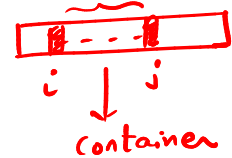


Recap: 2 problems leetcode → sliding window technique



Binary search:

set container      map container

median of 2 sorted arrays

↳ complicated approach.



$m+n \Rightarrow \text{odd}$

$$\text{median} = \max(a[p-a], b[p-b])$$

$m+n \Rightarrow \text{even}$

~~int~~ float  $\text{median} = \left[ \max(a[p-a], b[p-b]) + \min(a[p-a+1], b[p-b+1]) \right] \div 2.0$

$p-a$  is correct:

(a) ✓      (b) ✓

$$\left. \begin{array}{l} \text{(a)} \quad a[p-a] < b[p-b+1] \\ \text{(b)} \quad b[p-b] < a[p-a+1] \end{array} \right\} \Rightarrow ?$$

$p-a$  is overestimating. ← high =  $p-a$

(a) ✗      (b) ✓

low = 0

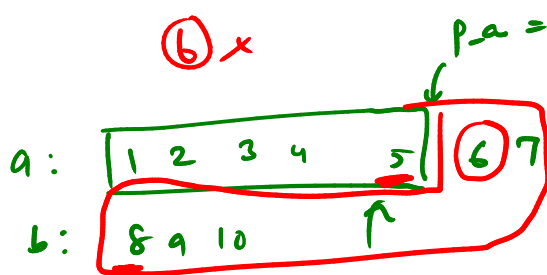
high =  $m-1$

$p-a$  is underestimated ← low =  $p-a$

(a) ✓      (b) ✗

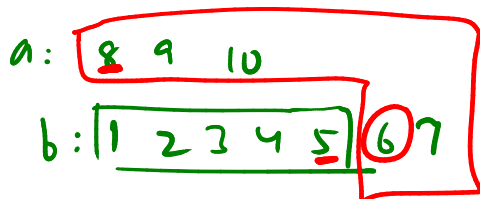
$$p-a = \frac{\text{low} + \text{high}}{2}$$

Corner Case:



1 2 3 4 5 6 7 8 9 10

5.5



Containers.

Abstract Data Type.

specific use case

① set.

$an = [...n...]$

push all elements in the set.

only unique element

Remove duplicates in  $O(1)$

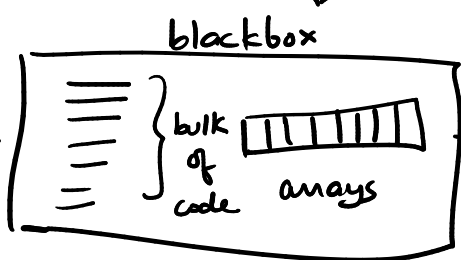
SET.

no. of unique element

$O(m \cdot n)$

[seq. duplicates]

i/p



[Seq. unique]

$O(n)$

BF (without set):

linear search

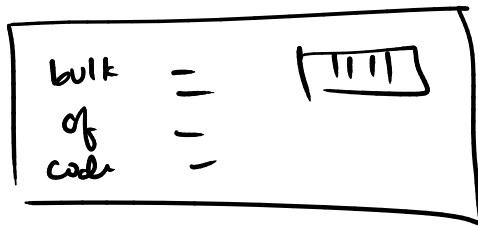
unique  $an = [ ]$

$an = [ \text{---} \text{---} \text{---} ]$

② map.

C++

$n$  elements  
i/p



keys has to be unique

Counter

$u_1 : b_1$   
 $u_2 : b_2$   
 $u_3 : b_3$

MAP

$O(n) \rightarrow$  Counter/Map

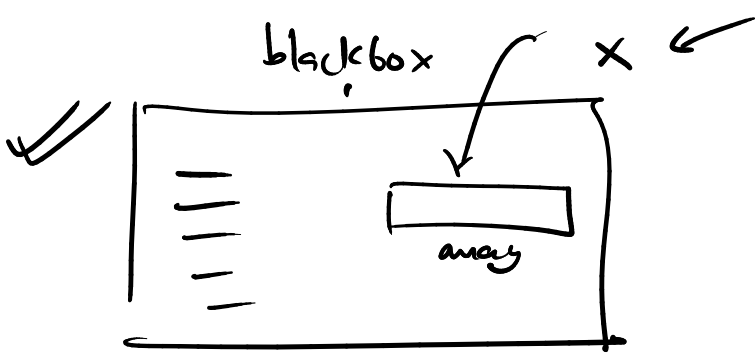
Frequency count  $\rightarrow$   $O(1)$

Conclusion:

Black boxes have some specific use case for which they are powerful  $\rightarrow$  which arrays cannot do generally in same time complexity.

How?

You sacrifice something, to gain something!



$an[i] \rightarrow O(1)$   
array  
X

loop on array

for (int i = 0 ; i < n ; i++) ← for loop  
while (i < n): ...

containers collections:

for (auto x : container) ← for each loop  
x

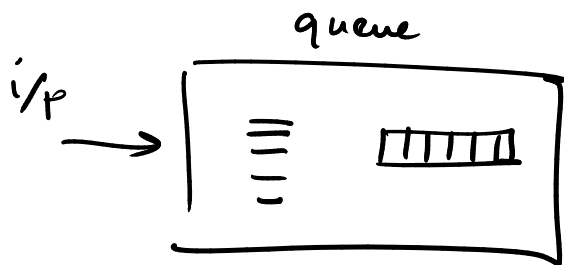
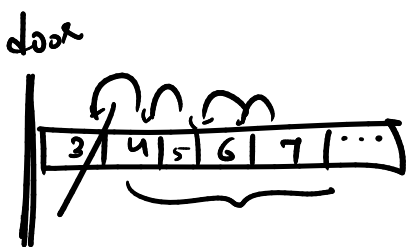
FCFS

③ Queue.

3 4 5 6 7

3 ops:  $O(1)$

1. add element from the back.
2. What's the first element you inserted? What element should I serve?



$O(n)$  array

3. Remove that first element in  $O(1)$ .  
array x

front  $\leftarrow a[i]$

Remove the 1st element

4      8      2      3

$a[i] \times$

LCFS

1 2 3

$am[n-1]$

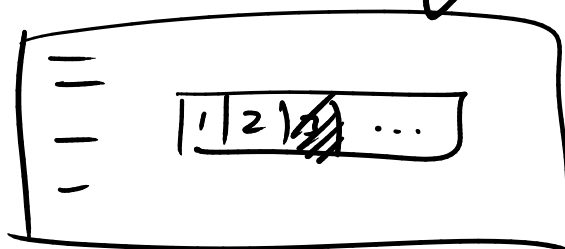
3 ops.  $O(1)$

④ stack

array is dynamic



amortization



blackbox



- ① Add element from the back
- ② Tell me the last element.
- ③ Remove last element.

Computer  
scientists.

FIFO : first in  
first out

LIFO last in  
first out

fact:

stack  
C++ Java  
queue

stack x

Python  $\Rightarrow$  use lists  
deque

Remove an  
element  
from  
queue  $\rightarrow$  enqueue  
dequeue  
deque

$\rightarrow$  doubly ended  
queue

