

Basic Concepts

Monday, August 24, 2020

9:39 PM

"Sequential" \equiv "Serial"

($p=1$)

Serial Program: \leftarrow

```

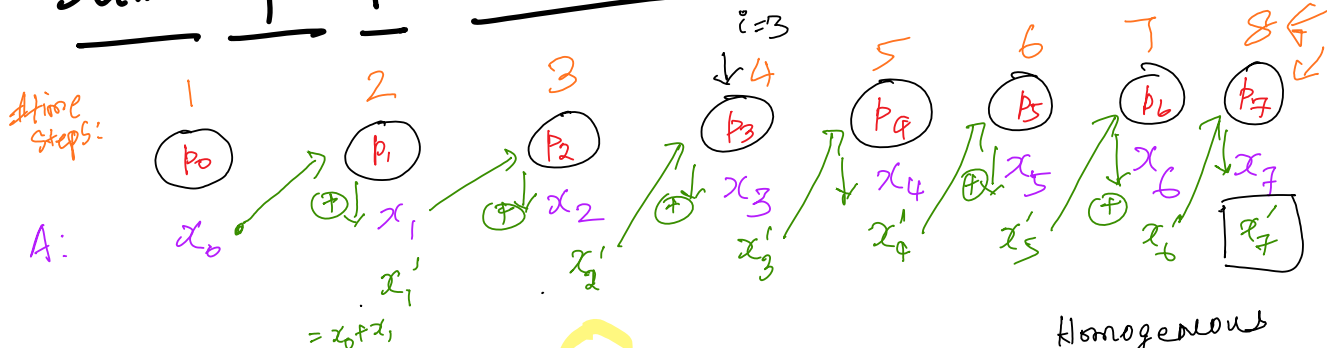
A:  $x_0, x_1, \dots, x_{p-1}$ 
sum  $\leftarrow \phi$ 
for ( $i = \phi$  to  $p-1$ )
{
    sum  $\leftarrow$  sum +  $x_i$ 
}
Output sum
    
```

local data
send
recv
opt.

$O(p)$
time

Sum of p numbers:

(Address Space)



// from pos: p_i

Init: load x_i ; temp $\leftarrow \phi$

Comp:

my "rank" $\leftarrow i$

if rank $> \phi$ {

temp \leftarrow Receive from p_{i-1} // communication

}
 $x_i' \leftarrow x_i + \text{temp}$ // local computation

if (rank $< p-1$) {

Send x_i' to p_{i+1} // communication

}
else {

Output x_i' // from rank $(p-1)$

Homogeneous
processing
system

Problem:

Input: $A[0 \dots p-1]$

Output: sum = $\sum_{i=0}^{p-1} A[i]$

Parallel time

complexity :

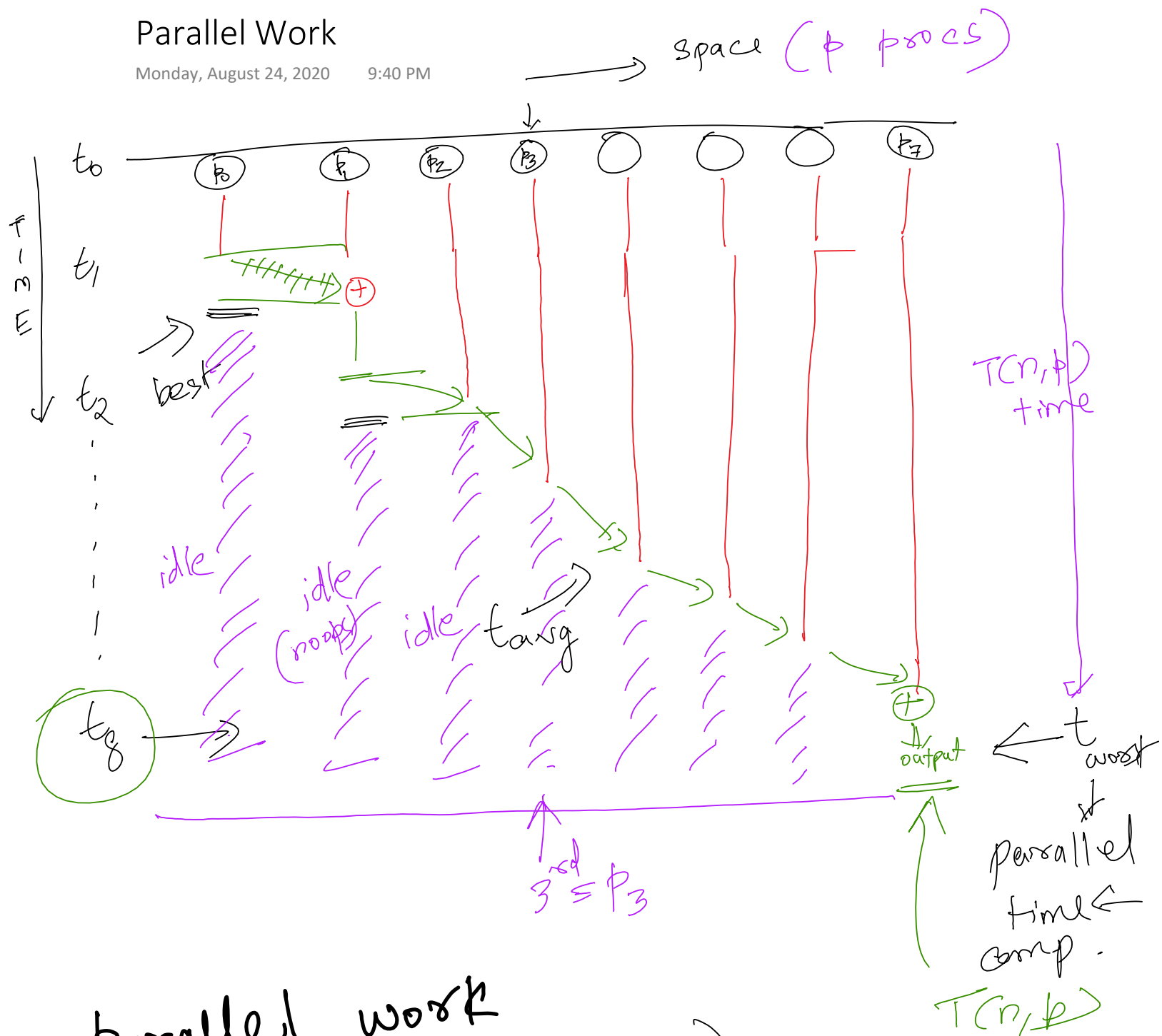
$= \max \{ T_i(n) \}$

$= O(p)$ time

Parallel Work

Monday, August 24, 2020

9:40 PM



$$\text{parallel work} = p \times T(n, p)$$

$$\text{Parallel Overhead} = \text{parallel work} - \text{Serial work}$$

Definitions

Monday, August 24, 2020

9:40 PM

$n \leftarrow$ input size
 $p \leftarrow$ #processes

Serial time :

Time taken by a "best" serial ~~se~~ algorithm

$$T(n) = O(n) = p$$

Serial work :

amount of work computed by the serial algorithm

$$W = O(n) = p$$

parallel time :

time taken by the longest running process of the parallel program.

$$T(n, p)$$

$$= O(p)$$

parallel work :

volume of computation performed by the parallel program