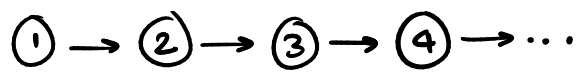


Recap: Trees.

Linked List:

```
class Node {
    int data;
    Node next;
}
```

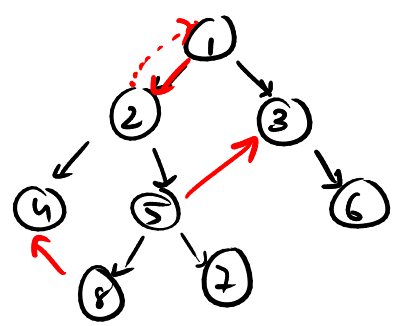


Linear structure.

Trees

```
class Node {
    int data;
    Node left, right;
}
```

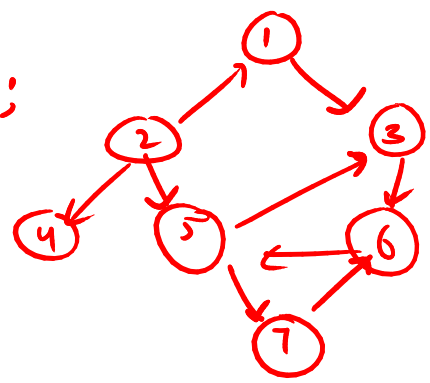
non-linear ds.



More generic

```
class Node {
    int data;
    Node neighbors[];
}
```

Graph.



Graph = Nodes + Edges.

CS math \rightarrow vertices.

Terminology: nodes edges.

Eg. 'Google'

Why graphs: 'making of a graph' *

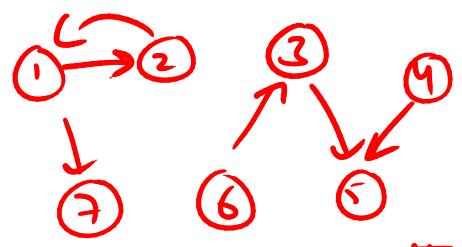
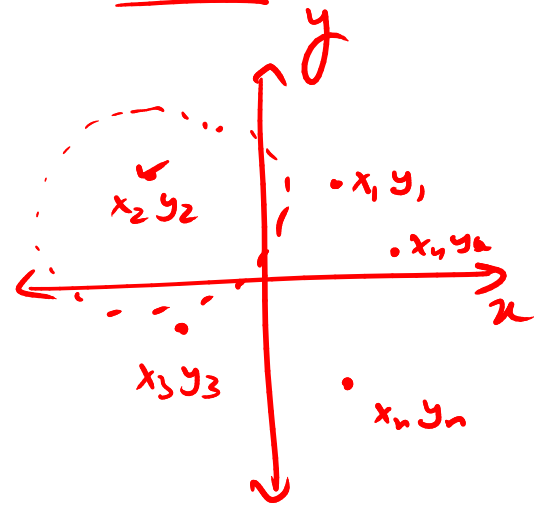
Graph.

N nodes.

N bombs &

x_i, y_i, r_i

chain reaction



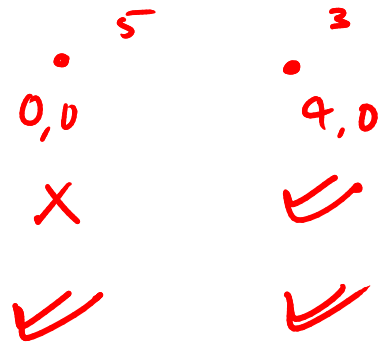
≠

DFS \rightarrow components

min no. of bombs that I detonate
all bombs are detonated.

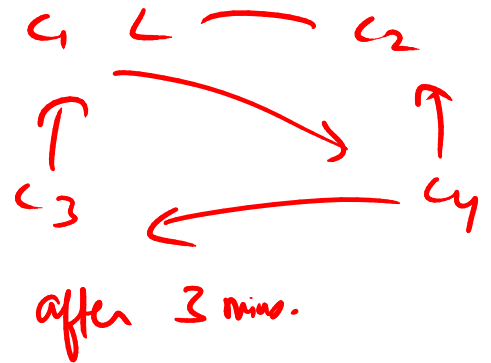
Graphs are everywhere !

Social media } static
transportation network }
dynamic graphs



Skyscanner

N cities



m-indicator (college startup)

Types of graphs. (the way we structure our theory)

graph = edge + nodes.

(int)

DB

primary key/index

data

uuid

int_id

↓ weights ↓ directions

→ No weights (unweighted) → unidirectional / directed
→ weights (weighted) → bidirectional / undirected

Time

Type of graphs (4)
→ unweighted bidirectional
→ unweighted unidirectional
→ weighted bidirectional
→ weighted unidirectional

Bold claim.

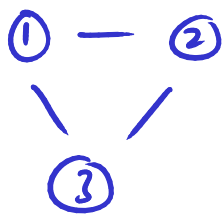
80%

① BFS and DFS → unweighted. (shortest path, connectivity) *

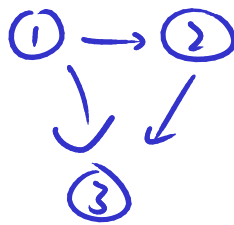
② MST → weighted bidirectional. (trees and graphs) 15% *

③ Dijkstra → BF $O(n^2)$ weighted (shortest path, connectivity) } 5%
all source all dest. $O(n^2)$ Floyd Warshall

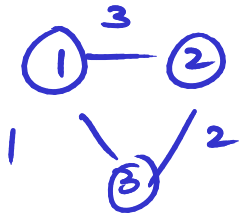
④ Flows → weighted



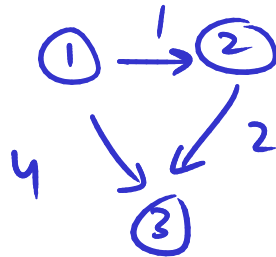
undirected unweighted



directed unweighted



undirected weighted



directed weighted.

How to represent?

BT BST → tree

Heap → array

Graph → ?

Representation of Graph.

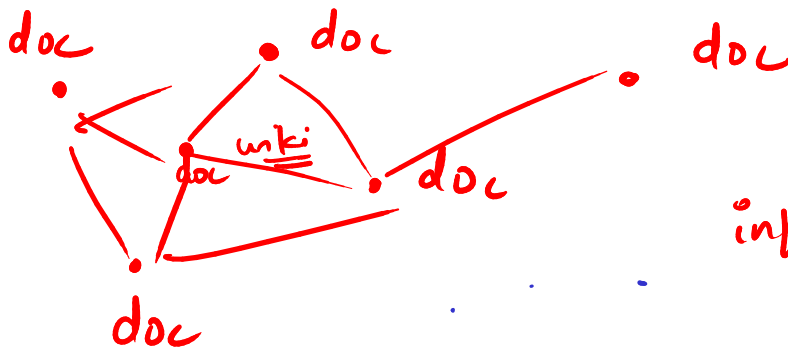
DOP

```
class Node:
    int data
    Node[] neighbours
```

Crawling on web ⇒ all data related to Maths.

OR

* vector <vector<int>>



infinite graph

Search ?

Best ?

A*

Meta heuristics

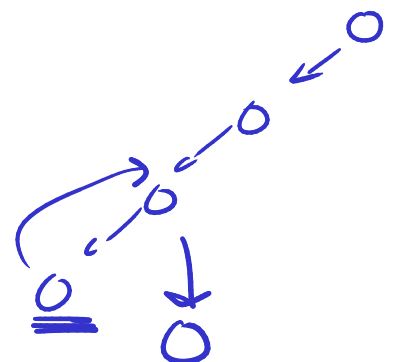
3 layers

4th layer → can't do

dfs + BFS

60% BFS → deeper 40% DFS

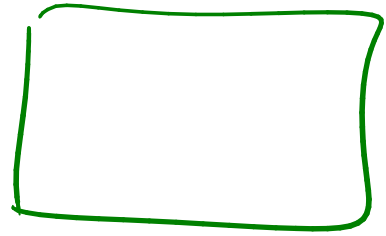
?? no end DFT BFS



chess

Position

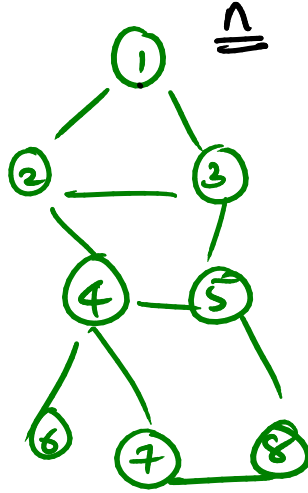
middle game



2 ways: Adjacency matrix

→ to →

| ↓ | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | ↓ |
|---|---|---|---|---|---|---|---|---|---|
| 1 | 0 | 1 | 1 | 0 | 0 | 0 | 0 | 0 | |
| 2 | 1 | 0 | 1 | 1 | 0 | 0 | 0 | 0 | |
| 3 | 1 | | 0 | 0 | 1 | 0 | 0 | 0 | |
| 4 | 0 | | | 0 | 1 | 1 | 1 | 0 | |
| 5 | 0 | | | | 0 | 0 | 0 | 1 | |
| 6 | 0 | | | | | 0 | 0 | 0 | |
| 7 | 0 | | | | | | 0 | 1 | |
| 8 | 0 | | | | | | | 0 | |



Adjacency list.

| | | | | |
|---|---|---|---|---|
| 1 | 2 | 3 | | |
| 2 | 1 | 3 | 4 | |
| 3 | 1 | 2 | 5 | |
| 4 | 2 | 5 | 6 | 7 |
| 5 | 3 | 4 | 8 | |
| 6 | 4 | | | |
| 7 | 4 | 8 | | |
| 8 | 5 | 7 | | |

fav
of
companies

$O(E)$

from
~~sym~~
matrix

$g[u][v] = 1 \quad g[v][u] = 1$
dense $O(n^2)$ space

} { \rightarrow $g[u].push_back(v)$
 $g[v].push_back(u)$

majority \rightarrow sparse

900M insta users
not everyone follows
everyone else.
==