

FINTECH 540 - Machine Learning for Fintech

Fall Semester 2023

Third Lecture

Basics Concepts for Machine Learning



Considering the content of Deep Learning - Chapter 5, which of the following statements is true regarding the relationship between deep learning and machine learning?

- A) Deep learning is a subset of machine learning that emphasizes using neural networks.
- B) Deep learning and machine learning are interchangeable terms with no distinct differences.
- C) Machine learning is a subset of deep learning focused on statistical analysis.
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Correct Answer: A

Considering Mitchell's definition of machine learning, which of the following scenarios best illustrates a computer program learning according to the criteria of experience (E), tasks (T), and performance measure (P)?

- A) A program improves its chess-playing skills (T) by playing more games (E) and increasing its win rate (P).
- B) A weather forecasting program improves its prediction accuracy (P) over time by analyzing more climate data (E) and refining its prediction algorithms for weather forecasting (T).
- C) A data sorting program (T) that consistently sorts data accurately, but does not improve its sorting speed (P) over time (E).
- D) A program designed to identify fraudulent transactions (T) but only improves its performance based on increased computational power, not experience (E).

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Correct Answers: A, B

What is the role of the data generating process in machine learning?

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Correct Answer: B

What do the readings suggest about the capacity of a machine learning model?

- A) It should be chosen to avoid both underfitting and overfitting
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Correct Answer: A

Today we will deal with various steps to come up with a machine learning model

- ▶ **Training** a model.
- ▶ **Underfitting-Overfitting** of a model.
- ▶ **Bias-Variance** tradeoff.

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Hence, the training procedure differs depending on the machine learning paradigm, i.e., the kind of dataset experienced.

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The **training process** is all about finding the best set of θ for the model.

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The model does not use the data points included in the test set → a good performance on this set of examples, i.e., a low test error, signals a **good generalization**.

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To summarize: *an ML algorithm aims to reduce the training error while minimizing the test and training error gap.*

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One way to control the **overfitting-underfitting** tradeoff is to change the model capacity, i.e., the possibility to choose the function to represent the model and to fit the data from a broad set of functions. In simple terms, it is the **expressiveness** of a model.

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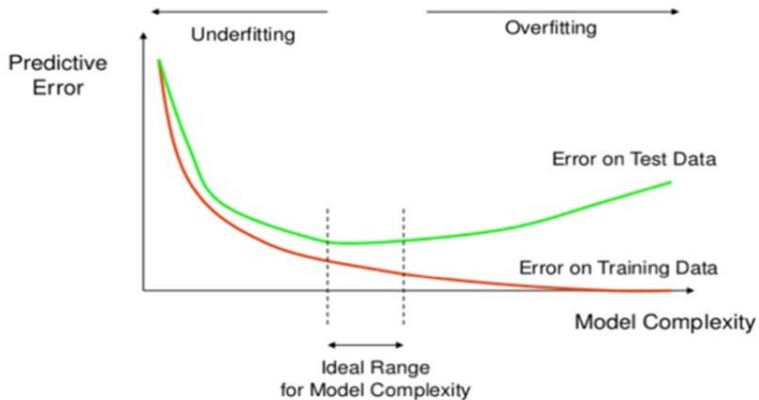
Therefore, a linear model with one parameter has less expressiveness than a linear model with two parameters. A larger number of parameters implies a **more extensive hypothesis** space \rightarrow , a more expressive way to represent the function of the data.

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We will see how this applies to more complex algorithms, such as regression trees and neural networks.



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How do we evaluate the goodness of an estimator?

We should look at two important properties: **bias** and **variance**.

- The bias for an estimator $\hat{\theta}_N$ is defined as:

$$\text{Bias}(f(\mathbf{x}; \hat{\theta})) = \mathbb{E}(f(\mathbf{x}; \hat{\theta})) - f(\mathbf{x}; \theta)$$

where the expectation is computed over the set of training samples of length M .

An estimator is **unbiased** if $\mathbb{E}(f(\mathbf{x}; \hat{\theta})) = f(\mathbf{x}; \theta)$ or **asymptotically unbiased** if $\lim_{M \rightarrow \infty} \mathbb{E}[f(\mathbf{x}; \hat{\theta})] = f(\mathbf{x}; \theta)$.

The bias reflects how well the estimator approximates the actual value on average.

- ▶ The variance of an estimator is simply the variance of the estimated function

$$\text{Var}(f(\mathbf{x}; \hat{\theta})) = \mathbb{E} \left[(f(\mathbf{x}; \hat{\theta}) - \mathbb{E}[f(\mathbf{x}; \theta)])^2 \right]$$

The variance measures how much one would expect the estimator to vary if one computes it over another sample of the data from the same DGP.

Since the number of data is finite, the variance measures how much one would expect the estimate to vary when independently sampling the dataset multiple times from the same DGP.

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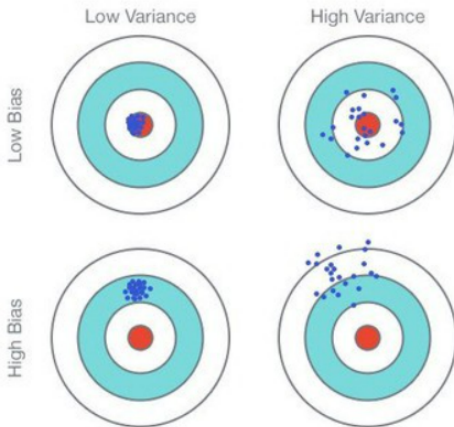
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Low bias and low variance are not always achievable.

Bias-Variance tradeoff.

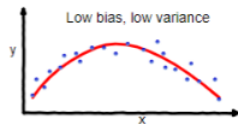
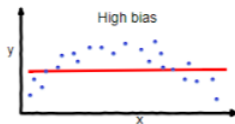
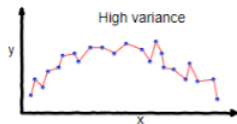


Source: Understanding Bias Variance tradeoff

One can show that in estimating $f(\mathbf{x}; \hat{\theta})$, the expected mean square error (MSE) on the test set is

$$\mathbb{E}[f(\mathbf{x}; \hat{\theta}) - y]^2 = \text{Var}(f(\mathbf{x}; \hat{\theta})) + [\text{Bias}(f(\mathbf{x}; \hat{\theta}))]^2$$

In general, a model with **many parameters** can obtain estimates with lower bias and high variance. **Could you tell why?**



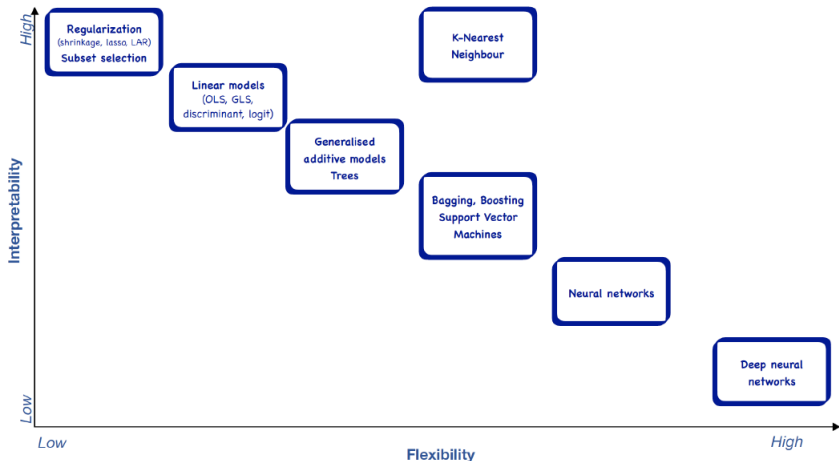
The first case shows a lack of generalization, the second offers a lack of fitting. The challenge in ML is to keep both measures low.

When trading off bias for variance, an aspect to consider is the interpretability of the **machine learning** model.

Being able to **explain** a model is crucial, even more in finance. Look at this hedge fund story.

There are specific frameworks to interpret even complex machine learning models. We are going to use them during the coming classes.

Remember that *the best model is not always the complex one*. Sometimes simple is better.



Do you know the difference between linear regression and machine learning regression?

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Questions? Comments?