

Batch: D-2 Roll No.: 16010122151

**Experiment: 05** 

#### TITLE: To perform forecasting using time series analysis

**AIM:** To perform forecasting using time series analysis

**Expected OUTCOME of Experiment:** 

CO4: Perform Time series Analytics and forecasting

#### **Books/ Journals/ Websites referred:**

Students have to list.

#### **Pre Lab/ Prior Concepts:**

Students should have a basic understanding of: Time series Analytics and forecasting

#### **Procedure:**

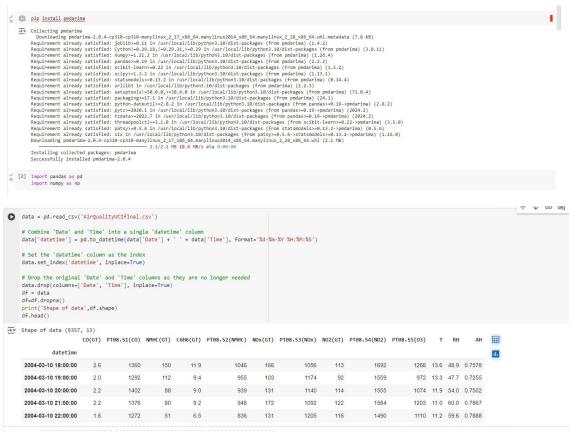
Data set Used: Temperature data Step1: Select and Load the dataset (Students should write the code and output)

```
df=pd.read_csv('AirQualityUCIfinal.csv',index_col='Date',parse_date
s=True)
df=df.dropna()
print('Shape of data',df.shape)
df.head()
```



### K. J. Somaiya College of Engineering, Mumbai-77 (A Constituent College of Somaiya Vidyavihar University)

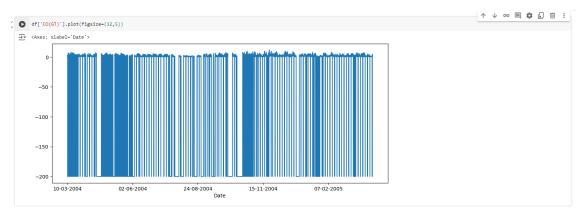
#### **Department of Computer Engineering**



Step2: Visualize the data

(Students should write the code and output)

df['CO(GT)'].plot(figsize=(12,5))



Step 3: Fit the model (ARIMA Model is Used)

(Students should write the code and output)





```
from statsmodels.tsa.arima.model import ARIMA
     # Fitting the ARIMA model
     model = ARIMA(train['CO(GT)'], order=(1, 0, 5))
     model = model.fit()
     # Display the model summary
     model.summary()
₹
                            SARIMAX Results
       Dep. Variable: CO(GT)
          p. Variable: CO(GT) No. Observations: 9327

Model: ARIMA(1, 0, 5) Log Likelihood -46528.131

        Date:
        Thu, 10 Oct 2024
        AIC
        93072.261

        Time:
        11:43:22
        BIC
        93129.386

        Sample:
        03-10-2004
        HQIC
        93091.665

        - 04-03-2005

     Covariance Type: opg
          coef std err z P>|z| [0.025 0.975]
      const -34.3011 16.546 -2.073 0.038 -66.730 -1.872
      ar.L1 0.9762 0.007 147.139 0.000 0.963 0.989
      ma.L1 -0.5021 0.005 -102.595 0.000 -0.512 -0.492
      ma.L4 -0.0085 0.013 -0.651 0.515 -0.034 0.017
      ma.L5 -0.0068 0.013 -0.522 0.602 -0.033 0.019
     sigma2 1260.2427 17.611 71.561 0.000 1225.726 1294.759
      Ljung-Box (L1) (Q): 0.00 Jarque-Bera (JB): 183860.95
     Prob(Q): 0.99 Prob(JB): 0.00
Heteroskedasticity (H): 0.67 Skew: -2.56
                                                   -2 56
      Prob(H) (two-sided): 0.00 Kurtosis: 24.14
     [1] Covariance matrix calculated using the outer product of gradients (complex-step).
```

#### **Step4: Forecast future values**

(Students should write the code and output)

```
### Determine the start and end points for predictions start - len(train) end - len(train) + len(test) - 1

### Predict the values using the ARIMA model pred - model.predict(start=start, end-end, typ='levels').rename('ARIMA predictions')

### Align the predicted index with the test set's datetime index

### Print the predicted values

print(pred)

### Point the ARIMA predictions vs the actual CO(GI) values from the test set

pred.plot(legend-rive, flastze-(iz, 5), title-'ARIMA Predictions vs Actual CO(GI)');

### Statetime

2005-04-09 99:00:00 - 1.259783

2005-04-09 31:00:00 - 2.060808

2005-04-09 31:00:00 - 2.060808

2005-04-09 31:00:00 - 2.060808

2005-04-09 31:00:00 - 2.060808

2005-04-09 31:00:00 - 2.060808

2005-04-09 31:00:00 - 2.060808

2005-04-09 31:00:00 - 2.060808

2005-04-09 31:00:00 - 2.060808

2005-04-09 31:00:00 - 2.060808

2005-04-09 31:00:00 - 2.060808

2005-04-09 31:00:00 - 2.060808

2005-04-09 31:00:00 - 2.060808

2005-04-09 31:00:00 - 2.060808

2005-04-09 31:00:00 - 2.060808

2005-04-09 31:00:00 - 2.060808

2005-04-09 31:00:00 - 2.060808

2005-04-09 31:00:00 - 2.060808

2005-04-09 31:00:00 - 2.060808

2005-04-09 31:00:00 - 2.060808

2005-04-09 31:00:00 - 2.060808

2005-04-09 31:00:00 - 2.060808

2005-04-09 31:00:00 - 2.060808

2005-04-09 31:00:00 - 2.060808

2005-04-09 31:00:00 - 2.060808

2005-04-09 31:00:00 - 2.060808

2005-04-09 31:00:00 - 2.060808

2005-04-09 31:00:00 - 2.060808

2005-04-09 31:00:00 - 2.060808

2005-04-09 31:00:00 - 3.060808

2005-04-09 31:00:00 - 3.060808

2005-04-09 31:00:00 - 3.060808

2005-04-09 31:00:00 - 3.060808

2005-04-09 31:00:00 - 3.060808

2005-04-09 31:00:00 - 3.060808

2005-04-09 31:00:00 - 3.060808

2005-04-09 31:00:00 - 3.060808

2005-04-09 31:00:00 - 3.060808

2005-04-09 31:00:00 - 3.060808

2005-04-09 31:00:00 - 3.060808

2005-04-09 31:00:00 - 3.060808

2005-04-09 31:00:00 - 3.060808

2005-04-09 31:00:00 - 3.060808

2005-04-09 31:00:00 - 3.060808

2005-04-09 31:00:00 - 3.060808

2005-04-09 31:00:00 - 3.060808

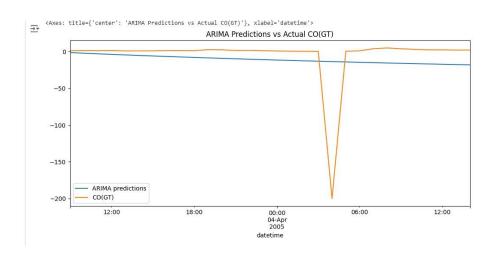
2005-04-09 31:00:00 - 3.060808

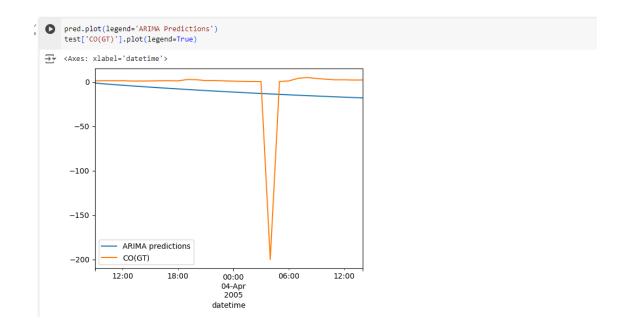
2005-04-09 3
```



### K. J. Somaiya College of Engineering, Mumbai-77 (A Constituent College of Somaiya Vidyavihar University)

**Department of Computer Engineering** 



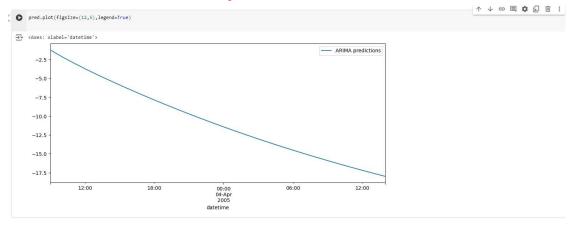






**Step 5: Create a DataFrame for the forecast** 

(Students should write the code and output)



Step 6: Plot the results

(Students should write the code and output)

Students have to perform all the tasks illustrated above by choosing any other time series related dataset.

Air Quality Data set shared.



Date:	Signature of faculty in-charge
	~- <del>g</del>

#### **Post Lab Descriptive Ouestions:**

1. What are the key components of a time series, and how do they affect the analysis?

A time series is composed of several key components that affect analysis:

- **Trend**: This represents the long-term movement or direction in the data (upward, downward, or constant). It affects the analysis by indicating the general direction in which the data is moving over time.
  - o Example: A steady increase in sales over several years.
- **Seasonality**: These are recurring patterns or cycles that occur at regular intervals, usually due to seasonal effects (daily, weekly, monthly, yearly). Seasonality affects how predictions are made, as models need to account for these repeating patterns.
  - o Example: Increased air conditioning sales every summer.
- Cyclic Patterns: These refer to long-term oscillations that are not tied to seasonality but occur over periods longer than a year. They are influenced by economic or environmental factors. Cycles affect analysis by indicating broader patterns beyond short-term changes.
  - o Example: Economic growth and recession periods.
- **Noise/Residuals**: This is random variability in the data that cannot be explained by trend, seasonality, or cycles. Residuals affect the analysis because high noise levels can reduce the model's ability to make accurate predictions.
  - o Example: Sudden, unpredictable spikes or drops in stock prices.

Understanding these components helps in selecting the right model and preprocessing data effectively.

2. What is the purpose of decomposing a time series into trend, seasonal, and residual components?

Decomposing a time series into **trend**, **seasonal**, and **residual** components helps in better understanding and modeling the data. Here's why:

• **Trend**: Extracting the trend helps in identifying the long-term movement in the data. Once the trend is isolated, it becomes easier to focus on the underlying behavior without short-term fluctuations.



- **Seasonality**: Decomposing seasonality helps in identifying repetitive patterns. This is crucial for models that need to capture these cyclical behaviors, especially for data that follows yearly, monthly, or weekly cycles.
- **Residuals**: Decomposing the residuals helps in understanding the randomness or noise in the data. By examining the residuals after removing trend and seasonality, we can better assess how much of the data is unpredictable or random.

In essence, decomposing the time series enables more accurate forecasting by allowing you to model and account for different components separately.

3. Explain how the ARIMA model works and what the terms (p, d, q) represent.

The **ARIMA** (**AutoRegressive Integrated Moving Average**) model is a popular forecasting technique for time series data. It works by combining three main components:

- 1. **AR** (**AutoRegressive**): This component models the relationship between the current value and its previous values (lags). It captures the dependency between an observation and a certain number of lagged observations.
  - **p**: The number of lag observations included in the model (order of the autoregressive part).
- 2. **I** (**Integrated**): This component refers to differencing the data to make it stationary (i.e., removing trends and seasonality). Differencing helps to stabilize the mean of a time series by removing changes in the level of the series.
  - **d**: The number of differencing steps required to make the series stationary.
- 3. **MA** (**Moving Average**): This component models the relationship between an observation and a residual error from previous time steps. It helps smooth out noise in the time series by averaging past errors.
  - o **q**: The number of lagged forecast errors used in the model (order of the moving average part).

The ARIMA model is expressed as ARIMA(p, d, q), where:

- **p**: The number of autoregressive terms (AR).
- **d**: The number of differences to make the series stationary (I).
- **q**: The number of moving average terms (MA).

#### How it works:

1. **Model selection**: Choose values for p, d, and q based on autocorrelation, partial autocorrelation plots, or cross-validation.



- 2. **Fitting**: The model is fitted to the training data to estimate the coefficients.
- 3. **Prediction**: The model generates predictions by combining past values (AR part) and errors (MA part), adjusted for stationarity (I part).

By tuning p, d, and q, ARIMA can handle a variety of time series patterns, such as trends and noise.