## EC\_P - Critical Edges

This time I will not bore you with a long and boring sentence. Give a connected graph, you must find all the edges that are critical, in other words you must find the edges which when removed divide the graph.

## Input

The first line contains a integer **NC** ( $1 \le NC \le 200$ ), the number of test cases. Then follow NC test cases.

Each case begins with two integers **N** ( $1 \le N \le 700$ ) and **M** ( $N-1 \le M \le N * (N-1) / 2$ ), the number of nodes and the number of edges respectively. Then follow M lines, each with a pair of integers **a b** ( $1 \le a$ ,  $b \le N$ ) indicate that between the node **a** and the node **b** there is a edge.

## Output

For each test case print the list of ways to protect the following format:

Caso # <n>
<t>
<t>
<x1> <y2>
<x2> <y2>
...
<xt> <yt>

Where **n** is the case number (starting from 1), **t** is the total of critical edges, list elements  $\mathbf{x_i}$   $\mathbf{y_i}$  indicates, for each line, there is a critical edge between the node  $x_i$  and node  $y_i$  ( $1 \le x_i < y_i \le N$ ). In addition, the list should be sorted in no-decreasing order first by  $\mathbf{x_i}$  and then by  $\mathbf{y_i}$ . Also  $\mathbf{x_i} < \mathbf{y_i}$  must hold.

If there isn't any critical edge print: "Sin bloqueos" (quotes for clarity).

## Example

Input:					
3	3				
5	5 4				
	. 2				
4	2				
2	. 3				
4	5				
	5 5				
	. 2				
	. 3				
	3 2				
	4				
5	5 4				
1					
	. 3				
	. 4				
	1 1				
	2				
	- 2				
	4-3				
Output:					

```
Caso #1
4
1 2
2 3
2 4
4 5
Caso #2
2
3 4
4 5
Caso #3
Sin bloqueos
```