



Masterarbeit

**points2mesh:
Learning surface reconstruction from point
cloud data**

Eberhard Karls Universität Tübingen
Mathematisch-Naturwissenschaftliche Fakultät
Wilhelm-Schickard-Institut für Informatik
Computergrafik
Denis Jan Heid, denis.heid@student.uni-tuebingen.de, 2019

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Betreuer/Gutachter: Prof. Dr. Hendrik Lensch, Universität Tübingen
Zweitgutachter: Prof. Dr. Andreas Schilling, Universität Tübingen

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Denis Heid (Matrikelnummer 3827662), July 1, 2019

Abstract

points2mesh, the happening

Zusammenfassung

braucht man doch auch in deutsch?

Acknowledgments

Thanks fabi, bist der betreuer boy. Lensch ist nice von dir dass ich hier das machen kann. Schilling fuer zweitkorrektur. Thanks rike fuer moralische unterstuetzung

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1. Introduction

TODO: watertight meshes **TODO: in case, incomplete training, mehr optimierung** For humans to interact with the world depends on many variables. An important aspect is to recognize, analyze, and estimate the position, as well as the shape of objects positioned in the world around. For many years, to this day, artificial agents have been developed and deployed in the real world[Bro86, KMS19] to imitate how humans interact with it. Similarly, a robot has to understand its environment by analyzing and interpreting its surroundings. Understanding exactly this requires first and foremost prior comprehension of the shape of nearby objects. Similar to general robotic applications, the by now more feasible solution for autonomous driving needs analogous information of its obstacles to prevent collisions and thus allow for safe guidance through traffic. Typically, objects are recorded in a way, which results in unstructured, three-dimensional point cloud data, for example, with the help of range scanners or structured light.

Though obtaining information about samples of an object already provides a way to process a three-dimensional object; still, the preferred way to operate is in the form of surface information like tri-or quad-meshes. Transforming such point cloud data into meshes is a prevalent problem in the context of computer vision. Thus, numerous methods have been developed, aiming to solve that problem[BMR⁺99, JTPSH15].

With recent advancements in deep learning and the abundance of readily available data, much work has been poured into neural networks which can process the real world robustly. Consequently, solving the same problem of processing unstructured points in three-dimensional space and obtaining polygonal meshes has garnered attention. Though, many methods rely on voxelized data, since neural networks can naturally process structured data better than unstructured spatial data.

In this work, a novel convolutional neural network configuration is proposed which obtains tri-meshes from unstructured point cloud data. By deforming an initial base-mesh based on learned tension feature vectors from the data, the network can reliably generate approximations even with low-resolution or noisy data. Since this network is the first of its kind, it is essential to assess its capabilities in comparison to the traditional methods. Therefore, part of this work is to identify its strengths and weaknesses and determine where it may find use and how to build upon it.

Chapter revision

TODO: ueberarbeiten. ist schon wieder nicht aktuell First, a revision of techniques and methods are described in chapter 2 to lay the groundwork for this thesis. In chapter 3, numerous traditional, as well as machine learning based methods, are reviewed, which work on the transformation of three-dimensional data to polygonal meshes. After that, the graph based neural network *points2mesh* is explained in detail, how it handles and learns from point cloud data but also how it deforms a base-mesh to approximate the underlying object represented by the data. Then, in chapter 5 based on different configurations for the neural network, an assortment of resulting meshes are presented and contrasted to each other. Followed by section 6, a numerical evaluation, and discussion are conducted to assess the capabilities of the network and its varied proposed configurations. By defining a comparable metric for evaluation, related methods achieving similar results can be analyzed and thus measured against each other. To conclude, in chapter 9, the thesis is resolved by taking a look at possible ways of expanding on the network and outlining what has been achieved.

2. Background

1. Convolutional neural network
 2. Semi-Supervised Classification with Graph Convolutional networks
- nearest neighbor search
-whats a graph
-whats a mesh

2.1. Machine Learning review

TODO: different name for section - Convolutional neural networks - graph Convolution -

2.2. stuff

2.2.1. Weighted reservoir sampling

3. Related Work

Often in computer graphics, it is necessary to process three-dimensional real-world or digital objects for reconstruction, remeshing or analytical applications. There are many ways to acquire data of the surface of such geometry and more so many techniques to transform and augment that data to different representations. This often non-trivial task is crucial to further process the object in question in later stages of their respective pipeline. Over the years many representations of acquisition data formats and transformation methods, as well as target data formats, have accumulated.

In this chapter, various of these techniques and data formats are examined, of which some of them are used in this work as a vehicle for a novel data transformation routine.

Initially, classical approaches are examined in section 3.1 which do not rely on artificial intelligence or machine learning methods. With the recent advances in machine learning, and more so deep learning, many new approaches have been developed and thus considered in this work. Hence, machine learning based methods are reassessed in section 3.2 which rely on distinctive statistical features in their initial data format or the dataset itself, thus allowing for the transformation.

3.1. Traditional approaches

In this chapter, traditional approaches are examined which do not rely on machine learning to transform data of objects from one format to another.

In general, a three-dimensional object may be specified by its representation of the surface. This representation varies from unstructured point cloud data in three-dimensional space to a graph-based representation like triangle- or quad-meshes and even poly meshes with more than four neighbors per node. Information on the object's surface may also be described by three-dimensional discrete scalar field (Voxels). Often the information on an object's surface is only partially defined, where some information may be missing. This can be due to acquisition methods, where parts of the object are partially concealed or recorded from insufficient many sides, or that information is not available.

Starting from these representations of an object's surface, there are many methods of transformation to reach another state of representation. Transforming the data not

only makes further processing easier but rather during their process, more data on the surface is computed based on the given input data.

This task is non-trivial since, from one representation of an object's surface, many reconstructions in the form of another representation are possible. The amount of data of the object's surface can never be entirely perfect, as the resolution is chosen arbitrarily, thus leading to many reconstruction methods. In this section, some of the more important works on this subject of data transformation are examined, with an overview of the different input and output data formats applicable.

3.1.1. Reconstruction methods

Reconstructing surface information of objects has been worked on for many years, dating back to the earliest approaches in 1987 [LC87], with the marching cubes algorithm. Most of these earlier concepts rely on local neighborhood reconstruction mechanism. Either by starting with unstructured points in three-dimensional space [BMR⁺99, ACK01], discrete scalar fields [LC87] or structured light [GRL17]. Later work incorporated global optimization techniques to achieve better results [KBH06]. Though, more recent work relying on local optimization operators again, with faster computing times and being able to handle a much higher capacity of input data [JTPSH15]. Even though using normal orientations of PC data is typical, advanced reconstruction techniques with limited information of the original object are still present [BL18].

3.2. Machine Learning based approaches

With more advanced acquisition methods, higher computing power and high-speed connectivity over the internet, gathering, interchanging and expanding big datasets are getting progressively more prevalent and important. Thus, allowing for statistical and data-driven algorithms to analyze big datasets, computing characteristics and similarities within them.

In this section, specifically machine learning based approaches are inspected which learn features from big datasets and utilize gained knowledge to infer information on an object's surface given varied input data.

First, subsection 3.2.1 compiles an overview of the work on datasets, consisting of polygonal object data, range data, and object annotations to enable learning in three dimensional structures at all. Then, subsection 3.2.2 current and older approaches to processing and learning from three-dimensional data, independently on their input or output data format. Furthermore, subsection 3.2.3 establishes a frame for this work in contrast to the current, as well as older techniques for data transformation from diverse object datasets to a final reconstruction of surface information.

3.2.1. 3D datasets

In recent years, a tremendous amount of work has been made in the field of learning in three-dimensional space. Still, different objectives on learning goals require different datasets to work on. Some of them are more general set of objects, defined by tri- or quad meshes. Many of these datasets have been developed and published in the last 10 years. Exemplary by Shilane et al. [SMKF04], offering 1800 meshes, with a rendered image of the object and object label. Similarly, proposed in a paper by Wu et al.[ZSK⁺15], ModelNet is a collection of clean CAD models, with complete polygonal mesh, textures, labels out of currently 662 model categories and 127,915 models¹. Wu et al. also provide a much smaller and well-arranged subset with only 40 or 10 model categories where each object is axis aligned. Furthermore, Chang et al. [CFG⁺15] provide an even bigger and richer annotated dataset of more than three million polygonal mesh models and more than four thousand categories. While this dataset annotates objects in minuscule detail and semanticism, it also offers a condensed version of the dataset, ShapenetCore, for a better digest of all objects with 51300 models and 55 categories. Meanwhile also offering a more densely annotated subset, ShapeNetSem, but also PartNet², a hierarchical part annotation subset of ShapeNetCore. Xiang et al. [XKC⁺16] also describe a large scale dataset consisting of 100 categories, 90000 images, 200000 objects in the images of which are 44000 modeled, working towards facilitating object recognition and pose estimation of multiple objects in a scene. Lim et al. [LPT13] propose different dataset of polygonal objects with images of each object for the purpose of better pose estimations. Moreover, Zhou et al. [ZJ16] introduce an comprehensive dataset of 10000 3D-printing Models, providing a basis for structural and semantic analysis. For different three-dimensional learning tasks, complete scenery is needed consisting of a collection of depth information, semantic labels, meshes, orientations, top-down 2D views or images, as proposed by [NSF12, SS15, HTT⁺17, DCS⁺17a]

3.2.2. Learning in 3D

Learning in three-dimensional space, especially in the context of neural network and deep learning, has recently started to gain traction and produce results. Still, a tremendous amount of work has been achieved. As there are numerous different applications, goals, and intentions for learning in three-dimensional space, many datasets in various data formats to learn on have been established. Most of which originate from range scans, surface samples, or polygonal mesh structures.

Since a collection of unregulated points in space like Point clouds are hard to structure, many opt to lessen the complexity by structuring them in a voxel-based grid, thus reducing the resolution of the problem size. With this volumetric approach,

¹As of 1.6.2019

²As of March, 2019

various objectives have been worked on, and many results produced. Maturana et al. [MS15], as well as Wu et al. [WSK⁺15] and Sedaghat et al. [SZAB17], show the possibility of learning object recognition based on voxel data. Others use joint or multiple data formats, not only relying on one form of volumetric data. Consequently, learning object representations in lower dimensional vectors, and thus allowing for object discrimination as well [HZ16, QSN⁺16, BLRW16].

Furthermore, expanding the resolution of objects by considering point cloud data, learning features for object recognition is still possible, as shown by [QSMG16, QYSG17, KL17, LBSC18, LD18]. Additionally, semantic segmentation of such objects and scenes are possible. While not only bound to voxelized data [DN18, DRB⁺17], point cloud data [QSMG16, QYSG17, DCS⁺17b, GRL17, LLZ⁺17, TCA⁺17], but also explicit surface definitions like polygonal meshes [FFY⁺18, KHS10, SvKK⁺11, KAMC17].

3.2.3. Learning 3D reconstruction

Learning 3D reconstruction can be quite a challenging task. Numerous and complex approaches have been tested to infer surface structure from diverse input training data. Many of which rely on single-image or multiple-image to polygonal mesh transformations. While some try to reconstruct similar, already learned objects of specific categories from RGB images, others try to generalize this step for all objects.

Naturally, object-specific categories are more restrictive in inference as well as generalization. Whereas works by Pontes et al. and Kong et al. rely on first finding a specific object, close to the input data. Then they deform this general class object to a target object, expectedly close to the input data [KTEM18, PKS⁺17]. Nevertheless, work by Wang et al. [WZL⁺18] demonstrate a general case of reconstruction from RGB Input images. Combining multi-view depth images of objects as a basis for reconstruction is considered as well [TEM18]. While not restricted to reconstructing from images, voxelized three-dimensional data also is utilized [SFH18] with its drawbacks of native lower resolution. No work in the field is present, as far as transforming point cloud data directly to a polygonal mesh structure.

4. Graph-based surface reconstruction network

In this work, a novel approach for an end-to-end application for explicit surface reconstruction from unstructured point cloud data is proposed, based on a graph convolutional network (GCN) by Wang et al. [WZL⁺18], transforming images to polygonal meshes. It is heavily modified to allow point cloud data as input, though still able to infer polygonal meshes from previously unseen datapoints. This chapter outlines the changes made to the network by Wang et al., new extensions for learning in three-dimensional space on point cloud data, and its variations to yield the best possible results. The proposed network (*points2mesh*) learns feature vectors from point cloud data with their normal orientation, which are utilized to deform an initial polygonal mesh object, like an ellipsoid, resulting in an approximation of a mesh, based on the input point cloud.

Section 4.1 specifies the network's structure as well as proper objective functions in detail which operate the two-part convolutional network.

Subsequently, section 4.2 specifies the dataset used to train the networks, as well as how it was designed and constructed.

4.1. Neural network structure

Choosing suitable configurations, proper hyperparameters tunings, or even an appropriate dataset for a neural network is not a clear-cut decision. Thus, several configurations and hyperparameter tunings have been developed. Subsection 4.1.1 first describes the general idea of the neural network, followed by a detailed break down of its structure and configurations in section 4.1.2 and 4.1.3. Subsequently, a closer look at utilized objective functions in subsections 4.1.4 will be taken. Finally, every considered configuration of the neural network is outlined in subsection 4.1.5.

4.1.1. General system overview

The general goal of the neural network \mathcal{N}_{recon} is to provide an end-to-end solution for explicit surface reconstruction given a collection of unstructured point cloud data (\mathcal{PC}) in three-dimensional space with their normal orientation \mathbf{n}_{x_i} .

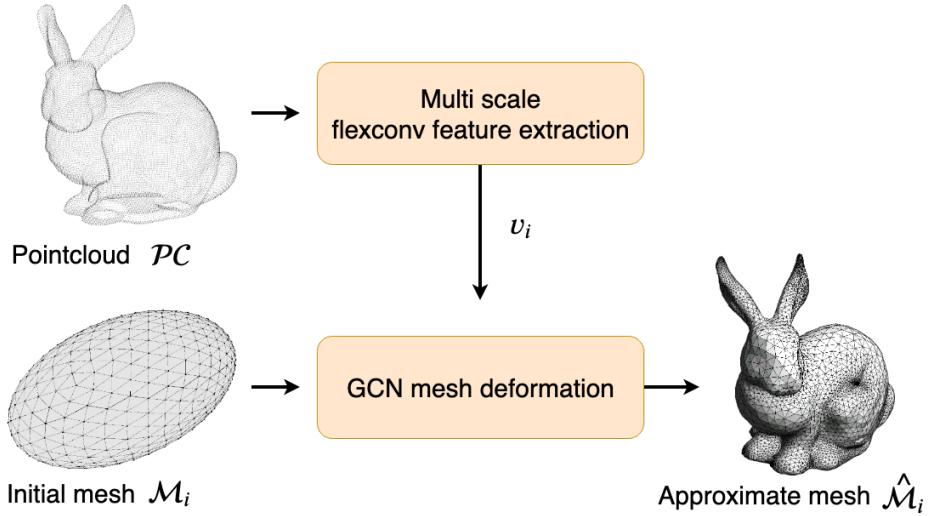


Figure 4.1.: General workflow of *points2mesh* network. \mathcal{N}_{recon} takes a pointcloud \mathcal{PC} and an initial mesh \mathcal{M}_i as input, deforms \mathcal{M}_i based on important features v_i in \mathcal{PC} to compute an approximate mesh $\hat{\mathcal{M}}$

With:

$$\forall \mathbf{x}_i \in \mathcal{PC} : \mathbf{x}_i = \begin{bmatrix} x \\ y \\ z \end{bmatrix} \in [-1, 1]^3 \quad (4.1)$$

Overall, the network structure is separated into two distinct parts, each with its specific purpose to fulfill. As seen in Figure 4.1, the neural network \mathcal{N}_{recon} gets two different inputs, whereas each input is processed in a different part of the network. First, the input data \mathcal{PC} is fed into the upper half of the network, called *flexconv feature extraction* \mathcal{N}_{flex} (See Figure 4.1). In a multiscale convolutional operation, a collection of feature vectors v_{x_n} is extracted, which is fed into the lower part of the network.

The second part, as seen in the lower half of figure 4.1, illustrates a *graph convolutional network* \mathcal{N}_{gcn} . Given an initial ellipsoid polygonal mesh \mathcal{M}_e , \mathcal{N}_{gcn} deforms it, estimating $\hat{\mathcal{M}}$. Where $\hat{\mathcal{M}}$ is the best matching estimate for the ground truth mesh \mathcal{M}_{gt} given \mathcal{PC} . The deformation process is assisted by supplying feature vectors v_{x_n} from \mathcal{N}_{flex} , also adding more vertices to the initial ellipsoid \mathcal{M}_e in three steps during the deformation process.

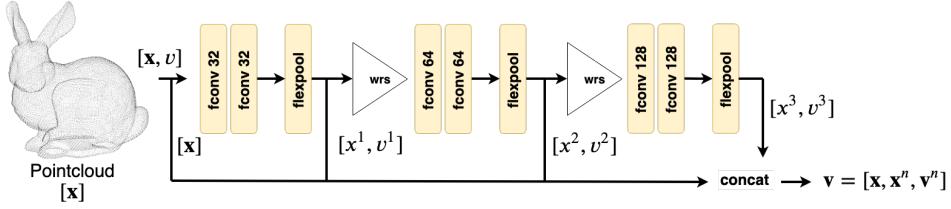


Figure 4.2: N_{flex} with point cloud \mathcal{PC} as input, computing features v^j in three blocks of flexconv layers and a trailing flexpool layer. After each convolutional block, weighted random sampling reduces the number of samples of \mathcal{PC} by a factor of four. Feature vectors v^j are concatenated with their respective positions x^j in a vector v .

4.1.2. Flexconv feature extraction

In traditional convolutional networks in context of computer graphics, the data at hand is often given as two dimensional images. In the case of three-dimensional processing, structured 3D grids are then a popular tool for natural processing of such. However, since converting data from \mathcal{PC} to a voxelized representation diminished its resolution, it is now kept as its unstructured base form of point cloud data.

As seen in the upper half of figure 4.2, N_{flex} processes \mathcal{PC} to compute a collection of three feature vectors v_{x_i} on a multiscale measure, working as follows. The network N_{flex} takes a vector of three-dimensional points $x_i \in \mathcal{PC}$ of size $[3, 1024]$ or $[3, 8000]$ (depending on the configuration), assigning each point its own 3D coordinates as his current feature v_i . Then, it is separated into three consecutive parts, where each section S processes the point cloud vector x_i and features v_i with two consecutive flexconv operators and a flexpool operator while expanding the dimension by a factor of 32 in each section. After convolving, the point cloud is sampled down by a factor of four each time by weighted reservoir sampling (wrs). Following every convolution, the coordinates x_i and their features v_i are collected. This compiles the multiscale feature vector v_i^s , which consists of key points in \mathcal{PC} needed for the deformation steps in the second part of the network.

4.1.3. GCN mesh deformation

As for the second part of the network N_{recon} , it consists of a graph convolutional network N_{gcn} , taking a basic polygonal shape \mathcal{M}_i as input, for example an ellipsoid form. The input mesh can directly be transformed into a graph structure, which the gcn can process since each vertex in the mesh corresponds to a node in the graph. Its structure, i.e., the number of vertices and edges, has to be known beforehand. Moreover, the same is true for the correspondence of edges in the mesh and edges in the graph. Thus, $\mathcal{M}_i = \mathcal{G}(V, E)$, with V being the vertices in the graph, and E the

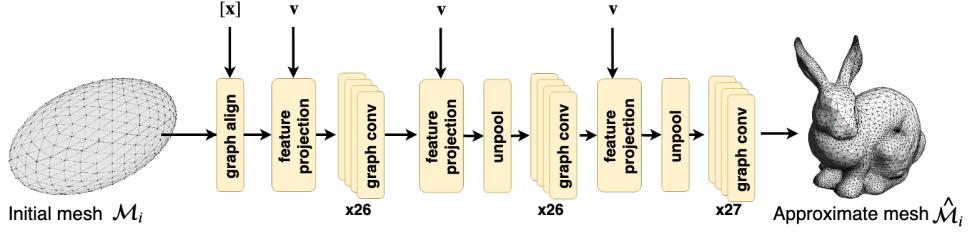


Figure 4.3.: N_{gcn} with initial mesh M_i as input. Feature vector v is projected onto the mesh M_i and deformed according to it. Then an unpooling layer increases the number of vertices in M_i . Projecting v onto the graph and deforming it afterward is repeated two more times.

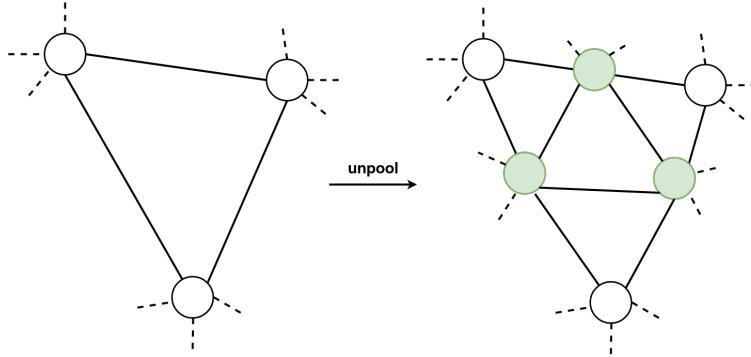


Figure 4.4.: The *unpooling* layer of N_{gcn} increases the number of vertices by introducing a new node between each neighboring node (white) in M_i . A new node (green) is added precisely in the middle of each old edge. Finally, the new nodes are connected, while also updating the neighborhood of the old nodes.

set of edges, connecting V . Furthermore, similarly to 4.1.2, the three-dimensional coordinates of each vertex in the initial mesh are utilized as feature vectors f_i for $\mathcal{G}(V, E, f_i)$. Since M_i corresponds to \mathcal{G} , in the following sections, the input graph \mathcal{G} of N_{gcn} is still referenced as input mesh M_i .

N_{gcn} is separated into three parts, as seen in figure 4.3. The primary process of one such segment consists of convolving on the graph for a set amount of iterations. Then, information from feature vectors v_i from N_{flex} to local feature vectors of the graph $f_i = [f_i, v_i]$ are appended by projecting them from the point cloud data onto the graph. Subsequently, the graph's vertices and edges are increased with a specialized *unpooling operation*. N_{gcn} repeats this process two more times to compute \hat{M} , approximating the underlying surface information for the input \mathcal{PC} .

The graph convolutional network is limited to a rigid structure of graphs on which it operates. Thus, it is necessary to define it before starting to train the network. Theoretically, it is possible to train the complete reconstruction with N_{recon} on an already highly detailed graph with many edges and vertices. However, such a graph

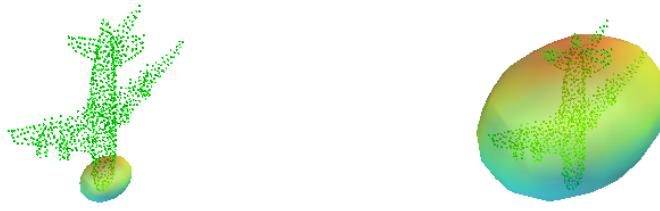


Figure 4.5: Initial ellipsoid in relation to input pointcloud \mathcal{PC} before aligning on the left. After *align graph* layer on the right. Thus, eliminating positional bias and letting the mesh shrink during deformation, rather than letting it grow.

is harder to deform in a correct way to approximate $\hat{\mathcal{M}}$, since it has many more trainable variables and thus may take much longer to converge, if at all. Hence, it would be easier to first deform an initial mesh with a low amount of detail, then increase its detail level over and over, deform anew, until it converges. Wang et al. [WZL⁺18] describe an *unpooling layer*, which enables \mathcal{M}_i to gain more detail, every time it is applied to it ($\mathcal{M}_0 \dots \mathcal{M}_2$). This edge-based unpooling layer adds a new edge in the midpoint of each neighboring edge for the graph \mathcal{G} as seen in figure 4.4. Subsequently, it connects the new ones, for that the amount of neighbors for each vertex stays the same. Though, the structure of the resulting graphs has to be known as well. Otherwise stable training of N_{gcn} would not be possible. N_{gcn} utilizes the layer twice, each time after deforming the current state of the graph and projecting v_i from the \mathcal{PC} onto \mathcal{M}_i .

Since the data in \mathcal{PC} , may not always be uniformly sampled (See section 4.2), it is essential to compensate for the positional bias of the \mathcal{PC} in relation to \mathcal{M}_i as seen in figure 4.5. N_{gcn} begins with a **graph alignment layer**, moving the arithmetic midpoint of the graph \mathcal{M}_i on top of the arithmetic midpoint of $x_i \in \mathcal{PC}$:

$$\forall x_{gcn} \in \mathcal{M}_i : x'_{gcn} = x_{gcn} + \left(\frac{1}{|\mathcal{PC}|} \sum_{x_i \in \mathcal{PC}} x_i - \frac{1}{|\mathcal{M}_i|} \sum_{x_{gcn} \in \mathcal{M}_i} x_{gcn} \right) \quad (4.2)$$

After repositioning the graph, it is rescaled to the value domain of $[-1, 1]^3$, if it exceeds it. Besides, this facilitates learning a more generalized form for deforming the mesh, for that N_{gcn} can not rely on absolute but rather relative positioning of \mathcal{M}_i during convolution.

Feature projection

Considering only *convolutional operations*, *graph alignment layer* and *unpooling layer* of N_{gcn} , a connection from N_{flex} has yet to be made. Ideally, a correlation between

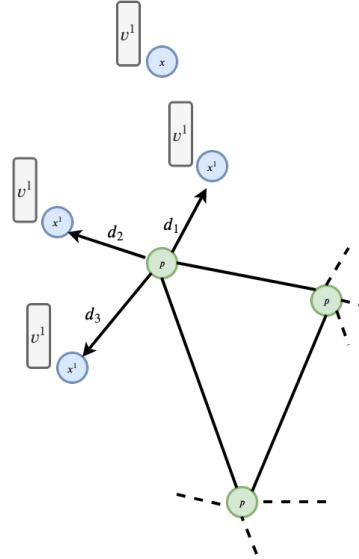


Figure 4.6: *graph projection layer*, assigning feature vectors \mathbf{v}^j to nodes in \mathcal{M}_i based on the distance to their nearest neighbor in \mathcal{PC} .

\mathcal{PC} and \mathcal{M}_i is created. The goal of \mathcal{N}_{gcn} is to deform \mathcal{M}_i based on learned feature vectors \mathbf{v}_i from \mathcal{N}_{flex} . Mathematically by default, no direct correlation between these two exist. Thus, the *feature projection layer* is proposed. It assigns for each vertex in \mathcal{M}_i , features from \mathcal{N}_{flex} based on the distance from \mathcal{M}_i to their k -nearest neighbors in \mathcal{PC} .

As seen in blue in figure 4.6, every point in \mathcal{PC} resides in the same coordinate system as vertices $p_j \in \mathcal{M}(V, E)$ (Illustrated as green points with their connecting vertices in black). For each vertex p_j , the *feature projection layer* computes the k -nearest neighbors in \mathcal{PC} (Here $k = 6$). Higher values for k compensate for unstable performance of nearest neighbor search, while lower values speed up execution and thus training time. Features $[\mathbf{v}_n^s, \dots, \mathbf{v}_{n+k}^s]$ of points $[\mathbf{x}_n^s, \dots, \mathbf{x}_{n+k}^s]$ are scaled by the distances $d_i = |\mathbf{x}_i - p_j|$. The final feature vector f_i assigned to p_i is calculated like the following:

$$\forall p_j \in \mathcal{M}_i : f_i^s = \frac{1}{k} \sum_{\forall x_i^s \in knn(p_j), s \in S} \frac{v_i^s}{1 + |x_i^s - p_j|^2} \quad (4.3)$$

Where v_i is the respective feature vector stored at point \mathbf{x}_i^s . This is repeated for each scaling s in S of \mathcal{N}_{flex} where a feature vector is propagated out of the subnetwork (See figure 4.2).

4.1.4. Loss functions

The losses are defined based on the network of Wang et al. [WZL⁺18], and adapted accordingly to work with point cloud based input data. Given \mathbf{x}_i and normal orientation \mathbf{n}_i , an objective function \mathcal{F} is defined as follows to help generate good-looking results.

A symmetrical *chamfer distance loss* l_{ch} tries to ensure that vertices of \mathcal{M}_i are located close to other points \mathbf{x}_i in ground truth data \mathcal{PC} . It sums up for each vertex $p_j \in \mathcal{M}_i$ the distance to its nearest neighbor in \mathcal{PC} and for each point $\mathbf{x}_i \in \mathcal{PC}$ the distance to its nearest neighbor in \mathcal{M}_i . Though, it is scaled by sizes of $|\mathbf{x}_i|$ relative to $|p_j|$, depending on how often \mathcal{M}_i already has been unpooled (See Appendix A for their formula).

Furthermore, Wang et al. propose an edge length loss l_{edge} in \mathcal{F} , reducing the overall mean of lengths of the edges. And scaling it up by a predetermined constant value of 300, as seen in formula 4.4. Only considering l_{ch} and l_{edge} ignores the orientation of neighboring faces. Wang et al.'s l_{cos} term guides \mathcal{F} to orientate neighboring edges towards the same direction since most real meshes have smooth surfaces. This approximating term is illustrated in formula 4.5. Additionally, since $l_{ch}, l_{edge}, l_{cos}$ may still lead to optimizations which gravitate towards local minima, they introduce a laplacian regularizer l_{lap} which avoids self intersecting meshes and moving single vertices too freely during the deformation process (See Appendix A for their formula).

$$l_{edge} = \frac{300}{|E|} \sum_{e \in E} \|e\|^2 \quad (4.4)$$

$$l_{cos} = \frac{1}{2|E|} \sum_{e \in E} \text{normal}(e) \cdot e \quad (4.5)$$

In most extreme cases, it is possible for different, not neighboring vertices to land on top on each other, or close to each other with distances $< \epsilon$. Since this case is not covered by avoiding selfintersections with the laplacian regularizer, a *collapse loss* l_{col} is included in \mathcal{F} , defined as:

$$l_{col} = \frac{1}{|\mathcal{M}_i|} \sum_{nn(p_j) - p_j > \epsilon, \forall p_j \in \mathcal{M}_i} 1 \quad (4.6)$$

\mathcal{N}_{recon} optimizes against the objective function $\mathcal{F} = l_{ch} + l_{col} + l_{cos} + l_{edge}$ to obtain an approximate mesh $\hat{\mathcal{M}}$ which characterizes \mathcal{PC} .

4.1.5. Network configurations C

Finding suitable hyperparameters and an appropriate network structure is no easy task. Tuning hyperparameters in small increments, removing or including

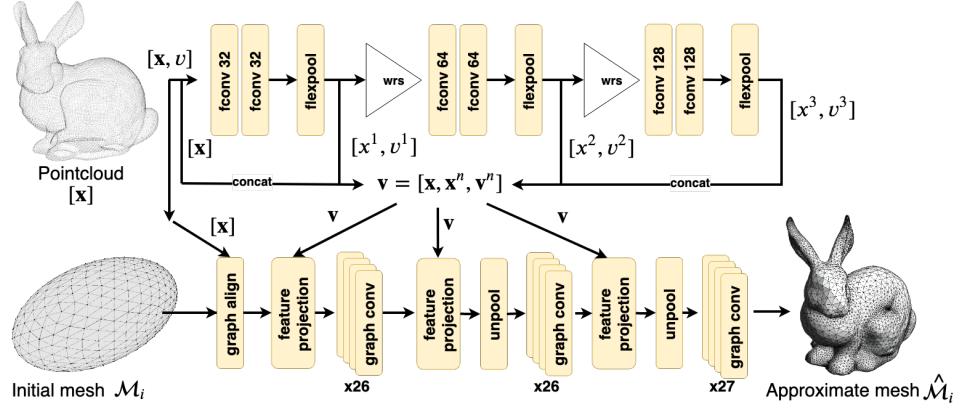


Figure 4.7.: Baseconfiguration C_1 of \mathcal{N}_{recon} showing flex conv feature extraction \mathcal{N}_{flex} in the upper half, and graph deformation network \mathcal{N}_{gcn} in the lower part. The complete network \mathcal{N}_{recon} takes a point cloud and an initial mesh as input, approximating the underlying surface information of the point cloud with $\hat{\mathcal{M}}_i$ after deforming the mesh, based on features learned in the point cloud

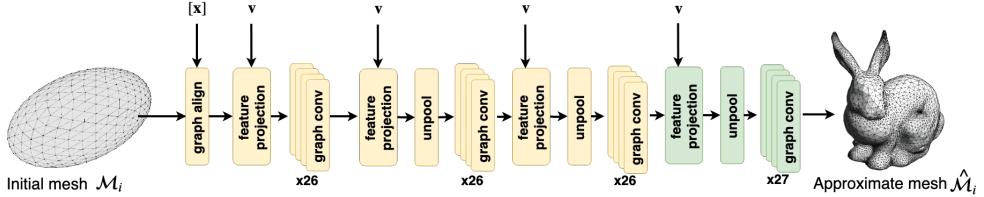


Figure 4.8.: Configuration C_2 of \mathcal{N}_{recon} , showing its difference in \mathcal{N}_{gcn} to configuration C_1 . C_2 introduces an extra *projection, unpooling* layer and a *graph convolution* block. Thus, allowing for a higher detailed approximate mesh $\hat{\mathcal{M}}$

more layers in either \mathcal{N}_{recon} or \mathcal{N}_{flex} may change results drastically. Therefore, some configurations have advantages over other configuration, while still having disadvantages in other aspects. Thus, several configurations have been carved out and are specified in detail later evaluation. This section illustrates how the configurations deviate from the general network structure presented in section 4.1.1 through 4.1.3. Though, every configuration uses an ellipsoid triangle/quad mesh \mathcal{M}_i with 156 vertices for the deformation process of \mathcal{N}_{gcn} . Consecutive *unpooling* operations increase the count to 618, and finally to 2466 vertices.

C_1 : Baseconfiguration Configuration C_1 , as described in this chapter and seen in figure 4.7, illustrates the base structure of \mathcal{N}_{recon} . It is trained on an input \mathcal{PC} with 1024 as well as 800 samples and increases the detail of \mathcal{M}_i twice.

C_2 : High detailed baseconfiguration Configuration C_2 corresponds to C_1 almost identically, with the exception of increasing the count of *unpooling layer* from two to three, thus increasing the number of vertices to 10626. As seen in figure 4.8 marked

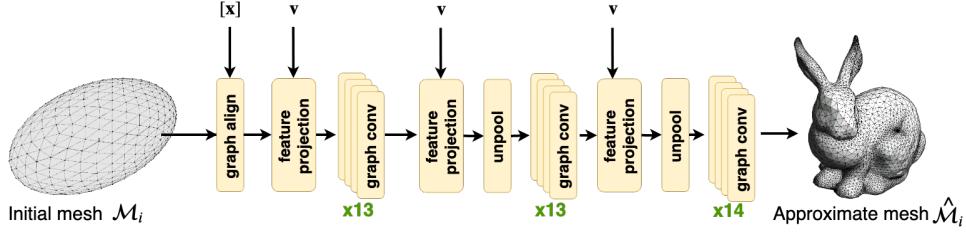


Figure 4.9.: Showing only N_{gcn} of N_{recon} with N_{flex} being the same as in configuration C_{1-3} . In contrast to C_1 , Configuration C_4 reduces the number of used layers for deforming the mesh in N_{gcn} .

as green layer components, N_{gcn} is expanded by appending another *projection* and *unpooling* layer, as well as a *convolution* block at the end. Similarly C_2 is trained with 1024 as well as 800 samples in \mathcal{PC} .

C_3 : Biased neighbor features

Configuration C_3 , similarly configured like C_1 , but with a difference in the implementation of the *projection layer*. Instead of only projecting feature vectors v_i of \mathcal{PC} onto the mesh, it also adds the mean vector x_i to the final feature vector f_i^s for \mathcal{M}_i .

$$\forall p_j \in \mathcal{M}_i : y_i^s = \frac{1}{k} \sum_{\forall x_i^s \in knn(p_j), s \in \mathcal{S}} \frac{x_i^s}{1 + |x_i^s - p_j|^2} \quad (4.7)$$

Thus, N_{gcn} utilizes the following feature vector f_i after projecting in each detail step of the mesh \mathcal{M}_i :

$$f_i = [f_i, y_i^1, v_i^1, y_i^2, v_i^2, y_i^3, v_i^3,]$$

Additionally, as a variation of C_3 , the first layer of N_{gcn} , the *graph alignment layer* is omitted and thus defining configuration C'_3 . Removing the layer introduces a positional bias of the initial shape \mathcal{M}_i into the network, but leads to interesting reconstructions worthy of evaluating in more detail.

C_4 : Compact GCN with simple projection Finally, based on configuration C_1 , configuration C_4 reduces the amount of convolutional layers in N_{gcn} as seen in figure 4.9. Furthermore, the distance based falloff $\frac{1}{1+d}$ in the *projection layer* is excluded, while also computing only one nearest neighbor, $k = 1$ in that particular layer.

4.2. Dataset

Finding and designing a suitable dataset \mathcal{D} to train the network on is just as crucial as designing its structure. Such a suitable dataset is *ModelNet*, offering 40 different object categories and thousands of fully meshed objects. By default, it does not offer

a point cloud representation, as required by \mathcal{N}_{recon} . Qi et al. [QYSG17] propose a transformation of the classical *ModelNet40* dataset to a point cloud based one which can be utilized by \mathcal{N}_{recon} .

This section describes their way of transforming the dataset, on which categories \mathcal{N}_{recon} is trained on, and an additional data augmentation step to enhance the dataset.

4.2.1. Dataset generation

TODO: hier?

4.2.2. Utilized object categories

TODO: Bilder fuer object categories or interesting features Even though *ModelNet40*, and therefore the transformed point cloud dataset by Qi et al. offers, as the name suggests, 40 different object categories, only a subset of them is chosen for training purposes of \mathcal{N}_{recon} . The subset of \mathcal{D}_{m40} is defined as $\mathcal{D}_{big} = [\text{airplane}, \text{bed}, \text{bottle}, \text{bowl}, \text{chair}, \text{guitar}, \text{toilet}]$ It is chosen based on the goal of learning a generalized deformation operation by showing preferably vastly different object categories to the network, all with interesting object features, which \mathcal{N}_{recon} should learn.

Point cloud data used for inference is not always sampled perfectly on the surface of an object. Random noise on these coordinates is common occurrence. For that reason, to aid \mathcal{N}_{recon} learning a more generalized reconstruction, each of the dataset categories are augmented with random noise added to each vertex in the point cloud by a factor q_{noise} .

Interesting features for reconstruction include:

- long appendages (leg of a chair, airplane propellor)
- thin appendages (airplane wings)
- hard edges (toilet flushing cistern)
- uniform curvatures (bowl)
- objects of $genus > 0$ (some chairs/airplanes,guitars)

5. Results

By the nature of the defined configurations C_i , the neural network *points2mesh* has several reconstructions for each input point cloud $\mathcal{P}C$. Since it is not easy to estimate the quality of reconstructed meshes only based on numerical values, it is vital to assess their visual quality, though highly subjective. Therefore, in this chapter, a wide range of reconstructed objects of various categories C_i are presented and displayed next to their input point cloud $\mathcal{P}C$ and their ground truth mesh. Some interesting features of reconstructions are pointed out, and presented with reconstructions of comparable reconstruction methods.

5.1. Compared methods

Restoring polygonal meshes directly from point cloud data is a new domain of geometry reconstruction, which yet has to be explored deeply. Apart from *points2mesh*, no other methods relying on neural networks and deep learning techniques have yet been proposed for this kind of mode of data transformation. For this reason, *points2mesh* has to compete against techniques from traditional approaches like *ball-pivoting algorithm* [BMR⁺99] (BPA) and *instant field meshes* [JTPSH15] (IFM). Furthermore, by adding an intermediate step of voxelization of $\mathcal{P}C$, this work also can be compared against *deep marching cubes* [LDG18] (DMC), which transforms voxelized data into meshes based on deep learning approaches and the classical marching cubes algorithm.

5.2. Result visualization

5.1 shows the reconstruction from a point cloud sample size of 1024 from the *category airplane*. 5.1a shows the ground truth mesh, and 5.1d its sampled point cloud. Figures 5.1b, 5.1c, 5.1e, 5.1f show the reconstruction from \mathcal{N}_{recon} with configurations C_1 through C_4 .

The last row depicts reconstructions with *BPA*, *IFM*, and *DMC*. While the reconstruction with configuration C_1 represents the most interesting features of the airplane, especially the small winglets, it still has some errors. One of the errors is at the rear of the plane with an edge dangling in the air, spanning over it. The same error happens

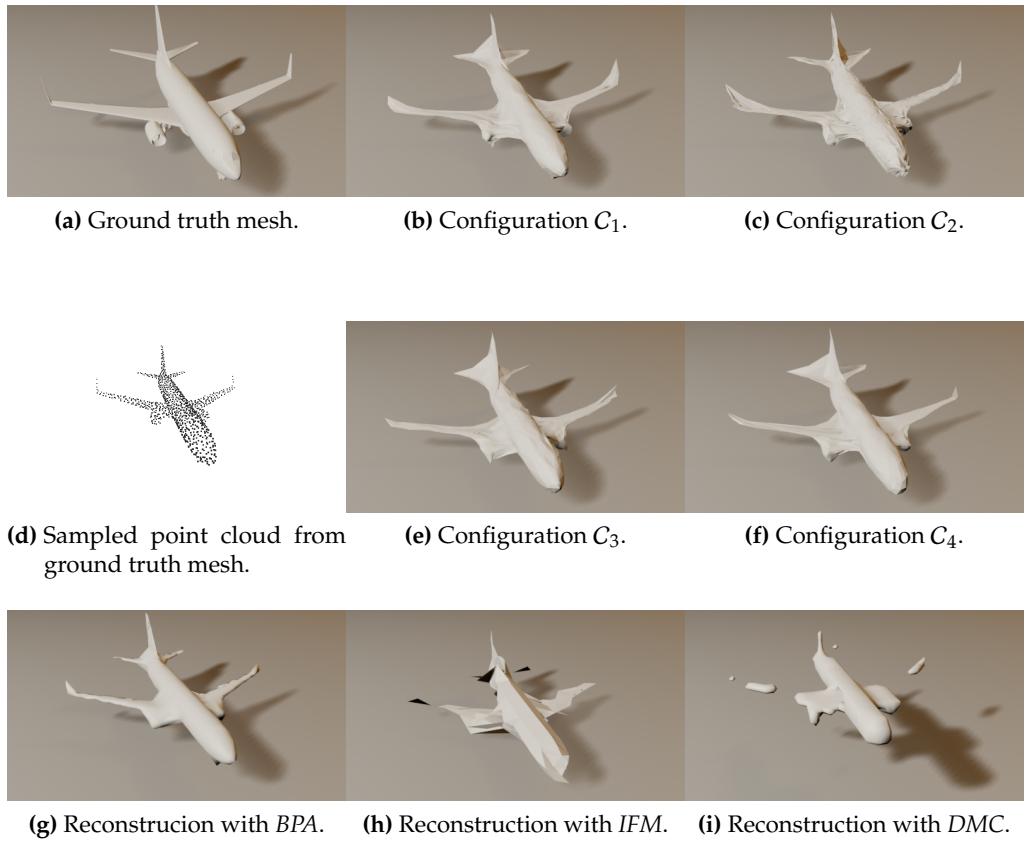


Figure 5.1.: Reconstruction of an airplane from point cloud with 1024 samples.

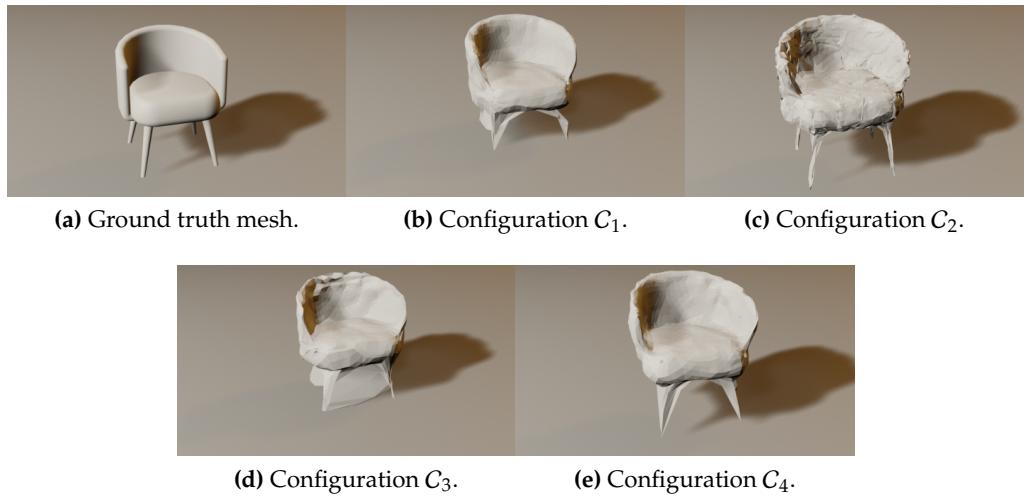


Figure 5.2.: Reconstruction of a chair from point cloud with 1024 samples.

5.2. Result visualization



(a) Ground truth mesh.

(b) Configuration C_1 .

(c) Configuration C_2 .



(d) Sampled point cloud from ground truth mesh.



(e) Configuration C_3 .



(f) Configuration C_4 .



(g) IFM guitar reconstruction.



Figure 5.3.: Reconstruction of a guitar from point cloud with 1024 samples.



(a) Ground truth mesh.

(b) Configuration C_1 .

(c) Configuration C_2 .



(d) Reconstruction with DMC



(e) Configuration C_3 .



(f) Configuration C_4 .

Figure 5.4.: Reconstruction of a bowl from point cloud with 1024 samples.

Chapter 5. Results

with configuration C_3 and C_4 too. Configuration C_2 seems to represent the airplane's features the best, though the least smooth of all reconstructions. As seen in figures 5.1f and 5.2c, configuration C_2 is generally depicting the ground truth mesh in a good way, though not smooth. Considering other reconstruction methods, different problems, but also positives can be seen. *BPA* reproduces smooth results as seen in figure 5.1g, while *IFM* does not perform as well on low samples (256 and 1024) as seen in figure 5.1h. Generally *DMC* does not perform good either as seen in figures 5.1i and 5.3h.

Similarly, figure 5.2 through 5.5 show reconstructions with the same configurations C_i from N_{recon} , but with an object from the *categories chair, guitar, bowl*. These *categories* were included in the training set of N_{recon} , though every reconstructed object sample originate from a test set, and thus have not been seen during the training stage. Similar behavior of the four network configurations, as described above, can be seen again, including the spanning of edges over empty space, like in figure 5.2d, between the legs of the chair.

Figures 5.5 and 5.6 show reconstruction with a sample size of 256. Depicted are reconstructions with configurations C_1 and C_2 and their corresponding ground truth mesh and sampled point cloud. While still able to reconstruct the general shape of the object, the spanning problem is still visible. Additionally, *DMC* is not able to handle bigger empty spaces in the sparse cloud well enough to create a proper reconstruction, as seen in figure 5.6d.

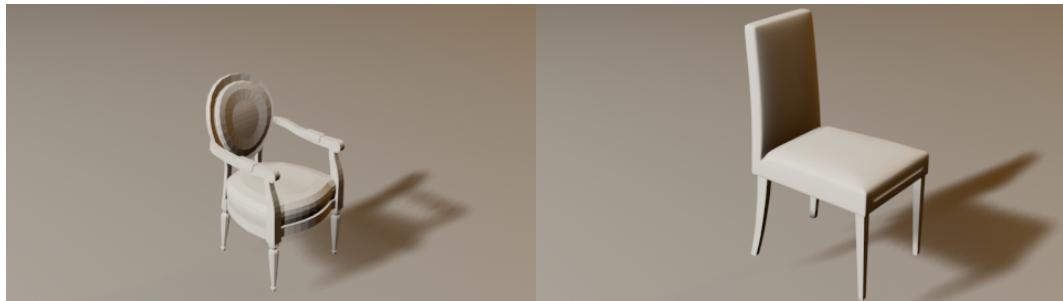
Figures 5.8 and 5.9 show reconstruction of a chair and an airplane from 7500 samples. Depicted are configurations C_1 and C_4 .

For easier comparisons, figure 5.10 shows the reconstruction of the same airplane with configuration C_1 but with different sample sizes, as well as reconstructions from *BPA* and *IFM* with the same sample size, showing their ostensible superiority with more samples.

Next, in figure 5.11, reconstruction of airplanes and with configuration C_1 can be seen. Each point in the point cloud has random jitter noise between -0.01 and 0.01 added on top of it.

Finally, figures 5.12 and figure 5.13 show the reconstruction of a person and a bathtub, based on point cloud samples which N_{recon} has not been trained with.

5.2. Result visualization

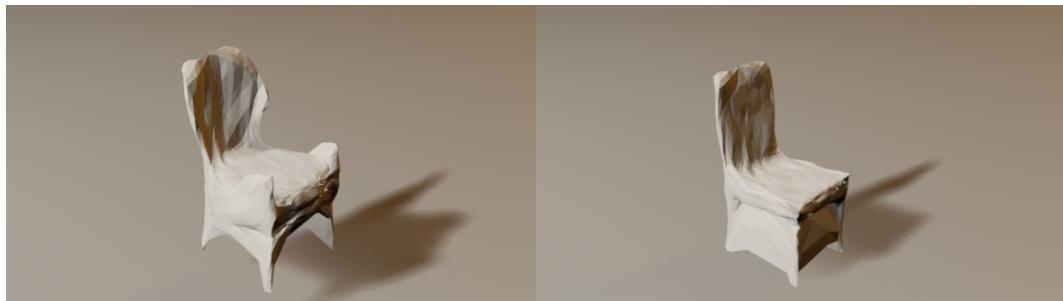


(a) Ground truth mesh.

(b) Ground truth mesh.



(c) Sampled point cloud from ground truth mesh. (d) Sampled point cloud from ground truth mesh.



(e) Configuration C_1 .

(f) Configuration C_2 .

Figure 5.5.: Reconstruction of chairs from point cloud with 256 samples.

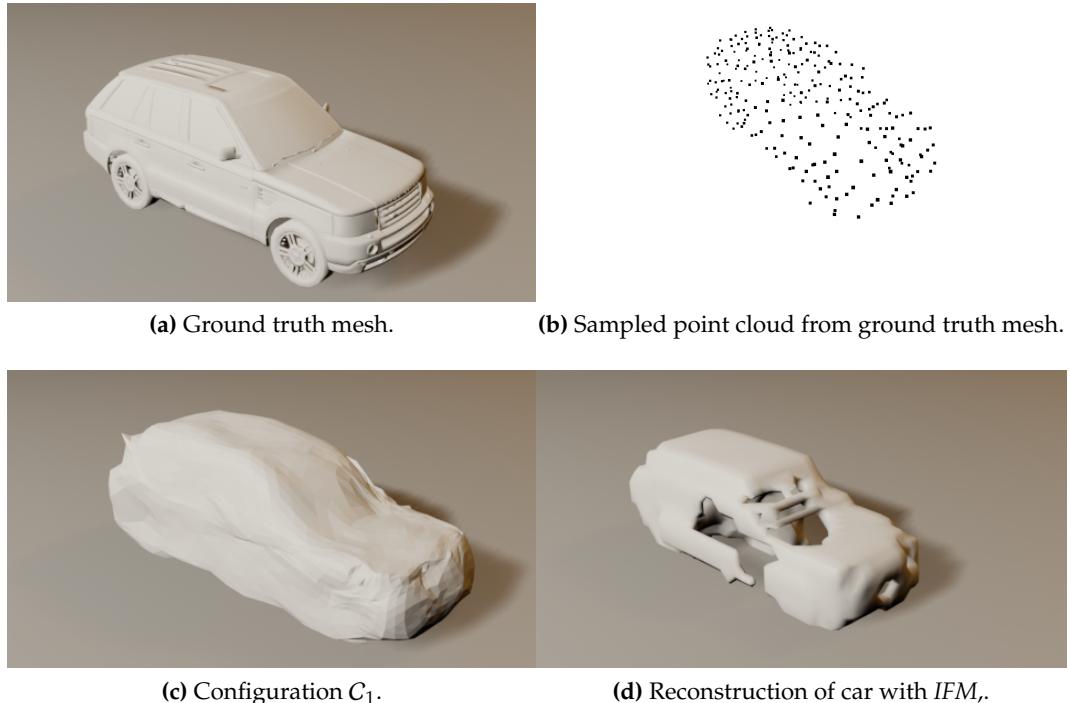


Figure 5.6.: Reconstruction of a car from point cloud with 256 samples.

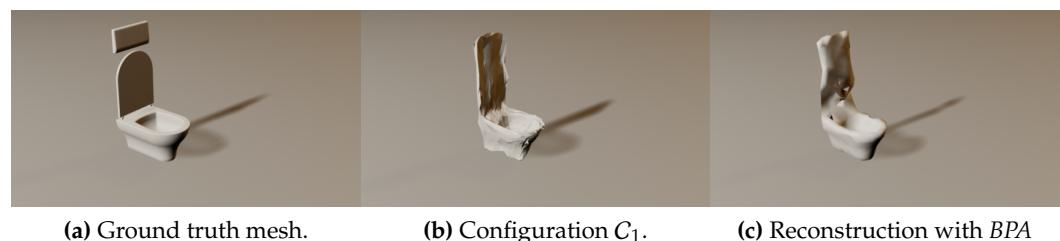


Figure 5.7.: Reconstruction of a toilet from point cloud with 256 samples.

5.2. Result visualization

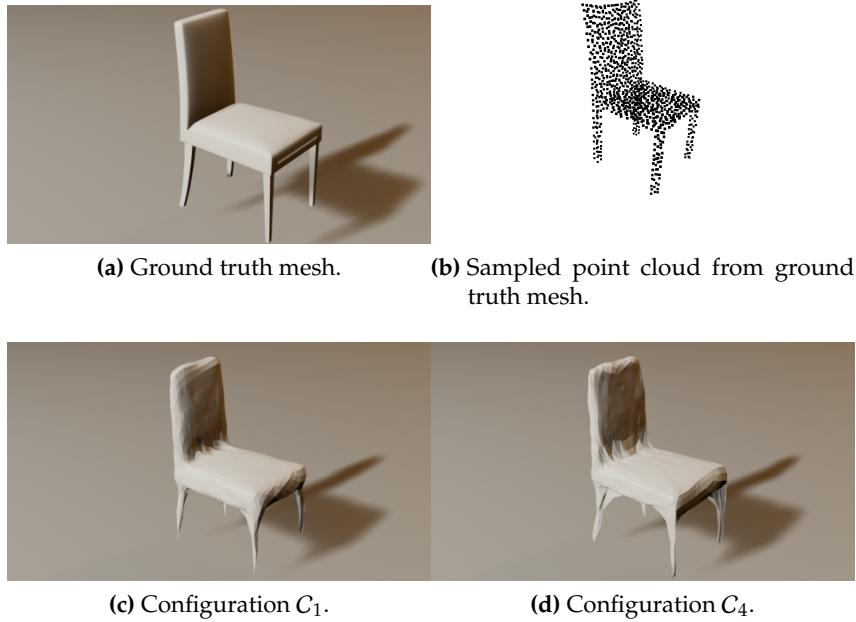


Figure 5.8.: Reconstruction of a chair from point cloud with 7500 samples.

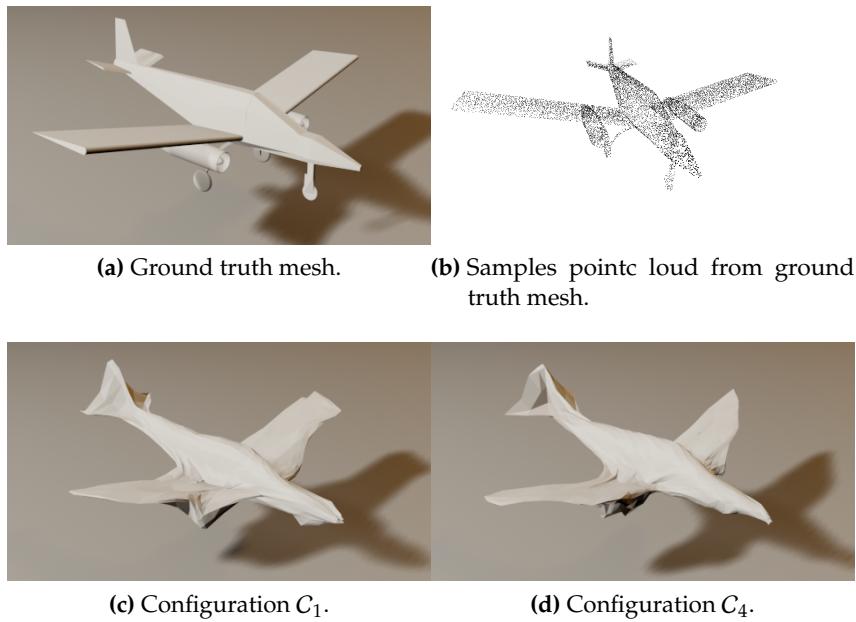


Figure 5.9.: Reconstruction of an airplane from point cloud with 7500 samples.

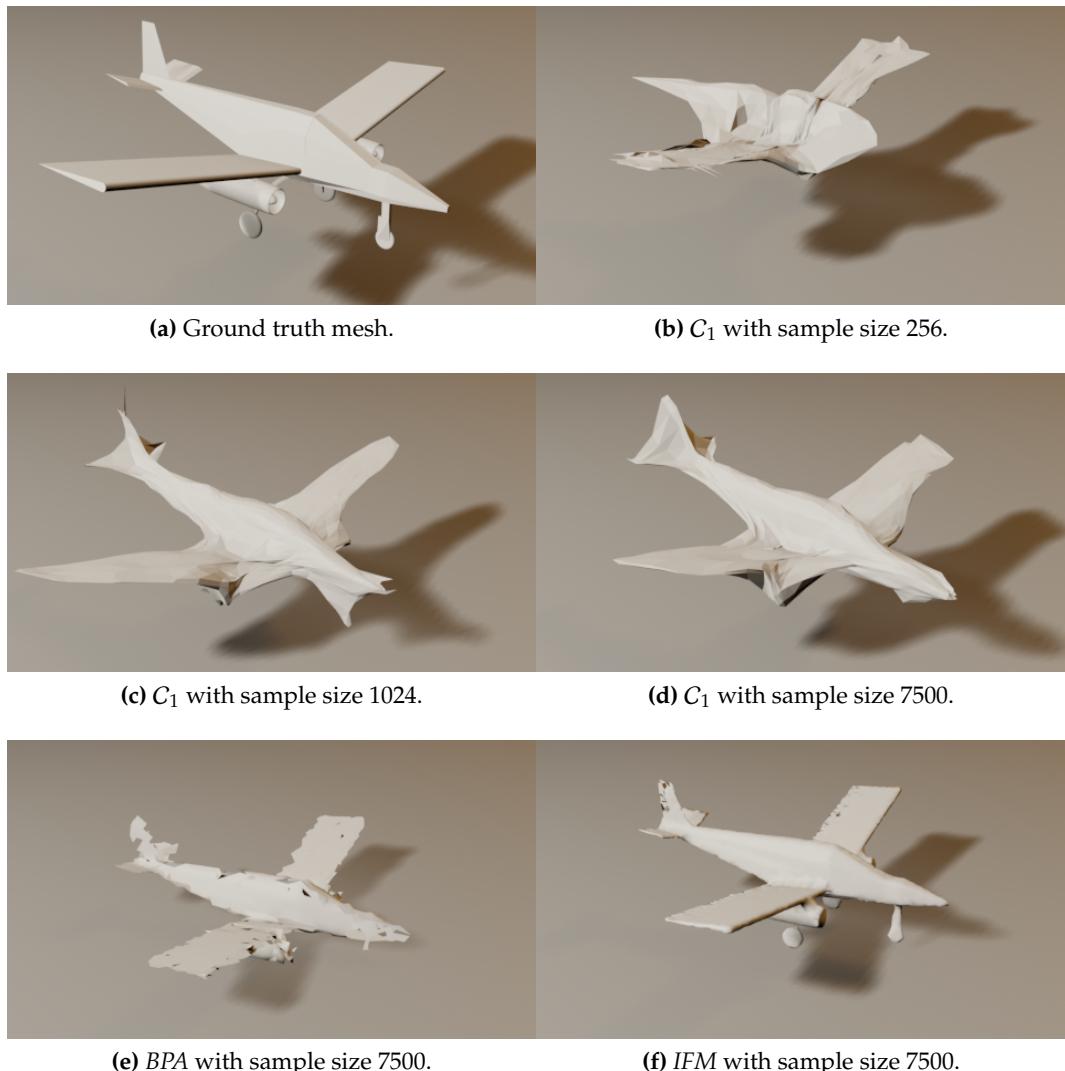


Figure 5.10.: Reconstruction of an airplane with different sample sizes, but the same configuration C_1 .

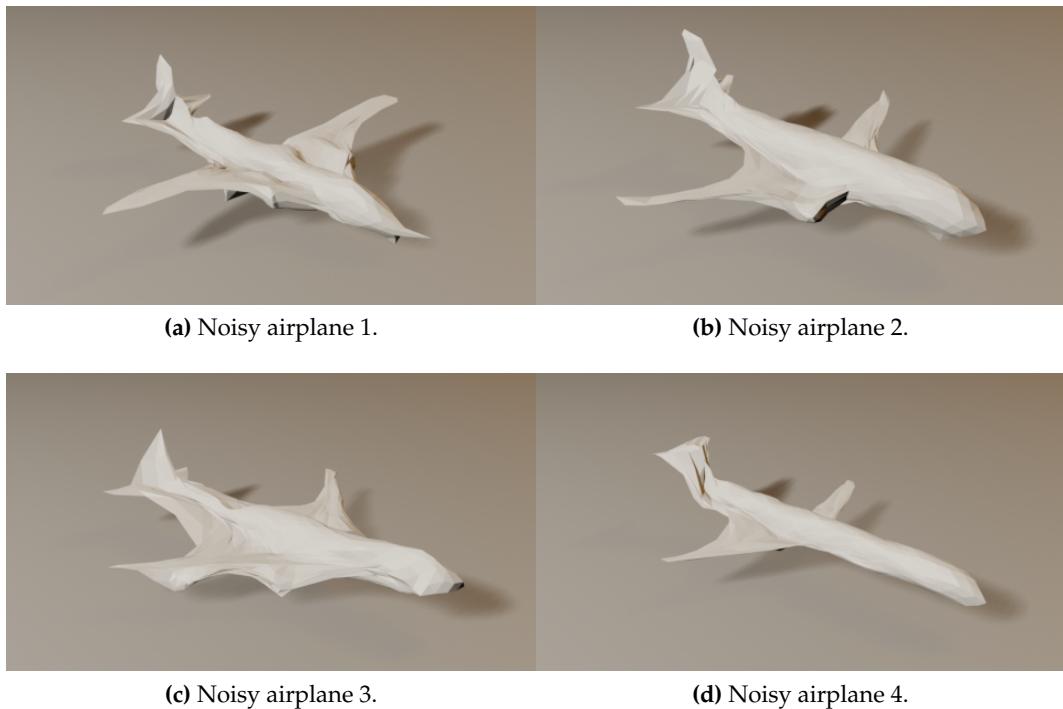


Figure 5.11.: Reconstruction of airplanes with C_1 from noisy point cloud with noise factor of 0.01.

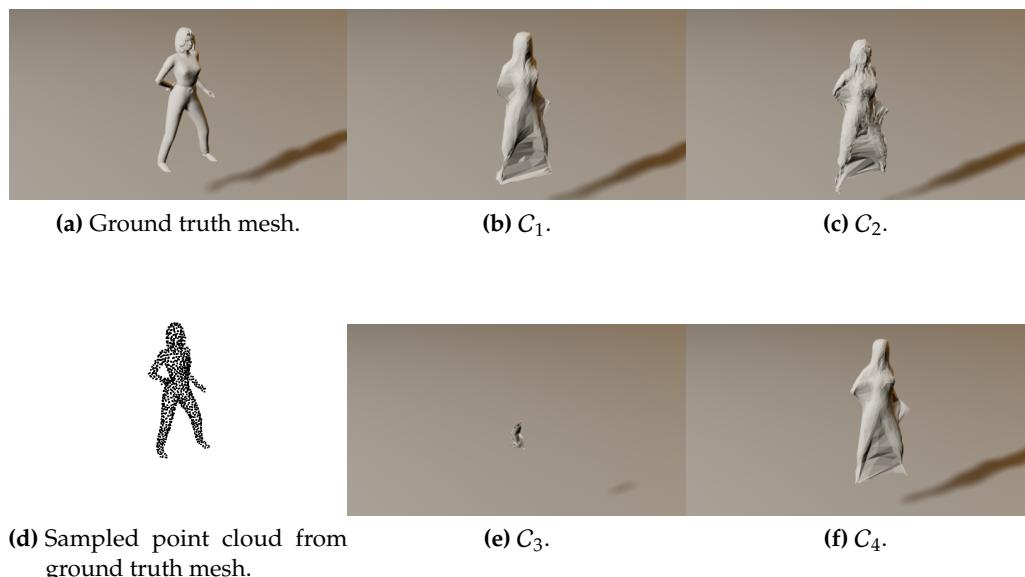
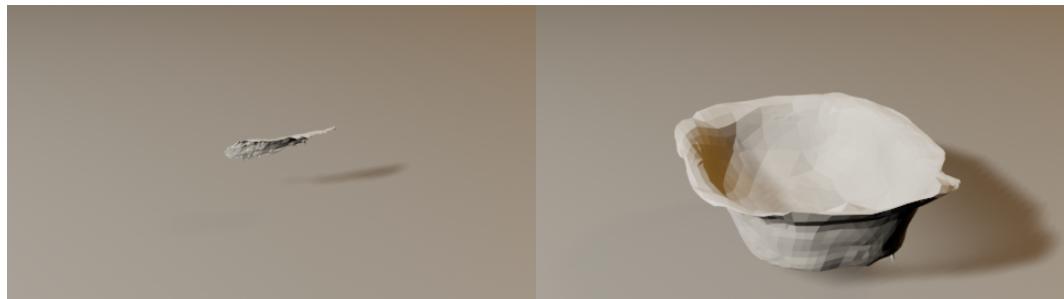


Figure 5.12.: Reconstruction from point clouds of untrained category *person*.



(a) C_1 .

(b) C_2 .



(c) C_3 .

(d) C_4 .

Figure 5.13.: Reconstruction from point clouds of untrained category *bathutb*.

6. Evaluation

An indefinite amount of different meshes can represent the same object. Consequently, even more meshes exist, which approximate that same object. Therefore, quantifying the quality of reconstructed meshes is a critical aspect for this application, likewise for similar ones. Only by being able to determine applications with higher qualitative results facilitate improvement in the field of mesh reconstruction. *points2mesh* and its described configurations C_i aim to improve on previous work, reconstructing meshes from point cloud data. Its advantages and drawbacks, in contrast to similar efforts, or even reconstruction methods working on other data types, rather than point cloud data, have to be clearly defined and evaluated. Even though the goal of this work is to reconstruct visually pleasing reconstructions for mesh approximations, considering raw numeric evaluations is nevertheless a crucial component.

In section 6.1, the experimental setup is described, which tries to assess the quality of reconstructed meshes and compare the defined metrics to other reconstruction methods. Subsequently, the results of the experiment are presented in section 6.2, where each one is accompanied by tabulated results.

6.1. Experimental setup

Finding a proper way to quantify the approximation of a mesh in comparison to its reconstruction is no straightforward task. Many different methods exist, each with its advantages and drawbacks. Depending on the specific application like the size of the mesh, the number of vertices and edges, or features to compare, optimal methods of comparisons may differ, if any even exist. For the proposed network *points2mesh*, several metrics are chosen, which may lead to conclusions about the quality of the reconstructed mesh. Not only are they applicable to *points2mesh*, but to other reconstruction methods as well. Thus, these metrics can be compared to each other, and an argument may be formed about their reconstruction capacity. This section specifies aspects to evaluate of *points2mesh*'s configurations C_i . Furthermore, utilized metrics for the comparison are detailed in the subsequent subsection. Finally, competing methods for reconstruction are specified, to define a frame of reference against which *points2mesh* should be able to hold up or even exceed.

6.1.1. Evaluation aspects

There are several aspects to evaluate *points2mesh*. Not only are network configurations C_i a crucial consideration, but so is computation time, as well as generalization capabilities and starting meshes \mathcal{M}_i (Ellipsoid, Torus). Finally, attaining visually pleasing meshes is one such goal too, and thus has to be evaluated as well.

Therefore, the following aspects are chosen to evaluate.

- **Configurations C_i :** Each configuration, as described in 4.1.5, has its purpose for specific reconstruction capabilities. Evaluating every one of them may lead to conclusions about objective rankings, and thus to a choice of best network configuration for reconstructions with the highest quality.
- **Visual quality:** While being subjective, taking a closer look how good the reconstruction seems to represent the ground truth mesh is still relevant.
- **Computation time:** Determining how fast such a reconstruction can be calculated may change which method to use depending on the application.
- **Generalization capabilities:** Evaluating how well configurations C_i are capable of generalize the problem of reconstruction is a crucial aspect for any neural network.
- **Changing the basemesh \mathcal{M}_i :** *points2mesh* is only able to reconstruct meshes of the same *genus* as the input mesh \mathcal{M}_i . Thus, testing configurations C_i with different \mathcal{M}_i of higher *genus* like a toroidal shape may lead to different results and reconstructions with higher *genus*.
- **Noise robustness:** Acquiring unstructured points in three-dimensional space from real-world object often entails noisy data. The perfect acquisition is already nearly impossible due to imperfection in the hardware. Thus, training \mathcal{N}_{recon} with noisy data is an essential part of the evaluation.
- **Computation time:** If such reconstruction methods are fit for time critical application, their computation time is important to evaluate.

While evaluating configurations, the visual quality and computation time can be compared to other methods, generalization and different used basemeshes are isolated during evaluation due to their nature and thus are only compared to each other.

6.1.2. Evaluation metrics

Choosing proper evaluation metrics is ambiguous, but several are often chosen in recent work of mesh reconstruction with favorable information content. While some

6.2. Experiment results

of them may help to lead to objective conclusions about quality, others are subjective in nature. These metrics are described in the following.

Meshdistance d_m

In 3D vision, a commonly used metric to compare the quality of meshes is done with completeness of the predicted mesh in comparison to the ground truth mesh. Based on uniformly sampled points on both meshes, completeness describes the distance of points of ground truth to the predicted mesh. Stutz et al. [Stu17, SG18] introduce a parallel C++ implementation of *meshdistance* which calculates completeness, given a ground truth mesh and a prediction. Distances are calculated by a point-to-triangle method by Christopher Batty¹ (See chapter 2.1)

Visual evidence

Though subjective, taking a closer look at, how well a reconstructed mesh seems to represent the ground truth mesh is important too. Relying only on numeric values may lead to reconstructions with low values, but not visually pleasing results. This is due to the complicated nature of the problem itself. For a given point cloud, an indefinite amount of different reconstructions are possible. Therefore, inspecting the meshes is necessary.

6.2. Experiment results

The numerical evaluation of *points2mesh* and its configuration C_i is denoted in a tabulated form. Since *points2mesh* is trained on the ModelNet dataset, data samples from this dataset are selected for inference. About 20 percent of the provided point clouds are left out of training and thus used as the test-set. Therefore, the network has never seen it before. In that way, its quality can be measured against the other methods and is comparable in the first place. The other two methods against which *points2mesh* is compared against, should be able to handle point cloud data from ModelNet. In the following sections, the previously explained metrics are listed and compiled against each other. Likewise, *points2mesh*'s reconstructions are listed to comparable methods with the same metrics.

¹<https://github.com/christopherbatty/SDFGen> last visited: July 1, 2019

6.2.1. Distance metric results

The first comparison consists of evaluating the distance metric d_m for every configuration C_i and *ball-pivoting algorithm*(*BPA*) and *instant field meshes*(*IFM*). One hundred point clouds of each object category are taken at random from the ModelNet dataset. For each method, an approximation mesh M_p is calculated, and all distance measure metrics to its ground truth mesh computed. The mean value of these metrics is noted in the tables. While the first table denotes reconstruction from 256 samples, the following denotes reconstruction from 1024 and subsequently from 7500 points. Furthermore, 6.1 also describes the distance metric d_m from the hundred object samples to a not yet deformed sphere². This baseline for d_m gives a general understanding of d_m . *Deep marching cubes* unfortunately transforms and normalizes their reconstructed mesh in such a way, that it cannot be numerically evaluated and thus not compared to *points2mesh* and *IFM* or *BPA*. However, a visual comparison is possible and still appealing to conduct, since it is the only other deep learning based reconstruction method working (indirectly³) on point cloud data, transforming it into a poly-mesh.

First, as seen in figure 6.1 through 6.3, reconstructed meshes already differ depending on the employed configuration C_i . For each cell, 100 objects of the *ModelNet* test dataset are used for inference and evaluate with d_m against the ground truth. Denoted is the mean value of that distance value. The columns indicate the used configuration or method for the reconstruction. The last column describes the mean value of d_m of a basic spheroidal shape evaluated against all test samples. Comparing this value offers a baseline value, which is an approximate upper bound for the quality of the reconstructed meshes. A perfectly reconstructed mesh has a d_m value of 0.

The initial goal is to figure out the *best* configuration out of the four proposed ones. Reaching that state requires preceding evaluation of d_m . Each of them has its merits, but finding the configuration, generally capable of the best reconstructions is essential. Taking a look at the mean values of d_m in table 6.2 for each configuration C_i shows a small advantage of C_1 and C_4 over the other two configurations. Though small, smaller values are still visible throughout. Exemplary, in figure 5.1, the resemblance of the reconstructions are pretty close, though with noticeable differences. Taking a closer look at the airplane wings in the first row, C_1 , C_2 and C_4 reconstruct the small winglets correctly at the end of each wing blade. With configuration C_3 , they are not noticeable anymore. The advantage can also be seen in the reconstruction of chairs with 1024 samples. Configuration C_1 , C_2 and C_4 do not have the problem with edges in empty space like configuration C_3 , as seen in figure 5.2. The general low values of C_2 , with a higher amount of vertices for the reconstructed object can

²The sphere object is defined by the implicit surface formula $x^2 + \frac{y^2}{2} + z^2 = 0$ and created in meshlab with a voxel size of 0.055

³DMC preprocesses the point cloud by transforming it into a voxelized representation, thus not a direct transformation from point cloud data to meshes.

6.2. Experiment results

also be confirmed visually, if compared to 5.1c, 5.2c and 5.3c. Though representing the features the best, the general smoothness factor of the object is lower than the other configurations.

Furthermore, comparing the results of d_m between 256, 1024 and 7500 samples of each configuration, a more significant gap between 256 to 1024 is present, than between 1024 and 7500 samples. While the mean value of d_m gets lower using 1024 samples rather than 256, this is generally not true anymore for changing from 1024 samples to 7500. Notably, in the case of configuration C_1 , its mean value for d_m for all object categories is 0.046 for 256 samples, reducing to 0.018 at 1024 samples, but staying constant for 7500 samples, also at 0.018. Additionally, configuration C_4 has worse results at 7500 samples than at 1024 samples.

Confirming these numerical results with the visual evidence in figure 5.10, while a big jump in visual quality is evident, changing the sample size from 256 to 1024, the change to 7500 samples not so much. As seen in 5.10d, the airplane even loses a feature (front wheel) at the last step and thus could explain for higher or equal mean values of d_m .

Table 6.1.: Distance metric evaluations with 256 samples per point cloud. Calculated with *meshdistance* metric. Only considering configurations C_1 and C_2 . Lower values are better.

Object	C_1	C_2	BPA	IFM	None
airplane	0.093	0.12	0.013	0.153	0.251
bed	0.028	0.049	0.016	0.123	0.163
bottle	0.016	0.014	0.007	0.134	0.201
bowl	0.044	0.089	0.022	0.133	0.148
car	0.035	0.058	0.020	0.199	0.155
chair	0.038	0.045	0.027	0.188	0.195
guitar	0.027	0.039	0.005	0.325	0.338
toilet	0.082	0.075	0.016	0.135	0.138
mean	0.045	0.061	0.016	0.200	0.1986

Table 6.2.: Distance metric evaluations with 1024 samples per point cloud. Calculated with *meshdistance* metric. Lower values are better.

Object	C_1	C_2	C_3	C_4	BPA	IFM	None
airplane	0.011	0.091	0.014	0.011	0.089	0.10	0.251
bed	0.016	0.012	0.018	0.016	0.008	0.099	0.163
bottle	0.010	0.007	0.010	0.008	0.003	0.10	0.201
bowl	0.025	0.03	0.029	0.022	0.006	0.097	0.148
car	0.021	0.017	0.024	0.021	0.009	0.163	0.155
chair	0.018	0.012	0.020	0.017	0.008	0.172	0.195
guitar	0.014	0.01	0.022	0.017	0.002	0.234	0.338
toilet	0.029	0.016	0.028	0.025	0.006	0.109	0.138
mean	0.018	0.024	0.021	0.018	0.016	0.134	0.1986

In contrast, the traditional methods, as in *BPA* and *IFM*, get better results; the more samples are provided, both numerically as well as visually. *IFM* seems to generally struggle to reconstruct visually pleasing results when the number of samples is below 7500. Not only that but its numerical values of d_m are sometimes higher than a basic spheroid shape in contrast to its baseline object (See table 6.1 and 6.2, mean value for *car*). Generally, the metrics have higher values for *IFM*, while *BPA* and N_{recon} are much closer to each other.

Not only are they closer to each other, but rather *BPA* produces lower mean values than any configuration of N_{recon} . Though implicating better results for any case, visually for 256 samples and 1024 samples, C_1 looks in some cases more organic, or closer to the ground truth than *BPA* (Compare figures 5.10b with 5.10c, and figures 5.1c with 5.1g).

Table 6.3.: Distance metric evaluations with 7500 samples per point cloud. Caluclated with *meshdistance* metric. Only considering configurations C_1 and C_2 . Lower values are better.

Object	C_1	C_4	BPA	<i>IFM</i>
airplane	0.015	0.092	0.090	0.090
bed	0.016	0.015	0.005	0.089
bottle	0.011	0.009	0.001	0.096
bowl	0.021	0.021	0.003	0.091
car	0.019	0.019	0.003	0.153
chair	0.018	0.016	0.001	0.126
guitar	0.017	0.013	0.001	0.212
toilet	0.033	0.028	0.003	0.101
mean	0.018	0.027	0.013	0.119

Finally, inspecting reconstructions from *DMC* demonstrates generally bad results. The low amount of samples used, less than 7500, seems not to be enough for the deep learning based approach to reconstruct a precise object. At figure 5.6d, *DMC* somewhat reconstruct the general outline of the object, though producing big holes in the side of the object, while also hollowing out the interior of the car. Additionally, reconstructing a guitar, see figure 5.3h, a second, independent *blob* of incoherent triangles is produces, unrelated to the ground truth. Lastly, as seen in figure 5.1i, reconstructing flat surfaces, like the wings of the airplane is not possible for *DMC*, resulting in big chunks of missing surface information.

6.2.2. Generalization capabilities

Making use of reconstruction techniques often requires the method to work in a general setting. The previous experiments already showed reconstruction from *points2mesh* of test samples, which the network has not yet seen. With the same idea of feeding unknown data to the network, the next table of evaluated metrics was

created. By extending the generalization concept, point cloud samples of objects outside of the trained object categories are fed into the network. For that reason, assuming to work on configuration C_1 , it has been trained on four different object category collections (See section 4.2.2). Every trained instance of C_1 , now is fed one hundred point cloud samples of *bathtub* and *person*, evaluating every distance metric. Even though, C_1 has never seen any samples of these object categories.

Table 6.4.: Distance metric evaluations with 1024 samples per point cloud. Testing with point clouds from outside of trained object categories

Object	C_1	C_2	C_3	C_4	None
bathtub	0.021	0.015	0.067	0.024	0.178
person	0.154	0.137	0.181	0.146	0.352

As seen in table 6.4, all configurations except for C_3 result in low values for d_m if compared to the same metrics of no reconstruction at all. Figures 5.12 and 5.13 confirm this contention. C_2 keeps the same problem as described above, the general roughness of the surface. C_1 and C_4 produce rather similar results, while C_3 fails in every regard to reconstructing anything close to the ground truth mesh.

6.2.3. Varying basemesh \mathcal{M}_i

The previously described configurations all are trained on a spheroid as initial mesh \mathcal{M}_i . By nature of the neural network and the sphere, objects with *genus* higher than zero cannot be reconstructed such that the predicted mesh has the same *genus*. Since it stays constant, changing the initial mesh to a toroidal mesh may lead to possible reconstructions with *genus* one. For the following evaluation, C_1 is trained on such an initial toroidal mesh.

Table 6.5.: Excerpt of evaluation table. Distance metric evaluations with 1024 samples per point cloud. Initial mesh (torus mesh) with a *genus* of one.

Object	C_1^{torus}	C_1^{sphere}
airplane	0.019	0.011
toilet	0.032	0.029

Though resulting in only marginally higher values of d_m (See table 6.5), starting with a toroidal base mesh does not solve the problem of reconstructing objects with a *genus* higher than 0. The final prediction of N_{recon} , assuming the new base mesh, does not show any signs of a hole anywhere in the mesh, no matter the input point cloud.

6.2.4. Noise robustness

Noise often can be found in point cloud data in real-world scenarios, since recorded data is subject to imperfections in the recording equipment. Thus, reconstructing

objects, even with noisy data, is an interesting subject for N_{recon} . Table 6.6 shows similar to the earlier experiments, reconstruction of different objects categories with point cloud data, with added jitter noise (Noise level of 0.01). While d_m metrics are only slightly higher than without noise, the visual evidence shows a noticeable difference. Figure 5.11 depicts reconstructed airplanes with jitter noise in the input point cloud data. The general reconstruction still achieves the approximate contour of the object, however having more problems with edges dangling in empty space.

Table 6.6.: Excerpt of evaluation table. Distance metric evaluations with 1024 samples per point cloud. Comparison of configuration C_1 trained with and without noise (noise level of 0.01). Inference with noisy data of the same noise level.

Object	C_1^{noisy}	C_1^{clean}
airplane	0.090	0.012
bed	0.017	0.011
bottle	0.017	0.016
bowl	0.029	0.025
car	0.023	0.021
chair	0.018	0.018
guitar	0.015	0.014
toilet	0.041	0.016
mean	0.031	0.018

6.2.5. Training and evaluation time

For real-time applications like guiding autonomous cars through traffic without collision, reconstruction should happen virtually instantaneously for it to be advantageous. The computation time may be critical, and thus has been evaluated, as seen in table 6.7. IFM split into three configurations. IFM^{500} takes 256 samples as input and produces a mesh with 500 vertices (which is approximately the most vertices for the best result at 256 samples). Similar, IFM^{2400} and IFM^{10100} are defined for 1024 and 7500 samples. \hat{t} is a mean value of the measurement for 100 reconstructed objects. Generally, IFM has the fastest computation times at the same amount of samples when compared to C_i and BPA .

Table 6.7.: Inference time for configurations C and computation time for other techniques

method	\hat{t} in seconds
$C_{1,3}$	0.061
C_2	0.15
C_4	0.043
IFM^{500}	0.001
IFM^{2400}	0.005
IFM^{10100}	0.167
BPA	0.062

7. Discussion

ergebnisse interpretieren

deep marching cubes (DMC) runter machen

Ergebnisse subjektiver betrachten zu anderen paper vergleichen (visuell mit einspielen von den anderen methoden) torus schlecht gibt es einen vorteil gegenueber den andern techniken, die im vergleich aufgetaucht sind?

das spann problem mit bildern und beispielen. welche config es gut / schlecht kann
glatte recons vs weniger glatte hauptsaechlich c1 - c3 nur ein object rekonstruieren.
deep mc direkter kompetitor

genus problem

was anders machen wie erweitern

konzept an sich kritisieren

aber fuer ML ansatz ganz gut, wenn vergleich zu dmc, und direkt auf pc arbeitet bis jetzt keiner.

8. Conclusion

To conclude...

9. Outlook

1. loecher einfuegen durch neue layer
2. mehr detail beliebig
- 3.

A. Appendix

formeln aus methoden

mehr bilder von daten

sonst zeug?

mehr ergebnis bilder von recon

detailed structure from C1 to C4

implementation details?

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