
```
clear, clc, close all;

% Given values for K and tau
K = 25;
tau = 16.25;

% Transfer function  $G(s) = K / (\tau s + 1)$ 
num = K;
den = [tau 1];
G = tf(num, den);

% Step input magnitude
d = 1; % assuming a step input of 1 Volt

% Part b) Step response for a step input of magnitude d

% Plot the step response - velocity vs. time
figure;
step(G * d);
title('Velocity vs. Time for a Step Input of Magnitude d');
xlabel('Time (s)');
ylabel('Velocity (rad/s)');

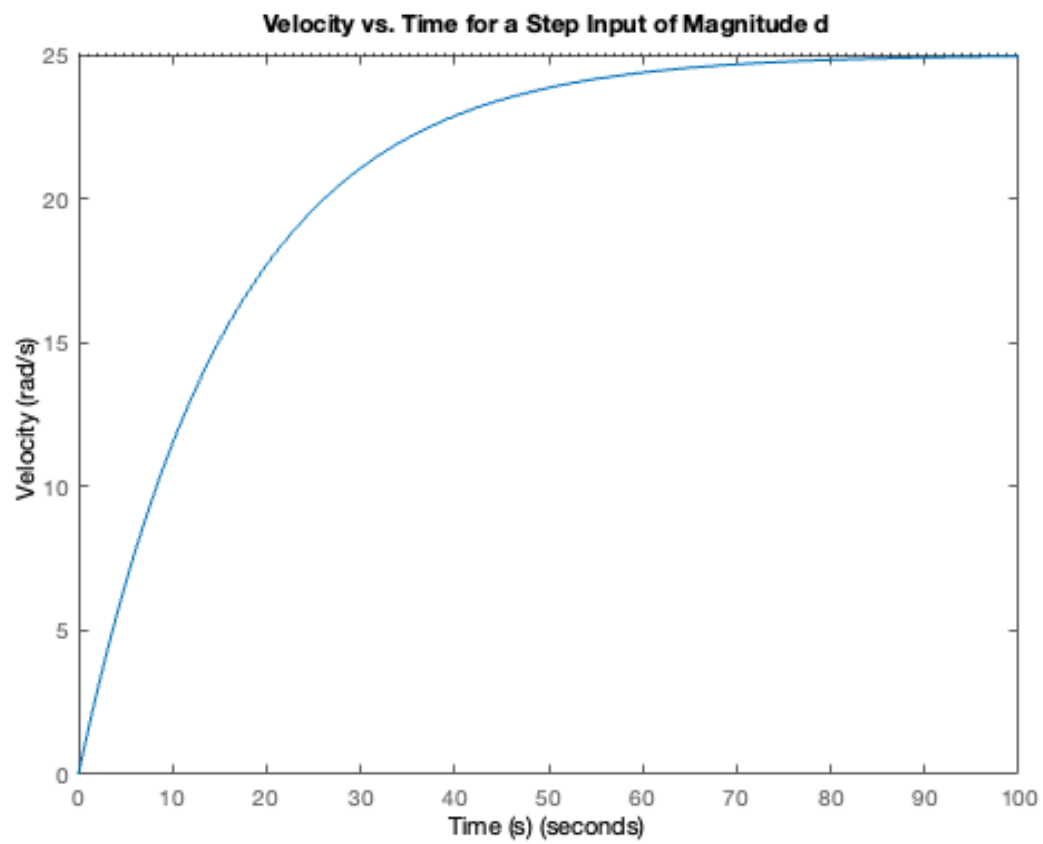
% Steady-state speed verification,  $\Omega_{ss} = K/d$ 
Omega_ss = K / d;
disp(['The steady-state speed is: ', num2str(Omega_ss), ' rad/s'])

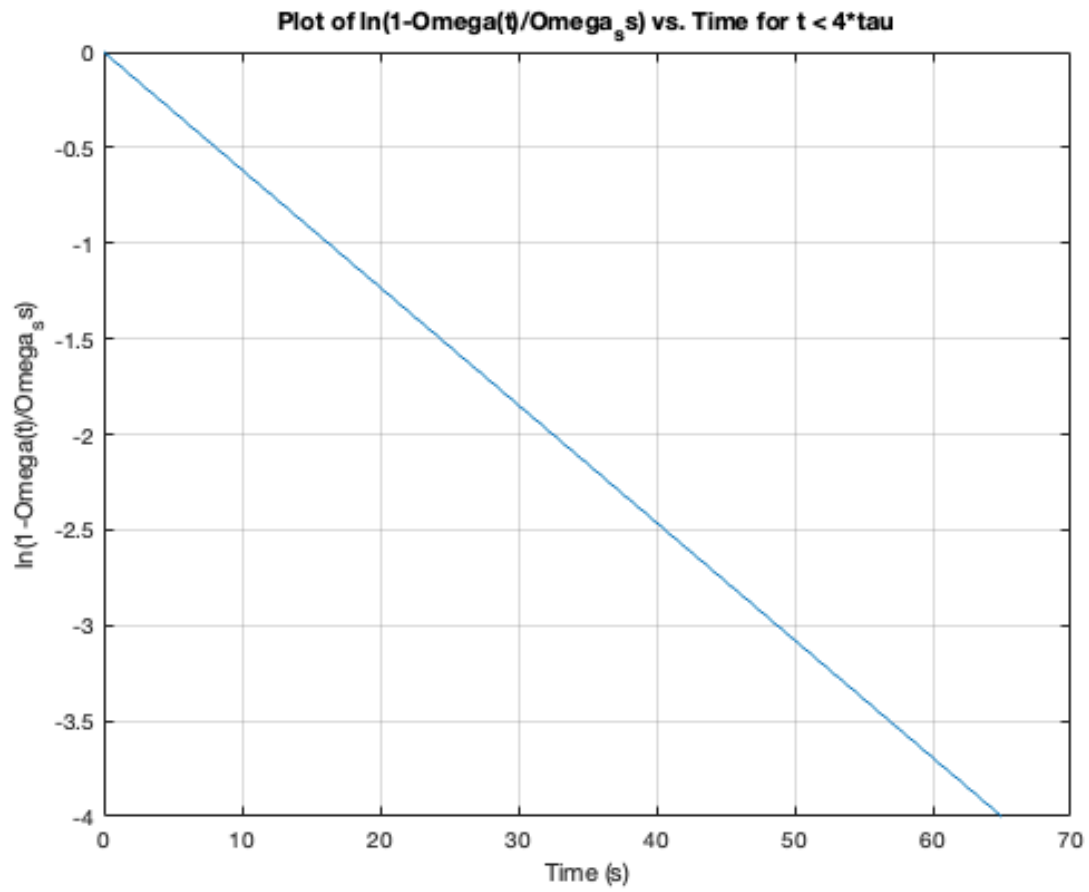
% Part c) Plot  $\ln(1-\Omega(t)/\Omega_{ss})$  vs time for  $t < 4\tau$ 
small_number = 1e-10;
t = small_number:0.01:4*tau; % time vector from just above 0 to 4*tau
Omega_t = step(G * d, t);
ln_term = log(1 - Omega_t/Omega_ss);

figure;
plot(t, ln_term);
title('Plot of  $\ln(1-\Omega(t)/\Omega_{ss})$  vs. Time for  $t < 4\tau$ ');
xlabel('Time (s)');
ylabel('ln(1- $\Omega(t)/\Omega_{ss}$ )');
grid on;

% Verifying the slope  $-1/\tau$ 
slope = -1/tau;
disp(['The slope should be approximately: ', num2str(slope)]);

The steady-state speed is: 25 rad/s
The slope should be approximately: -0.061538
```





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