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# 1 OMNIType Theory

**Built:** 02 July 2017

Parent Theories: indexedLists, patternMatches

### 1.1 Datatypes

```
command = ESCc escCommand | SLc 'slCommand
escCommand = returnToBase | changeMission | resupply
               | reactToContact
escOutput = ReturnToBase | ChangeMission | Resupply
             | ReactToContact
escState = RTB | CM | RESUPPLY | RTC
output = ESCo escOutput | SLo 'slOutput
principal = SR 'stateRole
state = ESCs escState | SLs 'slState
1.2
       Theorems
[command_distinct_clauses]
 \vdash \ \forall \ a' \ a. ESCc a \neq \operatorname{SLc} \ a'
[command_one_one]
 \vdash (\forall a \ a'. (ESCc a = ESCc \ a') \iff (a = a')) \land
    \forall a \ a'. (SLc a = SLc \ a') \iff (a = a')
[escCommand_distinct_clauses]
 \vdash returnToBase \neq changeMission \land returnToBase \neq resupply \land
    returnToBase \neq reactToContact \land changeMission \neq resupply \land
    \texttt{changeMission} \neq \texttt{reactToContact} \ \land \ \texttt{resupply} \neq \texttt{reactToContact}
[escOutput_distinct_clauses]
 \vdash ReturnToBase \neq ChangeMission \land ReturnToBase \neq Resupply \land
    \texttt{ReturnToBase} \neq \texttt{ReactToContact} \ \land \ \texttt{ChangeMission} \neq \texttt{Resupply} \ \land
    \texttt{ChangeMission} \neq \texttt{ReactToContact} \ \land \ \texttt{Resupply} \neq \texttt{ReactToContact}
[escState_distinct_clauses]
 \vdash RTB \neq CM \land RTB \neq RESUPPLY \land RTB \neq RTC \land CM \neq RESUPPLY \land
    \mathtt{CM} \neq \mathtt{RTC} \land \mathtt{RESUPPLY} \neq \mathtt{RTC}
```

```
[output_distinct_clauses]
 \vdash \ \forall \ a' \ a. ESCo a \neq \ SLo a'
[output_one_one]
 \vdash (\forall a \ a'. (ESCo a = ESCo \ a') \iff (a = a')) \land
    \forall a \ a'. (SLo a = \text{SLo } a') \iff (a = a')
[principal_one_one]
 \vdash \ \forall \ a \ a'. (SR a = SR a') \iff (a = a')
[state_distinct_clauses]
 \vdash \forall a' \ a. ESCs a \neq \text{SLs} \ a'
[state_one_one]
 \vdash (\forall a \ a'). (ESCs a = ESCs \ a') \iff (a = a')
    \forall a \ a'. (SLs a = SLs \ a') \iff (a = a')
2
     ssmPB Theory
Built: 02 July 2017
Parent Theories: PBType, ssm11, OMNIType
2.1
      Definitions
[secContext_def]
 \vdash \forall slCommand.
      secContext slCommand =
      [Name PlatoonLeader controls prop (SOME (SLc slCommand))]
ssmPBStateInterp_def
 \vdash \ \forall \, state. ssmPBStateInterp state = TT
2.2
      Theorems
[authenticationTest_cmd_reject_lemma]
 \vdash \ \forall \ cmd. ¬authenticationTest (prop (SOME cmd))
[authenticationTest_def]
 \vdash (authenticationTest (Name PlatoonLeader says prop cmd) \iff
     T) \land (authenticationTest TT \iff F) \land
    (authenticationTest FF \iff F) \land
    (authenticationTest (prop v) \iff F) \land
    (authenticationTest (notf v_1) \iff F) \land
    (authenticationTest (v_2 andf v_3) \iff F) \wedge
    (authenticationTest (v_4 orf v_5) \iff F) \land
```

Theorems SSMPB THEORY

```
(authenticationTest (v_6 impf v_7) \iff F) \land
     (authenticationTest (v_8 eqf v_9) \iff F) \land
     (authenticationTest (v_{10} says TT) \iff F) \wedge
      (authenticationTest (v_{10} says FF) \iff F) \wedge
      (authenticationTest (v133 meet v134 says prop v_{66}) \iff F) \land
     (authenticationTest (v135 quoting v136 says prop v_{66}) \iff F) \land
     (authenticationTest (v_{10} says notf v_{67}) \iff F) \wedge
     (authenticationTest (v_{10} says (v_{68} andf v_{69})) \iff F) \land
     (authenticationTest (v_{10} \text{ says } (v_{70} \text{ orf } v_{71})) \iff F) \land
     (authenticationTest (v_{10} says (v_{72} impf v_{73})) \iff F) \wedge
      (authenticationTest (v_{10} says (v_{74} eqf v_{75})) \iff F) \wedge
      (authenticationTest (v_{10} says v_{76} says v_{77}) \iff F) \land
      (authenticationTest (v_{10} says v_{78} speaks_for v_{79}) \iff F) \wedge
     (authenticationTest (v_{10} says v_{80} controls v_{81}) \iff F) \wedge
     (authenticationTest (v_{10} says reps v_{82} v_{83} v_{84}) \iff F) \wedge
     (authenticationTest (v_{10} says v_{85} domi v_{86}) \iff F) \land
      (authenticationTest (v_{10} says v_{87} eqi v_{88}) \iff F) \wedge
      (authenticationTest (v_{10} says v_{89} doms v_{90}) \iff F) \wedge
      (authenticationTest (v_{10} says v_{91} eqs v_{92}) \iff F) \wedge
      (authenticationTest (v_{10} says v_{93} eqn v_{94}) \iff F) \wedge
      (authenticationTest (v_{10} says v_{95} lte v_{96}) \iff F) \wedge
     (authenticationTest (v_{10} says v_{97} lt v_{98}) \iff F) \wedge
     (authenticationTest (v_{12} speaks_for v_{13}) \iff F) \wedge
     (authenticationTest (v_{14} controls v_{15}) \iff F) \land
     (authenticationTest (reps v_{16} v_{17} v_{18}) \iff F) \wedge
      (authenticationTest (v_{19} domi v_{20}) \iff F) \wedge
      (authenticationTest (v_{21} eqi v_{22}) \iff F) \land
      (authenticationTest (v_{23} doms v_{24}) \iff F) \wedge
     (authenticationTest (v_{25} eqs v_{26}) \iff F) \land
     (authenticationTest (v_{27} eqn v_{28}) \iff F) \land
     (authenticationTest (v_{29} lte v_{30}) \iff F) \land
      (authenticationTest (v_{31} lt v_{32}) \iff F)
[authenticationTest_ind]
  \vdash \forall P.
        (\forall \, cmd \, . \, P \, \, (\texttt{Name PlatoonLeader says prop} \, \, cmd)) \, \wedge \, P \, \, \texttt{TT} \, \, \wedge \,
        P \text{ FF } \wedge (\forall v. P \text{ (prop } v)) \wedge (\forall v_1. P \text{ (notf } v_1)) \wedge
        (\forall v_2 \ v_3. \ P \ (v_2 \ \text{andf} \ v_3)) \ \land \ (\forall v_4 \ v_5. \ P \ (v_4 \ \text{orf} \ v_5)) \ \land
        (\forall v_6 \ v_7. \ P \ (v_6 \ \text{impf} \ v_7)) \ \land \ (\forall v_8 \ v_9. \ P \ (v_8 \ \text{eqf} \ v_9)) \ \land
        (\forall v_{10}. \ P \ (v_{10} \ \text{says TT})) \ \land \ (\forall v_{10}. \ P \ (v_{10} \ \text{says FF})) \ \land
        (\forall v133 \ v134 \ v_{66}. \ P \ (v133 \ \text{meet} \ v134 \ \text{says prop} \ v_{66})) \land
        (\forall v135 \ v136 \ v_{66}. \ P \ (v135 \ \text{quoting} \ v136 \ \text{says prop} \ v_{66})) \ \land
        (\forall v_{10} \ v_{67}. \ P \ (v_{10} \ \text{says notf} \ v_{67})) \land
        (\forall v_{10} \ v_{68} \ v_{69}. \ P \ (v_{10} \ \text{says} \ (v_{68} \ \text{andf} \ v_{69}))) \ \land
        (\forall v_{10} \ v_{70} \ v_{71}. \ P \ (v_{10} \ \text{says} \ (v_{70} \ \text{orf} \ v_{71}))) \ \land
        (\forall v_{10} \ v_{72} \ v_{73}. \ P \ (v_{10} \ {\tt says} \ (v_{72} \ {\tt impf} \ v_{73}))) \ \land
        (\forall v_{10} \ v_{74} \ v_{75}. \ P \ (v_{10} \ \text{says} \ (v_{74} \ \text{eqf} \ v_{75}))) \land
        (\forall v_{10} \ v_{76} \ v_{77}. \ P \ (v_{10} \ \text{says} \ v_{76} \ \text{says} \ v_{77})) \land
        (\forall v_{10} \ v_{78} \ v_{79}. \ P \ (v_{10} \ \text{says} \ v_{78} \ \text{speaks\_for} \ v_{79})) \ \land
```

SSMPB THEORY Theorems

```
(\forall \, v_{10} \ v_{80} \ v_{81}. P (v_{10} says v_{80} controls v_{81})) \wedge
        (\forall \, v_{10} \ v_{82} \ v_{83} \ v_{84}. P (v_{10} says reps v_{82} \ v_{83} \ v_{84})) \wedge
        (\forall v_{10} v_{85} v_{86}. P (v_{10} says v_{85} domi v_{86})) \wedge
        (\forall v_{10} \ v_{87} \ v_{88}. P (v_{10} says v_{87} eqi v_{88})) \wedge
        (\forall \, v_{10} \ v_{89} \ v_{90} . P (v_{10} says v_{89} doms v_{90})) \wedge
        (\forall v_{10} \ v_{91} \ v_{92}. P (v_{10} says v_{91} eqs v_{92})) \land
        (\forall v_{10} \ v_{93} \ v_{94}. \ P \ (v_{10} \ \text{says} \ v_{93} \ \text{eqn} \ v_{94})) \ \land
        (\forall v_{10} \ v_{95} \ v_{96}. \ P \ (v_{10} \ \text{says} \ v_{95} \ \text{lte} \ v_{96})) \ \land
        (\forall v_{10} \ v_{97} \ v_{98}. \ P \ (v_{10} \ \text{says} \ v_{97} \ \text{lt} \ v_{98})) \land
        (\forall v_{12} \ v_{13}. \ P \ (v_{12} \ \text{speaks\_for} \ v_{13})) \ \land
        (\forall v_{14} \ v_{15}. P (v_{14} controls v_{15})) \land
        (\forall v_{16} v_{17} v_{18}. P (reps v_{16} v_{17} v_{18})) \wedge
        (\forall v_{19} \ v_{20}. \ P \ (v_{19} \ \text{domi} \ v_{20})) \ \land
        (\forall v_{21} \ v_{22}. \ P \ (v_{21} \ \text{eqi} \ v_{22})) \ \land
        (\forall v_{23} \ v_{24}. \ P \ (v_{23} \ \text{doms} \ v_{24})) \ \land
        (\forall v_{25} \ v_{26}. \ P \ (v_{25} \ \text{eqs} \ v_{26})) \land (\forall v_{27} \ v_{28}. \ P \ (v_{27} \ \text{eqn} \ v_{28})) \land
        (\forall v_{29} \ v_{30}. \ P \ (v_{29} \ \text{lte} \ v_{30})) \ \land \ (\forall v_{31} \ v_{32}. \ P \ (v_{31} \ \text{lt} \ v_{32})) \ \Rightarrow
       \forall v. P v
[authenticationTest_TT_reject_lemma]
 \vdash ¬authenticationTest TT
[PBNS_def]
 ⊢ (PBNS PLAN_PB (exec (SLc crossLD)) = MOVE_TO_ORP) ∧
     (PBNS PLAN_PB (exec (SLc incomplete)) = PLAN_PB) \(\lambda\)
     (PBNS MOVE_TO_ORP (exec (SLc conductORP)) = CONDUCT_ORP) \(\lambda\)
     (PBNS MOVE_TO_ORP (exec (SLc incomplete)) = MOVE_TO_ORP) \(\lambda\)
     (PBNS CONDUCT_ORP (exec (SLc moveToPB)) = MOVE_TO_PB) \(\lambda\)
     (PBNS CONDUCT_ORP (exec (SLc incomplete)) = CONDUCT_ORP) \(\lambda\)
     (PBNS MOVE_TO_PB (exec (SLc conductPB)) = CONDUCT_PB) \(\lambda\)
     (PBNS MOVE_TO_PB (exec (SLc incomplete)) = MOVE_TO_PB) \(\lambda\)
     (PBNS CONDUCT_PB (exec (SLc completePB)) = COMPLETE_PB) \(\lambda\)
     (PBNS CONDUCT_PB (exec (SLc incomplete)) = CONDUCT_PB) \land
     (PBNS PLAN_PB (trap (SLc crossLD)) = PLAN_PB) \(\lambda\)
     (PBNS PLAN_PB (trap (SLc incomplete)) = PLAN_PB) \(\lambda\)
     (PBNS MOVE_TO_ORP (trap (SLc moveToORP)) = MOVE_TO_ORP) \land
     (PBNS CONDUCT_ORP (trap (SLc moveToPB)) = CONDUCT_ORP) \(\lambda\)
     (PBNS CONDUCT_ORP (trap (SLc incomplete)) = CONDUCT_ORP) \(\lambda\)
     (PBNS MOVE_TO_PB (trap (SLc conductPB)) = MOVE_TO_PB) \(\lambda\)
     (PBNS MOVE_TO_PB (trap (SLc incomplete)) = MOVE_TO_PB) \(\lambda\)
     (PBNS CONDUCT_PB (trap (SLc completePB)) = CONDUCT_PB) ∧
     (PBNS CONDUCT_PB (trap (SLc incomplete)) = CONDUCT_PB) \land
     (PBNS PLAN_PB (discard (SLc crossLD)) = PLAN_PB) \(\lambda\)
     (PBNS MOVE_TO_ORP (discard (SLc moveToORP)) = MOVE_TO_ORP) \land
     (PBNS CONDUCT_ORP (discard (SLc moveToPB)) = CONDUCT_ORP) \(\lambda\)
     (PBNS MOVE_TO_PB (discard (SLc conductPB)) = MOVE_TO_PB) \(\lambda\)
     (PBNS CONDUCT_PB (discard (SLc completePB)) = CONDUCT_PB)
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Theorems SSMPB THEORY

```
[PBNS_ind]
 \vdash \forall P.
      P PLAN_PB (exec (SLc crossLD)) \wedge
      P PLAN_PB (exec (SLc incomplete)) \wedge
      P MOVE_TO_ORP (exec (SLc conductORP)) \wedge
      P MOVE_TO_ORP (exec (SLc incomplete)) \wedge
      P CONDUCT_ORP (exec (SLc moveToPB)) \wedge
      P CONDUCT_ORP (exec (SLc incomplete)) \wedge
      P MOVE_TO_PB (exec (SLc conductPB)) \wedge
      P MOVE_TO_PB (exec (SLc incomplete)) \wedge
      P CONDUCT_PB (exec (SLc completePB)) \wedge
      P CONDUCT_PB (exec (SLc incomplete)) \wedge
      P PLAN_PB (trap (SLc crossLD)) \wedge
      P PLAN_PB (trap (SLc incomplete)) \wedge
      (\forall moveToORP. P MOVE\_TO\_ORP (trap (SLc moveToORP))) \land
      P CONDUCT_ORP (trap (SLc moveToPB)) \wedge
      P CONDUCT_ORP (trap (SLc incomplete)) \wedge
      P MOVE_TO_PB (trap (SLc conductPB)) \wedge
      P MOVE_TO_PB (trap (SLc incomplete)) \wedge
      P CONDUCT_PB (trap (SLc completePB)) \wedge
      P CONDUCT_PB (trap (SLc incomplete)) \wedge
      P PLAN_PB (discard (SLc crossLD)) \wedge
      (\forall moveToORP. \ P \ \texttt{MOVE\_TO\_ORP} \ (\texttt{discard} \ (\texttt{SLc} \ moveToORP))) \ \land
      P CONDUCT_ORP (discard (SLc moveToPB)) \wedge
      P MOVE_TO_PB (discard (SLc conductPB)) \wedge
      P CONDUCT_PB (discard (SLc completePB)) \wedge
      (\forall v_8 \ v_6. \ P \ v_8 \ (discard (ESCc \ v_6))) \land
      P PLAN_PB (discard (SLc conductORP)) \wedge
      P PLAN_PB (discard (SLc moveToPB)) \wedge
      P PLAN_PB (discard (SLc conductPB)) \wedge
      P PLAN_PB (discard (SLc completePB)) \wedge
      P PLAN_PB (discard (SLc incomplete)) \wedge
      P CONDUCT_ORP (discard (SLc crossLD)) \wedge
      P CONDUCT_ORP (discard (SLc conductORP)) \wedge
      P CONDUCT_ORP (discard (SLc conductPB)) \wedge
      P CONDUCT_ORP (discard (SLc completePB)) \wedge
      P CONDUCT_ORP (discard (SLc incomplete)) \wedge
      P MOVE_TO_PB (discard (SLc crossLD)) \wedge
      P MOVE_TO_PB (discard (SLc conductORP)) \wedge
      P MOVE_TO_PB (discard (SLc moveToPB)) \land
      P MOVE_TO_PB (discard (SLc completePB)) \wedge
      P MOVE_TO_PB (discard (SLc incomplete)) \wedge
      P CONDUCT_PB (discard (SLc crossLD)) \wedge
      P CONDUCT_PB (discard (SLc conductORP)) \wedge
      P CONDUCT_PB (discard (SLc moveToPB)) \wedge
      P CONDUCT_PB (discard (SLc conductPB)) \wedge
      P CONDUCT_PB (discard (SLc incomplete)) \wedge
      (\forall v_9. P COMPLETE\_PB (discard (SLc <math>v_9))) \land
      (\forall v_{13} \ v_{11}. \ P \ v_{13} \ (trap (ESCc \ v_{11}))) \land
```

SSMPB THEORY Theorems

```
P PLAN_PB (trap (SLc conductORP)) \wedge
      P PLAN_PB (trap (SLc moveToPB)) \wedge
      P PLAN_PB (trap (SLc conductPB)) \wedge
      P PLAN_PB (trap (SLc completePB)) \wedge
      P CONDUCT_ORP (trap (SLc crossLD)) \wedge
      P CONDUCT_ORP (trap (SLc conductORP)) \wedge
      P CONDUCT_ORP (trap (SLc conductPB)) \wedge
      P CONDUCT_ORP (trap (SLc completePB)) \wedge
      P MOVE_TO_PB (trap (SLc crossLD)) \wedge
      P MOVE_TO_PB (trap (SLc conductORP)) ∧
      P MOVE_TO_PB (trap (SLc moveToPB)) \wedge
      P MOVE_TO_PB (trap (SLc completePB)) \wedge
      P CONDUCT_PB (trap (SLc crossLD)) \wedge
      P CONDUCT_PB (trap (SLc conductORP)) \wedge
      P CONDUCT_PB (trap (SLc moveToPB)) \wedge
      P CONDUCT_PB (trap (SLc conductPB)) \wedge
      (\forall v_{14}. P COMPLETE\_PB (trap (SLc <math>v_{14}))) \land
      (\forall v_{18} \ v_{16}. \ P \ v_{18} \ (\texttt{exec} \ (\texttt{ESCc} \ v_{16}))) \ \land
      P MOVE_TO_ORP (exec (SLc crossLD)) \wedge
      P CONDUCT_ORP (exec (SLc crossLD)) \wedge
      P MOVE_TO_PB (exec (SLc crossLD)) \wedge
      P CONDUCT_PB (exec (SLc crossLD)) \wedge
      P COMPLETE_PB (exec (SLc crossLD)) \wedge
      P PLAN_PB (exec (SLc conductORP)) \wedge
      P CONDUCT_ORP (exec (SLc conductORP)) \wedge
      P MOVE_TO_PB (exec (SLc conductORP)) \land
      P CONDUCT_PB (exec (SLc conductORP)) \wedge
      P COMPLETE_PB (exec (SLc conductORP)) \wedge
      P PLAN_PB (exec (SLc moveToPB)) \wedge
      P MOVE_TO_ORP (exec (SLc moveToPB)) \wedge
      P MOVE_TO_PB (exec (SLc moveToPB)) \wedge
      P CONDUCT_PB (exec (SLc moveToPB)) \wedge
      P COMPLETE_PB (exec (SLc moveToPB)) \wedge
      P PLAN_PB (exec (SLc conductPB)) \wedge
      P MOVE_TO_ORP (exec (SLc conductPB)) \wedge
      P CONDUCT_ORP (exec (SLc conductPB)) \wedge
      P CONDUCT_PB (exec (SLc conductPB)) \wedge
      P COMPLETE_PB (exec (SLc conductPB)) \wedge
      P PLAN_PB (exec (SLc completePB)) \wedge
      P MOVE_TO_ORP (exec (SLc completePB)) \wedge
      P CONDUCT_ORP (exec (SLc completePB)) \wedge
      P MOVE_TO_PB (exec (SLc completePB)) \wedge
      P COMPLETE_PB (exec (SLc completePB)) \wedge
      P COMPLETE_PB (exec (SLc incomplete)) \Rightarrow
      \forall v \ v_1 . \ P \ v \ v_1
[PBOut_def]
 ⊢ (PBOut PLAN_PB (exec (SLc crossLD)) = MoveToORP) ∧
    (PBOut PLAN_PB (exec (SLc incomplete)) = PlanPB) \(\lambda\)
```

Theorems SSMPB THEORY

```
(PBOut MOVE_TO_ORP (exec (SLc conductORP)) = ConductORP) \( \)
    (PBOut MOVE_TO_ORP (exec (SLc incomplete)) = MoveToORP) \(\lambda\)
    (PBOut CONDUCT_ORP (exec (SLc moveToPB)) = MoveToPB) \(\lambda\)
    (PBOut CONDUCT_ORP (exec (SLc incomplete)) = ConductORP) \(\lambda\)
    (PBOut MOVE_TO_PB (exec (SLc conductPB)) = ConductPB) \land
    (PBOut MOVE_TO_PB (exec (SLc incomplete)) = MoveToPB) \(\lambda\)
    (PBOut CONDUCT_PB (exec (SLc completePB)) = CompletePB) \(\lambda\)
    (PBOut CONDUCT_PB (exec (SLc incomplete)) = ConductPB) ∧
    (PBOut PLAN_PB (trap (SLc crossLD)) = PlanPB) \(\lambda\)
    (PBOut PLAN_PB (trap (SLc incomplete)) = PlanPB) \(\lambda\)
    (PBOut MOVE_TO_ORP (trap (SLc moveToORP)) = MoveToORP) \land
    (PBOut CONDUCT_ORP (trap (SLc moveToPB)) = ConductORP) \(\lambda\)
    (PBOut CONDUCT_ORP (trap (SLc incomplete)) = ConductORP) ∧
    (PBOut MOVE_TO_PB (trap (SLc conductPB)) = MoveToPB) \land
    (PBOut MOVE_TO_PB (trap (SLc incomplete)) = MoveToPB) \(\lambda\)
    (PBOut CONDUCT_PB (trap (SLc completePB)) = ConductPB) ∧
    (PBOut CONDUCT_PB (trap (SLc incomplete)) = ConductPB) ∧
    (PBOut PLAN_PB (discard (SLc crossLD)) = unAuthenticated) \( \)
    (PBOut MOVE_TO_ORP (discard (SLc moveToORP)) =
    unAuthenticated) \wedge
    (PBOut CONDUCT_ORP (discard (SLc moveToPB)) =
    unAuthenticated) \( \)
    (PBOut MOVE_TO_PB (discard (SLc conductPB)) =
    unAuthenticated) \( \)
    (PBOut CONDUCT_PB (discard (SLc completePB)) =
    unAuthenticated)
[PBOut_ind]
 \vdash \forall P.
      P PLAN_PB (exec (SLc crossLD)) \wedge
      P PLAN_PB (exec (SLc incomplete)) \wedge
      P MOVE_TO_ORP (exec (SLc conductORP)) \wedge
      P MOVE_TO_ORP (exec (SLc incomplete)) \wedge
      P CONDUCT_ORP (exec (SLc moveToPB)) \wedge
      P CONDUCT_ORP (exec (SLc incomplete)) \wedge
      P MOVE_TO_PB (exec (SLc conductPB)) \wedge
      P MOVE_TO_PB (exec (SLc incomplete)) \wedge
      P CONDUCT_PB (exec (SLc completePB)) \wedge
      P CONDUCT_PB (exec (SLc incomplete)) \wedge
      P PLAN_PB (trap (SLc crossLD)) \wedge
      P PLAN_PB (trap (SLc incomplete)) \wedge
      (\forall moveToORP. P MOVE\_TO\_ORP (trap (SLc moveToORP))) \land
      P CONDUCT_ORP (trap (SLc moveToPB)) \wedge
      P CONDUCT_ORP (trap (SLc incomplete)) \wedge
      P MOVE_TO_PB (trap (SLc conductPB)) \wedge
      P MOVE_TO_PB (trap (SLc incomplete)) \wedge
      P CONDUCT_PB (trap (SLc completePB)) \wedge
      P CONDUCT_PB (trap (SLc incomplete)) \wedge
      P PLAN_PB (discard (SLc crossLD)) \wedge
```

SSMPB THEORY Theorems

```
(\forall moveToORP. \ P \ \texttt{MOVE\_TO\_ORP} \ (\texttt{discard} \ (\texttt{SLc} \ moveToORP))) \ \land
P CONDUCT_ORP (discard (SLc moveToPB)) \wedge
P MOVE_TO_PB (discard (SLc conductPB)) \wedge
P CONDUCT_PB (discard (SLc completePB)) \wedge
(\forall v_8 \ v_6. \ P \ v_8 \ (discard (ESCc \ v_6))) \ \land
P PLAN_PB (discard (SLc conductORP)) \wedge
P PLAN_PB (discard (SLc moveToPB)) \wedge
P PLAN_PB (discard (SLc conductPB)) \wedge
P PLAN_PB (discard (SLc completePB)) \wedge
P PLAN_PB (discard (SLc incomplete)) \wedge
P CONDUCT_ORP (discard (SLc crossLD)) \wedge
P CONDUCT_ORP (discard (SLc conductORP)) \wedge
P CONDUCT_ORP (discard (SLc conductPB)) ∧
P CONDUCT_ORP (discard (SLc completePB)) \wedge
P CONDUCT_ORP (discard (SLc incomplete)) \wedge
P MOVE_TO_PB (discard (SLc crossLD)) \wedge
P MOVE_TO_PB (discard (SLc conductORP)) \wedge
P MOVE_TO_PB (discard (SLc moveToPB)) \wedge
P MOVE_TO_PB (discard (SLc completePB)) \wedge
P MOVE_TO_PB (discard (SLc incomplete)) \land
P CONDUCT_PB (discard (SLc crossLD)) \wedge
P CONDUCT_PB (discard (SLc conductORP)) \wedge
P CONDUCT_PB (discard (SLc moveToPB)) \wedge
P CONDUCT_PB (discard (SLc conductPB)) \wedge
P CONDUCT_PB (discard (SLc incomplete)) \wedge
(\forall v_9. P COMPLETE_PB (discard (SLc v_9))) \land
(\forall v_{13} \ v_{11}. \ P \ v_{13} \ (\mathsf{trap} \ (\mathsf{ESCc} \ v_{11}))) \ \land
P PLAN_PB (trap (SLc conductORP)) \wedge
P PLAN_PB (trap (SLc moveToPB)) \wedge
P PLAN_PB (trap (SLc conductPB)) \wedge
P PLAN_PB (trap (SLc completePB)) \wedge
P CONDUCT_ORP (trap (SLc crossLD)) \wedge
P CONDUCT_ORP (trap (SLc conductORP)) \wedge
P CONDUCT_ORP (trap (SLc conductPB)) \wedge
P CONDUCT_ORP (trap (SLc completePB)) \wedge
P MOVE_TO_PB (trap (SLc crossLD)) \wedge
P MOVE_TO_PB (trap (SLc conductORP)) \wedge
P MOVE_TO_PB (trap (SLc moveToPB)) \wedge
P MOVE_TO_PB (trap (SLc completePB)) \wedge
P CONDUCT_PB (trap (SLc crossLD)) \wedge
P CONDUCT_PB (trap (SLc conductORP)) \wedge
P CONDUCT_PB (trap (SLc moveToPB)) \wedge
P CONDUCT_PB (trap (SLc conductPB)) \wedge
(\forall v_{14}. \ P \ \texttt{COMPLETE\_PB} \ (\texttt{trap} \ (\texttt{SLc} \ v_{14}))) \ \land
(\forall v_{18} \ v_{16}. \ P \ v_{18} \ (\texttt{exec} \ (\texttt{ESCc} \ v_{16}))) \ \land
P MOVE_TO_ORP (exec (SLc crossLD)) \wedge
P CONDUCT_ORP (exec (SLc crossLD)) \wedge
P MOVE_TO_PB (exec (SLc crossLD)) \( \)
P CONDUCT_PB (exec (SLc crossLD)) \wedge
```

```
P COMPLETE_PB (exec (SLc crossLD)) \wedge
P PLAN_PB (exec (SLc conductORP)) \wedge
P CONDUCT_ORP (exec (SLc conductORP)) \wedge
P MOVE_TO_PB (exec (SLc conductORP)) \land
P CONDUCT_PB (exec (SLc conductORP)) \wedge
P COMPLETE_PB (exec (SLc conductORP)) \wedge
P PLAN_PB (exec (SLc moveToPB)) \wedge
P MOVE_TO_ORP (exec (SLc moveToPB)) \wedge
P MOVE_TO_PB (exec (SLc moveToPB)) \wedge
P CONDUCT_PB (exec (SLc moveToPB)) \wedge
P COMPLETE_PB (exec (SLc moveToPB)) \wedge
P PLAN_PB (exec (SLc conductPB)) \wedge
P MOVE_TO_ORP (exec (SLc conductPB)) \wedge
P CONDUCT_ORP (exec (SLc conductPB)) \wedge
P CONDUCT_PB (exec (SLc conductPB)) \wedge
P COMPLETE_PB (exec (SLc conductPB)) \wedge
P PLAN_PB (exec (SLc completePB)) \wedge
P MOVE_TO_ORP (exec (SLc completePB)) \wedge
P CONDUCT_ORP (exec (SLc completePB)) \wedge
P MOVE_TO_PB (exec (SLc completePB)) \wedge
P COMPLETE_PB (exec (SLc completePB)) \wedge
P COMPLETE_PB (exec (SLc incomplete)) \Rightarrow
\forall v \ v_1 . \ P \ v \ v_1
```

## 3 PBType Theory

**Built:** 02 July 2017

Parent Theories: indexedLists, patternMatches

#### 3.1 Datatypes

#### 3.2 Theorems

```
[slCommand_distinct_clauses]

⊢ crossLD ≠ conductORP ∧ crossLD ≠ moveToPB ∧
crossLD ≠ conductPB ∧ crossLD ≠ completePB ∧
```

PBTYPE THEORY Theorems

```
\label{eq:consld} \begin{split} & crossLD \neq incomplete \ \land \ conductORP \neq moveToPB \ \land \\ & conductORP \neq conductPB \ \land \ conductORP \neq completePB \ \land \\ & conductORP \neq incomplete \ \land \ moveToPB \neq conductPB \ \land \\ & moveToPB \neq completePB \ \land \ moveToPB \neq incomplete \ \land \\ & conductPB \neq completePB \ \land \ conductPB \neq incomplete \ \land \\ & completePB \neq incomplete \end{split}
```

#### [slOutput\_distinct\_clauses]

#### [slState\_distinct\_clauses]

 $\vdash \mathsf{PLAN\_PB} \neq \mathsf{MOVE\_TO\_ORP} \ \land \ \mathsf{PLAN\_PB} \neq \mathsf{CONDUCT\_ORP} \ \land \\ \mathsf{PLAN\_PB} \neq \mathsf{MOVE\_TO\_PB} \ \land \ \mathsf{PLAN\_PB} \neq \mathsf{CONDUCT\_PB} \ \land \\ \mathsf{PLAN\_PB} \neq \mathsf{COMPLETE\_PB} \ \land \ \mathsf{MOVE\_TO\_ORP} \neq \mathsf{CONDUCT\_ORP} \ \land \\ \mathsf{MOVE\_TO\_ORP} \neq \mathsf{MOVE\_TO\_PB} \ \land \ \mathsf{MOVE\_TO\_ORP} \neq \mathsf{CONDUCT\_PB} \ \land \\ \mathsf{MOVE\_TO\_ORP} \neq \mathsf{COMPLETE\_PB} \ \land \ \mathsf{CONDUCT\_ORP} \neq \mathsf{MOVE\_TO\_PB} \ \land \\ \mathsf{CONDUCT\_ORP} \neq \mathsf{CONDUCT\_PB} \ \land \ \mathsf{CONDUCT\_ORP} \neq \mathsf{COMPLETE\_PB} \ \land \\ \mathsf{MOVE\_TO\_PB} \neq \mathsf{COMPLETE\_PB} \ \land \ \mathsf{MOVE\_TO\_PB} \neq \mathsf{COMPLETE\_PB} \ \land \\ \mathsf{CONDUCT\_PB} \neq \mathsf{COMPLETE\_PB} \ \land \ \mathsf{CONDUCT\_PB} \neq \mathsf{COMPLETE\_PB} \ \land \\ \mathsf{CONDUCT\_PB} \neq \mathsf{COMPLETE\_PB} \ \end{pmatrix}$ 

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