HW#3 (clustering) Report

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Scores:

Iris dataset: 0.94

Image data: 0.75

Implementation

For pre-processing, I normalized the data using 'normalize' from "sklearn.preprocessing" module. Where the 'normalize' function is used to scale the data to have unit magnitude. Following this, I perform dimensionality reduction using t-SNE (t-distributed Stochastic Neighbor Embedding). t-SNE is a dimensionality reduction technique that is well-suited to visualize high-dimensional data in lower-dimensional space, such as two or three dimensions, while still being representative. Additionally, t-SNE is also preferred for nonlinear data. In my case, I reduce my data to be two dimensions, The implementation is as follows:

```
# Normalize and dimensionality reduction

def preProcess(data):
    # normalize data
    normalize_data = normalize(data)

# perform dimensionality reduction on the normalized data and return the reduced data
tsne = TSNE(n_components=2, random_state=42)
    reduced_data = tsne.fit_transform(normalized_data)

return reduced_data
```

As for the implementation of k-means algorithm: centroids were selected randomly, and the calculation of distances between data points and respective centroids was done using the Euclidean function.

Specific details:

- Centroids were selected randomly (Random seed was set to 42)
- The max numbers of iterations for updating centroids was set to **2500** as default value. But when running for the image data the number of iterations was set to **1000**.

The implementation for initializing centroids is as follows:

```
# This method initializes the centroids
def initialize_centroids(self):
    # initialize centroids using self.data and self.k
    np.random.seed(42)
    indices = np.random.choice(self.data.shape[0], self.k, replace=False)
    centroids = np.array([self.data[i] for i in indices])
    return centroids
```

To calculate the Euclidean distance between points I made use of the Euclidean function from the 'scipy.spatial.distance' module. Implementation of the calculating distances is as follows:

```
# This method calculates the distance
def distances(self):
    # caulcuate distance using self.data and self.centroids
    distances = []

for point in self.data:
    dist_per_centroid = []
    for centroid in self.centroids:
        dist_per_centroid.append(euclidean(point, centroid))
    distances.append(dist_per_centroid)

distances = np.array(distances)

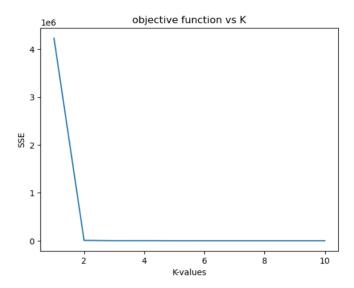
return distances
```

Coming to the objective function, I implemented SSE (Sum of Squared Errors). The implementation is as follows:

For each cluster, taking the distance of each point to the respective centroid as error. I square each error and sum all the squared errors for all data points respective to each centroid. And consider the minimum SSE among the K number of SSEs as my final SSE.

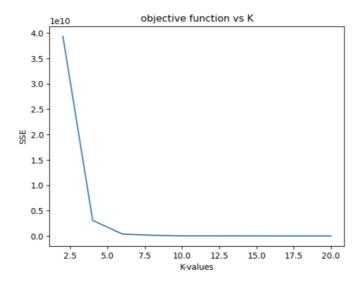
Analysis of K-values w.r.t objective function:

Iris Dataset:



Based on the above elbow graph, it is evident that the most desired SSE value is produced At K equals 2. Hence, the most optimal number of clusters for the iris dataset is 2.

Images Dataset:



Based on the above elbow graph, it is evident that the most desired SSE value is produced At K equals 4 (approximately). Hence, the most optimal number of clusters for the iris dataset is 4 (approximately).

Note: the max iterations for the SSE plots code for the image dataset was set to 100 because of time-complexity issues.