

Software Testing

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Warming up: Your First Unit Test

Objective

This step-by-step practical guide helps you write and run your first JUnit 5 unit test in Java using IntelliJ IDEA. While following the steps you will:

- Create a simple `Calculator` class.
- Write a unit test for the `add` (sum) method.
- Learn key assertions and test lifecycle annotations.
- Run the test in IntelliJ and interpret results.

Prerequisites

- IntelliJ IDEA (Community or Ultimate) installed.
- JDK 11 or newer configured in IntelliJ.

Step 1 — Create project

Open IntelliJ and create a new Java project with Maven as a build system (Figure 1).

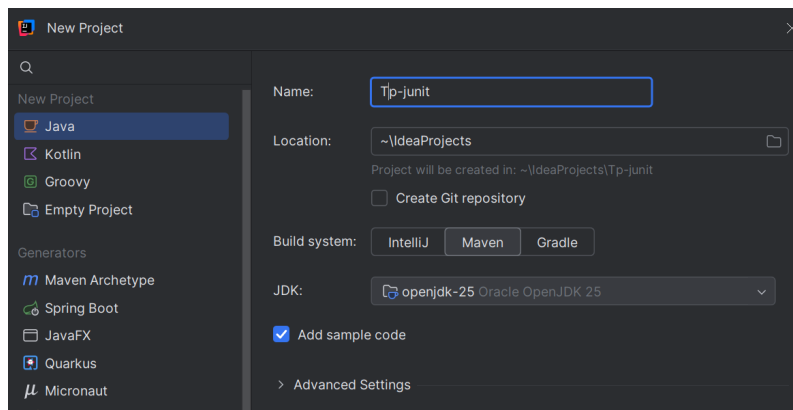


Figure 1: Step 1 — Create project

Ensure you have this structure:

```
project-root/
+-- src/
|   +-- main/
|       +-- java/
|   +-- test/
|       +-- java/
```

Step 2 — Create the Calculator class

1. Create a new Java Class.
2. Name it `Calculator`.

Paste this code in `Calculator.java`:

```
1 public class Calculator {
2     /**
3      * Returns the sum of two integers.
4      */
5     public int add(int a, int b) {
6         return a + b;
7     }
8 }
```

Step 3 — Create the test class

1. Open `Calculator.java` in the editor.
2. Right-click inside the editor -> **Generate** (or press `Alt+Insert`) -> **Test...**
3. In the dialog choose **JUnit5 (Jupiter)** and select the `add` method to generate a test stub.
4. If IntelliJ asks to create a test directory, click **Yes**. IntelliJ will create `src/test/java` and place the generated test there.

Step 4 — Explore the generated test and add assertions

The generated test class contains a skeleton test method. Now, let's add an assertion to verify that `add` works correctly. Replace or edit the test method as follows:

```
1 import org.junit.jupiter.api.Test;
2 import static org.junit.jupiter.api.Assertions.*;
3
4
5 class CalculatorTest {
6
7
8     @Test
9     void add_twoPositiveNumbers_shouldReturnSum() {
10         // Arrange
11         Calculator calc = new Calculator();
12         // Act
13         int result = calc.add(2, 3);
14         // Assert
15         assertEquals(5, result, "2 + 3 should equal 5");
16     }
17 }
```

Explanation of the test code:

- `@Test`: marks the method as a test that JUnit will execute.

- Arrange: preparing objects or inputs needed for the test.
- Act: invoking the method under test.
- Assert: checking the actual result against the expected result.

Common Assertions:

Method	Role
<code>assertEquals(Object a, Object b)</code>	Verifies that a and b are equal.
<code>assertSame(Object a, Object b)</code>	Verifies that a and b refer to the same object.
<code>assertNotSame(Object a, Object b)</code>	Verifies that a and b do not refer to the same object.
<code>assertNull(Object o)</code>	Verifies that o is null.
<code>assertNotNull(Object o)</code>	Verifies that o is not null.
<code>assertTrue(boolean e)</code>	Verifies that e is true.
<code>assertFalse(boolean e)</code>	Verifies that e is false.
<code>assertThrows(Exception.class, () -> ...)</code>	Verifies that an exception is thrown.

Table 1: Common JUnit Assertion Methods

Step 5 — Run the test in IntelliJ

1. Right-click `CalculatorTest.java` or the test method.
2. Select Run 'CalculatorTest'.
3. Observe the Run tool window: green = passed, red = failed.

Step 6 — Small variations to try

- Temporarily modify the implementation of the `add` method by replacing:

```
return a + b;
```

with:

```
return a - b;
```

- Run the test again and observe how it now fails, showing how unit tests detect regressions.

Step 7 — Extend the Calculator

Extend the class `Calculator` with the following methods:

- `subtract(a, b)`
- `multiply(a, b)`
- `divide(a, b)`

Write a unit test for each method using the Arrange–Act–Assert structure.

Step 8 — Exception Handling (Divide by Zero)

Modify the `divide` method so that it throws an exception when dividing by zero (You can refer to Table ?? in the Appendix) .

Write a test to verify this behavior (Check Table 1).

Exercise 2:

In this exercise, you will test the behavior of a small module used in industrial temperature control systems. Your goal is to apply **Boundary Value Analysis (BVA)** to detect a subtle defect in the implementation.

Context

A regulator receives two parameters: **currentTemperature** (in °C), and **targetTemperature** (in °C). It must decide whether the system should: **HEAT**, **COOL**, or **STANDBY**

Specification

The regulator should behave as follows:

- If `current < target - 0.5` then the action is **HEAT**.
- If `current > target + 0.5` then the action is **COOL**.
- Otherwise, the action is **STANDBY**.

This defines a tolerance zone of $\pm 0.5^{\circ}\text{C}$ around the target temperature.

The following implementation is used by the regulator.

```
1 public class TemperatureRegulator {
2
3     public enum Action { HEAT, COOL, STANDBY }
4
5     public Action compute(double current, double target) {
6         final double TOL = 0.5;
7
8         double diff = current - target;
9
10        if (diff < -TOL) {
11            return Action.HEAT;
12        } else if (diff > TOL) {
13            return Action.COOL;
14        } else {
15            return Action.STANDBY;
16        }
17    }
18 }
```

Task 1 : Build the test cases.

Task 2 : Implement the test using JUnit and analyze the results to determine whether the class behaves according to the specification.

Exercise 3

A quadratic polynomial is a function of the form:

$$P(X) = aX^2 + bX + c$$

where a , b , and c are constants and X is the variable.

For example, the polynomial $X^2 + X - 2$ has $a = 1$, $b = 1$, and $c = -2$.

A root of the polynomial $P(X)$ is a real number x_1 such that:

$$ax_1^2 + bx_1 + c = 0$$

For instance, 1 is a root of $X^2 + X - 2$ because:

$$1^2 + 1 - 2 = 0$$

Task 1: Write a Java class `PolynomeSecondDegre` to solve a quadratic equation and calculate its real roots.

$$P(X) = aX^2 + bX + c$$

Hint: Mathematically, the roots are given by the discriminant:

$$\Delta = b^2 - 4ac$$

- If $\Delta > 0$, there are 2 real roots: $x_1 = \frac{-b-\sqrt{\Delta}}{2a}$, $x_2 = \frac{-b+\sqrt{\Delta}}{2a}$
- If $\Delta = 0$, there is 1 real root: $x = \frac{-b}{2a}$
- If $\Delta < 0$, there are no real roots.

Task 2: Identify test cases for the polynomial class

Task 3: Write the Test Code