

Big Three_Final

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EE4211 Data Science for IoT

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In this project, we will consider natural gas consumption data from residential consumers. The smart gas meter data used for this paper was obtained from the Pecan Street project (<https://www.pecanstreet.org/>). The source of the data are homes in the Mueller neighborhood of Austin, Texas, USA. In the following scripts, we will do some analysis on the data.

Part 1: Interim

1. Firstly, we import some libraries and have a glimpse at the raw data.

```
In [1]: # Import libraries
import numpy as np
import pandas
import matplotlib.pyplot as plt
import sklearn.linear_model as lm
from sklearn.metrics import mean_squared_error as mse
from sklearn.svm import SVR
# %matplotlib inline

In [2]: # Import raw data
df = pandas.read_csv('dataport-export_gas_oct2015-mar2016.csv',\
                    nrows=200000)
print('Dimension of dataset: ', df.shape)
print('Glimpse of dataset: \n', df)
```

Dimension of dataset: (1584823, 3)

Glimpse of dataset:

	localminute	dataid	meter_value
0	2015-10-01 00:00:10-05	739	88858
1	2015-10-01 00:00:13-05	8890	197164
2	2015-10-01 00:00:20-05	6910	179118
3	2015-10-01 00:00:22-05	3635	151318
4	2015-10-01 00:00:22-05	1507	390354
5	2015-10-01 00:00:29-05	5810	97506
6	2015-10-01 00:01:00-05	484	99298
7	2015-10-01 00:01:18-05	6910	179118

8	2015-10-01 00:01:34-05	6910	179118
9	2015-10-01 00:01:38-05	5810	97506
10	2015-10-01 00:01:43-05	4352	218216
11	2015-10-01 00:01:46-05	484	99298
12	2015-10-01 00:01:56-05	1718	161076
13	2015-10-01 00:01:58-05	1714	147048
14	2015-10-01 00:02:15-05	9849	33632
15	2015-10-01 00:02:16-05	5131	104132
16	2015-10-01 00:02:18-05	6412	133016
17	2015-10-01 00:02:20-05	7429	132644
18	2015-10-01 00:02:21-05	1507	390354
19	2015-10-01 00:02:22-05	871	106464
20	2015-10-01 00:02:28-05	1086	83334
21	2015-10-01 00:02:29-05	1589	193922
22	2015-10-01 00:02:37-05	8156	251818
23	2015-10-01 00:02:41-05	9631	108348
24	2015-10-01 00:02:55-05	5403	112902
25	2015-10-01 00:02:57-05	4447	88648
26	2015-10-01 00:03:02-05	2034	72376
27	2015-10-01 00:03:40-05	5275	156990
28	2015-10-01 00:03:56-05	1718	161076
29	2015-10-01 00:04:11-05	7794	433360
...
1584793	2016-03-31 23:54:13.228616-05	2034	85364
1584794	2016-03-31 23:54:17.56197-05	1800	141028
1584795	2016-03-31 23:54:29.87652-05	9729	138146
1584796	2016-03-31 23:54:51.223867-05	1714	170164
1584797	2016-03-31 23:54:57.728453-05	2034	85364
1584798	2016-03-31 23:55:19.326106-05	8829	175860
1584799	2016-03-31 23:55:42.728264-05	2034	85364
1584800	2016-03-31 23:56:01.309882-05	6830	166072
1584801	2016-03-31 23:56:12.228168-05	2034	85364
1584802	2016-03-31 23:56:21.231095-05	3635	170816
1584803	2016-03-31 23:56:40.547408-05	2018	232792
1584804	2016-03-31 23:57:01.177193-05	4029	320334
1584805	2016-03-31 23:57:01.776821-05	3893	106118
1584806	2016-03-31 23:57:17.907784-05	9295	183664
1584807	2016-03-31 23:57:17.983228-05	4998	189762
1584808	2016-03-31 23:57:27.735852-05	739	103012
1584809	2016-03-31 23:57:42.727702-05	2034	85364
1584810	2016-03-31 23:58:14.925833-05	484	114174
1584811	2016-03-31 23:58:25.442556-05	5814	815824
1584812	2016-03-31 23:58:33.230182-05	2094	187280
1584813	2016-03-31 23:58:34.263428-05	6412	156218
1584814	2016-03-31 23:58:46.074825-05	7674	292212
1584815	2016-03-31 23:59:01.773566-05	3893	106118
1584816	2016-03-31 23:59:09.848381-05	5810	115272
1584817	2016-03-31 23:59:13.362057-05	1507	422708

1584818	2016-03-31 23:59:14.336743-05	2129	201726
1584819	2016-03-31 23:59:17.427165-05	2945	161232
1584820	2016-03-31 23:59:35.370782-05	9729	138146
1584821	2016-03-31 23:59:47.816286-05	5129	166488
1584822	2016-03-31 23:59:58.92308-05	484	114174

[1584823 rows x 3 columns]

We can see that

(1) The data has the following format: **Timestamp (localtime) MeterID (dataid) meter reading (meter_value).**

(2) There are overall **1584823** pieces of data.

2. Derive total number of houses included in the dataset by counting the number of different dataid.

```
In [3]: home=pandas.DataFrame.drop_duplicates(df,subset='dataid',\
                                             keep='first',\
                                             inplace=False)

print('Total number of houses included in the dataset:',\
      home.shape[0])

print('The 1st timestamp and readings of every house:\n',home)
```

Total number of houses included in the dataset: 157

The 1st timestamp and readings of every house:

	localminute	dataid	meter_value
0	2015-10-01 00:00:10-05	739	88858
1	2015-10-01 00:00:13-05	8890	197164
2	2015-10-01 00:00:20-05	6910	179118
3	2015-10-01 00:00:22-05	3635	151318
4	2015-10-01 00:00:22-05	1507	390354
5	2015-10-01 00:00:29-05	5810	97506
6	2015-10-01 00:01:00-05	484	99298
10	2015-10-01 00:01:43-05	4352	218216
12	2015-10-01 00:01:56-05	1718	161076
13	2015-10-01 00:01:58-05	1714	147048
14	2015-10-01 00:02:15-05	9849	33632
15	2015-10-01 00:02:16-05	5131	104132
16	2015-10-01 00:02:18-05	6412	133016
17	2015-10-01 00:02:20-05	7429	132644
19	2015-10-01 00:02:22-05	871	106464
20	2015-10-01 00:02:28-05	1086	83334
21	2015-10-01 00:02:29-05	1589	193922
22	2015-10-01 00:02:37-05	8156	251818
23	2015-10-01 00:02:41-05	9631	108348
24	2015-10-01 00:02:55-05	5403	112902

25	2015-10-01 00:02:57-05	4447	88648
26	2015-10-01 00:03:02-05	2034	72376
27	2015-10-01 00:03:40-05	5275	156990
29	2015-10-01 00:04:11-05	7794	433360
31	2015-10-01 00:04:36-05	7287	221038
36	2015-10-01 00:06:32-05	4296	168928
37	2015-10-01 00:06:36-05	9639	211656
40	2015-10-01 00:07:26-05	7017	375932
43	2015-10-01 00:07:38-05	252	329214
48	2015-10-01 00:08:04-05	8829	155850
...
66974	2015-10-08 18:13:29-05	8059	101626
82535	2015-10-10 11:54:39-05	7965	174608
101655	2015-10-12 18:33:44-05	44	165674
109298	2015-10-13 14:50:40-05	4671	89976
170248	2015-10-20 09:16:24-05	6685	95064
218087	2015-10-27 00:02:57-05	7989	110614
218091	2015-10-27 00:03:24-05	2945	144018
218106	2015-10-27 00:06:11-05	2818	163340
218107	2015-10-27 00:06:21-05	7016	286192
218212	2015-10-27 00:25:01-05	8967	187060
218295	2015-10-27 00:36:56-05	3310	391238
218401	2015-10-27 00:52:41-05	3918	263238
220158	2015-10-27 05:02:36-05	8386	171064
224182	2015-10-27 14:50:01-05	1103	183138
229473	2015-10-28 03:44:28-05	9620	432688
402002	2015-11-15 15:24:35-06	5658	145740
737571	2015-12-21 14:15:00-06	5545	139578
912077	2016-01-11 09:46:23.64201-06	5317	28298
912245	2016-01-11 10:12:24.954001-06	3036	148362
912405	2016-01-11 10:37:15.067051-06	9160	173408
912480	2016-01-11 10:48:12.672074-06	8244	98904
912615	2016-01-11 11:10:14.531279-06	2755	348670
913225	2016-01-11 12:42:37.209455-06	9600	121172
914448	2016-01-11 15:49:07.359554-06	2946	156164
914864	2016-01-11 16:54:41.583078-06	1403	72206
915553	2016-01-11 18:42:05.62517-06	7566	132318
951708	2016-01-15 17:40:24.311436-06	6673	80138
963481	2016-01-17 01:24:17.108439-06	2814	169986
998667	2016-01-20 21:24:53.203586-06	6101	114832
1135233	2016-02-04 19:10:36.339499-06	4874	307502

[157 rows x 3 columns]

3. By overviewing the dataset, there are some irregular or weird meter readings which may relate to the malfunctioning of meters in the six months. From our point of view, there are 3 possible malfunction conditions based on the dataset.

1. After having a overview of the dataset, we find that there are cases when the meter readings are the same with the time changing. And all the first meter readings of 157 houses are not zero. This means that even there is no gas consumption for a relatively long time, the meter also reports a reading. Besides, all these meters are not newly added. Based on these assumptions, every meter for the 157 houses should start reporting readings from October 1st, 2015. However, according to the timestamp and meter readings for every house, we find that not all first readings are on 2015-10-01. So this is the first kind of malfunctioning condition.
 2. Normally every family has a relatively stable habit of consuming gas. Thus a fully-functioning gas meter should have similar times of reporting readings every month. If for a specific month, the sum readings of one house is obviously fewer than normal, then we should conclude that there are sometime when the meter is malfunctioning during that month.
 3. The gas meters measure the cumulative gas consumption, so cases when the meter readings decrease as time goes by should be considered problematic.
- 1) *First kind of malfunctioning*: For each dataid(related to corresponding meter), the malfunctioning period is from 1st of October to the first time when there is a reading.

```
In [4]: #Print out time and dataid when abnormal readings appear.
pandas.set_option('display.max_rows', None)
for i in range(home.shape[0]):
    if int(home.localminute.iloc[i].split('-')[2].split(' ')[0])!=1:
        break;
print('The first kind of malfunctioning meters are shown as below:\n')
print(home.iloc[i:-1,:])
```

The first kind of malfunctioning meters are shown as below:

	localminute	dataid	meter_value
11436	2015-10-02 08:54:27-05	4193	289668
18211	2015-10-03 03:48:54-05	8703	210416
18597	2015-10-03 04:51:53-05	6578	157806
35710	2015-10-05 02:44:01-05	4228	85162
47472	2015-10-06 11:52:20-05	2645	59318
63854	2015-10-08 10:01:28-05	6505	132928
63993	2015-10-08 10:22:34-05	5395	136658
66974	2015-10-08 18:13:29-05	8059	101626
82535	2015-10-10 11:54:39-05	7965	174608
101655	2015-10-12 18:33:44-05	44	165674
109298	2015-10-13 14:50:40-05	4671	89976
170248	2015-10-20 09:16:24-05	6685	95064
218087	2015-10-27 00:02:57-05	7989	110614
218091	2015-10-27 00:03:24-05	2945	144018
218106	2015-10-27 00:06:11-05	2818	163340
218107	2015-10-27 00:06:21-05	7016	286192
218212	2015-10-27 00:25:01-05	8967	187060

218295	2015-10-27 00:36:56-05	3310	391238
218401	2015-10-27 00:52:41-05	3918	263238
220158	2015-10-27 05:02:36-05	8386	171064
224182	2015-10-27 14:50:01-05	1103	183138
229473	2015-10-28 03:44:28-05	9620	432688
402002	2015-11-15 15:24:35-06	5658	145740
737571	2015-12-21 14:15:00-06	5545	139578
912077	2016-01-11 09:46:23.64201-06	5317	28298
912245	2016-01-11 10:12:24.954001-06	3036	148362
912405	2016-01-11 10:37:15.067051-06	9160	173408
912480	2016-01-11 10:48:12.672074-06	8244	98904
912615	2016-01-11 11:10:14.531279-06	2755	348670
913225	2016-01-11 12:42:37.209455-06	9600	121172
914448	2016-01-11 15:49:07.359554-06	2946	156164
914864	2016-01-11 16:54:41.583078-06	1403	72206
915553	2016-01-11 18:42:05.62517-06	7566	132318
951708	2016-01-15 17:40:24.311436-06	6673	80138
963481	2016-01-17 01:24:17.108439-06	2814	169986
998667	2016-01-20 21:24:53.203586-06	6101	114832

- 2) *Second kind of malfunctioning*: For a specific dataid(meter), when the sum readings of one month is especially fewer than normal case, there should be something wrong in that month.

In [5]: # Count the numbers of readings for each meter in each month

```

k=0
for j in home.dataid:
    record=df[df.dataid==j]
    num=record.shape[0]
    print('Dataid:',j,': number of record:',num)
    st = [0 for col in range(6)]
    for i in range(num):
        temp = record.localminute.iloc[i].split('-')
        if int(temp[1])==10:
            st[0]=st[0]+1
        if int(temp[1])==11:
            st[1]=st[1]+1
        if int(temp[1])==12:
            st[2]=st[2]+1
        if int(temp[1])==1:
            st[3]=st[3]+1
        if int(temp[1])==2:
            st[4]=st[4]+1
        if int(temp[1])==3:
            st[5]=st[5]+1
    print(st, '\n')
    k=k+1

```

```
    if k>=20:
        break
    print("... ..")
```

Dataid: 739 : number of record: 31430
[5530, 5132, 5209, 4808, 4945, 5806]

Dataid: 8890 : number of record: 16574
[3412, 3004, 3059, 2862, 2918, 1319]

Dataid: 6910 : number of record: 69349
[12403, 11666, 11645, 12850, 10934, 9851]

Dataid: 3635 : number of record: 9186
[1351, 1462, 1425, 1799, 1457, 1692]

Dataid: 1507 : number of record: 32603
[7292, 7098, 4619, 5828, 2971, 4795]

Dataid: 5810 : number of record: 42234
[7578, 7366, 7209, 6192, 6404, 7485]

Dataid: 484 : number of record: 44034
[7475, 7547, 6904, 7348, 7121, 7639]

Dataid: 4352 : number of record: 3304
[1588, 958, 471, 0, 212, 75]

Dataid: 1718 : number of record: 24470
[3988, 3992, 3939, 4177, 4007, 4367]

Dataid: 1714 : number of record: 32933
[6424, 5341, 5538, 5346, 4840, 5444]

Dataid: 9849 : number of record: 2741
[913, 487, 547, 250, 280, 264]

Dataid: 5131 : number of record: 15187
[2768, 2402, 2395, 2735, 2696, 2191]

Dataid: 6412 : number of record: 15783
[3975, 1749, 1949, 2667, 3090, 2353]

Dataid: 7429 : number of record: 13212
[1868, 2247, 2184, 2352, 2230, 2331]

Dataid: 871 : number of record: 35070

```
[6195, 5723, 5680, 5821, 5684, 5967]

Dataid: 1086 : number of record: 30029
[6510, 5078, 4887, 5058, 4016, 4480]

Dataid: 1589 : number of record: 26352
[4589, 3734, 3739, 4743, 4633, 4914]

Dataid: 8156 : number of record: 25296
[4596, 4321, 5115, 5147, 3519, 2598]

Dataid: 9631 : number of record: 4411
[914, 711, 535, 799, 743, 709]

Dataid: 5403 : number of record: 25559
[4754, 4745, 4957, 5090, 3189, 2824]

... ..
```

Due to the large amount of data, to prevent the length of the report from being too long, we only show part of the results here.

According to the results above, we can choose any meter to analyze. If we find that there is one month which the number is quite small, we can assume that there is malfunctioning during that month for that meter. Then we can target on that month and do further analysis. For example, for the meter whose id is 739, every number of the six month is around 5000. This means that perhaps this meter wasn't malfunction in this period. However, for the meter 1507, the number is only about 3000 for February of 2016, which is much smaller than the other months. Under this kind of condition, we could judge that this meter is malfunction in sometime of February of 2016.

- 3) *Third kind of malfunctioning*: Meter readings decrease. Take October of 2015 as an example.

```
In [6]: df_0=pandas.read_csv('dataport-export_gas_oct2015-mar2016.csv',\
                             nrows=266449)
        home_0=pandas.DataFrame.drop_duplicates(df_0,subset='dataid',\
                                                keep='first',\
                                                inplace=False)

In [7]: # Consider every meter, search for the cases when reading decreases.
        # Print malfunctioning meter id and timestamp.
        k=1
        for j in home_0.dataid:
            record=df_0[df_0.dataid==j]
            num=record.shape[0]
            new = [[0 for col in range(num)] for row in range(2)]
            for i in range(num):
                temp = record.localtime.iloc[i].split(' ')
                temp1 = temp[0]
```



```

temp2 = temp[1].split('-')[0]
t = 0
temp = temp2.split(':')
t = t+int(temp[2])+int(temp[1])*60+int(temp[0])*60*60
temp = temp1.split('-')
t = t+(int(temp[2])-1)*24*60*60
new[0][i] = t
new[1][i] = int(record.meter_value.iloc[i])-\\
            int(record.meter_value.iloc[0])
if i>=1:
    if int(record.meter_value.iloc[i])<\\
        int(record.meter_value.iloc[i-1]):
        print('Dataid:',j,'    time:',record.localminute.iloc[i])

```

k=k+1

```

Dataid: 8890    time: 2015-10-01 19:07:10-05
Dataid: 8890    time: 2015-10-02 05:12:56-05
Dataid: 8890    time: 2015-10-02 17:51:56-05
Dataid: 8890    time: 2015-10-02 18:08:48-05
Dataid: 8890    time: 2015-10-02 22:34:48-05
Dataid: 8890    time: 2015-10-03 17:10:06-05
Dataid: 8890    time: 2015-10-04 00:24:52-05
Dataid: 8890    time: 2015-10-04 09:28:03-05
Dataid: 8890    time: 2015-10-04 14:11:06-05
Dataid: 8890    time: 2015-10-05 11:09:08-05
Dataid: 8890    time: 2015-10-05 16:13:04-05
Dataid: 8890    time: 2015-10-08 15:51:04-05
Dataid: 8890    time: 2015-10-09 03:17:11-05
Dataid: 8890    time: 2015-10-09 13:41:00-05
Dataid: 8890    time: 2015-10-09 18:18:55-05
Dataid: 8890    time: 2015-10-09 19:16:03-05
Dataid: 8890    time: 2015-10-10 03:41:04-05
Dataid: 8890    time: 2015-10-10 07:14:54-05
Dataid: 8890    time: 2015-10-11 09:16:02-05
Dataid: 8890    time: 2015-10-11 18:58:10-05
Dataid: 8890    time: 2015-10-15 14:54:20-05
Dataid: 8890    time: 2015-10-15 18:47:17-05
Dataid: 8890    time: 2015-10-16 18:41:02-05
Dataid: 8890    time: 2015-10-17 05:03:11-05
Dataid: 8890    time: 2015-10-17 10:39:08-05
Dataid: 8890    time: 2015-10-17 14:33:01-05
Dataid: 8890    time: 2015-10-18 06:39:13-05
Dataid: 8890    time: 2015-10-18 12:25:02-05
Dataid: 8890    time: 2015-10-18 12:38:03-05
Dataid: 8890    time: 2015-10-19 08:00:12-05
Dataid: 8890    time: 2015-10-19 19:59:14-05
Dataid: 8890    time: 2015-10-20 00:39:15-05

```

Dataid: 5810	time: 2015-10-31 00:04:45-05
Dataid: 1718	time: 2015-10-20 16:27:02-05
Dataid: 1718	time: 2015-10-20 19:38:11-05
Dataid: 1718	time: 2015-10-20 19:44:07-05
Dataid: 1718	time: 2015-10-20 20:16:07-05
Dataid: 8156	time: 2015-10-17 13:06:23-05
Dataid: 8156	time: 2015-10-17 13:20:22-05
Dataid: 8156	time: 2015-10-17 16:43:22-05
Dataid: 8156	time: 2015-10-17 20:31:21-05
Dataid: 8156	time: 2015-10-17 21:04:22-05
Dataid: 8156	time: 2015-10-18 01:17:21-05
Dataid: 8156	time: 2015-10-20 07:09:19-05
Dataid: 8156	time: 2015-10-20 07:47:19-05
Dataid: 8156	time: 2015-10-20 10:52:20-05
Dataid: 8156	time: 2015-10-20 13:00:19-05
Dataid: 8156	time: 2015-10-20 21:28:19-05
Dataid: 8156	time: 2015-10-20 21:33:19-05
Dataid: 5403	time: 2015-10-17 10:18:23-05
Dataid: 5403	time: 2015-10-17 11:58:33-05
Dataid: 5403	time: 2015-10-17 13:29:24-05
Dataid: 5403	time: 2015-10-17 13:37:17-05
Dataid: 5403	time: 2015-10-17 13:39:18-05
Dataid: 5403	time: 2015-10-17 14:36:26-05
Dataid: 5403	time: 2015-10-17 14:40:25-05
Dataid: 5403	time: 2015-10-17 17:33:25-05
Dataid: 5403	time: 2015-10-17 20:52:27-05
Dataid: 5403	time: 2015-10-17 20:57:32-05
Dataid: 5403	time: 2015-10-17 22:17:17-05
Dataid: 5403	time: 2015-10-17 23:33:31-05
Dataid: 5403	time: 2015-10-17 23:49:36-05
Dataid: 5403	time: 2015-10-18 01:12:31-05
Dataid: 5403	time: 2015-10-20 15:55:28-05
Dataid: 5403	time: 2015-10-20 17:22:14-05
Dataid: 5403	time: 2015-10-20 23:07:28-05
Dataid: 7017	time: 2015-10-20 12:05:00-05
Dataid: 7030	time: 2015-10-17 10:25:30-05
Dataid: 7030	time: 2015-10-17 11:56:44-05
Dataid: 7030	time: 2015-10-17 16:11:46-05
Dataid: 7030	time: 2015-10-17 16:21:48-05
Dataid: 7030	time: 2015-10-17 18:17:30-05
Dataid: 7030	time: 2015-10-17 21:03:40-05
Dataid: 7030	time: 2015-10-18 01:30:38-05
Dataid: 7030	time: 2015-10-20 12:40:39-05
Dataid: 7030	time: 2015-10-20 17:29:32-05
Dataid: 2449	time: 2015-10-17 15:44:26-05
Dataid: 2449	time: 2015-10-17 17:58:26-05
Dataid: 35	time: 2015-10-20 09:00:12-05
Dataid: 9134	time: 2015-10-17 13:27:19-05

Dataid: 9134	time: 2015-10-17 17:55:08-05
Dataid: 9134	time: 2015-10-17 20:37:04-05
Dataid: 9134	time: 2015-10-20 12:44:16-05
Dataid: 7117	time: 2015-10-17 00:07:17-05
Dataid: 7117	time: 2015-10-17 09:37:09-05
Dataid: 7117	time: 2015-10-17 09:58:54-05
Dataid: 7117	time: 2015-10-17 14:08:54-05
Dataid: 7117	time: 2015-10-17 23:25:52-05
Dataid: 7117	time: 2015-10-20 12:26:58-05
Dataid: 7117	time: 2015-10-20 13:44:52-05
Dataid: 2335	time: 2015-10-20 18:23:32-05
Dataid: 4998	time: 2015-10-20 07:38:11-05
Dataid: 5129	time: 2015-10-17 18:39:09-05
Dataid: 5129	time: 2015-10-17 22:40:20-05
Dataid: 5129	time: 2015-10-20 13:02:24-05
Dataid: 483	time: 2015-10-21 00:18:54-05
Dataid: 1556	time: 2015-10-17 12:01:05-05
Dataid: 1801	time: 2015-10-20 07:52:02-05
Dataid: 4031	time: 2015-10-08 07:06:58-05
Dataid: 4031	time: 2015-10-11 17:51:08-05
Dataid: 4031	time: 2015-10-12 13:03:07-05
Dataid: 4031	time: 2015-10-12 17:22:02-05
Dataid: 4031	time: 2015-10-12 18:12:04-05
Dataid: 4031	time: 2015-10-15 06:39:51-05
Dataid: 4031	time: 2015-10-15 06:57:47-05
Dataid: 4031	time: 2015-10-19 07:17:44-05
Dataid: 1185	time: 2015-10-17 10:51:09-05
Dataid: 1185	time: 2015-10-17 11:08:06-05
Dataid: 1185	time: 2015-10-17 11:47:03-05
Dataid: 1185	time: 2015-10-17 12:33:57-05
Dataid: 1185	time: 2015-10-17 13:27:01-05
Dataid: 1185	time: 2015-10-17 13:40:02-05
Dataid: 1185	time: 2015-10-17 17:12:56-05
Dataid: 1185	time: 2015-10-17 23:59:04-05
Dataid: 1185	time: 2015-10-20 12:29:48-05
Dataid: 1185	time: 2015-10-20 13:49:08-05
Dataid: 4514	time: 2015-10-17 09:53:59-05
Dataid: 4514	time: 2015-10-17 10:16:56-05
Dataid: 4514	time: 2015-10-17 11:30:02-05
Dataid: 4514	time: 2015-10-17 12:46:06-05
Dataid: 4514	time: 2015-10-17 20:53:08-05
Dataid: 4514	time: 2015-10-17 21:44:06-05
Dataid: 4514	time: 2015-10-17 22:07:54-05
Dataid: 4514	time: 2015-10-20 10:28:59-05
Dataid: 4514	time: 2015-10-20 12:22:04-05
Dataid: 4514	time: 2015-10-20 15:14:05-05
Dataid: 4514	time: 2015-10-20 16:32:02-05
Dataid: 4514	time: 2015-10-20 17:49:57-05

```
Dataid: 4514    time: 2015-10-20 18:09:52-05
Dataid: 77     time: 2015-10-20 20:20:55-05
Dataid: 3134   time: 2015-10-20 13:51:35-05
Dataid: 6836   time: 2015-10-17 12:36:50-05
Dataid: 1042   time: 2015-10-07 14:32:08-05
Dataid: 1790   time: 2015-10-20 16:12:26-05
```

The above results show each malfunctioning meter's id and timestamp(s) in October of 2015. For example, the meter with id 8890 had several malfunctioning time like 2015-10-01 19:07:10-05, 2015-10-02 05:12:56-05 and so on.

4. Subtract original value for every piece of data to make 0 the start number. Then generate hourly readings from the raw data by set them as the readings before the specific hourly time point. Here we select *October* as the target month and plot the hourly readings for every house. The horizontal axis represents hours series while the vertical axis represents the generated readings. Note that:

1. For a certain hours when there is no reading, the strategy is also applicative because we are just focus on the tendency of the gas consumption, the accurate readings are not statistically significant and also unavailable according to the dataset.
2. For the faulty meters' readings, as to the first kind of incorrect value, we just set them as zero until correct values appear. And as to the second and third kind of malfunctioning condition, generating hourly readings actually have reduced the impact of those occasional faults. Thereby, the following processing will not be significantly affected.

```
In [8]: # Generate hourly readings and plot
k=1
hourly = [[0 for col in range(745)] for row in range(home_0.shape[0]+1)]
hourly[0] = np.arange(0,745,1)
for j in home_0.dataid:
    record=df_0[df_0.dataid==j]
    num=record.shape[0]
    new = [[0 for col in range(num)] for row in range(2)]
    for i in range(num):
        temp = record.localminute.iloc[i].split(' ')
        temp1 = temp[0]
        temp2 = temp[1].split('-')[0]
        t = 0
        temp = temp2.split(':')
        t = t+int(temp[2])+int(temp[1])*60+int(temp[0])*60*60
        temp = temp1.split('-')
        t = t+(int(temp[2])-1)*24*60*60
        new[0][i] = t
        new[1][i] = int(record.meter_value.iloc[i])-int(record.meter_value.iloc[0])
    for i in range(num-1):
        if new[0][i+1]//3600!=new[0][i]//3600:
            hourly[k][new[0][i+1]//3600] = new[1][i]
```

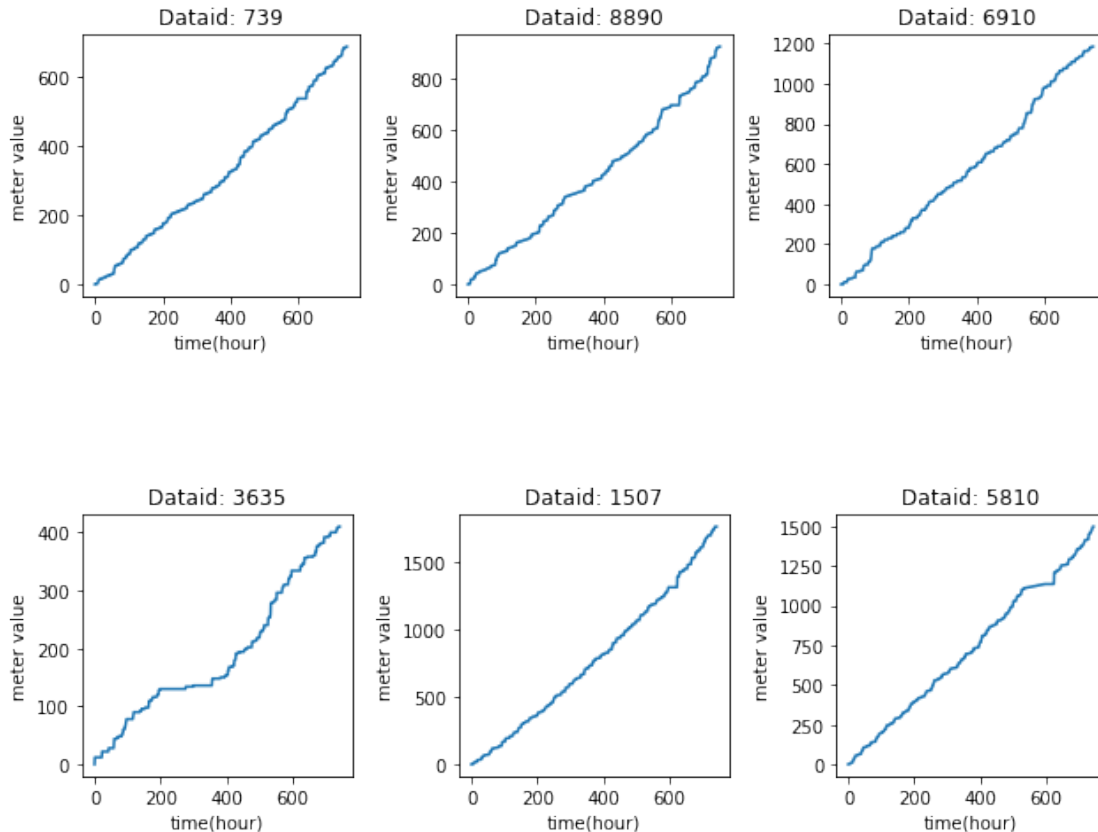
```

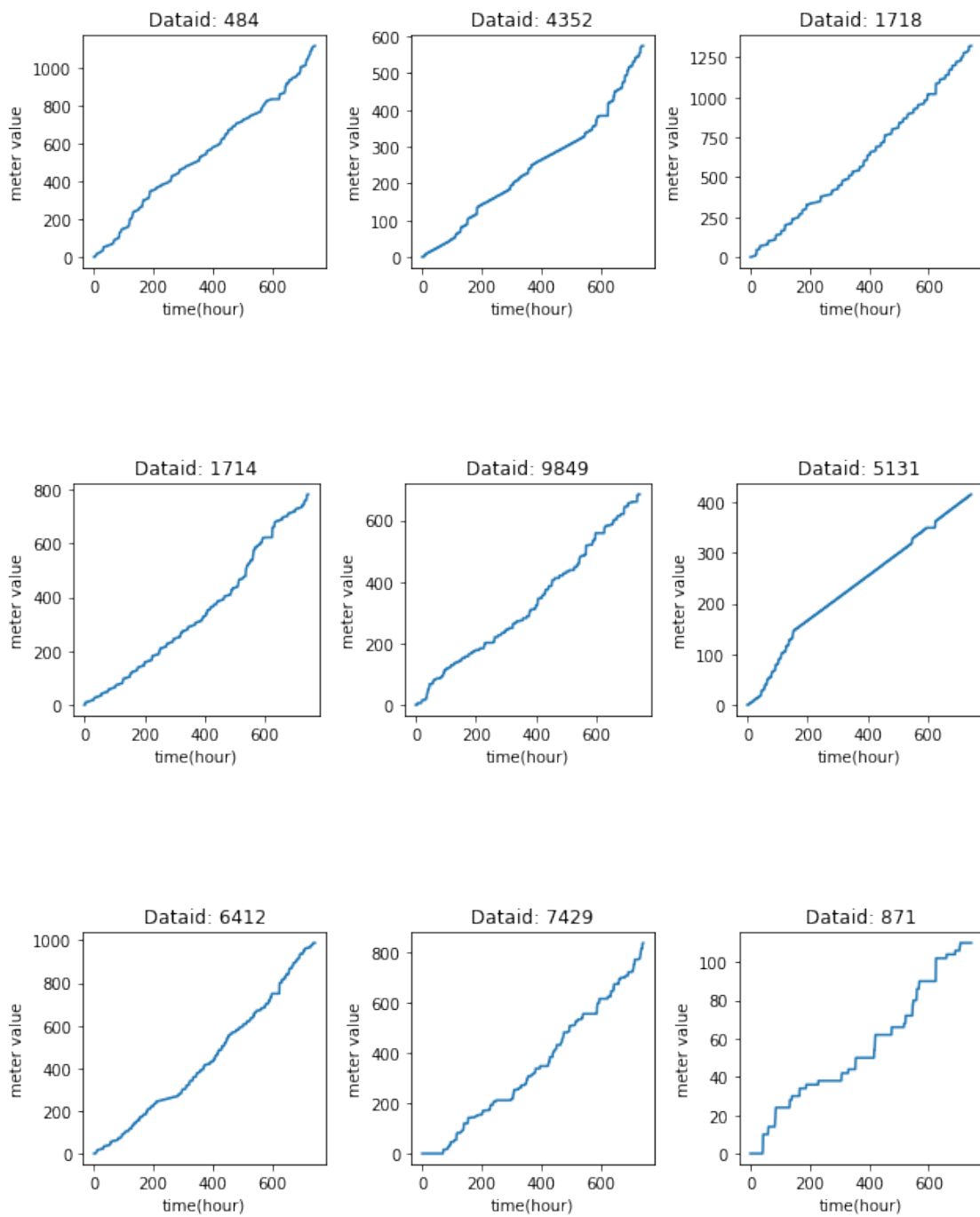
for i in range(744):
    if hourly[k][i+1]==0:
        hourly[k][i+1]=hourly[k][i]
    k=k+1
k=k-1

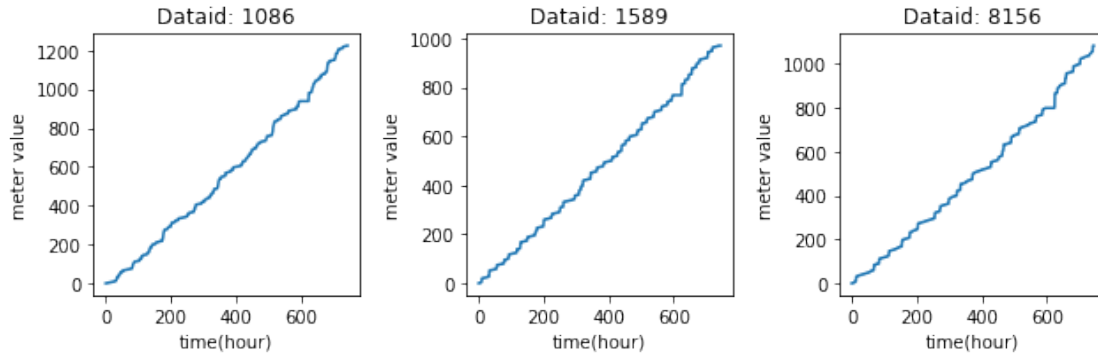
ii=0
for i in range(k):
    if i%3==0:
        ii=ii+1
        plt.figure(ii,figsize=(9,3))
        plt.subplot(131)
    elif i%3==1:
        plt.subplot(132)
    else:
        plt.subplot(133)
    plt.title('Dataid: %s'%home_0.dataid.iloc[i])
    plt.xlabel('time(hour)')
    plt.ylabel('meter value')
    plt.tight_layout()
    plt.plot(hourly[0],hourly[i+1])

    if i+1>=18:
        break

```







Due to the large amount of data, to prevent the length of the report from being too long, we only show part of the results here.

5. Correlation Analysis

- The term "correlation" refers to a mutual relationship or association between quantities. Correlation can help in predicting one quantity from another. Considering correlation coefficient, 1 means that two quantities are highly correlated and 0 means no correlation.
- In our project, intuitively, gas consumption from different homes should be correlated. For example, many homes would experience higher consumption levels during meal time. High correlation possibly means two houses share similar habit of gas consumption.

```
In [9]: # Calculate correlation
cor = [[0 for col in range(k)] for row in range(k)]
for i in range(k):
    for j in range(k):
        if i==j:
            continue
        cor[i][j] = np.corrcoef(hourly[i+1],hourly[j+1])[0,1]

# Select highest 5 houses for each and print out
for i in range(k):
    print('Dataid: ',home_0.dataid.iloc[i])
    temp = cor[i]
    for j in range(5):
        max_cor = temp[0]
        max_ii = 0
        for ii in range(k):
            if ii==i:
                continue
            if temp[ii]>max_cor:
                max_cor = cor[i][ii]
                max_ii = ii
        if pandas.isnull(max_cor):
            print('None',end=' ')
```

```

        break
    print(home_0.dataid.iloc[max_ii],':',round(max_cor,4),' ',end='')
    temp[max_ii]=0
print('\n')

if i+1>=20:
    break
print("... ")

```

Dataid: 739

1718 : 0.9991 1185 : 0.999 9729 : 0.9988 5439 : 0.9988 6836 : 0.9987

Dataid: 8890

3527 : 0.9987 9729 : 0.9985 1507 : 0.9984 4031 : 0.9981 2638 : 0.9981

Dataid: 6910

744 : 0.9986 6830 : 0.9986 94 : 0.9984 2638 : 0.9983 8890 : 0.998

Dataid: 3635

9278 : 0.9939 871 : 0.9922 3039 : 0.9922 4732 : 0.9914 2335 : 0.9902

Dataid: 1507

6836 : 0.9995 7674 : 0.9993 5439 : 0.9993 9729 : 0.9993 4031 : 0.9992

Dataid: 5810

5484 : 0.9984 1790 : 0.9984 7287 : 0.9984 4514 : 0.9983 7682 : 0.9983

Dataid: 484

1556 : 0.9975 9295 : 0.9975 2018 : 0.9972 7030 : 0.9971 7739 : 0.9966

Dataid: 4352

1283 : 0.9975 5814 : 0.9975 2461 : 0.997 3723 : 0.9956 114 : 0.9954

Dataid: 1718

6836 : 0.9992 5439 : 0.9992 739 : 0.9991 1185 : 0.9991 7674 : 0.9991

Dataid: 1714

9631 : 0.9967 4732 : 0.9966 5129 : 0.9965 6910 : 0.9961 1801 : 0.996

Dataid: 9849

739 : 0.9983 1718 : 0.998 35 : 0.9978 2233 : 0.9978 9631 : 0.9978


```

Dataid: 5131
7017 : 0.9968  5193 : 0.9948  484 : 0.9941  4447 : 0.9912  3134 : 0.9907

Dataid: 6412
9631 : 0.9991  6836 : 0.9989  1718 : 0.9988  4356 : 0.9986  1507 : 0.9985

Dataid: 7429
1718 : 0.9979  739 : 0.9978  6412 : 0.9976  1185 : 0.9974  7674 : 0.9974

Dataid: 871
9474 : 0.9937  35 : 0.9931  9849 : 0.9927  3635 : 0.9922  9278 : 0.9922

Dataid: 1086
7674 : 0.9993  6836 : 0.9992  7682 : 0.9991  1589 : 0.9991  1507 : 0.9991

Dataid: 1589
5403 : 0.9995  7682 : 0.9994  4029 : 0.9994  7794 : 0.9994  4514 : 0.9993

Dataid: 8156
1507 : 0.9991  6836 : 0.9991  7674 : 0.9991  4031 : 0.999  1086 : 0.9989

Dataid: 9631
6412 : 0.9991  5439 : 0.9989  1507 : 0.9989  1718 : 0.9989  6836 : 0.9988

Dataid: 5403
7739 : 0.9998  4514 : 0.9998  4029 : 0.9997  7682 : 0.9997  7919 : 0.9997

... ..

```

Due to the large amount of data, to prevent the length of the report from being too long, we only show part of the results here.

The above results show top five correlated homes and the correlations for each home.

6. Proposal overview

- To analyze the data further, we have the following proposal:
- Normally, for a family, the gas usage hourly or for a certain period of one day is relatively steady. Therefore, if hourly gas usage is significantly larger than the historical value, there might be something unusual or even unexpected happening in the house. For example, if people forget to turn off the gas which has been unused for a long time, the meter's reading would increase continuously. This causes waste of resources and even safety risks. With these concerns, we propose to build a gas usage alarming system which could generate hourly threshold value base on past data, and the threshold is adjustable rather than constant, meaning that this threshold is able to update after a period of time. When the meter reading is higher than the threshold, the alarm would be sent to the house to avoid waste or even danger.

Part 2: Forecasting

In this part, based on the generated hourly readings before, we focus on building machine learning models to forecast future hourly readings. Specifically, we build two ML models: linear regression model and support vector regression model. SVR model includes two kinds of kernel: linear kernel and rbf kernel.

1. Originally, the gas consumption dataset is messy and huge. After generating hourly values, we derive a time series dataset which looks neat and organized. Before everything starts, we should figure out the reason and value of doing this work.

Natural gas is a widely used energy source in industrial, commercial and residential sectors. Estimation and forecasting of residential natural gas consumption has drawn significant attention from the standpoints of both the residents and the supplier.

- **For natural gas suppliers:** While other conventional energy sources, such as oil or coal, have relatively lower transportation costs, in most cases, natural gas transportation requires higher initial investments. As a result, local and international natural gas markets are historically based on long-term contracts. Given this market structure, one of the risk factors for natural gas distributors is the demand uncertainty. Therefore, accurate forecasting of the demand for natural gas is critical for an efficient management of energy resources. Based on such prediction, the supplier can adjust the supply of natural gas to each region, thus resources can be more rationally distributed. Besides, depending on whether the future consumption is increasing or decreasing, natural gas suppliers can also dynamically change the price to maximize their own benefits.
- **For natural gas consumers:** Normally, houses are accessible to several kinds of energy resources which share some common functions, such as electricity, coal, and natural gas. Therefore, based on such predictions and the price of each resource, residents can adjust their habits of consuming energy to minimize the total costs.
- **For other related industries:** Differences in natural gas consumption between regions can suggest something for other related industries such as the catering industry. Usually majority of natural gas is used by cooking. If the gas consumption of a certain area will increase by prediction, perhaps residents are more and more inclined to cook at home. Therefore, catering investors should better choose another place to open restaurants.

In conclusion, estimation and forecasting of natural gas consumption can benefit the suppliers, the consumers and also influence other related industries. If we are able to derive a good forecasting model, all of them can be benefitted. Moreover, if we have a good forecasting model, maybe we can apply this method to other similar fields, like water consumption and electric consumption.

2. Building and optimizing forecasting model

Our model is based on October for training data and forecasting with November, we normalized the time start with 0, and increase hourly. October is from the 1st hour to the 744th hour, and the November is the 745th hour to the 1464th hour. So we use first 744 data to train a model. Then use the other 720 data to verify the accuracy of the model, which is comparing the predicted data with the actual data in November. At the end evaluating the pros and cons of each model by calculating mean square error.

(1) Extract the data of October and November, then generate hourly values.

```
In [10]: # Extract the data of October and November
df_two=pandas.read_csv('dataport-export_gas_oct2015-mar2016.csv',\
```

```

nrows=544681)
home_two=pandas.DataFrame.drop_duplicates(df_two,subset='dataid',\
                                          keep='first',\
                                          inplace=False)

# Generate hourly readings
k=0
hourly = [[0 for col in range(1465)] for row in range(home_two.shape[0]+1)]
hourly[0] = np.arange(0,1465,1)
for j in home_two.dataid:
    k=k+1
    record=df_two[df_two.dataid==j]
    num=record.shape[0]
    new = [[0 for col in range(num)] for row in range(2)]
    for i in range(num):
        temp = record.localminute.iloc[i].split(' ')
        temp1 = temp[0]
        temp2 = temp[1].split('-')[0]
        t = 0
        temp = temp2.split(':')
        t = t+int(temp[2])+int(temp[1])*60+int(temp[0])*60*60
        temp = temp1.split('-')
        t = t+(int(temp[2])-1)*24*60*60+(int(temp[1])-10)*24*60*60*31
        new[0][i] = t
        new[1][i] = int(record.meter_value.iloc[i])-
                    int(record.meter_value.iloc[0])
    for i in range(num-1):
        if new[0][i+1]//3600!=new[0][i]//3600:
            hourly[k][new[0][i+1]//3600] = new[1][i]
    for i in range(1464):
        if hourly[k][i+1]==0:
            hourly[k][i+1]=hourly[k][i]

```

(2) Conventional model

```

In [11]: # Linear Regression
lr=lm.LinearRegression()
x_tr = np.arange(0,745,1)
print('Linear regression:')
for i in range(k):
    if i+1>5:
        break
    lr.fit(x_tr[:,np.newaxis],hourly[i+1][0:745])
    y_lr=lr.predict(hourly[0][:,np.newaxis])

    print('Dataid: ',home_two.dataid.iloc[i])
    mse_train=mse(hourly[i+1][0:745],y_lr[0:745])
    print(f'Mean squared error on the training data: {mse_train:.2f}')

```

```

mse_prediction=mse(hourly[i+1][745:],y_lr[745:])
print(f'Mean squared error on the predicted data: {mse_prediction:.2f}')

plt.figure(i,figsize=(12,4))
plt.subplot(121)
plt.plot(hourly[0],hourly[i+1],'--k',label='actual meter')
plt.plot(hourly[0],y_lr,'b',label='fitting meter')
plt.xlabel('time(hour)')
plt.ylabel('meter')
plt.title('Linear regression -- Dataid: %s'%home_two.dataid.iloc[i])
plt.legend(loc=2)
plt.subplot(122)
m = min(hourly[i+1][-1],y_lr[-1])
mm = np.arange(0,m,1)
plt.plot(mm,mm,'--k',label='ideal result (y=x)')
plt.plot(hourly[i+1],y_lr,'r',label='actual result')
plt.xlabel('actual meter')
plt.ylabel('fitting meter')
plt.title('Linear regression -- Dataid: %s'%home_two.dataid.iloc[i])
plt.legend(loc=2)

```

Linear regression:

Dataid: 739

Mean squared error on the training data: 214.41

Mean squared error on the predicted data: 168566.94

Dataid: 8890

Mean squared error on the training data: 437.70

Mean squared error on the predicted data: 827736.63

Dataid: 6910

Mean squared error on the training data: 715.84

Mean squared error on the predicted data: 562052.00

Dataid: 3635

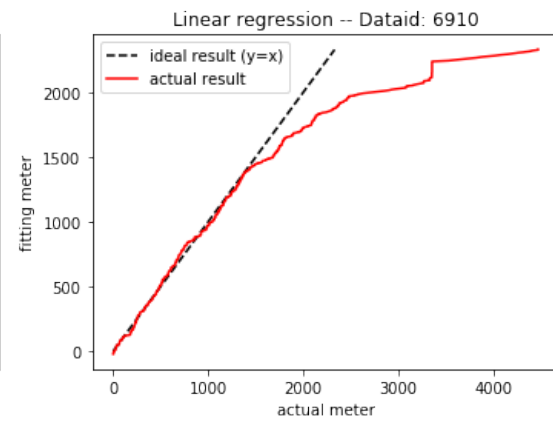
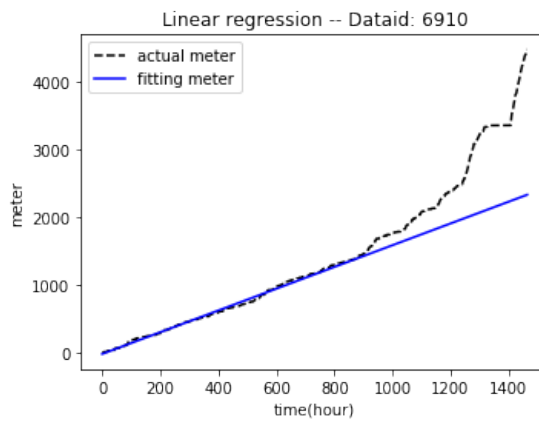
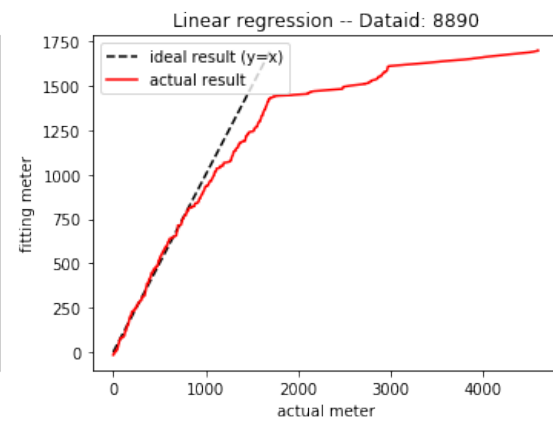
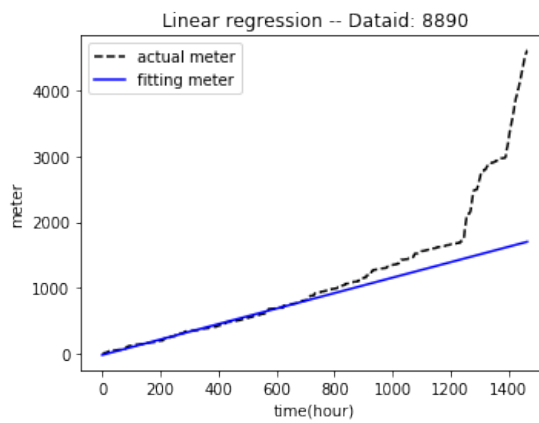
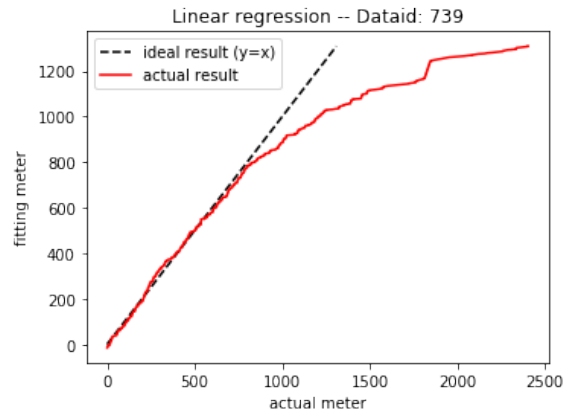
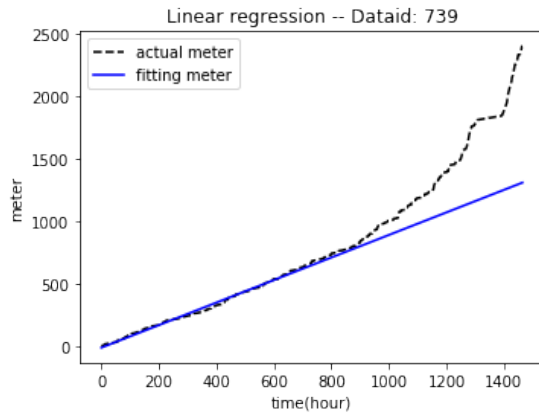
Mean squared error on the training data: 685.02

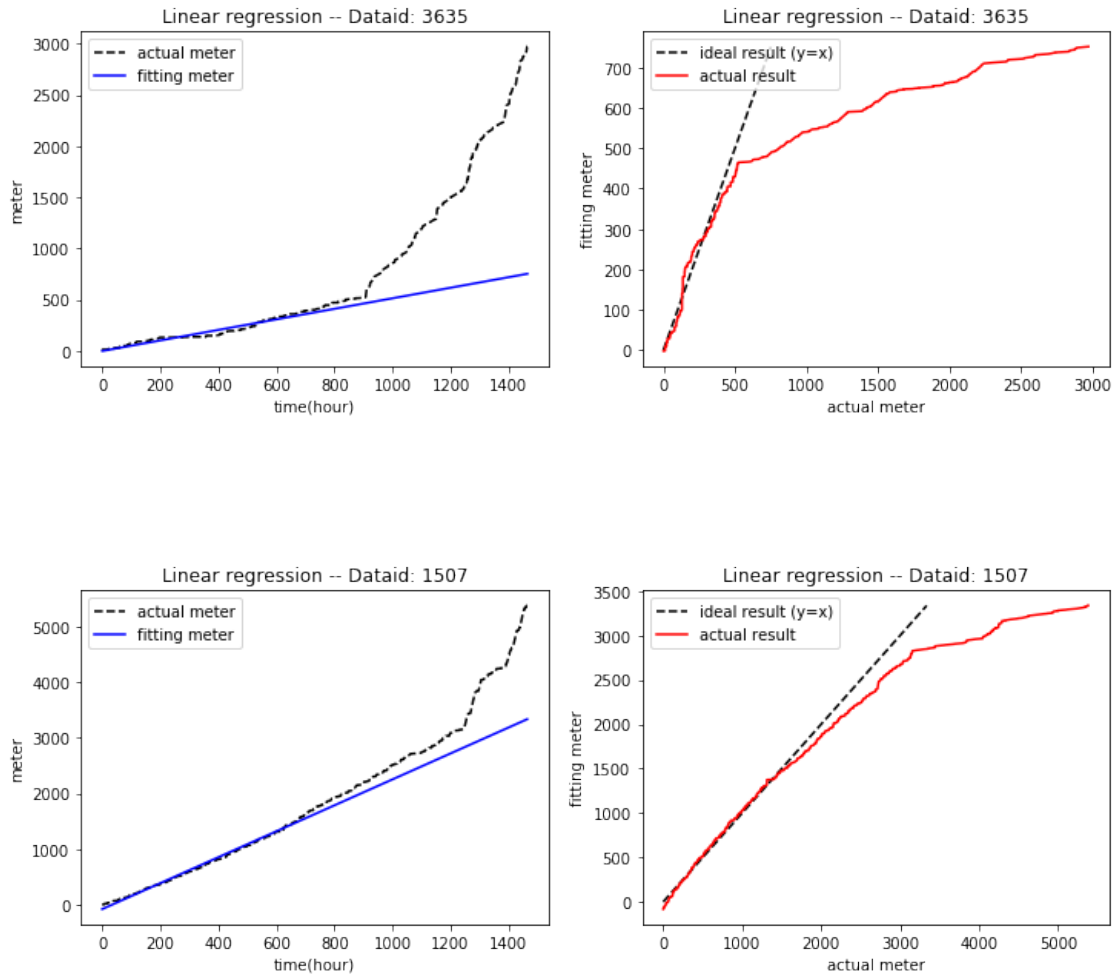
Mean squared error on the predicted data: 948464.41

Dataid: 1507

Mean squared error on the training data: 1551.87

Mean squared error on the predicted data: 511709.95





Analysis:

First, we use the linear regression to build the model. The time before 745th hour is the data of October, the left pictures show that the actual data and fitting data are almost the same, the model try the best to make a straight line fit the raw data, then after the 745th is the data of November and we can see the blue line is how the model think the data should be. For all users, at the beginning the actual data matches the fitting data, but only for a short time. As time increases, the actual data becomes more and more deviated from the fitting data. In the last 200 hours the prediction model is completely unrealistic. This unrealistic phenomenon also can be seen from the right pictures. Of course from the MSE we can see the training data is perfect fit which have a very small MSE value, but the predicted data is on the opposite which have a large MSE value.

```
In [12]: # SVR (linear)
lr = SVR(kernel="linear")
print('SVR(linear):')
for i in range(k):
    if i+1>5:
        break
    fit=lr.fit(x_tr[:,np.newaxis],hourly[i+1][0:745])
```

```

y_lr=fit.predict(hourly[0][:,np.newaxis])

print('Dataid: ',home_two.dataid.iloc[i])
mse_train=mse(hourly[i+1][0:745],y_lr[0:745])
print(f'Mean squared error on the training data: {mse_train:.2f}')
mse_prediction=mse(hourly[i+1][745:],y_lr[745:])
print(f'Mean squared error on the predicted data: {mse_prediction:.2f}')

plt.figure(i,figsize=(12,4))
plt.subplot(121)
plt.plot(hourly[0],hourly[i+1], '--k',label='actual meter')
plt.plot(hourly[0],y_lr, 'b',label='fitting meter')
plt.xlabel('time(hour)')
plt.ylabel('meter')
plt.title('SVR(linear) -- Dataid: %s'%home_two.dataid.iloc[i])
plt.legend(loc=2)
plt.subplot(122)
m = min(hourly[i+1][-1],y_lr[-1])
mm = np.arange(0,m,1)
plt.plot(mm,mm, '--k',label='ideal result (y=x)')
plt.plot(hourly[i+1],y_lr, 'r',label='actual result')
plt.xlabel('actual meter')
plt.ylabel('fitting meter')
plt.title('SVR(linear) -- Dataid: %s'%home_two.dataid.iloc[i])
plt.legend(loc=2)

```

SVR(linear):

Dataid: 739

Mean squared error on the training data: 232.66

Mean squared error on the predicted data: 178038.15

Dataid: 8890

Mean squared error on the training data: 448.60

Mean squared error on the predicted data: 845041.43

Dataid: 6910

Mean squared error on the training data: 768.91

Mean squared error on the predicted data: 535028.51

Dataid: 3635

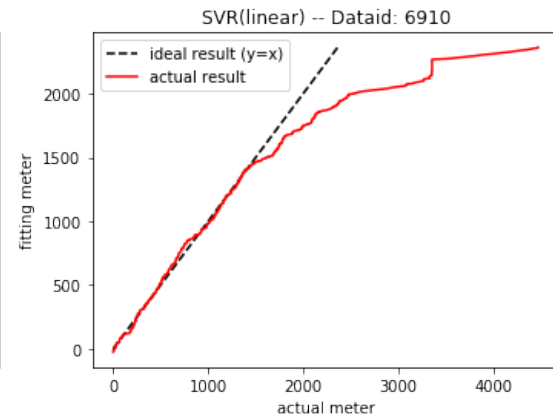
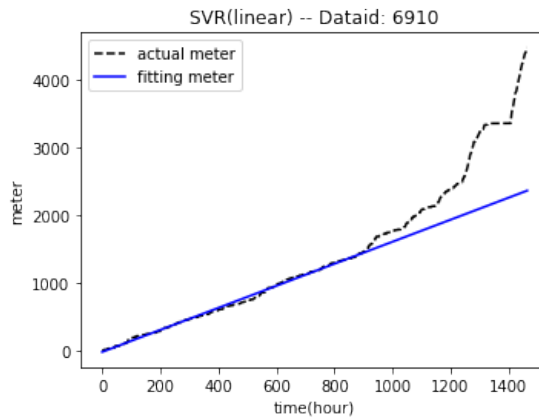
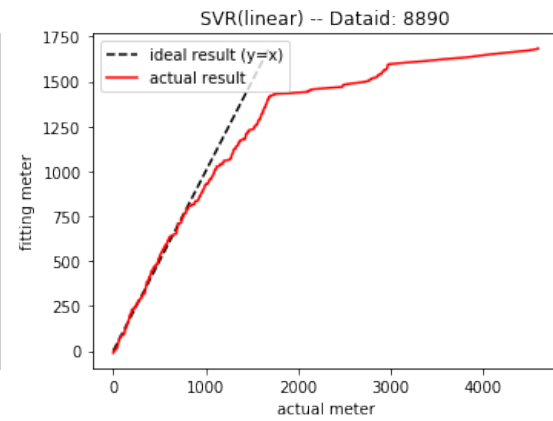
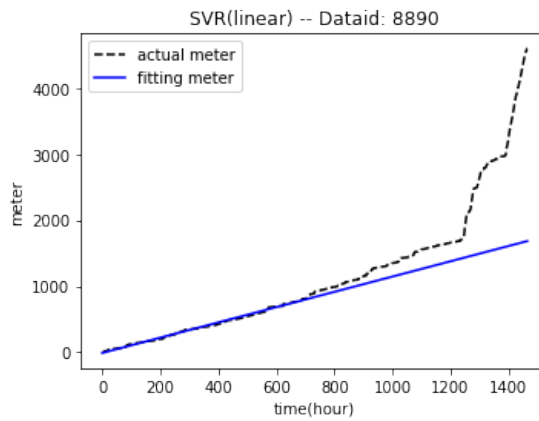
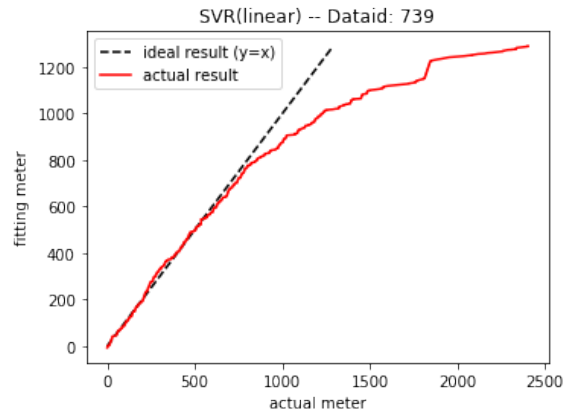
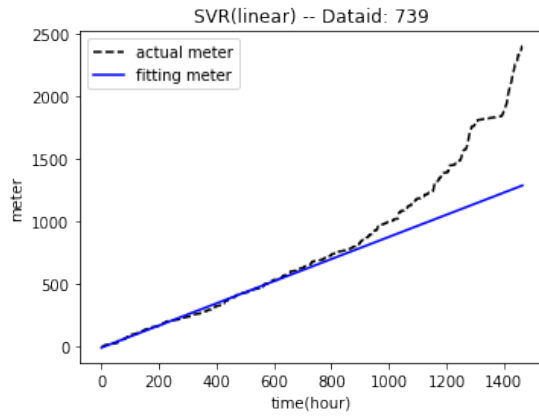
Mean squared error on the training data: 807.03

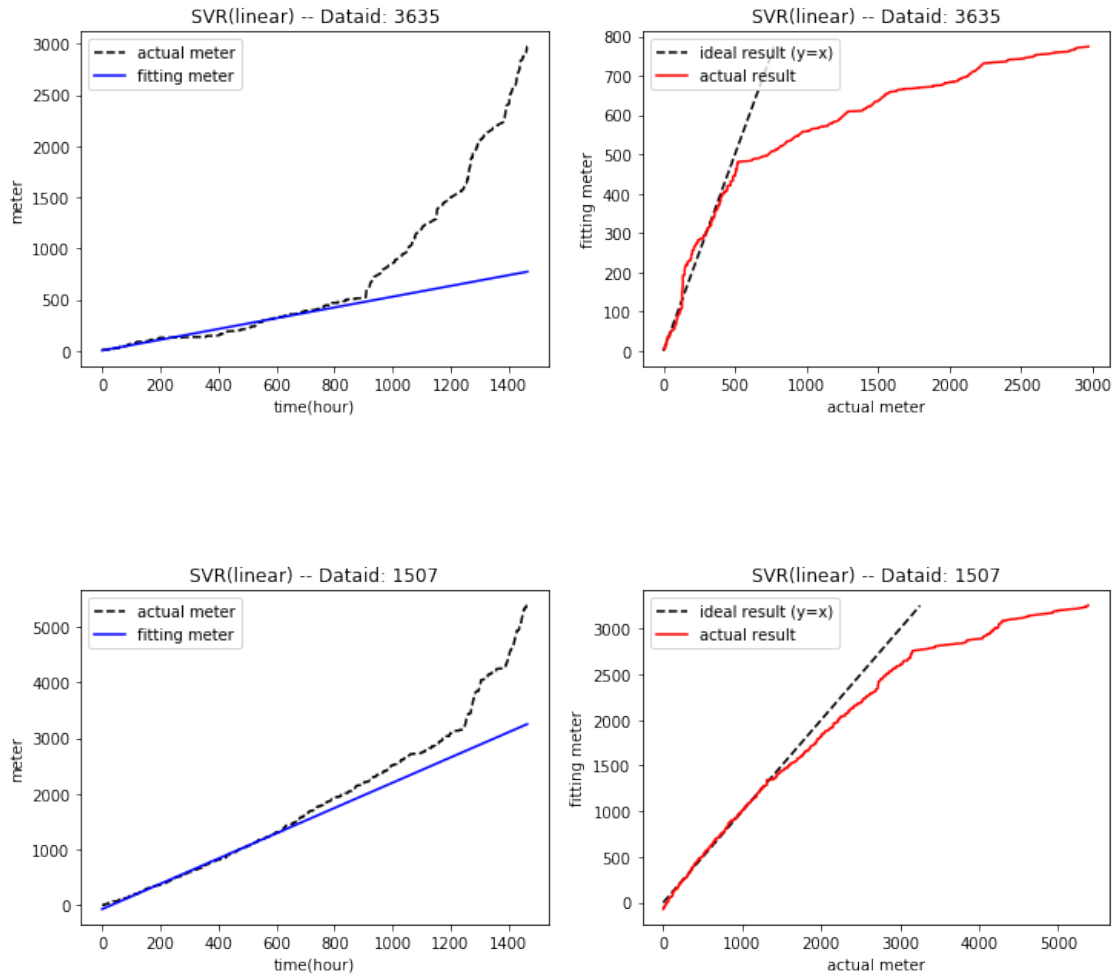
Mean squared error on the predicted data: 918697.05

Dataid: 1507

Mean squared error on the training data: 1936.50

Mean squared error on the predicted data: 590121.83





Analysis:

Then, we use the SVR (linear) to build the model. In this condition the left pictures still show that the actual data and fitting data are almost same in October, and in November, this model shows the similar situation with the linear regression model but with a little bit worse performance. This time the MSE of predicted data is bigger than before.

```
In [13]: # SVR (rbf)
lr = SVR(kernel="rbf",C=100,gamma=0.1)
print('SVR(rbf):')
for i in range(k):
    if i+1>5:
        break
    fit=lr.fit(x_tr[:,np.newaxis],hourly[i+1][0:745])
    y_lr=fit.predict(hourly[0][:,np.newaxis])

    print('Dataid: ',home_two.dataid.iloc[i])
    mse_train=mse(hourly[i+1][0:745],y_lr[0:745])
    print(f'Mean squared error on the training data: {mse_train:.2f}')
```

```

mse_prediction=mse(hourly[i+1][745:],y_lr[745:])
print(f'Mean squared error on the predicted data: {mse_prediction:.2f}')

plt.figure(i,figsize=(12,4))
plt.subplot(121)
plt.plot(hourly[0],hourly[i+1], '--k',label='actual meter')
plt.plot(hourly[0],y_lr,'b',label='fitting meter')
plt.xlabel('time(hour)')
plt.ylabel('meter')
plt.title('SVR(rbf) -- Dataid: %s'%home_two.dataid.iloc[i])
plt.legend(loc=2)
plt.subplot(122)
m = min(hourly[i+1][-1],y_lr[-1])
mm = np.arange(0,m,1)
plt.plot(mm,mm, '--k',label='ideal result (y=x)')
plt.plot(hourly[i+1],y_lr,'r',label='actual result')
plt.xlabel('actual meter')
plt.ylabel('fitting meter')
plt.title('SVR(rbf) -- Dataid: %s'%home_two.dataid.iloc[i])
plt.legend(loc=2)

```

SVR(rbf):

Dataid: 739

Mean squared error on the training data: 18.03

Mean squared error on the predicted data: 1138886.46

Dataid: 8890

Mean squared error on the training data: 84.64

Mean squared error on the predicted data: 2905749.81

Dataid: 6910

Mean squared error on the training data: 355.00

Mean squared error on the predicted data: 3613455.12

Dataid: 3635

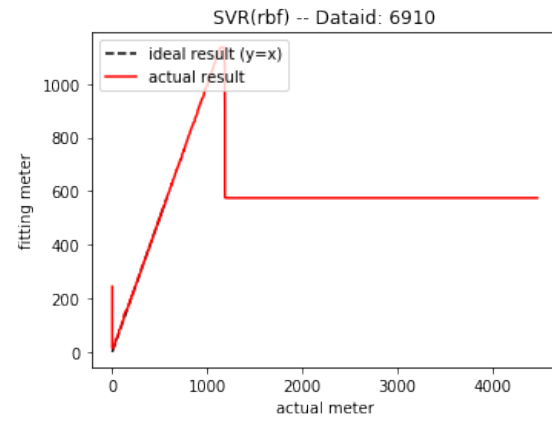
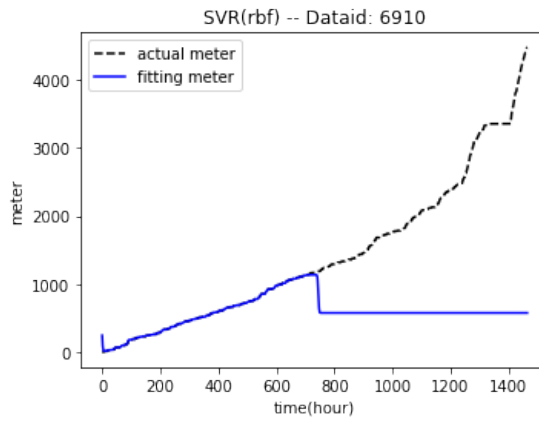
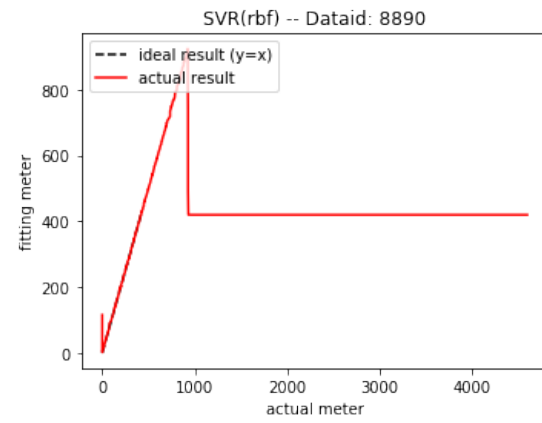
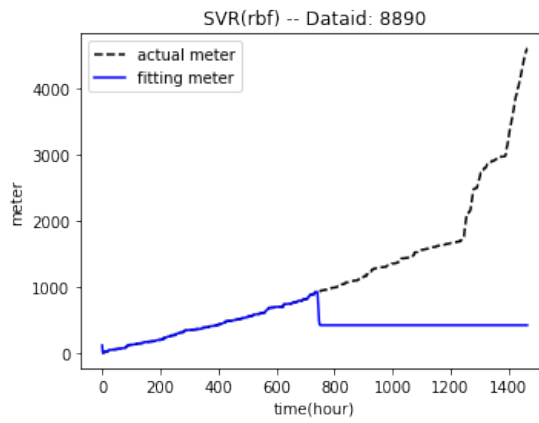
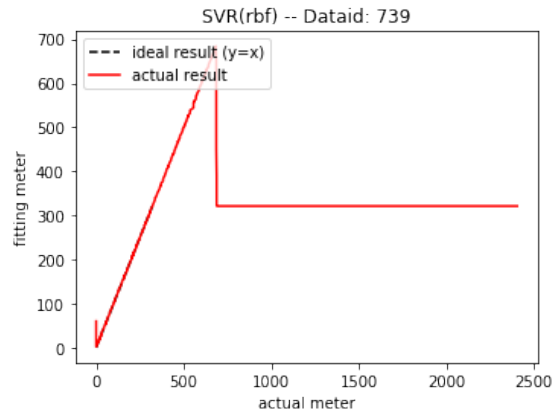
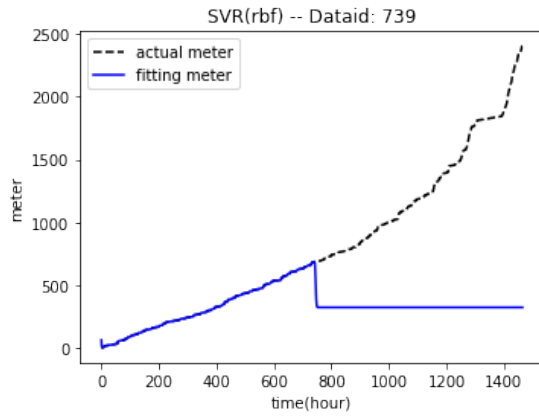
Mean squared error on the training data: 2.64

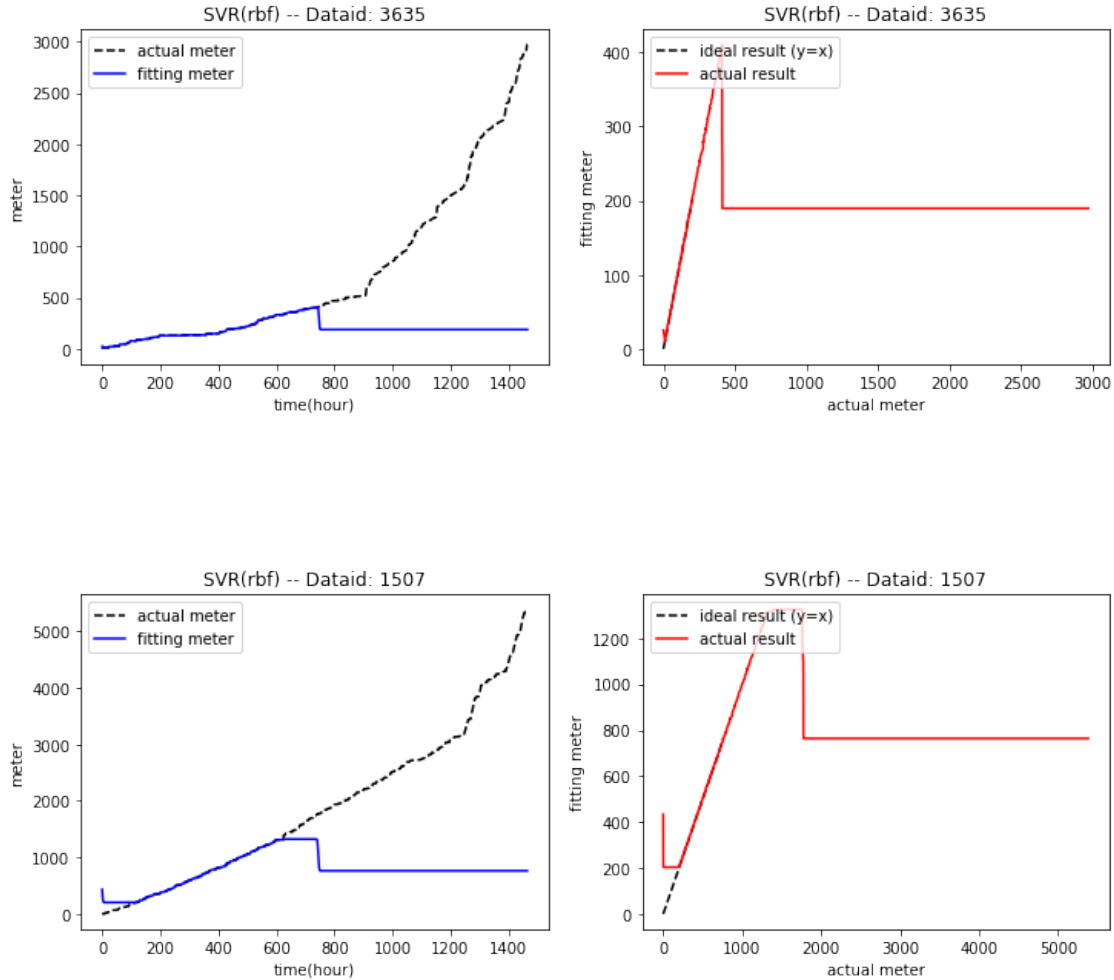
Mean squared error on the predicted data: 1796008.92

Dataid: 1507

Mean squared error on the training data: 15426.05

Mean squared error on the predicted data: 5951220.37





Analysis:

At last, we tried one more model which is the SVR(rbf). In this case, the left pictures still show that the actual data and fitting data are almost same in October, but in November, something really bad happened. The forecast data suddenly becomes a fixed value and far away from the actual value. For sure it also leads to a very large MSE in predicted data.

Brief summary:

Above we selected five users to demonstrate, using linear regression , SVR (linear) and SVR (rbf) to do the simulation. We can see that the prediction is not quite accurate, about after 900 hours the prediction and actual results are significant different. This is because the prediction of the actual situation can not be too far, but in the case where the environment and other factors do not change greatly within a certain range, the prediction still has some reference value. Looking from the mean square error(mse), the linear regression prediction is the most accurate, but it is not much different from the svm(linear). The mse of the svm(rbf) is the largest, so the prediction result is the worst.

(3) Improved model

We decided to make some improvements to the model. The prediction for each new hour will rebuild the model with all the data before the current time. Of course, the time for the correspond-

ing model construction is greatly increased. More specifically, for each prediction point n , we use the data from 0 to $n-1$ to do the prediction.

```
In [14]: # Linear Regression
lr=lm.LinearRegression()
print('Linear regression:')
for i in range(k):
    if i+1>5:
        break
    h = np.arange(745,1465,1)
    y_lr = [0 for col in range(1465)]
    for j in h:
        x_tr = np.arange(0,j,1)
        lr.fit(x_tr[:,np.newaxis],hourly[i+1][0:j])
        y_lr[j]=lr.predict(hourly[0][:,np.newaxis])[j]

    print('Dataid: ',home_two.dataid.iloc[i])
    mse_prediction=mse(hourly[i+1][745:],y_lr[745:])
    print(f'Mean squared error on the predicted data: {mse_prediction:.2f}')

    plt.figure(i,figsize=(12,4))
    plt.subplot(121)
    plt.plot(hourly[0],hourly[i+1],'--k',label='actual meter')
    plt.plot(hourly[0][745:],y_lr[745:], 'b',label='fitting meter')
    plt.xlabel('time(hour)')
    plt.ylabel('meter')
    plt.title('Linear regression -- Dataid: %s'%home_two.dataid.iloc[i])
    plt.xlim(700,)
    plt.ylim(hourly[i+1][700],)
    plt.legend(loc=2)
    plt.subplot(122)
    m = min(hourly[i+1][-1],y_lr[-1])
    mm = np.arange(0,m,1)
    plt.plot(mm,mm,'--k',label='ideal result (y=x)')
    plt.plot(hourly[i+1][745:],y_lr[745:], 'r',label='actual result')
    plt.xlabel('actual meter')
    plt.ylabel('fitting meter')
    plt.title('Linear regression -- Dataid: %s'%home_two.dataid.iloc[i])
    plt.xlim(hourly[i+1][700],)
    plt.ylim(hourly[i+1][700],)
    plt.legend(loc=2)
```

Linear regression:

Dataid: 739

Mean squared error on the predicted data: 48497.95

Dataid: 8890

Mean squared error on the predicted data: 350898.86

Dataid: 6910

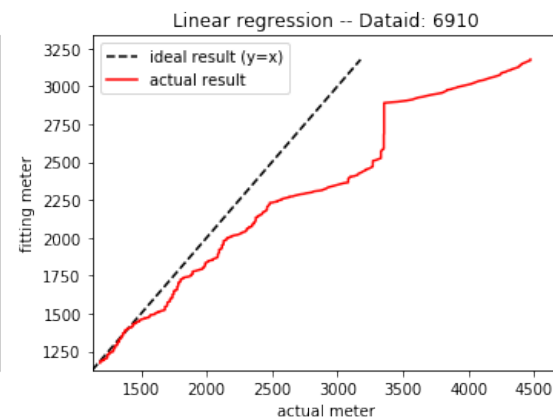
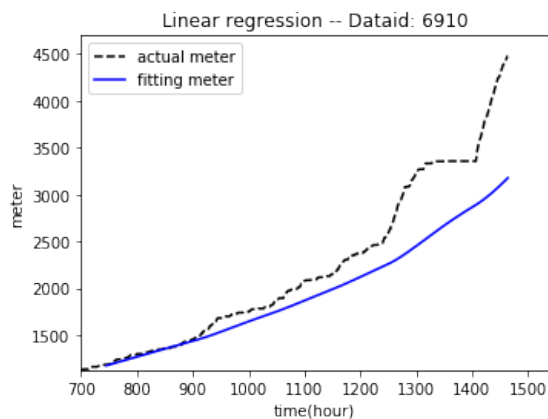
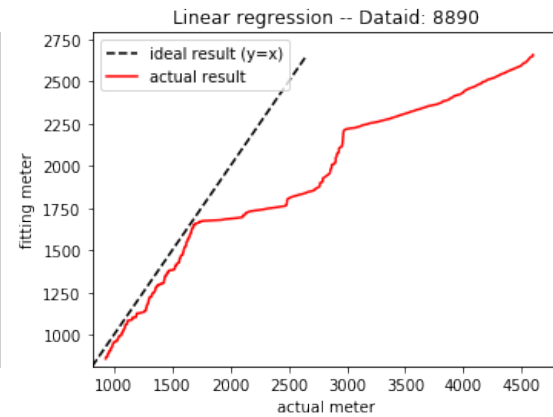
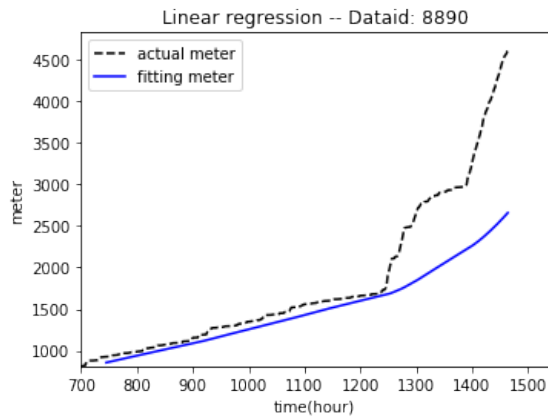
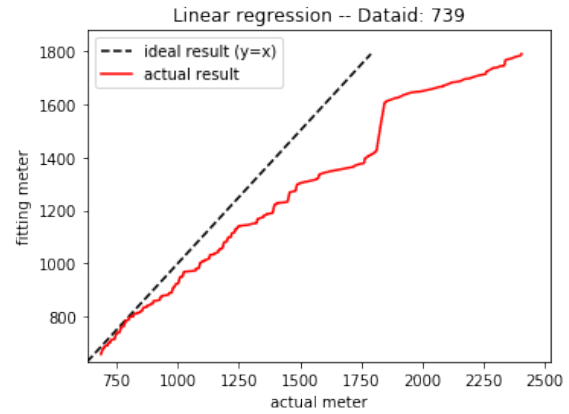
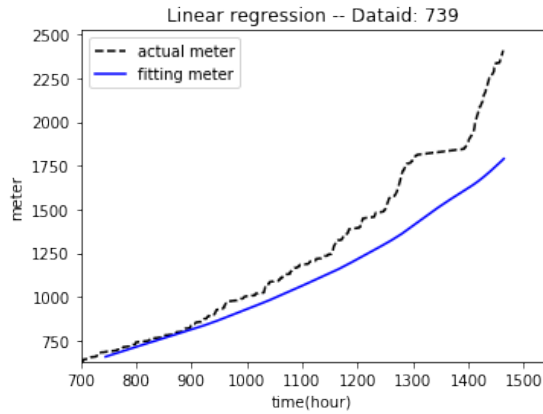
Mean squared error on the predicted data: 189707.94

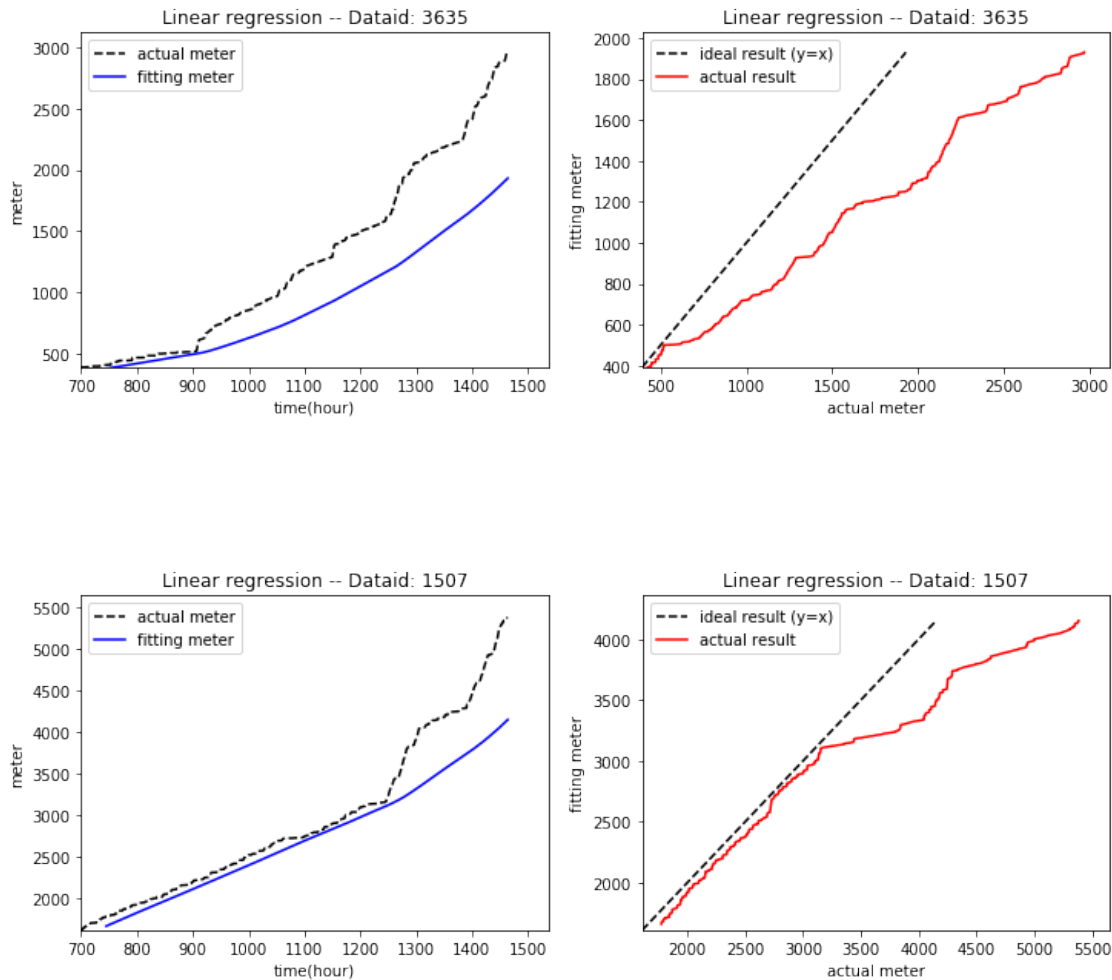
Dataid: 3635

Mean squared error on the predicted data: 223730.83

Dataid: 1507

Mean squared error on the predicted data: 165285.55





Analysis:

Here we only show the November results, because the training data of October is always perfect fitted. From the left pictures, we can see that in this new model, the majority of the data can fit the model much better. But out of the irregularity of the actual data, it can be seen from the linear regression that the model trained by the very early data will affect the accuracy of the data prediction.

(4) Model reoptimization

In order to make the accuracy of the prediction model can be improved flexibly, and also to save the time spent on building the model, we decided that the model used for each data is constructed from 100 pieces of data before the current time point.

```
In [15]: # Linear Regression
         lr=lm.LinearRegression()
         print('Linear regression:')
         for i in range(k):
```

```

if i+1>5:
    break
h = np.arange(745,1465,1)
y_lr = [0 for col in range(1465)]
for j in h:
    x_tr = np.arange(j-100,j,1)
    lr.fit(x_tr[:,np.newaxis],hourly[i+1][j-100:j])
    y_lr[j]=lr.predict(hourly[0][:,np.newaxis])[j]

print('Dataid: ',home_two.dataid.iloc[i])
mse_prediction=mse(hourly[i+1][745:],y_lr[745:])
print(f'Mean squared error on the predicted data: {mse_prediction:.2f}')

plt.figure(i,figsize=(12,4))
plt.subplot(121)
plt.plot(hourly[0],hourly[i+1], '--k',label='actual meter')
plt.plot(hourly[0][745:],y_lr[745:], 'b',label='fitting meter')
plt.xlabel('time(hour)')
plt.ylabel('meter')
plt.title('Linear regression -- Dataid: %s'%home_two.dataid.iloc[i])
plt.xlim(700,)
plt.ylim(hourly[i+1][700],)
plt.legend(loc=2)
plt.subplot(122)
m = min(hourly[i+1][-1],y_lr[-1])
mm = np.arange(0,m,1)
plt.plot(mm,mm, '--k',label='ideal result (y=x)')
plt.plot(hourly[i+1][745:],y_lr[745:], 'r',label='actual result')
plt.xlabel('actual meter')
plt.ylabel('fitting meter')
plt.title('Linear regression -- Dataid: %s'%home_two.dataid.iloc[i])
plt.xlim(hourly[i+1][700],)
plt.ylim(hourly[i+1][700],)
plt.legend(loc=2)

```

Linear regression:

Dataid: 739

Mean squared error on the predicted data: 1630.29

Dataid: 8890

Mean squared error on the predicted data: 10786.99

Dataid: 6910

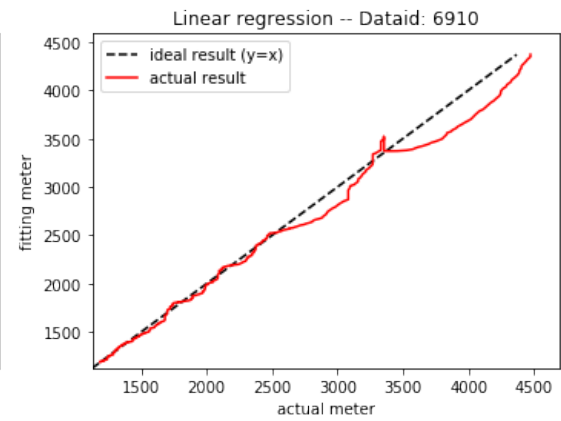
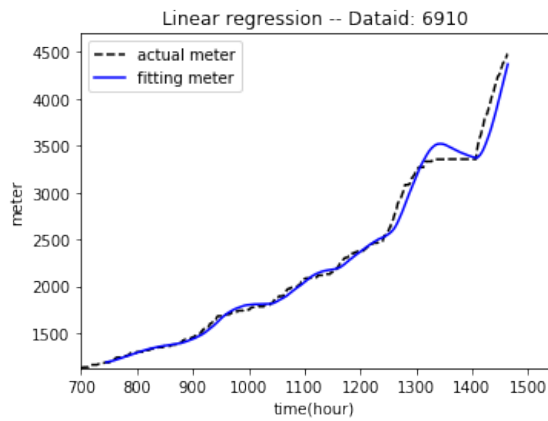
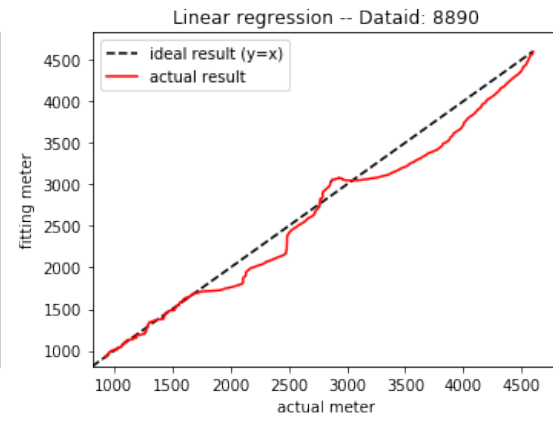
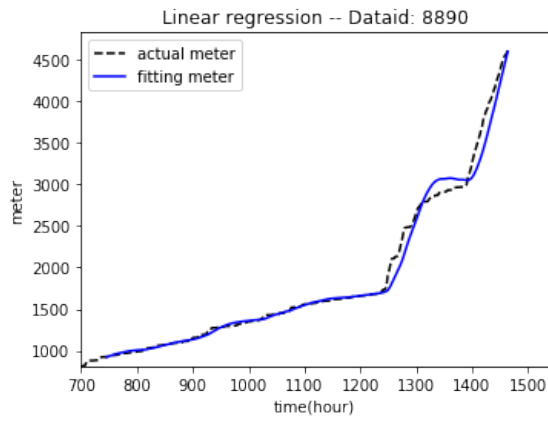
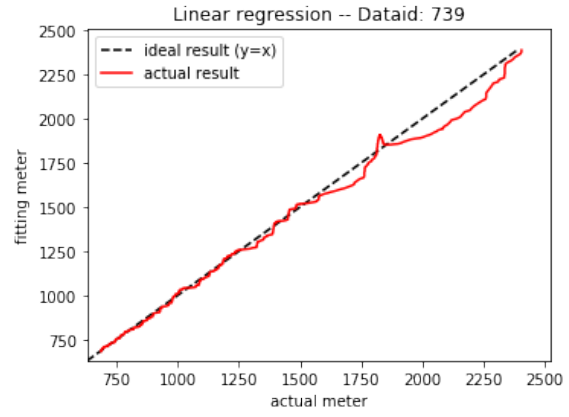
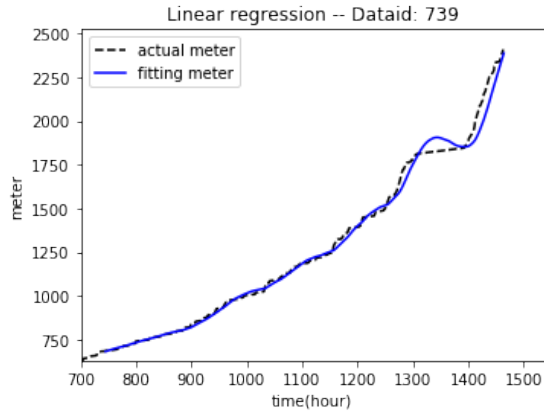
Mean squared error on the predicted data: 8500.43

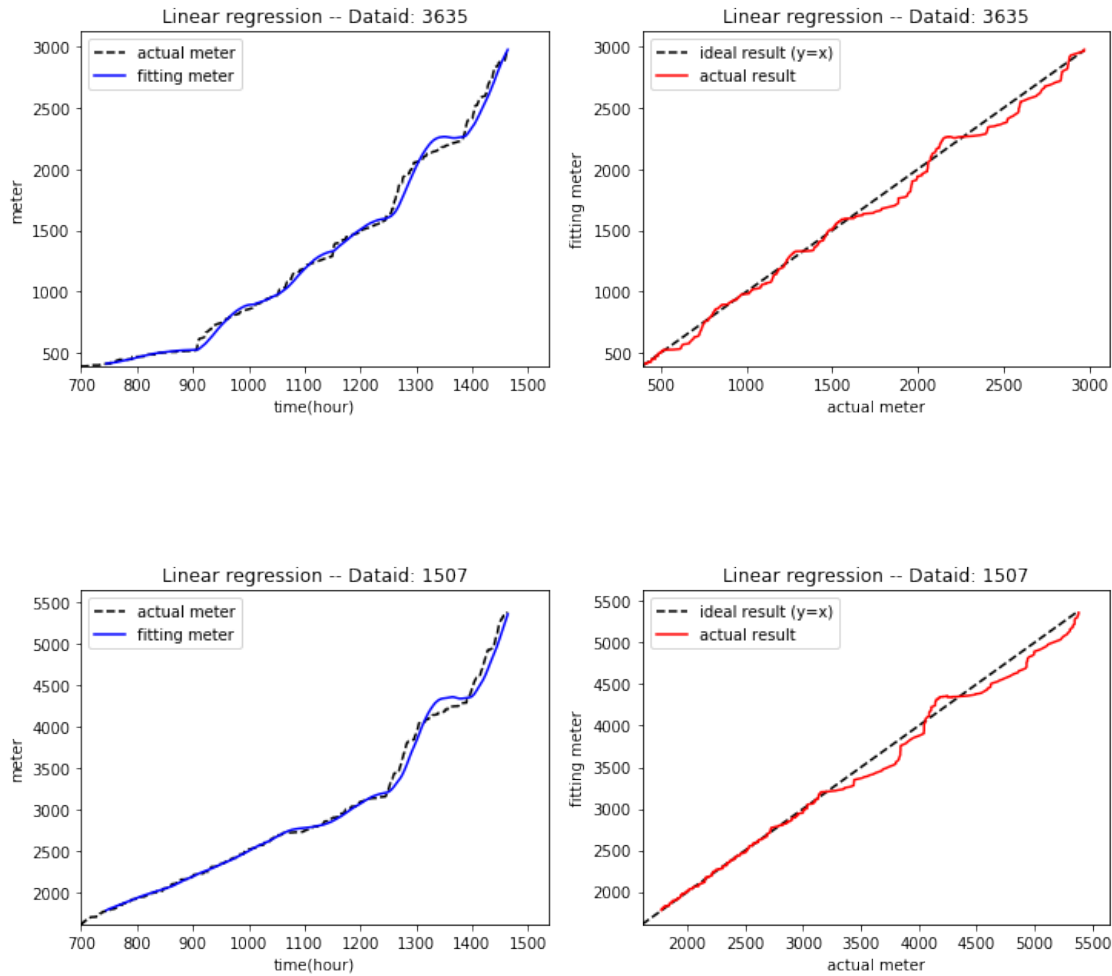
Dataid: 3635

Mean squared error on the predicted data: 2482.63

Dataid: 1507

Mean squared error on the predicted data: 5670.81





```
In [16]: # SVR(linear)
lr = SVR(kernel="linear")
print('SVR(linear):')
for i in range(k):
    if i+1>5:
        break
    h = np.arange(745,1465,1)
    y_lr = [0 for col in range(1465)]
    for j in h:
        x_tr = np.arange(j-100,j,1)
        lr.fit(x_tr[:,np.newaxis],hourly[i+1][j-100:j])
        y_lr[j]=lr.predict(hourly[0][:,np.newaxis])[j]

    print('Dataid: ',home_two.dataid.iloc[i])
    mse_prediction=mse(hourly[i+1][745:],y_lr[745:])
    print(f'Mean squared error on the predicted data: {mse_prediction:.2f}')
```

```

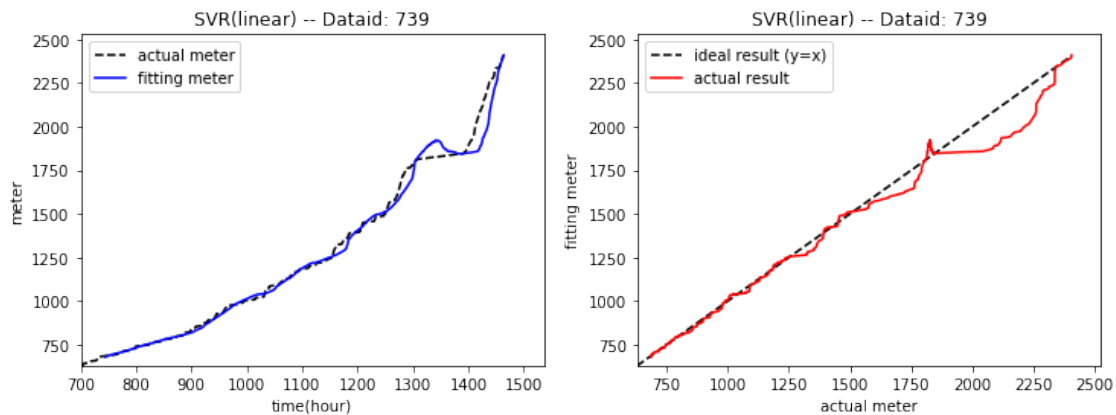
plt.figure(i,figsize=(12,4))
plt.subplot(121)
plt.plot(hourly[0],hourly[i+1],'--k',label='actual meter')
plt.plot(hourly[0][745:],y_lr[745:], 'b',label='fitting meter')
plt.xlabel('time(hour)')
plt.ylabel('meter')
plt.title('SVR(linear) -- Dataid: %s'%home_two.dataid.iloc[i])
plt.xlim(700,)
plt.ylim(hourly[i+1][700],)
plt.legend(loc=2)
plt.subplot(122)
m = min(hourly[i+1][-1],y_lr[-1])
mm = np.arange(0,m,1)
plt.plot(mm,mm,'--k',label='ideal result (y=x)')
plt.plot(hourly[i+1][745:],y_lr[745:], 'r',label='actual result')
plt.xlabel('actual meter')
plt.ylabel('fitting meter')
plt.title('SVR(linear) -- Dataid: %s'%home_two.dataid.iloc[i])
plt.xlim(hourly[i+1][700],)
plt.ylim(hourly[i+1][700],)
plt.legend(loc=2)

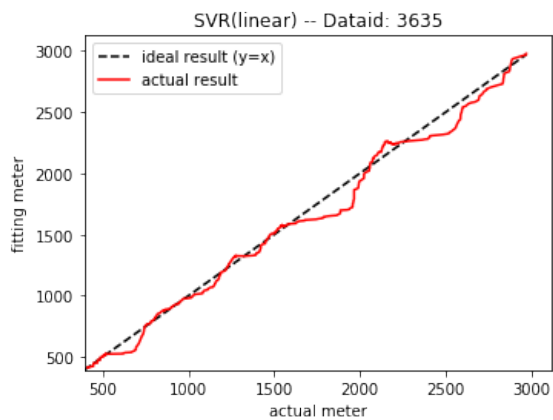
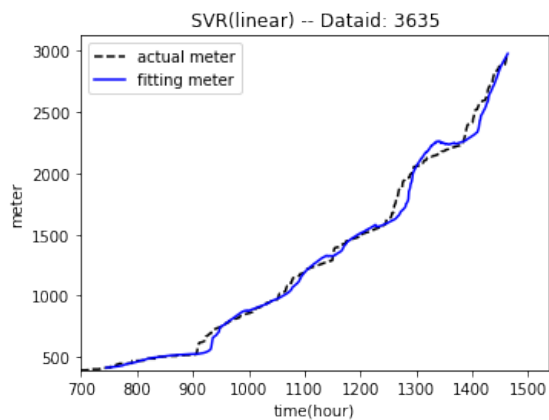
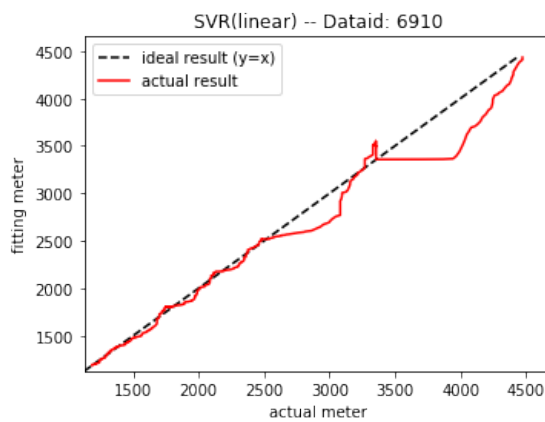
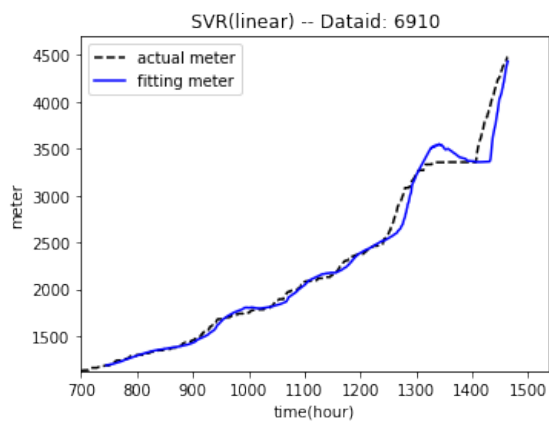
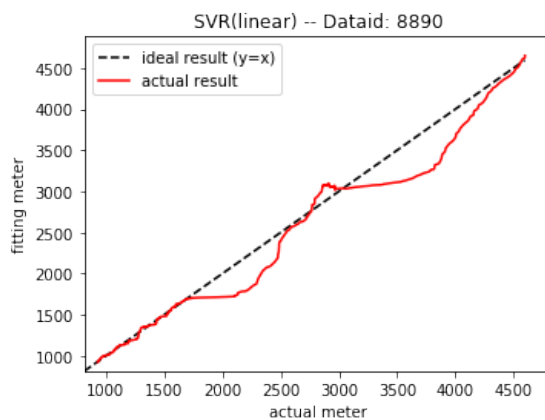
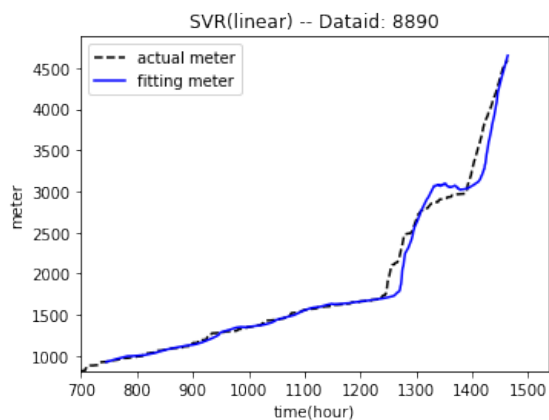
```

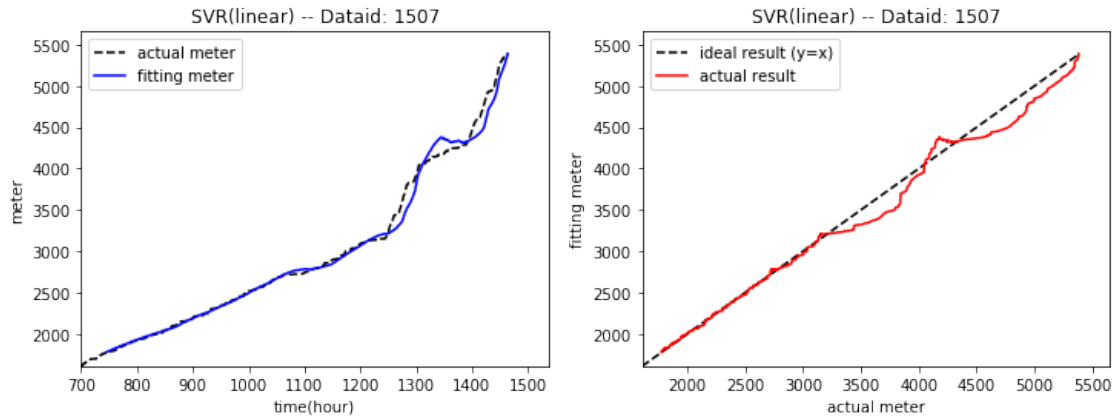
```

SVR(linear):
Dataid: 739
Mean squared error on the predicted data: 2643.16
Dataid: 8890
Mean squared error on the predicted data: 17113.71
Dataid: 6910
Mean squared error on the predicted data: 14762.65
Dataid: 3635
Mean squared error on the predicted data: 3795.15
Dataid: 1507
Mean squared error on the predicted data: 7564.95

```







```
In [17]: # SVR(rbf)
lr = SVR(kernel="rbf",C=100,gamma=0.1)
print('SVR(rbf):')
for i in range(k):
    if i+1>5:
        break
    h = np.arange(745,1465,1)
    y_lr = [0 for col in range(1465)]
    for j in h:
        x_tr = np.arange(j-100,j,1)
        lr.fit(x_tr[:,np.newaxis],hourly[i+1][j-100:j])
        y_lr[j]=lr.predict(hourly[0][:,np.newaxis])[j]

    print('Dataid: ',home_two.dataid.iloc[i])
    mse_prediction=mse(hourly[i+1][745:],y_lr[745:])
    print(f'Mean squared error on the predicted data: {mse_prediction:.2f}')

    plt.figure(i,figsize=(12,4))
    plt.subplot(121)
    plt.plot(hourly[0],hourly[i+1],'--k',label='actual meter')
    plt.plot(hourly[0][745:],y_lr[745:], 'b',label='fitting meter')
    plt.xlabel('time(hour)')
    plt.ylabel('meter')
    plt.title('SVR(rbf) -- Dataid: %s'%home_two.dataid.iloc[i])
    plt.xlim(700,)
    plt.ylim(hourly[i+1][700],)
    plt.legend(loc=2)
    plt.subplot(122)
    m = min(hourly[i+1][-1],y_lr[-1])
    mm = np.arange(0,m,1)
    plt.plot(mm,mm,'--k',label='ideal result (y=x)')
    plt.plot(hourly[i+1][745:],y_lr[745:], 'r',label='actual result')
```

```

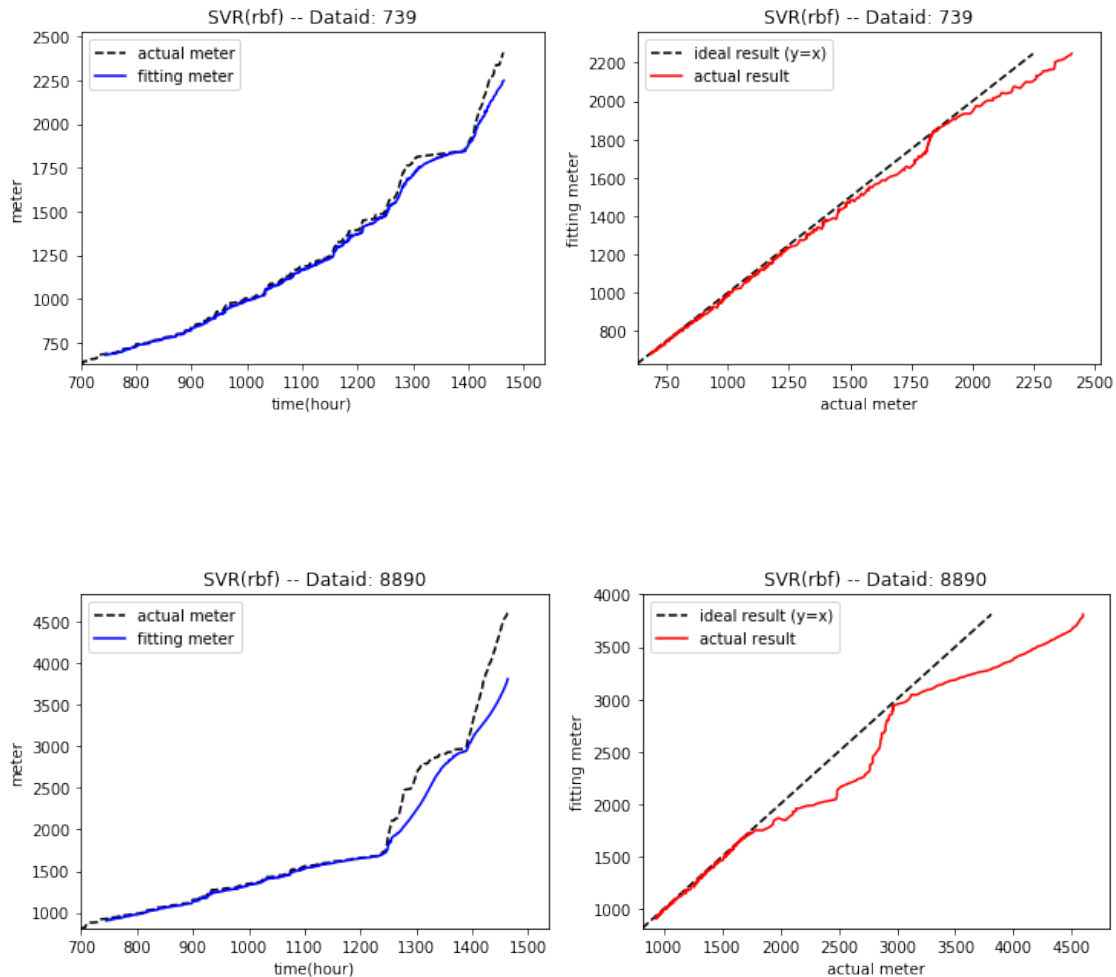
plt.xlabel('actual meter')
plt.ylabel('fitting meter')
plt.title('SVR(rbf) -- Dataid: %s'%home_two.dataid.iloc[i])
plt.xlim(hourly[i+1][700],)
plt.ylim(hourly[i+1][700],)
plt.legend(loc=2)

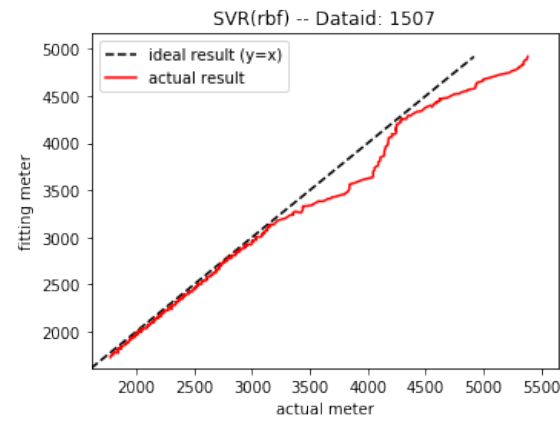
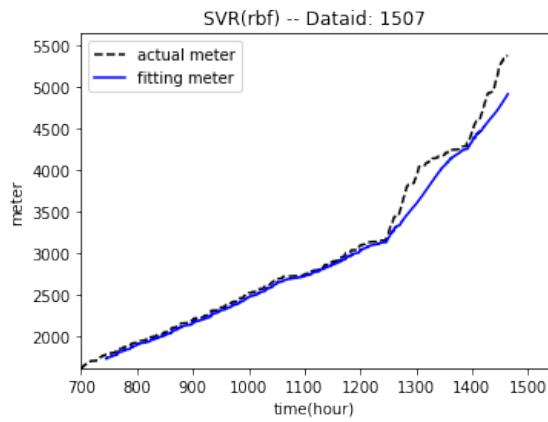
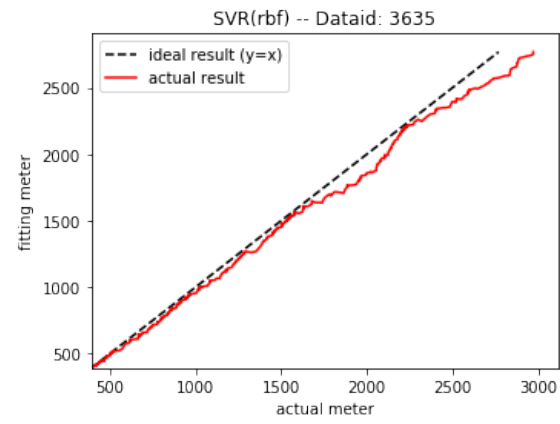
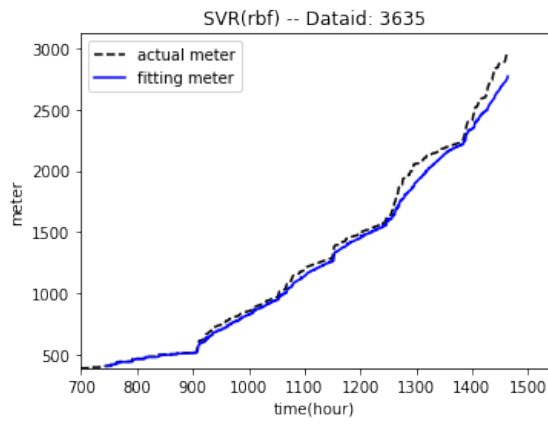
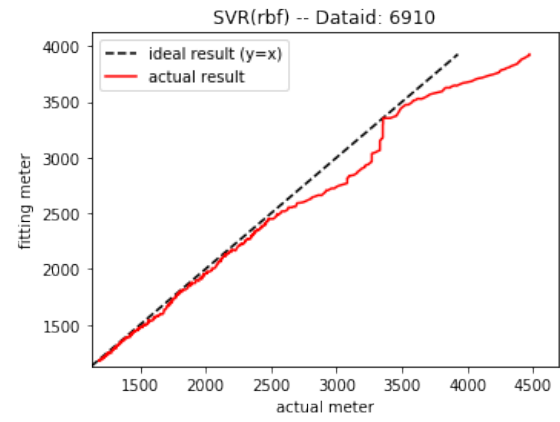
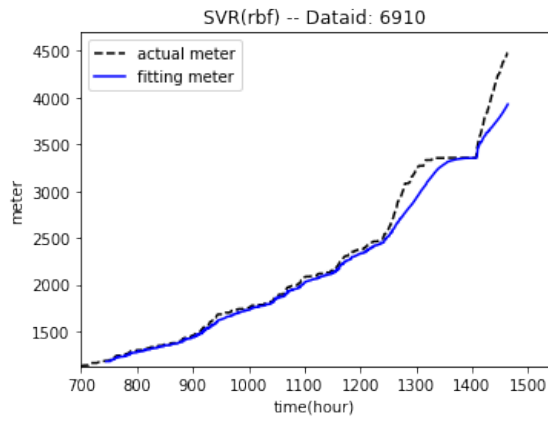
```

```

SVR(rbf):
Dataid: 739
Mean squared error on the predicted data: 1734.06
Dataid: 8890
Mean squared error on the predicted data: 49067.40
Dataid: 6910
Mean squared error on the predicted data: 18595.79
Dataid: 3635
Mean squared error on the predicted data: 5257.86
Dataid: 1507
Mean squared error on the predicted data: 21826.92

```





Summary:

We still looking at the November only. After we improved the method of model building, the predicted results of all three models became significantly better. The mean square error of these three models was greatly reduced. And we found that if we use less former data when we predict one point, we can get a better performance fitting line, because of the less influence will be done by the very early time point. In general, the linear regression was the most accurate prediction model, while SVR (linear) and SVR (rbf) have different performance while facing different data, so in this application, these two models are not as accurate and stable as linear regression.

Part 3: Proposal

As proposed in the interim, we plan to build an alarming system for natural gas consuming with the concerns of waste and danger. In this part, we firstly look into daily gas consumption for a couple of houses, aiming to find some common and unique properties of them. Then we select one house and analyze its hourly gas consumption in two months (October and November, 2015) in order to obtain hourly consumption characteristics. Finally, based on these analysis, we can send reminder messages or set alarming thresholds.

1. Analyze daily gas consumption of 5 houses in two months.

```
In [18]: # For each one of the 5 selected house,
# generate hourly readings in 2 months.
hourly_diff = [[0 for col in range(1464)] for row in range(home_two.shape[0])]
for i in range(k):
    for j in range(1464):
        hourly_diff[i][j]=hourly[i+1][j+1]-hourly[i+1][j]

# For each one of the 5 selected house,
# generate daily readings in 2 months and plot.
for i in range(k):
    if i+1>5:
        break
    print('Dataid: ',home_two.dataid.iloc[i])
    daily_diff=[0 for col in range(61)]
    for j in range(61):
        daily_diff[j]=sum(hourly_diff[i][j*24:j*24+24])
    print("        Thu. Fri. Sat. Sun. Mon. Tue. Wed.")
    f=0
    while f+7<61:
        print("Week %d:"%(f/7+1),end=' ')
        [print("%3d"%ff,end=' ') for ff in daily_diff[f:f+7]]
        print()
        f+=7
    else:
        print("Week %d:"%(f/7+1),end=' ')
        [print("%3d"%ff,end=' ') for ff in daily_diff[f:]]
        print("\n")
    plt.figure(i)
    plt.bar(range(61),daily_diff)
    plt.title('Dataid: %s'%home_two.dataid.iloc[i])
    plt.xlabel('time(day)')
```



```
plt.ylabel('daily consumption')
```

Dataid: 739

	Thu.	Fri.	Sat.	Sun.	Mon.	Tue.	Wed.
Week 1:	18	10	30	28	20	22	18
Week 2:	18	28	16	10	16	10	20
Week 3:	20	24	22	36	28	24	18
Week 4:	22	14	34	30	0	52	20
Week 5:	22	26	30	14	26	22	20
Week 6:	18	32	38	42	54	34	20
Week 7:	36	50	56	38	32	26	106
Week 8:	44	60	40	120	156	48	8
Week 9:	10	10	192	222	144		

Dataid: 8890

	Thu.	Fri.	Sat.	Sun.	Mon.	Tue.	Wed.
Week 1:	42	14	16	50	18	22	12
Week 2:	22	34	34	34	44	10	10
Week 3:	24	22	32	42	16	24	30
Week 4:	32	22	76	16	8	40	40
Week 5:	24	72	46	28	28	44	36
Week 6:	28	22	76	84	20	30	32
Week 7:	72	22	72	38	32	16	26
Week 8:	28	20	162	418	314	218	110
Week 9:	56	110	578	508	442		

Dataid: 6910

	Thu.	Fri.	Sat.	Sun.	Mon.	Tue.	Wed.
Week 1:	28	36	34	82	30	20	22
Week 2:	28	50	40	44	36	30	28
Week 3:	26	46	28	44	28	28	34
Week 4:	36	76	70	56	32	52	30
Week 5:	32	36	24	56	46	30	30
Week 6:	28	60	58	126	80	40	36
Week 7:	24	94	96	96	32	36	154
Week 8:	68	86	112	358	252	148	22
Week 9:	2	0	264	494	360		

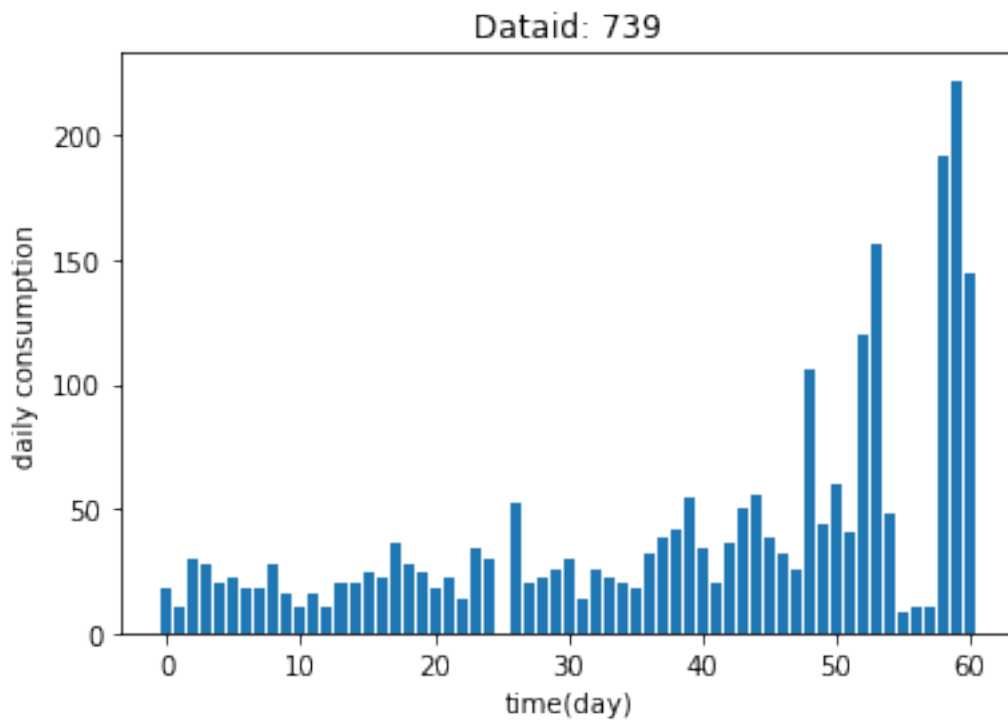
Dataid: 3635

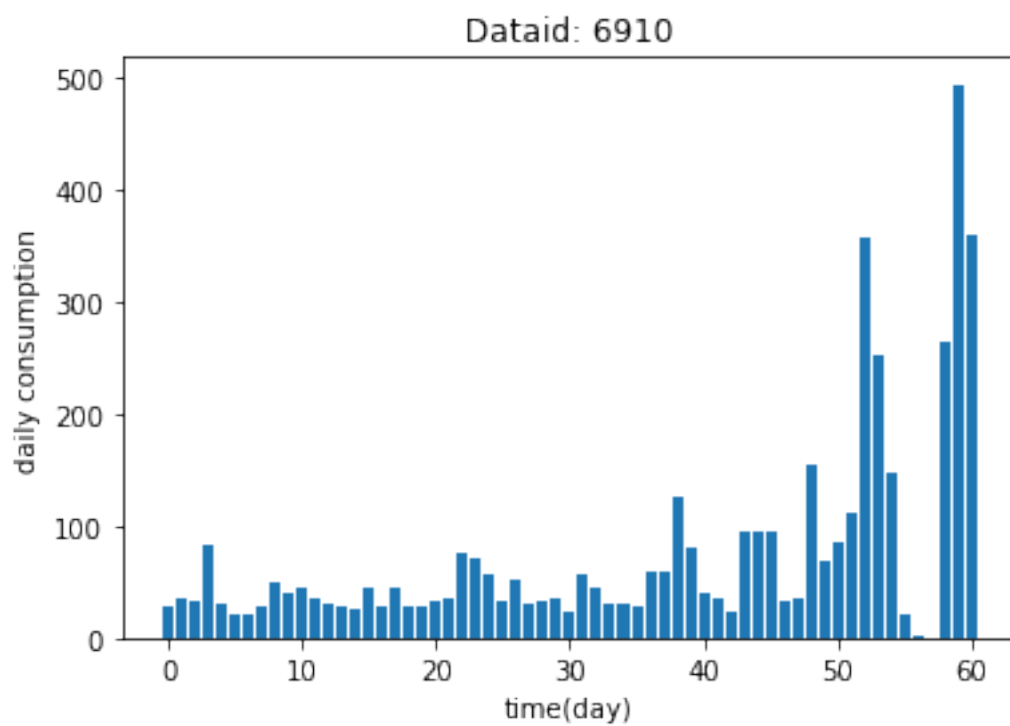
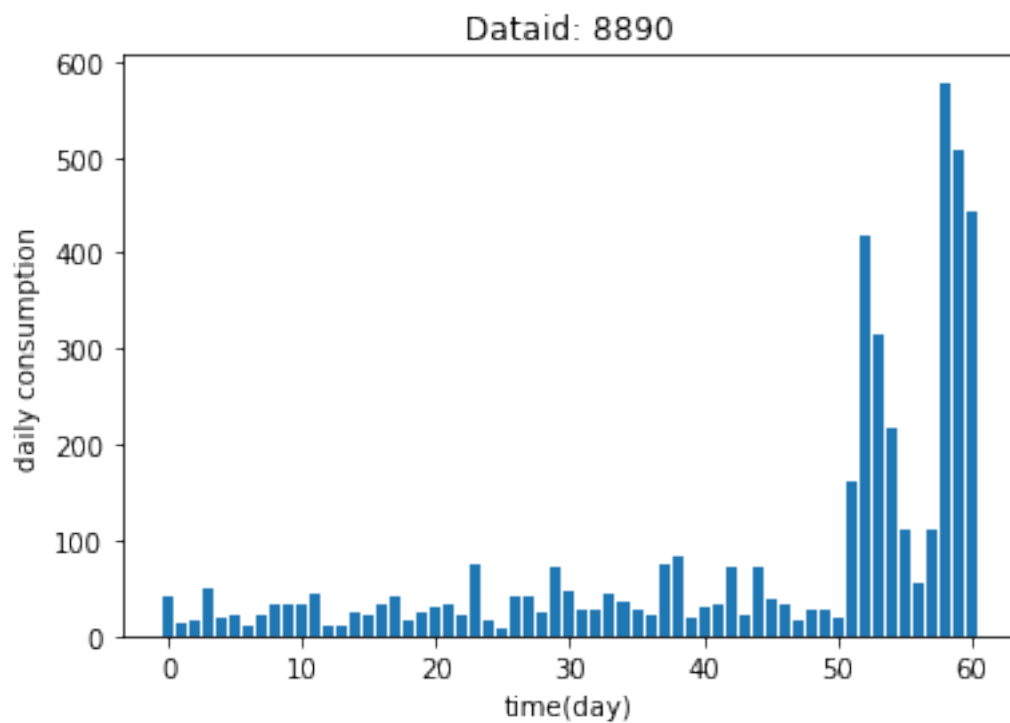
	Thu.	Fri.	Sat.	Sun.	Mon.	Tue.	Wed.
Week 1:	22	6	20	30	12	6	14
Week 2:	10	10	0	0	4	2	0
Week 3:	12	2	18	24	6	14	16
Week 4:	24	32	26	24	0	24	10
Week 5:	14	18	10	36	24	16	16
Week 6:	6	8	100	108	54	50	60
Week 7:	54	74	130	72	38	98	94
Week 8:	54	36	90	258	168	70	40

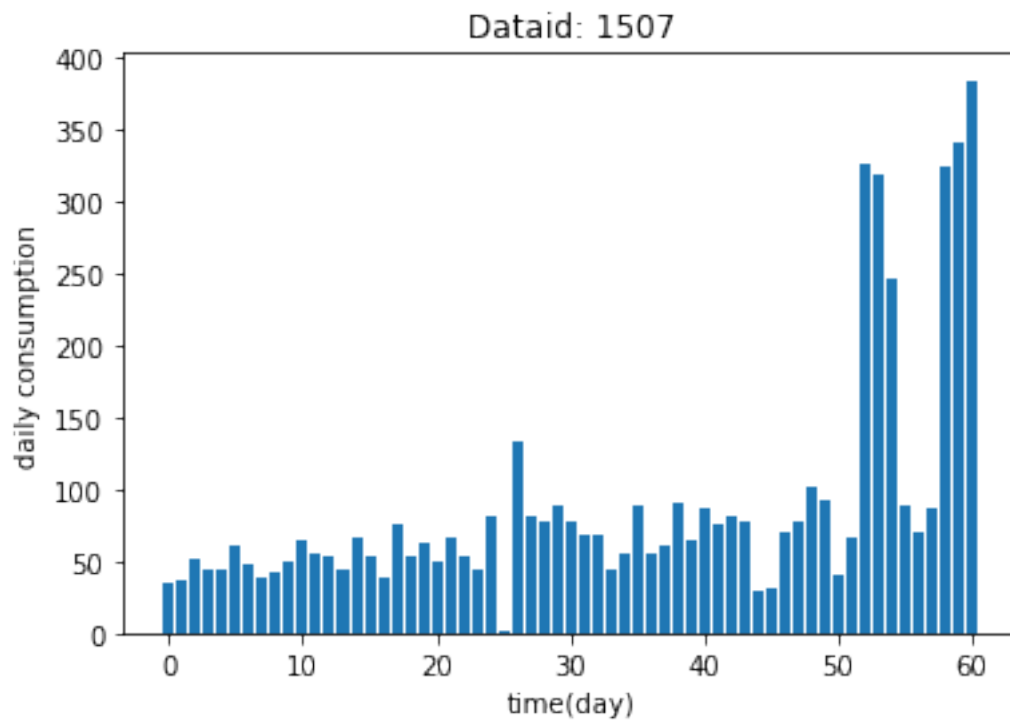
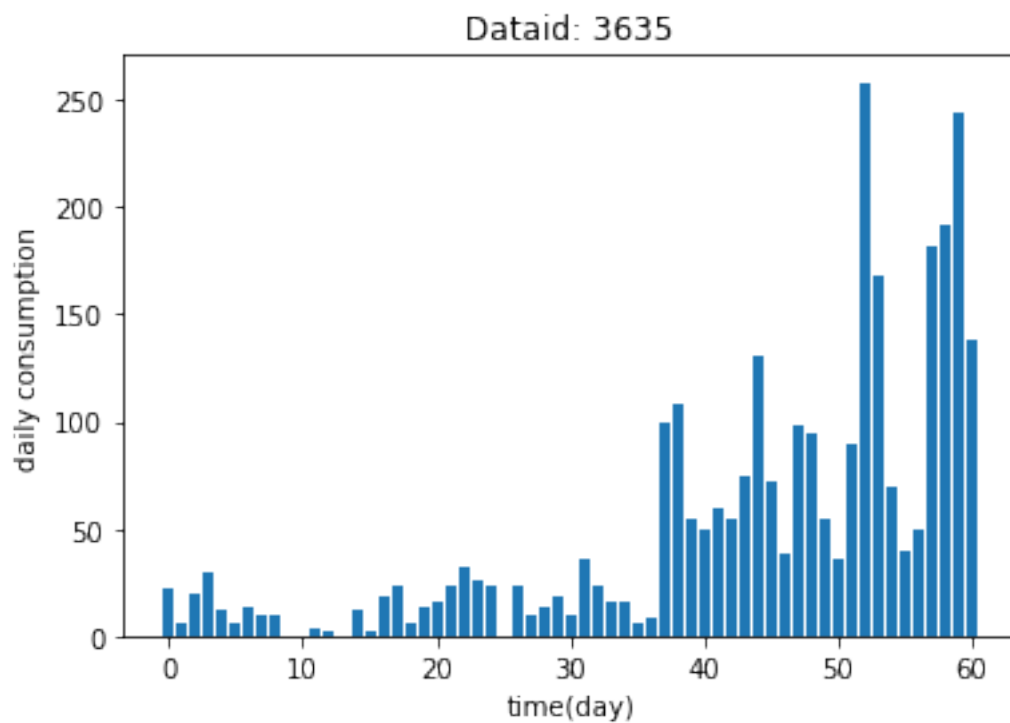
Week 9: 50 182 192 244 138

Dataid: 1507

	Thu.	Fri.	Sat.	Sun.	Mon.	Tue.	Wed.
Week 1:	34	36	52	44	44	60	48
Week 2:	38	42	50	64	56	54	44
Week 3:	66	54	38	76	54	62	50
Week 4:	66	54	44	82	2	134	82
Week 5:	78	88	78	68	68	44	56
Week 6:	88	56	60	90	64	86	76
Week 7:	82	78	30	32	70	78	102
Week 8:	92	40	66	326	318	246	88
Week 9:	70	86	324	340	384		







Analysis:

- (1) As is shown above, totally there are 9 weeks or 61 days in October and November. For each house we create a table and a bar graph to show its daily consumption. The table can clearly display the change of daily consumption in every week.
- (2) The above tables and figures show the daily changes for 5 selected houses in 2 months. Such information is valuable for both the gas supplier and the consumer.
 - For the supplier, by looking into the general characteristics of most consumers, they can further explore the relationship between gas consumption and some causing factors such as weekend, holiday, temperature, weather and so on. For example, in cold season, the residents are very likely to consume more gas to warmer their house. Based on the temperature data and consumption data, the gas supplier can manage to quantify the relationship between temperature and consumption. In this way, the supplier can timely adjust their distributions in advance.
 - For the consumers, they can derive a reminder of the costs in the previous day if they are interested. And they can also judge whether it's a good choice to use natural gas as their energy resource by comparing the costs between various resources.

2. Analyze hourly gas consumption of one specific house in 2 months.

```
In [19]: # Select one house(id = 739) and output its 24(hours)*61(days) values
for i in range(k):
    if i+1>1:
        break
    print('Dataid: ',home_two.dataid.iloc[i],'\n          ',end='')
    [print("%2d"%ff,end='') for ff in range(1,25)]
    print()
    f=0
    while f+24<1464:
        print("Day %2d:"%(f/24+1),end=' ')
        [print("%2d"%ff,end=' ') for ff in hourly_diff[i][f:f+24]]
        print()
        f+=24
    else:
        print("Day %2d:"%(f/24+1),end=' ')
        [print("%2d"%ff,end=' ') for ff in hourly_diff[i][f:]]
        print()
```

```
Dataid: 739
1' 2' 3' 4' 5' 6' 7' 8' 9'10'11'12'13'14'15'16'17'18'19'20'21'22'23'24'
Day 1: 0 0 2 0 0 0 0 0 4 6 0 2 0 0 0 0 2 0 0 0 2 0 0
Day 2: 0 0 2 0 0 0 0 2 0 2 0 0 0 0 0 2 0 0 0 0 2 0 0
Day 3: 0 2 0 0 0 0 2 0 10 4 6 2 0 0 0 0 2 0 0 0 0 2 0
Day 4: 0 2 0 0 0 0 0 2 0 2 0 8 2 0 0 0 0 2 2 0 0 6 0 2
Day 5: 0 0 0 0 2 0 0 2 8 0 0 2 0 0 0 0 0 2 0 0 2 0 2 0
Day 6: 0 0 0 0 2 0 0 8 2 0 0 0 0 0 2 0 0 0 0 2 2 4 0 0
Day 7: 2 0 0 0 0 0 8 2 0 0 0 0 2 0 0 0 0 2 0 0 0 0 2 0
Day 8: 0 0 0 2 0 0 0 10 0 0 0 0 2 0 0 0 0 2 0 0 0 0 2
```

Day 9:	0	0	0	0	2	0	0	2	8	0	0	0	0	0	2	0	0	0	0	2	2	2	2	6
Day 10:	0	0	0	0	0	2	0	2	6	0	2	0	0	0	0	2	0	0	0	0	0	2	0	0
Day 11:	0	0	2	0	0	0	0	2	0	0	0	0	2	0	0	0	0	2	0	0	0	0	0	2
Day 12:	0	0	0	0	2	0	0	2	6	0	0	2	0	0	0	0	2	0	0	0	0	0	2	0
Day 13:	0	0	0	2	0	0	0	2	2	0	0	0	0	2	0	0	0	0	0	2	0	0	0	0
Day 14:	2	0	0	0	0	2	0	4	6	2	0	0	0	0	0	2	0	0	0	0	2	0	0	0
Day 15:	0	2	0	0	0	0	0	2	8	0	0	2	0	0	0	0	0	2	0	0	0	2	0	2
Day 16:	0	0	0	0	2	0	0	2	6	0	2	0	0	0	0	2	0	0	0	0	0	2	8	0
Day 17:	0	0	2	0	0	0	0	0	2	2	8	2	0	0	0	0	2	0	0	0	0	2	2	0
Day 18:	0	0	0	0	2	0	0	0	0	2	2	0	8	0	0	0	2	0	0	4	12	4	0	0
Day 19:	2	0	0	0	0	2	0	0	12	0	2	0	0	0	0	0	2	0	0	0	2	6	0	0
Day 20:	0	0	2	0	0	0	0	2	2	2	10	0	0	0	2	0	0	0	0	2	0	0	0	2
Day 21:	0	0	0	0	2	0	0	2	6	0	2	0	0	0	0	0	2	2	0	0	0	0	0	2
Day 22:	0	0	0	0	2	0	0	0	8	0	2	0	0	0	0	2	0	0	0	2	0	6	0	0
Day 23:	2	0	0	0	0	0	2	0	2	0	0	0	0	2	0	0	0	0	2	0	0	0	4	0
Day 24:	0	0	2	0	0	0	0	0	4	0	10	6	0	2	0	0	8	0	0	0	0	2	0	0
Day 25:	0	0	2	0	0	0	0	2	0	2	0	4	0	4	6	0	0	0	0	0	2	8	0	0
Day 26:	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0
Day 27:	20	0	0	2	0	0	0	12	0	0	0	2	0	0	0	0	2	0	0	2	2	8	2	0
Day 28:	0	0	0	2	0	0	0	6	6	0	0	2	0	0	0	0	0	2	0	0	0	0	2	0
Day 29:	0	0	0	2	0	0	0	8	6	0	0	0	0	2	0	0	0	0	2	0	0	0	0	2
Day 30:	0	0	0	0	2	0	0	2	8	0	2	0	0	0	2	0	2	0	0	4	2	2	0	0
Day 31:	0	2	0	0	0	0	2	0	2	6	8	0	0	6	0	0	2	0	0	0	0	0	2	0
Day 32:	0	0	2	0	0	0	0	2	0	0	0	0	2	0	0	0	0	2	0	0	0	4	2	0
Day 33:	0	0	0	2	0	0	0	6	6	0	0	0	2	0	0	0	0	2	0	2	6	0	0	0
Day 34:	0	2	0	0	0	0	2	12	0	0	0	0	2	0	0	0	0	0	2	0	0	0	0	2
Day 35:	0	0	0	0	2	0	0	2	10	0	0	0	2	0	0	0	0	0	2	0	0	0	0	2
Day 36:	0	0	0	0	2	0	4	6	0	0	0	0	2	0	0	0	0	0	2	0	0	0	0	2
Day 37:	0	0	0	0	2	0	0	6	4	2	0	0	0	0	0	2	0	0	0	0	6	0	10	0
Day 38:	2	0	0	0	0	2	0	0	2	0	12	0	4	6	0	0	0	0	6	2	0	2	0	0
Day 39:	0	2	0	0	0	0	2	0	10	4	0	2	0	0	0	6	6	0	0	2	8	0	0	0
Day 40:	2	0	0	0	0	2	8	10	6	0	2	0	0	0	0	0	2	0	2	0	6	0	0	14
Day 41:	6	4	2	0	0	0	2	10	0	0	0	0	2	0	0	0	0	2	0	0	0	0	2	4
Day 42:	2	0	0	0	2	0	0	0	2	2	6	2	0	2	0	0	0	0	2	0	0	0	0	0
Day 43:	2	0	0	0	0	2	0	10	0	0	0	0	2	0	0	0	0	2	0	0	0	0	2	16
Day 44:	12	12	8	0	0	0	0	0	12	0	0	2	0	0	0	0	2	0	0	0	0	2	0	0
Day 45:	0	6	0	6	0	6	0	0	8	4	2	4	0	2	0	0	0	0	0	2	0	0	14	2
Day 46:	0	6	0	6	4	2	0	0	0	0	4	2	0	0	10	0	2	0	0	0	2	0	0	0
Day 47:	0	2	0	0	0	0	2	2	8	2	0	0	0	0	2	0	0	2	0	0	12	0	0	0
Day 48:	0	2	0	0	0	0	2	6	4	0	0	2	0	0	0	0	2	0	6	2	0	0	0	0
Day 49:	8	0	8	16	12	6	6	6	16	0	0	2	0	0	0	0	2	0	0	8	2	6	8	0
Day 50:	0	2	0	6	6	0	6	14	4	0	0	2	0	0	0	0	2	0	0	0	0	2	0	0
Day 51:	0	0	6	0	0	8	0	24	12	6	0	0	0	0	2	0	0	0	0	2	0	0	0	0
Day 52:	2	0	0	0	0	2	8	8	8	0	0	2	0	0	0	0	0	2	0	0	0	2	0	6
Day 53:	6	0	12	4	14	6	10	8	10	4	0	6	2	0	0	0	0	2	0	6	6	6	6	12
Day 54:	6	12	12	10	12	16	10	12	12	6	0	8	6	8	16	2	0	0	0	2	0	0	0	6
Day 55:	2	6	0	6	8	0	6	6	2	0	6	0	0	2	0	0	0	0	2	0	0	0	0	2
Day 56:	0	0	0	0	2	0	0	0	0	2	0	0	0	0	2	0	0	0	0	2	0	0	0	0

Day 57:	0	2	0	0	0	0	2	0	0	0	0	2	0	0	0	0	2	0	0	0	0	2	0	0
Day 58:	0	0	2	0	0	0	0	2	0	0	0	0	2	0	0	0	0	2	0	0	0	2	0	0
Day 59:	6	0	6	6	6	6	8	4	12	4	6	6	2	6	6	8	8	6	16	24	12	10	14	10
Day 60:	8	12	6	20	0	8	10	6	6	4	22	14	6	6	6	22	6	8	10	12	12	16	2	0
Day 61:	0	6	6	6	6	4	22	2	22	0	2	0	0	0	2	0	8	14	10	6	12	12	4	0

Analysis:

- (1) The above table shows *61 days* 24 hours* gas consumption of the house 739.
- (2) For one thing, from the horizontal perspective we can get hourly values on a specific day. We can see there are some peak numbers horizontally, possibly implying that the family is using gas to cook during those hours. Therefore, we shouldn't set just one threshold for one day. Instead, multiple thresholds seem irrational. For another thing, from the vertical perspective we can get the values of a specific hour for several days. The numbers are not very stable as our expectation owing to some factors like holiday, weather and so on. This reminds us to set dynamic hourly threshold for the consumers so as to decrease the occurrence of misinformation.

3. Dynamically set hourly consumption threshold.

In this part, we select one specific house (id=739) as representative. The implementation for other houses is similar. As discussed above, it is irrational to set stable alarming threshold since unstability of gas consumption in a day and in the same hour of several days. Thus we manage to set dynamic thresholds which is the sum of the predicted value and a bias of 2. Note that the prediction is based on the linear regression model which has the smallest MSE, and the bias is chosen based on the analysis of consumer's hourly gas consumption in section 2.

```
In [20]: # Make prediction, set threshold and output alarming information.
lr=lm.LinearRegression()
temp=np.arange(0,1464,1)
his=30
level=1
for i in range(k):
    if i+1>1:
        break
    print('Dataid: ',home_two.dataid.iloc[i])
    h = np.arange(745,1464,1)
    y_lr = [0 for col in range(1464)]
    for j in h:
        x_tr = np.arange(j-24*his,j,24)
        lr.fit(x_tr[:,np.newaxis],hourly_diff[i][j-24*his:j:24])
        y_lr[j]=lr.predict(temp[:,np.newaxis])[j]+2
        if y_lr[j]<hourly_diff[i][j]:
            num+=1
            if level==1:
                print("Alarm! Level 1! (date:11-%d,"%(j//24-31),\
                    "time:%d'o clock)"%(j%24+1))
            level+=1
```

```

        elif level==2:
            print("Alarm! Level 2!! (date:11-%d,"%(j//24-31),\
                  "time:%d'o clock)"%(j%24+1))
            level+=1
        else:
            print("Alarm! Level 3!!! (date:11-%d,"%(j//24-31),\
                  "time:%d'o clock)"%(j%24+1))
    else:
        level=1

# Plot overall and partial actual consumption vs threshold.
    plt.figure(i,figsize=(12,4))
    plt.subplot(121)
    plt.plot(temp,hourly_diff[i],'-k',label='actual consumption')
    plt.plot(temp[745:],y_lr[745:], 'b',label='threshold')
    plt.xlabel('time(hour)')
    plt.ylabel('gas consumption')
    plt.title('Actual value and threshold (Dataid: %s)'%home_two.dataid.iloc[i])
    plt.xlim(745,1465)
    plt.ylim(0,)
    plt.legend(loc=2)
    plt.subplot(122)
    plt.plot(temp,hourly_diff[i],'-k',label='actual consumption')
    plt.plot(temp[745:],y_lr[745:], 'b',label='threshold')
    plt.xlabel('time(hour)')
    plt.ylabel('gas consumption')
    plt.title('Actual value and threshold (Dataid: %s)'%home_two.dataid.iloc[i])
    plt.xlim(745,800)
    plt.ylim(0,)
    plt.legend(loc=2)

```

Dataid: 739

```

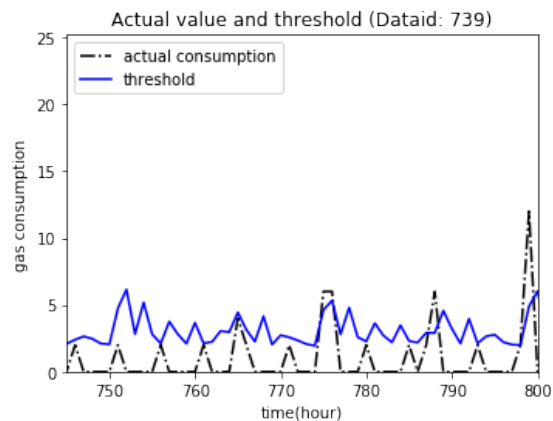
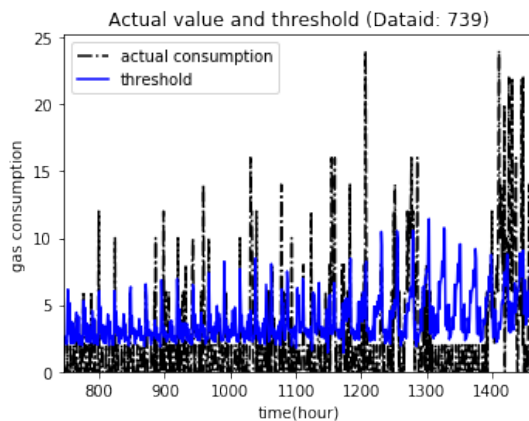
Alarm! Level 1! (date:11-1, time:8'o clock)
Alarm! Level 2!! (date:11-1, time:9'o clock)
Alarm! Level 1! (date:11-1, time:21'o clock)
Alarm! Level 1! (date:11-2, time:8'o clock)
Alarm! Level 1! (date:11-2, time:24'o clock)
Alarm! Level 1! (date:11-3, time:9'o clock)
Alarm! Level 1! (date:11-4, time:7'o clock)
Alarm! Level 2!! (date:11-4, time:8'o clock)
Alarm! Level 1! (date:11-5, time:21'o clock)
Alarm! Level 1! (date:11-5, time:23'o clock)
Alarm! Level 1! (date:11-6, time:6'o clock)
Alarm! Level 1! (date:11-6, time:11'o clock)
Alarm! Level 1! (date:11-6, time:13'o clock)
Alarm! Level 2!! (date:11-6, time:14'o clock)
Alarm! Level 1! (date:11-6, time:19'o clock)
Alarm! Level 1! (date:11-7, time:9'o clock)

```


Alarm! Level 2!! (date:11-7, time:10'o clock)
Alarm! Level 1! (date:11-7, time:16'o clock)
Alarm! Level 2!! (date:11-7, time:17'o clock)
Alarm! Level 1! (date:11-7, time:21'o clock)
Alarm! Level 1! (date:11-8, time:7'o clock)
Alarm! Level 2!! (date:11-8, time:8'o clock)
Alarm! Level 3!!! (date:11-8, time:9'o clock)
Alarm! Level 1! (date:11-8, time:21'o clock)
Alarm! Level 1! (date:11-8, time:24'o clock)
Alarm! Level 2!! (date:11-9, time:1'o clock)
Alarm! Level 3!!! (date:11-9, time:2'o clock)
Alarm! Level 1! (date:11-9, time:8'o clock)
Alarm! Level 1! (date:11-10, time:11'o clock)
Alarm! Level 1! (date:11-11, time:8'o clock)
Alarm! Level 1! (date:11-11, time:24'o clock)
Alarm! Level 2!! (date:11-12, time:1'o clock)
Alarm! Level 3!!! (date:11-12, time:2'o clock)
Alarm! Level 3!!! (date:11-12, time:3'o clock)
Alarm! Level 1! (date:11-12, time:9'o clock)
Alarm! Level 1! (date:11-13, time:2'o clock)
Alarm! Level 1! (date:11-13, time:4'o clock)
Alarm! Level 1! (date:11-13, time:6'o clock)
Alarm! Level 1! (date:11-13, time:9'o clock)
Alarm! Level 2!! (date:11-13, time:10'o clock)
Alarm! Level 1! (date:11-13, time:12'o clock)
Alarm! Level 1! (date:11-13, time:23'o clock)
Alarm! Level 1! (date:11-14, time:2'o clock)
Alarm! Level 1! (date:11-14, time:4'o clock)
Alarm! Level 2!! (date:11-14, time:5'o clock)
Alarm! Level 1! (date:11-14, time:11'o clock)
Alarm! Level 1! (date:11-14, time:15'o clock)
Alarm! Level 1! (date:11-15, time:9'o clock)
Alarm! Level 1! (date:11-15, time:21'o clock)
Alarm! Level 1! (date:11-16, time:19'o clock)
Alarm! Level 1! (date:11-17, time:1'o clock)
Alarm! Level 1! (date:11-17, time:3'o clock)
Alarm! Level 2!! (date:11-17, time:4'o clock)
Alarm! Level 3!!! (date:11-17, time:5'o clock)
Alarm! Level 3!!! (date:11-17, time:6'o clock)
Alarm! Level 3!!! (date:11-17, time:7'o clock)
Alarm! Level 1! (date:11-17, time:9'o clock)
Alarm! Level 1! (date:11-17, time:20'o clock)
Alarm! Level 1! (date:11-17, time:22'o clock)
Alarm! Level 2!! (date:11-17, time:23'o clock)
Alarm! Level 1! (date:11-18, time:4'o clock)
Alarm! Level 2!! (date:11-18, time:5'o clock)
Alarm! Level 1! (date:11-18, time:7'o clock)
Alarm! Level 2!! (date:11-18, time:8'o clock)

Alarm! Level 1! (date:11-19, time:3'o clock)
Alarm! Level 1! (date:11-19, time:6'o clock)
Alarm! Level 1! (date:11-19, time:8'o clock)
Alarm! Level 2!! (date:11-19, time:9'o clock)
Alarm! Level 3!!! (date:11-19, time:10'o clock)
Alarm! Level 1! (date:11-20, time:7'o clock)
Alarm! Level 1! (date:11-20, time:24'o clock)
Alarm! Level 2!! (date:11-21, time:1'o clock)
Alarm! Level 1! (date:11-21, time:3'o clock)
Alarm! Level 1! (date:11-21, time:5'o clock)
Alarm! Level 2!! (date:11-21, time:6'o clock)
Alarm! Level 3!!! (date:11-21, time:7'o clock)
Alarm! Level 1! (date:11-21, time:10'o clock)
Alarm! Level 1! (date:11-21, time:12'o clock)
Alarm! Level 1! (date:11-21, time:20'o clock)
Alarm! Level 2!! (date:11-21, time:21'o clock)
Alarm! Level 3!!! (date:11-21, time:22'o clock)
Alarm! Level 3!!! (date:11-21, time:23'o clock)
Alarm! Level 3!!! (date:11-21, time:24'o clock)
Alarm! Level 3!!! (date:11-22, time:1'o clock)
Alarm! Level 3!!! (date:11-22, time:2'o clock)
Alarm! Level 3!!! (date:11-22, time:3'o clock)
Alarm! Level 3!!! (date:11-22, time:4'o clock)
Alarm! Level 3!!! (date:11-22, time:5'o clock)
Alarm! Level 3!!! (date:11-22, time:6'o clock)
Alarm! Level 3!!! (date:11-22, time:7'o clock)
Alarm! Level 3!!! (date:11-22, time:8'o clock)
Alarm! Level 3!!! (date:11-22, time:9'o clock)
Alarm! Level 3!!! (date:11-22, time:10'o clock)
Alarm! Level 1! (date:11-22, time:12'o clock)
Alarm! Level 2!! (date:11-22, time:13'o clock)
Alarm! Level 3!!! (date:11-22, time:14'o clock)
Alarm! Level 3!!! (date:11-22, time:15'o clock)
Alarm! Level 1! (date:11-23, time:5'o clock)
Alarm! Level 1! (date:11-23, time:11'o clock)
Alarm! Level 1! (date:11-27, time:1'o clock)
Alarm! Level 1! (date:11-27, time:7'o clock)
Alarm! Level 1! (date:11-27, time:9'o clock)
Alarm! Level 2!! (date:11-27, time:10'o clock)
Alarm! Level 3!!! (date:11-27, time:11'o clock)
Alarm! Level 3!!! (date:11-27, time:12'o clock)
Alarm! Level 1! (date:11-27, time:14'o clock)
Alarm! Level 2!! (date:11-27, time:15'o clock)
Alarm! Level 3!!! (date:11-27, time:16'o clock)
Alarm! Level 3!!! (date:11-27, time:17'o clock)
Alarm! Level 3!!! (date:11-27, time:18'o clock)
Alarm! Level 3!!! (date:11-27, time:19'o clock)
Alarm! Level 3!!! (date:11-27, time:20'o clock)

Alarm! Level 3!!! (date:11-27, time:21'o clock)
 Alarm! Level 3!!! (date:11-27, time:22'o clock)
 Alarm! Level 3!!! (date:11-27, time:23'o clock)
 Alarm! Level 3!!! (date:11-27, time:24'o clock)
 Alarm! Level 3!!! (date:11-28, time:1'o clock)
 Alarm! Level 3!!! (date:11-28, time:2'o clock)
 Alarm! Level 1! (date:11-28, time:4'o clock)
 Alarm! Level 1! (date:11-28, time:6'o clock)
 Alarm! Level 2!! (date:11-28, time:7'o clock)
 Alarm! Level 1! (date:11-28, time:11'o clock)
 Alarm! Level 2!! (date:11-28, time:12'o clock)
 Alarm! Level 3!!! (date:11-28, time:13'o clock)
 Alarm! Level 3!!! (date:11-28, time:14'o clock)
 Alarm! Level 3!!! (date:11-28, time:15'o clock)
 Alarm! Level 3!!! (date:11-28, time:16'o clock)
 Alarm! Level 3!!! (date:11-28, time:17'o clock)
 Alarm! Level 3!!! (date:11-28, time:18'o clock)
 Alarm! Level 3!!! (date:11-28, time:19'o clock)
 Alarm! Level 3!!! (date:11-28, time:20'o clock)
 Alarm! Level 3!!! (date:11-28, time:21'o clock)
 Alarm! Level 3!!! (date:11-28, time:22'o clock)
 Alarm! Level 1! (date:11-29, time:7'o clock)
 Alarm! Level 1! (date:11-29, time:9'o clock)
 Alarm! Level 1! (date:11-29, time:17'o clock)
 Alarm! Level 2!! (date:11-29, time:18'o clock)
 Alarm! Level 3!!! (date:11-29, time:19'o clock)
 Alarm! Level 1! (date:11-29, time:21'o clock)
 Alarm! Level 2!! (date:11-29, time:22'o clock)



Analysis:

- (1) The above table shows the alarming information in November of the house 739. And the two figures respectively show overall and partial actual consumption vs threshold.

- (2) It can be seen that though we have given a bias of 2 in case of uncertainties, there are still too many cases when the actual consumption exceed the threshold and thus some alarming information is confusing or unwanted. To further explore these alarming information, we develop a **graduation alarming method**. To be specific, when the actual consumption exceed the threshold for the first time, the system give alarming signal marked as level 1. If such case happens again in the following hour, then the alarming signal will be marked as level 2. By that analogy, alarming signal which is marked as level 3 will be generated if three consecutive cases happen. Based on such a graduation method, the consumers can take personalized reaction to different level of alarm. For example, when level 3 alarm appear, it means the consumption is larger than expectation for a long period of time. This may indicate that there is something unusual happening. If the consumers are aware of the reason why it happens, then they can just ignore such an alarm. But if they feel confused. They can look for potential causes in time. In this way, consumers' losses can be minimized. Note that higher level doesn't consequentially mean higher seriousness. If consumers are confident that there isn't possible gas consumption while an level 1 alarm arises, this lower level alarm also deserves much attention. In conclusion, the graduation alarming method is just reference and support for consumers. In other word, it acts as a reminder of gas consumption and help the consumers take timely and rational action.