$ . Quotient is the next digit.
- Divide remainder by  $4 (= 2^2)$ . Quotient is the next digit.

# Decimal to Binary: Converting Between Bases

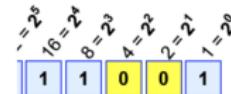
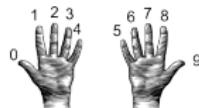


$$\text{Example: } 1 \times 16 + 1 \times 8 + 1 \times 4 + 0 \times 2 + 1 \times 1 = 25$$

- From decimal to binary:

- Divide by  $128 (= 2^7)$ . Quotient is the first digit.
- Divide remainder by  $64 (= 2^6)$ . Quotient is the next digit.
- Divide remainder by  $32 (= 2^5)$ . Quotient is the next digit.
- Divide remainder by  $16 (= 2^4)$ . Quotient is the next digit.
- Divide remainder by  $8 (= 2^3)$ . Quotient is the next digit.
- Divide remainder by  $4 (= 2^2)$ . Quotient is the next digit.
- Divide remainder by  $2 (= 2^1)$ . Quotient is the next digit.

# Decimal to Binary: Converting Between Bases

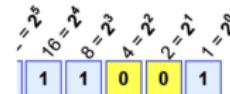
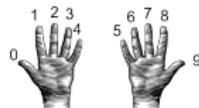


Example:  $1 \times 16 + 1 \times 8 + 1 \times 4 + 1 \times 1 = 16 + 8 + 4 + 1 = 25$

- From decimal to binary:

- Divide by  $128 (= 2^7)$ . Quotient is the first digit.
- Divide remainder by  $64 (= 2^6)$ . Quotient is the next digit.
- Divide remainder by  $32 (= 2^5)$ . Quotient is the next digit.
- Divide remainder by  $16 (= 2^4)$ . Quotient is the next digit.
- Divide remainder by  $8 (= 2^3)$ . Quotient is the next digit.
- Divide remainder by  $4 (= 2^2)$ . Quotient is the next digit.
- Divide remainder by  $2 (= 2^1)$ . Quotient is the next digit.
- The last remainder is the last digit.

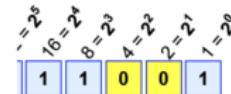
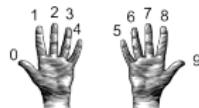
# Decimal to Binary: Converting Between Bases



- From decimal to binary:

- Divide by  $128 (= 2^7)$ . Quotient is the first digit.
- Divide remainder by  $64 (= 2^6)$ . Quotient is the next digit.
- Divide remainder by  $32 (= 2^5)$ . Quotient is the next digit.
- Divide remainder by  $16 (= 2^4)$ . Quotient is the next digit.
- Divide remainder by  $8 (= 2^3)$ . Quotient is the next digit.
- Divide remainder by  $4 (= 2^2)$ . Quotient is the next digit.
- Divide remainder by  $2 (= 2^1)$ . Quotient is the next digit.
- The last remainder is the last digit.
- Example: what is 130 in binary notation?

# Decimal to Binary: Converting Between Bases



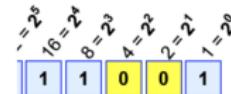
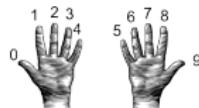
Example:  $1 \times 16 + 1 \times 8 + 1 \times 1 = 16 + 8 + 1 = 25$

- From decimal to binary:

- Divide by  $128 (= 2^7)$ . Quotient is the first digit.
- Divide remainder by  $64 (= 2^6)$ . Quotient is the next digit.
- Divide remainder by  $32 (= 2^5)$ . Quotient is the next digit.
- Divide remainder by  $16 (= 2^4)$ . Quotient is the next digit.
- Divide remainder by  $8 (= 2^3)$ . Quotient is the next digit.
- Divide remainder by  $4 (= 2^2)$ . Quotient is the next digit.
- Divide remainder by  $2 (= 2^1)$ . Quotient is the next digit.
- The last remainder is the last digit.
- Example: what is 130 in binary notation?

$130/128$  is 1 rem 2.

# Decimal to Binary: Converting Between Bases



$$\text{Example: } 1 \times 16 + 1 \times 8 + 1 \times 1 = 16 + 8 + 1 = 25$$

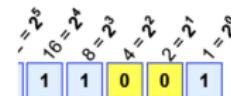
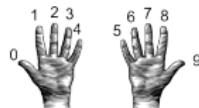
- From decimal to binary:

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- Divide remainder by  $32 (= 2^5)$ . Quotient is the next digit.
- Divide remainder by  $16 (= 2^4)$ . Quotient is the next digit.
- Divide remainder by  $8 (= 2^3)$ . Quotient is the next digit.
- Divide remainder by  $4 (= 2^2)$ . Quotient is the next digit.
- Divide remainder by  $2 (= 2^1)$ . Quotient is the next digit.
- The last remainder is the last digit.

► Example: what is 130 in binary notation?

130/128 is 1 rem 2. First digit is 1:

# Decimal to Binary: Converting Between Bases



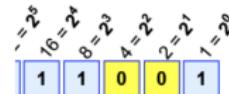
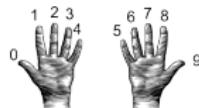
Example:  $1 \times 16 + 1 \times 8 + 1 \times 1 = 16 + 8 + 1 = 25$

- From decimal to binary:

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# Decimal to Binary: Converting Between Bases



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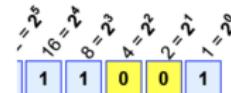
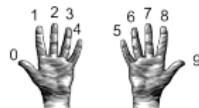
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► Example: what is 130 in binary notation?

130/128 is 1 rem 2. First digit is 1: 1...

2/64 is 0 rem 2. Next digit is 0:

# Decimal to Binary: Converting Between Bases



Example:  $1 \times 16 + 1 \times 8 + 1 \times 1 = 16 + 8 + 1 = 25$

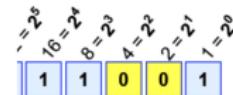
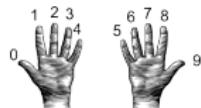
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130/128 is 1 rem 2. First digit is 1: 1...

2/64 is 0 rem 2. Next digit is 0: 10...

# Decimal to Binary: Converting Between Bases



$$\text{Example: } 1 \times 16 + 1 \times 8 + 1 \times 4 + 1 \times 2 + 1 \times 1 = 25$$

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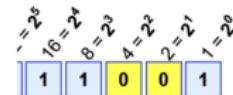
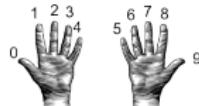
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# Decimal to Binary: Converting Between Bases



$$\text{Example: } 1 \times 16 + 1 \times 8 + 1 \times 4 + 0 \times 2^2 + 0 \times 2^1 + 1 \times 2^0 = 16 + 8 + 4 + 1 = 25$$

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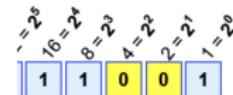
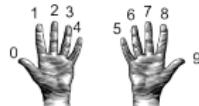
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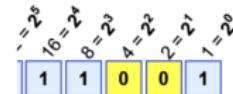
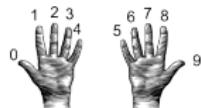
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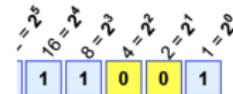
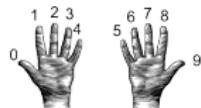
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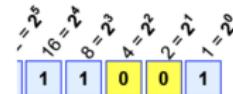
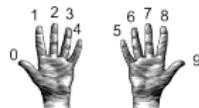
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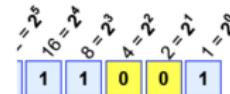
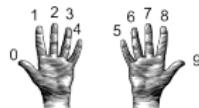
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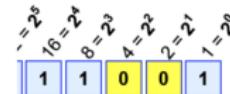
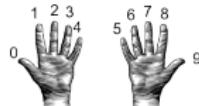
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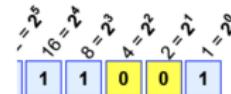
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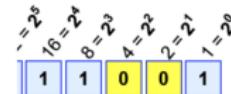
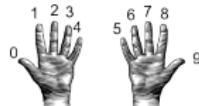
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# Decimal to Binary: Converting Between Bases



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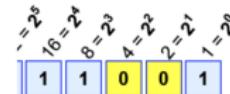
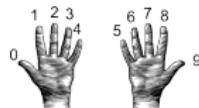
2/32 is 0 rem 2. Next digit is 0: 100...

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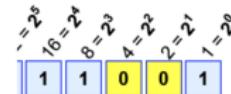
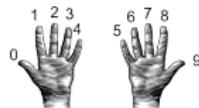
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# Decimal to Binary: Converting Between Bases



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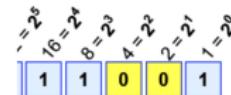
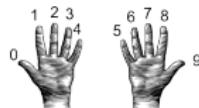
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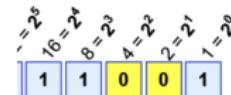
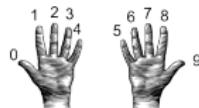
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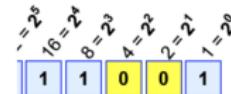
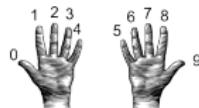
2/16 is 0 rem 2. Next digit is 0: 1000...

2/8 is 0 rem 2. Next digit is 0: 10000...

2/4 is 0 remainder 2. Next digit is 0: 100000...

2/2 is 1 rem 0. Next digit is 1:

# Decimal to Binary: Converting Between Bases



$$\text{Example: } 1 \times 16 + 1 \times 8 + 1 \times 4 + 1 \times 2 + 1 \times 1 = 16 + 8 + 4 + 2 + 1 = 25$$

- From decimal to binary:

- Divide by 128 ( $= 2^7$ ). Quotient is the first digit.
- Divide remainder by 64 ( $= 2^6$ ). Quotient is the next digit.
- Divide remainder by 32 ( $= 2^5$ ). Quotient is the next digit.
- Divide remainder by 16 ( $= 2^4$ ). Quotient is the next digit.
- Divide remainder by 8 ( $= 2^3$ ). Quotient is the next digit.
- Divide remainder by 4 ( $= 2^2$ ). Quotient is the next digit.
- Divide remainder by 2 ( $= 2^1$ ). Quotient is the next digit.
- The last remainder is the last digit.
- Example: what is 130 in binary notation?

130/128 is 1 rem 2. First digit is 1: 1...

2/64 is 0 rem 2. Next digit is 0: 10...

2/32 is 0 rem 2. Next digit is 0: 100...

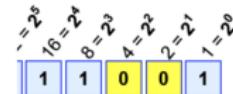
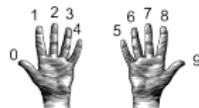
2/16 is 0 rem 2. Next digit is 0: 1000...

2/8 is 0 rem 2. Next digit is 0: 10000...

2/4 is 0 remainder 2. Next digit is 0: 100000...

2/2 is 1 rem 0. Next digit is 1: 1000001...

# Decimal to Binary: Converting Between Bases



Example:  $1 \times 16 + 1 \times 8 + 1 \times 1 = 16 + 8 + 1 = 25$

- From decimal to binary:

- Divide by 128 ( $= 2^7$ ). Quotient is the first digit.
- Divide remainder by 64 ( $= 2^6$ ). Quotient is the next digit.
- Divide remainder by 32 ( $= 2^5$ ). Quotient is the next digit.
- Divide remainder by 16 ( $= 2^4$ ). Quotient is the next digit.
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- Divide remainder by 2 ( $= 2^1$ ). Quotient is the next digit.
- The last remainder is the last digit.
- Example: what is 130 in binary notation?

130/128 is 1 rem 2. First digit is 1: 1...

2/64 is 0 rem 2. Next digit is 0: 10...

2/32 is 0 rem 2. Next digit is 0: 100...

2/16 is 0 rem 2. Next digit is 0: 1000...

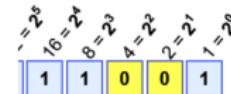
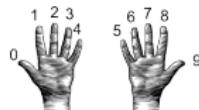
2/8 is 0 rem 2. Next digit is 0: 10000...

2/4 is 0 remainder 2. Next digit is 0: 100000...

2/2 is 1 rem 0. Next digit is 1: 1000001...

Adding the last remainder: 10000010

# Decimal to Binary: Converting Between Bases



Example:  $1 \times 16 + 1 \times 8 + 1 \times 1 = 16 + 8 + 1 = 25$

- From decimal to binary:

- Divide by  $128 (= 2^7)$ . Quotient is the first digit.
- Divide remainder by  $64 (= 2^6)$ . Quotient is the next digit.
- Divide remainder by  $32 (= 2^5)$ . Quotient is the next digit.
- Divide remainder by  $16 (= 2^4)$ . Quotient is the next digit.
- Divide remainder by  $8 (= 2^3)$ . Quotient is the next digit.
- Divide remainder by  $4 (= 2^2)$ . Quotient is the next digit.
- Divide remainder by  $2 (= 2^1)$ . Quotient is the next digit.
- The last remainder is the last digit.
- Example: what is 130 in binary notation?

130/128 is 1 rem 2. First digit is 1: 1...

2/64 is 0 rem 2. Next digit is 0: 10...

2/32 is 0 rem 2. Next digit is 0: 100...

2/16 is 0 rem 2. Next digit is 0: 1000...

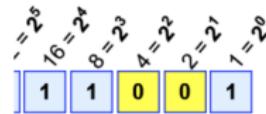
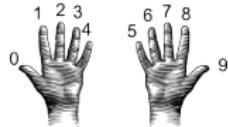
2/8 is 0 rem 2. Next digit is 0: 10000...

2/4 is 0 remainder 2. Next digit is 0: 100000...

2/2 is 1 rem 0. Next digit is 1: 1000001...

Adding the last remainder: 10000010

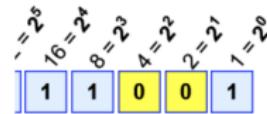
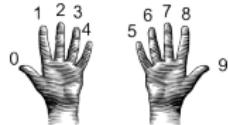
# Decimal to Binary: Converting Between Bases



Example:  $1 \times 16 + 1 \times 8 + 1 \times 1 = 16 + 8 + 1 = 25$

- Example: what is 99 in binary notation?

# Decimal to Binary: Converting Between Bases

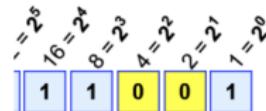
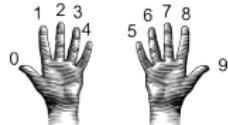


Example:  $1 \times 16 + 1 \times 8 + 1 \times 1 = 16 + 8 + 1 = 25$

- Example: what is 99 in binary notation?

$99 / 128$  is 0 rem 99.

# Decimal to Binary: Converting Between Bases

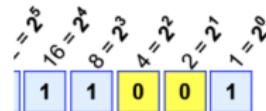
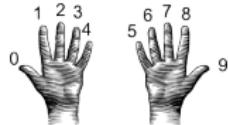


Example:  $1 \times 16 + 1 \times 8 + 1 \times 1 = 16 + 8 + 1 = 25$

- Example: what is 99 in binary notation?

99/128 is 0 rem 99. First digit is 0:

# Decimal to Binary: Converting Between Bases



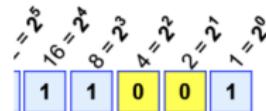
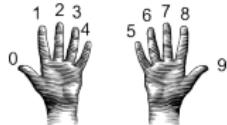
Example:  $1 \times 16 + 1 \times 8 + 1 \times 1 = 16 + 8 + 1 = 25$

- Example: what is 99 in binary notation?

99/128 is 0 rem 99. First digit is 0: 0...

99/64 is 1 rem 35.

# Decimal to Binary: Converting Between Bases



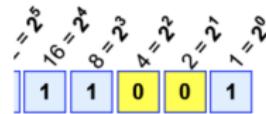
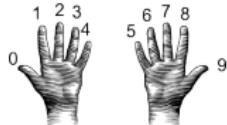
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# Decimal to Binary: Converting Between Bases



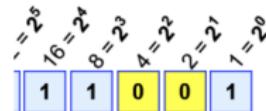
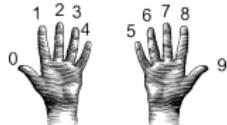
Example:  $1 \times 16 + 1 \times 8 + 1 \times 4 + 0 \times 2 + 1 \times 1 = 16 + 8 + 4 + 1 = 25$

- Example: what is 99 in binary notation?

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# Decimal to Binary: Converting Between Bases



Example:  $1 \times 16 + 1 \times 8 + 1 \times 1 = 16 + 8 + 1 = 25$

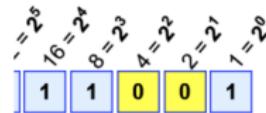
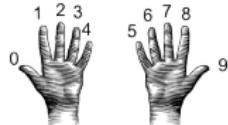
- Example: what is 99 in binary notation?

99/128 is 0 rem 99. First digit is 0: 0...

99/64 is 1 rem 35. Next digit is 1: 01...

35/32 is 1 rem 3.

# Decimal to Binary: Converting Between Bases



Example:  $1 \times 16 + 1 \times 8 + 1 \times 1 = 16 + 8 + 1 = 25$

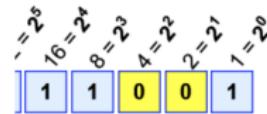
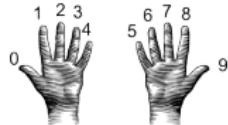
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# Decimal to Binary: Converting Between Bases



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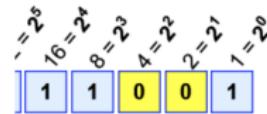
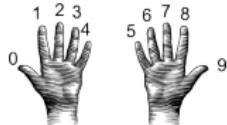
- Example: what is 99 in binary notation?

99/128 is 0 rem 99. First digit is 0: 0...

99/64 is 1 rem 35. Next digit is 1: 01...

35/32 is 1 rem 3. Next digit is 1: 011...

# Decimal to Binary: Converting Between Bases



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- Example: what is 99 in binary notation?

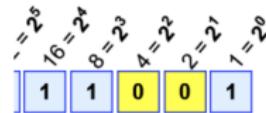
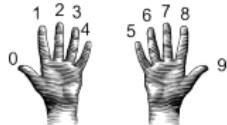
99/128 is 0 rem 99. First digit is 0: 0...

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3/16 is 0 rem 3.

# Decimal to Binary: Converting Between Bases



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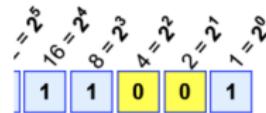
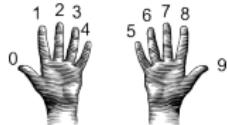
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# Decimal to Binary: Converting Between Bases



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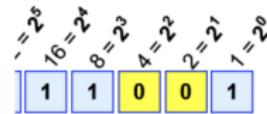
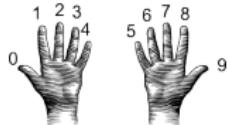
99/128 is 0 rem 99. First digit is 0: 0...

99/64 is 1 rem 35. Next digit is 1: 01...

35/32 is 1 rem 3. Next digit is 1: 011...

3/16 is 0 rem 3. Next digit is 0: 0110...

# Decimal to Binary: Converting Between Bases



Example:  $1 \times 16 + 1 \times 8 + 1 \times 1 = 16 + 8 + 1 = 25$

- Example: what is 99 in binary notation?

99/128 is 0 rem 99. First digit is 0: 0...

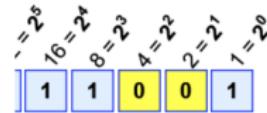
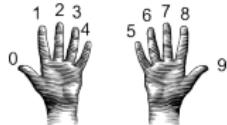
99/64 is 1 rem 35. Next digit is 1: 01...

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3/8 is 0 rem 3.

# Decimal to Binary: Converting Between Bases



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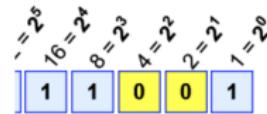
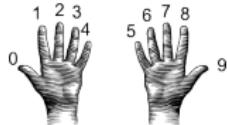
99/64 is 1 rem 35. Next digit is 1: 01...

35/32 is 1 rem 3. Next digit is 1: 011...

3/16 is 0 rem 3. Next digit is 0: 0110...

3/8 is 0 rem 3. Next digit is 0:

# Decimal to Binary: Converting Between Bases



Example:  $1 \times 16 + 1 \times 8 + 1 \times 4 + 0 \times 2 + 1 \times 1 = 16 + 8 + 4 + 1 = 25$

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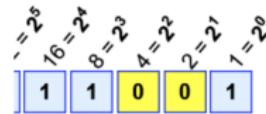
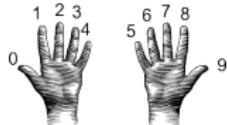
99/64 is 1 rem 35. Next digit is 1: 01...

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# Decimal to Binary: Converting Between Bases



Example:  $1 \times 16 + 1 \times 8 + 1 \times 4 + 0 \times 2 + 1 \times 1 = 16 + 8 + 4 + 0 + 1 = 25$

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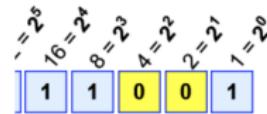
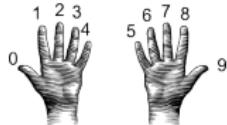
35/32 is 1 rem 3. Next digit is 1: 011...

3/16 is 0 rem 3. Next digit is 0: 0110...

3/8 is 0 rem 3. Next digit is 0: 01100...

3/4 is 0 remainder 3.

# Decimal to Binary: Converting Between Bases



Example:  $1 \times 16 + 1 \times 8 + 1 \times 1 = 16 + 8 + 1 = 25$

- Example: what is 99 in binary notation?

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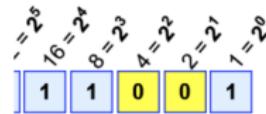
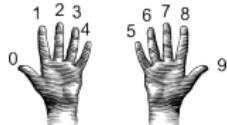
35/32 is 1 rem 3. Next digit is 1: 011...

3/16 is 0 rem 3. Next digit is 0: 0110...

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3/4 is 0 remainder 3. Next digit is 0:

# Decimal to Binary: Converting Between Bases



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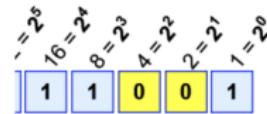
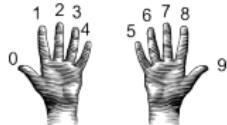
35/32 is 1 rem 3. Next digit is 1: 011...

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3/8 is 0 rem 3. Next digit is 0: 01100...

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# Decimal to Binary: Converting Between Bases



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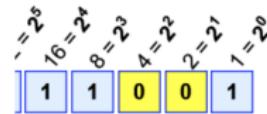
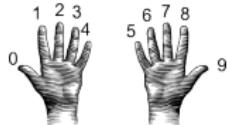
3/16 is 0 rem 3. Next digit is 0: 0110...

3/8 is 0 rem 3. Next digit is 0: 01100...

3/4 is 0 remainder 3. Next digit is 0: 011000...

3/2 is 1 rem 1.

# Decimal to Binary: Converting Between Bases



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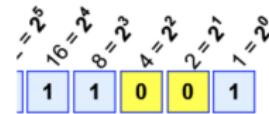
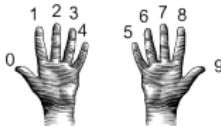
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# Decimal to Binary: Converting Between Bases



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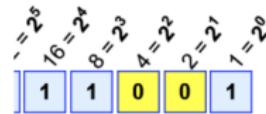
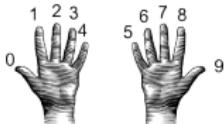
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# Decimal to Binary: Converting Between Bases



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3/16 is 0 rem 3. Next digit is 0: 0110...

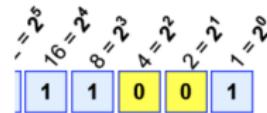
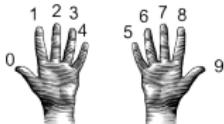
3/8 is 0 rem 3. Next digit is 0: 01100...

3/4 is 0 remainder 3. Next digit is 0: 011000...

3/2 is 1 rem 1. Next digit is 1: 0110001...

Adding the last remainder: 01100011

# Decimal to Binary: Converting Between Bases



Example:  $1 \times 16 + 1 \times 8 + 1 \times 1 = 16 + 8 + 1 = 25$

- Example: what is 99 in binary notation?

99/128 is 0 rem 99. First digit is 0: 0...

99/64 is 1 rem 35. Next digit is 1: 01...

35/32 is 1 rem 3. Next digit is 1: 011...

3/16 is 0 rem 3. Next digit is 0: 0110...

3/8 is 0 rem 3. Next digit is 0: 01100...

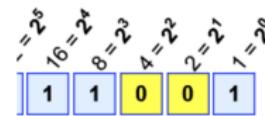
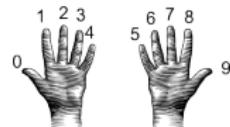
3/4 is 0 remainder 3. Next digit is 0: 011000...

3/2 is 1 rem 1. Next digit is 1: 0110001...

Adding the last remainder: 01100011

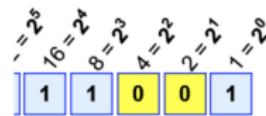
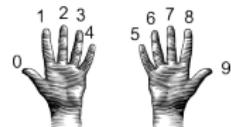
Answer is 1100011.

# Binary to Decimal: Converting Between Bases



- From binary to decimal:
  - Set sum = last digit.

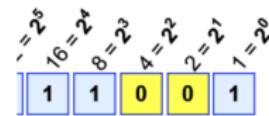
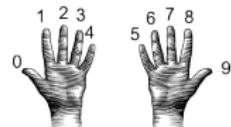
# Binary to Decimal: Converting Between Bases



Example:  $1 \times 16 + 1 \times 8 + 1 \times 4 + 0 \times 2 + 1 \times 1 = 16 + 8 + 4 + 0 + 1 = 25$

- From binary to decimal:
  - Set sum = last digit.
  - Multiply next digit by 2 =  $2^1$ . Add to sum.

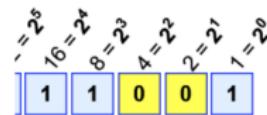
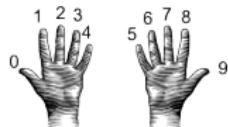
# Binary to Decimal: Converting Between Bases



Example:  $1 \times 16 + 1 \times 8 + 1 \times 1 = 16 + 8 + 1 = 25$

- From binary to decimal:
  - Set sum = last digit.
  - Multiply next digit by  $2 = 2^1$ . Add to sum.
  - Multiply next digit by  $4 = 2^2$ . Add to sum.

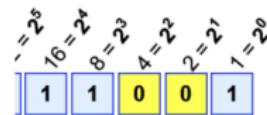
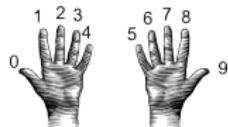
# Binary to Decimal: Converting Between Bases



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# Binary to Decimal: Converting Between Bases

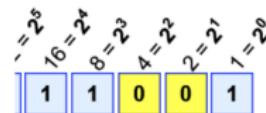
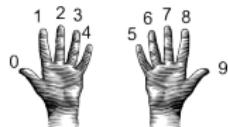


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- Set sum = last digit.
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# Binary to Decimal: Converting Between Bases

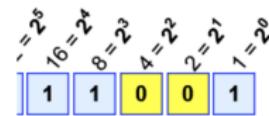
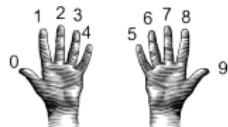


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# Binary to Decimal: Converting Between Bases

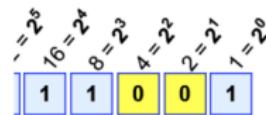
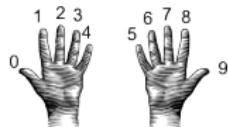


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# Binary to Decimal: Converting Between Bases

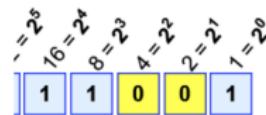
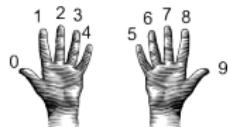


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# Binary to Decimal: Converting Between Bases

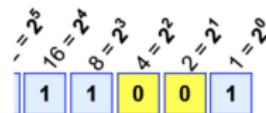
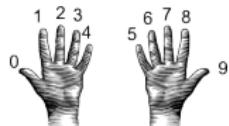


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- Sum is the decimal number.

# Binary to Decimal: Converting Between Bases



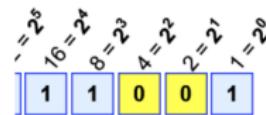
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- Sum is the decimal number.
- Example: What is 111101 in decimal?

Sum starts with:

# Binary to Decimal: Converting Between Bases



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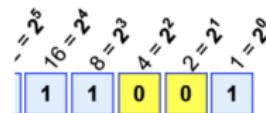
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- Multiply next digit by  $128 = 2^7$ . Add to sum.
- Sum is the decimal number.
- Example: What is 111101 in decimal?

Sum starts with: 1

$0 * 2 = 0$ . Add 0 to sum:

# Binary to Decimal: Converting Between Bases



Example:  $1 \times 16 + 1 \times 8 + 1 \times 1 = 16 + 8 + 1 = 25$

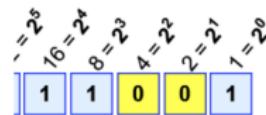
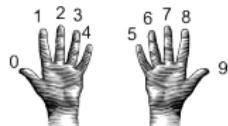
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- Example: What is 111101 in decimal?

Sum starts with: 1

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# Binary to Decimal: Converting Between Bases



Example:  $1 \times 16 + 1 \times 8 + 0 \times 4 + 0 \times 2 + 1 \times 1 = 16 + 8 + 1 = 25$

- From binary to decimal:

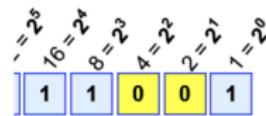
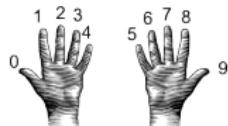
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- Sum is the decimal number.
- Example: What is 111101 in decimal?

Sum starts with: 1

$0 \times 2 = 0$ . Add 0 to sum: 1

$1 \times 4 = 4$ . Add 4 to sum:

# Binary to Decimal: Converting Between Bases



Example:  $1 \times 16 + 1 \times 8 + 1 \times 1 = 16 + 8 + 1 = 25$

- From binary to decimal:

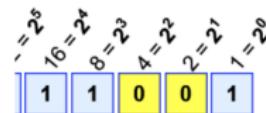
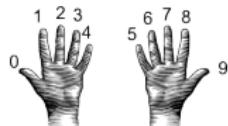
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- Multiply next digit by  $2^7$ . Add to sum.
- Sum is the decimal number.
- Example: What is 111101 in decimal?

Sum starts with: 1

$0 \times 2 = 0$ . Add 0 to sum: 1

$1 \times 4 = 4$ . Add 4 to sum: 5

# Binary to Decimal: Converting Between Bases



Example:  $1 \times 16 + 1 \times 8 + 0 \times 4 + 0 \times 2 + 1 \times 1 = 16 + 8 + 1 = 25$

- From binary to decimal:

- Set sum = last digit.
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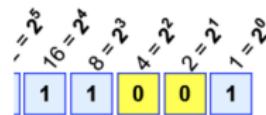
Sum starts with: 1

$0 \times 2 = 0$ . Add 0 to sum: 1

$1 \times 4 = 4$ . Add 4 to sum: 5

$1 \times 8 = 8$ . Add 8 to sum:

# Binary to Decimal: Converting Between Bases



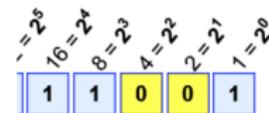
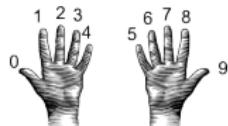
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- Multiply next digit by  $2^7$ . Add to sum.
- Sum is the decimal number.
- Example: What is 111101 in decimal?

Sum starts with: 1  
 $0 \times 2 = 0$ . Add 0 to sum: 1  
 $1 \times 4 = 4$ . Add 4 to sum: 5  
 $1 \times 8 = 8$ . Add 8 to sum: 13

# Binary to Decimal: Converting Between Bases



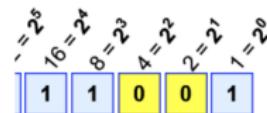
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- Example: What is 111101 in decimal?

Sum starts with: 1  
0\*2 = 0. Add 0 to sum: 1  
1\*4 = 4. Add 4 to sum: 5  
1\*8 = 8. Add 8 to sum: 13  
1\*16 = 16. Add 16 to sum:

# Binary to Decimal: Converting Between Bases



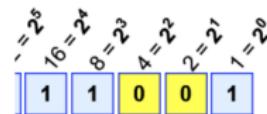
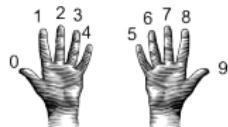
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- Example: What is 111101 in decimal?

Sum starts with: 1  
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1\*4 = 4. Add 4 to sum: 5  
1\*8 = 8. Add 8 to sum: 13  
1\*16 = 16. Add 16 to sum: 29

# Binary to Decimal: Converting Between Bases



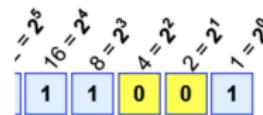
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- Example: What is 111101 in decimal?

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 $1 \times 16 = 16$ . Add 16 to sum: 29  
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# Binary to Decimal: Converting Between Bases



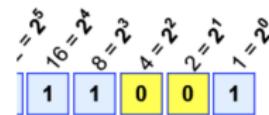
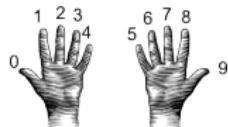
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- Sum is the decimal number.
- Example: What is 111101 in decimal?

Sum starts with:	1
$0 \times 2 = 0$ . Add 0 to sum:	1
$1 \times 4 = 4$ . Add 4 to sum:	5
$1 \times 8 = 8$ . Add 8 to sum:	13
$1 \times 16 = 16$ . Add 16 to sum:	29
$1 \times 32 = 32$ . Add 32 to sum:	61

# Binary to Decimal: Converting Between Bases



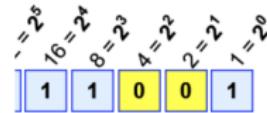
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- Example: What is 111101 in decimal?

Sum starts with:	1
$0 \times 2 = 0$ . Add 0 to sum:	1
$1 \times 4 = 4$ . Add 4 to sum:	5
$1 \times 8 = 8$ . Add 8 to sum:	13
$1 \times 16 = 16$ . Add 16 to sum:	29
$1 \times 32 = 32$ . Add 32 to sum:	61

# Binary to Decimal: Converting Between Bases

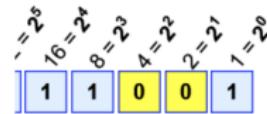
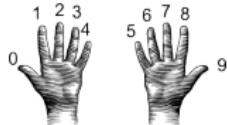


Example:  $1 \times 16 + 1 \times 8 + 1 \times 1 = 16 + 8 + 1 = 25$

- Example: What is 10100100 in decimal?

Sum starts with:

# Binary to Decimal: Converting Between Bases



Example:  $1 \times 16 + 1 \times 8 + 1 \times 1 = 16 + 8 + 1 = 25$

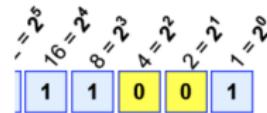
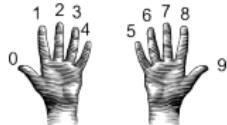
- Example: What is 10100100 in decimal?

Sum starts with:

0

$0 \times 2 = 0.$  Add 0 to sum:

# Binary to Decimal: Converting Between Bases



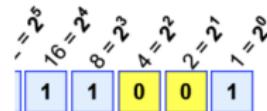
Example:  $1 \times 16 + 1 \times 8 + 1 \times 1 = 16 + 8 + 1 = 25$

- Example: What is 10100100 in decimal?

Sum starts with: 0

$0 * 2 = 0.$  Add 0 to sum: 0

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Example:  $1 \times 16 + 1 \times 8 + 1 \times 1 = 16 + 8 + 1 = 25$

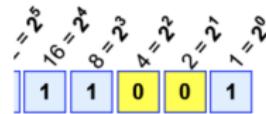
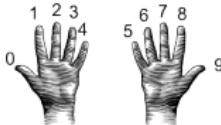
- Example: What is 10100100 in decimal?

Sum starts with: 0

$0 \times 2 = 0$ . Add 0 to sum: 0

$1 \times 4 = 4$ . Add 4 to sum:

# Binary to Decimal: Converting Between Bases



Example:  $1 \times 16 + 1 \times 8 + 1 \times 1 = 16 + 8 + 1 = 25$

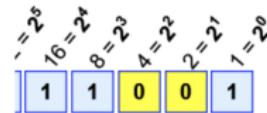
- Example: What is 10100100 in decimal?

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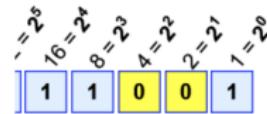
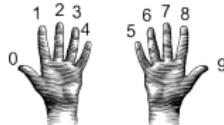
Sum starts with: 0

$0 \times 2 = 0$ . Add 0 to sum: 0

$1 \times 4 = 4$ . Add 4 to sum: 4

$0 \times 8 = 0$ . Add 0 to sum:

# Binary to Decimal: Converting Between Bases



Example:  $1 \times 16 + 1 \times 8 + 1 \times 1 = 16 + 8 + 1 = 25$

- Example: What is 10100100 in decimal?

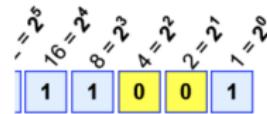
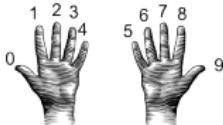
Sum starts with: 0

$0 \times 2 = 0$ . Add 0 to sum: 0

$1 \times 4 = 4$ . Add 4 to sum: 4

$0 \times 8 = 0$ . Add 0 to sum: 4

# Binary to Decimal: Converting Between Bases



Example:  $1 \times 16 + 1 \times 8 + 1 \times 4 + 0 \times 2 + 0 \times 1 = 16 + 8 + 4 + 0 + 0 = 28$

- Example: What is 10100100 in decimal?

Sum starts with: 0

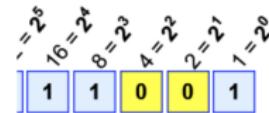
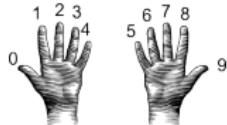
$0 \times 2 = 0$ . Add 0 to sum: 0

$1 \times 4 = 4$ . Add 4 to sum: 4

$0 \times 8 = 0$ . Add 0 to sum: 4

$0 \times 16 = 0$ . Add 0 to sum:

# Binary to Decimal: Converting Between Bases



Example:  $1 \times 16 + 1 \times 8 + 1 \times 1 = 16 + 8 + 1 = 25$

- Example: What is 10100100 in decimal?

Sum starts with: 0

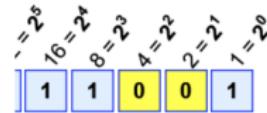
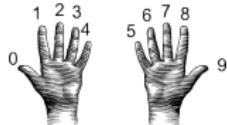
$0 \times 2 = 0$ . Add 0 to sum: 0

$1 \times 4 = 4$ . Add 4 to sum: 4

$0 \times 8 = 0$ . Add 0 to sum: 4

$0 \times 16 = 0$ . Add 0 to sum: 4

# Binary to Decimal: Converting Between Bases



Example:  $1 \times 16 + 1 \times 8 + 1 \times 1 = 16 + 8 + 1 = 25$

- Example: What is 10100100 in decimal?

Sum starts with: 0

$0 \times 2 = 0$ . Add 0 to sum: 0

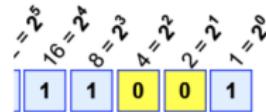
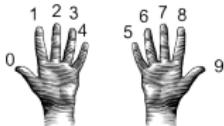
$1 \times 4 = 4$ . Add 4 to sum: 4

$0 \times 8 = 0$ . Add 0 to sum: 4

$0 \times 16 = 0$ . Add 0 to sum: 4

$1 \times 32 = 32$ . Add 32 to sum:

# Binary to Decimal: Converting Between Bases

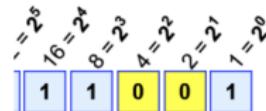
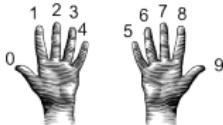


Example:  $1 \times 16 + 1 \times 8 + 1 \times 4 + 0 \times 2 + 0 \times 1 = 16 + 8 + 4 = 25$

- Example: What is 10100100 in decimal?

Sum starts with:	0
$0 \times 2 = 0.$ Add 0 to sum:	0
$1 \times 4 = 4.$ Add 4 to sum:	4
$0 \times 8 = 0.$ Add 0 to sum:	4
$0 \times 16 = 0.$ Add 0 to sum:	4
$1 \times 32 = 32.$ Add 32 to sum:	36

# Binary to Decimal: Converting Between Bases



Example:  $1 \times 16 + 1 \times 8 + 1 \times 1 = 16 + 8 + 1 = 25$

- Example: What is 10100100 in decimal?

Sum starts with: 0

$0 \times 2 = 0$ . Add 0 to sum: 0

$1 \times 4 = 4$ . Add 4 to sum: 4

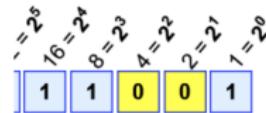
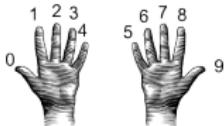
$0 \times 8 = 0$ . Add 0 to sum: 4

$0 \times 16 = 0$ . Add 0 to sum: 4

$1 \times 32 = 32$ . Add 32 to sum: 36

$0 \times 64 = 0$ . Add 0 to sum:

# Binary to Decimal: Converting Between Bases



Example:  $1 \times 16 + 1 \times 8 + 1 \times 4 + 0 \times 2 + 0 \times 1 = 16 + 8 + 4 = 25$

- Example: What is 10100100 in decimal?

Sum starts with: 0

$0 \times 2 = 0$ . Add 0 to sum: 0

$1 \times 4 = 4$ . Add 4 to sum: 4

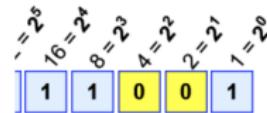
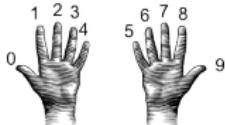
$0 \times 8 = 0$ . Add 0 to sum: 4

$0 \times 16 = 0$ . Add 0 to sum: 4

$1 \times 32 = 32$ . Add 32 to sum: 36

$0 \times 64 = 0$ . Add 0 to sum: 36

# Binary to Decimal: Converting Between Bases



Example:  $1 \times 16 + 1 \times 8 + 1 \times 1 = 16 + 8 + 1 = 25$

- Example: What is 10100100 in decimal?

Sum starts with: 0

$0 \times 2 = 0$ . Add 0 to sum: 0

$1 \times 4 = 4$ . Add 4 to sum: 4

$0 \times 8 = 0$ . Add 0 to sum: 4

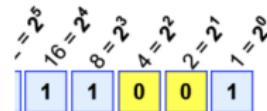
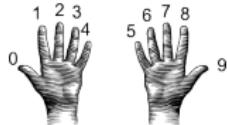
$0 \times 16 = 0$ . Add 0 to sum: 4

$1 \times 32 = 32$ . Add 32 to sum: 36

$0 \times 64 = 0$ . Add 0 to sum: 36

$1 \times 128 = 0$ . Add 128 to sum:

# Binary to Decimal: Converting Between Bases

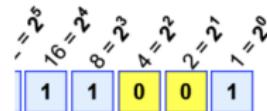
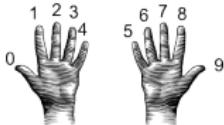


Example:  $1 \times 16 + 1 \times 8 + 1 \times 1 = 16 + 8 + 1 = 25$

- Example: What is 10100100 in decimal?

Sum starts with:	0
$0 \times 2 = 0.$ Add 0 to sum:	0
$1 \times 4 = 4.$ Add 4 to sum:	4
$0 \times 8 = 0.$ Add 0 to sum:	4
$0 \times 16 = 0.$ Add 0 to sum:	4
$1 \times 32 = 32.$ Add 32 to sum:	36
$0 \times 64 = 0.$ Add 0 to sum:	36
$1 \times 128 = 0.$ Add 128 to sum:	164

# Binary to Decimal: Converting Between Bases



Example:  $1 \times 16 + 1 \times 8 + 1 \times 1 = 16 + 8 + 1 = 25$

- Example: What is 10100100 in decimal?

Sum starts with:	0
$0 \times 2 = 0.$ Add 0 to sum:	0
$1 \times 4 = 4.$ Add 4 to sum:	4
$0 \times 8 = 0.$ Add 0 to sum:	4
$0 \times 16 = 0.$ Add 0 to sum:	4
$1 \times 32 = 32.$ Add 32 to sum:	36
$0 \times 64 = 0.$ Add 0 to sum:	36
$1 \times 128 = 0.$ Add 128 to sum:	164

The answer is 164.

# Recap



- In Python, we introduced:

# Recap



- In Python, we introduced:
  - ▶ Decisions
  - ▶ Logical Expressions
  - ▶ Circuits
  - ▶ Binary Numbers

# Practice Quiz & Final Questions

- Since you must pass the final exam to pass the course, we end every lecture with final exam review.

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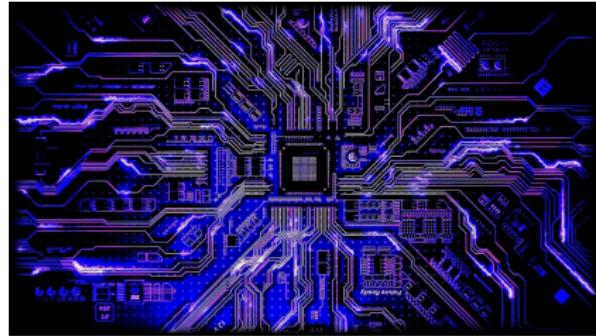
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- Past exams are on the webpage ([under Final Exam Information](#)).

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- Past exams are on the webpage ([under Final Exam Information](#)).
- We're starting with Spring 2018, Version 1.

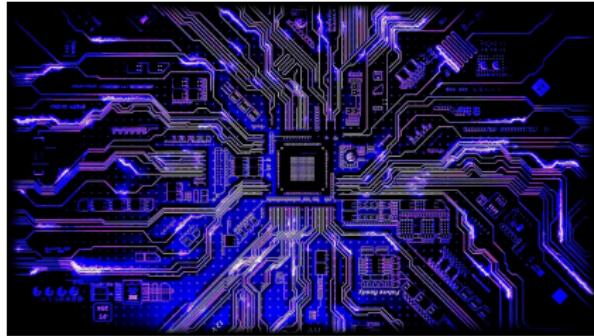
# Weekly Reminders!



Before next lecture, don't forget to:

- Read and work through Lab 5!

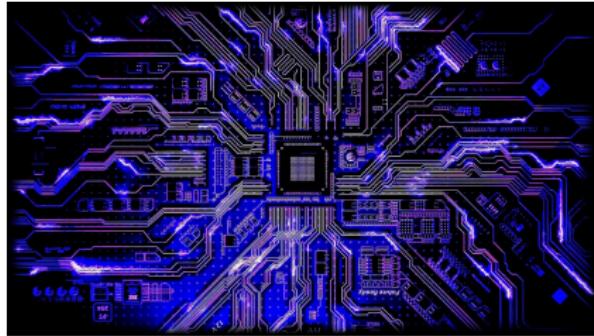
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