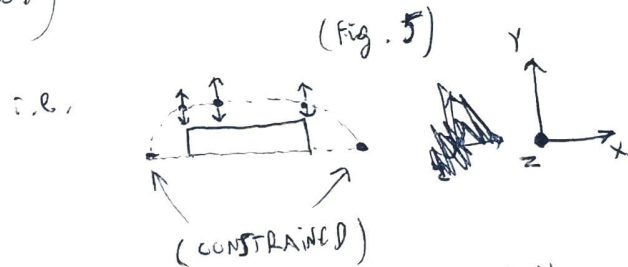


1) THE MATLAB SCRIPT BEGINS BY SETTING THE VALUES OF THOSE ARRAY VARIABLES (INITIAL SHELL CASE)

2) CREATE 1ST GENERATION BY RANDOMLY MUTATING THE GENES OF THIS SHELL

~~XXXXXXXXXX~~

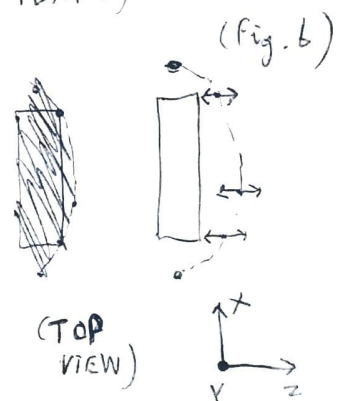
a) NOTE FOR THE FIRST GA VERSION, I SUGGEST WORKING ONLY ON ~~THE 1~~ COORDINATE OF THE PTS.
→ WE THUS SIMPLIFY WORK TO ONLY 3 PTS. PER CURVE (AS THE 1ST & LAST PTS. SHOULD REMAIN CONSTRAINED)



b) ACTUALLY, THIS WILL BE A DIFFERENT DIMENSION FOR EACH OF THE CURVES

i) TOP CURVE REMAINS ON X-Y PLANE, THUS ONLY "Y" VARIED (Fig. 5)

ii) BOTTOM CURVE IS ON Z-X PLANE, THUS ONLY "Z" VARIED



iii) MIDDLE CURVE IS ON THE PLANE DEFINED BY THE "DIAGONAL" EXTREMA OF THE CHASSIS



(SO Y & Z WILL BE VARIED SIMULTANEOUSLY TO MAKE SURE THE PTS. LIE ON THIS LINE:

(Fig. 8)



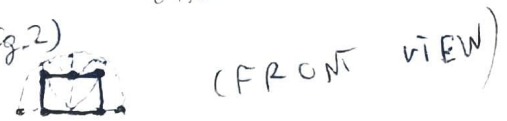
CHROMOSOMES \equiv CURVES
 GENE \equiv POINT ON ONE OF THE CURVES
 (CONSISTS OF (X, Y, Z) coordinate vector)

INITIAL CASE: ALL GENES KNOWN
 (SPECIFIED BASED ON EXTREMUM PTS. OF INTERIOR CHASSIS)



- I SUGGEST STARTING WITH JUST (Fig. 2) THESE 5 CURVES

(THIS SHOULD ENSURE THAT THE SHELL DOES NOT INTERSECT THE RECTILINEAR CHASSIS)



- FURTHERMORE, WE CAN EXPLOIT SYMMETRY TO ONLY WORK ON 3 CURVES



- I SUGGEST WE START WITH 5 PTS. AS ON FIG. 1
 (ON EACH CURVE)

(LATER WE CAN ADD MORE, IN PARTICULAR IN THE TOP SEGMENT)



- SO EACH CHROMOSOME IS A 5×3 MATRIX

$$\begin{bmatrix} x_1 & y_1 & z_1 \\ x_2 & y_2 & z_2 \\ \vdots & \vdots & \vdots \\ x_5 & y_5 & z_5 \end{bmatrix} \begin{matrix} \text{(POINT 1)} \\ \text{(POINT 2)} \\ \vdots \\ \text{(POINT 5)} \end{matrix}$$

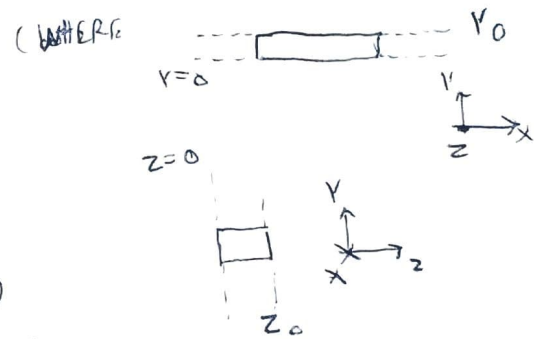
- AND EACH "SHELL" HAS 3 OF THESE MATRICES IN TOTAL
 (SHOULD CONCATENATE THEM, OR STORE AS SEPARATE VARIABLES?)

c) so now bounds specified & mutation happens within them

$$\text{CURV1_YBOUND} = [Y_0, \dots]$$

$$\text{CURV2_YBOUND} = [Y_0, \dots]$$

$$\text{CURV3_ZBOUND} = [Z_0, \dots]$$



(AND "CURV2_ZBOUND" IS NOT NEEDED

AS IT IS SPECIFIED TO MATCH THE EQN. OF THE LINE ON FIG. 8)

(\equiv Z coord. of each pt. calculated based on the specified Y coord.) (ON CURVE 2)

FOR $i=1$ TO G % "G" IS THE SIZE OF EACH GENERATION

CURV1_NEW = CURV1 % MAYBE WILL NEED TO APPEND TO A BIG ARRAY INSTEAD?

~~CURV1_NEW = CURV1~~

FOR $j=2$ TO 4

CURV1_NEW [$j, 2$] = RANDOM (CURV1_YBOUND, DECIMAL)

CURV2_NEW [$j, 2$] = RANDOM (CURV2_YBOUND, DECIMAL)

CURV2_NEW [$j, 3$] = α * CURV2_NEW [$j, 2$] + b

CURV3_NEW [$j, 3$] = RANDOM (CURV3_ZBOUND, DECIMAL)

3) EVALUATE FITNESS

FOR $i=1$ TO G

a) ~~SAVE~~ SAVE CCORDS TO TXT/CSV FILE (& SET PARITY BIT TO 0)

b) RUN SOLIDWORKS MACRO

(WHICH ~~TAKES~~ TAKES THE CCORDS. & UPDATES THE MODEL & THEN SETS THE PARITY BIT TO 1

(TO SIGNIFY IT IS DONE)

c) RUN COMSOL CFD USING LIVELINK

(WHICH SAVES RESULTS TO ANOTHER

CSV/TXT FILE) \rightarrow (& SET ITS PARITY BIT TO 1?)

d) READ CSV/TXT FILE & APPEND TO ARRAY WITH RESULTS IN MATLAB \rightarrow (& SET ITS PARITY BIT TO 0?)

4) RANK THE RESULTS (SORT), TAKE "P" BEST TO BE THE PARENTS (EVEN NO.)

a) NEXT GENERATION WILL CONSIST OF:

i) "P" PARENTS (PASSED ON WITHOUT CHANGING)

ii) "P" CHILDREN CREATED VIA CROSSOVER + MUTATION

iii) ~~"P" CHILDREN~~ VIA CROSSOVER ALONE

iv) ~~"P" CHILDREN~~ VIA MUTATION (WITH A DOUBLE MUTATION FREQUENCY)

ACTUALLY NOT THIS (WILL BE STORED IN MEMORY INSTEAD)

b) NOTE: IMO iii) is redundant when we already have ii) BUT WE CAN TRY & SEE WHAT WE GET

c) ALSO, (FOR iv) COULD USE SOME OF THE NON-BEST RESULTS, BUT THIS MIGHT LEAD TO SLOWER CONVERGENCE

5) CROSSOVER DONE VIA:

a) ~~C-RATE~~ C-RATE = ... % CROSS OVER FREQUENCY, SET TO BE A FRACTION ~~WITH~~ WITH AN INVERSE THAT IS AN INTEGER (e.g. $\frac{1}{2}, \frac{1}{4}, \frac{1}{16} \dots$)

FOR $i = 2$ TO 4

RAND = RANDOM ($\frac{1}{C-RATE}$, INTEGER)

IF RAND == 1

~~TEMP~~ FIRST-CURVE[i]

FIRST-CURVE[i] = SECOND-CURVE[i]

SECOND-CURVE[i] = FIRST-CURVE[i]

b) LATER CAN DO MORE ELABORATE CROSSOVER SCHEMES & TEST WHICH LEADS TO FASTER CONVERGENCE OF THE GA

6) MUTATION DONE VIA:

$M_RATE = \dots$ % MUTATION FREQUENCY
(SET SO THAT INVERSE IS AN INTEGER, AS FOR THE C-RATE)

FOR $i = 2$ to 4

$RAND = RANDOM\left(\frac{1}{M_RATE}, \text{INTEGER}\right)$

IF $RAND == 1$

$CURVE[i, 2] = RANDOM(CURVE_BOUND, \text{DECIMAL})$
↓
(OR 3, IF "2" IS VARIED)

7) ONCE NEW GENERATION IS READY, REPEAT STEPS 3) & 4)
(& THEN ALSO 5) & 6) TO GET NEW GENERATION)

a) TERMINATE WHEN CONVERGENCE CRITERIA HAS BEEN REACHED

b) FOR STARTERS, I THINK I'D ONLY DO ONE CONDITION
(NUMBER OF ~~ITER~~ GENERATIONS)

i) ~~STORE~~ STORE THE BEST RESULTS & THEN WE CAN PLOT TO SEE HOW IT CONVERGES OVER TIME

ii) & THUS WE CAN TEST DIFFERENT SETTINGS OF THE GA UNTIL WE ARE HAPPY WITH IT

iii) LATER WE CAN ALSO SET A CONDITION BASED ON THE RATE OF CHANGE BETWEEN SUBSEQUENT GENERATIONS' PRAG VALUES