# EMPIRICAL BANKING AND FINANCE: TUTORIAL № 2

Altaf Hussain and Simon Bong

01.05.2020

## 1 Regression 1

#### 1.1 Load Dataset

1 use dataEmpBF\_Tutorial2.dta

# 1.2 OLS regression of gdpgrowth on public\_banks\_1970 with loggdp\_1960 as a control

| reg gdpgrowth                        | public_banks                    | _1970 loggd                     | p_1960,               | robust                  |                  |       |                                  |
|--------------------------------------|---------------------------------|---------------------------------|-----------------------|-------------------------|------------------|-------|----------------------------------|
| Linear regress                       | sion                            |                                 |                       | Number o                | f obs            | =     | 86                               |
|                                      |                                 |                                 |                       | F(2, 83)                |                  | =     | 0.71                             |
|                                      |                                 |                                 |                       | Prob > F                |                  | =     | 0.4948                           |
|                                      |                                 |                                 |                       | R-square                | b                | =     | 0.0557                           |
|                                      |                                 |                                 |                       | Root MSE                |                  | =     | .03377                           |
| gdpgrowth                            | Coef.                           | Robust<br>Std. Err.             | t                     | P> t                    | [95%             | Conf. | Interval]                        |
| public_~1970<br>loggdp_1960<br>_cons | .0192503<br>0007913<br>.0133436 | .030972<br>.0053465<br>.0447428 | 0.62<br>-0.15<br>0.30 | 0.536<br>0.883<br>0.766 | 042<br>011<br>07 | 4253  | .0808523<br>.0098428<br>.1023352 |

The model as a whole is not significant (F statistic) as well as the single coefficents (t-test).

# 1.3 Compare the estimated coefficient of public\_banks\_1970 to the first row in Table V of [La Porta et al., 2002]

La Porta et al are reporting a negative significant coefficient (-0.0235) for GP70 while we estimate a positive and insignificant coefficient. Their result indicates that a 1% higher share of government ownership of banks results in average in a 2.35% lower (subsequent) per capita gdp growth. This supports the political theory.

Besides the coefficent for the starting gdp level indicates possible concergence effects.

## 2 Descriptive Statistics

#### 2.1 Computing summary statistics for all variables

1 su

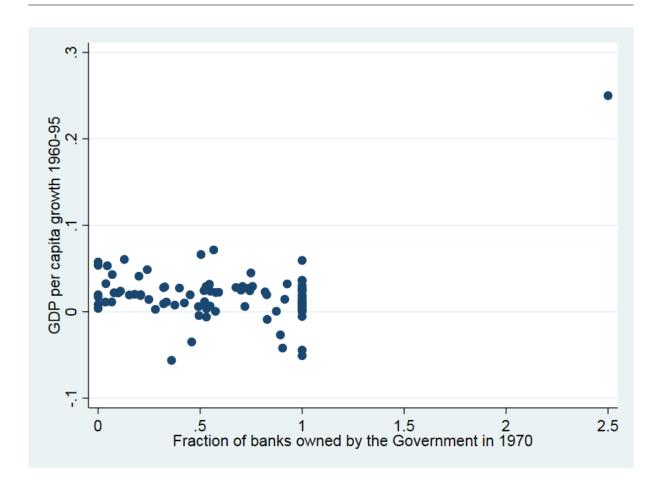
| Variable  | Obs                       | Mean  | Std. Dev.                                    | Min                      | Max                               |
|---|---------------------------|---|--|--------------------------|-----------------------------------|
| country_name<br>birth_r~1970<br>public_~1970<br>schooling<br>private~1960 | 0<br>83<br>86<br>85<br>82 | 32.84936<br>.5839216<br>5.030555<br>.254575 | 12.94351<br>.4056251<br>2.459215<br>.2294715 | 13.5<br>0<br>.9          | 53.32<br>2.5<br>10.79<br>1.295776 |
| gdpgrowth<br>loggdp_1960<br>oecd  | 86<br>86<br>85            | .0199698<br>5.83181<br>.2823529             | .0343439<br>1.00547<br>.4528157              | 0561875<br>3.931826<br>0 | .25<br>8.670402<br>1              |

Over all we see that the number of observations differs across the variables, this indicates missing values for some variables

- Birth rate per 1000 population in 1970: When we look at the standard deviation we see that there are big differences across countries
- Fraction of banks owned by the Government in 1970: most imortant, there is at least one observation with a value over 100% which is not possible (max=250%)in avg the government of a country owns 58% of the assets of the top 10 banks in that country.
- Average years of schooling 1960-90: in average childs go 5years to school and the range of the observations goes from less then one year up to than 10.8
- Private credit to GDP in 1960: this share is in mean equal to 25%. The cross country differences are huge, what is indicated by min max and sd
- GDP per capita growth 1960-95: we see in average there was a small per capita in gdp growth, but again we see huge cross country differences.
- log GDP per capita in 1960: here we also see that the level of the gdp per capita in 1960 differs alot across countries.
- Old OECD member states: we see that 28% of the countrys are old OECD member states (when we just include those with non missing values)

## 2.2 Scatter Plot gdp per capita growth 1960-1995 and GP70

scatter gdpgrowth public\_banks\_1970



#### 2.3 Remove outlier

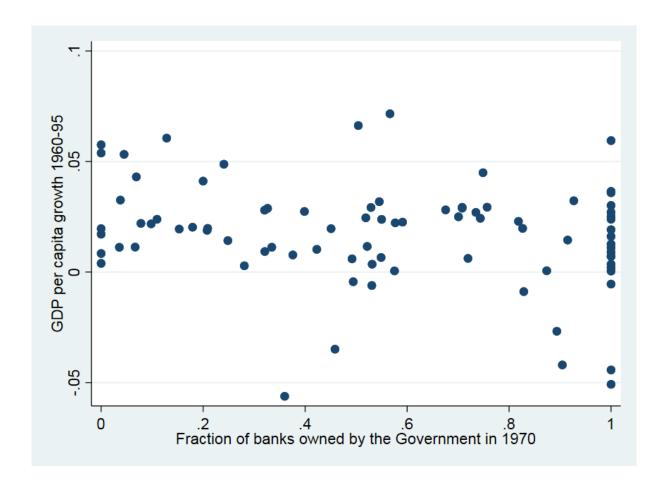
We can savely remove the county with a public\_banks\_1970 value of 2.5 because a government can not own more then 100% of the assets of the 10 greatest banks.

1 drop if public\_banks\_1970>1

We see that one observation was deleted.

## 2.4 Scatter Plot gdp per capita growth 1960-1995 and GP70 w/o outlier

1 scatter gdpgrowth public\_banks\_1970



# 3 Regression 2

# 3.1 OLS regression of gdpgrowth on public\_banks\_1970 with loggdp\_1960 as a control w/o outlier

| reg gdpgrowth                       | public_banks                  | _1970 loggd                      | p_1960,                | robust                  |                    |        |                                |
|-------------------------------------|-------------------------------|----------------------------------|------------------------|-------------------------|--------------------|--------|--------------------------------|
| Linear regress                      | sion                          |                                  |                        | Number o                | of obs             | =      | 85                             |
| ,                                   |                               |                                  |                        | F(2, 82)                |                    | =      | 4.93                           |
|                                     |                               |                                  |                        | Prob > H                | 7                  | =      | 0.0095                         |
|                                     |                               |                                  |                        | R-square                | ed                 | =      | 0.1240                         |
|                                     |                               |                                  |                        | Root MSE                | E                  | =      | .02234                         |
| gdpgrowth                           | Coef.                         | Robust<br>Std. Err.              | t                      | P> t                    | [05%               | Conf   | Intervall                      |
|                                     | coer.                         | Stu. EII.                        |                        |                         | [ 9 3 6            | COIII. |                                |
| public_~1970<br>loggdp_1960<br>cons | 023484<br>0064537<br>.0680836 | .0076929<br>.0031549<br>.0205328 | -3.05<br>-2.05<br>3.32 | 0.003<br>0.044<br>0.001 | 038<br>012<br>.027 | 7297   | 0081804<br>0001776<br>.1089298 |

Now after we deleted the outlier you added, we observe we have the same results as in Table V of La Porta.

OLS is very sensetive to outliers since it is minimizing the (empirical) MSE. Observations 'far away' from 'the rest', therefore get a overproportional weight.

#### 3.2 Why using 1970 Data?

Why are the authors using government ownership of banks in 1970 and not, for example average ownership share between 1970 and 1995?

One the one hand they report a relatively high correlation over time (eg .9 for GP70 and GP 85) and on the other hand they argue with the availability of the data. Besides they report that the results using GP95 are very simmilar.

Would it be preferable to use government ownership in 1960, and if yes, why?

Yes, this way we can be sure that the government ownership is not effected by the dependend variable (exclude the possibility that the government ownership level is high because of low gdp, banks failed governments bought assets to save them or some other reverse relationship). This way one could say X is predetermined.

#### 3.3 Significance

Yes, the coefficent for GP75 is higly significant (p=0.003) and the coefficent for loggdp960 is significant on the 5% level (p=0.044).

#### 3.4 Interpretation of coefficents

looking on the individual effects:

As the share of government ownership of banks increases, in average the gdp growth per capita goes down. A 1% higher government ownersip in 1970 results in a 2.484% lower gdp growth by capita between 1960-1995.

The negative coefficent for the gdp starting level indicates possible convegence effects.

A 1% higher starting gdp per capita level results in avg a 0.645% lower gdp per capita growth from 1960-1995.

#### 3.5 Model Fit

Our X Variables explain 12.4% of the varince of the depended variable (see  $\mathbb{R}^2$ ) and the model as a whole is significant (see F statistic). Assuming that the true coefficients are all equal to zero, observing this F value or a more extreme one has a probability of less then 1%.

# 4 Regression 3

#### 4.1 avoid Omitted Variable Bias

Calculate Correlation Matrix

1 corr

|                           | bir~1970          | pub~1970          | school~g | pri~1960 | gdpgro~h | log~1960 | oecd   |
|---------------------------|-------------------|-------------------|----------|----------|----------|----------|--------|
| birth_r~1970              | 1.0000            | 1 0000            |          |          |          |          |        |
| public_~1970<br>schooling | 0.2595<br>-0.8608 | 1.0000<br>-0.3636 | 1.0000   |          |          |          |        |
| private~1960              | -0.5406           | -0.2479           | 0.4509   | 1.0000   |          |          |        |
| gdpgrowth                 | -0.3934           | -0.2482           | 0.2681   | 0.3550   | 1.0000   |          |        |
| loggdp 1960               | -0.6706           | -0.3979           | 0.6965   | 0.3773   | -0.1325  | 1.0000   |        |
| oecd                      | -0.7244           | -0.2681           | 0.6412   | 0.4648   | 0.2941   | 0.5451   | 1.0000 |

We have a potential problem with OVB since we see a non zero cerrelation of the two variables (we are going to include) and GP70 and simultainosly most certainly there is some relation between the two variables and our dependent variable.

1 reg gdpgrowth public\_banks\_1970 loggdp\_1960 schooling birth\_rate\_1970,  $\leftarrow$  robust

| Linear regression | Number of obs | = | 83     |
|-------------------|---------------|---|--------|
|                   | F(4, 78)      | = | 24.60  |
|                   | Prob > F      | = | 0.0000 |
|                   | R-squared     | = | 0.5390 |
|                   | Root MSE      | = | .01614 |

| gdpgrowth    | Coef.    | Robust<br>Std. Err. | t     | P> t  | [95% Conf. | Interval] |
|--------------|----------|---------------------|-------|-------|------------|-----------|
| public_~1970 | 0263877  | .0064036            | -4.12 | 0.000 | 0391362    | 0136391   |
| loggdp_1960  | 0191741  | .002353             | -8.15 | 0.000 | 0238586    | 0144897   |
| schooling    | 0009434  | .0012879            | -0.73 | 0.466 | 0035073    | .0016206  |
| birth_r~1970 | 0016713  | .0002268            | -7.37 | 0.000 | 0021228    | 0012199   |
| cons         | .2036386 | .020668             | 9.85  | 0.000 | .1624917   | .2447854  |

#### 4.2 Significance

All variables are higly significant exept for schooling.

#### 4.3 Interpretation

A higher share of government ownership of banks results in lower gdp per capita growth in the future. That supports the political theory.

A higher starting point of gdp per capita results in lower subsequent growth, like it is predicted by the theory of convergence effects.

A higher birthrate also causes a loger gdp per capita growth. This supports that in the considered time window the negative effects of a increasing denumerator of gdp per capita and the temporary lower labor force due to taking care for the children outwights the effect of more furute labor force.

#### 4.4 Test for the joint significance of schooling and birth\_rate\_1970

- H0: both variables have a true coefficent equal to zero
- HA: at least one coefficent is ne 0

We use a F test, the F-Statistic is follows a F distribution (when all assumptions hold) Basicly we compare the  $\mathbb{R}^2$  of a regression with and without the two variables.

1 test schooling birth\_rate\_1970

```
schooling = 0
birth_rate_1970 = 0

F( 2, 78) = 40.94
    Prob > F = 0.0000
```

The result is that we reject the H0 at the 1% lecel and that is it very unlikely that the true coefficents simultaneously equal to zero.

### 4.5 Compare Goodness of Fit to Regression 2

One option is to compare the  $\mathbb{R}^2$  for both regressions, but this we already did in the previous subtask by doing the F-Test. If we want to take account for the increase in dimension we could look ont the adj  $\mathbb{R}^2$ .

## 5 Regression 4

### 5.1 Why look on interaction of GP70 with private credit

Government owned banks are maybe not efficient when they are the only lender in the financial system, but they are maybe a efficient comlement to a well working financial market in the sense that they can step in when market failtures occur.

The private credit to gdp can be used as a mesurement for the development of the financial market.

#### 5.2 Run Regression whith interaction term GP70\*private credit

```
1 reg gdpgrowth c.public_banks_1970##c.private_credit_1960 loggdp_1960 , ←
    robust
```

| Dinoar rogrobbion | Linear | regression |  |
|-------------------|--------|------------|--|
|-------------------|--------|------------|--|

| Number of obs | = | 82     |
|---------------|---|--------|
| F(4, 77)      | = | 7.70   |
| Prob > F      | = | 0.0000 |
| R-squared     | = | 0.3159 |
| Root MSE      | = | .02035 |

| gdpgrowth                    | Coef.               | Robust<br>Std. Err.  | t             | P> t           | [95% Conf.          | Interval]           |
|------------------------------|---------------------|----------------------|---------------|----------------|---------------------|---------------------|
| public_~1970<br>private~1960 | 0397587<br>.0186234 | .0106868<br>.0107444 | -3.72<br>1.73 | 0.000<br>0.087 | 0610389<br>0027714  | 0184784<br>.0400181 |
| c.<br>public_~1970#<br>c.    |                     |                      |               |                |                     |                     |
| private~1960                 | .0685466            | .0194724             | 3.52          | 0.001          | .029772             | .1073211            |
| loggdp_1960<br>_cons         | 0107444<br>.0892572 | .0029275<br>.019143  | -3.67<br>4.66 | 0.000<br>0.000 | 0165739<br>.0511386 | 004915<br>.1273757  |

#### 5.3 Interpretation the coefficents for private credit and GP70

When a country has zero private credit, then a 1% higher share of government ownership of banks results in avg in a 3.97% decrease in the subsequent gdp per capita growth.

when a country has zero government ownership of banks, then a 1% higher privatecredit of gdp share results in avg in a 1.86% increase in the subsequent gdp per capita growth.

#### 5.4 Interpretaion of the sign of the interaction term

Here we can only give a qualitative interpretaion or make pointwise comparisons, meaning compare the Prediction for different X variable values.

The higher the share of private credit to gdp, the better the marginal effect of public banks. The marginal effect is even positive given a value of private credit higher than 58% (but this isn't significant at that point).

#### 5.5 Calculate margrinal effect of GP70

First we did it inefficent, then the normal way:

```
1 ge margin = -.0397587+.254575*.0685466
```

3

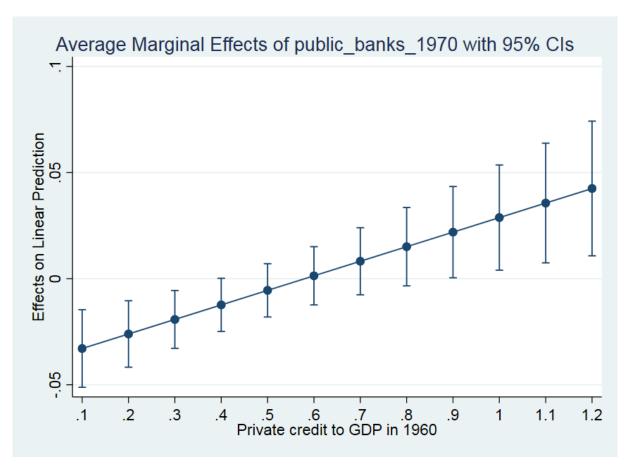
4 margins, dydx(public\_banks\_1970) atmeans

-.0223085 is the marginal effect evaluatet at the mean of private credit (and all other vars).

<sup>2</sup> drop margin

## 5.6 Significance for different values of private credit

- 1 margins, dydx(public\_banks\_1970) at(private\_credit\_1960=(0.1 0.2 0.3 0.4  $\leftarrow$  0.5 0.6 0.7 0.8 0.9 1 1.1 1.2))
- 2 marginsplot, level(95)



The marginal effect of GP70 isn't significant in the range of approxximately 40% to 90% for private credit in 1960.

# 6 Regression 5

#### 6.1 Run regression with dummyvariables and interaction

oecd or noecd will be exluded due to multicolinearity we, out of the set intercept oecd and noecd always one variabel can be expressed as a linear combination of the other two.

```
1 ge noecd = (oecd==0)
```

<sup>2</sup> reg gdpgrowth noecd i.oecd##c.public\_banks\_1970 i.oecd##c.loggdp\_1960

| SS                       | df  | MS  |  |  | =          | 85                       |
|--------------------------|---|---|--|--|------------|--------------------------|
| .014695264<br>.032026362 | 5<br>79   |   | Prok   | o > F<br>quared  | =          | 7.25<br>0.0000<br>0.3145 |
| .046721625               | 84  | .00055621   |  |  | =          | 0.2711<br>.02013         |
| Coef.                    | Std. Err.   | t   | P> t   | [95% Co  | nf.        | Interval]                |
| 0131905<br>0<br>0283474  | .0498535<br>(omitted)<br>.0078303   |   | 0.792<br>0.001   |  |            | .0860403                 |
| .0264119                 | .0162471  | 1.63  | 0.108  | 005927   | 2          | .0587511                 |
| 0120677                  | .0030166  | -4.00   | 0.000  | 018072   | 2          | 0060633                  |
| 0001172<br>.1101278      | .0070915  |   | 0.987  |  |            | .0139982                 |
|                          | .014695264<br>.032026362<br>.046721625<br>Coef.<br>0131905<br>0<br>0283474<br>.0264119<br>0120677 | .014695264 5 .032026362 79  .046721625 84  Coef. Std. Err. 0131905 .0498535 0 comitted)0283474 .0078303  .0264119 .01624710120677 .0030166 0001172 .0070915 | .014695264 5 .002939053 .032026362 79 .000405397 .046721625 84 .00055621  Coef. Std. Err. t 0131905 .0498535 -0.26 | .014695264 5 .002939053 Prok<br>.032026362 79 .000405397 R-sc<br>.046721625 84 .00055621 Root<br>Coef. Std. Err. t P> t  0131905 .0498535 -0.26 0.792 0 (omitted)0283474 .0078303 -3.62 0.001  .0264119 .0162471 1.63 0.1080120677 .0030166 -4.00 0.000 0001172 .0070915 -0.02 0.987 | .014695264 | .014695264               |

## 6.2 Interpretation of the constant and the coefficent of the dummy

since gdp level in 1960 >0 it makes no sense to look on the constant seperately.

The coefficient for noecd dummy can not be interpreted seperately since the normal mean comparison makes no sense when we do not take account for our interaction terms. We should instead look on marginal effects.

## 6.3 Interpretation of the coefficents of the interaction terms

a clean interpretation of the interaction coefficents is also only pointwise possible. Due to similar reasons as in b).

# 7 Regression 6

#### 7.1 Run regression with two 'intercepts'

<sup>1</sup> reg gdpgrowth noecd i.oecd##c.public\_banks\_1970 i.oecd##c.loggdp\_1960, ←
 robust noconstant

F(6, 79) = 84.43 Prob > F = 0.0000 R-squared = 0.5555 Root MSE = 02013 Root MSE .02013

85

| gdpgrowth                       | Coef.                           | Robust<br>Std. Err.             | t                     | P> t                    | [95% Conf.                     | Interval]                       |
|---------------------------------|---------------------------------|---------------------------------|-----------------------|-------------------------|--------------------------------|---------------------------------|
| noecd<br>1.oecd<br>public_~1970 | .0969373<br>.1101278<br>0283474 | .0217118<br>.034344<br>.0092809 | 4.46<br>3.21<br>-3.05 | 0.000<br>0.002<br>0.003 | .053721<br>.0417678<br>0468206 | .1401536<br>.1784879<br>0098743 |
| oecd#<br>c.<br>public_~1970     | .0264119                        | .0105571                        | 2.50                  | 0.014                   | .0053986                       | .0474253                        |
| loggdp_1960                     | 0120677                         | .0036771                        | -3.28                 | 0.002                   | 0193868                        | 0047486                         |
| oecd#<br>c.<br>loggdp_1960<br>1 | 0001172                         | .0060282                        | -0.02                 | 0.985                   | 012116                         | .0118816                        |

### 7.2 Interpretation of the two dummies

The coefficient for the dummy OECD is the intercept for the oecd observations and the coefficent for the dummy no-oecd is the intercept for the non OECD countries.

The coefficient of the intersection of public banks and oecd gives us the difference in the effect of a marginal increase in public banks between oecd and no oecd countries. one percent increase in the share of government owned banks increases per capita gdp growth by 2.64% more when the country is a old oecd member state compared to a non member state.

The coefficient of the intersection of loggdp 1960 and oecd gives us the the difference in the effect of a marginal increase in loggdp\_1960 between oecd and no oecd countries, this coefficient is not significant (alone).

To summarize, we got the same results as if we run two regressions, one for oecd members and one for non-oecd members. But we put the results together in one model - the fitted values are exactly the same for our model as the two separate regressions.

#### Why do you have to exclude the constant?

We have two dummies where always exactly one of them is equal to one, so if we include a constant we would get trouble with co-linearity. The constant would be a linear combination of the two dummies.

#### **Compare Results to Regression 5**

In the previous regression, we had a problem with to colinearity of the dummies and the constant, which stata solved by omitting one dummy variable. But the version of the model with a dummy and a intercept (Regression 5) is not that clear to interpret as the one with two dummies (Regression 6).