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1. 1 to 16 – Mid Term
2. 17 to 54- Final Term

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25th BATCH

COMPUTER AND COMMUNICATION ENGINEERING

International Islamic University Chittagong

COURSE CODE: CCE-4829

COURSE TITLE: Machine Learning

COURSE TEACHER:

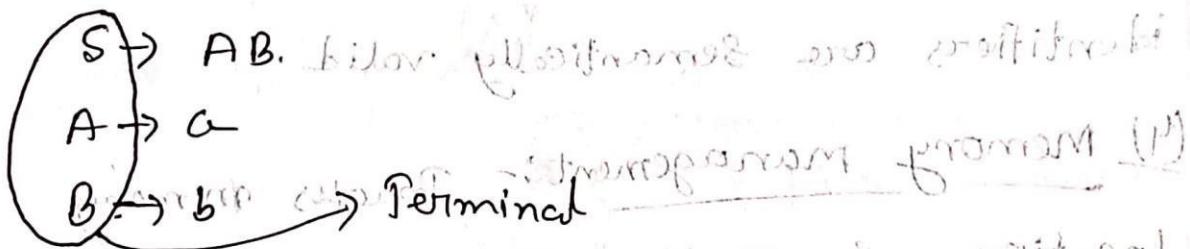
Adjunct Faculty

Computer and Communication Engineering

Compiler

Terminal :- ये किसी भूला परिवर्तन का मान होता है।

यहाँ अवृत्ति, replace करते हुए एक Terminal है।



Non-Terminal :- किसी भूला परिवर्तन का मान

अवृत्ति, replace कर मान एक Non-Terminal है।

एक

grammatical & meaningful sentence एवं meaningful & well-formed sentence को non-terminal कहा जाता है।

इसमें से एक उदाहरण इसका उपर्युक्त रूप है:

Q) Needed of Symbol Table :- क्या लाभ होता है?

→ Used to manage information about identifiers (such as variables, functions & constants) encountered during the compilation or interpretation process.

1) Identifier Management :- Stores information including their names, types, scopes & memory location.

2) Scope Resolution :- Maintains the scope hierarchy and allows efficient lookup & resolution of identifiers.

(3) Type checking

Helps to check & ensure that operations involving identifiers are semantically valid.

(4) Memory management :- Tracks memory

locations & enable efficient memory management.

(5) Error Detection & Reporting :-

Facilitate error detection & reporting during the compilation or interpretation process.

(6) Optimization :- Compiler can optimize the generated code for improved performance & efficiency through symbol tables.

(7) Derivation of Grammar, parse tree

Parse tree is a rooted tree that represents the semantic information of a string derived from a context free grammar.

A parse tree or derivation tree is an ordered rooted tree that graphically represents the semantic information of a string derived from a context free grammar.

(Σ string ପାଇଁ ଏହା ଗ୍ରାଫିକାଲ୍ ରେପ୍ରେସେଣ୍ଟେସନ୍ କୁ ପରେ
parse tree)

ମୁଣ୍ଡିତ ରେପ୍ରେସନ୍ କୁ ଶବ୍ଦରେ କିମ୍ବା

ଏହି ନିରଦେଖ କିମ୍ବା ଏହି କୁଣ୍ଡଳ କିମ୍ବା

କୌଣ୍ଣ କିମ୍ବା କୌଣ୍ଣ କିମ୍ବା କୌଣ୍ଣ କିମ୍ବା

Interior node କିମ୍ବା

[Non-Terminal Left side]

କିମ୍ବା କିମ୍ବା କିମ୍ବା

Ambiguous Grammars

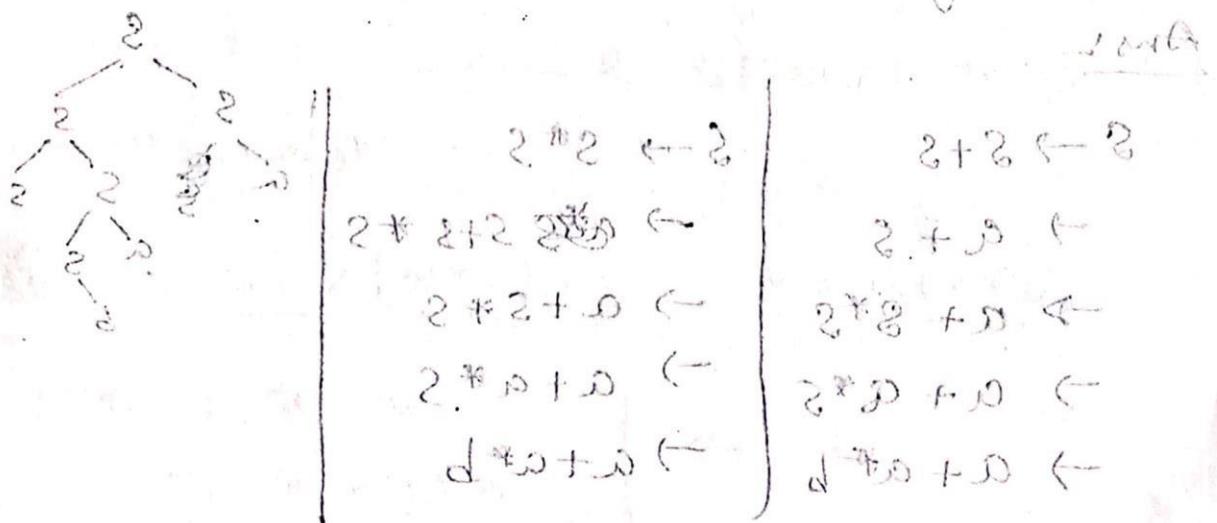
କୌଣ୍ଣ କିମ୍ବା କିମ୍ବା କିମ୍ବା

କୌଣ୍ଣ କିମ୍ବା କିମ୍ବା କିମ୍ବା

For Grammar G_2 , for some string $w \in L(G_2)$

କୌଣ୍ଣ କିମ୍ବା କିମ୍ବା

କୌଣ୍ଣ କିମ୍ବା କିମ୍ବା



କୌଣ୍ଣ କିମ୍ବା କିମ୍ବା କିମ୍ବା

DFA / NFA (draws, no min points etc.)

Automata:- A machine or program that runs on a given input to check whether the input is a regular input or not.

DFA: To where there is only one possibility.

NFA:

more than one path for a given input leads to non-accepting state.

Ambiguous L on NOG (More than one \Rightarrow Ambiguous)
Exactly one \Rightarrow Unambiguous

(b) G_n :- $G_n = \{S\}, \{a+b\}^*, \{a, b\}, P, S$

Where P consists of $S \rightarrow S+S \mid S^*S \mid a \mid b$

The string $a+a+b$ can be generated as -

Ans.

$$S \rightarrow S+S$$

$$\rightarrow a + S$$

$$\rightarrow a + S^*S$$

$$\rightarrow a + a^*S$$

$$\rightarrow a + a^*b$$

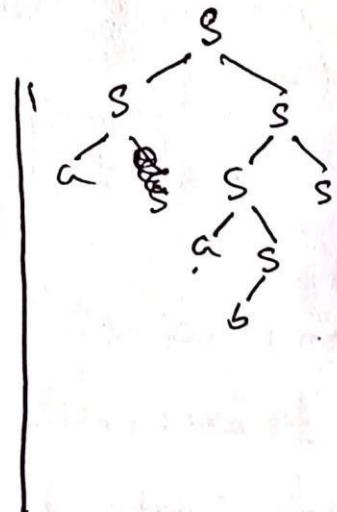
$$S \rightarrow S^*S$$

~~$$\rightarrow S+S^*$$~~

$$\rightarrow a + S^*S$$

$$\rightarrow a + a^*S$$

$$\rightarrow a + a^*b$$



Used left derivation trees And got same result. So the grammar is ambiguous.

②

$$S \rightarrow A B$$

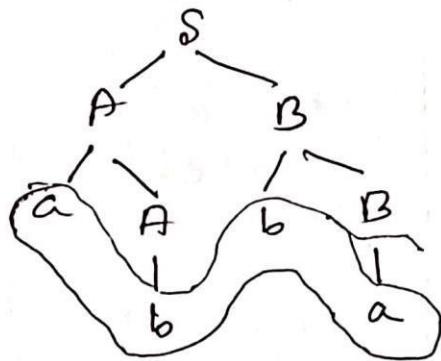
$$A \rightarrow a A 1 b$$

$$B \rightarrow b B 1 a$$

word: a^{*}bba

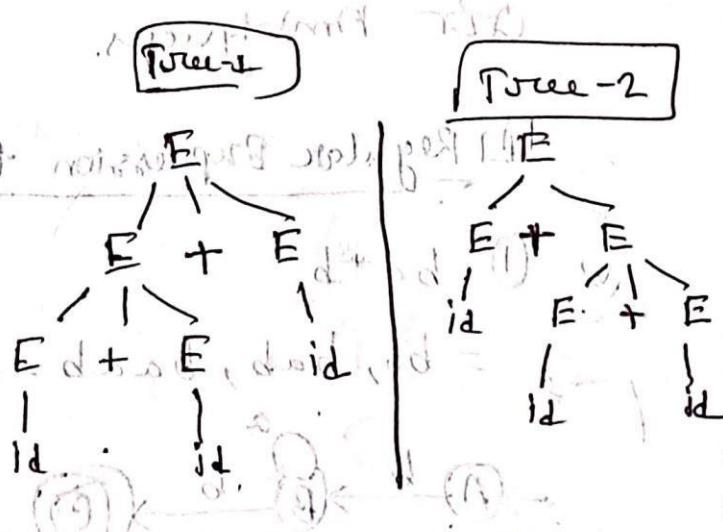
$$S \rightarrow^* A^* B$$

$$\rightarrow^* a^* bba$$



③ $E \rightarrow E + E \mid id$

w → id + id + id



As there are 2 different trees it is

Unambiguous [so far we took only 1]

* $x \rightarrow \underline{x} + x \mid \underline{x}^* x$ ④

w = a + a* a

$$x \rightarrow x + x$$

$$\rightarrow \underline{x} + x^* x$$

$$\rightarrow a + x^* x$$

$$\rightarrow a + a^* a$$

a + a* a

$n \rightarrow n^*$

$\rightarrow n + n^* n$

$\rightarrow a + n^* n$

$\rightarrow a + a^* n$

$\rightarrow a + a^* a$

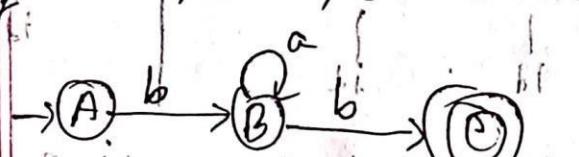
ABT Ambiguous.



→ Regular Expression to Finite Automata :-

① $b a^* b$

$= bb, bab, baab \dots$



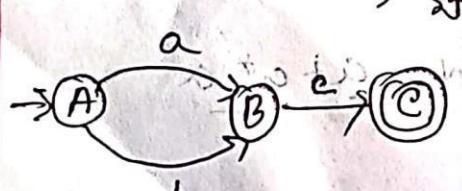
② Whenever closer a^* make self loop

③ Whenever $\&$ operation make straight state

② $(a+b)c$

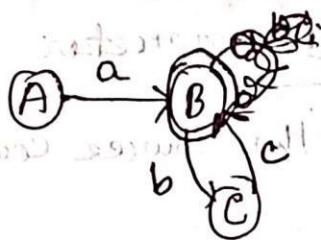
[+ symbol with OR]

Strings: ac, bc



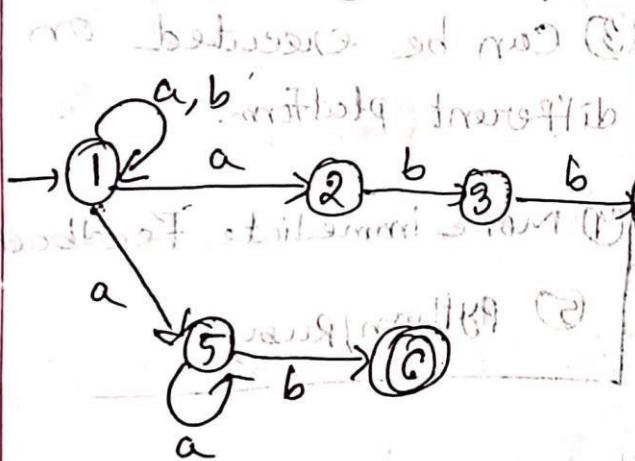
It means bc can be equal to zero or be mono
 So, $a, abc, abcbe, abcbebe$

③ $a(bc)^*$



So, $a, abc, abcbe, abcbebe$

④ $(ab^*)^* \cdot (abb | a^*b)$

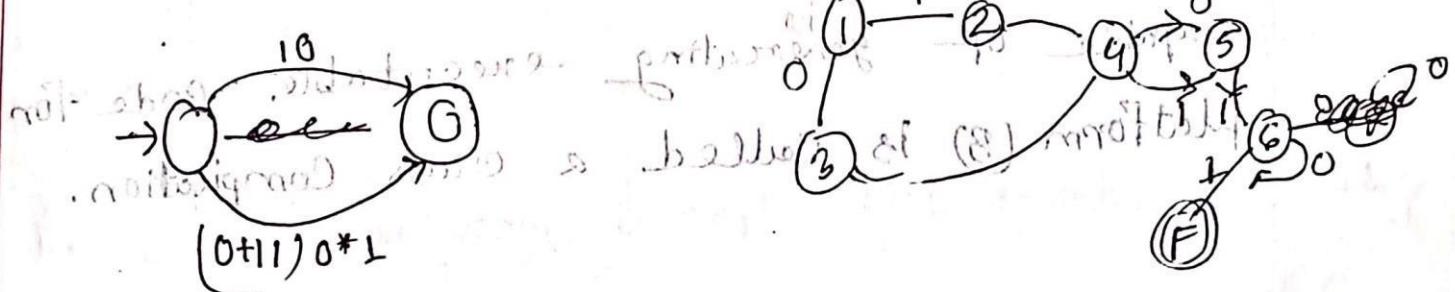


equal to '+'

$$a^+ = \{a, aa, aaa, \dots\}$$

$$a^* = \{E, a, aa, aaa, \dots\}$$

⑤ $10 + (0+11)0^*1$



Want to reduce bugs and save time

Compiler vs Interpreters

Compiler

- ① Translates entire source code
- ② Compilation happens before execution.
- ③ particular hardware / software
- ④ Debugging challenging
- ⑤ C, C++, Rust

Interpreter

- ① Reads the source code line by line.
- ② It happens in runtime
- ③ Can be executed on different platform.
- ④ More immediate feedback.
- ⑤ Python, Ruby

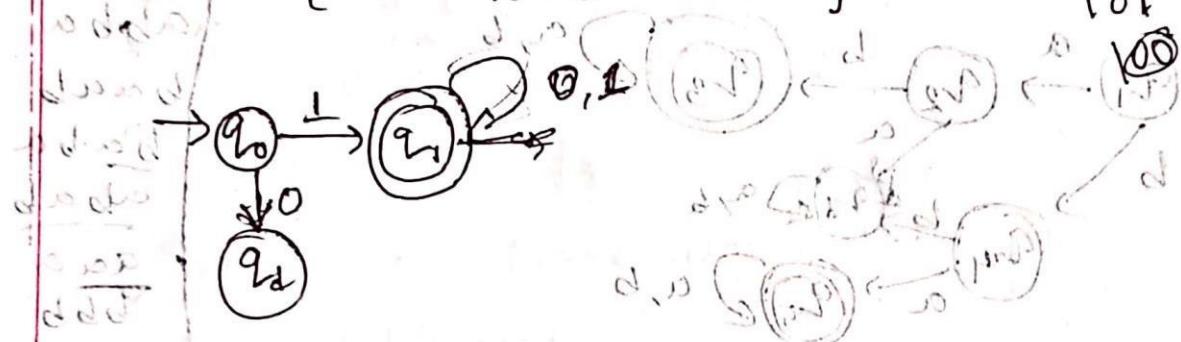
Cross Compiler:-

A Compiler that's run on platform (A) & is capable of generating executable code for platform (B) is called a cross compilation.

DFA:

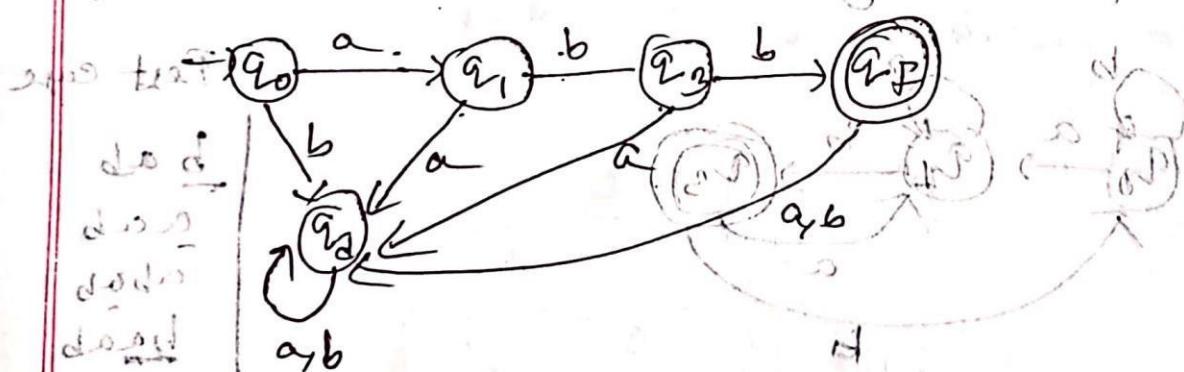
$$\textcircled{1} \quad \Sigma = \{0, 1\}$$

$L = \{w1w \text{ start with } 1\}$



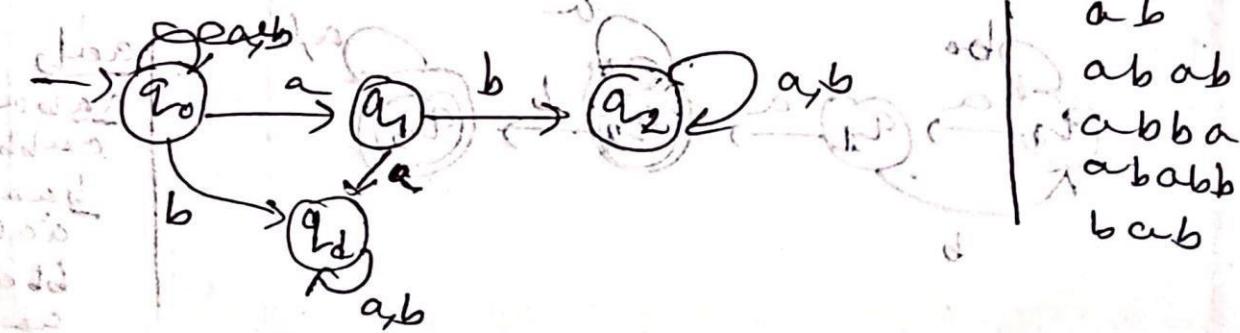
$$\textcircled{2} \quad \Sigma = \{a, b\}$$

$L = \{w1w \text{ accept only } abb\}$



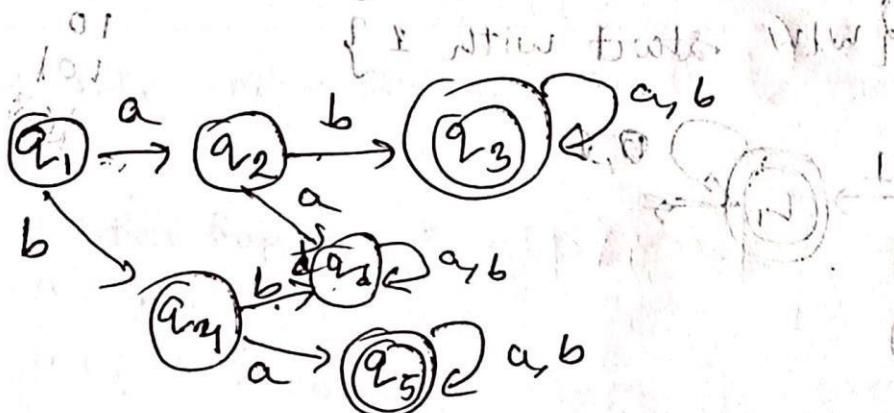
$$\textcircled{3} \quad \Sigma = \{a, b\}$$

$L = \{w1w \text{ only accept which starts with ab}\}$



④ $\Sigma = \{a, b\}$

$L = \{w | w: \text{Only accept which starts with } \underline{ab}\}$



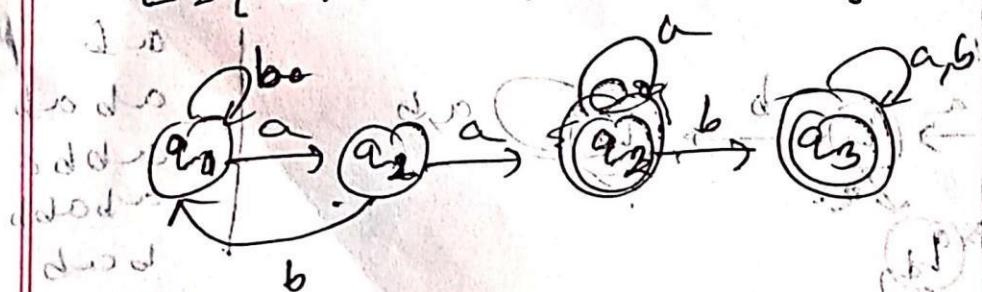
⑤ $\Sigma = \{a, b\}$

$L = \{w | w: \text{only accept which ends with } \underline{ab}\}$



⑥ $\Sigma = \{a, b\}$

$L = \{w | w \text{ accept Contain } \underline{bab}\}$



Test case:
a c a b
a a b a
a c a b b
b a a b
a c a d b
b b a a b
a c a a b

→ does not contain aij, यूज़ार समे जाए चलना नहीं

But Final State वाले वाके एकमात्र Final State

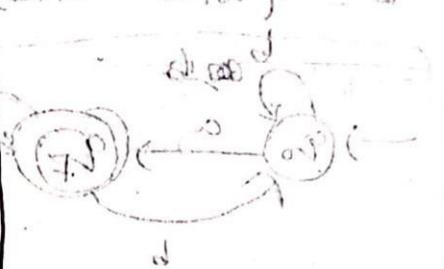
त्रिका- Count याज़िद रखो।

Regular Expressions

(+) 2(ϵ) → divided

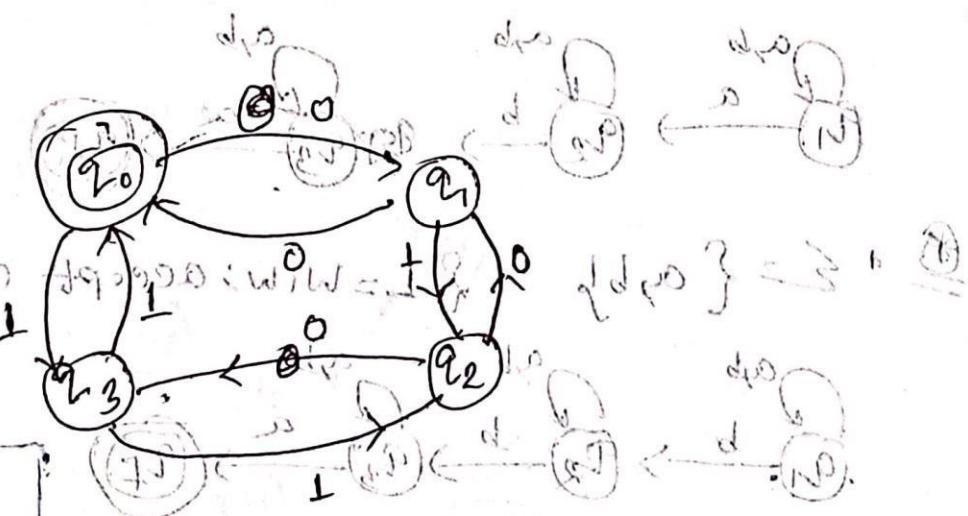
for n → state बाज़िद

∅ → Self loop



Q. $\Sigma = \{0, 1\}$

$L = \{w \mid w \text{ accept even number of } 0's \text{ & even number of } 1's\}$

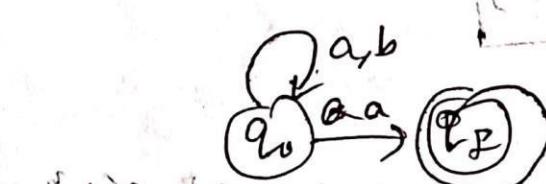
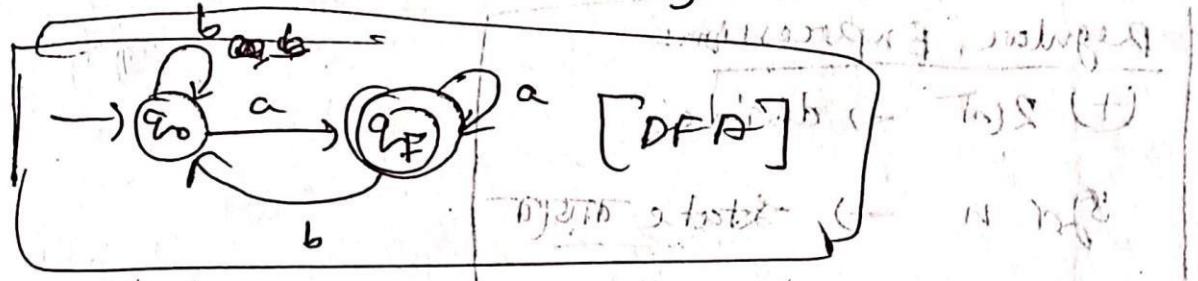


	0	1
Q0	1.0	1.0
Q1	0.0	1.0
Q2	1.0	0.0
Q3	0.0	1.0
Q4	1.0	1.0

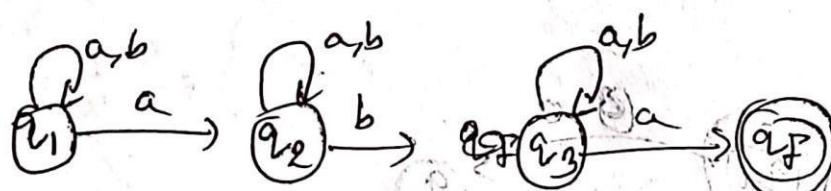
(6) NFA: A present state which transitions makes it to final state.

④ $\Sigma = \{a, b\}$ accept strings which starts with 'a'.

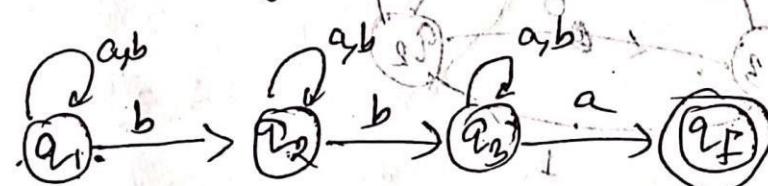
$L = \{w | w \text{ ends with } a\}$



④ $\Sigma = \{a, b\}$ and $L = \{w | w, \text{ ends with } ab\}$



④ $\Sigma = \{a, b\}$ $L = \{w | w; \text{ accept contain } bba\}$

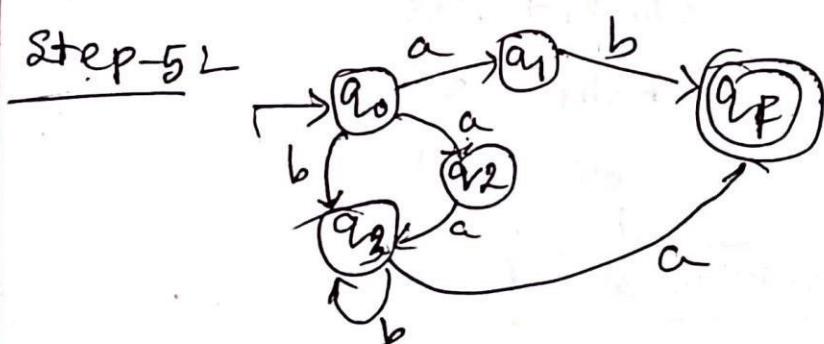
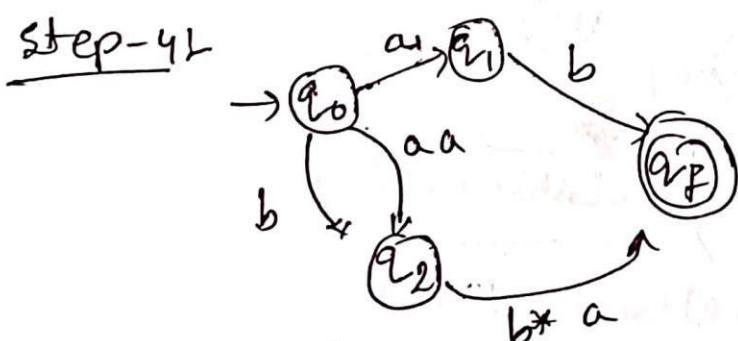
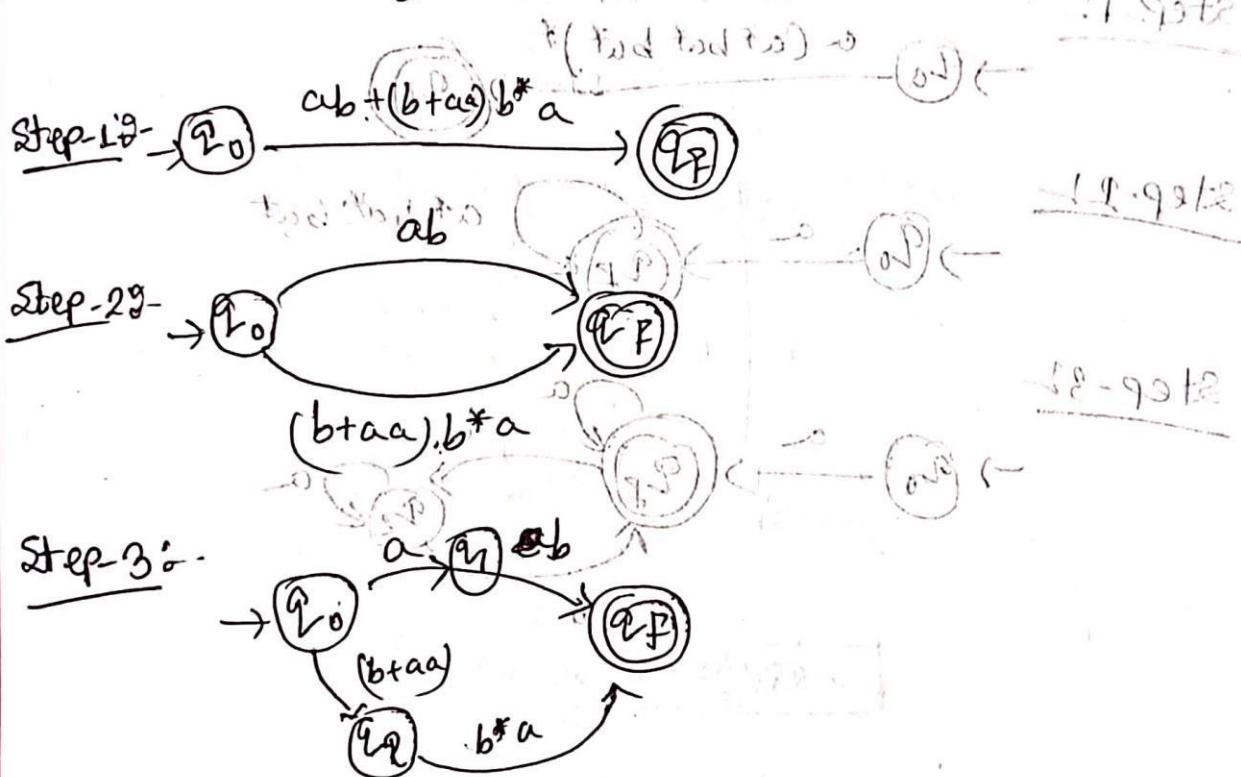


Transfer function

	a	b
q1	q1	q2, q3
q2	q2	q2, q3
q3	—	—
qF	—	—

Regular Expression

Stream $[ab + (b+aa)b^*a]$

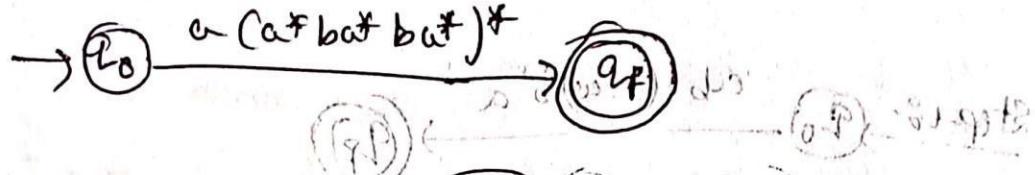


Example-02:-

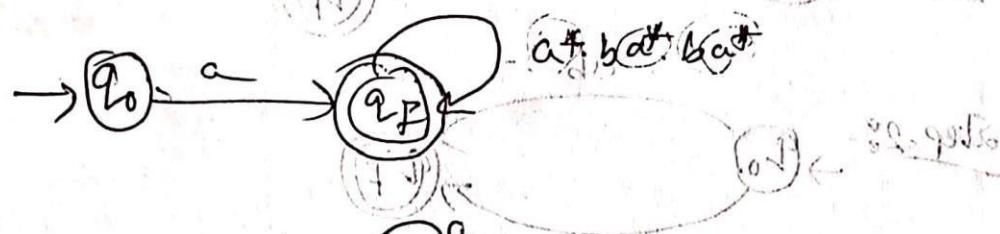
$[a(a^*ba^*ba^*)^*]$ minipal (L)

$[d^*d(a^*d) + d^*a^*]$ minipal (L)

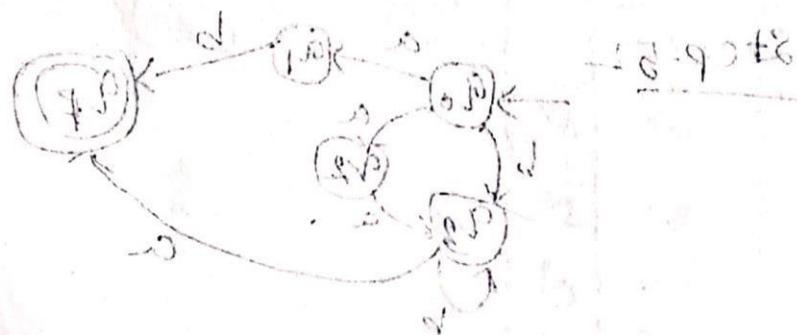
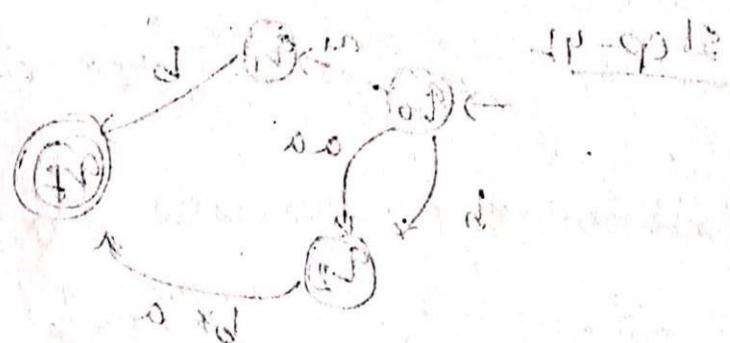
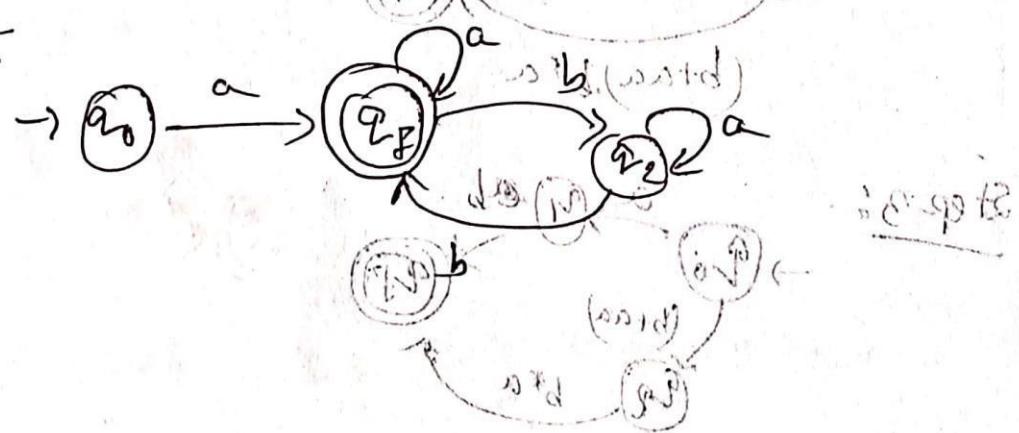
Step-1:-



Step-2:-



Step-3:-



Translation of an assignment Statement :-

⇒ Position = initial + code * 60

↓
Lexical Analyzer

(id,1) (=) (id,2). + (id,3) (*) (60)

↓
Syntax Analyzer

(id,1) —————=—————+—————*—————(60)
 (id,2) (id,3)

↓
Semantic Analyzer

(id,1) —————=—————+—————*————— inttofloat
 (id,2) (id,3) (60)

↓
Intermediate Code Generator

t₁ = inttofloat(60)

t₂ = t₁ * id3

t₃ = id2 + t₂

id1 = t₃

↓
Code Optimizer → Code Generator

t₁ = id3 * 60.0

id1 = id2 + t₁

Translation of an assignment Statement :-

⇒ Position = initial + code * 60

↓
Lexical Analyzer

(id,1) (=) (id,2). + (id,3) (*) (60)

↓
Syntax Analyzer

(id,1) —————=—————+—————*—————(60)
 (id,2) (id,3)

↓
Semantic Analyzer

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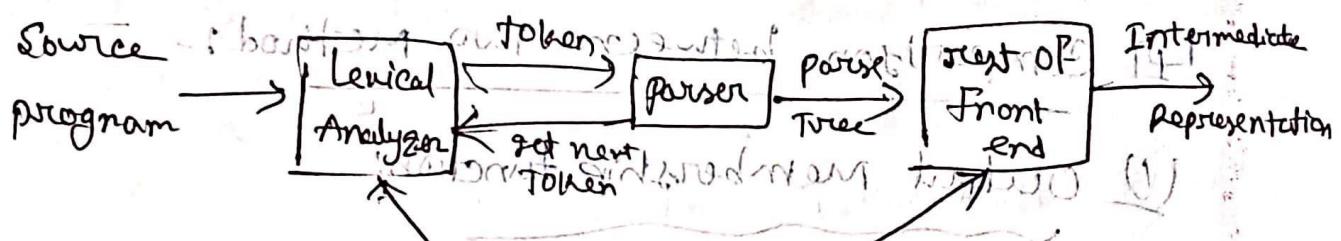


**KEEP
CALM
ITS TIME FOR THE
FINAL
EXAM**

Compiler (FINAL)

Parser:

- Compiler or interpreter components that breaks data into smaller elements for easy translation into another language.
- Takes input in the form of a sequence of tokens & usually builds a data structure in the form of a parse tree.



(Q)

4 types:

① Panic mode

② phrase level

③ Error production

④ Global correction

① Panic mode:

→ Simplest method to implement & can be used by most parsing method.

→ If error is discovered, the parser discards input symbol one at a time until one of a designated set of synchronizing tokens is found.

② Phrase Level:

→ Error (ECA), parser may perform local correction on the remaining input.

→ May replace prefix of the remaining input by some string that allows the parser to continue

③ Error production:

→ Common errors can occur.

→ Designer can create augmented grammar to be used. As productions that generate erroneous constructs when these errors are encountered.

④ Global correction:

→ Few changes as possible for incorrect input string.

→ Choosing a minimal sequence of changes to obtain a globally least cost connection.

→ Too costly to implement

→ So, these are theoretical

models of connection to the telephone

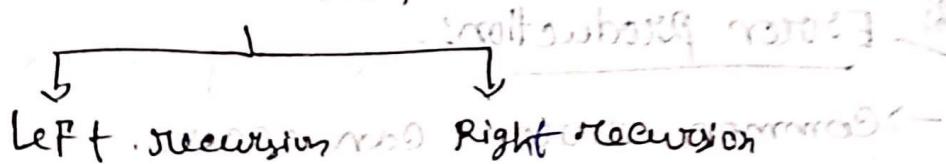
Algorithm of the left recursion

Ex1- $P \rightarrow P + Q | Q$

Ansul 2

Recursion Function \Rightarrow Function for call theor

Recursion



Summary ($A \rightarrow A \alpha | B$) stored and runge

stamp \downarrow until α is runge α . below α .

and around α result α runge α positions.

$B \rightarrow B \alpha | B$

Same or LR

Same α is runge

and α is runge

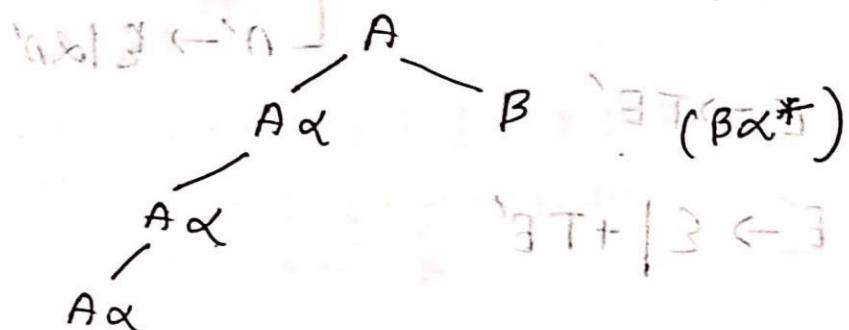
bigram forward not adding to sequence with α

points

Ter. \rightarrow Small letter

non Ter \rightarrow Capital v

कार्यालय: $A \rightarrow A\alpha|B$

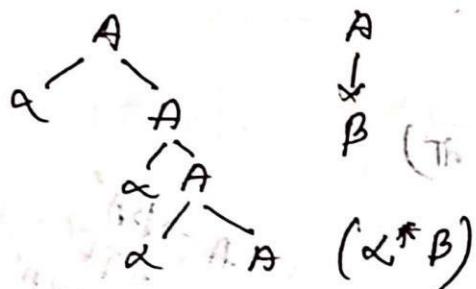


$T \vdash T + B \leftarrow T$

(Same अर्थ तलत वाले ताकि left Recursion)

Right Recursion:

$A \rightarrow \lambda A | B$



bii (जी) $\leftarrow T$ (जी) नहीं
(जी) Top Down Parsing

(जी) Top Down parser infinite

call एकत्र स्पष्ट पाक

$T \vdash T + B \leftarrow T$ ताकि एक Left Rec.

use करें जा)

Infinity दृग करना:-

Formula:- $A \rightarrow A\alpha|B$

Ex:- $A \rightarrow A\alpha|B$ } $\exists T$ Target string $B\alpha^*$

~~$A \rightarrow B\alpha^*$~~ $A \rightarrow BA' \quad \Rightarrow$ [जाकर Formula] \Rightarrow $A' \rightarrow \epsilon | \alpha A'$

→ Left recursion

→ Intuition about left recursion
(Left recursion)

Ex:-

$$E \rightarrow E + T | T$$

$\overline{A} \quad \overline{A} \quad \overline{\alpha} \quad \overline{\beta}$

$$+ 1 \times A \left[\begin{array}{l} A \rightarrow \alpha A | \beta \\ A \rightarrow \beta A' \\ A' \rightarrow E | \alpha A' \end{array} \right] \text{ (Formula)}$$

Solution:-

$$(E \rightarrow T E')$$

$$E' \rightarrow \epsilon | + T E'$$

Ex-2

$$F \rightarrow T * F | F$$

$$T \rightarrow F T'$$

$$T' \rightarrow \epsilon | F T'$$

Ex-3 $F \rightarrow (E) | id$

(Left recursion at E)

$$E \rightarrow E + T | T$$

$$T \rightarrow T * F | F$$

$$F \rightarrow (E) | id$$

$$\Rightarrow E \rightarrow T E'$$

Again,

$$E' \rightarrow \epsilon | + T E'$$

$T \rightarrow FT'$

$T' \rightarrow \epsilon | *FT'$

(Ex: 5) $S \rightarrow L | a | b$ (\Rightarrow Left Recursion)

$L \rightarrow L, S | S$

Solution:-

$L \rightarrow SL'$

$L' \rightarrow \epsilon | SL'$

(F) ~~A \Rightarrow formula of multiple left recursion~~

$A \rightarrow A\alpha_1 | A\alpha_2 | \dots | A\alpha_m \Rightarrow A \rightarrow A\alpha | \beta$

$B_1 | B_2 | B_3 | \dots | B_n$

$A \rightarrow BA' \Rightarrow A \rightarrow B_1 A' | B_2 A' | B_3 A' | \dots | B_n A'$

$A' \rightarrow \epsilon | \alpha A' \Rightarrow A' \rightarrow \epsilon | \alpha_1 A' | \alpha_2 A' | \dots | \alpha_m A'$

Ex-1: $A \rightarrow A\beta\alpha | A\alpha | \alpha$

$A \rightarrow A\beta\alpha | A\alpha | \alpha$

$A \rightarrow aA'$

$A' \rightarrow \epsilon \mid \beta \alpha A' \mid \alpha A'$

Ex:-03

$\frac{A \rightarrow AC}{A} \mid \frac{AC}{A_1} \mid \frac{AC}{A_2} \mid \frac{bd}{B} \mid \frac{cd}{B_1} \mid \frac{cd}{B_2}$

$A = bdA' \mid cdA'$

$A' = \epsilon \mid CA' \mid adA'$

~~Left Factoring~~

LR, RR, DR, NDG

$A \rightarrow \alpha B_1 \mid \alpha B_2 \mid \dots \mid \alpha B_n$

$A \rightarrow \alpha A'$

[~~প্রয়োজন কোম্পন এবং~~ Common Factor]

$A \rightarrow B_1 \mid B_2 \mid B_3 \mid B_n$

$\frac{\alpha}{B_1} \mid \frac{\alpha}{B_2} \mid \frac{\alpha}{B_3} \mid \dots \mid \frac{\alpha}{B_n} \rightarrow A$

Ex-01:

$$S \rightarrow I E t S$$

$$\begin{matrix} I \\ | \\ I E t S \end{matrix}$$

/ a

$$E \rightarrow b$$

Formula:

$$A \rightarrow d B_1 | d B_2$$

$$A \rightarrow \alpha A$$

$$A' \rightarrow B_1 | B_2$$

{
Formula}

$$\frac{d}{\alpha} \frac{d}{d} \frac{d}{\alpha} \frac{d}{d} \leftarrow 2$$

$$\alpha \frac{d}{d} \frac{d}{d} \leftarrow 2$$

$$d \frac{d}{d} \frac{d}{d} \frac{d}{d} \leftarrow 2$$

$$\Rightarrow S \rightarrow I E t S' / a$$

$$S' \rightarrow \epsilon | e s$$

$$E \rightarrow b$$

Ex-02:

$$A \rightarrow \underline{c A B} | \underline{\alpha A}$$

$$B \rightarrow \underline{b B} | \underline{\beta B}$$

$$\frac{d}{\alpha} \frac{d}{d} \frac{d}{\beta} \frac{d}{d} \leftarrow 2$$

$$\frac{d}{\alpha} \frac{d}{d} B_1 | \underline{\alpha A} | \underline{\beta B}$$

$$A \rightarrow \alpha A'$$

$$\text{Solution: } A \rightarrow \underline{\alpha A'}$$

$$A' \rightarrow \underline{AB} | A$$

$$A' \rightarrow AB | A | \epsilon$$

$$\text{Ex:- Q} \quad E \rightarrow T + E \mid T \cdot \epsilon$$

$$E \cdot A \rightarrow T \cdot E'$$

$$E' \rightarrow + E \mid \epsilon$$

$$\text{Ex:- } S \rightarrow \frac{bSS}{a} \mid \frac{Sas}{a} \mid \frac{Sasb}{a} \mid \frac{Sb}{a} \cdot \epsilon$$

Step-1

$$S \rightarrow bSS' \mid a$$

$$S' \rightarrow \frac{Sas}{a} \mid \frac{Sasb}{a} \mid b \cdot \epsilon$$

Step-2:

$$S \rightarrow bSS' \mid a$$

$$S' \rightarrow S \underline{a} S'' \mid b \mid \epsilon$$

$$S'' \rightarrow aS \mid bS$$

$$aS \rightarrow A \cdot a \leftarrow A$$

$$bS \rightarrow B \cdot b \leftarrow B$$

>Show the model of a non-recursive predictive parser

Parser

t	a	+	b	\$
---	---	---	---	----

→ 73 belongs to t, a, +, b or \$

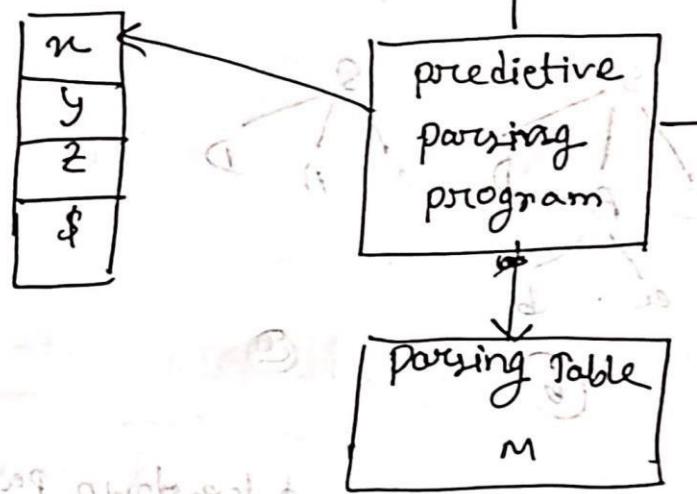


Fig:- A non-recursive predictive parser

Step of top-down parsing, draw the position of the parser.

Consider the grammar

$$S \rightarrow CAa$$

$$A \rightarrow abab$$

And the input, $w = cad$, to construct construct the parse tree for this string top down, we initially create a tree consisting of a single node labeled S . An input point to C , the first symbol of w .

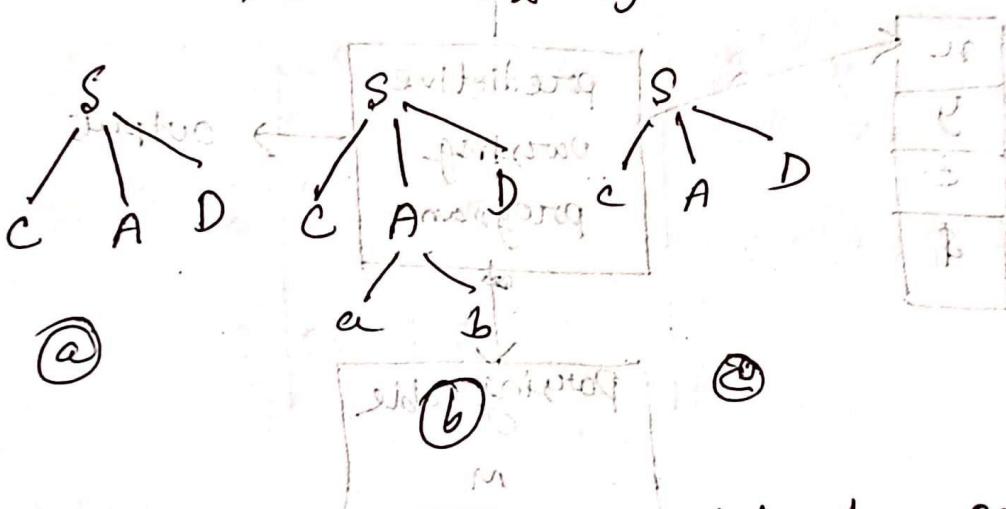


Fig. - Steps In the top-down parse

using attribute assignment rule

(F)

Topic :- First & Follow

→ Left Recursion & Left Factoring

Stamp - 30/11/2019

FIRST

Follow

	FIRST	Follow
Non-terminal	{a, b}	
Terminal		{a, b, ε}

Rules :- FIRST(FIRST)

$A \rightarrow aB \xrightarrow{\text{Terminal}}$

$\text{FIRST}(A) = \{a\}$

$A \rightarrow a \quad \{a\}$

① $A \rightarrow a \mid \epsilon$

$A \rightarrow a$

$A \rightarrow \epsilon \quad \therefore \text{FIRST}(A) = \{a, \epsilon\}$

② $A \rightarrow (aB) \mid \epsilon \rightarrow$ First aB \rightarrow terminal

$\text{FIRST}(A) = \{(, \epsilon\} \rightarrow$ Second by first ϵ

③ $A \rightarrow T\alpha$

$T \rightarrow *FT'$

$\text{FIRST}(A) = \text{FIRST}(T)$

$$= \{*\}$$

④ $A \rightarrow T\alpha$

$T \rightarrow *FT'1\epsilon$

$\text{FIRST}(A) = \text{FIRST}(T)$

$$= \{*, \epsilon\}$$

$$= \{*, \alpha\}$$

$$\{*\} = (A)T\text{FIRST}$$

$$\{\alpha\} \quad \alpha \in A$$

$$\{*\} = A \quad \text{①}$$

$$\alpha \in A$$

$$\{*, \alpha\} = (A)T\text{FIRST} \quad \alpha \in A$$

Wanted to prove that $\{1(01)\} \leftarrow A \quad \text{②}$

$$\Rightarrow \text{Left choose } \{1\} = (A)T\text{FIRST}$$

⑤

Follow(E) \rightarrow E' \$
E' \rightarrow T E' | ε

	FIRST	Follow
$E \rightarrow TE'$	{id, C}	{\$,)}
$E' \rightarrow +TE' \epsilon$	{+, ε}	{\$,)}
$T \rightarrow FT'$	{id, C}	{+, \$,)}
$T' \rightarrow *FT' \epsilon$	{*, ε}	{+, \$,)}
$F \rightarrow id (E)$	{id, (}	{*, +, \$,)}

FIRST

$$FIRST(E) = TE'$$

$$FIRST(T) = FT'$$

$$FIRST(F) = \{id, (\}$$

$$\begin{aligned} FOLLOW(F) &= FIRST(T') \\ &= \{*, ε\} \end{aligned}$$

$$T = FIRST(E')$$

$$\{+, ε\}$$

ε (Follow set)

$$E = TE' \rightarrow [E' \cup \epsilon] \text{ याने क्लॉन था}$$

जो भले + के Follow था

E, आज E के Follow
क्लॉन []

BN-02

01101

TRITI

right Parsing
S NT

SYNTH	FIRST	FOLLOW
$S \rightarrow Bbd \mid Cb$	$\{a, \epsilon, c, b\}$	$\{\$\}$
$B \rightarrow ab \mid \epsilon$	$\{ab, \epsilon\}$	$\{d\}$
$C \rightarrow ec \mid \epsilon$	$\{e, \epsilon\}$	$\{b\}$

(i) $S \rightarrow Bd$

$B \rightarrow ab, \epsilon$

(ii) Cb

\downarrow

$\{c, \epsilon\}$

\downarrow

Cb

\downarrow

c

\downarrow

ϵb

\downarrow

b

(non-terminal) $\{d\}$

$T = (E) T E T$

$T = (T) T E T$

$\{a, b\} = (n) T E T$

$(T) T E T = (n) T E T$

$\{a, b\} =$

EN-03

WEEK 7

FIRST

FOLLOW

$S \rightarrow aABbc$	$\{a\}$	$\{\$\}$
$(A) \rightarrow c \epsilon$	$\{c, \epsilon\}$	$\{d, \epsilon, b\}$
$B \rightarrow d \epsilon$	$\{d, \epsilon\}$	$\{b\}$
$\{B, d, a, b\}^+$	$\{d, b\}^+$	$\{B, d, b\}^+$

$$\text{Follow}(A) = \text{Follow}(B)$$

$$= \{d, \epsilon\}$$

$$\{B, d\}^+ = \{B, d\}^+ \quad \{d, b\}^+ = \{d, b\}^+ \quad T = T \quad T = T$$

$$\{B, d\}^+ \subseteq T$$

$$\{d, b\}^+ \subseteq T$$

$$T = T$$

Result: On the right side, we have to put elements to the first part of the string.

Topic :- LL(1)

WORD	PART	FIRST	FOLLOW
$E \rightarrow TE'$		{ id, (}	{ \$,) }
$E \rightarrow +TE' E.$		{ +, id }	{ \$,) }
$T \rightarrow FT'$		{ id, (}	{ +, \$,) }
$T' \rightarrow *FT' \epsilon$		{ *, (}	{ +, \$, (}
$F \rightarrow id (E)$		{ id, (}	{ *, +, \$, (}

$$\begin{array}{ll}
 E = T & T = F \\
 \swarrow & \downarrow \\
 F & id \\
 \uparrow & \\
 id &
 \end{array}
 \quad
 \begin{array}{l}
 \{ +, \epsilon \} \\
 \{ id, (\}
 \end{array}
 \quad
 \begin{array}{l}
 T' = E' \\
 = \{ +, \epsilon \} \\
 \{ *, \epsilon \}
 \end{array}
 \quad
 \begin{array}{l}
 T' \rightarrow * \{ *, \epsilon \} \\
 * F *
 \end{array}$$

	$E \rightarrow TE'$	$E' \rightarrow *TE'$	$E \rightarrow TE'$	$E' \rightarrow E$	$E' \rightarrow \epsilon$
E'		$E' \rightarrow *TE'$		$E' \rightarrow E$	$E' \rightarrow \epsilon$
T	$T \rightarrow FT'$		$T \rightarrow FT'$		
T'		$T' \rightarrow *E$	$T' \rightarrow *FT'$	$T' \rightarrow E$	$T' \rightarrow \epsilon$
F	$F \rightarrow iL$			$F \rightarrow *E$	

$E \rightarrow \{ \rightarrow \text{मान्यता} E' \text{ का follow वडावड रखा।}$

Define LL(1) & LR(k) parser.

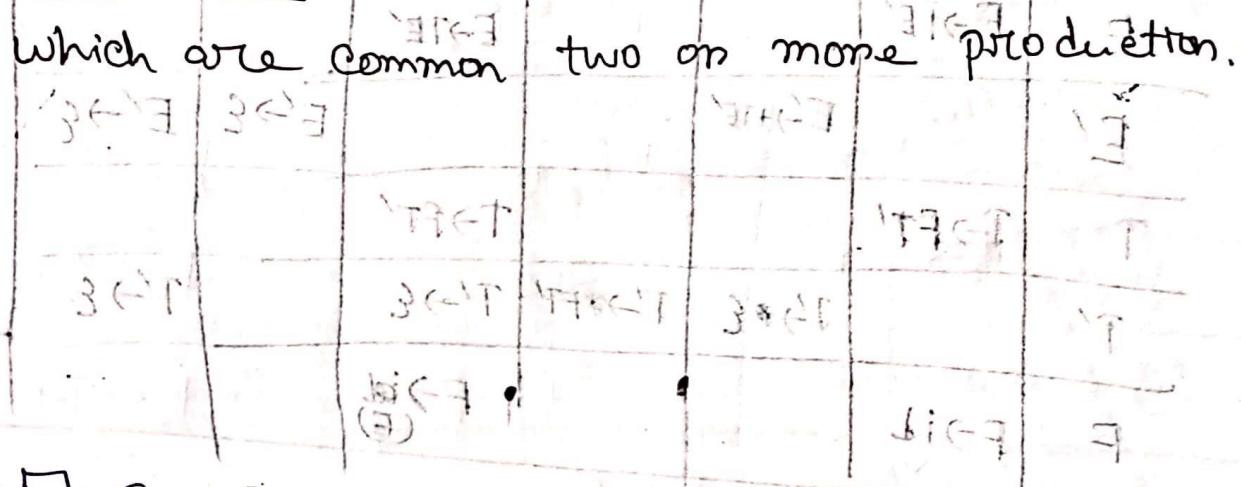
LR Parser:- A type of bottom up parsers that efficiently handle deterministic context free language in guaranteed linear time.

Left Recursion:

The production is left recursive if the leftmost symbol on the right side is the same as the non-terminal on the left side.

$$\text{En}^1 T \rightarrow A \alpha \beta$$

~~Left factoring~~:- Consist in factoring out prefix which are common to two or more production.



Top-Down parsing:-

→ An attempt to find a leftmost derivation of an input string.

→ Start from root node &

→ May need backtracking

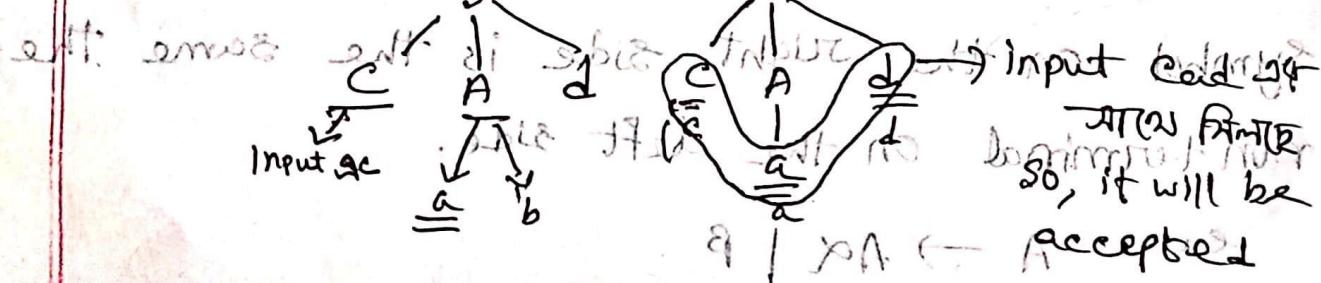
Let us consider the following grammar

$$S \rightarrow CAd$$

$$A \rightarrow abla$$

[Let input string, $w = clad$]

Identified entries avialable for S at non-terminal S



TOP-DOWN Parsing Method

~~QUESTION~~ Consider a grammar:

$$E \rightarrow TE'$$

$$E' \rightarrow +TE' \mid \epsilon$$

$$T \rightarrow FT'$$

$$T' \rightarrow *FT' \mid \epsilon$$

$$F \rightarrow id \mid (E)$$

~~QUESTION~~ Also apply LL(1) for the string (id + id) → Already done

⇒

TOP-DOWN parsing

Stack

E \$

TE' \$

FTE' \$

id TE' \$

TE' \$

~~TOP-E'~~
RPE' \$

input

id + id \$

id + id \$

id + id \$

id + id \$

+ id \$

+ id

production

E → TE'

T → FT'

F → id

~~(id)~~ → id pop

T' → FT'

F → id

Non-primitive words grammar

(Q2)

Q2) Stacks

input

production

$\epsilon E' \$$

$+ id\$$

$E' \rightarrow +TE'$

$+TE' \$$

$+ id\$$

$E' \rightarrow +TE'$

$TE' \$$

id

$E' \rightarrow +TE'$

$+TE' \$$

id

$E' \rightarrow +TE'$

$TE' \$$

$id\$$

$E' \rightarrow +TE'$

$FT'E' \$$

$id\$$

$E' \rightarrow +TE'$

$idT'E' \$$

$id\$$

$E' \rightarrow +TE'$

$T'E' \$$

$\$$

$E' \rightarrow +TE'$

$E' \$$

$\$$

$E' \rightarrow +TE'$

$b\$$

$\$$

$E' \rightarrow +TE'$

Bottom up parsing:-

→ निम्न रूप त्रैग्रन्त तात्र रूप ।

→ Right side → अंगजन

- En:-

$$E \rightarrow E + T'$$

$$E \rightarrow T$$

$$T \rightarrow T^* F$$

$$T \rightarrow F$$

$$F \rightarrow (E)$$

$$F \rightarrow \underline{id}$$

$$\text{Input} \rightarrow \underline{id} + \underline{id}$$

$$(\underline{id} + \underline{id})$$

Solution

Rules used

Right sentential form

$$E \rightarrow T \quad - - - - - \quad (E)$$

$$T \rightarrow F \quad - - - - - \quad (T)$$

$$F \rightarrow (E) \quad - - - - - \quad (F)$$

$$E \rightarrow E + T \quad - - - - - \quad (E)$$

$$E \rightarrow T \quad - - - - - \quad (E + T)$$

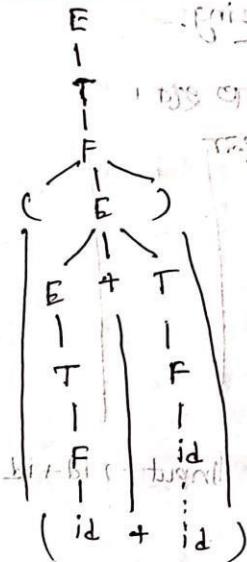
$$F \rightarrow id \quad - - - - - \quad (E + F)$$

$$E \rightarrow T \quad - - - - - \quad (E + id)$$

$$T \rightarrow F \quad - - - - - \quad (T + id)$$

~~$$E \rightarrow F \quad F \rightarrow id \quad - - - - - \quad (F + id)$$~~

$$(id + id)$$



→ Leftmost Derivation

$E \rightarrow E$
 $E \rightarrow T$
 $T \rightarrow E$
 $T \rightarrow T$
 $E \rightarrow T$
 $T \rightarrow I$
 $I \rightarrow T$
 $T \rightarrow id$
 $id \leftarrow id$

→ Leftmost Derivation

(id)
 (T)
 (E)
 $(T+E)$
 $(T+E)$
 $(I+T)$
 $(I+T)$
 $(id+id)$
 $(id+id)$

$\xrightarrow{T \leftarrow E}$
 $\xrightarrow{I \leftarrow T}$
 $\xrightarrow{(T) \leftarrow T}$
 $\xrightarrow{T \leftarrow E}$
 $\xrightarrow{id \leftarrow T}$
 $\xrightarrow{T \leftarrow I}$
 $\xrightarrow{I \leftarrow T}$
 $\xrightarrow{id \leftarrow id}$
 $\xrightarrow{id \leftarrow id}$

→ LR(0)

$E \rightarrow T+E/T$

$T \rightarrow id$

Solution:

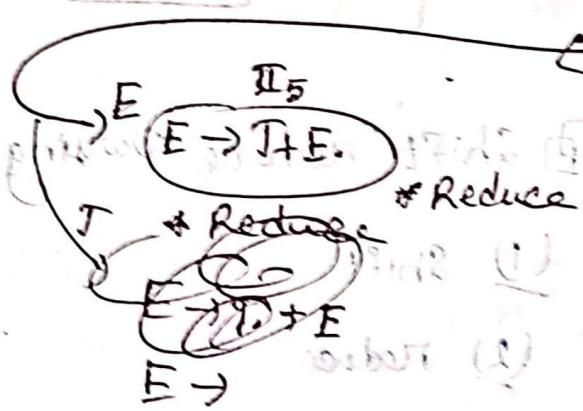
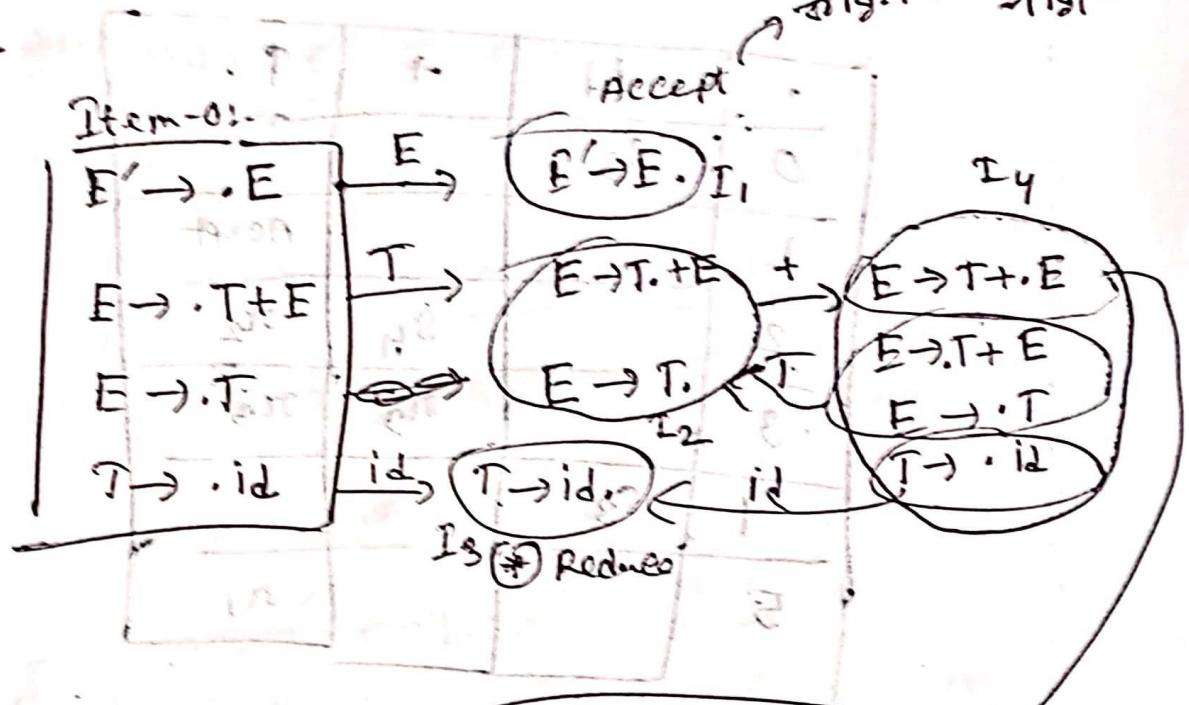
Item-0:
$E' \rightarrow .$
$E \rightarrow .T$
$E \rightarrow .T$
$T \rightarrow .$

LR(0)

$$E \rightarrow T + E/T$$

$T \rightarrow id$

Solution!



State	$\text{id} + \$$	E	F
0	s_3	1	2
1	Accept	1	2
2	π_2 <u>δ_4/π_2</u> π_2	1	2
3	π_3 π_3 π_3	1	2
4	s_3	5	2
5	π_1 π_1 π_1	5	2

Here, for
Title 2 S_4/r_2

That means
it is not
 $LR(0)$.

~~(4)~~ SLR(1) :-

Using pren en:-

#	Background	id	+	\$
0	s_3	s_3	s_3	s_3
1				Accept
2		s_4	s_4	s_4
3		s_5	s_5	s_5
4	s_3	s_3	s_3	s_3
5				r_1

~~(1)~~ Shift reduce parsing can make 4 things

(1) Shift

(2) Reduce

(3) Accept

(4) Error

& more things:

① Stack

② Input Buffer

(5) ~~2~~ conflict :-

① SLR

② RR

LR(0):

4 Br Rule:-

(1) Find augmented grammar

(2) I_0 = closure of start symbol

(3) I_0 = closure of start symbol

part-B (meth part)

is treeing \rightarrow partial definition

Syntax Directed Definition:

~~SDD = Grammar + Attribute~~

~~new rule depends also on attribute~~

$$E \rightarrow T+F$$

Theory (part A (पर्ट ए))

Shift Reduce parsing

\rightarrow process of reducing a string w to the start

symbol of a grammar

\rightarrow A particular substring matching RHS of a

~~partial~~ production rule is replaced by the symbol
on the LHS of the production.

e.g. - LR parsing

Part-B

Ques. No. 1

Date & Pg.

Synthesized Attribute

→ If its value at a parent node can be determined from attributes of its children.

Inherited Attribute - The value of an Inherited attribute is determined from the value of attributes at the sibling & parent of that node.

DAGs A directed acyclic graph for an expression identified the common subexpression in the expression.

Code Generation & its IssuesCode generation:

→ Final phase of compiler

→ Takes input an intermediate representation of the source code and produce equivalent output for that.

Answers! কীর্তন কোর্সের প্রতিটি প্রক্রিয়া

(i) Input to CG

প্রক্রিয়া কোড

(ii) Target program

(iii) Memory management

(iv) Instruction Selection

(v) Register allocation

(vi) Evolution order selection of variables

(vii) Approaches to code generation

(F) Type checks: Compiler should report an error if an error of an operator applied to an incompatible operand. This is called type checking.

[S-R, R-R, Intermediate code generator diagram, front, end, back end

Compiler]

(F) S-R Conflict: - See Shift Reduce Conflic.

Compiler কুমার পাঠেন মে Shift use RTA বাবি
Reduce use RTA। এই কুমিলি এবং হচ্ছে
সেখানে S-R Conflict বলে।

(F) R-R conflict: - Reduce - Reduce Conflict এর

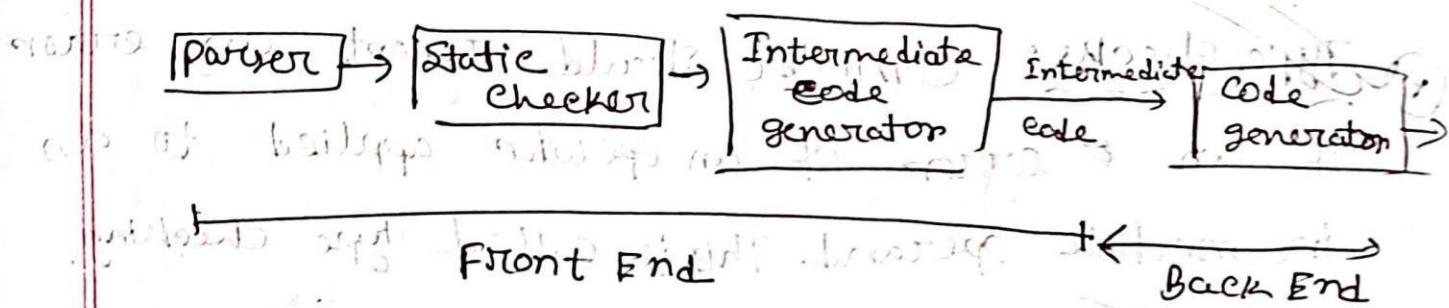
ইত্থ থেকে আছে R-R Conflict বলে। →

ଆଜା କ୍ଷେତ୍ର ଦ୍ୱାରା ପ୍ରାଚୀନ LR(0) ଏବଂ ଏକାଧିକ SLR
use କରିବାକୁ।

Q. 3 of part (b)

Q. 4 Intermediate Code Generator Diagram:

- ⇒ Easier to apply source
- ⇒ process of converting source code into an intermediate representation that is easier for compilers to analyze & optimize before generating target code.



Front End has front complete otherwise else statement

Front End :- Translates source code into an intermediate representation

Back End :- Uses representation to produce code in a computer output language.

→ Input required A → A → A → A → A

→ Input required A → A → A → A → A

Part-B (Maths)

Syntax-Directed Definition:-

SDD = Grammar + Attribute

$$E = T + F$$

$$F \rightarrow L$$

SDD: - A content free grammar along with an attribute & rule.

→ no parser

Grammar

$$L \rightarrow E$$

$$E \rightarrow E + T$$

$$T \rightarrow T \times F$$

$$F \rightarrow (E)$$

$$F \rightarrow \text{digit}$$

Semantic Rule

$$\text{L-value} \rightarrow \text{Eval-L}$$

$$\text{Eval} \rightarrow \text{Eval} \# \text{Eval}$$

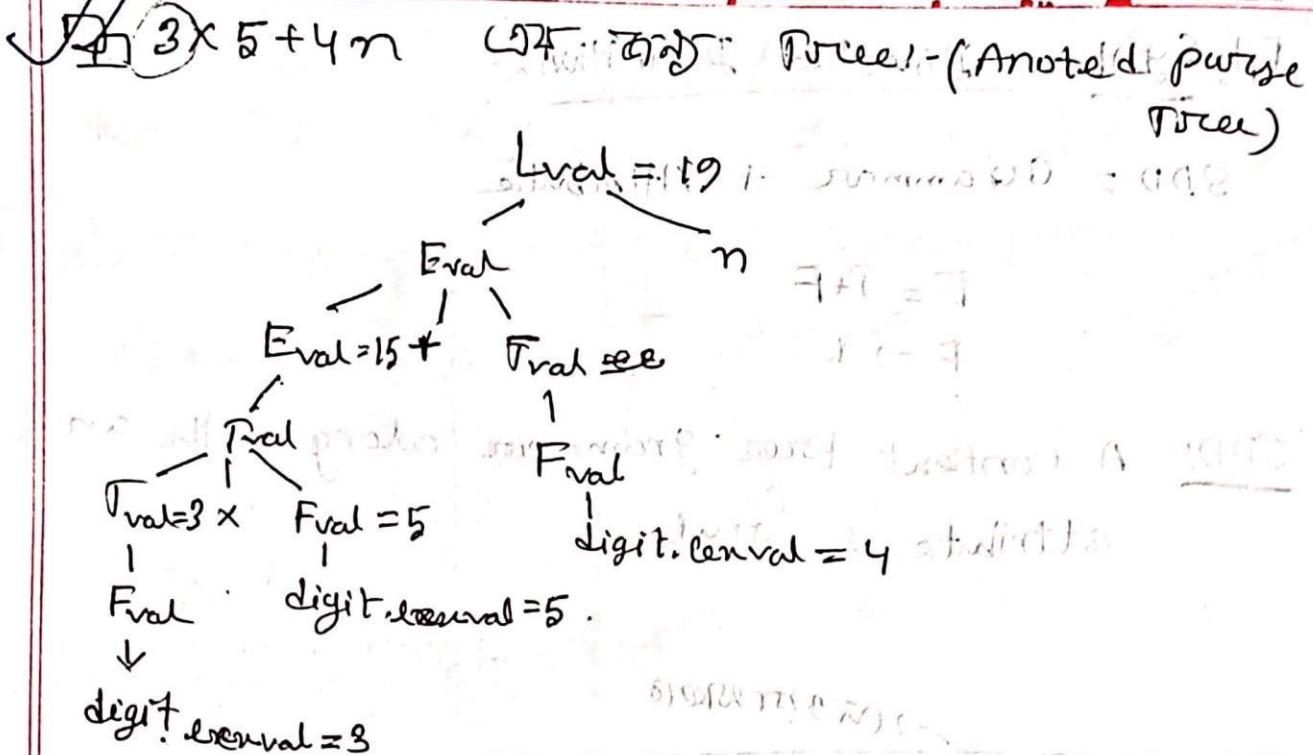
$$\text{Eval} \rightarrow \text{Eval} \times \text{Eval}$$

$$\text{Eval} \rightarrow \text{Eval}$$

$$\text{Eval} \rightarrow \text{Eval}$$

$$\text{Eval} \rightarrow \text{digit}$$

(13.03.2023) 8-100]

Construction of Syntax tree

semantic rule

1] $E \rightarrow E + T$

E.node = new node(+ ; E.node, T.node)

2] $E \rightarrow E - T$

T.node = new node(- , E.node, T.node)

3] $E \rightarrow T$

T.node = E.node

4] $T \rightarrow (E)$

T.node = E.node

5] $T \rightarrow id$

T.node = new leaf(id, id, entry)

6] $T \rightarrow num$

T.node = new leaf(num, num.val)

where num = digit * unit

④ DIFF

a - y + c make syntax tree for this starting:-

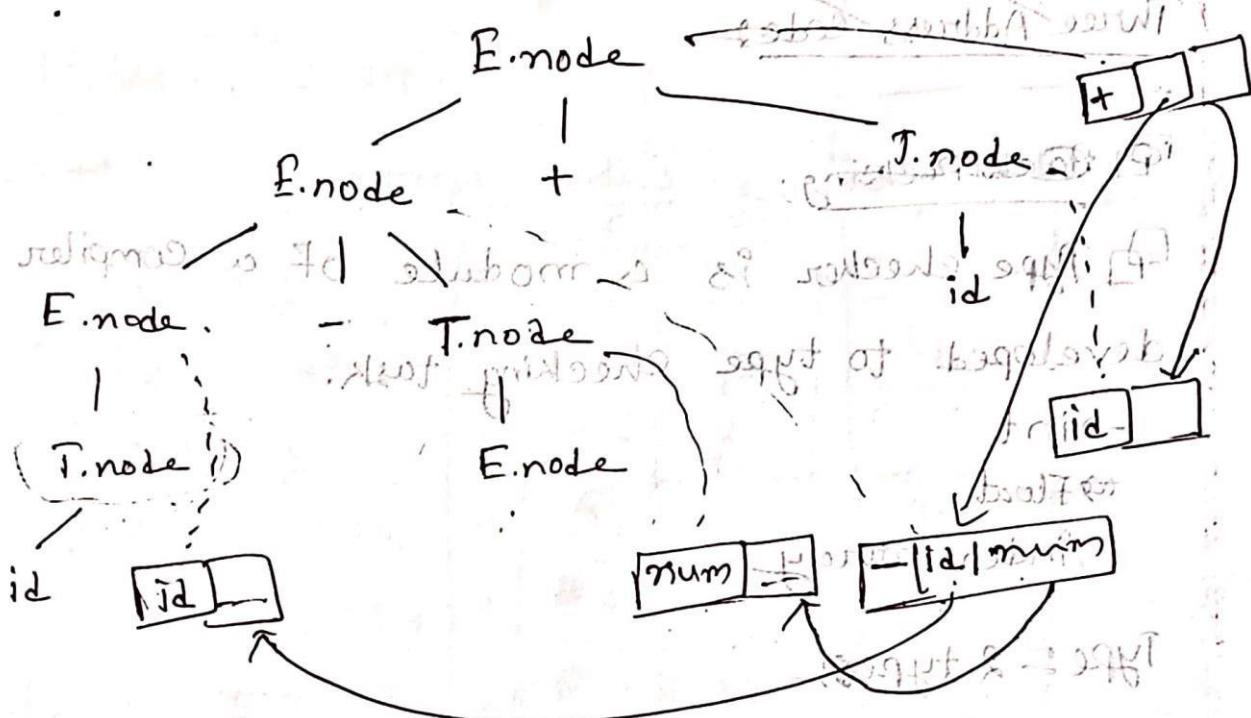


Fig: - Syntax Tree

① $P_1 = \text{new leaf } (\text{id}, \text{entry} - a)$

② $P_2 = \text{new leaf } (\text{num}, 121)$

③ $P_3 = \text{new node } ('-', P_1, P_2)$

④ $P_4 = \text{new leaf } (\text{id}, \text{entry} - c)$

⑤ $P_5 = \text{new node } ('+', P_3, P_4)$

$$\begin{aligned} & \text{if } i = 1 \text{ then } (x > [i]) \text{ false} \\ & 8 \neq 1 \Rightarrow \text{false} \\ & x > [8] \Rightarrow \text{false} \end{aligned}$$

~~Q1 Three Address Code~~

Three Address Code 2.

~~Q2 Backtracking~~

~~Q3 Type checker is a module of a compiler developed to type checking task.~~

→ int

→ float

Indirect array [m+n]

Type 2 types:-

→ static

Dynamic (n - pointer (bi) Task work = 8) ①

DATA

(p, m+n) Task work = 9 ②

~~Q4 Three Address Code 2. - 1) short work = 8 ③~~

Is built from two concept address and instruction.

do (i = p + 1; i < n; i++) t₁ = i + 1 work = 8 ③

while (a[i] < n)

t₂ = i * 8
t₃ = a[i] < n

$a = n * -y / 4 + n * +y$ Q) & Quatraples, triples, Indirect
triples (T3 T4)

=> three address code:

	(0)	(1)	Quadruple		
	arg1	arg2			result
$t_1 = -y$	0 0 -	y			t_1
$t_2 = n * t_1$	1 1 *	n	t_1		t_2
$t_3 = -y$	2 2 -	y			t_3
$t_4 = n * t_3$	3 3 *	n	t_3		t_4
$t_5 = t_2 + t_4$	4 4 +	t₂	t₄		t_5
$a = t_5$	5 5 =	t₅	t₅		a

Quadruples - Triple

OP	arg1	arg2	
0 -	y		
1 *	n	(0)	
2 -	y		
3 *	n	(3)	
4 +	t₂ (4)(1)	(3)	
5 =	t₅ a	(4)	

Indirect triples

(101 200 start 200) $K = 3, N = 6$

P¹ L² R³

100 100 000

abcd members result

101	(0)
102	(1)
103	(2)
104	(3)
105	(4)
106	(5)

④

Basic Block 2

① The first three address instruction in the intermediate code generator is a leader

② Any instruction that is the target of a conditional & unconditional jump is a leader

③ Any instruction that immediately follows a conditional or unconditional is a leader.

(0)	(1)(2)	(3)	(4)	(5)
(6)	(7)	(8)	(9)	(10)

$$B_1 \quad (4) \quad i = 1$$

$$B_2 \quad (5) \quad j = 1$$

$$B_3 \quad (6) \quad t_1 = 10 * i$$

$$(7) \quad t_2 = t_1 + j$$

$$(8) \quad t_3 = 8 * t_2$$

$$(9) \quad t_4 = t_3 - 88$$

$$(10) \quad a[t_4] = 0.0$$

$$(11) \quad j = j + 1$$

$\rightarrow (12) \text{ IF } j < 10 \text{ goto (3)}$

$$(13) \quad i = i + 1$$

$(14) \text{ IF } i < 10 \text{ goto (e) }$

$B_5 \quad (15) \quad j = j + 1 \quad \text{lowest string address}$

$$(16) \quad t_5 = i - 1 \quad \text{TC = 938 - 938 = 0}$$

$$(17) \quad t_6 = 88 * t_5$$

$$(18) \quad a[t_6] = 1.0 \quad \text{1.000000000000000}$$

$$(19) \quad i = i + 1$$

$(20) \quad (\text{IF } i < 10 \text{ goto (13)})$

the of pointer is probably 70 address of i

now we have to 70 address of t_6 which is $i - 1$

but we have to 70 address of t_5

so we have to 70 address of i

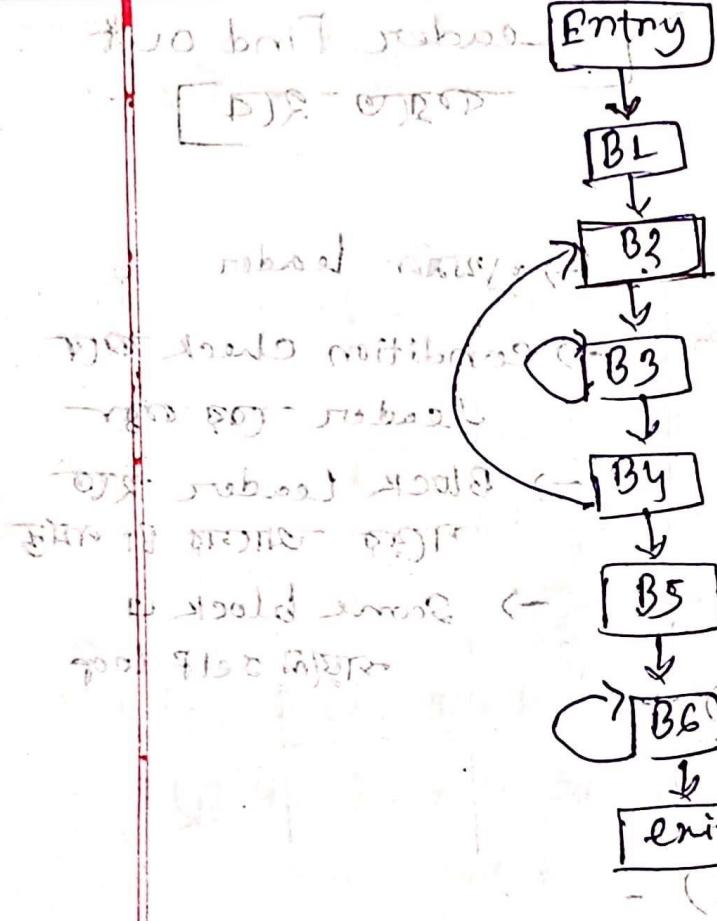
first of
be always leader

Leader Find out

বর্তমান ক্ষেত্র

প্র

Basic Block Diagram



DAG! parse tree (one step = 20)

(one step = 20) or 1

Instruction cost (Book - 8.2.6)

Shift Reduce parsing:

⇒ Process of reducing a string to the start symbol of a grammar.

string →
reduced to the starting symbol.