





# **SPATIAL DATA ANALYSIS**

# Pratical Work

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## Introduction

Climate data analysis is the most fundamental step in predicting the climate change. Its main objective is to increase understanding of the atmosphere and its interaction with the oceans, cry sphere and the land surface, through various types of approaches or techniques. They are empirical studies conducted on the climate data, diagnostic analyses and mathematical data modeling.

At the end of the lecture "Spatial data analysis", it has been given a practical work of on the lecture. This paper report the answere to the questions asked in the practical work. The paper is divided in 4 parts which are: introduction, exercise 1, exercise 2 and conclusion.

The data used for processing are: fire datasets: fires.csv and the elevation datasets: bfa\_elevation. The tool used to compute is python specifically Juputer Notebook. For the purpose of the analysis, many modules has been downloaded and imported. For the report, we used Latex.

#### 1 Exercise 1

#### 1.1

#### 1.1.1 Import the dataset (fires.csv)

```
[7]: import pandas as pd
     import matplotlib.pyplot as plt
     import cartopy.crs as ccrs
     import cartopy
     import cartopy.feature as cf
     import geopandas as gpd
     import folium
     import geopatra
     import seaborn as sns
     import contextily
     import geoplot
     import cartopy.crs as ccrs
     import cartopy
     import cartopy.feature as cf
     import geopandas as gpd
     import matplotlib.style
     import matplotlib as mpl
     import rasterio
     mpl.style.use('default')
     fire=pd.read_csv("../SpatialAnalysis2021/Data/non-spatial/fire/fire.csv")
```

#### 1.1.2 How many fires were detected in total?

```
[8]: nf=fire.shape[0]
print(f"Number of fire detected: {nf}")
```

Number of fire detected: 21460

# 1.2 During which time period were the fires detected?

```
[9]: fire.ACQ_DATE=pd.to_datetime(fire.ACQ_DATE)
    start=fire.ACQ_DATE.min()
    end=fire.ACQ_DATE.max()
    print(f"The fires has been detected between {start} and {end}")
```

The fires has been detected between 2019-01-01 00:00:00 and 2019-01-31 00:00:00

1.3

### 1.3.1 Identification of the ten brightest fires during this period located?

The attribute which shows the brightness in the datasets is BRIGHTNESS. For the computation, we sort the values in the datasets based on that attribute in order to have the ten brightest observation. The data has been sorted by descending values. The next table shows the ten brightest fires occurred in the period of 2019-01-01 00:00:00 and 2019-01-31 00:00:00.

[10]:		index	LATITUDE	LONGITUDE	BRIGHTNESS	SCAN	TRACK	ACQ_DATE	ACQ_TIME	\
	0	11427	9.6760	10.6130	422.9	1.0	1.0	2019-01-15	1244	
	1	3495	10.5655	6.7566	421.8	1.0	1.0	2019-01-04	1303	
	2	21228	8.1329	11.1870	419.7	1.0	1.0	2019-01-31	1244	
	3	3319	7.6403	8.1262	418.0	1.0	1.0	2019-01-04	1302	
	4	17854	12.4460	5.7779	413.4	1.1	1.0	2019-01-27	1006	
	5	3346	7.6324	8.3984	405.4	1.0	1.0	2019-01-04	1302	
	6	8828	8.6089	10.5270	399.9	1.7	1.3	2019-01-11	1308	
	7	11430	9.6863	10.6208	397.0	1.0	1.0	2019-01-15	1244	
	8	21012	11.3494	13.5145	396.7	1.2	1.1	2019-01-31	1244	
	9	10353	10.0935	3.8743	395.2	1.5	1.2	2019-01-13	1257	

SATELLITE		LLITE	INSTRUMENT	NSTRUMENT CONFIDENCE		BRIGHT_T31	FRP DAYNIGHT		TYPE_	
	→ \									
(	)	Aqua	MODIS	100	6.03	319.8	413.7	D	0	
1	L	Aqua	MODIS	100	6.03	320.2	395.6	D	0	

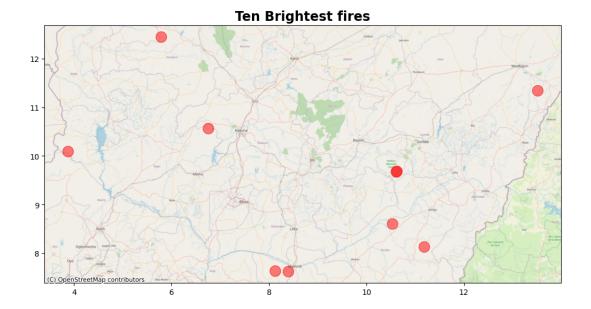
2	Aqua	MODIS	100	6.03	322.7	381.0	D	0
3	Aqua	MODIS	100	6.03	317.6	375.0	D	0
4	Terra	MODIS	100	6.03	320.7	382.8	D	0
5	Aqua	MODIS	100	6.03	314.2	287.7	D	0
6	Aqua	MODIS	100	6.03	316.3	526.0	D	0
7	Aqua	MODIS	100	6.03	313.1	223.3	D	0
8	Aqua	MODIS	100	6.03	315.5	271.1	D	0
9	Agua	MODIS	100	6.03	318.3	380.8	D	0

#### geometry

- O POINT (10.61300 9.67600)
- 1 POINT (6.75660 10.56550)
- 2 POINT (11.18700 8.13290)
- 3 POINT (8.12620 7.64030)
- 4 POINT (5.77790 12.44600)
- 5 POINT (8.39840 7.63240)
- 6 POINT (10.52700 8.60890)
- 7 POINT (10.62080 9.68630)
- 8 POINT (13.51450 11.34940)
- 9 POINT (3.87430 10.09350)

# 1.3.2 The location of ten brightest fires during this period 2019-01-01 00:00:00 and 2019-01-31 00:00:00

```
[11]: world=gpd.read_file( gpd.datasets.get_path("naturalearth_lowres"))
    nigeria=world[world.name=="Nigeria"]
    fig, ax=plt.subplots(figsize=(10,10))
    plt.scatter(ten_brigh.LONGITUDE, ten_brigh.LATITUDE, s=200, c="r", alpha=0.5)
    contextily.add_basemap(ax, crs=nigeria.crs,
        source=contextily.providers.OpenStreetMap.Mapnik)
    ax.set_title(label="Ten Brightest fires", size=17, weight="bold")
    plt.margins(0)
    plt.margins(0)
    plt.tight_layout()
    plt.show()
```



The above figure shows the ten brightest fires located in Nigeria. We can see form the graph that, the fire along the country. Two brightest fires can see in the same location around(longitude=10 and latitude =10).

#### 1.4

# 1.4.1 Extract all fires detected with a confidence higher than 70 percent. How much are these?

The confidence of the fire has been tracked by the attribute **CONFIDENCE**. The condition has been set to that attribute to select the fire with confidence higher than 70.

The number of fire with confidence higher than 70 is shown in the table above. The bold column title "CONFIDENCE" is the attribute which indicates the confidence of the fire. The first column indicating the index from the original datasets.

In sum the number of fire with confidence higher than 70 percent is : 7285. The distribution of those fire along the space can be see in the next graph.

```
[12]: conf_70=fire[fire.CONFIDENCE>70]
    conf_70_nb=conf_70.count()[0]
    print(conf_70)
    print(f"The numbe of fires with confidence higher than 70 percent is :□
    →{conf_70_nb}")
```

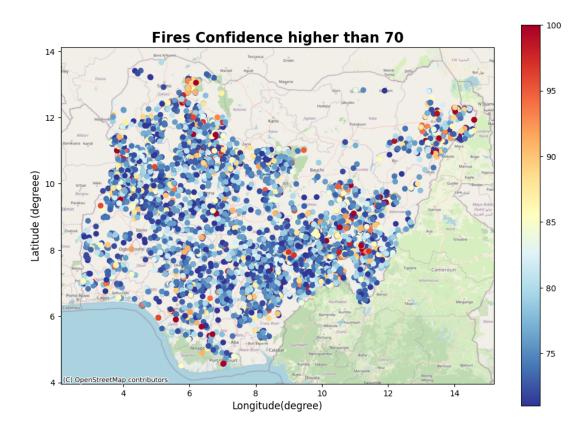
	LATITUDE	LONGITUDE	BRIGHTNESS	SCAN	TRACK	ACQ_DATE	ACQ_TIME	\
5	5.5644	5.7226	307.7	2.6	1.5	2019-01-01	144	
7	12.2363	14.4138	331.5	1.2	1.1	2019-01-01	929	
8	12.2348	14.4245	326.7	1.2	1.1	2019-01-01	929	
10	12.2743	14.3043	324.3	1.2	1.1	2019-01-01	929	
11	12.2660	14.2921	367.3	1.2	1.1	2019-01-01	929	
			• • •					

21450	11.4083	5.7974	307.7	1.2	1.1 2019-01-	31	2210	
21452	10.8918	5.7326	309.5	1.1	1.1 2019-01-	31	2210	
21454	10.9928	4.8431	308.2	1.0	1.0 2019-01-	31	2210	
21457	11.4788	6.7811	343.6	1.3	1.1 2019-01-	31	2210	
21458	11.4804	6.7929	323.9	1.3	1.1 2019-01-	31	2210	
	SATELLITE	INSTRUMENT	CONFIDENCE	VERSION	BRIGHT_T31	FRP	DAYNIGHT	\
5	Aqua	MODIS	72	6.03	292.5	31.6	N	
7	Terra	MODIS	81	6.03	305.9	26.4	D	
8	Terra	MODIS	75	6.03	306.0	18.9	D	
10	Terra	MODIS	71	6.03	305.2	16.2	D	
11	Terra	MODIS	100	6.03	305.5	124.4	D	
21450	Terra	MODIS	72	6.03	291.9	10.1	N	
21452	Terra	MODIS	77	6.03	293.7	10.5	N	
21454	Terra	MODIS	74	6.03	294.2	7.9	N	
21457	Terra	MODIS	100	6.03	295.2	71.5	N	
21458	Terra	MODIS	100	6.03	293.7	29.4	N	

The number of fires with confidence higher than 70 percent is : 7285

### 1.4.2 location of fires detected with a confidence higher than 70 percent

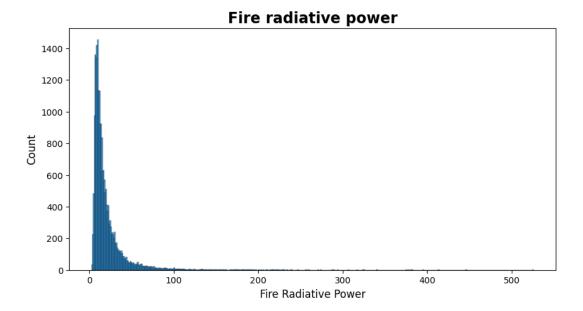
This figure shows the distribution of the fires higher than 70 percent. The fire with the confidence higher than 70 is distributed along the country Nigeria. We can see the confidence with hundred percent are not a lot. Most of the fire have the confidence from 70 to 85 percent.



# 1.5 Creation of the histogram showing the distribution of the fire radiative power. Cleary indicate the description of the y-axis and x-axis.

The radiative power of fire is observed through the attribute FRP of the datasets. This attribute stands for Force Radiative Power.

```
[14]: fig, ax=plt.subplots(figsize=(10,5))
    sns.histplot(fire['FRP'],shrink=2,ax=ax)
    ax.set_xlabel(xlabel="Fire Radiative Power", size=12)
    ax.set_ylabel(ylabel="Count",size=12)
    ax.set_title(label="Fire radiative power", size=17, weight="bold")
    plt.show()
```



The number of occurrence of the Fire Radiative Power is shown in the histogram above. The radiative power is in the range of 0 to 200. We can see, most of the fire has the radiative power in the range of 0 to 25. We deduct that there have not been more fire with highe radiative power.

#### 1.6

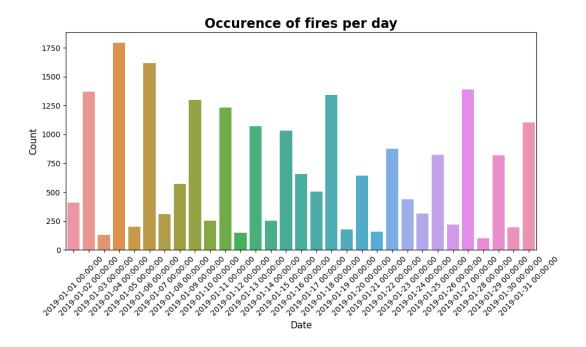
#### 1.6.1 Creation of the plot showing the numbers of fires for each day.

The above figure shows the occurrence of fires per day. We can from the figure, there have been more fire in 2019-01-04 specifically 1750 fires. The lowest value is show at the date 2019-01-28 specifically around 100 occurrences.

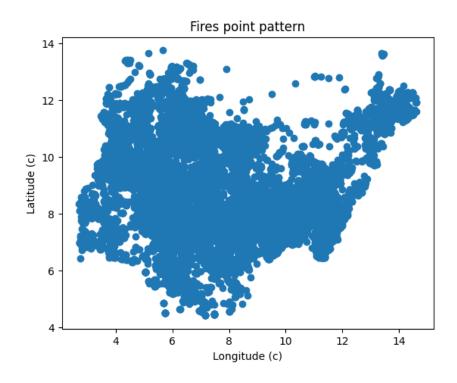
```
[15]: fire_day=fire.groupby(by=fire.ACQ_DATE).count()
    plt.figure(figsize=(10,6))
    ax = sns.barplot(x=fire_day.index,y=fire_day.SCAN)
    ax.set_xlabel(xlabel="Date", size=12)
    ax.set_ylabel(ylabel="Count",size=12)
    ax.set_title(label="Occurence of fires per day", size=17, weight="bold")

ax.set_xticklabels(ax.get_xticklabels(), rotation=45)

plt.tight_layout()
    plt.savefig("Number of fire per day",bbox_inches="tight", format="svg")
    plt.show()
```

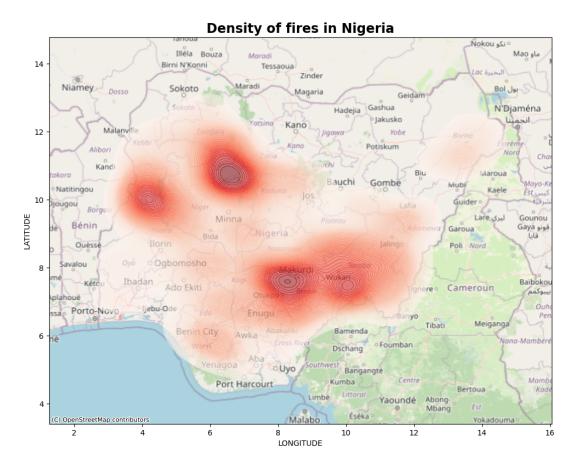


### 1.6.2 Convert the dataset into a spatial geopandas dataframe.



# 1.7 Creation of the heat map showing the density of fires in Nigeria.

The density of fire is shown in the above figure. There four big block of fire in south east and north west of the country.



# 1.8 Investigate if the fire detected in Nigeria are distributed rather regular/clustered(if so to identify the main cluster and explain)

As defined by Diggle (2006) Spatial Point Processes are stochastic mechanisms which generate a series of events across a region. The locations of the events generated by a point process are a point pattern. Spatial Point Processes are generally static, whereby the statistical parameters of the underlying process do not vary over space (invariant under translation), and isotropic, whereby that they exhibit the same value when measured from different directions (invariant under rotation). Clustered Patterns are more grouped than random patterns. Visually, we can observe more points at short distances. There are two sources of clustering.

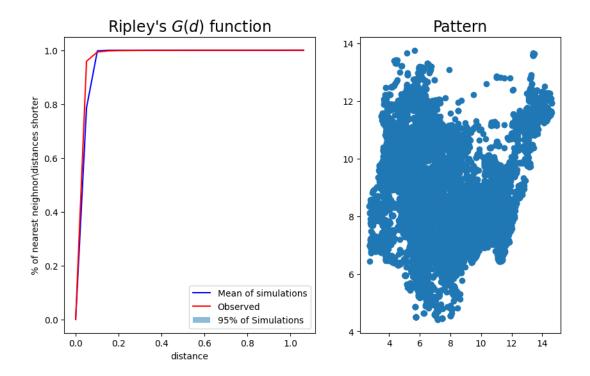
In order to test either the point pattern are clustered or regular, we have used the G function to do the test. The G function is defined as follows: for a given distance d, G(d) is the proportion of nearest neighbor distances that are less than d. A Simulation envelope is a computer intensive technique for inferring whether an observed pattern significantly deviates from what would be expected under a specific process. Here, we always use CSR as the benchmark. In order to contruct a simulation envelope for a given function, we did a CSR simulation of 100 times.

```
[18]: from pointpats import PointPattern
from shapely.geometry import Point, LineString, Polygon
import pointpats.quadrat_statistics as qs
from pointpats._deprecated_distance_statistics import K,L,G,F, Genv, Fenv,

Jenv, Kenv, Lenv
from pointpats import PoissonPointProcess
```

```
[19]: #Create the point pattern from the data
      pp=PointPattern(fire_geo[["LONGITUDE", "LATITUDE"]])
      #G function test
      g_test=G(pp, intervals=60)
      realizations = PoissonPointProcess(pp.window, pp.n, 100, asPP=True) #__
       ⇒simulate CSR 100 times
      genv = Genv(pp, intervals=20, realizations=realizations) #The same for other
      #The plotting
      f, ax=plt.subplots(1,2, figsize=(10,6), gridspec_kw=dict(width_ratios=(10,8)))
      ax[0].fill_between(genv.d, genv.low, genv.high, alpha=.5, label="95% of_"

→Simulations")
      ax[0].plot(genv.d, genv.mean, color="blue", label="Mean of simulations")
      ax[0].plot(*genv.observed.T, label="Observed", color="red")
      ax[0].set(xlabel="distance", ylabel="% of nearest neighnor\distances shorter")
      ax[0].legend()
      ax[0].set_title(r"Ripley's $G(d) $ function", size=17)
      ax[1].scatter(pp.df.x, pp.df.y)
      ax[1].set_title("Pattern", size=17)
      plt.savefig("G compa 1", format="svg")
```

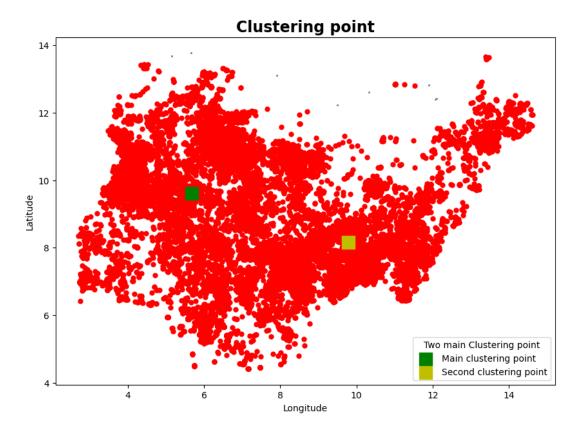


It can be seen from the figure the G function curbe at the left figure increases rapidly at short distance. This mean that the average distance between point in the space is low. By then, the points are distributed clustered. By the then, the observed curbe (G function) is upon the mean of simulations.

• Identification of the clustered points

```
[20]: from sklearn.cluster import dbscan
      import seaborn as sns
      from sklearn.cluster import KMeans
      cs, lbls = dbscan(pp.df[['x', 'y']])
      lbls = pd.Series(lbls, index=pp.df.index)
      #Create 2 mains clustered point from the point patttern
      kmeans = KMeans(n_clusters=2).fit(pp.df)
      k_value=kmeans.cluster_centers_
      #PLot the point pattern with the 2 main clustered point
      f, ax = plt.subplots(figsize=(10, 7))
      noise = pp.df.loc[lbls==-1, ['x', 'y']]
      plt.scatter(noise['x'], noise['y'], c='grey', s=5, linewidth=0)
      plt.scatter(pp.df.loc[pp.df.index.difference(noise.index), 'x'], \
                 pp.df.loc[pp.df.index.difference(noise.index), 'y'], \
                c='red', linewidth=0)
      plt.scatter(*k_value[0], s=200, c="g", marker='s', label="Main clustering_
      plt.scatter(*k_value[1], s=200, c="y", marker='s', label="Second clustering_")
       →point")
      ax.legend(title="Two main Clustering point")
```

```
ax.set_ylabel(ylabel="Latitude")
ax.set_xlabel(xlabel="Longitude")
ax.set_title(label="Clustering point", size=17, weight="bold")
plt.show()
```



The two howed in the figure represent the main clustering point. The fires are clustered around two major points.

# 1.9 Count the fires occurring in the different local government areas in Nigeria. How much are they?

The number of fire in each different local government ares in Nigeria is computed using the file new\_lga\_nigeria\_2003.shp. The module of sjoin of the package geopandas has been used to join the two dataset by the method

```
[21]: #Load nigeria shape file

nigeria_local = gpd.read_file('../last/SpatialAnalysis2021/Data/vector/fires/

→new_lga_nigeria_2003.shp')

# Do the spatial join of the fires datasets and the nigeria shape file

fire_local=gpd.sjoin(nigeria_local,fire_geo.set_crs(nigeria_local.crs))

#Create a variable containing the values of local government area in Nigeria_

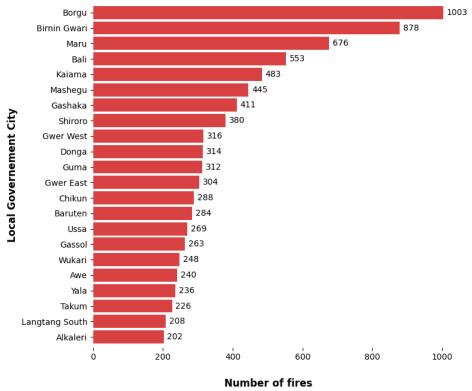
→shape file(count)

y = fire_local['LGA'].value_counts(ascending=True)
```

```
\#Select the local government area which has more than 200 fires to simplify \sqcup
 → the plotting
y=y[y>200]
#Plotting
ax = y.plot(kind='barh', figsize=(8, 7), color='#d84141', zorder=2, width=0.
 <del>-</del>85)
ax.spines['right'].set_visible(False)
ax.spines['top'].set_visible(False)
ax.spines['left'].set_visible(False)
ax.spines['bottom'].set_visible(False)
# Set x-axis label
ax.set_xlabel("Number of fires", labelpad=20, weight='bold', size=12)
ax.set_title("Number of fires occured in the different local government areas_
 →in Nigeria ", weight='bold', size=15)
# Set y-axis label
ax.set_ylabel("Local Government City", weight='bold', size=12)
for i, v in enumerate(y):
    ax.text(v + 10, i, str(v), color='black', fontsize=10, ha='left',

ya='center')
plt.margins(0)
ax.margins(0)
plt.tight_layout()
```

#### Number of fires occured in the different local government areas in Nigeria



The number of fire in different local region in Nigeria is showed in the figure above. The local region which has the most fire is Borou couting 1003 followed by Brimin Gwari counting 878.

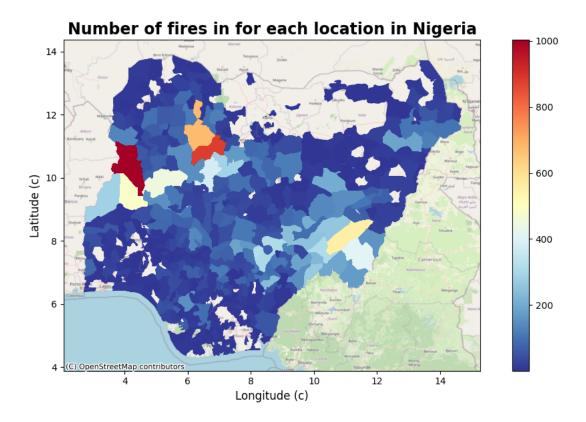
### 1.10 Create a map displaying the number of fires for each local government area.

```
[22]: nigeria_local.shape[0]
    fire_local=gpd.sjoin(nigeria_local,fire_geo.set_crs(nigeria_local.crs))
    y = fire_local['LGA'].value_counts(ascending=True)
    fire_local_geom_lga= fire_local[["LGA", "geometry"]]

    nb_fire_lga= y.to_frame("nfire").reset_index()
    nb_fire_lga=nb_fire_lga.rename(columns={"index":"LGA"})
    fire_loc_nb=fire_local_geom_lga.merge(nb_fire_lga, on="LGA")
```

We first pick the fire occured only in nigeria. We then select the column LGA abd "geometry" from the geodatframe to facilitate the operation. We transform the variable containing the number of fire of each region(calculated above) to a data frame and rename the name of the column containing the cities to "LGA".

At this step, both the data of fire in Nigeria and the data number of fire of each region contains the column "LGA". We then merge them using based on that column.



The figure shows the number of fires in each location of Nigeria. We can see the Norht West part of Nigeria has the highest value.

#### 1.11 Investigation of Spatial Correlation

The spatial correlation can be to investigate whether or not spatial objects with similar values are clustered, randomly distributed or dispersed. Statistics relies on observations being independent from one another. If autocorrelation exists in a time or space, then this violates the fact that observations are independent from one another. On the other hand, it also implies that there could be something interesting regarding die data distribution, which may be interesting to investigate.

For this study, we will be used the local correlation. The local correlation enables us to detect Hot Spots, Cold Spots, and Spatial Outliers. These types of local spatial autocorrelation describe similarities or dissimilarities between a specific polygon with its neighboring polygons. The upper left quadrant for example indicates that polygons with low values are surrounded by polygons with high values. The lower right quadrant shows polygons with high values surrounded by neighbors with low values. This indicates an association of dissimilar values.

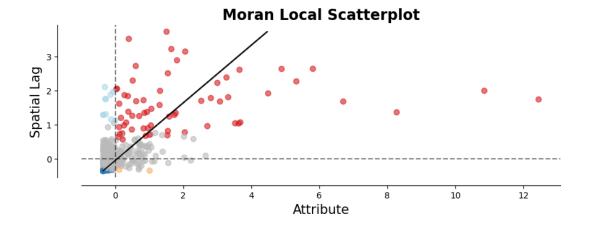
```
[24]: dfsjoin = gpd.sjoin(nigeria_local,fire_geo.set_crs(nigeria_local.crs))
    dfsjoin
    y = dfsjoin['LGA'].value_counts(ascending=True)
    lga_index = nigeria_local.set_index('LGA')
    lga_count = dfsjoin.groupby(by='LGA')[["LGA"]].count()
    lga_count.rename(columns={'LGA':'nfires'},inplace=True)
```

```
[25]: import libpysal as lps
from spreg import OLS
from scipy.linalg import inv
from splot.libpysal import plot_spatial_weights
import mapclassify as mc
from esda.moran import Moran, Moran_Local
from splot.esda import moran_scatterplot
```

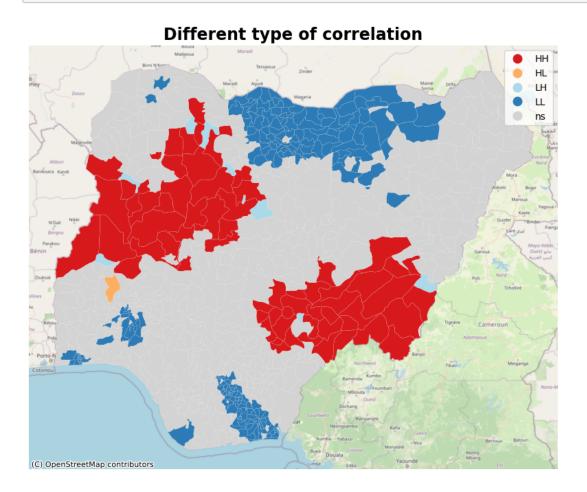
```
[26]: wq=lps.weights.Queen.from_dataframe(lga_merge, geom_col="geometry")
wq.transform = 'r'
my_v=fire_loc_nb["nfire"]
```

#### Correlation

```
[27]: fig, ax=plt.subplots(figsize=(10,8))
   moran_loc = Moran_Local(lga_merge.nfires, wq)
   moran_scatterplot(moran_loc, p=0.05, ax=ax)
   ax.set_ylabel('Spatial Lag', size=15)
   ax.set_xlabel('Attribute', size=15)
   ax.set_title("Moran Local Scatterplot", size=17, weight="bold")
   plt.show()
```



These types of local spatial autocorrelation describe similarities or dissimilarities between a specific polygon with its neighboring polygons. The upper left quadrant for example indicates that polygons with low values are surrounded by polygons with high values (LH). The lower right quadrant shows polygons with high values surrounded by neighbors with low values (HL). This indicates an association of dissimilar values. The next figure will give more detail.



The blue color in the figure shows the area with low values surrounded by area with high number of fires(LH). These regions are located in the noth and south par of the country. The red color is the area high surrouned with neighbor with high value of number of fire. The LL stands for the area with low value of number of fire surrouned by area with low value of number of fire.

We can see the center part of the country which are not significant.

## 2 Exercise 2

### 2.1 Choice of spatial interpolation technique to create continuous elevation raster

Spatial interpolation is a technique exploring values of samples at known geographical locations (points, areas units) to estimate values at further, unknown geographical locations (points, area units). There are many interpolation tools available, but these tools can usually be grouped into two categories:

- deterministic: using mathematical functions, based on either the extent of similarity (IDW) or the degree of smoothing (RBF)
- geostatistical: use both mathematical and statistical methods to predict values at all locations within region of interest and to provide probabilistic estimates of the quality of the interpolation based on the spatial autocorrelation among data points

For this exercise, we will be used a geostistical method to interpolate. The method is spline interpolation.

In mathematics, a spline is a special function defined piecewise by polynomials. In interpolating problems, spline interpolation is often preferred to polynomial interpolation because it yields similar results, even when using low degree polynomials, while avoiding Runge's phenomenon for higher degrees.[7]

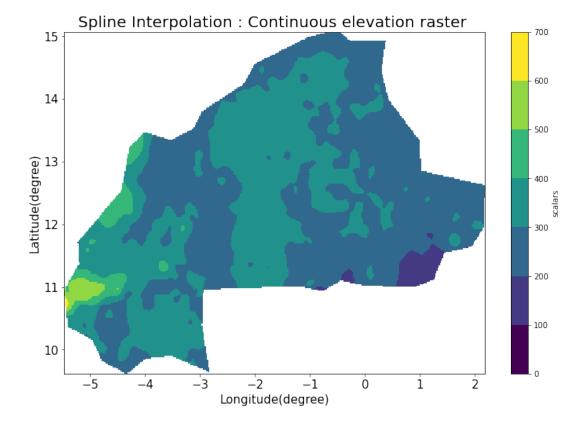
This method is best suited for generating smoothly changing surfaces susch as the elevation (the case of this study).

```
[29]: import geopandas as gpd
      import pandas as pd
      import numpy as np
      import pandas as pd
      import cartopy.crs as ccrs
      import verde as vd
      import cartopy
      import matplotlib.pyplot as plt
      import rioxarray
      import rasterio
      import matplotlib.pyplot as plt
      from rasterio.plot import show
      from shapely.geometry import mapping
      import json
      import earthpy as et
      import earthpy.plot as ep
      import earthpy.spatial as es
      import cartopy as cp
      import seaborn as sns
      import xarray
```

```
[31]: coordinates = (eleve.geometry.x.values, eleve.geometry.y.values)
    spline = vd.Spline().fit(coordinates, eleve.SRTM30mBur)
    grid_spline = spline.grid(spacing=0.02, dims=["latitude", "longitude"])
    grid_spline=grid_spline.rio.write_crs(region.crs)
    spline_cliped=grid_spline.rio.clip(region.geometry.apply(mapping), region.crs)
```

```
[32]: fig, ax=plt.subplots(figsize=(12,8))
spline_cliped.scalars.plot(ax=ax)
ax.set_title("Spline Interpolation : The Shuttle Radar Topography Mission

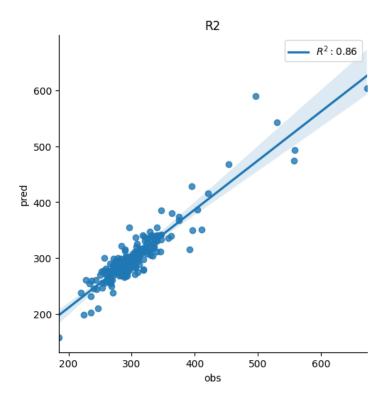
→(SRTM30mBur)", size=15)
plt.show()
```



• The reason of the choice of spline interpolation

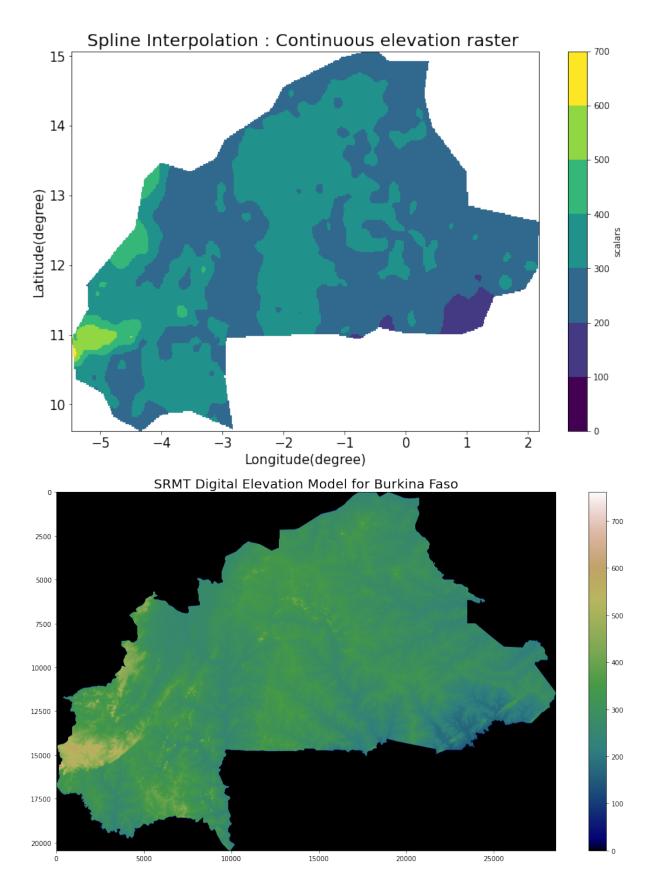
The spline method is geostatiscal method of interpolation. It works like the trend surface. It is similare to a rubber dis passing through the points, which is bent while the overall curvature of the surface is minimized. This method works with the data we have.

Then, the accuracy of the output of the spline mehtod is also very important. Let's compute the  $R^2$  function.



We can see the value of  $R^2$  is 0.86. This means the output is accurate at 86%.

# 2.2 Comparison of the created continuous elevation raster with the SRMT Digital Elevation Model for Burkina Faso.



We can see from the two plots that the values are similar. But even they are similar, we can notice some differences between the rasters object. The Shuttle Radar Topography Mission (SRTM) digital elevation dataset was originally produced to provide consistent, high-quality

elevation data at near global scope.[9]

In fact, interpolation continuous value are in the range of 0 and 700 of SRTM30mBur. Wheras, the value of the SRTMT Digital Elevation Model are out of the range 0 and 700. Also we can notice the higher quality of the raster from the SRMT Digital Model.

# References

[1] https://rspatial.org/raster/analysis/
[2] https://mgimond.github.io/Spatial/introGIS.html
[3] https://mgimond.github.io/Spatial/introGIS.html
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[8] Spatial Autocorrelation and Statistical Tests: Some Solutions, https://www.google.com/url?sa=t&rct=j&q=&esrc=s&source=web&cd=&ved=2ahUKEwi\_-6079enwAhVZShUIHYO4DC4QFjAAegQIAhAD&url=https%3A%2F%2Fwww.jstor.org%
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[9] https://developers.google.com/earth-engine/datasets/catalog/CGIAR\_SRTM90\_V4