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Java Pre-Skilling Training Session

Assignment -5.3 (Task1 to Task 3)

Module-5 (DAY 9 and 10)

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TASK-1

Dijkstra's Shortest Path Finder

Code Dijkstra's algorithm to find the shortest path from a start node to every other node in a weighted graph with positive weights.

SOLUTION:

```
package com.wipro.graph;

import java.util.ArrayList;
import java.util.HashMap;
import java.util.PriorityQueue;

    public class Dijkstra {
        private HashMap<String, ArrayList<Edge>> adjList = new
HashMap<>();
        private HashMap<String, Integer> distance = new HashMap<>();
        private HashMap<String, String> previous = new HashMap<>();

        public static void main(String[] args) {
            Dijkstra myGraph = new Dijkstra();
            myGraph.addVertex("A");
            myGraph.addVertex("B");
```

```

        myGraph.addVertex("C");
        myGraph.addVertex("D");
        myGraph.addVertex("E");
        myGraph.addVertex("F");

        myGraph.addEdge("A", "B", 2);
        myGraph.addEdge("A", "D", 8);
        myGraph.addEdge("B", "D", 5);
        myGraph.addEdge("B", "E", 6);
        myGraph.addEdge("D", "E", 3);
        myGraph.addEdge("D", "F", 2);
        myGraph.addEdge("E", "F", 1);
        myGraph.addEdge("E", "C", 9);
        myGraph.addEdge("F", "C", 3);
        myGraph.startingpont("A");
        System.out.println("Shortest distance from A to C: " +
myGraph.distance.get("C"));
        System.out.println("Shortest path from A to C: " +
myGraph.getPath("C"));
    }

    private void startingpont(String startVertex) {
        PriorityQueue<String> queue = new PriorityQueue<>((v1,
v2) -> distance.get(v1) - distance.get(v2));
        distance.put(startVertex, 0);
        queue.add(startVertex);

        while (!queue.isEmpty()) {
            String currentVertex = queue.poll();
            for (Edge edge : adjList.get(currentVertex)) {
                int newDistance = distance.get(currentVertex) +
edge.weight;
                if (!distance.containsKey(edge.vertex) ||
newDistance < distance.get(edge.vertex)) {
                    distance.put(edge.vertex, newDistance);
                    previous.put(edge.vertex, currentVertex);
                    queue.add(edge.vertex);
                }
            }
        }
    }
}

```

```

        private String getPath(String endVertex) {
            StringBuilder path = new StringBuilder();
            while (endVertex != null) {
                path.insert(0, endVertex);
                endVertex = previous.get(endVertex);
                if (endVertex != null) {
                    path.insert(0, " -> ");
                }
            }
            return path.toString();
        }

        public boolean addEdge(String vertex1, String vertex2, int
weight) {
            if (adjList.get(vertex1) != null && adjList.get(vertex2) !=
null) {
                adjList.get(vertex1).add(new Edge(vertex2, weight));
                adjList.get(vertex2).add(new Edge(vertex1, weight));
                return true;
            }
            return false;
        }

        class Edge {
            String vertex;
            int weight;

            public Edge(String vertex, int weight) {
                this.vertex = vertex;
                this.weight = weight;
            }
        }

        public boolean addVertex(String vertex) {
            if (adjList.get(vertex) == null) {
                adjList.put(vertex, new ArrayList<Edge>());
                return true;
            }
            return false;
        }

        public void printGraph() {
            System.out.println(adjList);
        }
    }

```

Output: -

```
Problems Javadoc Declaration Console ×
<terminated> Dijkstra [Java Application] C:\Users\DELL\Downloads\eclipse-java-2022-09-R-win32-x86_64.exe
Shortest distance from A to C: 12
Shortest path from A to C: A -> B -> D -> F -> C
```

TASK-2

Kruskal's Algorithm for MST

Implement Kruskal's algorithm to find the minimum spanning tree of a given connected, undirected graph with non-negative edge weights.

SOLUTION:

```
package com.wipro.graph;

import java.util.Arrays;
import java.util.HashMap;

class Edge implements Comparable<Edge> {
    char src, dest;
    int weight;

    // sorting edges based on their weight
    public int compareTo(Edge compareEdge) {
        return this.weight - compareEdge.weight;
    }
}

class Subset {
    int parent, rank;
}
```

```

public class Kruskal_Algo {
    int V, E; // V = Number of vertices, E = Number of edges
    Edge edge[]; // Collection of all edges
    HashMap<Character, Integer> vertexMap; // Map to convert char
vertices to integer indices

    // Constructor
    Kruskal_Algo(int v, int e) {
        V = v;
        E = e;
        edge = new Edge[E];
        for (int i = 0; i < e; ++i)
            edge[i] = new Edge();
        vertexMap = new HashMap<>();
    }

    // A utility function to find set of an element i (uses path
compression technique)
    int find(Subset subsets[], int i) {
        if (subsets[i].parent != i)
            subsets[i].parent = find(subsets, subsets[i].parent);
        return subsets[i].parent;
    }

    // A function that does union of two sets of x and y (uses union
by rank)
    void union(Subset subsets[], int x, int y) {
        int xroot = find(subsets, x);
        int yroot = find(subsets, y);

        if (subsets[xroot].rank < subsets[yroot].rank)
            subsets[xroot].parent = yroot;
        else if (subsets[xroot].rank > subsets[yroot].rank)
            subsets[yroot].parent = xroot;
        else {
            subsets[yroot].parent = xroot;
            subsets[xroot].rank++;
        }
    }

    // The main function to construct MST using Kruskal's algorithm
    void kruskalMST() {
        Edge result[] = new Edge[V]; // This will store the resultant
MST

        int e = 0; // An index variable, used for result[]
        int i = 0; // An index variable, used for sorted edges
    }
}

```

```

        int totalCost = 0;

        for (i = 0; i < V; ++i)
            result[i] = new Edge();

        // Step 1: Sort all the edges in non-decreasing order of their
weight
        Arrays.sort(edge);

        Subset subsets[] = new Subset[V];
        for (i = 0; i < V; ++i)
            subsets[i] = new Subset();

        for (int v = 0; v < V; ++v) {
            subsets[v].parent = v;
            subsets[v].rank = 0;
        }

        i = 0;

        while (e < V - 1) {
            Edge next_edge = edge[i++];

            int x = find(subsets, vertexMap.get(next_edge.src));
            int y = find(subsets, vertexMap.get(next_edge.dest));

            if (x != y) {
                result[e++] = next_edge;
                totalCost += next_edge.weight;
                union(subsets, x, y);
            }
        }

        System.out.println("Following are the edges in the constructed
MST:");
        for (i = 0; i < e; ++i)
            System.out.println(result[i].src + " -- " + result[i].dest
+ " == " + result[i].weight);

        System.out.println("Total cost of the Minimum Spanning Tree: "
+ totalCost);
    }

    public static void main(String[] args) {
        int V = 6; // Number of vertices in the given graph
        int E = 9; // Number of edges in the given graph
    }

```

```
Kruskal_Algo graph = new Kruskal_Algo(V, E);

// Create a map to convert vertex labels to indices
graph.vertexMap.put('a', 0);
graph.vertexMap.put('b', 1);
graph.vertexMap.put('c', 2);
graph.vertexMap.put('d', 3);
graph.vertexMap.put('e', 4);
graph.vertexMap.put('f', 5);

// Define the edges with their respective weights
graph.edge[0] = new Edge();
graph.edge[0].src = 'a';
graph.edge[0].dest = 'b';
graph.edge[0].weight = 2;

graph.edge[1] = new Edge();
graph.edge[1].src = 'd';
graph.edge[1].dest = 'e';
graph.edge[1].weight = 2;

graph.edge[2] = new Edge();
graph.edge[2].src = 'a';
graph.edge[2].dest = 'c';
graph.edge[2].weight = 3;

graph.edge[3] = new Edge();
graph.edge[3].src = 'd';
graph.edge[3].dest = 'f';
graph.edge[3].weight = 3;

graph.edge[4] = new Edge();
graph.edge[4].src = 'b';
graph.edge[4].dest = 'd';
graph.edge[4].weight = 3;

graph.edge[5] = new Edge();
graph.edge[5].src = 'b';
graph.edge[5].dest = 'e';
graph.edge[5].weight = 4;

graph.edge[6] = new Edge();
graph.edge[6].src = 'c';
graph.edge[6].dest = 'e';
graph.edge[6].weight = 4;
```

```

graph.edge[7] = new Edge();
graph.edge[7].src = 'e';
graph.edge[7].dest = 'f';
graph.edge[7].weight = 5;

graph.edge[8] = new Edge();
graph.edge[8].src = 'b';
graph.edge[8].dest = 'c';
graph.edge[8].weight = 5;

graph.kruskalMST();
}
}

```

Output: -

```

<terminated> Kruskal_Algo [Java Application] C:\Users\DELL\Downloads\eclipse-java-2022-09-R-win32-
Following are the edges in the constructed MST:
a -- b == 2
d -- e == 2
a -- c == 3
d -- f == 3
b -- d == 3
Total cost of the Minimum Spanning Tree: 13

```

TASK-3

Union-Find for Cycle Detection

Write a Union-Find data structure with path compression. Use this data structure to detect a cycle in an undirected graph.

SOLUTION:


```
package com.wipro.swarnali;

import java.util.*;

class UnionFind {
    private int[] parent;
    private int[] rank;

    public UnionFind(int n) {
        parent = new int[n];
        rank = new int[n];
        for (int i = 0; i < n; i++) {
            parent[i] = i;
            rank[i] = 0;
        }
    }

    public int find(int x) {
        if (parent[x] != x) {
            parent[x] = find(parent[x]); // path compression
        }
        return parent[x];
    }

    public void union(int x, int y) {
        int rootX = find(x);
        int rootY = find(y);
        if (rootX == rootY) {
            return;
        }
        if (rank[rootX] < rank[rootY]) {
            parent[rootX] = rootY;
        } else if (rank[rootX] > rank[rootY]) {
            parent[rootY] = rootX;
        } else {
            parent[rootY] = rootX;
            rank[rootX]++;
        }
    }
}

public class CycleDetection {

    public static boolean detectCycle(List<List<Integer>> graph) {
        int n = graph.size();
        UnionFind uf = new UnionFind(n);
```

```

        for (int u = 0; u < n; u++) {
            for (int v : graph.get(u)) {
                int parentU = uf.find(u);
                int parentV = uf.find(v);
                if (parentU == parentV) {
                    return true; // Cycle detected
                }
                uf.union(parentU, parentV);
            }
        }
        return false; // No cycle detected
    }

    public static void main(String[] args) {
        int n = 4; // Number of vertices
        List<List<Integer>> graph = new ArrayList<>();
        for (int i = 0; i < n; i++) {
            graph.add(new ArrayList<>());
        }

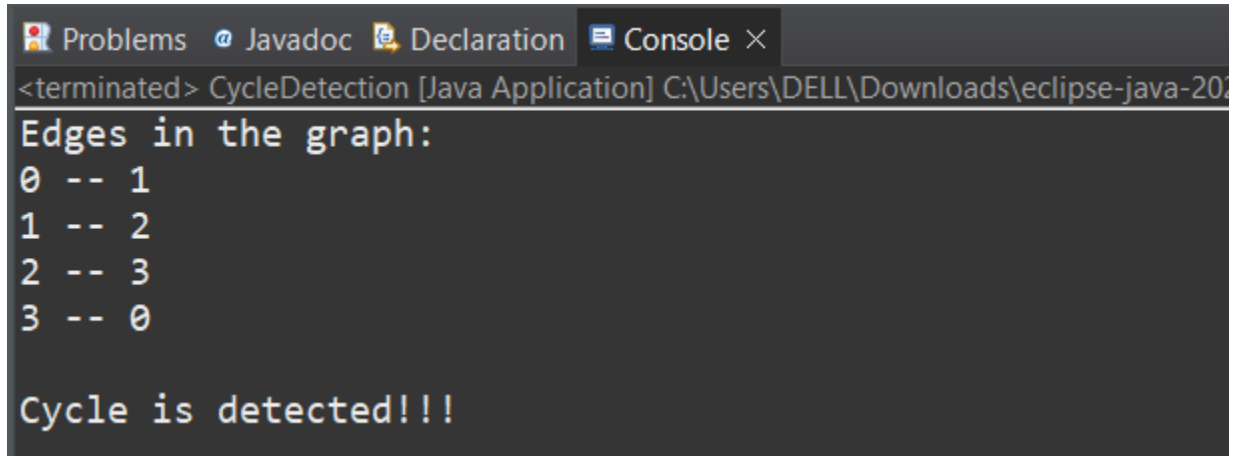
        // Add edges to the graph
        graph.get(0).add(1);
        graph.get(1).add(2);
        graph.get(2).add(3);
        graph.get(3).add(0);

        System.out.println("Edges in the graph:");
        for (int i = 0; i < graph.size(); i++) {
            for (int j : graph.get(i)) {
                System.out.println(i + " -- " + j);
            }
        }

        if (detectCycle(graph)) {
            System.out.println("\nCycle is detected!!!");
        } else {
            System.out.println("\nNo cycle detected!!");
        }
    }
}

```

Output: -



```
Problems Javadoc Declaration Console ×
<terminated> CycleDetection [Java Application] C:\Users\DELL\Downloads\eclipse-java-202
Edges in the graph:
0 -- 1
1 -- 2
2 -- 3
3 -- 0

Cycle is detected!!!
```

The screenshot shows the Eclipse IDE's Console window. The title bar includes tabs for 'Problems', 'Javadoc', 'Declaration', and 'Console'. The console output shows the program has terminated, followed by the text 'Edges in the graph:' and a list of four edges: '0 -- 1', '1 -- 2', '2 -- 3', and '3 -- 0'. Below this, the message 'Cycle is detected!!!' is printed, indicating that the graph contains a cycle.